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Rodney H. Banks and Norman Edelstein

June 1980

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Vibrational Spectra and Normal Coordinate Analysis of Neptunium (IV) Borohydride and Neptunium (IV) Borodeuteride

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### Abstract

Solid state, low temperature IR  $(25\text{-}7400~\text{cm}^{-1})$  and Raman  $(100\text{-}2600~\text{cm}^{-1})$  spectra were obtained for Np(BH<sub>4</sub>)<sub>4</sub> and Np(BD<sub>4</sub>)<sub>4</sub> from which most of the allowed fundamentals were assigned based on the T<sub>d</sub> molecular structure. Those assignments were used in a normal coordinate analysis to derive a simple force field using 8 primary and 5 interaction constants. This field is very similar to those found for  $\text{Zr}(\text{BH}_4)_4$  and  $\text{Hf}(\text{BH}_4)_4$ . Isotopic impurity, overtone, and combination bands were identified in the IR spectra with the help of the normal coordinate calculations. Near IR spectra of  $\text{Zr}(\text{BH}_4)_4$  and  $\text{Zr}(\text{BD}_4)_4$  were taken in the range 7400-4000 cm<sup>-1</sup> and the observed absorption bands were assigned as either overtone or combination levels.

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Vibrational Spectra and Normal Coordinate Analysis of
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#### I. Introduction

Uranium borohydride,  $U(BH_4)_4$ , was the first tetrakis-borohydride known and was synthesized during the Manhattan project. Subsequently  $Hf(BH_4)_4$ ,  $Zr(BH_4)_4$ , and  $Th(BH_4)_4$  were synthesized and their physical properties determined. All four compounds are solids at room temperature, but  $Hf(BH_4)_4$  and  $Zr(BH_4)_4$  are appreciably more volatile than their actinide analogs. We have recently reported the syntheses of  $Pa(BH_4)_4$ ,  $Np(BH_4)_4$  and  $Pu(BH_4)_4$ . As expected,  $Pa(BH_4)_4$  has physical properties (melting point, sublimation temperature) intermediate to those of Th and The unitary of the u

The seven known metal tetrakis-borohydrides are all of the same symmetry in the gas phase  $^{3-5}$  but in the solid state, exhibit three types of crystal structures.  $^{6-9}$  Analyses of the vibrational spectra have been reported for the tetragonal, polymeric structure displayed by Th,  $^{10}$  Pa,  $^{11}$  and  $^{10}$  and  $^{10}$  borohydrides and for the cubic monomeric structure shown by  $^{10}$  and  $^{10}$  an

addition, the assignments of some spectral features remained doubtful and need further examination. Non-fundamental bands arising from combination and overtone transitions and normal modes involving isotopic impurity atoms were given little attention and IR spectra above 4000 cm<sup>-1</sup> were not examined at all.

We report in this paper an analysis of the IR and Raman spectra of  $\operatorname{Np}(\operatorname{BH}_4)_4$  and  $\operatorname{Np}(\operatorname{BD}_4)_4$  which, like the analogous Pu compounds, display the third structure type, the tetragonal, monomeric structure. An attempt was made to elucidate some of the uncertainties in the earlier analyses mentioned above and also to explain the origin of the nonfundamental bands seen in the IR spectra from 25-7400 cm<sup>-1</sup> for  $\operatorname{Np}(\operatorname{BH}_4)_4$  and in the near IR region for  $\operatorname{Zr}(\operatorname{BH}_4)_4$ . In doing so, it was found that the unobserved  $\operatorname{T}_1$  fundamentals and modes involving the less abundant  $\operatorname{Np}(\operatorname{BH}_4)_4$  atoms were very important, and required a heavy reliance on the normal coordinate calculations using the derived force field.

#### II. Experimental

Neptunium (IV) borohydride was prepared and purified as described previously.  $^3$  Zirconium borohydride was synthesized by the reaction of Na<sub>2</sub>ZrF<sub>6</sub> with liquid Al(BH<sub>4</sub>)<sub>3</sub> at room temperature.  $^2$  The borodeuterides were conveniently made by allowing a mixture of the metal borohydride vapor and dry,  $0_2$ -free  $0_2$  gas to stand in a sealed glass reaction bulb at  $25^{\circ}$ C.  $^{11}$  At 2-day intervals the bulb was cooled to  $-78^{\circ}$ , evacuated, and refilled with another volume of  $0_2$ . After several such cycles the metal borodeuteride (> 99%D) was obtained in high yield.

Low temperature near IR spectra of Np(BH $_4$ ) $_4$ , Zr(BH $_4$ ) $_4$ , and Zr(BD $_4$ ) $_4$  were taken on a nitrogen-purged Cary 17 spectrophotometer in the

region 7400-4000 cm<sup>-1</sup> (1.35-2.5 $\mu$ ). The borohydride compound was freshly sublimed from its storage tube held at -10 $^{0}$ C into a degassed quartz optical cell. The cell was then sealed off and the solid borohydride was melted and collected into the lower optical section. Thin single crystals of Zr(BH<sub>4</sub>)<sub>4</sub> (25 and 1000 $\mu$  thick) and Zr(BD<sub>4</sub>)<sub>4</sub> (1000 $\mu$  thick) were vapor grown using the cold wire technique. <sup>15</sup> A Np(BH<sub>4</sub>)<sub>4</sub> single crystal of 25 $\mu$  path length was obtained by cooling the liquid very slowly to  $\sim$  150K in the optical dewar. All near IR spectra were taken at 2K.

For the region 4000-200 cm $^{-1}$ , a N $_2$ -flushed Perkin-Elmer 283 spectrophotometer was used. Room temperature gas phase spectra of Np(BH $_4$ ) $_4$  and Np(BD $_4$ ) $_4$  were taken of the sample vapor ( $\sim$  6 Torr) contained in a 10 cm cell fitted with CsI windows. To obtain low temperature, solid state IR spectra in this region, the sample vapor was condensed as a thin film onto an inner CsI window cooled to 77K in a liquid nitrogen cryostat.

Far infrared spectra were obtained for  $Np(BH_4)_4$  and  $Np(BD_4)_4$  in the range 200-25 cm<sup>-1</sup>. The cryostat employed was equipped with outer windows made of 2 mil-thick mica. The inner sample window was a thin, wedged sapphire disk cooled to 77K by a copper cold finger in contact with liquid nitrogen. The IR radiation was guided through the cryostat and into the detector via 1/2"0.D. brass light pipes which were kept evacuated during the runs. Absorptions due to window materials were subtracted out during data processing. A far infrared, 2-beam Michelson interferometer  $^{16}$  was used to collect the data from which the spectra were obtained by computing the Fourier transforms of the truncated interferograms sampled at every  $1/4 \text{ cm}^{-1}$ .

Raman spectra were taken of  $Np(BH_4)_4$  (2600-100 cm<sup>-1</sup>) and  $Np(BD_4)_4$  (2300-100 cm<sup>-1</sup>) using a Ramanor HG, 2S spectrometer and the exciting

514.5 nm line of a Coherent Radiation Model CR-2 argon ion laser. The scattered light was analyzed at  $90^{\circ}$  to the incident beam with a J-Y double monochromator and detected by a photon counting system. The borohydride sample vapor was condensed as a thick polycrystalline layer onto a 77K cold finger housed in a 30 mm 0.D. quartz tube. This spraying technique gave poor polarization results but was the only method tried which yielded acceptable peak intensities. The Raman polarized A<sub>1</sub> bands were easily identified by comparing the frequencies and intensities of our spectral lines to those in the Raman spectra of the Zr and Hf analogs.

### III. Symmetry Classification of $M(BH_4)_4$ Normal Modes

A low temperature, single crystal x-ray diffraction study of  $\operatorname{Np}(\operatorname{BH}_4)_4^6$  showed that the molecule is monomeric and the four borohydride ions are disposed tetrahedrally about the Np atom. The boron atoms are connected to the Np atom by triple hydrogen bridge bonds. There was no evidence that the symmetry of the molecule was lower than  $T_d$ . The molecular structure of  $\operatorname{Np}(\operatorname{BH}_4)_4$  has the same basic geometry as that of  $\operatorname{Zr}(\operatorname{BH}_4)_4$  and  $\operatorname{Hf}(\operatorname{BH}_4)_4^{9,17}$  which were also found to be of  $T_d$  symmetry in the solid state by x-ray and neutron diffraction methods, respectively.

The 57 normal vibrational modes of a tetrahedral  $M(BH_4)_4$  molecule can be classified according to their symmetry properties with  $\Gamma_V = 4A_1 + A_2 + 5E + 5T_1 + 9T_2$ . Only the  $T_2$  modes are IR active and the  $A_1$  (polarized), E, and  $T_2$  modes are Raman active. Those vibrations which are of  $A_2$  or  $T_1$  symmetry are both IR and Raman inactive.

Some fundamentals give rise to overtone and combination bands which were seen in the vibrational spectra. Since combination bands are seldom observed in the ordinary Raman effect, only those which are symmetry allowed in the IR were considered here. Based on intensity arguments, 18

difference bands were assumed to be unobservable. Only overtones of the  $T_1$  and  $T_2$  modes are IR active and those binary IR active combinations comprised of allowed parent fundamentals are  $A_1+T_2$ ,  $E+T_2$ , and  $T_2+T_2$ . The active combination bands which involve the inactive  $A_2$  or  $T_1$  modes are  $A_2+T_1$ ,  $E+T_1$ ,  $T_1+T_1$ , and  $T_1+T_2$ .

### IV. Infrared and Raman Spectra. 4000-25 cm<sup>-1</sup> Region.

The gas phase IR spectra of  $Np(BH_4)_4$  and  $Np(BD_4)_4$  are shown in Fig. 1. The low temperature, solid state IR spectra are given in Figs. 2 and 3 and the Raman spectra in Figs. 4 and 5. Complete listings of the absorption band frequencies, assignments, internal coordinate compositions, and qualitative descriptions of the spectral features for all spectra below 4000 cm<sup>-1</sup> are given in Tables 1-3.

