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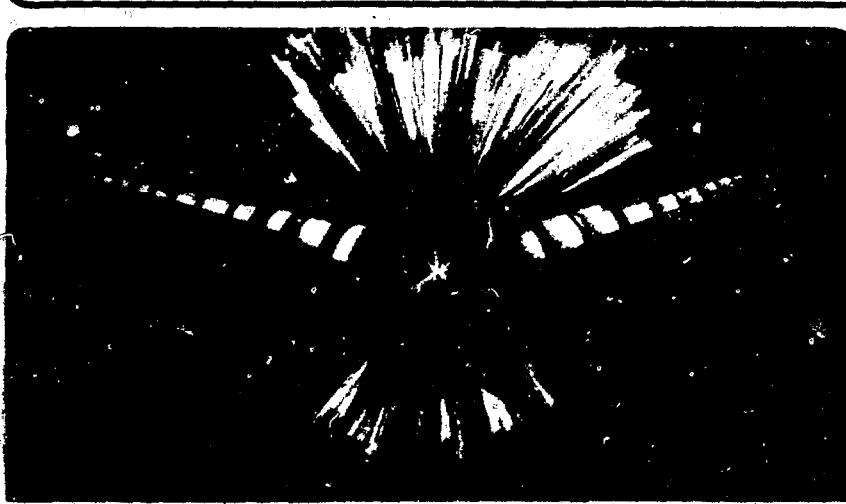
Accelerator & Fusion Research Division

MASTER

**ACDOS2: AN IMPROVED NEUTRON-INDUCED
DOSE RATE CODE**

Jean-Charles Lagache
(M.S. thesis)

June 1981



Prepared for the U.S. Department of Energy under Contract W-7405-ENG-48

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ACDOS2: AN IMPROVED NEUTRON-INDUCED DOSE RATE CODE

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(M.S. Thesis)

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June, 1981

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I. Introduction

Although it is generally recognized that activation problems will result from several of the large fusion devices now planned or under construction, it appears that such problems may have to be faced even before such devices operate. This consequence follows from the fact that neutral-beam design must necessarily precede applications by several years. A forthcoming upgrade program at LBL will require prolonged periods of testing of a deuterium 170-kev neutral beam, at 65A, with a 10% duty factor. Such a source can produce appreciable dose rates for personnel who must do maintenance work following a prolonged period of testing. To calculate the expected dose rate as a function of geometry, composition, and time after shutdown a computer code, ACDOS2, was written, which utilizes up-to-date libraries of cross-sections and radio-isotope decay data. ACDOS2 is in ANSI FORTRAN IV, in order to make it readily adaptable elsewhere.

The methodology for solving the overall problem is broken down into several steps. The first is that of determining the production of neutrons in the case of a neutral-beam injector. In practice, neutron production is not uniform but occurs during a succession of evenly spaced pulses of short time duration. During the pauses, no neutrons are produced. An effective steady neutron source term is generated by utilizing an appropriate

duty factor over the time duration of the test periods. The neutron production rate is then calculated on the basis of the energy and current of the accelerated beam.

With the unity-normalized average group fluxes assumed to be available from a previous calculation, the second step involves calculating the activities due to the activation of a target or of the walls, by the neutrons. First the flux weighted group cross-sections have to be computed by making use of a library containing microscopic cross-sections. Prerequisite to this calculation is the determination of a weighting flux for use in averaging cross-section data over the appropriate energy groups. This is accomplished by assuming a room-temperature Maxwell-Boltzmann distribution for the thermal region, a $1/E$ distribution for intermediate energies, and an exponential function for the source-neutron groups. Arbitrary constants in the weighting fluxes are determined by integral and/or boundary conditions on the known flux for the particular energy group in question. With the weighting flux a determinable function of energy, the required flux-weighted group cross-sections can be evaluated. The microscopic cross-section library contains up to ten different neutron reactions per target nuclide, at neutron energies up to 20 MeV. The calculation of the resultant activities given the neutron production rate, the flux weighted group cross-sections, the target nuclide mass and type, and the specific times after shutdown at which induced activities are desired, can then be performed. This is done by solving the pertinent ordinary

differential multigroup equations that describes the system undergoing activation and then algebraically modifying the standard solution to make it amenable to the injector test schedule.

The final step is a calculation of the dose rates as a function of time and geometry, given the previously calculated activities. This routine interrogates a decay library and extracts the necessary gamma ray energy and intensity information. The program treats radioactive daughters accurately. The user specifies the type of geometry to be used in the actual calculations (point, sphere, cylinder-on axis, cavity) and the strategy (non-absorbing source, absorbing source), in addition to the distance from the activated component, at which the dose rate is desired.

The code can handle from one to fifty neutron groups with up to thirty target nuclides. It has an option which allows the user to substitute a neutron source term other than that from a neutral-beam injector, and a further option which allows for the evaluation of the approximate fluxes in the walls, and thereby the dose-rate from the walls. The end result is then a code that is tailored to solve injector activation problems, but contains enough versatility to be useful in solving a wide variety of general activation problems produced by neutrons of energy less than 20 MeV.

This report constitutes the user manual of ACDOS2, which is an improved version of ACDOS1.1 Basically, ACDOS2 uses the same framework as ACDOS1 to calculate neutron induced activation and

corresponding dose rates as a function of geometry, composition and time after shutdown. Improvements have been made in the physical models and the versatility has been increased by the introduction of new options. Specifically, the radioactive daughters are now accurately treated, a fourth possible geometry (cavity) is supplied, both absorption and build-up in volumetric sources are taken into account, the dose due to the walls can be computed, and an option to indirectly couple a slowing-down code is provided.

The main part of the report deals with the different models and equations used by ACDOS2. Some sections (§ II, IV-a) are reproduced directly from the report on ACDOS1¹. A new user* will find enough information to run the code by just reading the Appendices which completely describe the input required for ACDOS2.

*ACDOS2 is available on magnetic tape. Address inquiries to: Head, Neutral Beam Development Group, Bldg. 4, Lawrence Berkeley Laboratory, Berkeley CA 94720.

III. Neutron Production Model

The first major step in solving the overall activation problem is to supply the average neutron source strength. Alternatively, ACDOS2 makes provision for the user to directly enter the average neutron source strength or to determine from data supplied by the user, the production of neutrons in the specific case of neutral-beam injectors.

In neutral-beam testing, neutron production is not uniform but occurs during an arbitrary succession of evenly spaced injector pulses of short time duration. The neutron production coincides with the injector pulses. Figure II-1 represents the duty factor (i.e. the fraction of time in which the injector is actually on) during the test periods. INSNPS is the instantaneous number of neutrons produced per second. T1 is the length of the test periods--typically a few hours. T2 is the length of time between test periods. N is the number of test periods, following the last of which, the activities are calculated. It is assumed throughout the activation calculations that T1 and T2 do not vary during operation of the injector.

The neutrons originate from two sources within the injector system: gaseous deuterium that leaks from the neutralizer and the ion-source, adsorbs on the surfaces of the neutral-beam calorimeter and the deflected-beam dump. A (d, n) reaction occurs as D^0 and D^+ impinge upon these surfaces. The reaction is:

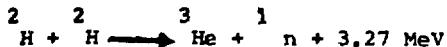
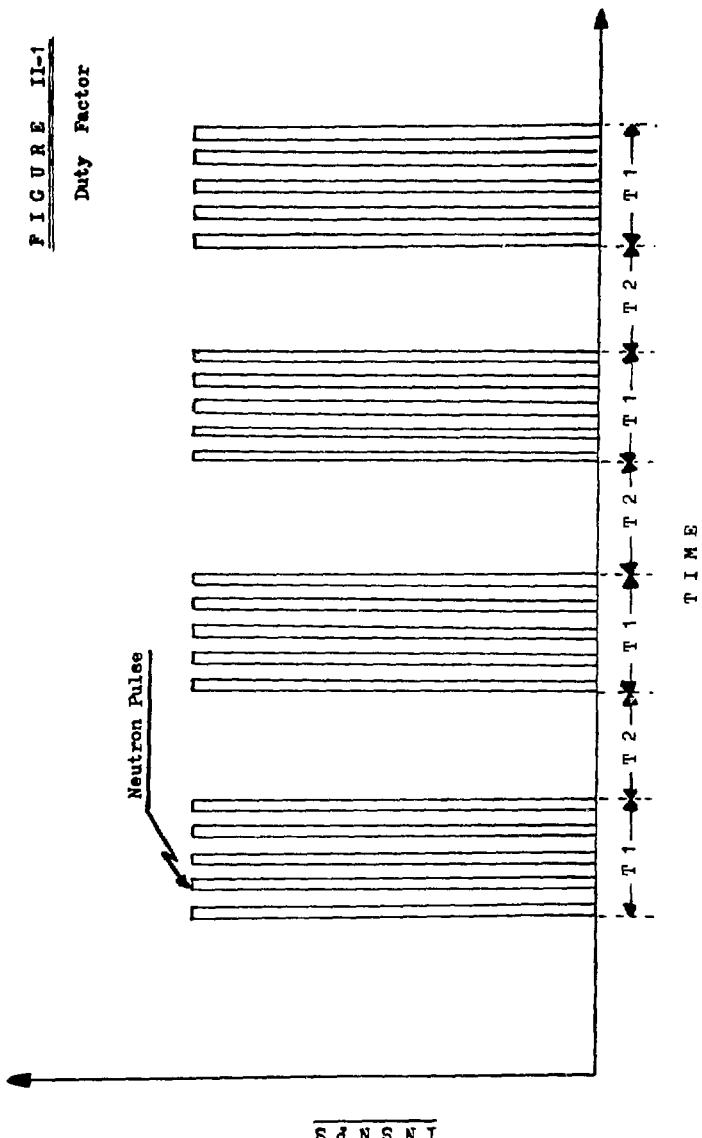


FIGURE II-1
Duty Factor



S D N S I

The calculation that determines the instantaneous number of neutrons produced per seconds is empirical in nature and based on data taken under accelerator test conditions.² The expression used is:

$$\text{INSNPS} = 8.64 \times 10^4 \left(\frac{\text{neutron}}{\mu\text{coulomb}} \right) \times A \times 10^6 \left(\frac{\mu\text{coulomb}}{\text{second}} \right) \times F \times CF \times DF$$

INSNPS: instantaneous number of neutrons produced per second.

A: current in Amperes

DF: duty factor during the test periods

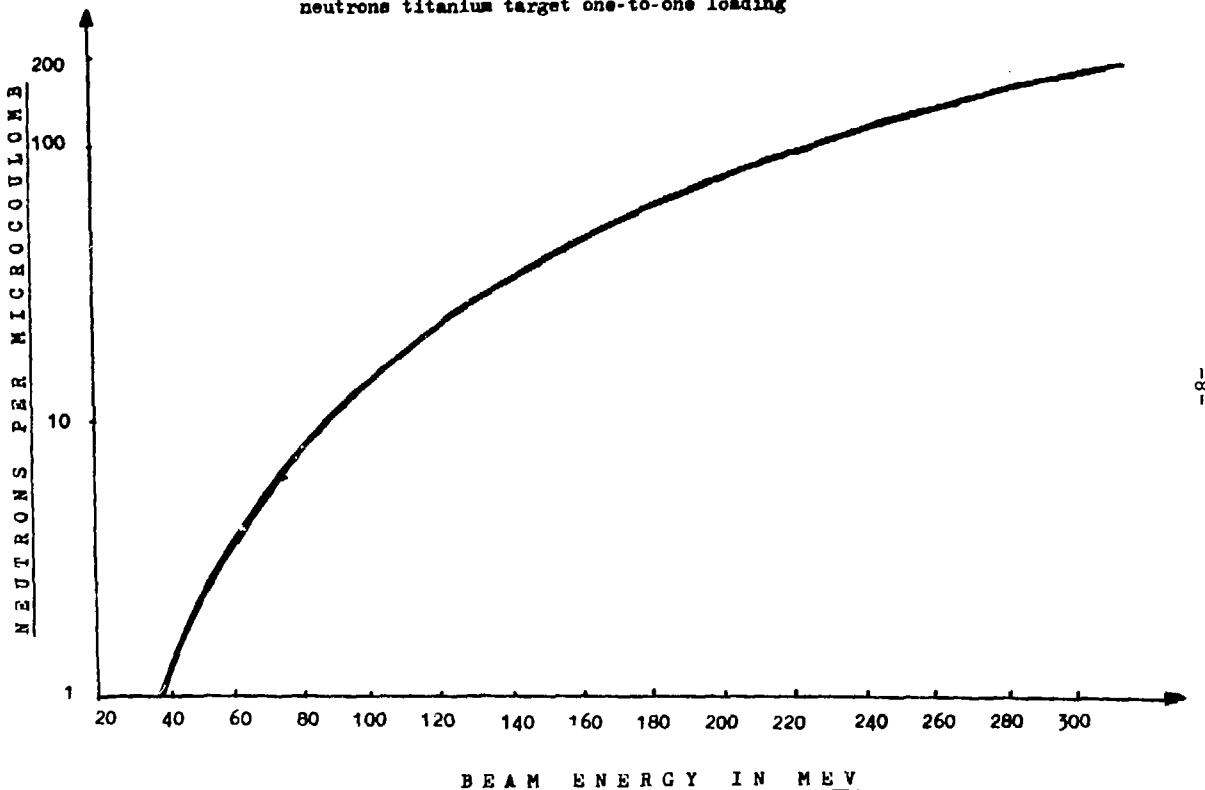
F: fraction of the beam which is monoatomic

CF: yield correction factor for voltages different from 150 kV.

The yield correction factor for voltages different than 150 kV, is taken from the thick-target yield curve³ reproduced in Figure II-2. To facilitate the calculation of INSNPS during execution of the program, a power fit of the form $y=a^x$ was applied to the points read from the curve to determine an analytical expression for CF. Three different fits were used to insure a high coefficient of determination. These expressions are incorporated into ACDOS2 to calculate INSNPS.

FIGURE II-2

Theoretical thick target yield of
neutrons titanium target one-to-one loading



III. Fluxes

The mono-energetic source of neutrons produces a continuous spectrum by slowing-down in the shielding walls. The group fluxes in the test-cell are not calculated in ACDOS2, but rather are supplied from a previous calculation, with, for example, a Monte-Carlo code like MORSE or a transport code like ANISN. The output of such a calculation is coupled to ACDOS2 either from a tape or from the input data deck.

The coupling of ACDOS2 with a slowing-down code can then be done in two steps. First, the unity-normalized average group fluxes are computed by using the slowing down code, based on a unity source placed in the center of the test-cell. At the end of the slowing-down calculation, the space-independent fluxes inside the test cell are stored on a tape, starting with the higher energy-group flux and according to the format of ACDOS2 (E 10.3, 2X). Then, ACDOS2 is executed by reading the fluxes from the tape.

ACDOS2 provides for the calculation of the dose due to the activation of an object placed inside the test-cell or the dose due to the activation of the walls of the test-cell, which is approximated to be a hollow sphere. In this case, the fluxes in the walls are assumed to be the same as the fluxes in the test-cell, but corrected by a shape factor. This factor was calculated on the basis of one-group diffusion theory.

According to this model, the flux resulting from a point source placed in the center of a hollow sphere is constant inside a hollow sphere. This is due to the fact that the net current is zero at the inner radius. In the walls, the flux satisfies:

$$\nabla^2 \phi + K^2 \phi = 0$$

where: $K^2 = 1/\lambda^2 = \Sigma_a/D$

and also satisfies the boundary condition:

$$\phi(R + H) = 0$$

where R is the inner radius and H the thickness of the hollow sphere. The solution to this equation is:

$$\phi(r) = A \sinh[K(R + H - r)]/Kr$$

where A is a constant.

The average flux in the wall is then:

$$\langle \phi \rangle = \frac{\int_R^{R+H} \frac{A \sinh K(R+H-r)}{Kr} 4\pi r^2 dr}{4/3\pi [(R+H)^3 - R^3]}$$

or after integration:

$$\langle \phi \rangle = \frac{3A}{[K(R+H)]^3 - [KR]^3} [\sinh(KD) + KR \cosh(KD) - (KR+KD)]$$

Defining the shape factor FF by the ratio of the flux inside the hollow sphere to the average flux in the walls, we have:

$$FF = \frac{\langle \phi \rangle}{\phi(r=R)}$$

or

$$FF = \frac{3KR}{(KR+KH)^3 - (KR)^3} \left(1 - \frac{KR+KH}{\sinh(KH)} + \frac{KR \cosh(KH)}{\sinh(KH)} \right)$$

In ACDOS2, the dose due to the walls, can be computed approximately by multiplying the fluxes inside the test-cell, available from a previous calculation, by the shape factor FF.

IV. Activation

A. Weighting flux and flux weighted group cross-sections

In order to average cross-section data over the appropriate energy groups to acquire group cross-sections, a weighting flux is required. The flux-weighted group cross section can be evaluated from the expression:

$$\bar{\sigma} = \frac{\int_{\Delta E} \sigma(E) \phi(E) dE}{\int_{\Delta E} \phi(E) dE}$$

The weighting fluxes were determined by assuming that the thermal region could be represented by a Maxwell-Boltzmann distribution with $kT = 0.025$ eV, the intermediate energies by a function proportional to $1/E$, and the fast groups by an exponential function. All energy dependences are thus determined, except for arbitrary constants.

The decision to use these energy dependences came in part from the predictions of slowing-down theory plus the results of a Monte-Carlo calculation involving a neutral beam injector surrounded by thick concrete walls. The group fluxes calculated⁴ for this case are given in Table IV-1. To verify the above assumptions, column 3 (neutrons/cm².eV.source neutron) was plotted as a function of the arithmetic average of the group boundaries found in column 2 for groups 1 through 19 (figure IV-1).

Inspection of the curve suggests a $1/E$ type of behavior for groups 4 through 19 since a quantity that varies as a constant

T A F L E IV-1

Group Fluxes Inside the Test Cell

GROUP	ENERGY INTERVAL (eV)	NEUTRONS		NEUTRONS
		$^2\text{cm} \cdot \text{eV}$	SOURCE NEUTRON	$^2\text{cm} \cdot \text{SOURCE}$ NEUTRON
1	2.385E+6 2.307E+6		1.013E-10	7.901E-6
2	2.307E+6 1.827E+6		2.879E-13	1.382E-7
3	1.827E+6 1.108E+6		1.959E-13	8.333E-8
4	1.108E+6 5.502E+5		1.896E-13	1.058E-7
5	5.502E+5 1.576E+5		3.510E-13	1.378E-7
6	1.576E+5 1.111E+5		6.111E-13	2.842E-8
7	1.111E+5 5.248E+4		8.172E-13	4.790E-8
8	5.248E+4 2.479E+4		1.394E-12	3.860E-8
9	2.479E+4 2.188E+4		2.550E-12	7.420E-9
10	2.188E+4 1.033E+4		3.049E-12	3.522E-8
11	1.033E+4 3.355E+3		6.552E-12	4.570E-8
12	3.355E+3 1.234E+3		1.896E-11	4.021E-8
13	1.234E+3 5.829E+2		4.673E-11	3.043E-8
14	5.829E+2 1.013E+2		1.502E-11	7.234E-8
15	1.013E+2 2.902E+1		6.481E-10	4.684E-8
16	2.902E+1 1.068E+1		1.642E-09	3.011E-8
17	1.068E+1 3.059E+0		5.184E-09	3.951E-8
18	3.059E+0 1.125E+0		1.787E-08	3.456E-8
19	1.125E+0 4.140E-1		4.327E-08	3.076E-8
20	4.140E-1 1.000E-5		2.002E-06	8.288E-7

FIGURE IV-1
Neutrons/cm.².ev vs Neutron energy

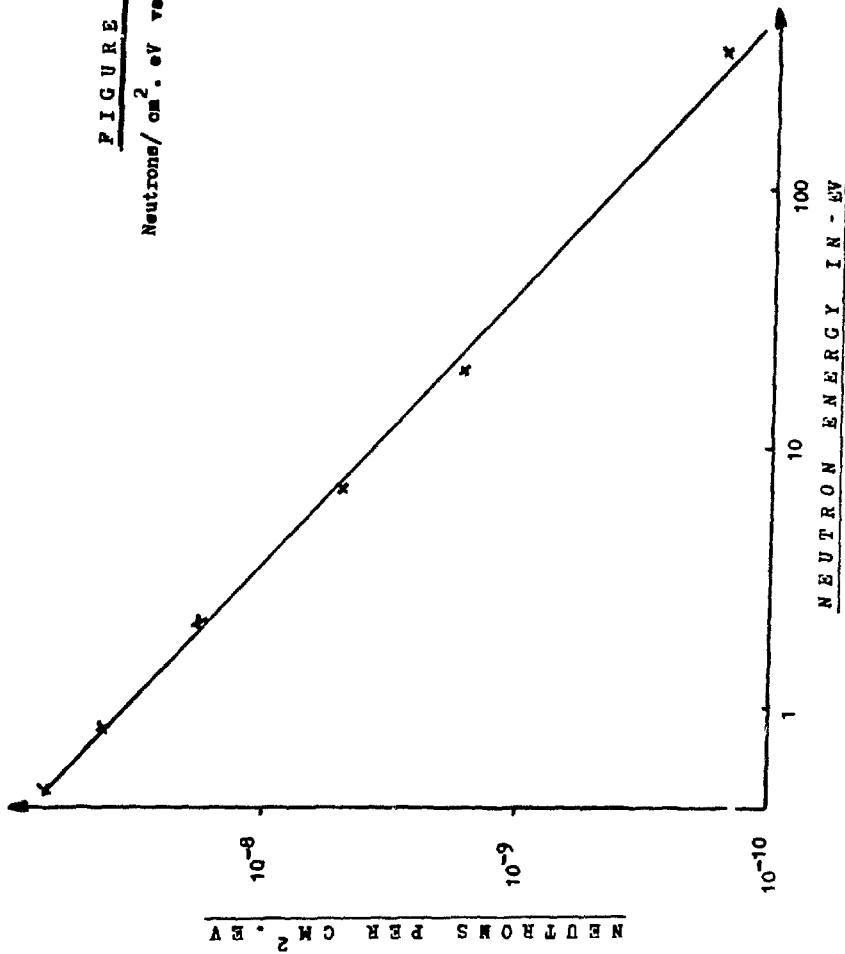


FIGURE IV-1 (Cont.)
Neutrons/cm². sec vs Neutron energy

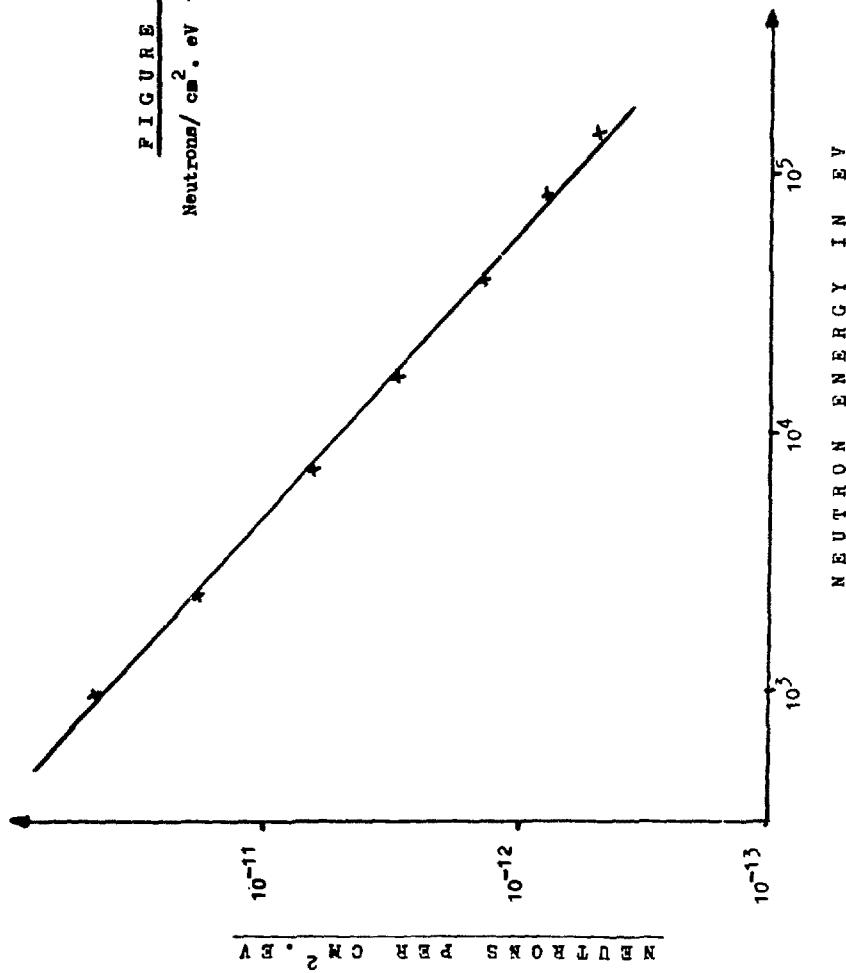
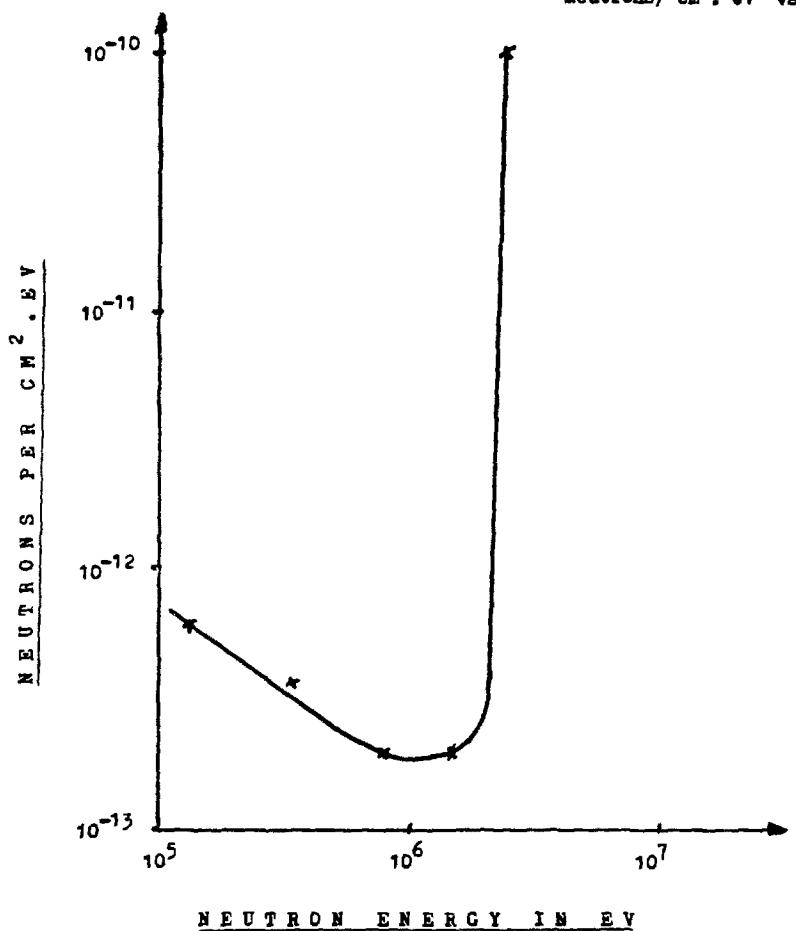


FIGURE IV-1 (Cont.)

