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# Determination of Hydrologic Parameters of Fractured Rock Mass Based on Regional Groundwater Level Data in the Lake Karachai Area

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# Abstract

Regional data of groundwater levels for wells in the Lake Karachai area are presented. A method to analyze these data is proposed for the evaluation of hydrological parameters of fractured rocks in this area. The calculated parameters are used to obtain volume losses as a result of filtration into the bed of Lake Karachai, which are then compared with direct data.

#### Introduction

Lake Karachai has been used by the PA "Mayak" as a radioactive waste storage since October, 1951. As the result of such use, a large volume of contaminated industrial liquids from the lake penetrated into the groundwater of the surrounding area. The lake lies in the area between Rivers Techa and Mishelyak, which are supplied by the surface flows and underground discharge. The form of the contaminated flow from the lake depends on hydrologic properties and on the groundwater flow field in the rock massif. An examination of the actual conditions of the flow regime and mass balance between Lake Karachai, and the groundwater as related to filtration flows of groundwater, makes a strong case for the development of unconventional methods in the estimation of hydrologic parameters of rock mass and filtration loss volumes from Lake Karachai.

# Determination of Hydrologic Parameters Based on Regional Groundwater Level Data

The most significant parameters governing groundwater flow in the fractured rock massif are the permeability ( $K_f$ ), porosity ( $n_0$ ), and transmissivity (T). These parameters could be determined in two ways: first, by designing a simple calculating scheme and using it for data processing, and second, by evaluating data from regional study, followed by data processing. Generally, the processing of the results obtained through regional study is very complicated and normally run through various trial-and-error methods. At the same time, the mathematical relationship for homogeneous media is not always acceptable for inhomogeneous media such as fractured rock mass, particularly in cases where the pressure depression area is comparable to the geometric scale, characterizing the inhomogeneity of the medium under investigation. Therefore, from this point of view, the use of regional study integrating medium characteristics in the investigated area is preferable to the first scheme, because it avoids some of the uncertainties and discrepancies in the application of filtration equations for fractured rock massif.

Lake Karachai lies at an elevation higher than the elevations of nearby ponds and rivers. Figure 1 shows a map of Lake Karachai and the investigation wells. The lake bed is porphyrite that is extensively fractured and overlapped by clay and loam, with a thickness of about 2 m. About 4% of the lake area is overlapped by a plane of clay with a thickness of only 0.7 m, resulting in a good hydraulic connection between the lake and the underlying groundwater. An analysis of the groundwater regime has revealed a number of main regime generating factors, which can be categorized into some genetic groups: geologic, climatic, biosoil, hydrologic, and a group of artificial factors. A phenomenological approach was employed for analyzing a groundwater regime involving the representation of the listed factors by generalizing parameters, followed by their analysis based on the solution of the equation for unsteady filtration. After the analysis of hydrohypsographical curves in the investigated area (see Figures 2–7), it was noted that the possibility exists for using a model of groundwater plane flow in the direction of their discharging zones. In such a case, the unsteady filtration regime of groundwater could be described by a one-dimensional equation of the following form (in approximation according to Verigin):

$$\frac{\partial^2 h^2(x,\tau)}{\partial_x^2} + \frac{2W(x,\tau)}{K_F} = \frac{1}{a} \cdot \frac{\partial h^2(x,\tau)}{\partial \tau}$$
(1)

where

h = height of groundwater free surface relative to the horizontal impermeable bed, m;  $h_s$  = the same height averaged by Boussnesq equation linearization;

 $K_F$  = permeability values, m/day;

W = infiltration rate, m/day;

 $\tau = \text{time, days; and}$ 

$$a = \frac{k_F h_S}{\mu_S}; \qquad h_S = \frac{1}{2} \cdot (h_{\max} + h_{\min}).$$

The storage  $\mu$  can be considered equal to water take-up and release, because the deformation capacity in rock mass could not be taken into account. Let us supplement Equation (1) with boundary and initial conditions. For the boundary conditions, let us take the condition of the first kind, namely, the temporally constant value of groundwater level at the boundary of the investigated area, in particular at south sector:

$$h(0, \tau) = h_k; \quad h(L_S, \tau) = h_M,$$
 (2)

where  $h_k$  = Lake Karachai level relative to the watertight bed;

 $h_M$  = River Mishelyak level relative to the watertight bed;

 $L_S$  = distance between Lake Karachai and River Mishelyak.