- A. Assignment of Fundamental Vibrations.\*
- 1.  $2600-2500 \text{ cm}^{-1} (2000-1900 \text{ cm}^{-1}) \text{ Region}$

The highest energy fundamental vibrations are stretches of the boron and terminal hydrogen atoms. The four B-H $_{\rm t}$  bonds transform as A $_{\rm l}$  + T $_{\rm l}$  where the A $_{\rm l}$  mode is the in-phase vibration and the T $_{\rm l}$  modes are the degenerate set of out-of-phase stretches.

Apart from coupling to other motions occurring in the molecule, these  $A_1$  and  $T_2$  modes should be similar in energy. A slightly broad band is seen in the Raman spectrum at 2557 cm<sup>-1</sup> (H) and is assigned as  $v_1^{A_1}$ . The corresponding borodeuteride peak occurs at 1913 cm<sup>-1</sup> ( $v_1^{A_1}$ ) and is accompanied by a shoulder at 1925  $\pm$  5 cm<sup>-1</sup>. The gas phase IR spectra show strong bands at 2568 cm<sup>-1</sup>(H) and 1922 cm<sup>-1</sup>(D) with the latter having a shoulder at 1930 cm<sup>-1</sup>. In the solid state, a strong, sharp singlet at 2551 cm<sup>-1</sup>(H)

<sup>\*</sup>See the Appendix to relate our numbering with earlier work.

and a sharp, intense absorption at 1912 cm $^{-1}$ (D) adjacent to a weaker, well-resolved band at 1931 cm $^{-1}$  are observed. The strong IR bands at 2551 cm $^{-1}$  and 1912 cm $^{-1}$  are assigned as  $v_1^{-1}$ 2.

In terms of energy, these modes are far removed from all the others and are nearly pure  $vBH_{t}(vBD_{t})$  stretches with vH/vD = 1.33, indicating primarily hydrogen motion coupled to slight amounts of boron motion. As is observed in other metal borohydrides,  $^{13},^{19}$  these vibrational states exhibit small matrix shifts to lower energies.

### 2. $2200-2000 \text{ cm}^{-1} (1600-1500 \text{ cm}^{-1}) \text{ Region}$

Normal modes giving absorption bands in this region are due to stretches of the boron and bridging hydrogen atoms. The set of twelve  $BH_b$  bonds transform as  $A_1$  + E +  $T_1$  +  $2T_2$  and four Raman and two IR bands are predicted to be observed in the spectra. In the gas phase,  $Np(BH_4)_4$  shows two strong IR absorption bands at 2155 and 2084 cm<sup>-1</sup> which experience matrix shifts to lower energies in the solid and appear at 2143 and 2069 cm<sup>-1</sup>. These bands are assigned as  $v_2^{T_2}$  and  $v_3^{T_2}$ , respectively. It is seen that  $v_2^{T_2}$  is broader than  $v_3^{T_2}$  due to the presence of a weak shoulder on  $v_2^{T_2}$  at 2130 cm<sup>-1</sup> which becomes well resolved in the solid state spectrum at 2110 cm<sup>-1</sup>. The  $v_3^{T_2}$  fundamental also splits in the solid with a separation of 10 cm<sup>-1</sup>.

The Raman spectrum of Np(BH<sub>4</sub>)<sub>4</sub> displays three bands instead of the predicted four at 2149, 2123, and 2070 cm<sup>-1</sup> because  $v_2^{A_1}$  at 2149 cm<sup>-1</sup> overlaps with the  $v_2^{T_2}$  peak seen in the solid state IR spectrum at 2143 cm<sup>-1</sup>. The medium-intensity 2070 cm<sup>-1</sup> Raman line, exhibiting a shoulder at 2060 cm<sup>-1</sup>, corresponds to  $v_3^{T_2}$  which was observed as a close doublet at 2069 and 2059 cm<sup>-1</sup> in the IR spectrum. Since no IR coincidence is observed for the Raman

feature at 2123 cm $^{-1}$ , its assignment as  $v_1^{E}$  is straightforward.

The spectral pattern for Np(BD<sub>4</sub>)<sub>4</sub> differs significantly from that just discussed for Np(BH<sub>4</sub>)<sub>4</sub> in that three well separated IR bands and four Raman bands are observed. Similar behavior is also noted in the spectra of the analogous Zr,  $^{13,20}$  Hf,  $^{14,20}$  and U<sup>12</sup> compounds and a completely satisfactory explanation has yet to be found. Gas phase IR transitions occur at 1605, 1558, and 1526 cm<sup>-1</sup> which sharpen and shift slightly to 1593, 1548, and 1516 cm<sup>-1</sup> in the solid. Comparison of both energies and intensities of these bands with those of other metal tetrakis-borodeuterides  $^{12,13}$  infers the assignment of 1516 cm<sup>-1</sup> as  $v_3^{-2}$ . The vH/vD ratio for  $v_3^{-2}$  is 1.36 and is consistent with that expected for a vBH<sub>b</sub> (vBD<sub>b</sub>) stretching mode.

The four Raman bands are seen at 1619, 1592, 1549, and 1517 cm $^{-1}$ . All 13,14 The strong, sharp peak at 1517 cm $^{-1}$  is easily assigned as  $v_2$  which is nearly coincident with its out-of-phase partner,  $v_3$  (D), at 1516 cm $^{-1}$ . Having a VH/VD ratio of 1.31 and no strong IR incidence, the rather weak Raman line at 1619 cm $^{-1}$  is tentatively assigned as  $v_1$ .

Since the remaining two Raman transitions at 1592 and 1549 cm $^{-1}$  are practically at the same energies as the 1593 and 1548 cm $^{-1}$  IR bands, they are identified as  $T_2$  species, one of which is  $v_2^{T_2}(D)$ . Isotopic frequency ratios are not sufficiently sensitive here so both species are equally likely candidates. Intensity considerations, however, favor 1548 cm $^{-1}$  (1549 cm $^{-1}$ ) as the fundamental vibration. The presence of the overtones of these  $vBD_b$  modes allows the identification of  $v_2^{T_2}(D)$ . In the solid state IR spectrum of  $Np(BD_4)_4$  two weak but sharp peaks are observed at 3012 and 3074 cm $^{-1}$ . As in the case of  $Zr(BD_4)_4$ , the  $v_3^{T_2}$  fundamental produces an observable overtone,  $2v_3^{T_2}$ , seen at 3012 cm $^{-1}$  in the spectrum of  $Np(BD_4)_4$  (2 x  $v_3^{T_2}$  = 3032 cm $^{-1}$ ). The other  $vBD_b$  fundamental,  $v_2^{T_2}$ , being similar in internal coordinate composition to  $v_3^{T_2}$ , gives the overtone

at 3074 cm $^{-1}$ . Assuming equal degrees of anharmonicity in  $v_2^{-\frac{T_2}{2}}$  and  $v_3^{-\frac{T_2}{2}}$ , the frequency for  $v_2^{-\frac{T_2}{2}}$  can be calculated as

$$v_2^{T_2} = 1/2 (2v_2^{T_2} - 2v_3^{T_2}) + v_3^{T_2} = 1547 \text{ cm}^{-1}.$$

This value is very close to those of the observed IR and Raman bands at 1548 and 1549 cm $^{-1}$ , respectively, and these two bands are assigned as  $v_2^{-1}(D)$ .

### 3. $1300-1050 \text{ cm}^{-1} (950-800 \text{ cm}^{-1}) \text{ Region}$

This spectral region is comprised of metal-hydrogen stretches and internal  $BH_4$  bending motions. Each symmetrically equivalent set of internal coordinates,  $12 \text{ MH}_b$ ,  $12 \text{ H}_b BH_b$  and  $12 \text{ H}_t BH_b$  transforms as  $A_1 + E + T_1 + 2T_2$  and being similar in energy, combine to give complicated normal modes. Three IR and six Raman bands are expected to be observed.

The gas phase IR spectrum of  $\mathrm{Np}(\mathrm{BH}_4)_4$  shows a strong broad band at 1240 cm<sup>-1</sup>, a weaker one at 1122 cm<sup>-1</sup>, and a number of shoulders visible on both. For the borodeuteride these modes are seen at 928 and 845 cm<sup>-1</sup> where the latter is very weak. Infrared spectra for monomeric  $\mathrm{U}(\mathrm{BH}_4)_4^{4,5,12}$  and  $\mathrm{U}(\mathrm{BD}_4)_4^{12}$  show transitions at 1237 and 1121 cm<sup>-1</sup> for the borohydride but only one band at 924 cm<sup>-1</sup> for  $\mathrm{U}(\mathrm{BD}_4)_4$ . The three IR fundamentals are not distinguishable in the gas phase spectra where the broadness of the bands may cause the overlap of two modes which are close in energy. In contrast,  $\mathrm{Zr}(\mathrm{BH}_4)_4$  and  $\mathrm{Hf}(\mathrm{BH}_4)_4$  give different patterns and have bands which are well separated.

Differences in the solid state IR spectra between the Np and the Zr compounds are even more pronounced. The gas phase bands split into many sharper ones and the shoulders become clearly resolved. It is impossible with the

present data to correctly choose  $v_4^{T_2}$ ,  $v_5^{T_2}$ , and  $v_6^{T_2}$  but for the purpose of the normal coordinate calculation, any reasonable choice is satisfactory.

The broad 1240 cm<sup>-1</sup>(H) gas phase absorption band experiences no observable matrix shift and in the solid divides into a strong, symmetrical doublet at 1247 and 1225 cm<sup>-1</sup>. Although the weaker band at 1276 cm<sup>-1</sup> corresponds well to  $v_4^{T_2}$  at 1286 cm<sup>-1</sup> in  $\text{Zr}(\text{BH}_4)_4$ , its low intensity does not favor this assignment and  $v_4^{T_2}$  is assigned to the 1247 cm<sup>-1</sup> peak. There is a Raman spectrum coincidence at 1230 cm<sup>-1</sup>, so the 1225 cm<sup>-1</sup> band is assigned as  $v_5^{T_2}$ . Matrix effects are most strongly observed for the 1122 cm<sup>-1</sup>(H) gas phase band which is seen in the solid to be split into a doublet at 1159 and 1138 cm<sup>-1</sup> where the most intense and least shifted peak (1138 cm<sup>-1</sup>) is rather arbitrarily assigned as  $v_6^{T_2}$ . Overtone bands of these  $T_2$  modes are observed in the solid state IR spectra but due to their broadness, they cannot help in locating the fundamental vibrations.