Neutrons/cm². eV vs Neutron energy



over E will plot as a straight line on log-log paper and will have a slope of -1. Calculation of the slope at various points along the line did reveal a slope close to -1. At higher energies, above 2×10^4 ev, the curve departs somewhat more from $1/E$ behavior and finally reaches a region just below fast energies where the curve is neither $1/E$ nor exponential. Even though this region just below the exponential part of the curve deviates from $1/E$ behavior, it is assumed, for ease of calculations, that it does behave as $1/E$.

Since neutrons are "born" with a narrow group of discrete energies in the injector, as contrasted with a fission spectrum in a reactor, one would intuitively expect the fast region to appear more as a "spike" than as a continuous distribution. The graph definitely illustrates this behavior and for this reason the assumption of an exponential form for the fast groups appears justified. As stated previously, the Maxwell-Boltzmann distribution is used for describing the thermal region.

At this point, the forms of the equations for describing the weighting flux are known except for arbitrary constants. To evaluate the constants, each analytic expression for the weighting flux is integrated over the appropriate energy group and set equal to the numerical value of the corresponding group quantities in column 4 of table IV-1, which are normalized total group fluxes. For example, for the thermal region, group 20:

$$\int_{10^{-5}}^{4.14 \times 10^{-1}} C/E e^{-\frac{E}{0.025}} dE = 8.288 \times 10^{-7}$$

therefore:

$$C = 2.36 \times 10^{-4}$$

For an intermediate neutron group, group 17:

$$\int_{3.059}^{10.68} C/E dE = 3.951 \times 10^{-8}$$

therefore:

$$C = 3.16 \times 10^{-8}$$

The determination of the constants associated with fast groups, however, is somewhat more involved. Since the assumed form for the fast exponential is

$$\phi(E) = A e^{\frac{E_1 - E_2}{B}}$$

where E_1 and E_2 are known and E_2 is the highest energy of that group, two equations are required to evaluate the two constants. One equation results from the usual integral condition that

$$\int_{E_1}^{E_2} A e^{\frac{E_1 - E_2}{B}} dE = \text{total flux for that group}$$

while the other condition results from a continuity of flux requirement at the boundary of the two groups, namely:

$$C/E_1 = A e^{\frac{E_1 - E_2}{B}}$$

where C is known constant from the integral condition placed on the last $1/E$ group. The analysis is then always performed, starting with the lowest energy group. With two equations and two unknowns, the constants can be determined by solving the resultant transcendental equations. If there is another fast

group, the same method is applied. One equation results from the required integral condition on that group, and a second equation results from a continuity of flux requirement at the boundary with the preceding group.

The result of this method is that the first exponential group is always matched to the last 1/E group, and any additional fast groups are always matched to the preceding fast groups. In the case of only two groups, one thermal and one fast, a match is required at the boundary between the groups to allow evaluation of the two constants in the assumed exponential function following the Maxwellian.

Only one equation is required to evaluate 1/E groups as there is only one constant to be evaluated. Since 1/E constants are calculated solely from the integral condition placed on the equation for that group, discontinuities sometimes result in the flux at the group boundary between two adjacent 1/E or between the thermal and the first 1/E group. This is not a serious problem because the discontinuities are not significantly large. The important consideration is that the integral of the weighting-flux function over the group be equal to the total flux for that group so that the correct averaging of the flux over that same interval is maintained.

Table IV-2 shows the results of this approach to the weighting-flux function determination. The integral of these functions over their proper energy range always results in the numerical value of the total flux for that group, as it should. A plot of the data in Table IV-2 (groups 1-19) is shown in Figure IV-2.

TABLE IV-2

Weighting Fluxes

<u>GROUP</u>	<u>ENERGY INTERVAL</u> <u>(eV)</u>	<u>EQUATION $\phi(x)$</u> 2 (neutrons/cm .source neutron)
1	2.385E+6 2.307E+6	7.07E-10*EXP((X-2.385E6)/11184)
2	2.307E+6 1.827E+6	6.62E-13*EXP((X-2.307E6)/2.42E6)
3	1.827E+6 1.108E+6	1.666E-7*(1/X)
4	1.108E+6 5.502E+5	1.511E-7*(1/X)
5	5.502E+5 1.576E+5	1.102E-7*(1/X)
6	1.576E+5 1.111E+5	8.129E-8*(1/X)
7	1.111E+5 5.248E+4	6.387E-8*(1/X)
8	5.248E+4 2.479E+4	5.147E-8*(1/X)
9	2.479E+4 2.188E+4	5.942E-8*(1/X)
10	2.188E+4 1.033E+4	4.693E-8*(1/X)
11	1.033E+4 3.355E+3	4.064E-8*(1/X)
12	3.355E+3 1.234E+3	4.020E-8*(1/X)
13	1.234E+3 5.829E+2	4.057E-8*(1/X)
14	5.829E+2 1.013E+2	4.134E-8*(1/X)
15	1.013E+2 2.902E+1	3.747E-8*(1/X)
16	2.902E+1 1.068E+1	3.012E-8*(1/X)
17	1.068E+1 3.059E+0	3.160E-8*(1/X)
18	3.059E+0 1.125E+0	3.455E-8*(1/X)
19	1.125E+0 4.140E-1	3.077E-8*(1/X)
20	4.140E-1 1.00E-5	$2.36E-4*(X)^{1/2} * \text{EXP}(-X/0.025)$

FIGURE IV-2

Weighting Flux

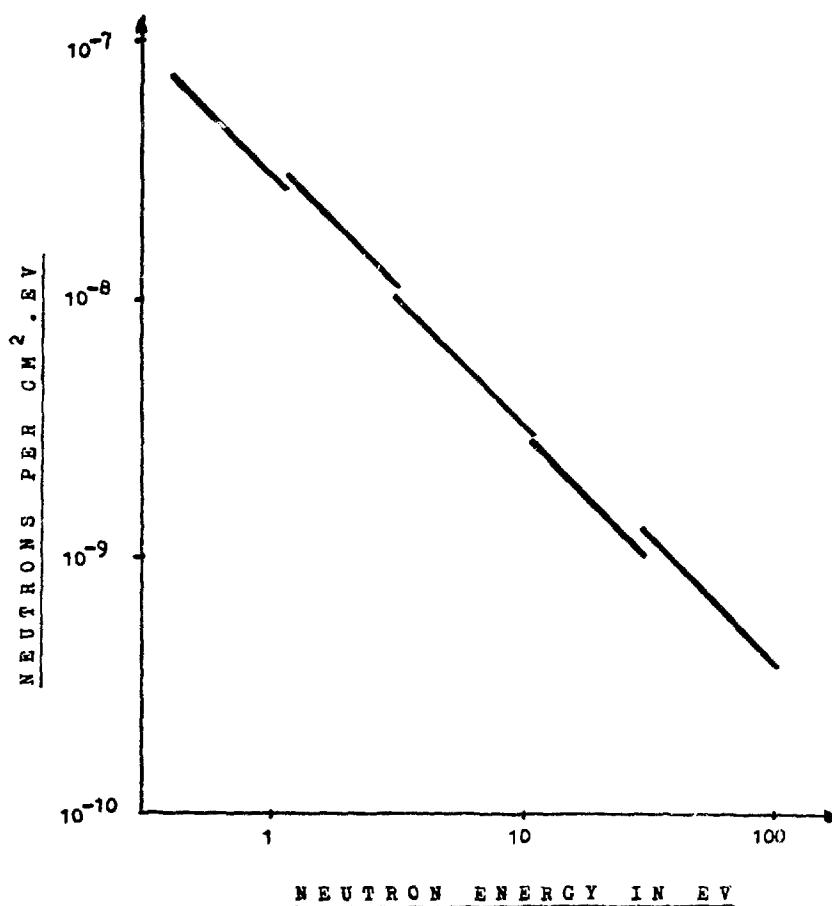


FIGURE IV-2 (Cont.)

Weighting Flux

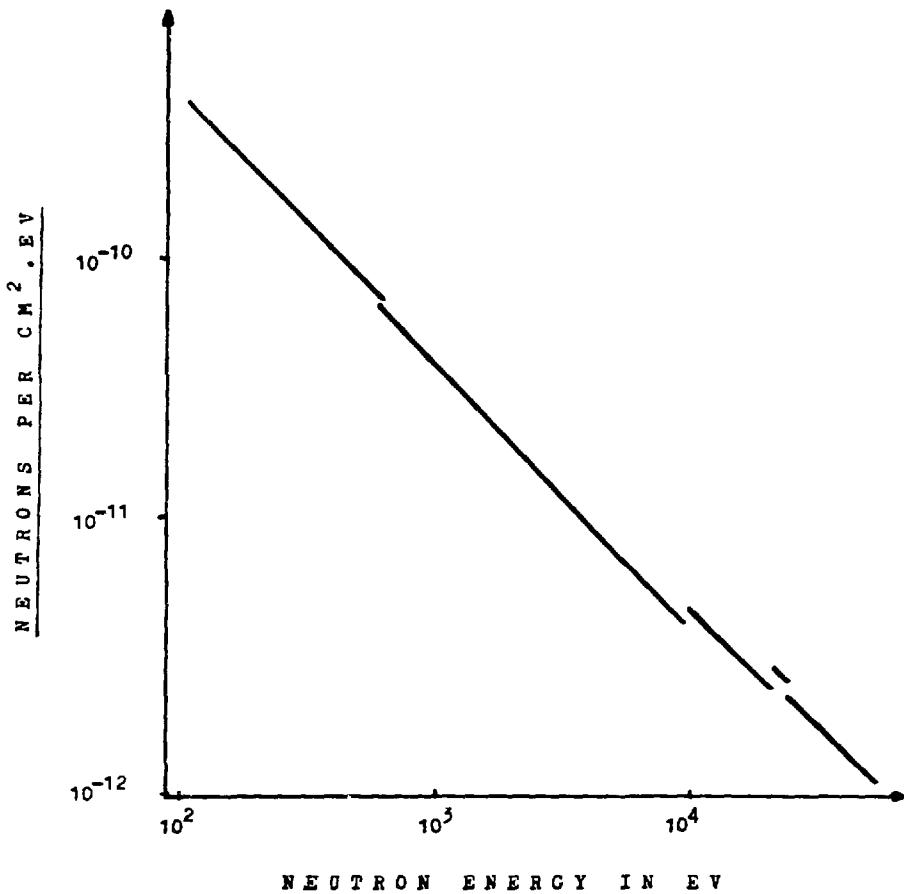
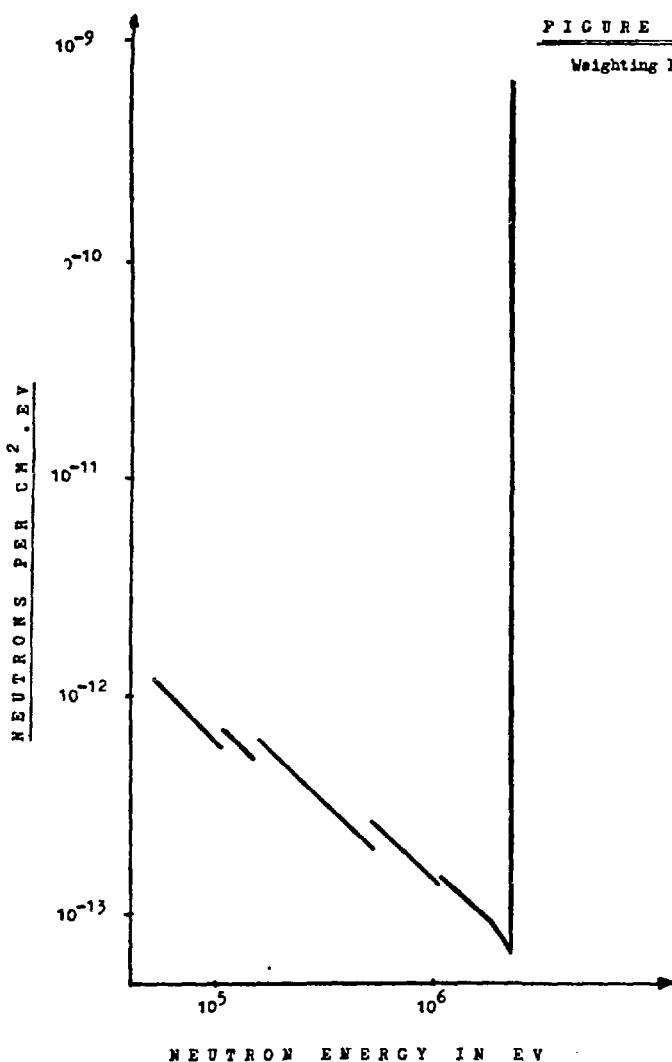


FIGURE IV-2 (Cont.)

Weighting Flux



As previously mentioned, slight flux discontinuities at boundaries between 1/E group exist. Note that the discontinuities are greater in the region just below the two fast groups. This is not surprising since that region deviates somewhat from 1/E but was assumed to be 1/E in weighting flux calculations. Comparison of Figure JV-1 with Figure IV-2 shows a close resemblance as is desired.

With the weighting flux function known for each group, the flux weighted group cross-section can be calculated from the expression:

$$\bar{\sigma} = \frac{\int_{\Delta E} \sigma(E) \phi(E) dE}{\int_{\Delta E} \phi(E) dE}$$

where $\phi(E)$ is the previously determined weighting flux function. In the calculation of the activation, the cross-section information for the target nuclide is read from the ACTLMFE library which is a subset (without fission cross-sections) of the ACTL library.⁵ The data consist of two numbers, an energy in MeV and an associated cross-section for that energy in barns.

To calculate $\bar{\sigma}$, ACDOS2 first merges the group boundary values into the energy-cross-section pair data and performs a linear interpolation to calculate the cross-section at the group-boundaries.⁶ The result is two arrays, one with energy values and the other with cross-section values. There is always a one to one correspondence. If GP(J) is an arbitrary group boundary which initially had no cross-section value associated with it. The value is obtained by a linear interpolation using the first value on each side of the group boundary assuming that

cross-sections are linearly interpolable in energy. For two arbitrary cross-sections, $\sigma(I)$ and $\sigma(I+1)$ whose values lie within the group boundaries $GP(J)$ and $GP(J+1)$, an analytical expression is found for the line connecting them, using the common two point formula:

$$\sigma(E) - \sigma(I) = \frac{\sigma(I+1) - \sigma(I)}{E(I+1) - E(I)} [E - E(I)]$$

so that $\sigma(E)$ for $E(I) \leq E \leq E(I+1)$

$$\sigma(E) = \sigma(I) + \frac{\sigma(I+1) - \sigma(I)}{E(I+1) - E(I)} [E - E(I)]$$

Now that an analytical expression exists for $\sigma(E)$ and $\phi(E)$, the product of these two functions is numerically integrated between $E(I)$ and $E(I+1)$ and the value kept as a running sum. This process is continued, point by point, until the upper boundary is reached. The particular form of $\phi(E)$ used, depends upon the energy range in which the specific group boundaries lie. For example, in the Monte-Carlo calculation involving a neutral beam injector surrounded by thick concrete walls, for the thermal region, where

$$GP(J) = 10^{-5} \text{ eV} \quad \text{and} \quad GP(J+1) = 0.414 \text{ eV}$$

from Table IV-2, we have:

$$\phi(E) = 2.36 \times 10^{-4} \times \sqrt{E} \times e^{-\frac{E}{0.025}}$$

so that the expression for $\sigma(E) \times \phi(E)$ is:

$$\left\{ \sigma(I) + \frac{\sigma(I+1) - \sigma(I)}{E(I+1) - E(I)} [E - E(I)] \right\} \times \left\{ 2.36 \times 10^{-4} \times \sqrt{E} \times e^{-\frac{E}{0.025}} \right\}$$

where E is in eV.

It is this expression that is numerically integrated between each thermal $E(I)$ and $E(I+1)$.

When all numerical integrations are completed for a specific group, the running sum is divided by the total flux for that group. The quotient is the desired quantity, the flux weighted group cross section for that group. This entire process is repeated until all energy groups have been addressed. Several test cases have been run to acquire results for comparison with another averaging program which originated at LLNL.⁶ The values obtained by this method are remarkably close to those obtained by the LLNL code for fast and intermediate neutron groups. For the thermal region, however, the above-mentioned procedure produced better results than the LLNL code.

Two further comments are in order considering the method of averaging cross-sections. First, for the case of nuclear reactions which are threshold oriented, a zero is substituted for each group cross-section whose energy range is below the threshold energy. Calculations begin only when the energy at which a cross-section value was measured, equals or exceeds the threshold energy. Typically, that first cross section value is located somewhere within the group boundaries at which the calculations begin. The contribution to that particular group cross section comes solely from evaluation of the pertinent quantities for energies greater than or equal to the first cross-section value and less than or equal to the first encountered group boundary. This is shown in figure IV-3. In this example, the reaction has a threshold located between the arbitrary group boundaries, GP(J+3) and GP(J+4). The group cross section for group (J+3)

results strictly from the evaluation of the pertinent quantities from the threshold value, T_v , to the first encountered group boundary, $GP(J+4)$. Even if there is only one cross-section value located in group $(J+3)$, the calculation proceeds since there is a cross section value associated with $GP(J+4)$ as a result of the initial merging of group boundary energies into the energy-cross-section data. In any case, however, zeros are substituted for group cross-sections in group J through $J+2$ in accordance with the above discussion.

The second comment concerns the calculation of the thermal group cross section. Since no provision is made for interpolating cross section values at the first group boundary, averaging calculations begin at the first encountered cross section value above the energy of the first group boundary. As a result a very small portion of the Maxwellian, generally below 0.0001 eV, is not accounted for. However, the resultant error is insignificant, since the contribution from this part of the Maxwellian is exceedingly small.

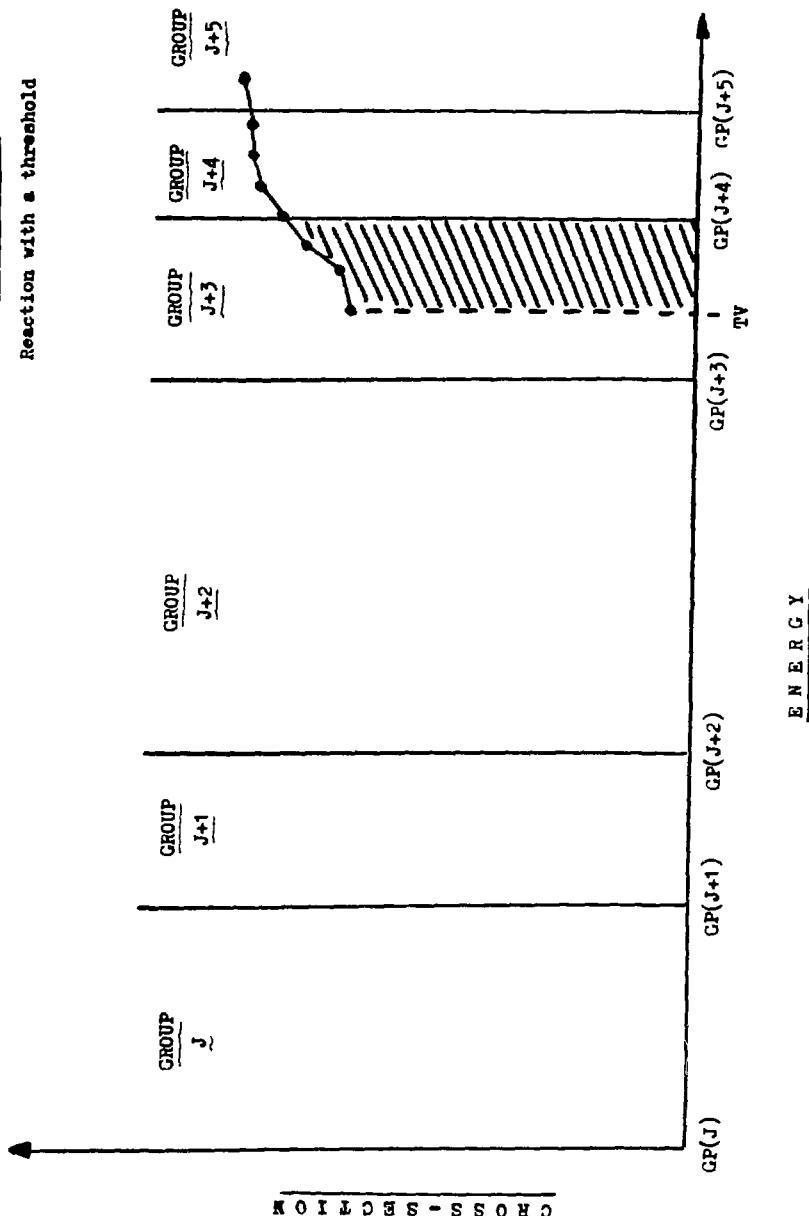
B. Activation

The differential equations describing the activation of target nuclides T giving radioactive product nuclides P which decay into daughter nuclides D are:¹⁰

$$\frac{dP(t)}{dt} = \sigma_T \phi T - \lambda_P P(t)$$

$$\frac{dD(t)}{dt} = \lambda_P P(t) - \lambda_D D(t)$$

FIGURE IV-3
Reaction with a threshold



where:

- * $T(t)$ is the number of atoms of the target nuclide
- * $p(t)$ is the number of atoms of the product nuclide
- * $D(t)$ is the number of atoms of the daughter nuclide
- * λ_p is the decay constant of nuclide P
- * λ_D is the decay constant of nuclide D
- * σ_T is the group activation cross section for nuclide T
- * ϕ is the group neutron flux.

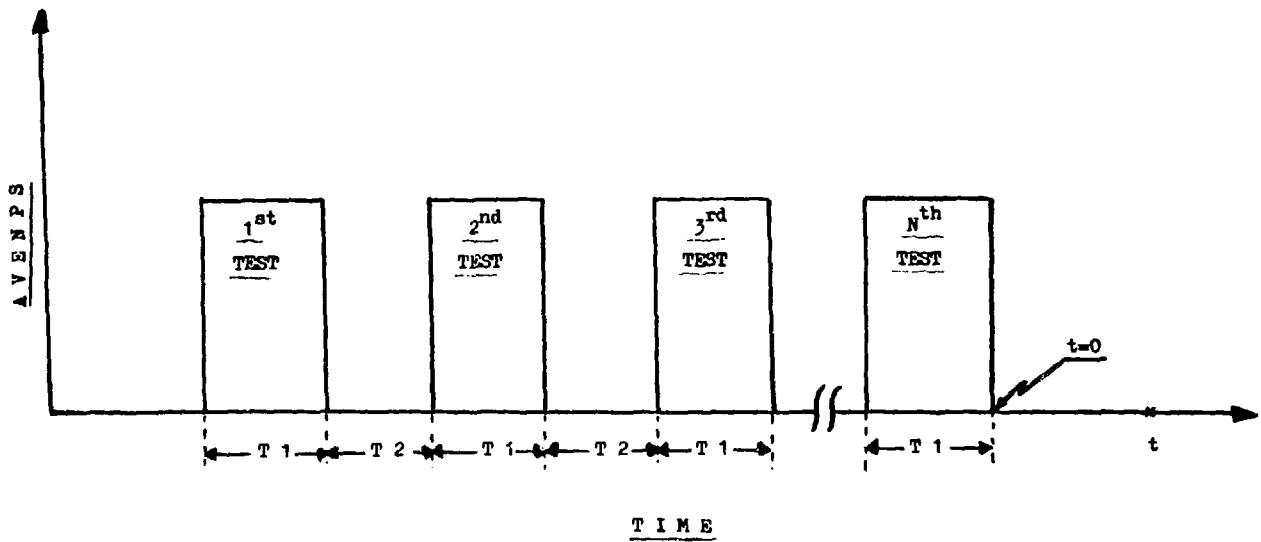
The solutions are:¹⁰

$$P(t) = \frac{\sigma_T \phi T}{\lambda_p} \left(1 - e^{-\lambda_p t} \right)$$
$$D(t) = \frac{\sigma_T \phi T}{\lambda_D} \left(1 - \frac{\lambda_D e^{-\lambda_p t} - \lambda_p e^{-\lambda_D t}}{\lambda_D - \lambda_p} \right)$$

These are the basic solutions that are used in subsequent activation calculations. These basic forms, however, must be algebraically modified to take into account pauses of length T_2 in the injector test schedule as shown in Figure IV-4.

According to this figure, let T_1 be the time length of one test, T_2 the time length of one pause, N the total number of tests, $t=0$ the time at which shutdown occurs and t , an arbitrarily selected time after shutdown where activities are required. It is desired to calculate the amount of an activated nuclide at $t=0$ due to an arbitrary neutron testing history. The method of approach is to calculate the amount at $t=0$ due to each test prior $t=0$. The total amount at $t=0$ will then be the sum of the contributions from each test.

FIGURE IV-4
Modified Neutron Pulses



The contribution at $t = 0$ of the i 'th test will be:

$$\underline{P}_i = \frac{\sigma_T \phi T}{\lambda_P} \cdot \left(1 - e^{-\lambda_P T_1} \right) \cdot e^{-(N-i)(T_1+T_2)\lambda_P}$$

and

$$P_i = \frac{\sigma_T \phi T}{\lambda_D} \cdot \left(1 - \frac{\lambda_D e^{-\lambda_P T_1} - \lambda_P e^{-\lambda_D T_1}}{\lambda_D - \lambda_P} \right) \cdot e^{-(N-i)(T_1+T_2)\lambda_P}$$

Then for some arbitrary time t after shutdown, the amount of nuclide P will be given by:

$$\underline{P}(t) = \frac{\sigma_T \phi T}{\lambda_P} \cdot \left(1 - e^{-\lambda_P T_1} \right) \cdot \left(\sum_{i=1}^N e^{-(N-i)(T_1+T_2)\lambda_P} \right) e^{-\lambda_P t}$$

and the amount of nuclide D by:

$$D(t) = \frac{\sigma_T \phi T}{\lambda_D} \cdot \left(1 - \frac{\lambda_D e^{-\lambda_P T_1} - \lambda_P e^{-\lambda_D T_1}}{\lambda_D - \lambda_P} \right) \left(\sum_{i=1}^N e^{-(N-i)(T_1+T_2)\lambda_D} \right) e^{-\lambda_P t}$$

These expressions, however, represent only one group of neutrons. To generalize the relations for up to energy groups, the above calculations of the amounts of nuclides must be done for each group, that is:

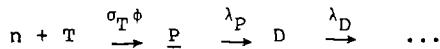
$$\underline{P}(t) = \left(\sum_{k=1}^n \frac{\sigma_{Tk} \phi_k T}{\lambda_P} \right) \left(1 - e^{-\lambda_P T_1} \right) \left(\sum_{i=1}^N e^{-(N-i)(T_1+T_2)\lambda_P} \right) e^{-\lambda_P t}$$

and

$$D(t) = \left(\sum_{k=1}^n \frac{\sigma_{Tk} \phi_k T}{\lambda_D} \right) \left(1 - \frac{\lambda_D e^{-\lambda_P T_1} - \lambda_P e^{-\lambda_D T_1}}{\lambda_D - \lambda_P} \right)$$

$$\left(\sum_{i=1}^N e^{-(N-i)(T_1+T_2)\lambda_D} \right) e^{-\lambda_P D}$$

For the general case of the reaction:



the specific activities of the product nuclide and the daughter D in becquerels, t seconds after shutdown will be:

$$\lambda_P P(t) = \left(\sum_{k=1}^n \sigma_{Tk} \phi_k T \right) \left(1 - e^{-\lambda_P T_1} \right) \left(\sum_{i=1}^N e^{-(N-i)(T_1+T_2)\lambda_P} \right) e^{-\lambda_P t} \quad (1)$$

and:

$$\lambda_D D(t) = \left(\sum_{k=1}^n \sigma_{Tk} \phi_k T \right) \left(1 - \frac{\lambda_D e^{-\lambda_P T_1} - \lambda_P e^{-\lambda_D T_1}}{\lambda_D - \lambda_P} \right)$$

$$\left(\sum_{i=1}^N e^{-(N-i)(T_1+T_2)\lambda_D} \right) e^{-t \lambda_D} \quad (2)$$

Equation is used in ACDOS2 for calculating the activity due to the product nuclides. Then, the activity of the daughters, if any, is computed from Equation 2.