Let us assume similar conditions for the north sector. As the initial condition, let us take the depression function of groundwater level,  $h_0(x)$ , meeting the boundary conditions (2) and the Equation (3):

$$\frac{\partial^2 h_0^2(x,\tau)}{\partial x^2} = 0.$$
 (3)

The function  $h_0(x)$  is a depression of groundwater level under the given boundary conditions and with the absence of infiltration feeding.

Using the relationship (4)

$$h^{2}(x,\tau) = h_{0}^{2}(x) + h_{1}^{2}(x,\tau),$$
(4)

in Equation (1), we obtain

$$\frac{\partial^2 h^2(x,\tau)}{\partial x^2} + \frac{2W(x,\tau)}{K_F} = \frac{1}{a} \bullet \frac{\partial h^2(x,\tau)}{\partial \tau}$$

$$h_1(0,\tau) = h_1(L_S,\tau) = 0 \qquad , \qquad (5)$$

$$h_1(x,0) = 0$$

and

$$\frac{\partial^2 h_0^2(x)}{\partial x^2} = 0 \quad ; \quad h_0(0) = h_k \quad ; \quad h_0(L_S) = h_M \tag{6}$$

The solution of the initial problem is shown as a superposition of two independent solutions. Equation (6) describes a stationary depression curve established in the area without infiltration sources. Equation (5) describes the influence of infiltration on the groundwater level, modifying the Equation (6). The solution of Equation (6) for h(x) takes the following form:

$$h_0^2(x) = h_k^2 \cdot \left(1 - \frac{x}{L_S}\right) + h_M^2 \cdot \frac{x}{L_S}$$
(7)

Considering that the velocity of groundwater infiltration is constant for the whole problem area and changing the problem area in (5) from  $0 \le x \le 1$  to  $-L_S/2 \le x \le L_S/2$ , we get the following solution for  $h_1^2(x,t)$ :

$$h_{1}^{2}(x,\tau) = \frac{8a}{\pi k_{F}} \cdot \sum_{n=0}^{\infty} \frac{(-1)^{n}}{2n+1} \cdot \cos\left(\frac{(2n+1)\pi x}{L_{S}}\right) \cdot \int_{0}^{\tau} \left[ W(\tau')e^{-\frac{4\pi^{2}a(2n+1)^{2}}{L_{S}^{2}}(\tau-\tau')} \right] d\tau' \quad (8)$$

If  $W(\tau) = W_0/\tau = \text{const}$ 

$$h_{1}(x) = \frac{W_{0}L_{S}^{2}}{4\tau_{d}k_{F}} \left[ 1 - \frac{4x^{2}}{L_{S}^{2}} - \frac{32}{\pi^{3}} \sum_{n=0}^{\infty} \left( \frac{(-1^{n})}{(2n+1)^{3}} \cos\left(\frac{(2n+1)\pi x}{L_{S}}\right) e^{-a(2n+1)^{2}\pi^{2}\tau/L_{S}^{2}} \right) \right]$$
(9)

Taking into account the features of infiltration sources in the problem area (the scheme is given in Figure 8, and data are given in Figure 9), let us represent  $h^2(x, \tau)$  as

$$h^{2}(x,\tau) = h^{0}_{2}(x) + h^{2}_{s}(x,\tau) + h^{2}_{i-1}(x,\tau) + h^{2}_{i}(x,\tau),$$

where  $h_s$  = defines the level change in spring season

 $h_{i-1}$  = defines the level change from precipitation of the last year;

 $h_i$  = defines the level change from precipitation of the current year.

$$h_{i-1}^{2}(x,\tau) = \begin{cases} \frac{W_{i-1}\varepsilon_{i-1}^{*}L_{S}^{2}}{4\tau_{d}k_{F}} \left(1 - \frac{4x^{2}}{L_{S}^{2}}\right) & \tau \leq \tau_{2} \\ \\ -\frac{W_{i-1}\varepsilon_{i-1}^{*}L_{S}^{2}}{4\tau_{d}k_{F}} \left(1 - \frac{4x^{2}}{L_{S}^{2}} - F(x,\tau-\tau_{1})\right) & \tau > \tau_{2} \end{cases}$$