Similar behavior is noted in the Np(BD<sub>4</sub>)<sub>4</sub> spectra. The strong gas phase absorption at 928 cm<sup>-1</sup> becomes several equally intense bands at 941, 926, 917, and 910 cm<sup>-1</sup> with the least shifted bands, 926 and 917 cm<sup>-1</sup>, being assigned as  $v_4^{-2}$  and  $v_5^{-2}$ . The very weak feature in the gas phase spectrum at 845 cm<sup>-1</sup> sharpens in the solid state and moves to higher energy, 860 cm<sup>-1</sup>, but unlike the borohydride case, does not split. It has a Raman spectrum correspondence at 863 cm<sup>-1</sup> and is assigned as  $v_6^{-2}$ .

In the Raman spectra, the  $v_3^{A_1}$  modes occur at 1283 cm<sup>-1</sup>(H) and 955 cm<sup>-1</sup>(D) yielding vH/vD = 1.34. The E modes,  $v_2^{E}$  and  $v_3^{E}$ , are found at 1260 cm<sup>-1</sup>(H), 905 cm<sup>-1</sup>(D), and 1053 cm<sup>-1</sup>(H), 795 cm<sup>-1</sup>(D), respectively. These assignments

conform to those of the Zr and Hf compounds.

4. 600-450 cm<sup>-1</sup> (450-400 cm<sup>-1</sup>) Region.

At this point one  $A_1$ , two E, and three  $T_2$  fundamentals need to be located and four Raman and two IR bands are expected in this spectral region. Metalboron stretches transform as  $A_1 + T_2$  and for these modes, vH/vD ratios should be near unity. For the other E and  $T_2$  modes, the most significant contributions are from  $\delta$ HBH and  $vMH_b$  coordinates and therefore should give larger vH/vD ratios  $\approx 1.3$ .

The VMB stretching vibrations are easily identified with the aid of their low VH/VD ratios. Strong IR bands at 475 cm  $^{-1}(H)$  and 437 cm  $^{-1}(D)$  give  $^{T_2}_{VH/VD} = 1.087$  and are assigned as  $v_8^{-1}(H)$  and  $v_7^{-1}(D)$ . Their in-phase counterparts,  $v_4^{-1}(H,D)$ , are observed at 517 cm  $^{-1}(H)$  and 475 cm  $^{-1}(D)$  in the Raman spectra and give a similar VH/VD ratio of 1.088. The VMB  $T_2$  fundamentals are present only weakly as shoulders in the Raman spectra near the bases of the  $v_4^{-1}$  bands.

Spectral differences between the actinide and Zr, Hf compounds are also seen in this region but in the IR spectra only. A medium intensity band occurs at  $^{\sim}400~{\rm cm}^{-1}$  in each of the Zr, Hf(BD $_4$ ) $_4$  spectra but not in those of U(BD $_4$ ) $_4$  or Np(BD $_4$ ) $_4$ . Previous assignments  $^{13}$ ,  $^{14}$  for these extra bands near 400 cm $^{-1}$  identified them as  $^{\sim}8^{2}$ (D) lying below the intense  $^{\sim}7^{2}$ (D) fundamental by about 80 cm $^{-1}$ . The corresponding Zr, Hf borohydride modes,  $^{\sim}7^{2}$ (H), however were not assigned with certainty as they were observed to be extremely weak. It was pointed out  $^{9}$ ,  $^{20}$  in earlier papers that the great intensity of the 400 cm $^{-1}$  bands may be due to a Fermi resonance interaction of  $^{\sim}8^{2}$ (D) with another  $^{\sim}12^{2}$  species such that resonance occurs only for the borodeuterides. Our examination of the  $^{\sim}12^{2}$ 0 ratios for the  $^{\sim}12^{2}$ 0 modes of the actinide compounds, where this

phenomenon is absent, to those of Zr and Hf, suggests that the other interacting  $T_2$  species is  $v_7^{T_2}(D)$ . The ratios for the vMB modes of Np are 1.087 ( $T_2$ ) and 1.088 ( $A_1$ ) are the same as those of U, 1.087 ( $T_2$ ). The corresponding  $T_2$  ratios for Zr and Hf relative to 1.087 reflect the degree of Fermi resonance for these vibrations since their  $A_1$  ratios, 1.078 and 1.082, respectively, are nearly the same as those of U and Np.  $T_2$  ratios close to 1.087 indicate little or no resonance and smaller values suggest that some resonance is occurring. The vH/vD ratios for  $v_8^{T_2}(H)$  and  $v_7^{T_2}(D)$  are 1.043 for Zr and 1.026 for Hf. It is concluded that  $v_7^{T_2}(H)$  and  $v_8^{T_2}(D)$  for all compounds are inherently very weakly IR active and only the latter is observed for Zr, Hf(BD<sub>4</sub>)<sub>4</sub> through the effects of Fermi resonance with  $v_7^{T_2}(D)$ . The lack of an observed state other than  $v_7^{T_2}(D)$  in the 450-350 cm<sup>-1</sup> range precludes an assignment of  $v_8^{T_2}(D)$ .

The remaining fundamental in this region is  $v_4^E$ . In the Raman spectra of the Zr and Hf compounds very weak lines were assigned as  $v_4^E$  at 533 cm<sup>-1</sup>(H) and 435 cm<sup>-1</sup>(D) for Zr and tentative assignments were made for Hf at 570 cm<sup>-1</sup>(H) and 430 cm<sup>-1</sup>(D). No bands near those of Zr and Hf are noted in the Np Raman spectra. There is a very weak band at 639 cm<sup>-1</sup>(H) but no firm assignments for  $v_4^E$  can be made since the borodeuteride counterpart is missing.

### 5. 200-25 cm<sup>-1</sup> Region

The last two fundamental vibrations found in this region are  $v_9^{-12}$  and  $v_5^E$  which are comprised of  $\delta$ HMH and small amounts of  $\delta$ BMB bends. The Raman spectra show very strong bands at  $168~\rm cm^{-1}(H)$  and  $154~\rm cm^{-1}(D)$ . Weaker peaks are observed at  $141~\rm cm^{-1}(H)$  and  $121~\rm cm^{-1}(D)$ . A priori, either of a pair could be the E or  $T_2$  fundamental since both species are symmetry allowed in the Raman spectrum. Both bands have approximately the same  $v_1/v_2$  ratio

and the Teller-Redlich isotopic product rules are not very useful here as assignments are missing from each of the E and  $T_2$  symmetry blocks.

Far infrared spectra of Np(BH<sub>4</sub>)<sub>4</sub> and Np(BD<sub>4</sub>)<sub>4</sub> (Fig. 3) show strong bands at 130 cm<sup>-1</sup>(H) and 112 cm<sup>-1</sup>(D). These bands correspond reasonably well to the Raman lines at 141 cm<sup>-1</sup> and 121 cm<sup>-1</sup> and can be assigned as  $v_9^{T2}$ . The other, higher-energy Raman bands at 168 cm<sup>-1</sup> and 154 cm<sup>-1</sup> are identified as  $v_5^{E}$ . Our assignments agree with those made for the Zr and Hf compounds.

### B. Teller-Redlich Isotopic Product Rules

The theoretical ratios 11,18 for the products of frequencies can be useful in checking a set of assignments. Usually observed frequencies give ratios slightly smaller than predicted theoretically due to effects of anharmonicity. 18

The experimental Teller-Redlich ratio for the complete  $A_1$  symmetry block is 2.77 and compares very favorably to the theoretical ratio of 2.82. Although the E and  $T_2$  blocks are incomplete, assuming a reasonable ratio of 1.33 for the missing assignments gives ratios of 10.1 and 3.51 for the  $T_2$  and E blocks respectively. Theoretical ratios are 11.58 and 3.99.

### V. <u>Normal Coordinate Analysis</u>

The program NORCRD used to calculate frequencies and normal coordinates was devised by W. Gwinn<sup>21</sup> and later expanded to include least squares fitting, group theory, and other calculations by D. Reuter.<sup>22</sup> It sets up the normal coordinate problem in terms of mass-weighted Cartesian coordinates in which the kinetic energy matrix is a unit matrix and the potential energy matrix contains

the force constants in terms of bond distances and angles. In diagonalizing the V matrix the frequencies and normal modes are obtained.

The molecular structure parameters used in the calculations were taken from the results of the low temperature x-ray structure study on  $\mathrm{Np}(\mathrm{BH_4})_4$ . Internal coordinate sets employed in this analysis were the  $\mathrm{4BH_t}$ ,  $\mathrm{12BH_b}$ ,  $\mathrm{12MH_b}$ , and  $\mathrm{4MB}$  bonds;  $\mathrm{12H_tBH_b}$ ,  $\mathrm{12H_bBH_b}$ , and  $\mathrm{12H_bMH_b}$  (triads of  $\mathrm{H_b}$ 's related by  $\mathrm{C_3}$ ) angles; and  $\mathrm{36H_bBMB}$  torsions. Variations in these sets were considered during the fitting process. The fundamental frequencies which were used as input to the program were given unit weight and are listed in Tables 2 and 3.

Since there are not as many observed spectral data as there are independent force constants, an approximate general valence force field was derived using a limited number of the more important constants. Fits using only primary force constants were tried first and then interaction constants were added later to achieve better agreement.

The optimum force field is given in Table 4 and the calculated frequencies it produces are listed in Table 5. The standard deviation is  $10 \text{ cm}^{-1}$  for 32 of the 36 allowed fundamentals.