V. Dose-rate calculation

The final step is to calculate dose rates as a function of geometry and time after shutdown.

A. Source

Using the previously calculated total activities as part of the input information, ACDOS2 first reads a decay library, a shortened version of LEVDEC, which is a sublet of ENSL⁷ (See Appendix 1), for the energy and multiplicity associated with each gamma ray produced by a specific activated nuclide. A search for radioactive daughters is also made. During the interrogation of the library, ACDOS2 checks the mode of decay of the radioactive products and daughters. If the mode of decay is γ , β^+ or β^- decay, the reaction is considered. If not, the reaction is skipped and interrogation continues. Secondly, when the decay is a β^+ desintegration, two annihilation γ of 0.511 MeV each are automatically included in the dose rate calculation, with the appropriate multiplicities. The case of the same product nuclide created from two different target nuclides is allowed for in the LEVDEC-read algorithm (see Appendix 1). Any daughter of a radioactive daughter is assumed to be stable.

Next, the code calculates an effective photon flux that yields an absorbed dose of 2.5 mrem/h in soft tissue for any

gamma ray or annihilation quantum read from the decay library. The latter calculation was accomplished by first fitting thirteen curves to the data⁸ shown in Table V-1. Twelve of the curves are of the form ax^b and one of the form ae^{bx} . A large number of curves were chosen so as to accurately reproduce the data over a wide energy range. As a result, all coefficients of determination arising from the curve fitting process are in excess of 0.99. Table V-2 shows the result of the curve fittings. The appropriate equation for calculating the effective particle flux, FLUXE, is chosen according to the value of E, the energy of a particular gamma ray, as read from the decay library.

The source strength divided by the flux per unit dose rate can then be computed in $\text{cm}^2 \cdot \text{mrem/h}$ as follow

$$SO = \frac{\text{MULT} \times 2.5 \times \text{ACT}}{\text{FLUXE}}$$

where MULT is the multiplicity of the gamma ray, FLUXE is the effective particle flux corresponding to a dose rate of 2.5 mrem/h in soft tissue, ACT is the previously calculated activity in Bq .

For a volumetric source of volume VOLU, the volumetric gamma ray source strength divided by the flux per unit dose rate is then:

$$SOU = SO = \frac{\text{MULT} \times 2.5 \times \text{ACT}}{\text{VOLU} \quad \text{FLUXE} \times \text{VOLU}}$$

<u>E(MeV)</u>	<u>DOSE RATE OF 2.5 MRREM/H²</u>	
	<u>CORRESPONDS TO β QUANTA/ CM . SEC</u>	
0.010		956
0.015		2310
0.020		4320
0.030		9980
0.040		17400
0.050		23100
0.060		25200
0.080		23200
0.100		18600
0.150		10800
0.300		5020
0.400	3660	<u>TABLE V-1</u>
0.500	2920	<u>Effective Photon</u>
0.600	2440	<u>Fluxes</u>
0.800	1880	
1.000	1550	
1.250	1330	
1.500	1130	
2.000	912	
3.000	686	
4.000	559	
5.000	460	
6.000	420	
8.000	339	
10.000	284	

T A B L E V-2

Curve Fittings of FLUXE .

<u>ENERGY INTERVAL</u> (MeV)	<u>PARTICLE FLUX EQUATION</u> FLUXE(X)
0.010 0.020	$21495330.64 * (X^{**2}, 17594470)$
0.020 0.040	$11460233.22 * (X^{**2}, 0.0136022)$
0.040 0.050	$1036918.975 * (X^{**1.2698653})$
0.050 0.060	$96497.38032 * (X^{**0.4772399})$
0.060 0.080	$11225.12221 * (X^{**(-0.2874410)})$
0.080 0.150	$55482.78326 * \text{EXP}(X^{*(-10.9132069)})$
0.150 0.400	$1330.569205 * (X^{*(-1.1036085)})$
0.400 0.600	$1462.198966 * (X^{*(-1.0004513)})$
0.600 1.000	$1546.997798 * (X^{*(-0.8891058)})$
1.000 1.500	$1549.091320 * (X^{*(-0.7797676)})$
1.500 3.000	$1508.205757 * (X^{*(-0.7188784)})$
3.000 6.000	$1488.362190 * (X^{*(-0.7051622)})$
6.000 10.000	$1656.852874 * (X^{*(-0.7649757)})$

B. Geometry

The second consideration is that of geometry. ACDOS2 provides four possible geometries (point source, sphere, cylinder, hollow sphere) and two possible strategies (non absorbing source, absorbing source) using the following formulae.

Non-absorbing Source

Point source

The point source approximation gives the following dose rate:

$$DSR = \frac{S}{4 D^2} = \frac{\text{MULT} \times 2.5 \times \text{ACT}}{\text{FLUXE} \times 4 \times D^2}$$

where the variables are the same as previously defined and D is the radial distance to the point where the dose rate is desired.

Spherical source

Outside a non-absorbing sphere the dose rate is given by⁸:

$$DSR = \frac{SOU}{(R+D)} \cdot \frac{(2R(R+D)-(D-2RD)\ln(\frac{2R+D}{D}))}{(R+D)^2}$$

where R is the radius of the sphere, D is the distance from the surface of the sphere to the observer.

Cylindrical source

On the axis of a cylinder of radius R and height H, at a distance D from one end, the dose rate is:⁸

$$DSR = \frac{SOU}{4} \left(\frac{((D+H)(\ln(1 + \frac{R^2}{(1+D)^2}) + \frac{2R}{H+D} \arctan(\frac{H+D}{R})))}{(1+D)^2} - D(\ln(1 + \frac{R^2}{D^2}) + \frac{2R}{D} \arctan(\frac{D}{R})) \right)$$

Hollow sphere

At the center of a hollow sphere of inner radius R and thickness D the dose rate is:

$$DSR = SOU \times H$$

• Self-absorbing source

Analytical formulae independent of the nature of the nuclide were developed for computing the constants needed in self-absorption calculations. Therefore, self-absorption for every gamma ray energy, read from the decay library, can be calculated without having to know the emitter nuclide species .

The mass attenuation factor AMU can be computed as a function of the gamma ray energy E in MeV, by using:

$$AMU = 0.0488 E^{-0.4633}$$

Table V-3 shows that this formula is conservative, since it gives a somewhat smaller value than the experimental values found for any nuclide.

The attenuation factor MU in cm^{-1} is then given by:

$$MU = \frac{AMU \times TMASS}{VOLU}$$

where TMASS is the total mass of the target and VOLU its volume, assuming that these values are consistent with the density of the material.

The build-up factor B can be calculated by using a Taylor expansion

$$B = A e^{-\alpha_1 \mu t} + (1-A) e^{-\alpha_2 \mu t}$$

which later will enable an integration of this factor over the geometry.

T A B L E V-3
Mass Attenuation Coefficient (cm²/g)

	Gamma ray Energy (MeV)								
	0.15	0.3	0.5	1.0	1.5	2.0	5.0	10.0	
<u>Analytical function</u>	.1175	.0852	.0673	.0488	.0404	.0354	.0232	.0168	
<u>H</u>	.2650	.2120	.1730	.1260	.1030	.0876	.0510	.0321	
<u>Be</u>	.1190	.0945	.0773	.0565	.0459	.0394	.0234	.0161	
<u>C</u>	.1340	.1060	.0870	.0636	.0518	.0444	.0270	.0194	
<u>Al</u>	.1340	.1030	.0840	.0614	.0500	.0432	.0282	.0229	
<u>Cu</u>	.2060	.1080	.0820	.0585	.0476	.0418	.0216	.0305	
<u>Pb</u>	1.840	.3560	.1450	.0684	.0512	.0457	.0426	.0489	
<u>Concrete</u>	.1390	.1070	.0870	.0635	.0517	.0445	.0287	.0229	

The coefficient A is estimated by using:

$$\begin{aligned} A &= 44.1 - 10.2 \times E && \text{if } E \leq 3 \text{ MeV} \\ A &= 16.2 - 0.9 \times E && \text{if } 3 < E \leq 8 \text{ MeV} \\ A &= 29 - 2.5 \times E && \text{if } 8 < E \leq 10 \text{ MeV} \\ A &\approx 4 && \text{if } E > 10 \text{ MeV} \end{aligned}$$

Table V-4 shows that this formulation is conservative since the calculated A is larger than the experimental values for all the nuclides.

The coefficient α_1 is computed according to the following formula:

$$\begin{aligned} \alpha_1 &= 0.063 \times E - 0.182 && \text{if } E \leq 2 \text{ MeV} \\ \alpha_1 &= -0.02 \times E - 0.015 && \text{if } 2 < E \leq 8 \text{ MeV} \\ \alpha_1 &= -0.0085 \times E - 0.107 && \text{if } E > 8 \text{ MeV} \end{aligned}$$

This expression is conservative, since the calculated values of $-\alpha_1$ are larger than the experiment ones (Table V-5).

The coefficient α_2 is calculated by using:

$$\begin{aligned} \alpha_2 &= -0.032 \times E + 0.048 && \text{if } E \leq 1 \text{ MeV} \\ \alpha_2 &= -0.001 \times E + 0.017 && \text{if } 1 < E \leq 2 \text{ MeV} \\ \alpha_2 &= 0.012 \times E - 0.009 && \text{if } 2 < E \leq 4 \text{ MeV} \\ \alpha_2 &= 0.00125 \times E + 0.034 && \text{if } 4 < E \leq 8 \text{ MeV} \\ \alpha_2 &= 0.012 \times E - 0.052 && \text{if } E > 8 \text{ MeV} \end{aligned}$$

Table V-6 shows that this analytical form can be applied conservatively to a great number of nuclides, since the calculated values are bigger than the experimental values.

TABLE V-4
Parameter A of the Taylor
Expansion of the Build-up
Factor

<u>Analytical function</u>	Gamma Ray Energy (MeV)							
	0.5	1	2	3	4	6	8	10
<u>A1</u>	39.000	33.900	23.700	13.500	12.600	10.800	9.000	4.000
<u>Fe</u>	38.911	28.782	16.981	10.583	7.526	5.713	4.716	3.999
<u>Sn</u>	31.379	24.957	17.622	13.218	9.624	5.867	3.243	1.747
<u>Pb</u>	11.440	11.426	8.783	5.400	3.496	2.005	1.100	0.708
<u>Concrete</u>	1.677	2.984	5.421	5.580	3.897	0.926	0.368	0.311
	38.225	25.507	18.089	13.640	11.460	10.780	8.972	4.015

T A B L E V-5

Parameter - α_1 of the Taylor expansion

of the Build-up factor

	Gamma Ray Energy (MeV)							
	0.5	1	2	3	4	6	8	10
<u>Analytical Function</u>	0.1505	0.1190	0.0560	0.075	0.095	0.1350	0.1750	0.1920
<u>Al</u>	0.1002	0.0682	0.0459	0.0407	0.0397	0.0393	0.0384	0.0390
<u>Fe</u>	0.0684	0.0609	0.0463	0.0443	0.0470	0.0615	0.0750	0.0990
<u>Sn</u>	0.0180	0.0427	0.0535	0.0744	0.0952	0.1373	0.1729	0.1920
<u>Pb</u>	0.0308	0.0350	0.0348	0.0542	0.0847	0.1786	0.2370	0.2402
<u>Concrete</u>	0.1482	0.0723	0.0425	0.0320	0.0260	0.0152	0.0130	0.0288

TABLE V-6

Parameter α_2 of the Taylor expansionof the Build-up Factor

	Gamma Ray Energy (MeV)								
	0.5	1	2	3	4	6	8	10	
<u>Analytical function</u>	0.0320	0.0160	0.0150	0.0270	0.0390	0.0415	0.0440	0.0680	
<u>Al</u>	-0.0631	-0.0297	0.0027	0.0251	0.0386	0.0435	0.0443	0.0413	
<u>Fe</u>	-0.0374	-0.0246	-0.0053	-0.0009	0.0018	-0.0019	0.0212	0.0663	
<u>Sn</u>	0.0319	0.0160	0.0150	0.0208	0.0260	-0.0150	-0.0179	0.0155	
<u>Pb</u>	0.3094	0.1349	0.0438	0.0061	-0.0238	-0.0464	-0.0586	-0.0276	
<u>Concrete</u>	-0.1058	-0.0184	0.0085	0.0202	0.0245	0.0293	0.0298	0.0684	

The next task concerns the geometry and the calculation of the self-absorption over the entire volume of the source.

Spherical source.

The dose rate at a distance D outside a spherical volume source of radius R can be represented by the expression:⁸

$$DSR = \frac{SOU \times B \times R}{\pi} \cdot G(p, MU \times R)$$

where $p = \frac{D + R}{R}$ and the function $G(p, MU \times R)$ can be approximated by the following analytical formula:

$$\begin{aligned} G(p, MU \times R) = & \exp - ((0.342 \times MU \times R + 2.07322) \times \ln p \\ & + \text{Min} (60 \times MU \times R - 0.144, 46.37 \times MU \times R - 0.035, \\ & 28.78 \times MU \times R + 0.3168, 14.55 \times MU \times R - 0.144, 8.17 \\ & \times MU \times R + 1.3966, 4.72 \times MU \times R + 1.742)) \end{aligned}$$

where D and R are in centimeters.

Table V-7 shows the differences between this analytical form and an exact computer calculation of G.

Using the "buildup factor method"⁸, the Taylor expansion of B:

$$B = A e^{-\alpha_1 ut} + (1-A) e^{-\alpha_2 ut}$$

can be combined with G to give:

$$\begin{aligned} DSR = & \frac{SOU \times R}{\pi} (A \times G(p, (1 + \alpha_1) \times MU \times R) + \\ & (1 - A) \times G(p, (1 + \alpha_2) \times MU \times R)) \end{aligned}$$

Cylindrical source.

In the case of the calculation of the dose rate on the axis on the end of a cylinder, such a function as G for the

T A B L E V-7 8
Comparison of G tabulated and
G analytical

		<u>MU x R</u>						
		0.4	0.8	2	4	8	10	15
<u>p=1.25</u>	<u>Analytical</u>	5.719E-1	4.497E-1	2.576E-1	1.446E-1	8.055E-2	6.828E-2	5.371E-2
	<u>Tabulated</u>	6.011E-1	4.732E-1	2.718E-1	1.528E-1	8.526E-2	7.244E-2	5.725E-2
<u>p=1.5</u>	<u>Analytical</u>	3.918E-1	3.080E-1	1.763E-1	9.884E-2	5.492E-2	4.650E-2	3.646E-2
	<u>Tabulated</u>	3.923E-1	3.082e-1	1.763E-1	9.869E-2	5.446E-2	4.598E-2	3.580E-2
<u>p=2.0</u>	<u>Analytical</u>	2.158E-1	1.695E-1	9.689E-2	5.423E-2	3.001E-2	2.536E-2	1.978E-2
	<u>Tabulated</u>	2.094E-1	1.642E-1	9.366E-2	5.255E-2	2.922E-2	2.474E-2	1.930E-2
<u>p=3.0</u>	<u>Analytical</u>	9.306E-2	7.304E-2	4.169E-2	2.327E-2	1.280E-2	1.079E-2	8.358E-3
	<u>Tabulated</u>	9.000E-2	7.045E-2	4.000E-2	2.233E-2	1.230E-2	1.036E-2	7.992E-3
<u>p=5.0</u>	<u>Analytical</u>	3.226E-2	2.529E-2	1.441E-2	8.011E-3	4.377E-3	3.679E-3	2.823E-3
	<u>Tabulated</u>	3.190E-2	2.495E-2	1.414E-2	7.857E-3	4.306E-3	3.625 -3	2.813E-3
<u>p=10.0</u>	<u>Analytical</u>	7.661E-3	5.999E-3	3.407E-3	1.886E-3	1.020E-3	8.540E-4	6.471E-4
	<u>Tabulated</u>	7.924E-3	6.197E-3	3.511E-3	1.947E-3	1.054E-3	8.807E-4	6.695E-4

spherical case, exists.⁸ But since this function depends on four parameters, no simple analytical form could be found.

An approximate solution in the axial direction was obtained by substituting for the cylindrical column source a truncated cone of the same height as the cylinder, H, and the apex of which is at the point where the dose rate is calculated.⁹ The equations for the attenuation of radiation for a source in the form of a truncated cone can then be used. The upper limit of the dose rate will be found for a truncated cone of angle, at the apex

$$\theta = \theta_1 = \arctan \left(\frac{R}{D} \right)$$

(The small base of the cone is then the closest base of the cylinder) and the lower limit dose will be found for

$$\theta = \theta_2 = \arctan \left(\frac{R}{D+H} \right)$$

(The large base of the cone is then the farthest base of the cylinder).

The most conservative attitude would be to use the expression yielding the upper limit of the dose rate. But such an attitude results in a gross overestimate, especially when comparing the dose rate from a sphere and a cylinder geometrically similar. As a result of such considerations, it was decided that a truncated cone should be used, which has an angle at the apex equal to:

$$\theta = \arctan \left(\frac{R}{D+H/3} \right)$$

If the height of the cylinder satisfies the relation:

$$H \leq 3/MU$$

then the dose rate is:⁹

$$\text{DSR} = \frac{B \times \text{SOU}}{2 \times \text{MU}} \left(1 - \cos\theta - E_2(\text{MU} \times H) + \cos\theta \times E_2\left(\frac{\text{MU} \times H}{\cos\theta}\right) \right)$$

where E_2 is the exponential integral function of the second kind and can be approximated by:¹⁰

$$E_2(x) = \exp(-x) \times (1/(x+2) + 1/(x+2))^3$$

Using the Taylor expansion of B in the "build-up factor method"⁹ gives:

$$\begin{aligned} \text{DSR} = & (\text{SOU}/2) \times (A/(1+\alpha_1) \times \text{MU}) \times (1 - \cos\theta - E_2((1+\alpha_1) \times \text{MU} \times H)) \\ & + \cos\theta \times E_2((1+\alpha_1) \times \text{MU} \times H / \cos\theta) + (1-A)/(1+\alpha_2) \times \text{MU} \\ & \times (1 - \cos\theta - E_2((1+\alpha_2) \times \text{MU} \times H) + \cos\theta \times E_2((1+\alpha_2) \times \text{MU} \times H / \cos\theta)) \end{aligned}$$

When the height of the cylinder satisfies the relation:

$$H > 3/\text{MU}$$

the contribution of radiation only from a partial cylinder of height:

$$H' = 3/\text{MU}$$

is taken into account, assuming that only the first three mean-free paths of cylinder material will contribute appreciably to the dose rate which then is:⁹

$$\text{DSR} = \frac{\text{SOU} \times B}{2 \times \text{MU}} (1 - \cos\theta)$$

or using the "buildup factor method":

$$\begin{aligned} \text{DSR} = & \text{SOU} \times (1 - \cos\theta) \\ & \times (A/2 \times \text{MU} \times (1+\alpha_1)) + (1-A)/(2 \times \text{MU} \times (1+\alpha_2))) \end{aligned}$$

Hollow sphere

The dose rate at the center of an absorbing sphere of radius R is:⁹

For an absorbing cavity of inner radius R and thickness H, the dose rate at the center is then:

$$DSR = \frac{B \times SOU}{MU} \left(1 - e^{-MUxH} \right)$$

Using the "buildup factor" method this expression becomes:

$$\begin{aligned} DSR &= SOU \times \left(\frac{A(1 - e^{-MUx(1+\alpha_1)xH})}{(1+\alpha_1) \times MU} \right. \\ &\quad \left. + \frac{(1-A)x(1-e^{-MUx(1+\alpha_2)xH})}{(1+\alpha_2) \times MU} \right) \end{aligned}$$

VI. Conclusion

The first application of ACDOS2 was to the dose-rate produced by the target calorimeter of a TFTR-upgraded neutral-beam injector (see Appendix 2). About 55 mrem/h, one hour after shutdown, were found at 10 cm from the furcace of a calorimeter made of copper, and around 2 mrem/h for a calorimeter made of molybdenum. From the point of view of dose-rates to personnel, molybdenum is thus preferable to copper. Even though ACDOS2 is designed to be specific to the case of injectors, it can also be used for the calculation of the entire test cell as described by Asmiller et al.¹¹

Some improvements are possible in the models used in ACDOS2. In particular, the temperature of the calorimeter should be taken into account in the calculation of the neutron-source strength. Secondly, tabulated functions, that are approximated by analytical functions, could be more accurately defined. Such changes, however, would not drastically improve the code since the actual tabulated data have been computed by analytic approximations to within 5%.

For some applications, hand calculations were performed to verify the accuracy of the results given by ACDOS2. For example, the dose at the center of the injector test cell due to the activation of the concrete walls (Appendix 2) comes almost entirely from one product- ^{28}Al . The hand calculation gave, at the time of shutdown for ^{28}Al , an activity of 1.02×10^{10} Bq to be compared

with 1.21×10^{10} Bq given by the code, and a dose-rate of 4.07 mrem/h by hand to be compared with 4.05 mrem/h by the code. In the case of a thin disk of copper, which is a special case of a cylinder, the dose-rate found by a hand computation also matched the one found by running the code. Additionally, the accuracy of ACDOS2 should be evaluated by running some benchmark problems whose results could be compared with other codes. In the future, dose-rate measurements obtained from the test facility at LBL will allow an experimental verification of ACDOS2 predictions.

Acknowledgments

I am indebted to Robert J. Howerton, of LLNL, who provided the ACTLMFE and LEVDEC libraries, and to Gregory S. Keney, who is the author of the ACDOS1 code.

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Appendix 1

Code description

- Subroutine description
- Subroutine level chart
- Input data description
- Output description
- Tape description
 - General structure
 - ACTLMFE description
 - LEVDEC description

Subroutine description

ACDOS2 is written in a structured form, using one executing program to call up a number of subroutines. Variably dimensioned arrays are used, where possible, to conserve memory. The name and purpose of each subroutine is discussed below.

- 1) INPUT: for entering all variable input data into computer memory. All data is printed out for user confirmation. Error tests are provided to check input data.
- 2) ARRAYIN: for entering all array data. Array data is printed for user confirmation.
- 3) SOURCE: given the current, voltage, beam fraction, and duty factor, calculates the instantaneous and average number of source neutrons produced per second during a test. This subroutine is bypassed if the user wishes to use his own source term.
- 4) GRFLUX: uses the calculated values of the average number of source neutrons produced per second during a test, or the user supplied source term, and calculated the average flux for each group by taking the product of the unity normalized total group flux and source neutron term.
- 5) WTFLUX: determines the constants for the assumed weighting flux functions by applying integral and/or group

boundary constraints to the pertinent equations. Also prints out the integrals of the weighting flux functions over their appropriate energy intervals for user verification.

6) ACTVAT: takes the following parameters and calculates activities according to the equation of section IV.

- number of tests
- time length of the tests
- time length of the pauses
- number of kilograms of a particular nuclide
- specific times after shutdown
- average group fluxes
- flux weighted group cross sections

The result of each activation calculation is printed so the user can determine what reaction is the most significant for a particular target nuclide. Moreover, two running sums are maintained in order to print out the total activity from the activation of a particular target nuclide and the total system activity.

ACTVAT calls the following subroutines.

*AVRAGE: determines an analytical expression for $\sigma(E)$ over a specific ΔE and numerically integrates the product of $\sigma(E)$ and $\phi(E)$, the weighting function, over the group energy interval. It then takes the sum

of the integrated products over the unity normalized total flux for the same group to calculate the flux weighted group cross sections.

*SMOOTH: first determines if the energy associated with the first energy-cross-section pair read from the ACTLMFE library is below the greatest group boundary. If not, the particular reaction is skipped and the next one considered. If so, the routine then merges the group boundary energies into the energy cross-section data read from the ACTLMFE library and linearly interpolates to find the value of the cross section at the group boundary.

*POSITN: positions the file marker in the ACTLMFE library.

*POSIT2: Same as POSITN

7) DOSRTE: using the previously calculated total activities, computes dose rates as a function of geometry and time after shutdown. The result of each dose-rate calculation is printed and two running sums of dose rate values are printed, one for a particular target nuclide and one for the system as a whole.

Since the CDC compilers do not permit the BACKSPACE command with formated tapes, the interrogation of the decay library performed in DOSRTE is somewhat complicated. In order to cope with the case of the same product nuclide created from two or

more different target nuclides, and with the search for radioactive daughters, alternative solutions to the use of BACKSPACE had to be found. The first case is handled by putting the product nuclides in increasing order and by checking, during the interrogation of the library, to see if the same product appears twice or more. For the search for radioactive daughters, the tape containing the library is rewound and the interrogation starts again from the top. Possible radioactive daughters are detected by checking the previously stored information on the parents. No grand-daughter's search is done. DOSRTE calls the following subroutines:

*CURVE: given the energy E of the gamma ray, calculates the effective particle flux that yields a unit absorbed dose in soft tissue, FLUXE.

*ADVAN: for positioning the file marker in the LEVDEC library

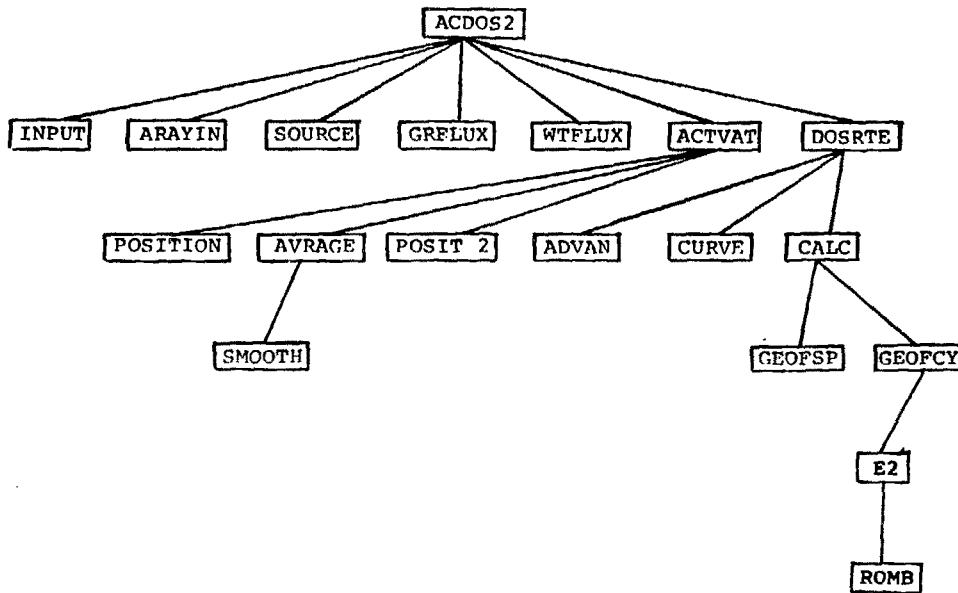
*CALC: calculated dose rates using one of the four geometries, given: FLUXE, activity in Bq, multiplicity of the gamma ray or annihilation quantum, and proper dimensions.