$$h_{S}^{2}(x,\tau) = \begin{cases} \frac{W_{Z}\varepsilon L_{S}^{2}}{4k_{F}(\tau_{2}-\tau_{1})} \left(1 - \frac{4x^{2}}{L_{S}^{2}} - F(x,\tau-\tau_{1})\right) & \tau_{1} \leq \tau \leq \tau_{2} \\ \\ \frac{W_{Z}\varepsilon L_{S}^{2}}{4k_{F}(\tau_{2}-\tau_{1})} \left(-F(x,\tau-\tau_{1}) + F(x,\tau-\tau_{2})\right) & \tau > \tau_{2} \end{cases}$$
(10)

$$h_i^2(x,\tau) = \frac{W_i \varepsilon_i^* L_S^2}{4\tau_d k_F} \left( 1 - \frac{4x^2}{L_S^2} - F(x,\tau-\tau_1) \right) \quad ; \quad \tau > \tau_2 \; ;$$

$$F(x,\tau-\tau_1) = \frac{32}{\pi^3} \sum_{n=0}^{\infty} \frac{(-1)^n}{(2n+1)^3} \cos\frac{(2n+1)\pi x}{L_S} e^{-\frac{4\pi^2 a (2n+1)^2}{L^2}(\tau-\tau_i)}$$

where  $\tau_2 - \tau_1 =$  snow-thawing period;

 $\tau_d$  = rain feeding period (t = 1 year);

 $\varepsilon_i^*$  = infiltration coefficient of precipitation;

 $\varepsilon = infiltration$  coefficient during the snow thawing period for snow stocks W<sub>z</sub>;

 $W_{i-1}$  = annual precipitation in the previous year;

 $W_i$  = annual precipitation in the current year.

# Determination of the Coefficient "a"

If we know the groundwater level  $H_0$  before the spring elevation (at the moment  $\tau_1$ ), then we can write for the wells in the central sector at this time as

$$\left[H_0 + \Delta h_S^{\max}\right]^2 = H_0^2 + \frac{W_z L^2}{4k_F(\tau_2 - \tau_1)} \left(1 - \frac{4x^2}{L_S^2}\right) \left(1 - e^{-\frac{a\pi^2(\tau_2 - \tau_1)}{L_S^2}}\right).$$
 (11)

For  $\tau > \tau_2$ 

$$[H_0 + \Delta h_S(x,\tau)]^2 = H_0^2(x_i) + \frac{W_z L^2}{4k_F(\tau_2 - \tau_1)} \left(1 - \frac{4x^2}{L^2}\right) (1 - e^{-b(\tau_2 - \tau_1)}) e^{-b(\tau_2 - \tau_1)}$$
(12)  
where  $b = \frac{a\pi^2}{L_S^2}$ 

After rearranging

$$\left[H_{0} + \Delta h_{S}(x_{i},\tau)\right]^{2} - H_{0}^{2}(x_{i}) = \left(\left[H_{0} + \Delta h_{S}^{\max}(x_{i},\tau)\right]^{2} - H_{0}^{2}(x_{i})\right)e^{-b(\tau_{2}-\tau_{1})}.$$
 (13)

After normalizing and logarithm taking

$$-\frac{a\pi^{2}(\tau_{2}-\tau_{1})}{L^{2}} = \ln\left(\frac{\Delta h_{S}(x,\tau-\tau_{2})}{\Delta h_{S}^{\max}} \cdot \frac{1 + \frac{\Delta h_{S}(x,\tau-\tau_{2})}{2H_{0}}}{1 + \frac{\Delta h_{S}^{\max}}{2H_{0}}}\right).$$
 (14)

With  $\Delta h_S = \Delta h_S^{\max}/2$  at the moment  $\tau_0$ , we get  $a = \frac{0.033L^2}{\pi(\tau_0 - \tau_2)} = \frac{\lambda_{CM}L^2}{T_{1/2}}$ , where  $\lambda_{CM} = \frac{0.693}{T_{1/2}}$ ;  $T_{1/2} = \tau_0 - \tau_2$ .

Tables 1 and 2 show values of  $a = \frac{kh}{\mu}$  in south and north directions from Lake

Karachai using the results of regional examinations of groundwater level, shown in Figures 10–17.