The agreement between calculated and observed fundamental frequencies in the A $_1$  block is very good for both Np(BH $_4$ ) $_4$  and Np(BD $_4$ ) $_4$  while that in the others is satisfactory. As was noted in the analyses of the Zr and Hf analogs, the low energy modes do not agree as well as the higher frequency modes. This is particularly evident in  $v_9^{-12}$  and  $v_5^{-12}$  where the calculated E mode frequencies are lower than those of the corresponding  $T_2$  modes in disagreement with experiment.

Since the derived force fields for  $Zr(BH_4)_4$ ,  $Hf(BH_4)_4$ , and  $Np(BH_4)_4$  are all slightly different in composition, one must be cautious in making close comparisons of the force constants. All primary force

constants follow the same trend and in the case of the  $\vee BH_{t}$  coordinates the values are nearly identical. All three fields give a large MB force constant and a very small MH $_{b}$  constant indicating the possibility of significant MB bonding.

The allowed fundamentals which were not observed in the spectra were calculated at reasonable energies when compared to results from earlier work on the Zr and Hf compounds. In view of the fact that the A<sub>1</sub>, E, and T<sub>2</sub> modes are calculated rather accurately, those values for the inactive T<sub>1</sub> modes should also be close to the correct energies. For example, the  $v_4^{T1}$  modes was observed for  $\text{Zr}(\text{BH}_4)_4$  by inelastic neutron scattering<sup>23</sup> at 594 cm<sup>-1</sup> and the corresponding 565 cm<sup>-1</sup> value for that in Np(BH<sub>4</sub>)<sub>4</sub> is quite reasonable. The overall trend found in this analysis even for the non T<sub>2</sub> modes is v(Np) < v(Zr). Further assurance is given by the Teller-Redlich product rules for the T<sub>1</sub> symmetry block. The ratio for the calculated frequencies from Table 5 is 5.0 which is not in serious disagreement with the theoretical value of 6.4.

### VI. <u>Assignment of non-fundamental IR bands</u>

### A. 4000-200 cm<sup>-1</sup> Region

The solid state IR spectra clearly show more bands than just fundamentals. These extra features are either isotopic impurity, overtone, or combination bands. The impurity bands contain contributions from  $^1\text{H}$  atoms in the borodeuteride molecules and  $^{10}\text{B}$  atoms in both the borohydride and borodeuteride.

From gas phase IR spectra of the molecules  $NpB_4H_xD_{16-x}^{24}$  prepared by intentionally reducing the time of reaction between  $Np(BH_4)_4$  and  $D_2$ , the  $^1H$  bands are easily assigned and are included in Tables 1 and 3. Similarly, bands are also seen in the Zr borodeuteride spectra.  $^{13}$ 

It is more difficult to locate  $^{10}$ B modes since the isotopic shift is inherently smaller and there is always some of each isotope present in every sample. However frequency calculations of various isotopically substituted molecules, e.g.  $\text{Np}(^{10}\text{BH}_4)_{x}(^{11}\text{BH}_4)_{4-x}$  and  $\text{Np}(^{10}\text{BD}_4)_{x}(^{11}\text{BD}_4)_{4-x}$ , using the force field in Table 4 were found to be very useful, in particular when x=1. The IR and Raman bands at 1931 cm $^{-1}$ (D) and 1925  $\pm$  5 cm $^{-1}$ (D) mentioned in Section IV are nicely predicted by the calculations at 1931 cm $^{-1}$  and contrary to previous explanations for analogous features in the spectra of  $\text{Zr}(\text{BD}_4)_4$ ,  $^{13}$  these bands are due to the  $^{10}\text{B}$  isotope and not to a  $^{1}\text{H}$  impurity. The great intensity of the 1931 cm $^{-1}$  peak also substantiates this assignment. Similar  $^{10}\text{B}$  effects are not observed for the borohydride since the change in reduced mass for a  $^{10}\text{B} \to ^{11}\text{B}$  exchange in the borohydride is approximately half that in the borodeuteride.

In the  $vBH_b(vBD_b)$  region, only  $v_2^{T_2}$  is predicted to show a significant  $^{10}B$  band and this is in agreement with the spectra. A separation of 11 cm<sup>-1</sup> between  $v_2^{T_2}(D)$  and  $^{10}B(v_2^{T_2}(D))$  is predicted and corresponds to a well resolved band at 1560 cm<sup>-1</sup> as the  $^{10}B$  mode.

Distinct  $^{10}$ B effects are clearly visible in the VMB stretching region. Both the borohydride and borodeuteride fundamentals at 475 and 437 cm $^{-1}$  reveal sub-bands of reasonable intensity but that in the borohydride spectrum at 509 cm $^{-1}$  is too high in frequency to be  $^{10}$ B( $^{10}$ 8) with a  $^{10}$ / $^{11}$  > 1.050. The 457 cm $^{-1}$ (D) peak gives an acceptable frequency ratio of 1.046 and is assigned as  $^{10}$ B( $^{10}$ 7) but is predicted at only 444 cm $^{-1}$ (x=1) and 449 cm $^{-1}$ (x=4). For a more detailed understanding of  $^{10}$ B effects in the vibrational spectra, isotopically pure samples would have to be examined experimentally.

An interesting non-fundamental band is the  $\sim 1600~{\rm cm}^{-1}$  features in both

the gas and solid state IR spectra and Raman spectrum of  $\operatorname{Np}(BD_4)_4$ . It is apparent from Table 5 that while the agreement between the observed and calculated frequencies for  $v_2^{T_2}(H)$  is very good, that for the borodeuteride is surprisingly poor. The fact that the 1593 cm<sup>-1</sup>(D) is so intense for a non-fundamental transition and that  $v_2^{T_2}(D)$  is so far removed from its calculated position suggests that Fermi resonance is important. Identical effects in this same energy region are also observed for  $\operatorname{Zr}(BH_4)_4$ ,  $^{13,20}$   $\operatorname{Hf}(BD_4)_4$ ,  $^{9,14}$   $\operatorname{U}(BD_4)_4$ ,  $^{12}$  and  $\operatorname{Al}(BD_4)_3$ . A possible explanation was given for the  $\operatorname{Zr}(BD_4)_4$  case as the overtone of a very weak, unassigned feature at 812 cm<sup>-1</sup> in Fermi resonance with  $v_2^{T_2}(D)$  at 1603 cm<sup>-1</sup>. Later, the third band was assigned as  $v_1^{T_1}$  in an analysis which assumed the T symmetry model for  $\operatorname{Zr}(BD_4)_4$ .

In choosing overtones that could be in resonance with a  $T_2$  species, only  $T_1$  and  $T_2$  modes can be considered. In this work, the 1593 cm $^{-1}(D)$  band is tentatively assigned as the  $T_2$  component of  $2v_3^{-1}$  (of symmetry species  $A_1 + E + T_2$ ) in resonance with  $v_2^{-1}$  causing the observed perturbation of energies and intensities. From an inspection of Table 5, the most likely fundamental to give an overtone near 1600 cm $^{-1}$  is  $v_3^{-1}$  even though only the calculated value is available. Other possible states which could interact with  $v_2^{-1}$  are the combination levels containing a  $T_2$  species but any firm assignment of such a level must await further data.

The  $\vee BD_b$  fundamentals of  $Np(BD_4)_4$ ,  $v_2^{T_2}$  and  $v_3^{T_2}$ , were seen to give relatively strong overtones at 3012 and 3074 cm<sup>-1</sup>, respectively. Also the  $\delta$ HBH bending region in the borohydride (1100-1200 cm<sup>-1</sup>) exhibits overtones in the solid state IR spectrum.

### B. 7400-4000 cm<sup>-1</sup> Region

The near IR spectra of Zr and Np borohydrides are shown in Fig. 6 and listings of the observed bands and their assignments are given in Tables 6 and 7.

Overtones of the VBH<sub>t</sub> modes are seen at the high energy end of the spectra in Fig. 6 with the weaker  $^{10}$ B modes clearly visible. From the spectrum of a 1 mm thick  $Zr(BH_4)_4$  crystal, the 2nd overtone of the  $^{T_2}$  fundamental was observed. Similar overtones of  $v_1^{T_2}(D)$  of  $Np(BD_4)_4$  were not visible in the IR spectrum (Fig. 2) apparently because they were buried in the broad absorption due to surface moisture on the CsI windows seen in the region 4000-3700 cm<sup>-1</sup>.

The next group of bands are those in the 2100-2250 nm (4750-4450 cm $^{-1}$ ) region. From Table 5 it appears that no first or second overtone of any  $T_1$  or  $T_2$  fundamental has the correct energy. Although third overtones of the 1200 cm $^{-1}$  region are reasonable assignments from energy considerations, they are not expected to be as intense as are the observed bands since the second overtones do not occur near 3400 cm $^{-1}$ . Similar reasoning also rejects the assignments  $4v_6^{-2}$  and  $4v_3^{-1}$ . The only possible origins left are combination bands and possible ones are given in Tables 6 and 7.

The last group of bands are the most intense ones between 2350 and 2470 nm (4250-4050 cm $^{-1}$ ). The three bands in each spectrum are due to overtones of the three  $vBH_b$  stretching modes (2T $_2$ ,1T $_1$ ) in the energy range 2150-2060 cm $^{-1}$  for Np(BH $_4$ ) $_4$  and 2180-2100 cm $^{-1}$  for Zr(BH $_4$ ) $_4$ . In contrast to the borohydride spectra which show 3 distinct bands, the borodeuteride spectra (see Fig. 2 of this work and Table 3, ref. 13) show only 2 bands in which the effects of Fermi resonance has possibly caused the overlap of  $\frac{1}{2}v_2^{-1}$  and  $2v_1^{-1}$ .