CALC can call the following subroutines:

-GEOFSP: calculates the geometrical correction in the case of an absorbing sphere.

-GEOFCY: calculates the geometrical correction in the case of an absorbing cylinder by calling the subroutine E2 which estimates the exponential integral function of the second species using subroutine ROMB.

Subroutine level chart



Input data description

card #	variable description	columns	format
1	OPTION: -if 0.000 ACDCS2 will calculate the average number of neutrons -any other value will be used as the average number of neutrons	1 to 14	E14.7
2	A current in ampere (only if OPTION=0.000)	1 to 10	E10.3
	V voltage in kilovolts (only if OPTION=0.000)	13 to 22	E10.3
	F fraction of the beam which is monoatomic (only if OPTION=0.000)	25 to 34	E10.3
	DF duty factor (only if OPTION=0.000)	37 to 46	E10.3
	T1 time length of test in hours	49 to 58 (if OPTION=0) 1 to 10 (if OPTION#0)	E10.3
	T2 time length of pauses in hours	61 to 70 (if OPTION=0) 13 to 22 (if OPTION#0)	E10.3
	N number of tests	72 to 75 (if OPTION=0) 25 to 27 (if OPTION#0)	I 3
3	NoEGPS number of energy groups (up to 50)	1 to 2	I2
4	NoPAS number of points after shutdown (up to 12)	1 to 2	I2
5	R radius of the sphere or of the cylinder or inner radius of the cavity (in m)	1 to 10	E10.3
	D distance from point source or surface of the sphere or the cylinder. Zero for inside a cavity (in m)	13 to 22	E10.3

	H height of the cylinder or thickness of the cavity (in m)	25 to 34	E10.3
	<u>I</u> GEM 1 for point source 2 for outside a sphere 3 for a cylinder on the axis 4 for at the center of a cavity	37	I1
	<u>I</u> SAB 0 for non absorbing source 1 for absorbing source	38	I1
6	<u>N</u> ONUCL number of target nuclides (up to 30)	1 to 2	I2
7	<u>N</u> F number of fast neutron groups	1 to 2	I2
8 6 9 <u>i</u> f needed	STAFS (I) (I from 1 to NOEPAS) Times after shutdowns in hours (6 per card).	1 to 72	NOEPAS x (E10.3, 2x)
<u>A</u> bove to as needed (NONUCL cards: one per target nuclide)	ZNAM 1(I) first part of the name of the Ith nuclide	1 to 10	A10
	ZNAM2(I) second part of the name of the Ith nuclide	11 to 20	A10
	IDNO(I) ID number (1000Z+A) of the Ith nuclide	22 to 26	I5
	MASS(I) number of kilograms of the Ith nuclide	27 to 36	E10.3
<u>A</u> bove to as needed	GP(I) (I from 1 to NOEGPS + L) group boundaries in MeV in ascending order	1 to 72	(NOEGPS+1) x(E10.3, 2x)
<u>O</u> ne Above	<u>I</u> FLUX: option on the fluxes 0 fluxes read from input data deck 1 fluxes read from tape 8	1 to 2	I2
	IWALL option on the place of the activation 0 activation of an object inside the test cell. 1 activation of the wall	4 to 5	I2
	KWALL (only if IWALL=1) inverse of the relaxation length of the wall material in cm ⁻¹ .	6 to 15	E10.3

<u>Above to as needed</u>	BFLUX (I) (only if IFLUX=0) (I from 1 to NOEGPS). Unity normalized group fluxes in $\text{cm}^{-2} \text{s}^{-1}$.	1 to 72	NOEGPS x (E10.3, 2X)
-------------------------------	---	---------	-------------------------

Output description

Prior to the execution of activation calculations, all input informations are printed out for user verification or recheck in case of abortion of the code. The following heading is used:

"THE FOLLOWING DATA HAVE BEEN ENTERED INTO MEMORY".

The results are then printed out under the following heading:

"THE FOLLOWING HAS BEEN CALCULATED BY ACDOS2".

The instantaneous and average number of neutrons produced per second are printed out. The integrals of the weighting flux functions over their appropriate energy intervals are printed out for user verification.

Calculated activities are printed out for each target nuclide under the two different headings:

TIME (H) - -

TARGET PRODUCT ACT (T1) ... ACT (T12)

- - - -

and:

TIME (H) - -

TARGET ACT (T1) ACT (T12)

- - - -

Calculated dose-rates are printed out in the same way including daughters. The first heading is:

TIME (H)

TARGET PRODUCT DSR (T1) DSR (T12)

- - - -

- - - -

PRODUCT DAUGHTER DSR (T1) DSR (T12)

The second heading giving the dose due to each target nucl: ie
is:

TIME (H) - -

TARGET DSR (T1) DSR (T12)

The final heading announces the total dose:

TIME (H) - -

SYSTEM DSR(T1) DSR (T12)

- -

Tape description

General structure

ACDOS2 was put on a nine-track magnetic tape comprising two files:

1. /NAME/~~ACDOS2~~/ LIBS , XXXXX. containing the ACTLMFE and the condensed LEVDEC libraries.

2. /NAME/ACDOS2/SOURCE, XXXXX. containing the source listing (see Appendix 3)

- NAME is the name of the owner of the tape (optional when reading)
- XXXXX is the registration number of the tape

ACTLMFE description

The ACTMLFE library contains 20,177 lines. The format of the file is:

<u>Record</u>	<u>Column</u>	<u>Variable</u>	<u>Format</u>
1	1-6	ZA (1000Z+A)	I6
	7-13	IGNORE	7X
	14-24	TARGET MASS (amu)	E11.4
	25-35	IGNORE	11X
	36-46	LEVEL OF TARGET (MeV)	E11.4
	47	IGNORE	1X
	48-58	TARGET HALF-LIFE (s)	E11.4
2	1 -2	REACTION ID NUMBER	I2
	3-8	IGNORE	6X

9-20	Q VALUE (MeV)	E12.4	
21-32	ZA OF PRODUCT	I6	
33-44	LEVEL OF PRODUCT (MeV)	E12.4	
45-56	PRODUCT HALF-LIFE (s)	E12.4	
3 1-3	NUMBER OF ENERGY-CROSS-SECTION PAIRS (NP)	I3	
3 1-66 et seq	EN(K), CS(K) (K=1,NP)	6(E11.4	
After the last line of EN, CS pairs	72	REACTION SEPARATOR SENTINEL	71X, I1

The above pattern is repeated for each reaction. The last reaction is for ^{240}V (n, γ).

LEVDEC Description

LEVDEC is a decay-mode library based on the more detailed library ENSL. The format for each set is:

<u>record</u>	<u>column</u>	<u>variable</u>	<u>format</u>
first of each set	1-6	AZ (1000Z+A)	I6
	7-17	LEVEL	E11.4
	18-21	PARITY	F4.1
	22-26	SPIN	F .1
	27-37	HALF-LIFE (s)	E11.4
	38-41	NUMBER of DECAY MODE TO FOLLOW (NMODE)	I3
2nd and seq. records to NMODE	1-38	IGNORE	38X
	39-40	MODE OF DECAY	I2

41-47	ZA of DAUGHTER	I7
48-58	LEVEL of DAUGHTER	E11.4
59-69	PROBABILITY OF DECAY TO THAT LEVEL	E12.4

Twelve modes of decay are possible for each nuclide:

<u>Decay identifier</u>	<u>Mode of decay</u>
1	neutron
2	proton
3	deuteron
4	triton
5	He^3
6	α
7	γ
8	β^+
9	β^-
10	EC
18	unresolved EC + β^+
99	No decay-stable ground state

A shortened version of LEVDEC was obtained by deleting the stable nuclides (half-life bigger than 10^{50} s) and the nuclides with a very short half-life (smaller than 1 second) which are not taken into account in ACDOS2. For example, for hydrogen, LEVDEC gives:

1001 0.	1.0	.5	1.000E+SI 1 99	0.0	0
1002 0.	1.0	.0	1.000E+51 1 99	00	0
1003 0.	1.0	.5	.388E+09 1 9 20030	.1E+01	

when the new version gives only:

1003	0.	1.0	.5	.388E+09	1	9	2003	0.	.1E+01
------	----	-----	----	----------	---	---	------	----	--------

Such a procedure allows for condensing LEVDEC from three files to one, which reduces the running time of ACDOS2.

Appendix 2
Sample Problems

1. Calorimeter of a TFTR-upgraded neutral beam injector: copper vs molybdenum.
2. TFTR neutral beam injector shielding walls.

Calorimeter of a TFTR-upgraded neutral beam injector

Copper

Assuming a spherical geometry the calorimeter is made of 372 kg of copper. From the "chart of nuclides", 9th edition, 1966:

<u>Isotope</u>	<u>Atomic %</u>	<u>Weight%</u>	<u>Mass (kg)</u>
Cu ⁶³	69.1	68.45	117.36
Cu ⁶⁵	30.9	31.55	254.64

Since the density of copper is 8.96 g/cm³ the volume of the sphere is:

$$\text{VOLU} = \frac{372000}{8.96} = 4.15 \times 10^5 \text{ cm}^3$$

and its radius

$$R = (3 \times \text{VOLU} / 4 \times \pi)^{1/3} = 21.48 \text{ cm}$$

The observer is standing at a distance D= 10 cm from the sphere. The fluxes, read from a tape, were provided by a Monte-Carlo calculation (MORSE) involving a neutral beam injector surrounded by thick concrete walls (Table IV-1).

The following parameters are used:

A	current (A)	65
V	voltage (kV)	170
F	beam fraction	0.5
DF	duty factor	0.1
T1	length of test (h)	8
T2	length of test (h)	16
N	number of test	7

NOEGPS	number of energy groups	20
NOPAS	number of points after shutdown	12
IGEOM	geometry designator	2
ISAB	strategy designator	1
NONUCL	number of nuclides	2
NF	number of fast groups	2
IFLUX	option on fluxes	1
IWALL	option on walls	0

Table A shows the input .data deck and table B the output listing.

Molybdenum

Assuming the same conditions as for the copper case, the only parameters to be changed concern the sphere. Using 554 kg of molybdenum from the "chart of nuclides" 9th edition, 1966, we have:

<u>Isotope</u>	<u>Atomic %</u>	<u>Weight %</u>	<u>Mass (kg)</u>
Mo ⁹²	14.8	14.24	78.91
Mo ⁹⁴	9.1	8.93	49.45
Mo ⁹⁵	15.9	15.75	87.24
Mo ⁹⁵	16.7	16.75	92.80
Mo ⁹⁷	9.5	9.63	53.34
Mo ⁹⁸	24.4	24.67	136.69
Mo ¹⁰⁰	9.6	10.03	55.57

Since the density of Molybdenum is 10.2 g/cm³, the volume of the sphere is:

T A B L E A
Input Data Deck for Copper

0.000000E+00
.650E+02 .170E+03 .100E+01 .010E+01 .200F+01 .160E+02 7
20
12
.215E+00 .100F+00 .000E+00 21
2
2
0.300E+1 0.100E+1 0.200E+1 0.300E+1 0.400F+1 0.500E+1
0.600E+1 0.700E+1 0.800E+1 0.900E+1 1.000E+1 2.000E+1
COPPER-E5 290E5 1.1735E+02
COPPER-E3 290E3 2.5465E+02
1.000E-11 4.140E-07 1.125E-06 3.059E-06 1.0E-08E-05 2.902E-05
1.013E-04 5.829E-04 1.234E-03 3.355E-03 1.033E-02 2.198E-02
2.479E-02 5.248E-02 1.111E-01 1.576E-01 5.562E-01 1.108E+00
1.827E+00 2.317E+00 2.385E+00
1 0

TABLE B

Output Listing for Copper

THE FOLLOWING DATA HAVE BEEN ENTERED INTO MEMORY

AMPERES	KILO-VOLTS	BEAMFRACTION	DUTYFACTOR	T1	T2	N
.650E+02	.170E+03	.100E+01	.100E+00	.100E+01	.160E+02	7

NUMBER OF ENERGY GROUPS-NHEGPs 20

NUMBER OF TARGET NUCLIDES-NENUCL 2

NUMBER OF POINTS AFTER SHUTDOWN-NCPAS 12

ISAR=1

IGSON=2

YOU ARE USING AN ABSORBING SOURCE

THIS SOURCE IS A SPHERE

ITS RADIUS IS R=.215E+00 METERS

THE OBSERVER IS STANDING AT A DISTANCE OF .100E+00 METERS FROM THE SURFACE OF THIS SPHERE

NUMBER OF GROUPS BEUN=NPRES=NG 21

NUMBER OF FAST NEUTRON GROUPS-NF 2

SPECIFIC TIMES AFTER SHUTDOWN-THI

TIME 1	0.
TIME 2	.100E+01
TIME 3	.200E+01
TIME 4	.300E+01
TIME 5	.400E+01
TIME 6	.500E+01
TIME 7	.600E+01
TIME 8	.700E+01
TIME 9	.800E+01
TIME 10	.900E+01
TIME 11	.100E+02
TIME 12	.200E+02

OPTION ON THE FLUXES-TFLUX=1

THE FLUXES WILL BE READ FROM TAPE R

OPTION ON THE PART OF THE RIOM WHERE ACTIVATION,
TAPES PLACED-INFILE=0

ACTIVATION OF AN OBJECT PLACED INSIDE THE RIOM

UNIT NORMALIZED FLUXES INSIDE THE RIOM

GROUP 1	.750E-05
GROUP 2	.1177E-04
GROUP 3	.1777E-07
GROUP 4	.1C59E-06

GROUP 5	+1378E+06
GROUP 6	+2442E-07
GROUP 7	+1590E-07
GROUP 8	+2960E-07
GROUP 9	+7621E-07
GROUP 10	+2557E-07
GROUP 11	+4570E-07
GROUP 12	+4611E-07
GROUP 13	+3543E-07
GROUP 14	+7734E-07
GROUP 15	+8644E-07
GROUP 16	+2311E-07
GROUP 17	+3551E-07
GROUP 18	+2455E-07
GROUP 19	+2671E-07
GROUP 20	+8777E-06

GROUP BOUNDARIES (ELEM)

BOUNDARY 1	+2385E+01
BOUNDARY 2	+1377E+01
BOUNDARY 3	+1777E+01
BOUNDARY 4	+1104E+01
BOUNDARY 5	+4521E+00
BOUNDARY 6	+1576E+00
BOUNDARY 7	+1111E+00
BOUNDARY 8	+5248E-01
BOUNDARY 9	+7414E-01
BOUNDARY 10	+2189E-01
BOUNDARY 11	+1047E-01
BOUNDARY 12	+5441E-02
BOUNDARY 13	+1234E-03
BOUNDARY 14	+4979E-03
BOUNDARY 15	+1611E-03
BOUNDARY 16	+9527E-06
BOUNDARY 17	+1649E-06
BOUNDARY 18	+1344E-06
BOUNDARY 19	+1325E-06
BOUNDARY 20	+6140E-06
BOUNDARY 21	+1011E-10

NAME	ID-NUMBER	MATERIALS
COPPER-E7	29017	4777E-02
COPPER-E9	29027	4117E-02

BLODS IS NOW READY TO RUN

THE FOLLOWING HAS BEEN CALCULATED BY ACROSS

INSTANTANEOUS NUMBER OF NEUTRONS PRODUCED PER SECOND .7645E+19
AVERAGE NUMBER OF NEUTRONS PRODUCED PER SECOND .7645E+22

INTEGRALS OF THE FITTING FUNCTION OVER THE GROUP INTERVALS

20	-100E-04	-414E+00	-8.79E-04	-5.29E-06
19	+515E+00	-3.17E+01	-3.29E-01	-1.0E-07
18	-1.11E+01	-3.00E+01	-2.45E-01	-3.44E-07
17	-2.27E+01	-1.07E+02	-7.17E-02	-1.95E-07
16	-4.05E+02	-2.95E+02	-3.11E-02	-1.01E-07
15	-7.50E+02	-1.01E+03	-4.49E-03	-4.64E-07
14	-1.11E+03	-5.87E+02	-7.73E-03	-7.72E-07
13	-5.59E+03	-1.22E+04	-2.64E-07	-1.15E-07
12	-1.21E+04	-2.36E+04	-4.02E-07	-4.02E-07
11	-1.67E+04	-1.02E+05	-6.47E-07	-4.51E-01
10	-1.33E+05	-2.15E+05	-1.35E-07	-1.52E-07
9	-1.11E+05	-2.48E+05	-7.62E-07	-7.47E-07
8	-7.49E+05	-5.25E+05	-1.96E-07	-3.06E-07
7	-2.52E+05	-1.11E+06	-1.47E-07	-4.79E-07
6	-1.11E+06	-1.59E+06	-4.28E-07	-2.94E-07
5	-1.54E+06	-5.50E+06	-4.13E-06	-1.38E-06
4	-5.53E+06	-1.11E+07	-1.04E-06	-1.06E-06
3	-1.11E+07	-1.82E+07	-8.22E-07	-8.33E-07
2	-1.95E+07	-2.31E+07	-4.32E-06	-1.34E-06
1	-3.11E+07	-2.39E+07	-2.70E-05	-7.90E-05

-7-

THE FOLLOWING OUTPUT DATA ARE CALCULATED AS INDIVIDUALS IN P2

```

TIME[ns]    0      +100E+01 +200E+01 +300E+01 +400E+01 +500E+01 +600E+01 +700E+01 +800E+01 +900E+01 +100E+02 +200E+02
T9511     ACT1111 ACT1111
28245     151E110 -135E110 -115E110 -100E110 -89E110 -79E110 -69E110 -59E110 -49E110 -39E110 -29E110 -19E110 -9E110

```

```

TENCINE .0 .100E+01 .200E+01 .300E+01 .400E+01 .500E+01 .600E+01 .700E+01 .800E+01 .900E+01 .100E+02 .200E+02
SYSTEM ACT(111) ACT(112) ACT(113) ACT(114) ACT(115) ACT(116) ACT(117) ACT(118) ACT(119) ACT(110) ACT(1110) ACT(1111)
      .57E+00 .404E+00 .23E+00 .363E+00 .344E+00 .326E+00 .30E+00 .292E+00 .277E+00 .262E+00 .248E+00 .153E+00

```

THE FOLLOWING OUTPUT DATA ARE CALCULATED ACCE RATES IN PRECENTS

۱۴۳

$$\text{VOLU} = 554000 / 10.2 = 5.43 \times 10^5 \text{ cm}^3$$

and its radius

$$R = (3 \times \text{VOLU} / 4 \times \pi)^{1/3} = 23.49 \text{ cm}$$

The only parameters changed compared with the previous calculation are:

NONUCL number of nuclides 7

R radius of the sphere 23.49 cm

and of course the target nuclides ID and mass.

Table C lists the input data deck and Table D shows the output listing.

Discussion of results

Thermal-neutron activation was found in both cases to produce the dominant dose rates. In the case of the copper beam dump, the activation of ^{63}Cu to ^{64}Cu (12.7 h), which undergoes a β^+ decay producing two 0.511 MeV γ rays, constitutes the main dose. In the case of the molybdenum beam dump, after an hour to allow the ^{101}Mo (14.6 mn) and its daughter ^{101}Tc to decay, ^{99}Mo (66.7 h) as a product of ^{98}Mo , becomes the principal dose-rate producer. However, the dose rate from the Mo dump is only about 5% of that from the Cu dump for the first 10 hours, even though the former is 30% larger volumetrically.

T A B L E C
Input Data Deck for Molibdenum

0.000000E+00						
20	.650E+02	.170E+03	.100E+01	.010E+01	.80E+01	.1160E+02
12	.235E+00	.100E+00	.000E+00	21		
7						
2						
	0.000E+1	0.100E+1	0.200E+1	0.300E+1	0.400E+1	0.500E+1
	0.600E+1	0.700E+1	0.800E+1	0.900E+1	1.000E+1	2.000E+1
	MOLYBONUM-97	42097	53.340E+00			
	MOLYBONUM-95	42095	87.240E+00			
	MOLYBONUM-92	42092	78.900E+00			
	MOLYBONUM-94	42094	49.450E+00			
	MOLYBONUM-98	42098	13.669E+01			
	MOLYBONUM-96	42096	92.600E+00			
	MOLYBONUM-100	42100	55.570E+00			
1.000E-11	4.140E-07	1.125E-06	3.059E-06	1.068E-05	2.902E-05	
1.013E-04	5.823E-04	1.234E-03	3.355E-03	1.033E-02	2.168E-02	
2.679E-02	5.248E-02	1.111E-01	1.576E-01	5.542E-01	1.103E+00	
1.827E+00	2.307E+00	2.385E+00				
1	0					

TABLE D

Output listing for Molybdenum

THE FOLLOWING DATA HAVE BEEN ENTERED INTO MEMORY

AMPERES	KILOC-VOLTS	BEAMFACTUS	DEFVFACTUS	T1	T2	N
.2E50E+02	.170E+03	.100E+01	.100E+00	.810E+01	.150E+02	7

NUMBER OF ENERGY GROUPS-NFGPS 20

NUMBER OF TARGET NUCLEIUS-NCNUCL 7

NUMBER OF POINTS AFTER SHUTDOWN-NPAS 17

ISAD=1

IGEDM=2

YOU ARE USING AN ABSORBING SOURCE

THIS SOURCE IS A SPHERE

IT'S RADIUS IS R=.733E00 METERS

THE OBSERVER IS STANDING AT A DISTANCE D=.100E+00 METERS FROM THE SURFACE OF THIS SPHERE

NUMBER OF GROUP BOUNDARIES-NG 21

NUMBER OF FAST NEUTRON GROUPS-NF 2

SPECIFIC TIMES AFTER SHUTDOWN-THS

TIME	T
1	0.
2	.1ECE+01
3	.2ECE+01
4	.3ECE+01
5	.4ECE+01
6	.5ECE+01
7	.6ECE+01
8	.7ECE+01
9	.8ECE+01
10	.9ECE+01
11	.1ECE+02
12	.2ECE+02

PRECISION OF THE RESULTS-RELUX=1

THE RELUX WILL BE REPEATED UNTIL E

SPECIFY THE PART OF THE SPHERE AFTER CORRECTING

INPUT PLATE-FEWLY=0

ALTERNATIVE INPUT OR OBJECT PLATE-FEWLY=1

UNIT NORMALIZED FLUXES INSIDE THE SPHERE

GROUP	I
1	.750E-05
2	.120E-06
3	.110E-07
4	.100E-08

GROUP 5	.1378E-06
GROUP 6	.7942E-07
GROUP 7	.4795E-07
GROUP 8	.39E0F-07
GROUP 9	.747C1E-07
GROUP 10	.1117E-07
GROUP 11	.4570E-07
GROUP 12	.44C1E-07
GROUP 13	.3043E-07
GROUP 14	.7774E-07
GROUP 15	.44E4E-07
GROUP 16	.3C11E-07
GROUP 17	.4959E-07
GROUP 18	.7456E-07
GROUP 19	.7076E-07
GROUP 20	.6278E-06

GROUP BOUNDARIES (MEV)

BOUNDARY 1	.2348E+01
BOUNDARY 2	.2327E+01
BOUNDARY 3	.1827E+01
BOUNDARY 4	.1108E+01
BOUNDARY 5	.5502E+00
BOUNDARY 6	.1576E+00
BOUNDARY 7	.1111E+00
BOUNDARY 8	.2464E+01
BOUNDARY 9	.2472E+01
BOUNDARY 10	.2139E+01
BOUNDARY 11	.1023E+01
BOUNDARY 12	.3356E+03
BOUNDARY 13	.1234E+02
BOUNDARY 14	.5829E+03
BOUNDARY 15	.1C12E+03
BOUNDARY 16	.35C5E+04
BOUNDARY 17	.1C68E+04
BOUNDARY 18	.3C17E+05
BOUNDARY 19	.1125E+05
BOUNDARY 20	.5143E+06
BOUNDARY 21	.1000E+10

NAME	ID-NUMBER	MATERIAL
47111000000-52	42092	.7H1E+02
47111000000-94	42094	.675E+02
47111000000-95	42095	.977E+02
47111000000-97	42097	.977E+02
47111000000-98	42098	.1217E+02
47111000000-100	42100	.571E+02

ACOSS IS NOW READY TO RUN

AVERAGE NUMBER OF NEUTRONS PRODUCED PER SECOND .7465E+12

INTERVALS OF THE FITTING FUNCTION OVER THE GROUP INTERVALS
 GROUP LOWER BOUNDARY UPPER BOUNDARY REQUIRED INTEGRAL CALCULATED INTEGRAL

20	-1.079E-04	.414E+00	.879E-06	.829E-07
19	-4.41E+00	.113E+01	.705E-07	.308E-07
18	-1.11E+01	.306E+01	.246E-07	.136E-07
17	-3.37E+01	.107E+02	.755E-09	.795E-07
16	-1.07E+02	.270E+02	.301E-07	.301E-07
15	-3.29E+02	.101E+03	.449E-07	.446E-07
14	-1.1C1E+03	.593E+02	.727E-07	.733E-07
13	-5.81E+03	.123E+04	.204E-07	.204E-07
12	-1.22E+04	.326E+04	.422E-07	.422E-07
11	-2.36E+04	.107E+05	.471E-07	.457E-07
10	-1.01E+05	.210E+05	.375E-07	.352E-07
9	-2.11E+05	.24RE+05	.762E-07	.742E-07
8	-4.68E+07	.527E+07	.248E-07	.248E-07
7	-5.77E+05	.111E+06	.479E-07	.479E-07
6	-1.11E+06	.175E+06	.246E-07	.246E-07
5	-1.55E+06	.505E+05	.178E-07	.178E-06
4	-5.50E+05	.111E+07	.105E-06	.105E-06
3	-1.11E+07	.147E+07	.633E-07	.633E-07
2	-1.64E+07	.231E+07	.138E-06	.138E-06
1	-2.55E+07	.320E+07	.705E-06	.705E-06

THE FOLLOWING ELIGIBLE DATA ARE CALCULATED ACTIVITIES IN 80%

TIME (s)	0	1.0E+01	2.0E+01	3.0E+01	4.0E+01	5.0E+01	6.0E+01	7.0E+01	8.0E+01	9.0E+01	1.00E+02	1.05E+02
TARGET POSITION	ACTUATOR 1	ACTUATOR 2	ACTUATOR 3	ACTUATOR 4	ACTUATOR 5	ACTUATOR 6	ACTUATOR 7	ACTUATOR 8	ACTUATOR 9	ACTUATOR 10	ACTUATOR 11	ACTUATOR 12
40298	42057	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
40298	43056	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
40298	41398	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
40298	40055	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
40298	51292	-1.04E+09	-1.04E+09	-1.02E+09	-1.01E+09	-1.00E+09	-991E+08	-981E+08	-971E+08	-961E+08	-951E+08	-957E+08

```

TIME(SEC) .0 ,100F+01 ,200F+01 ,300F+01 ,400F+01 ,500F+01 ,600F+01 ,700F+01 ,800F+01 ,900F+01 ,100F+02 ,200F+02
TARGET ACT11111 ACT11112 ACT11131 ACT11141 ACT11151 4C11161 ACT11171 ACT11181 ACT11191 ACT111101 ACT111111 ACT111121
42100 1100F+05 ,333F+07 ,777F+08 ,1234F+09 ,1777F+09 ,2411F+09 ,3456F+09 ,4211F+09 ,5468F+09 ,6895F+09 ,1E11F+09

```

THE FOLLOWING CHARGE FACTS ARE CALCULATED FROM RATES IN PERTINENT

PRODUCT: D811101 D811102 D811103 D811104 D811105 D811106 D811107 D811108 D811109 D811110 D811111 D811112

```

TIME(HR) .0 .100E+01 .200E+01 .300E+01 .400E+01 .500E+01 .600E+01 .700E+01 .800E+01 .900E+01 .100E+02 .200E+01
TARGET PRODUCT DSPIET01 DSPIET11 DSPIET131 DSPIET132 DSPIET141 DSPIET142 DSPIET151 DSPIET171 DSPIET174 DSPIET191 DSPIET101 DSPIET111 DSPIET112
42228 4000E-05 .0 .0 .0 .0 .0 .0 .0 .0 .0 .0 .0 .0

```

```

TIMEIND  +0    +100E+01    +200E+01    +300E+01    +400E+01    +500E+01    +600E+01    +700E+01    +800E+01    +900E+01    +1000E+02    +2000E+02
SYSTEM*  DS9111121 DS9111211 DS91112111 DS911121111 DS9111211111 DS91112111111 DS911121111111 DS9111211111111 DS91112111111111 DS911121111111111 DS9111211111111111 DS91112111111111111

```

TFFTR neutral beam injector shielding walls

Assuming the test cell a spherical cavity, the inner radius can be determined by conserving the interior surface of the paralleipedic real cell ($6.2 \times 7.4 \times 20.2$ meters).

$$A = \text{inside surface}$$

$$\begin{aligned} &= 2 \times 7.4 \times 20.2 + 20.2 \times 6.8 + 6.8 \times 7.4 \\ &= 674.32 \text{ m}^2 \end{aligned}$$

hence we have:

$$R = (A / (4 \times \pi))^{\frac{1}{2}} = 7.325 \text{ m}$$

The thickness used is the same as the one of the real cell:

$$H = 0.30 \text{ m}$$

Assuming a concrete density of 2.6 g/cm^3 the total mass is

$$\text{TMASS} = 2.6 \times \text{VOLU}$$

$$\text{where VOLU} = \frac{4}{3} \cdot \pi \cdot ((R+H)^3 - R^3) = 2.11 \times 10^8 \text{ m}^3$$

then TMASS = 547 753 kg

distributed over the different elements as listed in Table E.