Based on the frequencies for  $v_2^{T_2}$ ,  $v_3^{T_2}$  and  $v_1^{T_1}$  calculated for Np(BH<sub>4</sub>)<sub>4</sub>, the observed bands at 4064, 4126, and 4169 cm<sup>-1</sup> are assigned as  $2v_3^{T_2}$ ,  $2v_1^{T_1}$ , and  $2v_2^{T_2}$ , respectively. Although the intensity of the 4113 cm<sup>-1</sup> band might favor its assignment as  $2v_1^{T_1}$ , this would suggest that the 4126 cm<sup>-1</sup> peak is due to  $^{10}$ B modes. The latter absorption band is too intense for a  $^{10}$ B mode since at least two  $^{10}$ B atoms per molecule are needed to produce the 13 cm<sup>-1</sup> shift and those molecules are only 15.4% abundant.  $^{20}$  Therefore the 4113 cm<sup>-1</sup> band is assigned as  $2v_{2a}^{T_2}$  which appears as a sharp, medium intensity absorption in the Np(BH<sub>4</sub>)<sub>4</sub> spectrum at 2110 cm<sup>-1</sup>. The overtone of the  $^{10}$ B mode is calculated to be about  $^{10}$ -12 cm<sup>-1</sup> higher than that of  $^{11}$ B for  $2v_2^{T_2}$  and this agrees well with the 4180 cm<sup>-1</sup> shoulder both in terms of energy and intensity.

The overtones in the 4250-4050 cm $^{-1}$  region for  ${\rm Zr(BH_4)_4}$  are not as well resolved but three bands are discernible. By analogy with the previous assignment for Np(BH $_4$ ) $_4$ , the bands at 4153, 4174, and 4230 cm $^{-1}$  are assigned as  $2\nu_3^{-2}$ ,  $2\nu_1^{-1}$ , and  $2\nu_2^{-2}$ , respectively. This conforms to the assignments made in the  ${\rm Zr(BH_4)_4}^{13}$  and  ${\rm Hf(BH_4)_4}^{14}$  studies which used the  ${\rm T_d}$  model.

The near IR spectrum of  ${\rm Zr(BD_4)_4}$  is shown in Fig. 7 and a listing of the observed bands is given in Table 8. The very low intensities of the bands is the result of the fact that high order overtone and combinations observed are due to the fundamentals occurring at relatively low energy. This also increases the number of possible choices for assignments of the bands to the point where no firm decisions can be drawn from the present spectra.

No overtone of  $v_1^{T_2}(D)$ , is predicted anywhere in the areas where bands are seen. The second overtone of  $v_3^{T_2}$  is probably the 4545 cm<sup>-1</sup> band showing small  $^{10}B$  effects as a high-frequency shoulder. The remaining bands were assigned as combinations which were allowed and had a calculated energy in reasonable agreement with those observed.

#### VII. Entropy and Heat Capacity

The entropy and heat capacity for  $Np(BH_A)_A$  were calculated from the partition function,  $Q = Q_t Q_r Q_v$ , using the methods of statistical thermodynamics.  $^{25}$  The vibrational partition function,  $\mathbf{Q}_{\mathbf{v}}$ , was determined from the fundamental frequencies given in Table 5. Both free  $^{26}$  and hindered  $^{25}$ internal rotation were considered in the calculation of  $Q_r$  where the  $BH_{\Delta}$ groups rotate about the M-B axes. The barrier potential energy was assumed to have the form V = 1/2  $V_0(1-\cos 3\phi)$ , where the value  $V_0$  = 3420 cal/mol found for  $\mathrm{Zr}(\mathrm{BH_4})_4^{\ 23}$  was used for  $\mathrm{Np}(\mathrm{BH_4})_4$ . The value of  $\mathrm{V_o}$  for  $\mathrm{Np}(\mathrm{BH_4})_4$ is unknown and is most likely different than that for  $\mathrm{Zr}(\mathrm{BH_4})_4$  but a 50% deviation in  $V_{\Omega}$  would cause less than a 5% error in the entropy and heat capacity. Table 9 gives the total sums of all contributions and these are compared to experimental and calculated values for  $\mathrm{Hf}(\mathrm{BH}_{4})_{4}^{27}$  and the structurally related compounds  $Pb(CH_3)_4$ , <sup>28</sup>  $Sn(CH_3)_4$ , <sup>29</sup>  $Ge(CH_3)_4$ , <sup>29</sup>  $\mathrm{Si(CH_3)_4},^{29,30}$  and  $\mathrm{C(CH_3)_4}.^{31}$  It can be seen that although the  $\mathrm{M(CH_3)_4}$ molecules have slightly fewer atoms giving lower heat capacities and entropies, the thermodynamic quantities are comparable. From the partition functions, the greatest deviation occurs in the vibrational contribution.

#### VIII. Conclusion

Although the solid state structure of  $\operatorname{Np}(\operatorname{BH}_4)_4$  is slightly different than that of Zr and Hf borohydrides, their basic similarities are clearly reflected in the vibrational spectra. There are a few differences, however, seen mostly in the lower energy region in the solid state spectra, which also persist in the gas phase where all  $\operatorname{M}(\operatorname{BH}_4)_4$  molecules are isostructural.

The 2600-2400 cm<sup>-1</sup> (2000-1800 cm<sup>-1</sup>) region shows the same pattern for Np, Zr and Hf borohydrides—the sharp  $\vee BH_t(\vee BD_t)$  fundamental and a broad set of overtones due to modes in the 1200 cm<sup>-1</sup> (900 cm<sup>-1</sup>) range. The  $\vee BH_b(\vee BD_b)$  bands in the 2150-2000 cm<sup>-1</sup> (1600-1500 cm<sup>-1</sup>) region are also very similar in appearance even for the borodeuterides where Fermi resonance is observed for all those compounds. A close resemblance is also noted in the near IR spectra of Np(BH<sub>4</sub>)<sub>4</sub> and Zr(BH<sub>4</sub>)<sub>4</sub> (Fig. 6) which are comprised of overtone transitions of the  $\vee BH_t$  and  $\vee BH_b$  modes.

Slight differences of several types are observed in the remaining spectral regions for the Np and Zr, Hf compounds. The VMH<sub>b</sub>,  $\delta$ HBH (VMD<sub>b</sub>,  $\delta$ DBD) modes seen in the 1250-1050 cm<sup>-1</sup> (950-800 cm<sup>-1</sup>) range are very dependent on the size of the MH<sub>3</sub>B(MD<sub>3</sub>B) cage and mass of the metal atom as determined by the normal coordinate calculations using various size cages and metal masses. Smaller cages and lighter metals produce higher frequency normal modes. Frequencies were also found to be very dependent on the positions of the H<sub>b</sub> atoms in the coordination sphere of the metal. Therefore the  $v_4^{T2}$ ,  $v_5^{T2}$ , and  $v_6^{T2}$  modes for the actinide compounds, whose masses and sizes are very similar, are more alike among themselves than they are to those of the lighter and smaller Zr and Hf analogs.

The VMB region, unlike the 1600-1500 cm $^{-1}$  region in the borodeuteride spectra, shows Fermi resonance only for the lighter  ${\rm Zr(BD_4)_4}$  and  ${\rm Hf(BD_4)_4}$  giving significant intensity to  ${\rm v_8}^{\rm T_2}({\rm D})$ . Since the stretching modes in the 500-400 cm $^{-1}$  region are not highly sensitive to size effects, metal mass differences are therefore primarily responsible for governing the extent of resonance between  ${\rm v_7}^{\rm T_2}({\rm D})$  and  ${\rm v_8}^{\rm T_2}({\rm D})$ . Due to the large separation of  ${\rm v_7}^{\rm T_2}({\rm H})$  and  ${\rm v_8}^{\rm T_2}({\rm H})$ , mass effects are inadequate to induce resonance and the spectra are basically the same for all compounds except that the modes for the heavier molecules occur at lower energies.

The lowest frequency vibrations,  $v_9^{12}$  and  $v_5^E$ , are mainly  $\delta$ HMH bends where the former involves the greatest amount of metal motion of all modes. Consequently it gives the largest frequency shift for a given change in metal mass and is observed  $\sim$ 70 cm $^{-1}$  lower in Np(BH $_4$ ) $_4$  than in the Zr compound. The large shift of  $v_5^E$ , also about 70 cm $^{-1}$ , indicates that other effects such as H $_b$  - H $_b$  interactions and M - H $_b$  bond strengths must be important.

Although the two force fields found for  $\operatorname{Np}(\operatorname{BH}_4)_4$  and  $\operatorname{Hf}(\operatorname{BH}_4)_4^{-14}$  cannot be compared in fine detail, the values of the force constants are very similar especially those related to the  $\operatorname{BH}_4$  group. This is to be expected since it was observed that the  $\operatorname{BH}_4$  modes are not strongly dependent on metal size or mass. Greater differences are found in the force constants involving the  $\operatorname{MH}_3$ B structures but in general follow the same trend where the MB constant is higher than the  $\operatorname{MH}_b$  constant. As was also noted in the vibrational analyses of Hf and Zr borohydrides, MB bonding may be significant in these molecules.

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### Appendix

In this paper a fundamental or overtone is denoted by the symbol  $nv_a^b$ , where b is the Mulliken symbol for the irreducible representation of the mode and a is the number of the mode starting with 1 for the highest frequency, 2 for the second highest, etc. The n is omitted for fundamentals, equals 2 for first overtones, 3 for second overtones, etc.

The table given below relates our notation to that used in earlier work (7b, 15).

This work	Literature
$v_1^{A_1} - v_4^{A_1}$	VI - V4
$v^{A_2}$	$v_5$
$v_1^E \sim v_5^E$	V6 ~ V10
$v_1^{T_1} - v_5^{T_1}$	V <sub>11</sub> - V <sub>15</sub>
$v_1$ $v_2$ $v_9$	V16 - V24

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Table 1 Observed Bands in Gas Phase IR Spectra of Np(BH4)4 and Np(BD4)4

Energy (cm <sup>-1</sup> )	Assignment	Internal Coordinates	Comments
	Np (	(BH4)4	
2568	${\bf v_1}^{\bf T_2}$	νBH <sub>L</sub>	strong
2480	$2v_4^{T_2}$ , $2v_5^{T_2}$	<b>₩</b>	weak, v. broad
2350	$v_4 r_5^{T_2} + v_6^{T_2}$		weak, broad
2155	$v_2^{T_2}$	VBH <sub>b</sub>	strong
2130	$\mathbf{T_{2}}^{\mathbf{T_{2}}}$	52	shoulder on ${ m v_2}^{{ m T_2}}$
2084	$v_3$ $\overline{T}_2$	$\nu_{ m BH}$	strong, sharp
1280		**	shoulder on $v_{4,5}^{T_2}$
1240	$v_4^{\mathrm{T_2}}$ , $v_5^{\mathrm{T_2}}$	δHBH, VMH	v. strong, broad
1205	$v_3^E + v_9^{T_2}$		shoulder on $v_{*,5}^{\mathrm{T}_2}$
1122	$v_6^{T_2}$	δНВН	medium, broad
1080			shoulder on ${ m v_6}^{{ m T_2}}$
478	$v_8^{T_2}$	VMB, VMH	strong
	Np	(BD4)4	
3092	$2v_2^{T_2}$		v. weak, broad
3030	$2 \vee_3 ^{\mathbf{T}_2}$		v. weak, broad
1930	$^{10}B(v_1^{T_2})^b$	v <sup>10</sup> BD <sub>t</sub>	shoulder on ${v_1}^{{ m T_2}}$
1922	$\mathbf{v_1}^{\mathbf{T_2}}$	VBD <sub>4</sub>	strong
1605	$2v_3^{\mathbf{T_1}c}$	New New York	medium
1562	$^{10}$ B $(v_2^{T_2})$	$v^{10}BD_{b}$	shoulder on $v_2^{T_2}$
1558	$v_2^{\mathbf{T_2}c}$	vBD <sub>b</sub>	strong
1526	$\mathbf{v_3}^{\mathbf{T_2}}$	VBD <sub>b</sub>	strong, sharp
1190	$^{1}\mathrm{H}$	δHBD	weak, broad
928	V4,25	δDBD, VMD	v. strong
845	$v_6^{T_2}$	δDBD	weak, broad

Table 1 (continued)

Energy (cm <sup>-1</sup> )	Assignment	Internal Coordinates	Comments
	Np(E	BD4)4	
810	600		shoulder on ${\nu_6}^{{\rm T}_2}$
437	$v_7^{\mathbf{T_2}}$	VMB, VMD <sub>b</sub>	strong

In the table:  $H_t$  = terminal hydrogen,  $H_b$  = bridging hydrogen, v = very  $^a$ This feature could not be assigned with any certainty so it was given the identifying symbol,  ${\nu_2}_a^{T_2}$ .

 $<sup>^</sup>b\!\mathrm{A}$  fundamental in parenthesis next to an impurity atom is that mode in which the impurity atom is participating.

 $<sup>^{\</sup>scriptscriptstyle C}$ These two bands are in Fermi resonance.

Table 2 Observed Bands in 77K IR (4000-25 cm $^{-1}$ ) and Raman (2600-100 cm $^{-1}$ ) Spectra of Np(BH4)4

Energy (cm <sup>-1</sup> )	Assignment	Internal Coordinates	Comments
2557	$v_1^{A_1}$	vBH <sub>+</sub>	medium, R.
2551	$v_1^{T_2}$	VBH <sub>t</sub>	strong, sharp, IR
2490	$2v_4^{T_2}$	T	weak, IR
2445	$2v_5^{\mathrm{T}_2}$		weak, IR
2378	$v_4^{T_2} + v_6^{T_2}$		weak, broad, IR
2149	$v_2^{A_1}$	$VBH_{r_{a}}$	medium, R
2143	$v_2^{T_2}$	vBH <sub>b</sub>	strong, sharp, IR
2123	${\rm v_1}^{\rm E}$	vBH <sub>b</sub>	medium, R
2117	$^{10}$ B( $v_{2a}^{T_2}$ )	<b>3</b>	medium, shoulder
2110	$v_{2a}^{T_{2}}$		medium, sharp, IR
2069 (2070) <sup>a</sup>			strong, sharp doublet
2059 (2060)	$v_3^{\mathbf{T_2}}$	vBH <sub>b</sub>	medium, + shoulder, R
1283	$v_3^{A_1}$	whip, shend	medium, R
1276		<i>.</i>	medium, sharp, IR
1260	$v_2^{\mathrm{E}}$	νΜΗ <sub>b</sub> , δΗΒΗ	weak, R
1247 (1255)	$v_4^{T_2}$	νΜΗ <sub>ρ</sub> , δΗΒΗ	v. strong IR, medium, R
1225 (1230)	V5 <sup>T2</sup>	νΜΗ <sub>D</sub> , δΗΒΗ	v. strong IR, medium, R
1199 (1205)	$v_3^E + v_9^{T_2}$	27	medium IR, weak, R
1159			medium +, IR
1138 (1127)	$v_6^{T_2}$	δHBH, VMH	strong, IR, weak, R
1068		, ,	weak, IR
1053	${{\nu_3}^E}$	δНВН	medium, R
639	$v_8^{T_2} + v_5^E$		weak, R
611	$v_8^{T_2} + v_9^{T_2}$		weak, IR
517	$v_4^{A_1}$	$\nu$ MB	strong, R
509 (506)			weak, sharp, IR, medium, R

Table 2 (continued)

Energy (cm <sup>-1</sup> )	Assignment	Internal Coordinates	Comments
475 (~480)	v <sub>8</sub> T2	VMB	v. strong, IR, shoulder, R
168	vs <sup>E</sup>	HMH3	v. strong, sharp, R
130 (141)	$v_9^{T_2}$	НМН	strong, IR, medium R

 $<sup>\</sup>alpha_{\mathrm{T}_2}$  modes also seen in the Raman are shown next to the IR value in parenthesis.

 $<sup>\</sup>ensuremath{^{b}}\xspace$  The more important internal coordinates are to the left of the lesser important ones.

Table 3 Observed Bands in 77K IR (4000-25  $\rm cm^{-1})$  and Raman (2300-100  $\rm cm^{-1})$  Spectra of Np(BD4)4

Energy (cm <sup>-1</sup> )	Assignment	Internal Coordinates	Comments
3092	<sup>10</sup> B(2v <sub>2</sub> <sup>T</sup> 2)		v. weak, IR
3074	$2v_2^{T_2}$		weak, sharp, IR
3012	$2v_3^T$ 2		weak, sharp, IR
2110	$^{1}$ H $(\vee_{3}^{T_{2}}(H))$	vBH <sub>b</sub>	weak, IR
1979	. (10	a	weak, broad, IR
1931	$^{10}B(v_1^{T_2})$	ν <sup>10</sup> BD <sub>t</sub>	medium, sharp, IR
1925	$^{10} \mathrm{B}(\mathrm{v_1}^{\mathrm{A_1}})$	ν <sup>10</sup> BD <sub>t</sub>	shoulder, R
1913	${\mathsf v_1}^{\mathsf A_1}$	vBD <sub>t</sub>	medium +, R
1912	${f v_1}^{{ m T_2}}$	vBD <sub>E</sub>	strong, sharp, IR
1842	$2v_4^{\mathrm{T}_2}$	C	weak, sl. broad, IR
~1780 (~1780)	$v_4^{T_2} + v_6^{T_2}$		weak, v. broad, IR,
1619	$v_1^{E}$	$vBD_{\mathbf{b}}$	weak, R
1621, 1614, 1604, 1598)	<sup>10</sup> B, <sup>1</sup> H(2v <sub>3</sub> <sup>T</sup> 1)?	6.3	medium, sharp, IR
1593 (1592)	$T_2(2v_3^{T_1})^a$		medium +, sharp, IR,
1560	$^{10}$ B( $v_2^{T_2}$ )	v <sup>10</sup> BD <sub>b</sub>	medium, sharp, IR
1548 (1549)	$v_2^{T_2}$	v <sup>BD</sup> b	strong, sharp IR, medium R
1517	$v_2^{\mathbf{A_1}}$	$v^{\mathrm{BD}}_{\mathbf{b}}$	strong, sharp, R
1516	$v_3^{T_2}$	$v^{\mathrm{BD}}$	v. strong, sharp, IR
1251	$^{1}$ H ( $\vee$ 4 $^{\mathrm{T}_{2}}$ (H) )	νΜΗ <sub>D</sub> , δΗΒD	weak, v. broad, IR
1191	$^{1}\text{H}(\vee_{4,5}^{T_{2}}(\text{H}))$	νΜΗ <sub>b</sub> , δΗΒD	weak +, sharp, IR
955	$v_3^{A_1}$	$vMD_{b}$ , $\delta DBD$	weak +, R
941		6745	strong, sharp, IR
926	$v_{4}^{T_{2}}$	$VMD_{b'}$ $\delta DBD$	strong, IR
917	$v_s^{T_2}$	$vMD_{b'}$ , $\delta DBD$	strong, IR
910	$v_3^E + v_9^{T_2}$	66.0°	strong, IR

Table 3 (continued)

Energy (cm <sup>-1</sup> )	Assignment	Internal Coordinates	Comments
905	V 2	8DBD, VMD	weak, sl. broad, R
860 (863)	$v_6^{\mathrm{T2}}$	&DBD	strong, sharp, IR, weak, R
838			weak, IR
802			weak, IR
795	$v_3$ E	&DBD	weak, R
475	${\bf v_{{\scriptscriptstyle 4}}}^{A_1}$	<b>VMB</b>	strong, R
457	$^{10}{ m B}({ m v_7}^{{ m T}_2})$	$\vee M^{10}B$	medium, sharp IR
437 (440)	$v_7^{\mathrm{T}_2}$	νMB	v. strong, IR, shoulder, R
406			v. weak, IR
154	$v_5{}^{\rm E}$	6DMD	v. strong, sharp, R
112 (121)	$v_9^{T_2}$	8 DMD	strong, IR, medium, R

 $a_{\hbox{\scriptsize These}}$  two bands are in Fermi resonance.