This time, the space-independent group-fluxes inside the test cell are inputed from the input data deck. The average group-fluxes in the walls are computed by setting: IWALL = 1 with KWALL=0.1111 since for concrete ≈ 9 cm. The input data deck is shown in Table F. Table G is the output listing. The dose is almost entirely due to the 1.78 MeV gamma rays emitted by ^{28}Al , a product of ^{27}Al . Since the half-life of this product is short (134 s), after one hour, the dose-rate due to the activation of the walls is

T A B L E E

Concrete Composition

ELEMENT	% IN CONCRETE	ISOTOPES	ATOMIC %	WEIGHT %	MASS (kg)
H	16.3	¹ H ² H	99.985 0.015	99.97 0.03	89257.22 26.78
O	54.5	¹⁶ O ¹⁷ O ¹⁸ O	99.759 0.037 0.204	99.73 0.04 0.23	297723.64 116.44 684.92
Al	2.1	²⁷ Al	100.	100.	11503.00
Si	23.9	²⁸ Si ²⁹ Si ³⁰ Si	92.27 4.68 3.05	91.92 4.82 3.26	120344.50 6307.01 4261.49
Ca	3.2	⁴⁰ Ca ⁴² Ca ⁴³ Ca ⁴⁴ Ca ⁴⁸ Ca	97.13 0.64 0.15 2.06 0.02	96.89 0.67 0.16 2.26 0.02	16981.50 117.50 28.20 396.20 4.20

T A B L E F
Input Data Deck for Concrete

0.000000E+00							
.650E+02	.170E+03	.100E+01	.010E+01	.800E+01	.160E+02		7
20							
12							
7.325E+00	6.000E+00	0.300E+00	41				
14							
2							
0.000E+1	0.100E+1	0.200E+1	0.300E+1	0.400E+1	0.500E+1		
0.600E+1	0.700E+1	0.800E+1	0.900E+1	1.000E+1	2.000E+1		
HYDROGEN-1	1001	89.257E+03					
HYDROGEN-2	1002	26.780E+00					
OXYGEN-16	8016	29.772E+04					
OXYGEN-17	8017	11.644E+01					
OXYGEN-18	8018	68.492E+01					
ALUMINUM-27	13027	11.503E+03					
SILICON-28	14028	12.034E+04					
SILICON-29	14029	63.070E+02					
SILICON-30	14030	42.615E+02					
CALCIUM-40	20040	16.982E+03					
CALCIUM-42	20042	11.750E+01					
CALCIUM-43	20043	28.200E+00					
CALCIUM-44	20044	39.620E+01					
CALCIUM-48	20048	4.200E+00					
1.000E-11	4.140E-07	1.125E-06	3.059E-06	1.068E-05	2.902E-05		
1.013E-04	5.829E-04	1.234E-03	3.355E-03	1.033E-02	2.188E-02		
2.479E-02	5.248E-02	1.111E-01	1.576E-01	5.502E-01	1.10EE+00		
1.827E+00	2.307E+00	2.385E+00					
0 1 1.111E-01							
8.288E-7	3.076E-8	3.456E-8	3.951E-8	3.011E-8	4.684E-8		
7.234E-8	3.043E-8	4.021E-8	4.570E-8	3.522E-8	7.420E-9		
3.060E-8	4.790E-8	2.842E-8	1.378E-7	1.058E-7	8.333E-8		
1.382E-7	7.901E-6						

TABLE G

Output Listing for Concrete

THE FOLLOWING DATA HAVE BEEN ENTERED INTO MEMORY

AMPERES	KILO-VOLTS	BREAKDOWN	DUTYFACT	T1	T2	N
.650E+02	.170E+11	.120E+01	.100E+00	.400E+01	.160E+02	7

NUMBER OF ENERGY GROUPS-NEGONS 20

NUMBER OF TARGET NUCLIDES-NNUCL 14

NUMBER OF POINTS AFTER SHUTDOWN-NPSS 12

15AB+1

1GECM+4

YOU ARE USING AN ABSORBING SOURCE

THIS SOURCE IS SPHERICAL CAVITY
 ITS RADIUS IS R=.733E01 METERS
 ITS WIDTH IS W=.300E+00 METERS
 THE OBSERVER IS AT THE CENTER OF THE CAVITY

NUMBER OF GROUPS REINFORCED-NG 21

NUMBER OF FAST NEUTRON GROUPS-NF 7

SPECIFIC TIMES AFTER SHUTDOWN (HS)

TIME	Cs
TIME 1	.100E+01
TIME 2	.200E+01
TIME 3	.300E+01
TIME 4	.400E+01
TIME 5	.500E+01
TIME 6	.500E+01
TIME 7	.500E+01
TIME 8	.700E+01
TIME 9	.900E+01
TIME 10	.500E+01
TIME 11	.500E+01
TIME 12	.700E+01

OPTION ON THE FLUXES-FLXFLY=0
 THE FLUXES WILL BE READ FROM THE INPUT

OPTION ON THE PART OF THE ROCK AFTER ACTIVATION,
 TAKS PLACE-FLXFLY=1
 ACTIVATION OF THE WALLS OF THE ROCK

AVERAGE UNIT APPRAZIALIZED FLUXES IN THE WALLS FLXWALL= .111E+001

GROUP	FLUX
GROUP 1	.2144E-05
GROUP 2	.2144E-07
GROUP 3	.777E-07

GROUP 4	.7866E-07
GROUP 5	.3737E-07
GROUP 6	.7659E-08
GROUP 7	.1250E-07
GROUP 8	.1644E-07
GROUP 9	.201CE-08
GROUP 10	.4552E-08
GROUP 11	.1277E-07
GROUP 12	.10PFE-07
GROUP 13	.F244E-08
GROUP 14	.1940E-07
GROUP 15	.1269E-07
GROUP 16	.F177E-C8
GROUP 17	.1C7DF-C7
GROUP 18	.52C3E-06
GROUP 19	.5373E-08
GROUP 20	.22743E-06

GROUP BOUNDARIES (MEV)

BOUNDARY 1	.2285E+01
BOUNDARY 2	.21C7E+01
BOUNDARY 3	.1677E-03
BOUNDARY 4	.11CPE+01
BOUNDARY 5	.5501E+00
BOUNDARY 6	.1516E+00
BOUNDARY 7	.1111E+00
BOUNDARY 8	.1249E-01
BOUNDARY 9	.2A24E-01
BOUNDARY 10	.21PFF-01
BOUNDARY 11	.1C17E-01
BOUNDARY 12	.2344E-02
BOUNDARY 13	.1274E-02
BOUNDARY 14	.5829E-03
BOUNDARY 15	.1943E-12
BOUNDARY 16	.25C2E-C4
BOUNDARY 17	.1C4EE-04
BOUNDARY 18	.3C57E-05
BOUNDARY 19	.1125E-06
BOUNDARY 20	.61ACE-06
BOUNDARY 21	.1FCCF-10

NAME	ID-NUMBER	MASS(FB)
HYDROGEN-1	1001	.9975E-05
HELIUM-3E-2	1002	.1798E-11
DEUTIUM-1D	0014	.2095E-01
TRITIUM-1T	0015	.1116E-01
DHYDRO-1H	PC18	.4674E-01
ALUMINUM-27	11027	.1114E-02
SILICON-28	14028	.1176E-02
LITHIUM-26	14019	.1177E-04
SILICON-29	14030	.4788E-05
UBER-40	20040	.1724E-01
CALCIUM-40	20042	.1117E-01
CALCIUM-42	20043	.2077E-02
CALCIUM-44	20044	.3378E-01
CALCIUM-48	20048	.4579E-01

ACROS IS NOW READY TO FUP

20+3002 20+3001 10+3006 10+3007 10+3008 10+3009 10+3010 10+3011 10+3012 10+3013 10+3014 0 0 0

2013 גולן גולדמן, אורטנשטיין, צדוק ורדרבך | מילון עברי-ערבי

INSTITUTEANDEUS NUMBER 46-11010CIS PENDING 1918 SECTION 1
REGULAR NUMBER 46-11010CIS PENDING 1918 SECTION 1
76456712

.....
35-102-48-92-13-102-112-53-18-52-2-115-119-1-304

ATTENTION-LARGE SOURCE NUMBER 8217 DOES NOT EXIST IN DATA LIBRARY--THE PEEPS ARE-NE KONTIRATION FROM THIS NUCLIDE IN CCSE CALS.

ATTENTION-TARGET NUCLIDE NUMBER 801P DOES NOT EXIST IN DATA LIBRARY-THEREFORE-NO CONTRIBUTION FROM THIS NUCLIDE IN THESE CALS.

16

TARGET	PRODUCT	ACT1T11	ACT1T12	ACT1T13	ACT1T14	ACT1T15	ACT1T16	ACT1T17	ACT1T18	ACT1T19	ACT1T20	ACT1T21	ACT1T22
14019	13039	0	0	0	0	0	0	0	0	0	0	0	0
14029	12076	0	0	0	0	0	0	0	0	0	0	0	0
14029	14030	0	0	0	0	0	0	0	0	0	0	0	0
TIME1(H)	-0	+100E+01	+200E+01	+200E+01	+400E+01	+500E+01	+600E+01	+700E+01	+800E+01	+900E+01	+100E+02	+200E+02	
TARGET	ACT1T11	ACT1T12	ACT1T13	ACT1T14	ACT1T15	ACT1T16	ACT1T17	ACT1T18	ACT1T19	ACT1T20	ACT1T21	ACT1T22	
14029	0	0	0	0	0	0	0	0	0	0	0	0	0

TARGET	PRODUCT	ACT1T11	ACT1T12	ACT1T13	ACT1T14	ACT1T15	ACT1T16	ACT1T17	ACT1T18	ACT1T19	ACT1T20	ACT1T21	ACT1T22
14019	14029	0	0	0	0	0	0	0	0	0	0	0	0
14029	14029	0	0	0	0	0	0	0	0	0	0	0	0
14029	13039	0	0	0	0	0	0	0	0	0	0	0	0
14029	12076	0	0	0	0	0	0	0	0	0	0	0	0
14029	13030	0	0	0	0	0	0	0	0	0	0	0	0
14029	12027	0	0	0	0	0	0	0	0	0	0	0	0
14029	14031	+165E+1C	+129E+10	+193E+09	+780E+09	+583E+09	+444E+09	+344E+09	+264E+09	+202E+09	+155E+09	+119E+09	+847E+07
TIME1(H)	-0	+100E+01	+200E+01	+200E+01	+400E+01	+500E+01	+600E+01	+700E+01	+800E+01	+900E+01	+100E+02	+200E+02	
TARGET	ACT1T11	ACT1T12	ACT1T13	ACT1T14	ACT1T15	ACT1T16	ACT1T17	ACT1T18	ACT1T19	ACT1T20	ACT1T21	ACT1T22	
14029	+165E+1C	+129E+10	+193E+09	+780E+09	+583E+09	+444E+09	+344E+09	+264E+09	+202E+09	+155E+09	+119E+09	+847E+07	

TARGET	PRODUCT	ACT1T11	ACT1T12	ACT1T13	ACT1T14	ACT1T15	ACT1T16	ACT1T17	ACT1T18	ACT1T19	ACT1T20	ACT1T21	ACT1T22
14019	20235	0	0	0	0	0	0	0	0	0	0	0	0
20043	17035	0	0	0	0	0	0	0	0	0	0	0	0
20043	18035	0	0	0	0	0	0	0	0	0	0	0	0
20043	19035	0	0	0	0	0	0	0	0	0	0	0	0
20043	17040	+113E+00											
20043	18039	0	0	0	0	0	0	0	0	0	0	0	0
20043	19037	+783E+05	+791E+05	+791E+05	+789E+05	+789E+05	+788E+05	+788E+05	+787E+05	+786E+05	+786E+05	+786E+05	+779E+05
20043	20041	+113E+04	+120E+04										
TIME1(H)	-0	+100E+01	+200E+01	+200E+01	+400E+01	+500E+01	+600E+01	+700E+01	+800E+01	+900E+01	+100E+02	+200E+02	
TARGET	ACT1T11	ACT1T12	ACT1T13	ACT1T14	ACT1T15	ACT1T16	ACT1T17	ACT1T18	ACT1T19	ACT1T20	ACT1T21	ACT1T22	
20040	+792E+05	+781E+05	+791E+05	+790E+05	+789E+05	+789E+05	+788E+05	+788E+05	+787E+05	+786E+05	+786E+05	+786E+05	+779E+05

TARGET	PRODUCT	ACT1T11	ACT1T12	ACT1T13	ACT1T14	ACT1T15	ACT1T16	ACT1T17	ACT1T18	ACT1T19	ACT1T20	ACT1T21	ACT1T22
20042	20041	0	0	0	0	0	0	0	0	0	0	0	0
20042	19041	0	0	0	0	0	0	0	0	0	0	0	0
20042	18041	0	0	0	0	0	0	0	0	0	0	0	0
20042	17042	0	0	0	0	0	0	0	0	0	0	0	0
20042	19036	0	0	0	0	0	0	0	0	0	0	0	0
20042	17042	0	0	0	0	0	0	0	0	0	0	0	0
20042	18036	0	0	0	0	0	0	0	0	0	0	0	0
20042	20041	0	0	0	0	0	0	0	0	0	0	0	0
TIME1(H)	-0	+100E+01	+200E+01	+200E+01	+400E+01	+500E+01	+600E+01	+700E+01	+800E+01	+900E+01	+100E+02	+200E+02	
TARGET	ACT1T11	ACT1T12	ACT1T13	ACT1T14	ACT1T15	ACT1T16	ACT1T17	ACT1T18	ACT1T19	ACT1T20	ACT1T21	ACT1T22	
20042	0	0	0	0	0	0	0	0	0	0	0	0	0

TIME1(H)	-0	+100E+01	+200E+01	+200E+01	+400E+01	+500E+01 <th>+600E+01</th> <th>+700E+01</th> <th>+800E+01</th> <th>+900E+01</th> <th>+100E+02</th> <th>+200E+02</th>	+600E+01	+700E+01	+800E+01	+900E+01	+100E+02	+200E+02
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TARGET	PRODUCT	ACT11111	ACT11121	ACT11131	ACT11141	ACT11151	ACT11161	ACT11171	ACT11181	ACT11191	ACT111101	ACT111111	ACT1111121
20043	20042	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20043	30029	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20043	10043	-122E+06	119E+06	115E+06	112E+06	104E+06	105E+06	102E+06	98E+05	95E+05	92E+05	89E+05	159E+05
20043	17041	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20043	19040	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20043	20044	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
	TIME[1]	.0	100E+01	100E+01	100E+01	100E+01	500E+01	500E+01	700E+01	900E+01	900E+01	100E+02	200E+02
TARGET	ACT11111	ACT11121	ACT11131	ACT11141	ACT11151	ACT11161	ACT11171	ACT11181	ACT11191	ACT111101	ACT111111	ACT1111121	
	20042	-122E+06	119E+06	115E+06	112E+06	104E+06	105E+06	102E+06	98E+05	95E+05	92E+05	89E+05	159E+05

TARGET	PRODUCT	ACT11111	ACT11121	ACT11131	ACT11141	ACT11151	ACT11161	ACT11171	ACT11181	ACT11191	ACT111101	ACT111111	ACT1111121
20044	20043	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20044	17041	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20044	18043	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20044	20045	2.69E+07	2.69E+07	2.69E+07	2.69E+07								
	TIME[1]	.0	100E+01	100E+01	100E+01	100E+01	500E+01	500E+01	700E+01	900E+01	900E+01	100E+02	200E+02
TARGET	ACT11111	ACT11121	ACT11131	ACT11141	ACT11151	ACT11161	ACT11171	ACT11181	ACT11191	ACT111101	ACT111111	ACT1111121	
	20044	2.69E+07	2.69E+07	2.69E+07	2.69E+07								

TARGET	PRODUCT	ACT11111	ACT11121	ACT11131	ACT11141	ACT11151	ACT11161	ACT11171	ACT11181	ACT11191	ACT111101	ACT111111	ACT1111121
20048	22047	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20048	19048	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20048	20049	1.74E+07	1.59E+05	1.59E+03	5.12E+01	4.60E-01	4.04E-03	3.74E-05	2.21E-07	2.25E-09	2.25E-11	2.24E-13	1.67E-15
	TIME[1]	.0	100E+01	100E+01	100E+01	100E+01	500E+01	500E+01	700E+01	900E+01	900E+01	100E+02	200E+02
TARGET	ACT11111	ACT11121	ACT11131	ACT11141	ACT11151	ACT11161	ACT11171	ACT11181	ACT11191	ACT111101	ACT111111	ACT1111121	
	20048	1.74E+07	1.59E+05	1.59E+03	5.12E+01	4.60E-01	4.04E-03	3.74E-05	2.21E-07	2.25E-09	2.25E-11	2.24E-13	1.67E-15

SYSTEM*	ACT11111	ACT11121	ACT11131	ACT11141	ACT11151	ACT11161	ACT11171	ACT11181	ACT11191	ACT111101	ACT111111	ACT1111121
	1.45E+11	1.37E+10	1.37E+10	1.37E+10								

THE FOLLOWING OUTPUT DATA ARE CALCULATED BASE RATES IN KPNU/H

TARGET	PRODUCT	CSR11111	CSR11121	CSR11131	CSR11141	CSR11151	CSR11161	CSR11171	CSR11181	CSR11191	CSR111101	CSR111111	CSR1111121
1021	1022	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
PRODUCT	DAUGHTER	CSR11111	CSR11121	CSR11131	CSR11141	CSR11151	CSR11161	CSR11171	CSR11181	CSR11191	CSR111101	CSR111111	CSR1111121

20044	18041	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20044	19041	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20044	19040	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20044	20043	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20044	20045	.154E-03	.154E-07	.153E-07	.153E-07	.141E-07	.157E-07	.152E-07	.143E-07	.149E-07	.153E-07	.152E-07
PRODUCT	DAJG1E10	DSP1T111	DSP1T121	DSP1T131	DSP1T141	DSP1T151	DSP1T161	DSP1T171	DSP1T181	DSP1T191	DSP1T101	CSP1T121
20045	21045	.C	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
TIME1H1	.0	.10CE+01	.220E+01	.320E+01	.420E+01	.500E+01	.580E+01	.660E+01	.740E+01	.820E+01	.900E+01	.100E+02
TARGET		DSP1T111	DSP1T121	DSP1T131	DSP1T141	DSP1T151	DSP1T161	DSP1T171	DSP1T181	DSP1T191	DSP1T101	DSR1T111
20044		.154E-02	.154E-07	.153E-07	.143E-07	.153E-07	.157E-07	.153E-07	.143E-07	.149E-07	.153E-07	.152E-07
TIME1H1	.0	.10DE+01	.220E+01	.320E+01	.420E+01	.500E+01	.580E+01	.660E+01	.740E+01	.820E+01	.900E+01	.100E+02
TARGET	PRODUCT	DAJG1E10	DSP1T121	DSP1T131	DSP1T141	DSP1T151	DSP1T161	DSP1T171	DSP1T181	DSP1T191	DSP1T101	DSP1T111
20048	19048	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20048	20047	.C	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
20048	20045	.329E-02	.292E-04	.259E-06	.220E-04	.204E-10	.181E-12	.160E-14	.142E-16	.126E-18	.112E-20	.959E-22
PRODUCT	DAJG1E10	DSP1T111	DSP1T121	DSP1T131	DSP1T141	DSP1T151	DSP1T161	DSP1T171	DSP1T181	DSP1T191	DSP1T101	ESP1T111
20049	21049	.151E-05	.726E-06	.350E-06	.169E-06	.144E-07	.393E-07	.913E-07	.214E-07	.440E-08	.102E-08	.102E-08
TIME1H1	.0	.10CE+01	.220E+01	.320E+01	.420E+01	.500E+01	.580E+01	.660E+01	.740E+01	.820E+01	.900E+01	.100E+02
TARGET		DSR1T111	DSP1T121	DSP1T131	DSP1T141	DSP1T151	DSP1T161	DSP1T171	DSP1T181	DSP1T191	DSP1T101	DSR1T111
20040		.229E-01	.269E-04	.439E-06	.172E-04	.814E-07	.397E-07	.149E-07	.913E-08	.440E-08	.212E-08	.102E-08
TIME1H1	.0	.10CE+01	.220E+01	.320E+01	.420E+01	.500E+01	.580E+01	.660E+01	.740E+01	.820E+01	.900E+01	.100E+02
SYSTEM	DSR1T111	DSP1T121	DSP1T131	DSP1T141	DSP1T151	DSP1T161	DSP1T171	DSP1T181	DSP1T191	DSP1T101	DSR1T111	CSP1T121
	.455E+01	.332E+01	.272E+01	.221E+01	.177E+01	.142E+01	.114E+01	.957E+01	.797E+01	.612E+01	.575E+00	.422E+00

insignificant. In fact a more accurate calculation should take into account heavy elements which, even in small quantities in concrete, could significantly increase the dose.

PROGRAM ACDCS1 INPUT, OUTPUT, TAPE5=INPUT, TAPE6=OUTPUT, TAPE7=OUTPUT, TAPE8=OUTPUT

ACDOS2
A NEUTRON-INDUCED DOSE RATE CALCULATION CODE
WRITTEN BY G S KENEY AND J-C LAGACHE
AT THE UNIVERSITY OF CALIFORNIA BERKELEY

C ACDCS2 IS A STANDARD FORTRAN 4 CODE DEVELOPED FOR CALCULATING DOSE
C RATES FROM NEUTRON ACTIVATION OF NEUTRAL-BEAM INJECTORS. SUFFICIENT
C VERSATILITY HAS ALSO BEEN INCORPORATED INTO THE CODE TO MAKE IT
C APPLICABLE TO A WIDE VARIETY OF GENERAL ACTIVATION PROBLEMS DUE TO
C NEUTRONS OF ENERGY LESS THAN 20 MEV. FOR FURTHER INFORMATION
C CONCERNING THIS PROGRAM, SEE LBL REPORT NO.12711 BY J-C LAGACHE.

C VARIABLES AND ARRAYS ARE DEFINED AS BELOW

A	CURRENT IN AMPERES
ACT	ACTIVITY DUE TO ACTIVATION OF A PARTICULAR TARGET NUCLEIDE BY A SPECIFIC NEUTRON REACTION
ANU	MASS ATTENUATION COEFFICIENT
AVENPS	AVERAGE NUMBER OF NEUTRONS PRODUCED PER SECOND
BFA	COEFFICIENT A OF THE TAYLOR EXPANSION OF THE BUILD-UP FACTOR
BALPH1	COEFFICIENT ALPHA 1 OF THE TAYLOR EXPANSION OF THE BUILD-UP FACTOR
BALPH2	COEFFICIENT ALPHA 2 OF THE TAYLOR EXPANSION OF THE BUILD-UP FACTOR
EFLUX (I)	UNIT NORMALIZED FLUX
CF	NEUTRON YIELD CORRECTION FACTOR FOR VOLTAGES DIFFERENT FROM 150 KV
CONST (I)	CONSTANTS FOR WEIGHTING FUNCTIONS
CS (I)	CROSS SECTION VALUE
CS1 (I)	CROSS SECTION VALUE
E	DISTANCE FROM POINT SOURCE OR SURFACE OF SPHERE OR CYLINDER
EF	DIFF'Y-FACTOR
GIFF	DIFFERENCE BETWEEN THE LATEST REFINED GUESS AND THE PREVIOUS GUESS
GOSRAT	CALCULATED DOSE RATE
GOSCAL (I)	DOSE DUE TO A DAUGHTER AT SHLDOWN
GOSCTG (I)	DOSE DUE TO THE DAUGHTERS
GOSNUC (I)	DOSE DUE TO A GIVEN PRODUCT WITH ITS DAUGHTERS

C DOSPRO(I) DOSE DUE TO A PRODUCT AT SHUTDOWN
C DOSFAC(I) DOSE DUE TO A GIVEN PRODUCT ALONE
C DOSSUM(I) DOSE RATE DUE TO A PARTICULAR TARGET NUCLIDE
C FOR UP TO 12 DIFFERENT TIMES
C DPVAR VALUE OF DEPENDENT VARIABLE IN NUMERICAL
C INTEGRATIONS
C E ENERGY OF GAMMA RAY
C EN(I) ENERGY VALUE ASSOCIATED WITH A CROSS SECTION
C E1(I) ENERGY VALUE ASSOCIATED WITH A CROSS SECTION
C F BEAM FRACTION
C FCOST(I) EXPONENTIAL CONSTANTS FOR FAST NEUTRON GROUPS
C FF SHAPE FACTOR FOR THE FLUXES IN THE WALL
C FLUXBC WEIGHTING FLUX AT A GROUP BOUNDARY
C FPRIME EVALUATED VALUE OF THE DERIVATIVE OF THE
C TRANSCENDENTAL EQUATION FOR B
C FXSUBI EVALUATED VALUE OF THE TRANSCENDENTAL EQUATION
C FOR B
C GFC ABSORBING CYLINDER
C GFS GEOMETRIC CORRECTION IN THE CASE OF AN
C ABSORBING SPHERE
C GP GROUP BOUNDARIES
C GPFLUX(I) FEN GROUP FLUXES-UP TO 50
C GPXSEC(I) FEW GROUP CROSS SECTIONS-UP TO 50
C GUESS I INITIAL GUESS FOR SOLVING TRANSCENDENTAL
C EQUATIONS
C H HEIGHT OF CYLINDER (M)
C ICOUNT NEUTRON GROUP COUNTER
C ICPI ICOUNT+1
C ICPE ICOUNT+2
C IONC(I) 5 DIGIT ID NUMBER OF TARGET NUCLIDE
C IDLM3 DUMMY VARIABLE FOR ADVANCING DISK FILE RECORDS
C IEPTM COUNTER FOR INTERMEDIATE NEUTRON GROUPS
C IFLLX EPITCH ON THE WAY TO INPUT THE FLUXES
C IGEOM DESIGNATES PROBLEM GEOMETRY
C INSAPS INSTANTANEOUS NUMBER OF NEUTRONS PRODUCED PER
C SECONE
C IORDER(I) HOLDING ARRAY FOR PRODUCT NUCLIDE ID NUMBERS
C IPRCD PRODUCT NUCLIDE COUNTER
C ISAB OPTIMON ON THE ABSORPTION STRATEGY
C ITAPE READ VARIABLE FOR DISK FILE DATA
C ITER ITERATION COUNTER
C IWALL OPTION ON THE PLACE OF THE ACTIVATION
C INVERSE OF THE RELAXATION LENGTH OF THE WALL
C MATERIAL
C MASS(I) NUMBER OF KILOGRAMS OF A PARTICULAR NUCLIDE
C MU ATTENUATION COEFFICIENT
C MULT MULTIPLICITY OF GAMMA RAY
C N NUMBER OF TESTS
C NEPTH NUMBER OF INTERMEDIATE NEUTRON GROUPS
C NE1(I) NUMBER OF E1-E1 PAIRS
C NF NUMBER OF FAST NEUTRON GROUPS
C NG NUMBER OF GROUP BOUNDARIES-UP TO 51
C NDEGPS NUMBER OF ENERGY GROUPS-UP TO 50
C NUCL NUMBER OF TARGET NUCLIDES-UP TO 30 PER RUN
C NOPAS NUMBER OF POINTS AFTER SHUTDOWN-UP TO 12
C NOTOLE(I) HOLDING ARRAY FOR PRODUCT NUCLIDE NUMBERS THAT
C HAVE NOT BEEN RE-ARRANGED IN ASCENDING ORDER
C NP NUMBER OF ENERGY-CROSS-SECTION PAIRS
C OPTION VARIABLE THAT DETERMINES WHETHER OR NOT AVERAGES
C WILL BE CALCULATED BY ACOS OR FEAD FROM A
C DATA CARD AS PRE-DETERMINED INPUT

PARSUP	PARTIAL SLP IN NUMERICAL INTEGRATIONS
PRODHL(I,J)	PRODUCT NUCLIDE HALF-LIFE (S)
PRODNU(I,J)	5 DIGIT ID NUMBER OF PRODUCT NUCLIDE
R	RADIUS OF HOMOGENEOUS NON-ABSORBING SPHERE OR CYLINDER (M)
REALDUM	REAL DUMMY VARIABLE FOR ADVANCING DISK FILE RECORDS
SOU	DOSE RATE SOURCE STRENGTH DIVIDED BY THE UNIT DOSE RATE FLUX
STAFS(I)	SPECIFIC TIMES AFTER SHUTDOWN (H)
STDPHL(I,J)	HOLDING ARRAY FOR PRODUCT NUCLIDE ID NUMBERS
STOTAC(I,J)	HOLDING ARRAY FOR PRODUCT NUCLIDE ACTIVITIES
SUHACT(I)	SUM OF ACTIVITIES PRODUCED FFCP A PARTICULAR TARGET NUCLIDE FOR UP TO 12 DIFFERENT TIMES
SUM1	EXPONENTIAL EFFECT OF TESTS AND PAUSES ON THE SHUTDOWN TIME ACTIVITY OF A SPECIFIC PRODUCT NUCLIDE
SUMDEL	RUNNING SUM OF AVERAGE CROSS SECTIONS
SUHINT	RESULT OF NUMERICAL INTEGRATIONS
SYFACT(I)	SYSTEM ACTIVITY FOR UP TO 12 DIFFERENT TIMES
SYSDOSE(I)	SYSTEM DOSE RATE FOR UP TO 12 DIFFERENT TIMES
TARMAS	ATOMIC WEIGHT OF TARGET NUCLIDE (AMU)
TEMPS	TEMPORARY STORAGE FOR DO LOOP SUMS
TIMACT(I,J,K)	INDUCED ACTIVITY AS A FUNCTION OF TARGET NUCLIDE, REACTION, AND TIME
THASS	TOTAL NUMBER OF KILOGRAMS OF THE TARGET
T1	LENGTH OF TEST (H)
T2	LENGTH OF PAUSE (H)
V	VOLTAGE (KV)
VOLU	VOLUME OF THE SOURCE
WIDTH	DELTA E USED IN NUMERICAL INTEGRATIONS
XSBIP1	LATEST REFINED GUESS FOR B
XSUB1	INDEPENDENT VARIABLE OF THE TRANSCENDENTAL EQUATION FOR B
ZINCR	INCREMENT IN ENERGY USED IN NUMERICAL INTEGRATIONS
ZNAME	VARIABLE FOR NUCLIDE NAMES
ZNUMBER	NUMBERATOR IN THE TRANSCENDENTAL EQUATION FOR B

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DIMENSION TIMACT(30,12,12),SYSACT(12),SUMACT(12),SYSDOS(12),FPCDMH
+ (30,13),PRODNU(30,13),DCSSUM(12),ZNAP1(30),STAFS(12),BFLUX(50),IDN
+ 0(30),GPXSEC(150),MASS(30),GPFLUX(50),GPI(50),ZNAP2(30)
DIMENSION CONST(50),FCONST(50)
DIMENSION DOSNUC(10),DOSEGTR(13),DOSPRO(13)
COMMON A,V,F,DF,T1,T2,N,K,O,P,OPTION,IGEDM,ISAB
REAL INSNFS,MASS
CALL INPUT(DNUCL,NDEGFS,NOFAS,NG,NF)
CALL ARAYIN(BFLUX,XNAME,ICNO,MASS,STAFS,GP,NDEGFS,NCNUCL,NOFAS,NG,
+ TMASS,ZNAP2)
IF IDFTION.EQ.0.DECODED) GC TC 1
AVENTS=OPTION
WRITE(6,20)
20 FORMAT(1H1,4HTHE FOLLOWING DATA HAVE BEEN ENTERED INTO MEMORY./,
+ 49H *****,/1)
GC TC 2
1 CALL SCURCE (AVEAPS)
2 CALL GRFLUX (AVEAPS,NOGFS,GPFLUX,BFLUX)
CALL WTFLUX (BFLUX,GP,CONST,FCONST,NDEGFS,NF,NG)
CALL ACTIVAT (TACT,SYSACT,SPLACT,GPFLUX,PF00NU,FRCDL,GPXSEC,ICNC,

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•MASS,STAFS,GP,CCNST,FCONST,BFLUX,+NONUCL,NOEGPS,+OFAS,NG,NF)
CALL DOSRTE IT IMACT,PFDNU,+NONUCL,+NOPAS,DOSDOSM,SYSDDOS,TOND,STAFS,PR
+ODML,DOSLUC,THMASS,DOSDGT,DOSPRO)
STOP
END

```

111111111.111111111.111111111.111111111.111111111.111111111.111111111.111111111.

SUBROUTINE INPUT (NCNUCL, NUEGPS, NDOPAS, NG, NF)

C

E THIS PROGRAM IS USED FOR ENTERING "VARIABLE" DATA INTO MEMORY

E

C ARGUMENTS IN=NONE

C ARGUMENTS OUT=NCNUCL,NUEGPS,NDOPAS,NG,NF

C

COMMON A,V,F,DF,T1,T2,N,R,D,H,OPTIONN,IGEOM,ISAB

READ(5,61) OPTION

61 FORMAT(E14.7)

IF(OPTION.NE.0.0000000E+00) GO TO 62

READ(5,1) A,V,F,DF,T1,T2,N

1 FORMAT(1E10.3,2X),I3)

3 READ(5,2) NUEGPS

2 FORMAT(I2)

READ(5,2) NDOPAS

5 READ(5,1) IGEOM,ISAB

PFORMAT(1E10.3,2X),I2,I3)

READ(5,2) NCNUCL

READ(5,2) NF

60 IF(0.19

62 READ(5,63) T1,T2,N

63 FCRMAT(2(E10.3,2X),I3)

GO TO 3

64 WRITE(6,20)

20 FFORMAT(1H1 // THE FOLLOWING DATA HAVE BEEN ENTERED INTO MEMORY./.

*49M *****

WRITE(6,21)

21 FFORMAT(3H0,85HAMPERES KILO-VOLTS BEAMFRACTION DUTYFA

*C TOR T1 T2 N)

IF(OPTION.EQ.0.00000001) WRITE(6,13) A,V,F,DF,T1,T2,N

13 FFORMAT(1H0,E8.3,LX,E0.3,8,E8.3,1X,E8.3,LX,E8.3,3X,E8.3,3X,I3,///

*)

IF(OPTION.NE.0.00000001) WRITE(6,65) T1,T2,N *****

65 FFORMAT(3H0,55H***** ***** ***** *****

***,6K,2(E8.3,3X),I3,///)

WRITE(6,622) NUEGPS

22 FFORMAT(1H ,39HNNUCLEAR ENERGY GROUPS-NUEGPS ,I2,/)

WRITE(6,75) NCNUCL

75 FFORMAT(1H ,39HNNUMBER OF TARGET NUCLIDES-NCNUCL ,I2,/)

WRITE(6,23) NDOPAS

23 FFORMAT(1H ,39HNNUMBER OF POINTS AFTER SHUTDOWN-NDOPAS ,I2,/)

WRITE(6,89) ISAB,IGEOM

89 FFORMAT(IX,5M1SAB=,I1,/,7H IGEOM=,I1,/,)

IF(ISAB.EQ.0) WRITE(6,83)

83 FFORMAT(1X,36HYOU ARE USING A NON-ABSORBING SOURCE./)

IFI(SAB.EQ.1) WRITE(6,84)

84 FFORMAT(1X,33HYOU ARE USING AN ABSORBING SOURCE./)

IFI(IGEOM.EQ.1) WRITE(6,85)

85 FFORMAT(1X,25HTHE SOURCE IS A POINT-SOURCE./,42H THE OBSERVER IS STANDING AT A DISTANCE D=.E10.3,23M METERS FROM THE SOURCE./)

IFI(IGEOM.EQ.2) WRITE(6,86) R,D

86 FFORMAT(1X,23HTHE SOURCE IS A SPHERE./,17H ITS RADIUS IS R=.E10.3,

.7M METERS./,42H THE OBSERVER IS STANDING AT A DISTANCE D=.E10.3,39

.9M METERS FROM THE SURFACE OF THIS SPHERE./)

IFI(IGEOM.EQ.3) WRITE(6,87) R,K,D

87 FFORMAT(1X,25HTHE SOURCE IS A CYLINDER./,17H ITS RADIUS IS R=.E10.

.3,TH METERS./,17H ITS HEIGHT IS H=.E10.3,7M METERS./,65H THE CENTER FACES THE AXIS AT A DISTANCE D=.E10.3,74 METERS./)

```
IF(IGEOM.EQ.4)WRITE(6,99)R,M
90 FORMAT(1X,3SM'THIS SOURCE IS A SPHERICAL CAVITY.,,17H ITS RADIUS IS
+ R0.E10.3,7H METERS.,,16H ITS WIDTH IS W0.E10.3,7H METERS.,,44H TH
+E OBSERVER IS AT THE CENTER OF THE CAVITY.,/
*NCHEGAPS1
  WRITE(6,72) NC
72 FORMAT(1M ,39HNUMBER OF GROUPS BOUNDARIES-NG           +T2,/1
  WRITE(6,73) NF
73 FORMAT(1M ,39HNUMBER OF FAST NEUTRON GROUPS-NF           +T2,/1
  IF(IDPTDN.NE.0.00000001) WRITE(6,66) OPTION
66 FORMAT(1M ,46HAVERAGE NUMBER OF NEUTRONS PRODUCED PER SECOND.4X,E1
+     /)
  IF(OPTION.NE.0.00000E+00)GO TO 64
  IF(A.E.0.0) GO TO 36
  IF(V.LT.1E-6.0)OR(V.GT.300.0) GC TO 37
  IF(F.E.0.0)OR(F.GT.2.0) GC TO 38
  IF(S.PLE.0.0)OR(S.GT.1.0) GC TO 39
64 IF(T1.E.0.0) GO TO 40
  IF(T2.LT.0.0) GO TO 41
  DO 42 K=1,999
  IF(IN.EQ.1) GO TO 430
42 CONTINUE
  DO 44 TC 44
430 DO 45 K=1,50
  IF(NCHEGAPS.EQ.1) GO TO 460
45 CONTINUE
  DO 46 TC 9
460 DO 47 K=1,32
  IF(NCPAS.EQ.1) GO TO 480
47 CONTINUE
  DO 48 TC 1C
480 IF(IGEDN.EQ.1)GO TO 80
  IF(IGEDN.EQ.2)GO TO 82
  IF(IGEDN.EQ.3)GO TO 83
  IF(IGEDN.EQ.4)GO TO 80
  DO 49 TC 67
49 IF(ISAB.EQ.0)GO TO 7C
  IF(ISAB.EQ.1)GO TO 70
  GC TC 81
70 IF(RALT.E.0.0)OR(DLT.E.0.0) GC TO 49
  IF(WLT.E.0.0) GO TO 77
  IF(RBNDYC.E.0.0) GO TO 510
50 CONTINUE
  DO 51 TC 11
  9 WRITE(6,12)
12 FORMAT(1M ,11BMPRCGPAM "ACDOS" ABORTED-NUMBER OF ENERGY GROUPS MUST
+ BE INTEGER AND LESS THAN OR EQUAL TO 90-RECHECK THIS DATA)
  STOP
10 WRITE(6,14)
14 FORMAT(1M ,11BMPRCGPAM "ACDOS" ABORTED-NUMBER OF POINTS AFTER SHUT
+ DOWN MUST BE INTEGER AND LESS THAN OR EQUAL TO 12-RECHECK THIS DAT
+A)
  STOP
11 WRITE(6,17)
17 FORMAT(1M ,9EMPROGRAM "ACDOS" ABORTED-NUMBER OF NUCLIDES IN SYSTEM
+ MUST BE INTEGER AND LESS THAN OR EQUAL TO 301
  STOP
36 WRITE(6,52)
52 FORMAT(1M ,23HPROGRAM "ACDOS" ABORTED-CURRENT MUST BE GREATER THAN
+ 0 AMPERES-RECHECK THIS DATA)
  STOP
```

```
37 WRITE(6,53)
53 FORMAT(1M ,89HPROGRAM "ACDOS" ABORTED-VOLTAGE MUST BE BETWEEN 38 A
+ND 300 KV INCLUSIVE-RECHECK THIS DATA)
      STOP
38 WRITE(6,54)
54 FORMAT(1M ,107HPROGRAM "ACDOS" ABORTED-BEAMFRACTION MUST BE GREATER
+OR THAN 0 AND LESS THAN OR EQUAL TO 1.0-RECHECK THIS DATA)
      STOP
39 WRITE(6,55)
55 FORMAT(1M ,107HPROGRAM "ACDOS" ABORTED-DUTYFACTOR MUST BE GREATER
+THAN 0.0 AND LESS THAN OR EQUAL TO 1.0-RECHECK THIS DATA)
      STOP
40 WRITE(6,56)
56 FORMAT(1M ,78HPROGRAM "ACDOS" ABORTED-PULSE LENGTH MUST BE GREATER
+THAN 0.0-RECHECK THIS DATA)
      STOP
41 WRITE(6,57)
57 FORMAT(1M ,78HPROGRAM "ACDOS" ABORTED-PAUSE LENGTH MUST BE GREATER
+THAN 0.0 EQUAL TO 0.0-RECHECK THIS DATA)
      STOP
44 WRITE(6,58)
58 FORMAT(1M ,184HPROGRAM "ACDOS" ABORTED-NUMBER OF PULSES MUST BE IN
+TEGER AND LESS THAN OR EQUAL TO 999-RECHECK THIS DATA)
      STOP
49 WRITE(6,60)
60 FORMAT(1M ,124HPROGRAM "ACDOS" ABORTED-R MUST BE GREATER THAN OR
+EQUAL TO 0.0 AND D GREATER THAN 0.0-RECHECK THIS DATA)
      STOP
77 WRITE(6,70)
78 FORMAT(1M ,89HPROGRAM "ACDOS" ABORTED-M MUST BE GREATER THAN OR EG
+AL TO 0.0-RECHECK THIS DATA)
      STOP
67 WRITE(6,68)
68 FORMAT(1M ,164HPROGRAM "ACDOS" ABORTED-IGEM MUST BE 1,2,3,OR 4-RECH
+ECK THIS DATA)
      STOP
81 WRITE(6,82)
82 FORMAT(1M ,61HPROGRAM "ACDOS" ABORTED-ISAB MUST BE 0,OR 1-RECHECK
+THIS DATA)
      STOP
510 RETURN
      END
```

```
SUBROUTINE AFAYIN(EFLUX,ZNAME1,TEND,MASS,STAFS,GP,NOEGPS,NNUCL,NCP
*AS,NG,THMASS,ZNAME2)

C
C THIS PROGRAM IS USED FOR ENTERING "AFRAY" DATA INTO MEMORY
C
C
C ARGUMENTS IN=STAFS,NOEGPS,NNUCL,NOPAS,NG
C ARGUMENTS OUT=BFLUX,ZNAME1,ZNAM2,ICNO,MASS,GP
C
C
C DIMENSION BFLUX(NOPAS),ZNAM1(NNUCL),ZNAM2(NNUCL),MASS(NNUCL),ST
+AFS(NCFAS),GPINGP,ZNAME2(NNUCL)
REAL MASS,KWALL
COMMON A,V,F,DF,T1,T2,H,F,C,W,OPTION,JGEOM,ISAE
E14D15,-1IST,FSI,I,I=1,NOPAS)
* FDFP#T(6,E10.3,2A)
DC 7 I=1,NNUCL
READ(5,51) ZNAME1(I),ZNAM2(I),ICNO(I),MASS(I)
5 FORMAT(12A10.1X,15.1X,E10.3)
7 CONTINUE
READ(5,52)(GP(I),I=1,NG)
DC 80 I=1,NNUCL
IDPIN=IDNO(I)
IPIN=IPIN+1
I=IPIN
DO 90 J=I+1,NNUCL
IF (IDMIN.LE.IDPC(J)) GO TO 90
IDMIN=IDNO(J)
I=I+NJ
90 CONTINUE
IF (I.EQ.1)IPIN) GO TO 80
IDTEMP=IDPC(I)
IDNC(I,IPIN)=IDTEMP
IDNC(IPIN)=IDTEMP
TEMPM=MASS(I)
MASS(I)=MASS(IPIN)
MASS(IPIN)=TEPM
Z1TEMP=ZNAM1(I)
ZNAM1(I)=Z1AM1(IPIN)
ZNAM1(IPIN)=Z1TEMP
Z2TEMP=ZNAM2(I)
ZNAM2(I)=Z2AM2(IPIN)
ZNAM2(IPIN)=Z2TEMP
80 CONTINUE
WRITE(6,84)
84 FORMAT(1H,.33-SPECIFIC TIMES AFTER SHUTDOWN (H,/) )
DO 34 I=1,NOPAS
WRITE(6,35) I,STAFS(I)
35 FORMAT(1F ,6HTIME=17,I2,1D,E10.3)
34 CONTINUE
READ(5,12) IFLUX,INELL,KWALL
FORMAT(2(12,1Y),E10.3)
10 WRITE(6,11) IFLLY
11 FORMAT(1,2B10,0FTION ON THE FLUXES=,I2)
IFI(IFLUX,EO,0) WRITE(6,12)
12 FORMAT(19M THE FLUXES WILL BE READ FROM THE INPUT)
IFI(IFLUX,EO,1) WRITE(6,13)
13 FCF=LT(36M THE FLUXES WILL BE READ FROM TAPE E)
```

```
13 IF(IIFLUX.NE.+1).AND.(IIFLUX.NE.+0))GO TO 40
14 WRITE(E,14)IWALL
15 FCFM(//,59H OPTION ON THE PART OF THE ROOM WHICH ACTIVATION //,19H
+ TAKES PLACE -IWALL=,12)
16 IF(IWALL<ED.O)DWRITE(6,15)
17 IF(IWALL>ED.O)DWRITE(6,16)
18 FCFM(3EH ACTIVATION OF THE WALLS OF THE ROOM)
19 IF(IWALL.NE.0).AND.(IWALL.NE.+1)GO TO 41
20 GC TO(17,18)(IIFLUX+1)
21 READ(5,4)(BFLUX(I),I=1,NCEGPS)
22 GO TO 19
23 READ(8,4)(BFLUX(I),I=1,NCEGPS)
24 GO TO(25,21)(IWALL+1)
25 FKF=KKWALL*100.
26 DK=E*KKWALL*100.
27 FF=(1-(RK+EK)/SINH(DK))+RK/TANH(DK))/((RK+EK)**3-RK**3)
28 DO 22 I=1,NCEGPS
29 BFLUX(I)=FF*BFLUX(I)
30 CONTINUE
31 WRITE(E,27)KKWALL
32 FCFM(//,52H AVERAGE UNIT NORMALIZED FLUXES IN THE WALLS KKWall=
+ ,E10.3,1H),/)
33 GC TO 24
34 WFITE(6,27)
35 FCFM(//,59H UNIT NORMALIZED FLUXES INSIDE THE ROOM //)
36 DO 32 I=1,NCEGPS
37 II=NCEGPS+I-1
38 WFITE(E,28)I-BFLUX(II)
39 FCFM(EP GROUP,IX,I2,1GX,E11.4)
40 CONTINUE
41 WFITE(E,73)
42 FCFM(//,1H ,22H GROUP BOUNDARIES (MEV),/)
43 WFITE(E,74)(I,GP(NG+1-I),I=1,NG)
44 FORMAT(1F ,8B5D,1D8Y,1Y,I3,5X,E11.4)
45 WRITE(E,29)
46 FCFM(1F ,1H ,10X,4HNAM,10X,9HID-NUMBER,4X,E1MASS(KG),/)
47 DO 30 I=1,NUCL
48 WRITE(E,31)ZNAM1(I),ZNAM2(I),IDNO(I),MASS(I)
49 FCFM(1X,2410,5A,IS,5X,E8.3)
50 CONTINUE
51 THMASS=C.
52 DO 50 I=1,NUCL
53 THMASS=THMASS+MASS(I)
54 CONTINUE
55 WRITE(E,25)
56 FCFM(//,55X,25H"CDOS IS NOW READY TO RUN,/,55X,25H*****")
57 GC TO 26
58 WRITE(E,42)
59 FCFM(//,63H PROGRAM "CDOS" ABORTED-IWALL MUST BE 0 OR 1-RECHECK
+ THIS DATA)
60 STOP
61 WRITE(E,43)
62 FCFM(//,63H PROGRAM "CDOS" ABORTED-IWALL MUST BE 0 OR 1-RECHECK
+ THIS DATA)
63 STOP
64 RETLFN
65 END
```



```
SUBROUTINE GFFLUX(AVENFS,NOLGPS,GPFLUX,BFLUX)

C
C CTHIS PROGRAM CALCULATES UP TO 50 GROUP FLUXES
C
C ARGUMENTS IN-AVENFS,NOLGPS,BFLUX
C ARGUMENTS OUT-GPFLUX
C
C DIMENSION GPFLUX(NOLGPS),BFLUX(NOLGPS)
DC I I = 1,NOLGPS
GPFLUX(I) = BFLUX(I)*AVENFS
1 CONTINUE
RETFLN
END
```

```
SUBROUTINE BFLUX(BFLUX,GF,CCNST,FCONST,NOEGPS,NF,NG)
C
CTHIS PROGRAM DETERMINES THE CONSTANTS ASSOCIATED WITH THE ASSUMED
CWEIGHTING FUNCTIONS
C
C
C      ARGUMENTS IN=BFLUX,GP,NOEGPS,NF,NG
C      ARGUMENTS OUT=CCNST,FCONST
C
C
C      DIMENSION BFLUX(NGEGPS),GP(NC),CCNST(NCEGPS),FCONST(NOEGPS)
DO 105 JC=1,NG
GP(JC)=GF(JC)*1.000E5
105 CONTINUE
CCALCULATE THE THEFINAL GROUP CONSTANT
ICOLAT=1
SUMINT=0.0
WIDTH=(GF(1)-GP(1))/200.0
ZINCR=WIDTH/2.0
DPVAF=GP(1)+ZINCR
DC 1 I=1,200
PARSUM=CR*(DPVAF)*EXP(-(DPVAF/0.025))*WIDTH
SUMINT=SUMINT+PARSUM
DPVAF=DPVAF+WIDTH
1 CONTINUE
CONST(ICOUNT)=BFLUX(ICOUNT)/SUMINT
IF(NCEGPS.EQ.1) GO TO 1000
IF(NCEGPS.EQ.2) GO TO 100
CCALCULATE THE 1/E GROUP CONSTANT(S)
ICOLAT=ICOLAT+1
IEPTH=0
2 SUMINT=0.0
WIDTH=(GF(ICOUNT+1)-GP(ICOUNT))/200.0
ZINCR=WIDTH/2.0
DPVAF=GP(ICOUNT)+ZINCR
DC 3 I=1,200
PARSUM=1.0*DPVAF*WIDTH
SUMINT=SUMINT+PARSUM
DPVAF=DPVAF+WIDTH
3 CONTINUE
CONST(ICOUNT)=BFLUX(ICOUNT)/SUMINT
IEPTH=IEPTH+1
NEPTH=NOEGPS-1-NF
IF(IEPTH.EQ.NEPTH) GO TO 100
ICOUNT=ICOUNT+1
GO TO 2
100 ICOUNT=ICOUNT+1
CTHE 1 GROUP FAST SPECTRUM WILL BE MATCHED TO THE MAXWELLIAN AT THE
CGROUP BCLNCF=Y
FLUXBD=CCNST(1)*SQRT(GP(2))*EXP(-(GP(2)/C.025))
ZNUEK=GUESSI=BFLUX(1,NOEGPS)/FLUXBD
ITEF=1
6 FXSLBI=ZNUEKF/(EXP((GP(3)-GP(2))/GUESSI)-1)-GUESSI
XSUBI=GUESSI
FPFIME=ZNUEKF*(GP(3)-GP(2))*EXP((GP(3)-GP(2))/(GUESSI)/(GUESSI)**2)-1
+EXP((GP(3)-GP(2))/GUESSI)-1)**2-1
XSEIP1=SUEI-FXSLBI/FPFIME
```