Table 4
Best-Fit Force Constants for Neptunium Borohydride at 77K

Primary Force Const	ants ants	Interaction Force Constants			
<u>Internal Coordinates</u>	Value	Internal Coordinates Value			
$vBH_{t}$	3.51 md/Å	$vBH_b : vBH_b^b$ .04 md/			
∨BH <sub>b</sub>	2.36	$vMH_b: vMH_b$ .02			
√MHP	.37	νΜΒ : $\delta H_b$ Μ $H_b$ 09 md			
∨MB	1.28	$vBH_b: \delta H_b BH_b^b$ .04			
$^{\delta H}{}_{\mathbf{t}}{}^{\mathrm{BH}}{}_{\mathbf{b}}$	.28 mdÅ	$\text{VMH}_{b}:        $			
δH <sub>b</sub> BH <sub>b</sub>	.36				
$\delta H_b M H_b (C_3)$	.26				
€H <sub>b</sub> BMB	.18 <sup>a</sup>				
~					

 $<sup>^{\</sup>rm a}$  The torsion force constant is essentially undetermined since the  ${\rm A_2}$  mode is not observed. It was set at .18 and kept constant during all fits.

 $<sup>^{\</sup>it b}\cdot {\rm Internal}$  coordinates in this constant interact only with other like coordinates in the same  ${\rm BH_4}$  group.

Normal	Np(	BH4, ) 4	Np (BD4) 4			
Mode	Observed	Calculated	Observed	Calculated		
$v_1^{T_2}$	2551	2557	1912	1911		
$v_2^{T_2}$	2143	2144	1548 <sup>a</sup>	1603		
$v_3^T_2$	2069	2078	1516	1485		
$v_{4}^{T_{2}}$	1247	1266	926	897		
$v_5$ $v_2$	1225	1223	917	895		
$v_6^{\mathrm{T_2}}$	1138	1104	860	824		
$v_7^{T_2}$	dásak szank eyeze sásada	575	437	447		
$v_8^{T_2}$	475	488	চ্টান্তত প্ৰয়োধ কৰিছে প্ৰয়োক	415		
$v_9^{T_2}$	130	156	112	139		
$v_1^{A_1}$	itamironiminintia automorphis engineae energia energia energia energia energia energia energia energia energia 2.557	2554	1913	1905		
$v_2^{A_1}$	2149	2147	1517	1523		
$_{_{\mathrm{V}}_{2}}\mathrm{A}_{1}$	1283	1284	955	953		
$v_{\mu}^{A_1}$	517	517	475	466		
v <sub>1</sub> E	21.23	2117	1619	1589		
v <sub>2</sub> E	1260	1270	905	899		
ν <sub>3</sub> <sup>E</sup>	1053	1089	795	807		
$\vee_{\mu}^{\mathbf{E}}$	diciyala kadalah dalahah mustar	571	falour filmer bittem galas	413		
$v_5^*$ E	168	142	154	125		
$v_1^{1}$	Мейден байт том по том на	2116	SIRPRASTIÇA ÇARBAN LILAN AND TISLANDA NA BARBANINAN AND AND AND AND AND AND AND AND AND	1587		
$v_2^{-1}$	GUIRA MINISTERIORINA GARAN	1256	GUISH GUISH EIGHN 4466W	889		
$v_3^{\mathbf{T_1}}$	च्यांकात्र स्वाच्याच्यां स्वाच्याः	1084	cham state tenus	810		
v.T1	Carriera servicia et Albi	565	cinsa cela sanà care	405		
$v_5^{T_1}$	World allow-drains bounds	405	epica Culo micia Gripa	288		
· v <sup>A</sup> 2	and an entire with the control of th	288	ekalassiga oran formikussigakapunkahalagasikandokun gastun diministikalagakapung nunun Kalan Piliah Essat Kalan	204		

This mode is in Fermi resonance with  $2v_3^{T_1}(D)$ .

Table 6 Observed IR Bands (7400-4000  ${\rm cm}^{-1}$ ) of Np(BH4)4 at 2K

Wavelength (nm)	Energy (cm <sup>-1</sup> )	Assignment	Comments
2460	4064	$2v_3^{T_2}$	v. strong
2457	4070	$^{10}$ B(2 $v_3^{T_2}$ )?	shoulder on $2{ m v_3}^{{ m T_2}}$
2447	4086	$v_2^{T_2} + v_3^{T_2}$	weak shoulder
2431	4113	2v2 T2*	strong, sharp
2423	4126	$2v_1^{T_1}$	medium, sharp
2398	4169	$2v_2^{\mathbf{T_2}}$	medium, sharp
2392	4180	$^{10}$ B(2 $v_2^{T_2}$ )	shoulder on $2{ extstyle v_2}^{ extstyle T_2}$
2378	4205	$v_3^{T_2} + v_6^{T_2} + v_3^{E}$	broad, v. weak
2335	4281	$2v_6^{T_2} + v_3^{T_2}$	broad, weak
2237	4469	$v_1^{T_2} + 2v_3^{T_2}$	v. broad, v. weak
2201	4542	$v_3^{T_2} + 2v_4^{T_2}$	broad, weak +
2165	4618	$v_2^{T_2} + 2v_4^{T_2}$	broad, weak
2129	4696	$v_2^{T_2} + 2v_3^{A_1}$	broad, weak
1994	5013	$2v_1^{\mathbf{T_2}}$	weak, sharp
1986	5033	<sup>10</sup> B(2∨ <sub>1</sub> <sup>T<sub>2</sub></sup> )	weak
1654	6046	$3v_3$ $^{\mathbf{T}_2}_{-}$	broad
1353	7389	$3v_1^{T_2}$	weak
$g_{\theta} \circ cut w d = \pi \circ cut w d \circ d$		records and the definition of suppressing a sub-suppression of the first and the modern design of the suppression of the suppre	ngga aya karingaa ka

<sup>\*</sup>See Table 1, footnote a.

Wavelength (nm)	Energy (cm <sup>-1</sup> )	Assignment	Coments
2407	4153	2v <sub>3</sub> <sup>T</sup> 2	shoulder, intense
2395	41.74	$2v_1^{\mathbf{T}_1}$ a	strong
2363	4230	2v2 <sup>T2</sup>	medium, broad
2290	4366	$v_3^{T_2} + v_6^{T_2} + v_3^{E}$	v. weak, broad
2261	4422	$v_3^{T_2} + 2v_6^{T_2}$	v. weak, broad
1976	5058	2v1 <sup>T2</sup>	weak +, sharp
1968	5080	<sup>10</sup> B(2v <sub>1</sub> <sup>T<sub>2</sub></sup> )	weak
1946 <sup>b</sup>	5138		medium
1.634	6117	3v3 <sup>T2</sup>	v. intense, sharp
1621	6167	3v1 <sup>T</sup> 1	shoulder on 3 $^{ m T}$
1592	6279	$3v_2^{T_2}$	weak
1579	6332		medium, broad
1341	7458	$3v_1^{T_2}$	medium, sharp
1335	7487	<sup>10</sup> B(3v <sub>1</sub> <sup>T2</sup> )	weak
And the state of t		han had gardiga sa William (of program on philips had gar an effect of the control of the contro	Salahak (a. a. a) ji uyrah Arif (1777-1776 (1776-1778) (1776-1778) (1776-1778) (1776-1778) (1776-1778) (1776-1778) (1776-1778)

 $<sup>^{\</sup>alpha}$ The calculated value for  ${\rm v_1}^{{\rm T_1}}$ was taken from Ref. 14 for Hf(BH4)4.

 $<sup>^</sup>b\mathrm{This}$  band and the others listed below it are taken from the spectrum of the 1 mm pathlength crystal.

Table  $^8$  Observed IR Bands (4800-4000 cm $^{-1}$ ) of Zr(BD4)4 at 2K

Wavelength (nm)	Energy (cm <sup>-1</sup> )	Assignment	Comments
2455	4072	$v_2^{T_2} + 3v_6^{T_2}$	medium
2394	4176	$v_3^{T_2} + 2v_5^{T_2} + v_6^{T_2}$	strong
2347	4259	$v_2^{A_1} + 3v_5^{T_2}$	strong
2238	4486	$v_1^{T_2} + 2v_6^{T_2} + v_5^{T_2}$	weak +, broad
2199	4545	$3v_3^{T_2}$	strong
2175	4597	$v_2^{A_1} + 2v_3^{T_2}$	strong
2165	4617	$2v_2^{A_1} + v_3^{T_2}$	weak +
2148	4655	3v2 <sup>T2</sup>	weak
	alaton valuum ka 55° ta 12 Ta 120° kilo la 120° la para ka para	ay gitt kill tid Tid of the green to have a way to be recommended to be the green property of the control of the green property of the gre	

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Table  $^9$  Entropies and Heat Capacities of Hf(BH4)4, Np(BH4)4 and M(CH3)4

## Heat Capacities $^{\alpha}$

	Hf(BH4)4 Np(BH4)4		Pb (CH <sub>3</sub> ) 4	Sn (CH <sub>3</sub> ) 4	Ge (CH <sub>3</sub> ) 4	Si (CH <sub>3</sub> ) 4	C(CH3) 4	
FIR 45.09	HIR 49.77	FIR 45.93	HIR 50.52	FIR 34.42	FIR 33.34	FIR 31.98	FIR 33.39	enter entre-entre entre entre
<u>Entropies</u>								
Hf(BF	I4) 4	Np (B	Н4)4	Pb (CH <sub>3</sub> ) 4	Sn (CH <sub>3</sub> ) 4	Ge (CH <sub>3</sub> ) 4	Si(CH <sub>3</sub> ) 4	C (CH <sub>3</sub> ) 4
FIR 102.51	HIR 96.04	FIR 107.30	HIR 100.76	FIR 100.5	FIR 96.11	FIR 91.99	FIR 88.25	FIR 80.12
				100.48 <sup>b</sup>			86.04 b	71.71 °

In the table: FIR = free internal rotation, HIR = hindered internal rotation. All values for  $C_p^\circ$  and  $S^\circ$  are for the ideal gas at 298.15K and are in units of cal/deg.

 $<sup>^{\</sup>alpha}$ All C  $_{\rm p}^{\rm o}$  values are calculated.

 $<sup>^</sup>b$ Experimental values.

 $<sup>^{</sup>c}$ Experimental value at 282.6K. Ref. 31(b).

## Figure Captions

- Figure 1. Gas Phase IR Spectra of  $Np(BH_4)_4$  and  $Np(BD_4)_4$ .
- Figure 2. Solid-State IR Spectra of  $\mathrm{Np}(\mathrm{BH_4})_4$  and  $\mathrm{Np}(\mathrm{BD_4})_4$  at 77K.
- Figure 3. Far IR Spectrum of  $Np(BH_4)_4$  at 77K.
- Figure 4. Raman Spectrum of  $Np(BH_4)_4$  at 77K.
- Figure 5. Raman Spectrum of  $Np(BD_4)_4$  at 77K.
- Figure 6. Near IR Spectra of  $Np(BH_4)_4$  and  $Zr(BH_4)_4$  at 2K.
- Figure 7. Near IR Spectrum of  $Zr(BD_4)_4$  at 2K.

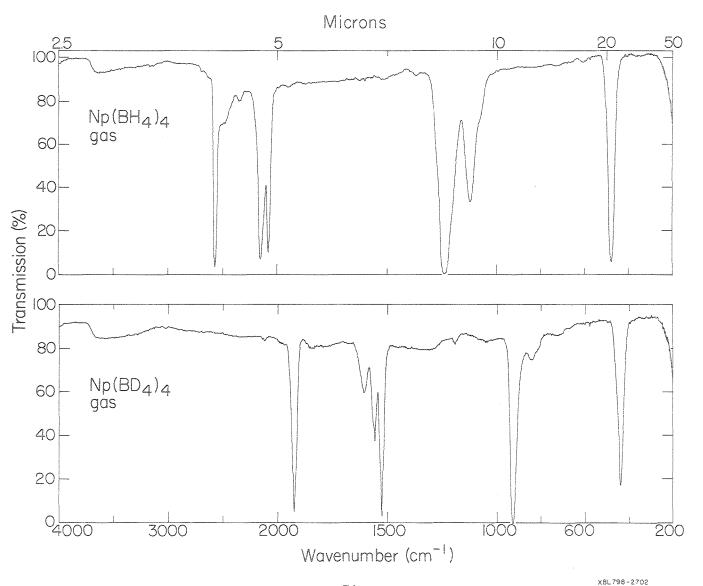
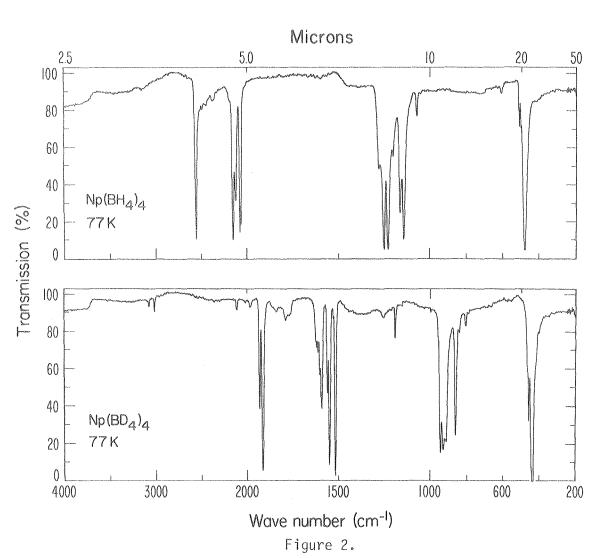
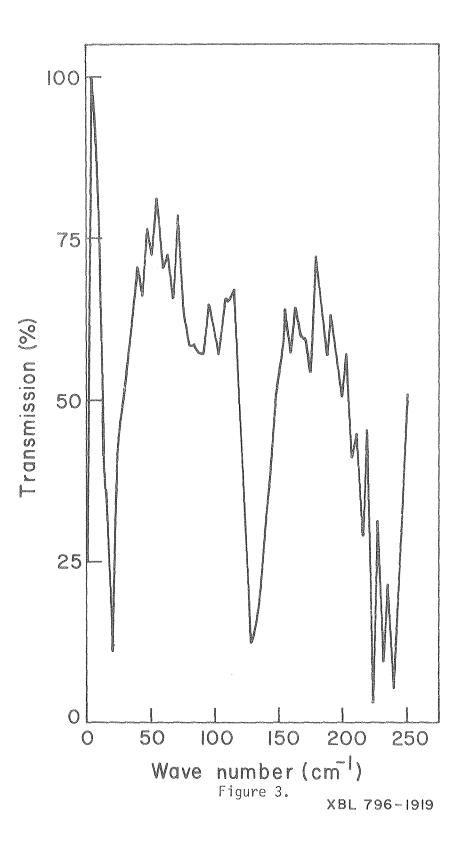
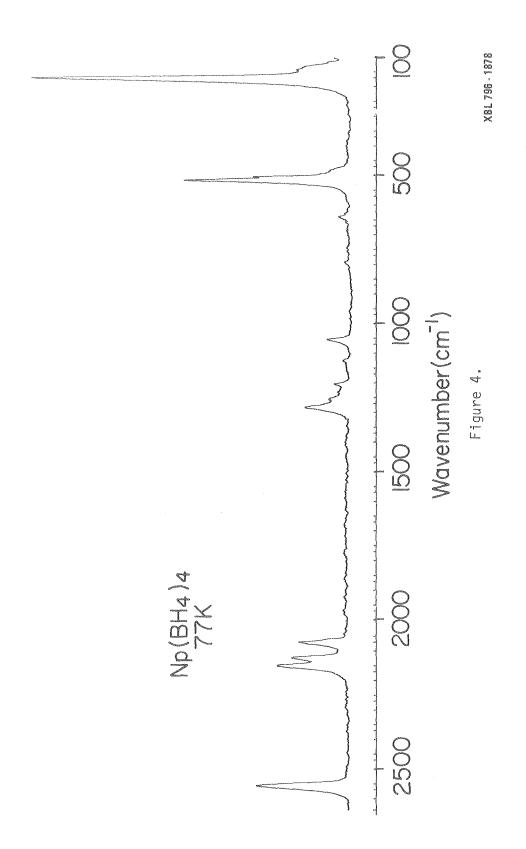


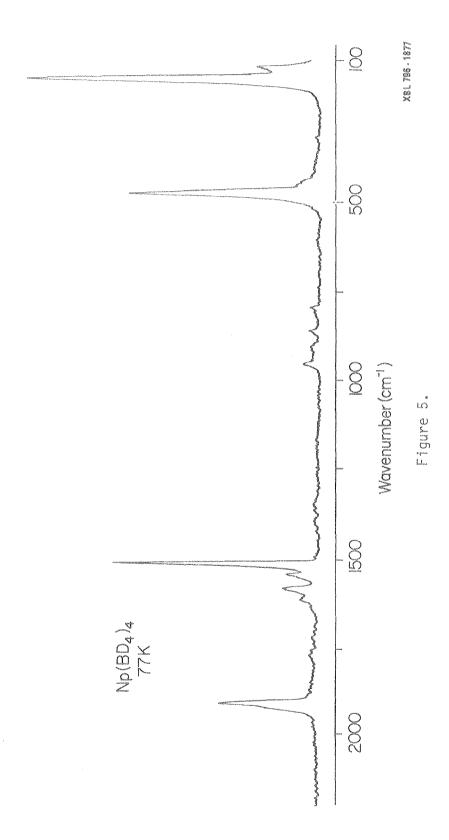
Figure 1.



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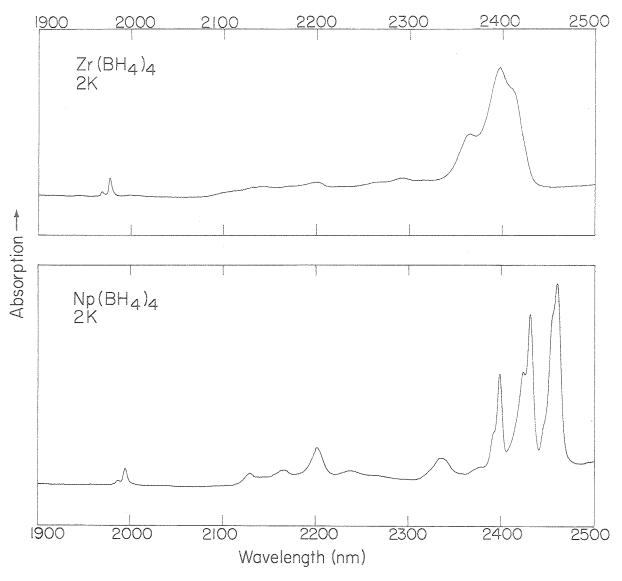
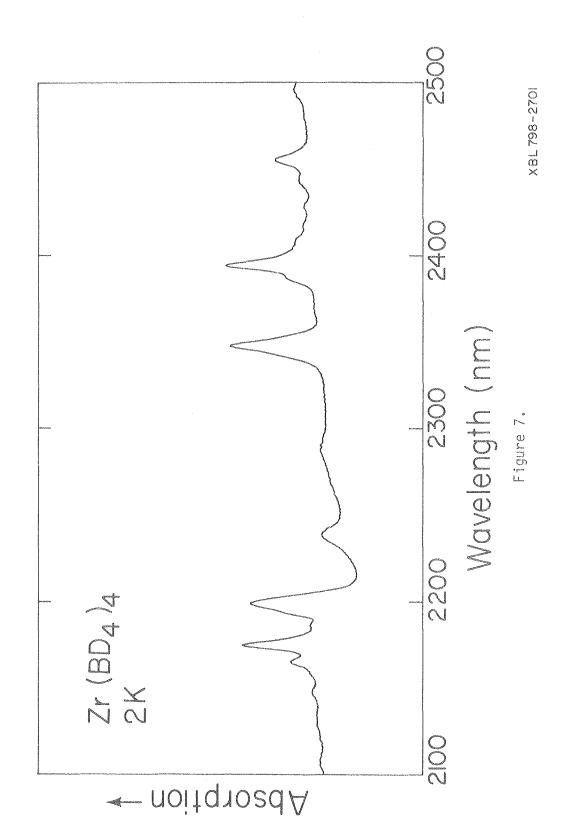


Figure 6.

XBL 798 - 2703



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