```
      DIFF=ABS(XS9IP1-GUESS1)
      IF(DIFF.LT.0.1) GO TO 5
      ITER=ITER+1
      IF(ITER.GT.100) GO TO 75
      GUISSI=XSBIP1
      GO TO E
 5  WRITE(E,76)
 76 FORMAT(1F1.114H***PROGRAM ABORTED***THE TRANSCENDENTAL EQUATION
     + USED TO MATCH THE THERMAL GROUP TO FAST GROUP IS NOT CONVERGING)
     + WRITE(6,27)
     STOP
 5  B=XSBIP1
     A=BFLUX(NDEGPS)/(B*(1-EXP((GFP(2)-GP(3))/B)))
     CONST(ICOUNT)=A
     FCCNST(NCEGFS)=B
     GO TO 100
 100 IF(NF.GT.1) GO TO 160
CTHE 1 GROUP FAST SPECTRUM WILL BE MATCHED TO THE LAST 1/E GROUP
     ITER=1
     NGP1=NCF(GPS)+1
     ZNUPERE=GUESS1
     ZNUMLB1=ZNUMER/(EXP((GP(NGP1)-GP(NCEGFS))/CONST(ICOUNT))-1)-GUESS1
     XSUEI=GUESS1
     FPRIML=ZNUMLB1*(GP(NGP1)-GP(NCEGFS))*EXP((GP(NGP1)-GP(NDEGPS))/GUES
     +S1)/(GUESS1)**2*(1-XP((GP(NGP1)-GP(NDEGPS))/GUESS1)-1)**2)-1
     XS9IP1=XSUB1-FXSLBI/FPPIME
     DIFF=ABS(XS9IP1-GUESS1)
     IF(DIFF.LT.0.1) GO TO 92
     ITER=ITER+1
     IF(ITER.GT.100) GO TO 25
     GUESS1=XSBIP1
     GO TO 91
 92  B=XSBIP1
     A=BFLUX(NDEGPS)/(B*(1-EXP((GP(NDEGPS)-GP(NCEGFS))/B)))
     CONST(NCEGFS)=A
     FCCNST(NCEGFS)=B
     GO TO 100
 160 ICP1=ICOLNT+1
CTHE FIRST OF 2 OF MCRL FAST GROUPS WILL BE MATCHED TO THE LAST 1/E
CGROUP
     ICP2=ICCOLNT+2
     ITER=1
     ZNUMLB1=GUESS1=(BFLUX(X(ICP1)*GP(ICP1))/CONST(ICOUNT))
     FXSLBI=ZNUMER/(EXP((GP(ICP2)-GP(ICP1))/GUESS1)-1)-GUESS1
     XSUB1=GUESS1
     FPRIME=(GP(ICP2)-GP(ICP1))*EXP((GP(ICP2)-GP(ICP1))/GUESS1)/
     +(GUESS1)**2*(EXP((GP(ICP2)-GP(ICP1))/GUESS1)-1)**2)-1
     XS9IP1=XSUB1-FXSLBI/FPPIME
     DIFF=ABS(XS9IP1-GUESS1)
     IF(DIFF.LT.0.1) GO TO 30
     ITER=ITER+1
     IF(ITER.GT.100) GO TO 25
     GUESS1=XSBIP1
     GO TO 20
 25  WRITE(E,26)
 26  FORMAT(1F1.114H***PROGRAM ABORTED***THE TRANSCENDENTAL EQUATIONS
     + WHICH MATCH 1/E TO FAST OR FAST TO FAST GROUPS ARE NOT CONVERGING)
     + WRITE(6,27)
 27  FFORMAT(1F7.5HMCST LIKELY PROBLEM IS UNREALISTIC OR UNUSUAL FLUX
     + AND GROUP BOULDARY DATA)
     STOP
 30  B=XSBIP1
```

```
A=BFLUX(ICP1)/(E*(1-EXP((GP(ICP1)-GP(ICP2))/E)))
ICOUNT=ICOUNT+1
ICP1=ICOUNT+1
ICP2=ICCLNT+2
CONST(ICOUNT)=A
FCNST(ICOUNT)=B
IF(ICOUNT.LT.NOEGPS) GC TO 1000
ZUMER=EFLLW(ICP1)/FCNST(ICOUNT)
ITER=1
GO TO 20
1000 WRITE(6,11)
 11 FORMAT(//,1H .63H      INTEGRALS OF THE FITTING FUNCTION OVER THE G
 *FDUF INTERVALS)
  WRITE(6,22)
 12 FORMAT(1F .7-HGROUP LOWER BOUNDARY UPPER BOUNDARY REQUIRED INTEGRAL
 *AL CALCULATED INTEGRAL,/)

CCALCULATE THE THermal INTEGRAL
  ICOUNT=1
  SUMINT=0.0
  WIDTH=(GP(2)-GP(1))/200.0
  ZINCR=WIDTH/2.0
  DPVAR=GP(1)+ZINCR
  DO 23 I=1,200
  PAFSUM=FCNST(1)*SOFT(DPVAR)*EXP(-(DPVAR/0.025))*WIDTH
  SUMINT=SUMINT+PAFSUM
  DPVAR=DPVAR+WIDTH
 21  CONTINUE
  IF(ICCLNT.EQ.NOEGPS) GC TO 109
  IF(ICOUNT.EQ.2) GO TO 46
  JJ=AG-ICOUNT
  WRITE(6,22) JJ,GP(ICOUNT),GP(ICOUNT+1),BFLUX(ICCLNT),SUMINT
  22  FORMAT(1F .2Y,I2.5>,E10.3,4X,E10.3,5X,E1E.3,9X,E10.3)
  ICOUNT=ICOUNT+1

CCALCULATE THE 1/E INTEGRAL(S)
  45  SUMINT=0.0
  WIDTH=(GP(ICOUNT+1)-GP(ICOUNT))/200.0
  ZINCR=WIDTH/2.0
  DPVAR=GP(ICOUNT)+ZINCR
  DO 23 I=1,200
  PARSLM=(CONST(ICCLNT)/DPVAR)*WIDTH
  SUMINT=SLMINT+PAFSUM
  DPVAR=DPVAR+WIDTH
 23  CONTINUE
  JJ=AG-ICOUNT
  WRITE(6,22) JJ,GP(ICOUNT),GP(ICOUNT+1),BFLUX(ICCLNT),SUMINT
  ICCLNT=COUNT+1
  IF(ICOUNT.LE.NERTH+1) GO TO 46
  GO TO 16
 46  JJ=2
  WRITE(6,22) JJ,GP(ICOUNT),GP(ICOUNT+1),BFLUX(ICCLNT),SUMINT
  IF(NING.EQ.2) ICOUNT=ICOUNT+1
  15  SUMINT=0.0
CCALCULATE THE FAST INTEGRAL(S)
  WIDTH=(GP(ICOUNT+1)-GP(ICOUNT))/200.0
  ZINCR=WIDTH/2.0
  DPVAR=GP(ICOUNT)+ZINCR
  DO 24 I=1,200
  PARSLM=CONST(ICOUNT)*EXP((DPVAR-GP(ICOUNT+1))/FCNST(ICOUNT))*WIDTH
  +
  SUMINT=SUMINT+PARSLM
  DPVAR=DPVAR+WIDTH
 24  CONTINUE
```

```
JJ=NG-ICOUNT
WRITE(6,22) JJ,GF(ICOUNT),GP(ICOUNT+1),BFLUX(ICOUNT),SUMINT
ICOUNT=ICOUNT+1
IF(ICOUNT.LE.NCEGPS) GO TO 1E
GO TO 15
109 JJ=1
WRITE(6,22) JJ,GF(ICOUNT),GP(ICOUNT+1),BFLUX(ICOUNT),SUMINT
15 DO 105 JC=1,NG
GP(JC)=GP(JC)/1.00SES
105 CONTINUE
RETURN
END
```

```
SUBROUTINE ACTVAT(TIMACT,SYSACT,SUMACT,GPFLUX,FRECDNU,PROCDHL,GFXSEC
+ ,IDNC,PASS,STAFS,GP,CONST,FCONST,BFLUX,NDNUCL,ADEGPS,NOPAS,NG,NF)
C
C THIS PROGRAM CALCULATES ACTIVITIES DUE TO NEUTRON INDUCED REACTIONS
C
C ARGUMENTS IN=GPFLUX,SPYSEC,JNDO,PASS,STAFS,GP,CONST,FCONST,BFLUX
C ARGUMENTS IN=NDNUCL,NDEGPS,NOPAS,NG,NF
C ARGUMENTS OUT=TIMACT,SYSACT,PROCDNU,PROCDHL
C
C
DIMENSION IDNC(NDNUCL),MASS(NDNUCL),STAFS(NOPAS)
CIMENSION TIMACT(NDNUCL,13,NCAPS),SYSACT(NOPAS),SUMACT(NCAPS),GPFL
+ UX(NDEGPS),PRODNL(NDNUCL,13),PRODNL(NDNUCL,13),GF(NG),GPXSEC(NDEGP
+ $1),CONST(NDEGPS),FCONST(NDEGPS),BFLUX(NDEGPS)
COMMON A,V,F,OF,T1,T2,N,F,E,M,OPTION,IGEOM,ISAE
REAL MASS
WRITE(6,102)
102 FORMAT(//,1H ,57HTHE FOLLOWING OUTPLT DATA ARE CALCULATED ACTIVIT
IES IN BG)
I=1
J=0
CINITIALIZE FLAGS AND ARRAYS
DO 40 MM=1,NDNUCL
DO 40 MM=1,3
FFODCHL(M,MM)=E.000000E+00
FFODCNL(M,MM)=E.000000E+00
40 CONTINUE
DO 41 MM=1,NDNUCL
DO 41 MM=1,3
DO 41 MM=1,NOPAS
TIMACT(M,MM,MM)=E.0000E+00
41 CONTINUE
DO 22 JN=1,NOPAS
SYSACT(JN)=SUMACT(JN)=E.0
22 CONTINUE
KFLAG=FLAG=0
CPRINT 103,0
103 WRITE(6,37) STAFS(K),K=1,NOPAS)
37 FORMAT(/,1H ,4X,7HTIME(H),4X,10(E8.3,1X),2X,2(E8.3,2Y))
WRITE(6,11)
11 FORMAT(//,125HTARGET PROCDLT ACT(T1) ACT(T2) ACT(T3) ACT(T4)
+ ACT(T5) ACT(T6) ACT(T7) ACT(T8) ACT(T9) ACT(T10) ACT(T11)
+ ACT(T12))
2 READ(7,25) ITAPE,TARMAS
25 FORMAT(1E,7X,E11.6)
IF(ITAPE.EQ.IDNC(1)) GO TO 7
IF(ITAPE.GT.IDNC(1)) GO TO 44
CALL PCSETCN
GO TO 26
CTHE ABOVE STATEMENTS SEARCH THE TAPE FOR A MATCHING TARGET ID NUMBER
46 WRITE(6,-5) IDNC(1)
49 FORMAT(//,32H ATTENTION--TARGET NUCLIDE NUMBER,IE,59H DOES NOT EXI
+ ST IN DATA LIBRARY--THEREFORE NO CONTRIBUTION FROM THIS NUCLIDE IN
+ DCSE CALC,/)
IF(ITAPE.EQ.IDNC(1+1)) GO TO 46
I=1+1
```

```
CALL FCPOSITION
CPRINT HEADING
  WRITE(6,37)(STAFS(K),K=1,NOPAS)
  WRITE(6,1)
  GO TO 24
 46 I=I+1
CPRINT HEADING
  WRITE(6,37)(STAFS(K),K=1,NCPAS)
  WRITE(6,1)
 7 J=J+1
  FEAC(7,5) PRCINU(I,J),#F(EML(I,J))
  FEAC(7,99) NP
  IF( ITAP<.ED. IDNC(1CNUCL)) LFLAG=1
 99 FCPFORMAT(3)
  IF(FRCCHL(I,J).ET>0.1000E+5D) GO TO 50
 8 FORMAT(2GX,F12.4,12X,E12.4)
  CALL AVERAGE(GPXSEC,CONST,FCCONST,BFLUX,GP,NDEGPs,RG,NF,NP)
  IF(GPXSEC(1).GT.0.500E+49) GO TO 103
  SUM1A=SUM2A=C_0
  ED 11 JL=1,N
  TEMPS=EXP(-((0.693*((N-JL)*(T1*360C.0)+(T2*360C.0))))/PRCCHL(I,J))
  *)
  SUM1A=SUM1A+TEMPS
11 CCNTINUE
  DC 12 L=1,NOPAS
  TEMPS=SLC1*(1.0E-24)*GPYSEC(L)*GPFLUX(L)
  SUM2A=SUM2A+TEMPS
12 CCNTINUE
  ACT=(MASS(I)*100C.0/TARHAS)*E.023E+23*SUM2A*(1-EXP(-0.693*3E0C.0*T
  *1/PRCCHL(I,J)))
  DC 13 V=1,NCPAS
  TIMACT(I,J,K)=ACT*L>P(-(STAFS(K)*0.693*3E0C.0/PRCCHL(I,J)))
  SUMACT(K)=SUMACT(K)+TIMACT(I,J,K)
13 CCNTINUE
103 WRITE(6,2C) IDNC(I),IFIX(IPRCINU(I,J)),(TIMACT(I,J,K),K=1,NCPAS)
23 FCPFORMAT(1,X,1F,15,2X,15,FX,10(E6.3,1X),2X,2(E5.3,2X))
  READ(17,25) ITAP, TARHAS
  IF(EOF(17),E=.0) KFLAG=1
  IF(KFLAG,EC.1) GO TO 27
  IF(ITAP<.ED. IDNC(1CNUCL)) LFLAG=1
  IF( ITAP<.ED. IDNC(1CNUCL)) LFLAG=1
  IF( ITAP<.ED. IDNC(I)) GO TO 27
  GO TO 7
CPRINT HEADING
 27 WRITE(6,37)(STAFS(K),K=1,NOPAS)
  WRITE(6,14)
 14 FORMAT(1F,12EH      TARGET      ACT(T1) ACT(T2) ACT(T3) ACT(T4)
  * ACT(T5) ACT(T6) ACT(T7) ACT(T8) ACT(T9) ACT(T10) ACT(T11)
  * ACT(T12))
  WRITE(6,15) IDNC(I),(SUMACT(K),K=1,NOPAS)
 15 FCPFORMAT(1,Y,5K,15,5X,10(E6.3,1X),2X,2(E6.3,2X),//)
  ED 10 K=1,NOPAS
  SYSACT(K)=SYSACT(K)+SUMACT(K)
10 CCNTINUE
  IF( ITAP<.ED. IDNC(I+1)) GO TO 32
  IF(LFLAG,EC.1) GO TO 16
 32 ED 23 JN=1,NCPAS
  SUMACT(JN)=0.0
23 CCNTINUE
  IF( ITAP<.ED. IDNC(I+1)) GO TO 31
  IF( ITAP<.ED. IDNC(I+1)) GO TO 47
  I=I+1
```

```
CALL POSITON
CPRINT READINGS
  WRITE(6,37)(STAFS(K),K=1,NOPAS)
  WRITE(6,1)
  J=0
  GO TO 24
47 WRITE(6,45) IDNO(I+1)
  CALL POSITON
  I=I+2
  IF(ITAPE.GT.IDAC(I)) WRITE(6,45) IDAC(I)
  IF(ITAPE.GT.IDNO(I)) I=I+1
CPRINT READINGS
  WRITE(6,37)(STAFS(K),K=1,NOPAS)
  WRITE(6,1)
  J=0
  GO TO 24
CPRINT READINGS
31 WRITE(6,37)(STAFS(K),K=1,NOPAS)
  WRITE(6,1)
  I=I+1
  J=0
  GO TO 7
CPRINT READINGS
16 WRITE(6,544)
54- FORMAT(//)
  WRITE(6,37)(STAFS(K),K=1,NOPAS)
  WRITE(6,21)
21 FORMAT(1X,12EM      SYSTEM      ACT(T1) ACT(T2) ACT(T3) ACT(T4)
     + ACT(T5) ACT(T6) ACT(T7) ACT(T8) ACT(T9) ACT(T10) ACT(T11)
     + ACT(T12))
  WRITE(6,51)(SYSACT(K),K=1,NOPAS)
51 FORMAT(1X,15Y,1D(E3.3,1X),2X,2(1E.3,2X))
  IF(KFLAG.EQ.0) GO TO 42
  RETRN
42 CALL POSITON
43 READ(7,25) ITAPE,TAFMAS
  IF(ECF(7,1,NE,0) RETRN
  CALL POSITON
  GO TO 43
53 CALL POSIT2(NP)
  GO TO 133
END
```

```
SUBROUTINE AVERAGE (GPXSEC,CONST,FCONST,BFLUX,GP,NCEGPS,NG,NF,NP)
C
C THIS PROGRAM CALCULATES FLUX WEIGHTED GROUP CROSS SECTIONS BY AVERAGING
C MICROSCOPIC CROSS SECTION DATA
C
C ARGUMENTS IN=CONST,FCONST,BFLUX,GP,NDEGFS,NG,NF,NP
C           GPXSEC
C
C DIMENSION GP*SEC(NDEGFS),CONST(NDEGFS),FCONST(NDEGFS),BFLUX(NCEGPS)
C           +,GF(NG)
C           DIMENSION CS(150),EN(150),CS1(201),E1(201)
CINITIALIZE ARRAY GPXSEC
DO 42 JK=1,NCEGPS
GPXSEC(JK)=0.0
42  COUNTNLE
LOAD ENERGY AND CROSS SECTION DATA FROM THE ACTLMFE LIBRARY
READ(7,3)(EN(I),CS(I),I=1,NP)
3  FORMAT(4(E11.4))
DETERMINE IF THE ENERGY OF THE FIRST ENERGY-CFOSS SECTION PAIR READ
FROM THE ACTLMFE LIBRARY IS FELT THE GREATEST GROUP BOUNDARY
IF(EN(1)-GP(NG)) 105+1C2+102
105 CALL SMCC1(GP,NE,EN,CS,NP,E1,CS1,NE1)
I=1
J=1
SUMINT=0.0
DETERMINE IF THE ENERGY AT WHICH THE CROSS SECTION WAS MEASURED IS
C BELOW THE NEXT GROUP BOUNDARY
51  IF(E1(I).LT.GP(J+1)) GO TO 51
     GPXSEC(J)=SUMINT/BFLUX(J)
     J=J+1
     GO TO 50
52  IF(E1(I).LT.GP(J+1)) GO TO 51
CALCULATE THE GROUP CROSS SECTION
GPXSEC(J)=SUMINT/BFLUX(J)
IF(J.EQ.NDEGFS) GO TO 106
J=J+1
SUMINT=0.0
GO TO 52
51  IF(J.EC.1) GO TO 1003
     IF(NCEGPS.GE.3.4D.J.GT.1.AND.J.LE.(NCEGPS-NF)) GO TO 2000
     GO TO 3000
1003 SUMCEL=J.0
AVERAGE MICROSCOPIC CFOSS SECTION DATA OVER THERMAL ENERGIES
WICHT=(E1(I+1)-E1(I))/200.0
ZINCFC=1.2TH/2.0
DPVAR=E1(I)*ZINCFC
DO 1001 KK=1,200
    FARSUM=(C0*5*(J)*SOFT(DPVAR*1.0EE)*EXP(-(|DPVAR*1.0E6/0.025|)*((CS1
    +(I+1)-CS1(I))*(DFVLF-E1(I))/(E1(I+1)-E1(I))+CS1(J)))*WICHT*1.0E5
    SUMCEL=SUMCEL+FAFSUM
    DPVAR=DPVAR+WICHT
1001  COUNTNL
    SUMINT=SUMINT+SUMCEL
    I=I+1
    GO TO 52
```

```
2000 SUMDEL=0.0
CAVERAGE MICROSCOPIC CROSS SECTION DATA OVER INTERMEDIATE ENERGIES
WIDTH=(E1(I+1)-E1(I))/200.0
ZINCF=WIDTH/2.0
DPVAR=E1(I)+ZINCF
DO 2001 K=1,200
PAFSUM=(CONST(I)/DPVAR*I,0EE0)*WIDTH*1.0E6*((CS1(I+1)-CS1(I))*DP
*VAR-E1(I)/(E1(I+1)-E1(I))*CS1(I))
SUMDEL=SUMDEL+PAFSUM
DPVAR=DPVAR+WIDTH
2001 CONTINUE
SUMINT=SUMINT+SUMDEL
I=I+1
GO TO 52
3000 SUMDEL=0.0
CAVERAGE MICROSCOPIC CROSS SECTION DATA OVER FAST ENERGIES
WIDTH=(E1(I+1)-E1(I))/200.0
ZINCF=WIDTH/2.0
DPVAR=E1(I)+ZINCF
DO 3001 K=1,200
PAFSUM=CONST(I)*EXP((DPVAR-GP(I+1))*1.0E6/CONST(I))*WIDTH*1.0E6*
*(CS1(I+1)-CS1(I))*(DPVAR-E1(I))/(E1(I+1)-E1(I))*CS1(I)
SUMDEL=SUMDEL+PAFSUM
DPVAR=DPVAR+WIDTH
3001 CONTINUE
SUMINT=SUMINT+SUMDEL
I=I+1
GO TO 52
102 GFYSEC(:)=1.0E+50
106 READ(7,*) IDUMB
5 FORMAT(7I4,I1)
RETFEN
END
```

```
SUBROUTINE SMOOTH(X1,NX1,X2,NX2,X3,NX3)
C
C THIS PROGRAM CALCULATES CROSS SECTIONS AT GROUP BOUNDARIES BY LINEAR
C INTERPOLATION
C
C      ARGUMENTS IN=GP,NG,EN,CS,NP
C      ARGUMENTS OUT=EI,CS1,NE1
C
C      DIMENSION X1(1),Y2(1),Y3(1),X3(1),Y3(1)
12 IF(X2(K)-X1(1)) 20,11,13
20 K=K+1
   GO TO 12
11 X3(1)=X2(K)
   Y3(1)=Y2(K)
   K=K+1
   L=2
   I1=2
   GO TO 14
13 I1=2
   IF(X2(K).LT.,>1(I1)) GO TO 11
24 I1=I1+1
   IF(X2(K).LT.,Y1(I1)) GO TO 25
   GO TO 2-
25 Y3(1)=X2(K)
   Y3(1)=Y2(K)
   K=K+1
   L=2
14 DC 1 I=1,NX1
5  IF(X2(K)-Y1(I)) 2,3,4
2  X3(L)=X2(K)
   Y3(L)=Y2(K)
   L=L+1
   K=K+1
   IF(K-NX2) 5,5,10
3  X3(L)=X2(K)
   Y3(L)=Y2(K)
   L=L+1
   K=K+1
   IF(K-NX2) 1,1,10
4  X3(L)=X2(I)
   Y3(L)=Y2(K)+((Y2(K)-Y3(L-1))/((X2(K)-X3(L-1))*X3(L)-X3(L-1)))
   L=L+1
1 CONTINUE
10 NX3=L-1
   RETURN
END
```

```
SUBROUTINE ADVAN(NOMODE)
C
C
CTHIS PROGRAM IS USED FOR POSITIONING THE FILE MARKER IN THE LEVDEC
CLIBRARY
C
C
C      ARGUMENTS IN=NOMODE
C      ARGUMENTS OUT=NONE
C
C
      DD 305 JB=1,NOMODE
      READ(7,202) IOUNCE
202 FORMAT(58X,I2)
305 CONTINUE
      RETURN
      END
```

```
SUBROUTINE POSITION
C
C THIS PROGRAM IS USED FOR POSITIONING THE FILE MARKER IN THE ACTLME.FE
CLIBRARY
C
C      ARGUMENTS IN-NONE
C      ARGUMENTS OUT-NONE
C
C      READ(7,30) NP
30 FORMAT(/,I3)
NP1=INT(IFLDAT(NP)/5.000+0.800)
DO 52 ICDUM1=1+NP1
READ(7,53) REALDUM
53 FORMAT(E11.4)
52 CONTINUE
READ(7,5) IDUMB
5 FORMAT(7IX,I1)
RETURN
END
```

```
      SUBROUTINE PCSIT2(NP)
C
C THIS PROGRAM IS USED FOR POSITIONING THE FILE MARKER IN THE ACTLMMF
CLIBRARY
C
C      ARGUMENTS IN-NP
C      ARGUMENTS OUT-NCNE
C
C
      NF1=INT(FLCAT(NP)/3.000+0.000)
      DC 52 ICOUNT=1,NF1
      READ(7,53) REALCLM
53  FORMAT(11.4)
52  CONTINUE
      READ(7,5) JDLMB
      5  FOFFLT(7IX,I1)
      RETURN
      END
```

```
SUBROUTINE DOSRTE(ТИFACT,PRODNU,NONUCL,NOPAS,DOSSUM,SYSDOSS,IZNO,ST
+AFS,PROJHL,DOSNUC,THMASS,DOSDGT,DOSPRO)
C
C
CTHIS PROGRAM CALCULATES DOSE RATES AS A FUNCTION OF COMPONENT COMPOSIT-
CION,GEOMETRY,AND TIME AFTER SHUTDOWN
C
C
C
DIMENSION TIPIACT(NONUCL,13,NOPAS),PRODNU(NONUCL,13),DOSSUM(NOPAS),
+SYSDOSS(NOPAS),IZNO(NONUCL),STATS(NOPAS),DOSDGT(NOPAS),DOSPRO(NOPAS
+)
DIMENSION PRODHL(NONUCL,13),DOSNUC(NOPAS),DOSDAU(390),DMA(390)
DIMENSION NT(390),NP(390),AC(390),HA(390),ND(390),DOSPRO(390)
DIMENSION IZLKHM(30),IDAVE(30),DLEVEL(30),PR2B(3L)
COMMON 4,V,F,DF,T1,T2,N,R,C,H,OPTION,IGEOM,ISAB
REAL MULT
WRITE(6,100)
100 FORMAT(//,,1H ,61HTHE FOLLOWING OUTPUT DATA ARE CALCULATED DOSE
+RATES IN MREM/H.//)
DO 1 M=1,NOPAS
DOSPRO(M)=0.0
DOSDGT(M)=0.0
SYSDOSS(M)=0.0
DOSNUC(M)=0.0
DOSSUM(M)=0.0
1 CONTINUE
DO 101 I=1,350
NT(I)=0
NP(I)=0
NQ(I)=0
AC(I)=0.0
DOSPRO(I)=0.0
HA(I)=0.0
DMA(I)=0.0
DOSDAU(I)=0.0
101 CONTINUE
102 CONTINUE
DO 2 J=1,13
K=(I-1)*13+J
NP(K)=IF IX(PRODNU(I,J))
HA(K)=PR2BLK(I,J)
AC(K)=TIPIACT(I,J,1)
NT(K)=IZNO(I)
2 CONTINUE
NQ=NONUCL-13-1
DO 3 J=1,NQ
NT(MP1)=NP(J+1)
NT(MP2)=NT(J+1)
ZTEMPL3=AC(J+1)
ZTEMPL4=HA(J+1)
DO 4 K=1,J
I=J+1-K
IF(ITEMP1.GE.NP(I)) GO TO 5
NP(I+1)=NP(I)
NT(I+1)=NT(I)
AC(I+1)=AC(I)
4
```

```
      HA(I+1)=HA(I)
      * CONTINUE
      I=0
  5  NP(I+1)=NTEMP1
     NT(I+1)=NTEMP2
     AC(I+1)=ZTEMP3
     HA(I+1)=ZTEMP4
  3  CONTINUE
      L=1
  7  IF(NP(L).NE.0) GO TO 205
      L=L+1
      GO TO 7
  205 IBASE=L
C BEGIN INTERROGATION OF THE LEVDEC LIBRARY
  20J READ(7,16) ITAPE,HALFLF,ADMOOE
  16 FORMAT(16,20X,E11.4,I3)
  IF(EOF(7),.NE.0) GO TO 200
  28J IF(ITAPE.EQ.NP(L)) GO TO 17
  IF(ITAPE.GT.NP(L)) GO TO 28
  CALL ADVAN(IMODE)
  GO TO 206
  28 IF(AC(L).EQ.0.0D0) GO TO 38
  WRITE(6,29) NP(L)
  29 FORMAT(1,33H ATTENTION-PRODUCT NUCLIDE NUMBER,16,9OH DOES NOT EXIS
  * T IN DECAY LIBRARY-THEREFORE NO CONTRIBUTION FROM THIS NUCLIDE IN
  * DOSE CALC'S)
  WRITE(6,37) NT(L)
  37 FORMAT(1H -20MTHE TARGET ATOM WAS ,15//)
  38 L=L+1
  IF(NP(L).EQ.0) GO TO 813
  GO TO 280
CCHECK TO SEE IF NP(L) EQUALS NP(L+1)
  17 IF(NP(L).EQ.NP(L+1)) GO TO 800
CCOMPARE HALFLIVES
  313 IF(HA(L)/HALFLF.LT.0.6.OR.HA(L)/HALLF. GT.1.2) GO TO 13
  IF(HALFLF.EQ.1.0E+50.0R.AC(L).EQ.0.0) GO TO 19
  IMODE=0
  302 IMODE=IMODE+1
C BEGIN INTERROGATION OF THE LEVDEC LIBRARY
  REAC(17,300) IDEKHO,IDAUGP,DLEVEL,MULT
  30J FORMAT(13X,T2,T7,E11.4,E12.4)
  IF(IDEKHO.EQ.8) NT(L)=IDAUGH
  IF(IDEKHO.EQ.7.OR.IDEKHO.EQ.9) GO TO 301
  IF(IDEKHO.EQ.8) GO TO 310
  303 IF(IMODE.EQ.NDMODE) GO TO 304
  GO TO 302
  301 IF(DLEVEL.EQ.0.0) GO TO 311
  CALL CURVE(DLEVEL,FLUXE)
  CALL CALC(DLEVEL,AC(L),DCSPRD(L),MULT,FLUXE,TMASS)
  GO TO 303
  310 IF(DLEVEL.EQ.0.0) GO TO 311
  CALL CURVE(DLEVEL,FLUXE)
  CALL CALC(DLEVEL,AC(L),DCSPRD(L),MULT,FLUXE,TMASS)
C IN ANY CASE ADD IN THE 0.511 MEV ANNIHILATION GAMMAS
  311 DD 312 IBETA=1,2
      CALL CURVE(0.511,FLUXE)
      CALL CALC(0.511,AC(L),DCSPRD(L),MULT,FLUXE,TMASS)
  312 CONTINUE
  GO TO 303
  19 CALL ADVAN(IMODE)
C READ THE NEXT LEVDEC NUCLIDE
  30+ READ(7,16) ITAPE,HALFLF,ADMOOE
```

```
IF(EOF(7).NE.0) GO TO 304
IF(ITAPE.EQ.NP(L)) GO TO 313
IF(ITAPE.EQ.NP(L+1)) GO TO 21
IF(NP(L+1).EQ.0) GO TO 813
L=L+1
GO TO 260
21 L=L+1
GO TO 17
800 DO 801 IL=1,NMDODE
READ(7,300) IDEKM(IL),IDAUG(IL),DLEVL(IL),FRGB(IL)
801 CONTINUE
IBEGIN=L
802 L=L+1
IF(NP(L).EQ.NP(L+1)) GO TO 802
IEND=L
810 DO 805 IP=IBEGIN,IEND
IF(MA(IP)/HALFLF.GT.0.0.AND.MA(IP)/HALFLF.LT.1.0.AND.HALFLF.NE.1.0
.E+50.0).AC(IP).NE.0.0)GO TO 804
GO TO 835
804 DO 820 IL=1,NMDODE
IF(IDEKM(IL).EQ.9) N9(IF)=IDAUG(IL)
IF(IDEKM(IL).EQ.7.0R,IDEKM(IL).EQ.9) GO TO 501
IF(IDEKM(IL).EQ.8) GO TO 510
GO TO 820
501 IF(DLEVL(IL).EQ.0.0) GO TO 820
CALL CURVE(DLEVL(IL),F,U)E)
CALL CALC(DLEVL(IL),AC(IP),DOSPRD(IP),PP03(IL),FLUXE,TMASS)
GO TO 820
510 IF(DLEVL(IL).EQ.0.0) GO TO 511
CALL CURVE(DLEVL(IL),FLUXE)
CALL CALC(DLEVL(IL),AC(IP),DOSPRO(IP),PROB(IL,FLUXE,TMASS))
511 DO 821 IBETA=-2
CALL CURVE(0.511,FLUXE)
CALL CALC(0.511,AC(IP),DCSPRO(IP),PROB(IL,FLUXE,TMASS))
821 CONTINUE
820 CONTINUE
805 CGTINUE
906 READ(7+16) ITAPE,HALFLF,NMDODE
IF(EOF(7).NE.0) GO TO 806
IF(ITAPE.EQ.NP(IBEGIN)) GO TO 808
GO TO 807
808 DO 809 IL=1,NMDODE
READ(7,300) IDEKM(IL),IDAUG(IL),DLEVL(IL),PROB(IL)
809 CONTINUE
GO TO 810
807 IF(ITAPE.EQ.NP(IEND+1)) GO TO 811
L=IEND+1
IF(ITAPE.GT.NP(IEND+1)) GO TO 28
GO TO 250
911 L=IEND+1
GO TO 17
812 WRITE(6,29) NP(L)
WRITE(6,37) NT(L)
L=L+1
IF(ITAPE.GT.NP(L)) GO TO 812
GO TO 200
813 REWIND 7
CMOVE THE FILE MARKER THROUGH THE ACTLMFE LIBRARY AND POSITION AT THE
CBEGINNING OF LEVDEC
69 READ(7,+7) ITAPE
67 FORMAT(16)
IF(EOF(7).NE.0) GO TO 700
```

```
CALL POSITION
GC TO 49
700 ISTOP=L
L=IBASE
CBEGIN INTERROGATION OF THE LEVDEC LIBRARY FOR POSSIBLE RADIACTIVE
DAUGHTERS-READ UNTIL THE ID NUMBER IS MATCHED
701 IF(ND(L).NE.G) GO TO 702
L=L+1
IF(L.EQ.ISTOP+1) GO TO 913
GO TO 701
702 READ(7,701) ITAPE,HALFLF,NODEMODE
IF(IODEF(7),.NE..0) GO TO 702
IF(ITAPE.EQ.ND(L)) GC TO 703
IF(ITAPE.GT.ND(L)) GO TO 926
CALL ADVAN(NODEMODE)
GO TO 702
703 L=L+1
IF(L.EQ.ISTOP+1) GO TO 913
IF(ITAPE.EQ.ND(L)) GO TO 703
CALL ADVAN(NODEMODE)
GO TO 701
CCHECK THE HALF LIFE OF THE DAUGHTER
704 DHA(L)=HALFLF
IF(HALFLF.GT.1.0E+8) GO TO 704
GO TO 735
704 CALL ADVAN(NODEMODE)
90+ L=L+1
IF(L.EQ.ISTOP+1) GO TO 913
GO TO 701
705 IMODE=0
902 IMODE=IMODE+1
CBEGIN INTERROGATION OF THE LEVDEC LIBRARY FOR DAUGHTER DECAY INFO
READ(7,702) IDEKMD,DLEVEL,MULT
707 FORMAT(3.8X,I2,7X,E11.4,E12.4)
SUMA1=0.0
SUMA2=0.0
OO 60 I=1,N
SUMA1=SUMA1+EXP(-(N-I)*(T1+T2)*(0.693*3600./HAI(L)))
SUMA2=SUMA2+EXP(-(N-I)*(T1+T2)*(0.693*3600./DHA(L)))
60 CONTINUE
ACD=ACD*(SUMA2/I)/(SUMA1/I)*EXP(-0.693*3600.*T1/HAI(L)-0.693*DHA(L))
+ACD*(1.-EXP(-0.693*3600.*T1/HAI(L)))
+ACD*(1.-EXP(-0.693*3600.*T1/DHA(L)))
IF(IDEKMD.EQ.7.OR.IDEKMD.EQ.9) GO TO 901
IF(IDEKMD.EQ.8) GO TO 910
903 IF(IMODE.EQ.NODEMODE) GO TO 904
GO TO 92
901 IF(DLEVEL.EQ.0.0) GO TO 903
CALL CURVE(DLEVEL,FLUXE)
CALL CALC(DLEVEL,ACD,DCSCLAU(L),MULT,FLUXE,TMASS)
GO TO 903
910 IF(DLEVEL.EQ.0.0) GO TO 911
CALL CURVE(DLEVEL,FLUXE)
CALL CALC(DLEVEL,ACD,DCSCLAU(L),MULT,FLUXE,TMASS)
CIN ANY CASE ACD IN THE 0.511 MEV ANNIHILATION GAMMAS
911 DO 912 IBETA=1,2
CALL CURVE(0.511,FLUXE)
CALL CALC(0.5110,ACD,DCSCLAU(L),MULT,FLUXE,TMASS)
912 CONTINUE
GO TO 903
913 REWIND ?
NO=NCNUCL*13
```

```
      DD 815 I=1,NONUCL
      WRITE(6,9) (STAFS(K),K=1,NOPAS)
  9 FORMAT(1H ,1H ,4X,7H TIME(H),4X,10(E8.3,1X),2X,2(E8.3,2X))
      WRITE(6,400)
*00 FORMAT(1H ,125H TARGET PRODUCT DSR(T1) DSR(T2) DSR(T3) DSR(T4)
 + DSR(T5) DSR(T6) DSR(T7) DSR(T8) DSR(T9) DSR(T10) DSR(T11)
 + DSR(T12))
      DD 816 L=IBASE,NO
      IF(INT(L).EQ.1) IDNO(I) GO TO 817
      GO TO 818
 817 DO 819 K=1,NOPAS
      DCSPRO(K)=DOSPRD(L)*EXP(-(STAFS(K)*0.693*3500.0/HAL(L)))
      IF(DHA(L).NE.0.0)DCSDGT(K)=0.0
      IF(DHA(L).NE.0.0)DCSDAU(L)*EXP(-(STAFS(K)*0.693*3600.0/HAL(L)))
      DOSNUC(K)=DOSPRO(K)+DCSGGT(K)
      DOSSUM(K)=DOSSUM(K)+DOSNUC(K)
      SYSCDS(K)=SYSDOS(K)+DOSNUC(K)
 813 CONTINUE
      WRITE(6,20) IDNO(I),NP(L),(DCSPRO(K),K=1,NOPAS)
 20 FORMAT(1X,I1,I5,2X,I5,2X+10(E8.3,1X),2X+2(E8.3,2X))
 815 CONTINUE
      WRITE(6,11)
 11 FORMAT(126H PRODUCT DAUGHTER DSR(T1) DSR(T2) DSR(T3) DSR(T4) DS
 + R(T5) DSR(T6) DSF(T7) DSR(T8) DSR(T9) DSR(T10) DSR(T11) DSR
 +(T12))
      DD 618 L=IBASE,NC
      IF(INT(L).NE.IDNC(I))GO TO 619
      IF(ND(L).NE.1)GO TO 619
      IF(L.NE.ND)GO TO 618
      GO TO 618
 619 WRITE(6,20)NP(L),ND(L),(DCSDGT(K),K=1,NOPAS)
 613 CONTINUE
      WRITE(6,81)(STAFS(K),K=1,NOPAS)
      WRITE(6,10)
 10 FORMAT(1H ,125H TARGET DSR(T1) DSR(T2) DSR(T3) DSR(T4)
 + DSR(T5) DSR(T6) DSR(T7) DSR(T8) DSR(T9) DSR(T10) DSR(T11)
 + DSR(T12))
      WRITE(6,23) IDNO(I),(DOSSUM(K),K=1,NOPAS)
 23 FORMAT(1X,5X,I5,5X,10(E8.3,1X),2X,2(E8.3,2X),//)
      DO 822 K=1,NOPAS
      DOSSUM(K)=0.0
 922 CONTINUE
 815 CONTINUE
      WRITE(6,414)
 414 FORMAT(1//)
      WRITE(6,81)(STAFS(K),K=1,NOPAS)
      WRITE(6,26)
 26 FORMAT(1H ,125H SYSTEM DSR(T1) DSR(T2) DSR(T3) DSR(T4)
 + DSR(T5) DSF(T6) DSR(T7) DSR(T8) DSR(T9) DSR(T10) DSR(T11)
 + DSR(T12))
      WRITE(6,51)(SYSDOS(K),K=1,NOPAS)
 51 FORMAT(1X,I5,X,10(E8.3,1X),2X,2(E8.3,2X))
      RETURN
END
```

```
SUBROUTINE CALC(E,ACT,DSFRD,MULT,FLUXE,TMASS)
C
C
CTHIS PROGRAM CALCULATES DOSERATE FOR 4 DIFFERENT GEOMETRIES
C
C
C
REAL MULT
REAL MU
COMMON A,V,F,DF,T1,T2,N,F,D,M,OPTION,IGEOM,ISAE
GO TO(11,12)(ISAB+1)
11 GO TO(31,32,33,34)IGEOM
31 DOSRAT=(ACT*MUL*2.5/(4.0*3.1416*FLUXE*(D*100.0)**2))
DSFRD=DSFRD*DOSRAT
RETURN
CTHE ABOVE DOSERATE CALCULATION IS FOR A POINT SOURCE
32 VOLU=4*3.1416*((R*100.)**3)/3
SOU=(ACT*MUL*2.5)/(VOLU*FLUXE**4.)
DOSRAT=SCU*(2*R*(R+D)*10000.-D*(2*R+D)*10000.*((ALOG((2*R+D)/D))/(
+R+D)*100.))
DSFRD=DSFRD*DOSRAT
RETURN
CTHE ABOVE DOSERATE CALCULATION IS FOR A HOMOGENEOUS NON-ABSORBING
CSPHERE
33 VOLU=3.1416*((R*100.)**2)*H*100.
SOU=(ACT*MUL*2.5)/(VOLU*FLUXE**4.)
DOSRAT=SCU*((H+D)*100.)*(ALOG(1+(R**21*((H+D)**2))+2*R*ATAN((H+D)/R)
+)/(H+D)+D*D0.*((ALOG(1+(R**21)/(D**21))+2*R*ATAN((D/F)/D))
DSFRD=DSFRD*DOSRAT
RETURN
CTHE ABOVE CALCULATION IS FOR A HOMOGENEOUS NON-ABSORBING CYLINDER WHERE
CTHE OBSERVER FACES THE AXIS
34 VOLU=4.*3.1416*((((P+H)*100.+3)-(R*100.))**3)/3.
SOU=(ACT*MUL*2.5)/(VOLU*FLUXE)
DOSRAT=SOU*H*100.
DSFRD=DSFRD*DOSRAT
RETURN
C ABOVE CALCULATION IS FOR A HOMOGENEOUS SPHERICAL CAVITY
C WITHOUT ABSORPTION WHERE THE OBSERVER IS AT THE CENTER
12 GO TO(41,42,42,42)IGEOM
41 WRITE(6,50)
50 FORMAT(10X,36HNO SELF-ABSORPTION FOR A POINT SOURCE)
GO TO 31
C THE ABOVE STATEMENTS RETURN TO NON-ABSORBING POINT SOURCE
42 AMJ=0.0488*(E**(-0.4633))
C CALCULATION OF THE ATTENUATION FACTOR
IF(E.LE.3.0)BFA=4.1-(10.2*E)
IF((E.GT.(3.0)),AND,(E.LE.(8.0)))BFA=-0.9*E+16.2
IF(E.GT.(8.0))BFA=AMAX1(4.0,(-2.5*E+29.))
C CALCULATION OF THE BUILD-UP FACTOR COEFFICIENT A
IF(E.LE.2.0)BALPH1=0.063*E-0.182
IF((E.GT.(2.0)),AND,(E.LE.(8.0)))BALPH1=-0.02*E-0.015
IF(E.GT.(8.0))BALPH1=-0.0085*E-0.107
C CALCULATE THE BUILD-UP FACTOR COEFFICIENT ALPHA1
IF(E.LE.(1.0))BALPH2=0.032*E+0.048
IF((E.GT.(1.0)),AND,(E.LE.(2.0)))BALPH2=-0.001*E+0.017
IF((E.GT.(2.0)),AND,(E.LE.(4.0)))BALPH2=0.012*E-0.009
```

```
IF(E.GT.(6.0)) .AND. (E.LE.(8.0))BALPH2=0.0012E+0.034
IF(E.GT.(8.0))BALPH2=0.012E-0.052
C   CALCULATE THE BUILD-UP FACTOR COEFFICIENT ALPHA2
GO TO(4,51,52,53)IGEM0
51   VOLU=4.*PI*(R**3)*(F**100.)**3)/3
      MU=1000.*AMU*TMASS/VOLU
      SDJ=(ACT*MULT*2.5)/(VOLU*FLUXE)
      CALL GEOFSPIR(P,MU,BALPH1,GFS)
      DOSRAT=SDU**100.*GFS*BFA/3.1416
      CALL GEOFSPIR(P,D,MU,BALPH2,GFS)
      DOSRAT=DOSRAT+SDU**R**100.*((1.-BFA)*GFS/3.1416
      DSPRD=DSFRD+DOSRAT
      RETURN
C   CALCULATE THE DOSE RATE AT A POINT OUT OF AN ABSORBING SPHERE
52   VOLU=3.*1.416*(R**100.)**2)**3/R**3
      MU=1000.*AMU*TMASS/VOLU
      SDU=(ACT*MULT*2.5)/(VOLU*FLUXE)
      TETA=ATAN(R/(R**3))
      IF((R**3<0.1).GT.(3./MU))GO TO 60
      CALL GEOFCY(BALPH1,MU,TETA,H,GFC)
      DOSRAT=SDU*((1.-COS(TETA)+GFC)*3FA/(2.*MU*(1.+BALPH1)))
      CALL GEOFCY(BALPH2,MU,TETA,H,GFC)
      DOSRAT=SDU*((1.-COS(TETA)+GFC)*(1.-BFA)/(2.*MU*(1.+BALPH2)))+DOSPAT
      DSPRD=DSFRD+DOSRAT
      RETURN
50   DOSRAT=SDU*((1.-COS(TETA))*(BFA/((1.+BALPH1)*MU)+(1.-BFA)/(1.+BALP
      H2)*MU))/2.
      DSPRD=DSFRD+DOSRAT
      RETURN
C   CALCULATE THE DOSE RATE FOR A HOMOGENEOUS ABSORBING CYLINDER
C   WHERE THE OBSERVER FACES THE AXIS
53   VOLU=4.*3.1416*((((R**3)*100.)**3)-(R**100.)**3)/3.
      MU=1000.*AMU*TMASS/VOLU
      SDJ=(ACT*MULT*2.5)/(VOLU*FLUXE)
      DOSRAT=(SDU*BFA*((1.-EXP(-MU*(1.+BALPH1)*R**100.))/MU/(1.+BALPH1))+*
      *(SDU*(1.-BFA)*(1.-EXP(-MU*(1.+BALPH2)*R**100.))/MU/(1.+BALPH2)))
      DSPRD=DSFRD+DOSPAT
      RETURN
C   CALCULATE THE DOSE RATE AT THE CENTER OF A SPHERICAL
C   ABSORBING CAVITY
      EN0
```

SUBROUTINE GEOFSP(X,Y,Z,T,GFS)

C
C
C GIVEN THE RADIUS IN X, THE DISTANCE FROM THE SURFACE IN Y, THE
C ATTENUATION FACTOR IN Z AND THE BUILD-UP FACTOR COEFFICIENTS IN T
C CALCULATES THE GEOMETRIC FUNCTION FOR ABSORBING SPHERE USING AN
C ANALYTICAL APPROXIMATION OF THE G FUNCTION
C

GFS=0.
PSP=(X+Y)/X
GFS=EXP(-((0.342*X*Z*(1.+T)+2.07322)*ALOG(PSP)+AMIN1((60.*X*Z*(1. +
*T)-0.144),(46.37*X*Z*(1.+T)-0.035),(28.78*X*Z*(1.+T)+0.3168),(14.5
+5*X*Z*(1.+T)+0.2861),(2.17*X*Z*(1.+T)+1.3966),(4.72*X*Z*(1.+T)+1.7
+42))))
RETURN
END

SUBROUTINE GEOPCY(X,Y,T,Z,GFC)

C
C
C GIVEN THE BUILD-UP FACTOR COEFFICIENTS IN X, THE ATTENUATION FACTOR
C IN Y, THE HEIGHT IN Z, THE ANGLE IN T, CALLS THE GEOMETRIC
C FUNCTION FOR ABSORBING CYLINDER USING AN APPROXIMATION OF THE E2
C FUNCTION

C
C
REAL VAR,VARI
VAR=0.
VARI=0.
GFC=0.
VAR=(1+X)*Y*Z*10C.
VARI=VAR/COS(T)
CALL E2(VARI,RES)
GFC=COS(T)*RES
CALL E2(VAR,RES)
GFC=GFC-RES
RETURN
END

```
SUBROUTINE E2(X,FES)
C
C ESTIMATE E2(X) THE SECOND SPECIES EXPONENTIAL INTEGRAL FUNCTION
C
C
RES=0.
IF(X.GE.0.1)GO TO 33
TOL=0.0001
TOTAL=0.0
A=X
B=5.*X
DO 10 I=1,10
CALL RCB(A,B,TOL,RESULT)
TOTAL=TOTAL+RESULT
A=B
B=B*5.
10 CONTINUE
RES=X*TOTAL
RETURN
33 RES=EXP(-X)*(1/(2.+X)+2./((2.+X)**3))
RETURN
END
```

```
SUBROUTINE ROME(A,B,TOL,RESULT)
C
C INTEGRATE USING THE ROMBERG METHOD
C
C
DIMENSION TRAP(11,11)
H=(B-A)/10.
SUM=(EXP(-A))/(A**2)+(EXP(-B))/(B**2)
X=A
DO 10 I=2,10
X=X+H
SUM=SUM+((EXP(-X))/(X**2))*2.
10 CONTINUE
TRAP(1,1)=H/2.*SUM
DO 20 I=1,10
H=1/2
X=A+H
K=10*2**I
DO 30 J=2,K,2
SUM=SUM+((EXP(-X))/(X**2))*2
X=X+H+H
30 CONTINUE
TRAP(1,I+1)=H/2.*SUM
DO 40 L=1,I
TRAP(L+1,I+1)=TRAP(L,I+1)+1./(.**L-1.)*(TRAP(L,I+1)-TRAP(L,I))
40 CONTINUE
IF(ABS(TRAP(I+1,I+1)-TRAP(I,I+1))>TOL)50,50,20
20 CONTINUE
50 RESULT=TRAP(I,I)
RETURN
END
```

SUBROUTINE CURVE IE,FLUXE)

C
C
CGIVEN THE ENERGY OF THE GAMMA RAY, THIS PROGRAM CALCULATES THE PARTICLE
CFLUX(QUANTA/CM**2*SEC) THAT CORRESPONDS TO A DOSE RATE OF 2.5 MR/HP --
CFLUXE

C
C
C ARGUMENTS IN-DLE REL
C ARGUMENTS OUT-FLUXE
C

IF(E.GE.0.010.AND.E.LE.0.020) GO TO 1
IF(E.GT.0.020.AND.E.LE.0.040) GO TO 2
IF(E.GT.0.040.AND.E.LE.0.050) GO TO 3
IF(E.GT.0.050.AND.E.LE.0.060) GO TO 4
IF(E.GT.0.060.AND.E.LE.0.080) GO TO 5
IF(E.GT.0.080.AND.E.LE.0.150) GO TO 6
IF(E.GT.0.150.AND.E.LE.0.400) GO TO 7
IF(E.GT.0.400.AND.E.LE.0.600) GO TO 8
IF(E.GT.0.600.AND.E.LE.1.000) GO TO 9
IF(E.GT.1.000.AND.E.LE.1.500) GO TO 10
IF(E.GT.1.500.AND.E.LE.3.000) GO TO 11
IF(E.GT.3.000.AND.E.LE.6.000) GO TO 12
IF(E.GT.6.000.AND.E.LE.10.000) GO TO 13
FLUXE=1.0E+99
FETLBN
1 FLUXE=21.95330.E4*E**2.1759447
RETBN
2 FLUXE=11.4E1233.227**2.013E022
RETBN
3 FLUXE=1036918.975**1.2698E53
RETBN
4 FLUXE=9E497.38032E**0.4772399
RETBN
5 FLUXE=11225.12221E**(-0.2674410)
RETBN
6 FLUXE=55482.7832E*EXP(E*(-10.9132069))
RETBN
7 FLUXE=1330.569205E**(-1.103E085)
RETBN
8 FLUXE=14.E2.15856E**(-1.0604513)
RETBN
9 FLUXE=1546.957795E**(-0.8891058)
RETBN
10 FLUXE=1549.091320E**(-0.7797676)
RETBN
11 FLUXE=1508.205757E**(-0.718E754)
RETBN
12 FLUXE=1488.3E2.190E**(-0.7051622)
RETBN
13 FLUXE=1656.252874E**(-0.7649757)
RETBN
END

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