Year		Well 202/64	•		Well 10/68	
	$\Delta h_s^{\max},$ m	T <sub>1/2</sub> , day	<i>a</i> *10-3 m <sup>2</sup> /day	$\Delta h_s^{\max},$ m	T <sub>1/2</sub> , day	<i>a</i> *10-3 m <sup>2</sup> /day
1972	1.6	65	6.8	1.0	45	9.8
1973	1.0	. 45	9.8	1.1	50	8.8
1974	1.2	50	8.8	1.0	50	8.3
1975	0.25	_	-	0.2		-
1976	0.4	45	9.8	0.5	40	11.0
1977	1.1	65	6.8	1.5	55	8.8
1978	1.5	-	-	1.6		_
1979	2.1	70	6.3	2.0	55.	8.8
1980	1.5	50	8.8	1.5		
1981	2.4	45	9.8	1.5	70	6.3
1982	0.7	40	11.0	0.9	35	12.6

Table 1. Coefficients "a" for Wells in South Direction.

Table 2. Coefficients "a" for Wells in North Direction.

Year	Well 15/70		Well	36/70	Well 38/70		
	T <sub>1/2</sub> , day	<i>a</i> , m²/day	T <sub>1/2</sub> , day	<i>a</i> , m²/day	T <sub>1/2</sub> , day	<i>a</i> , m²/day	
1972	-	-	55	2.6	30	4.8	
1973	75	1.9	70	2.0	60	2.4	
1974	60	2.4	70	2.0	40	3.6	
1975	50	2.8	_	-	60	2.4	
1976	60	2.4	45	3.2	70	3.0	
1977	65	2.2	60	2.4	_		
1978	· _	-	55	2.6	70	2.0	
1979		<del>-</del> .	65	2.2	70	2.0	
1980		_	55	1.9	50	2.8	

# Evaluation of the Averaged Transmissivity

Although the conductivity characterizes the pressure fields, an openflow bed could be characterized by a value similar to conductivity notation by the linearization of unsteady filtration equation in the N.N. Verigin approximation. For the evaluation of this value, we use the data over the period when the infiltration in this area was absent from 1975 to 1977. By using a depression curve, we shall get the following relationships for the filtration velocity from the Lake Karachai  $v_F$  of the front width  $I_0$  and the same coefficient both to the south and north directions.

$$V_{FS} = \frac{l_0 \Delta H_S}{L_S} \,\overline{k_{FS} H_{SS}} \left( 1 + \frac{L_S}{L_N} \cdot \frac{\Delta H_N}{\Delta H_S} \cdot \frac{a_N}{a_S} \right);$$

$$L_S = 1500 \; ; \; L_N = 4500 \; ; \; \Delta H_S = H_K - H_M = 6.5m \; ; \qquad (15)$$

$$\Delta H_N = H_K - H_T = 21m \; ; \; H_{SS} = \frac{H_K + H_M}{2} \; ; \; H_{SN} = \frac{H_K + H_T}{2} \; .$$

The maximum value of filtration velocity was observed in 1976–1977 and was about 950 m<sup>3</sup>/d. We can calculate values  $\overline{h_{SS}k_{FS}}$  and  $\overline{h_{SN}k_{FN}}$  for this value of filtration velocity using (16). Then  $T_S = \overline{h_{SS}k_{FS}} = 40m^2/d$ ,  $T_N = \overline{h_{SN}k_{FN}} = 110m^2/d$ .

We can evaluate the effective fracture porosity  $\mu_s$  by using the water balance results of Lake Karachai for the period 1976 to 1977 and the values for  $\overline{k_F h_S}$  and *a*. The evaluation for the south and north directions shows similar values for  $\mu_s$  about 0.0044. These values are in sufficiently good agreement with direct data, as well as with the results of special hydrogeologic explorations (Figure 18).

#### **Evaluation of Groundwater Infiltration Sources**

By using the approximation  $H(x_i)k_F \approx \overline{h_{SS}k_{FS}}$  and  $H_0 >> Dh_i$ , we get for the snowthawing period

$$\varepsilon = \frac{8h_{S}k_{F}\Delta h(x_{i},\tau_{2}-\tau_{1})}{W_{z}L^{2}\left[1 - \frac{4x_{i}^{2}}{L_{j}^{2}} - \frac{32}{\pi^{3}}\cos\left(\frac{\pi x_{i}}{L_{j}}\exp(-\lambda_{CM}(\tau_{2}-\tau_{1}))\right)\right]}.$$
(16)

Year W <sub>z</sub> ,		Well 202/64			1	Well 10/68			Well 3/68		
	mm	$\tau_2 - \tau_1, day$	Δh <sub>m</sub> , m	3	τ, day	Δh <sub>m</sub> , m	3	τ, day	Δh <sub>m</sub> , m	3	
1972	96	30	1.6	0.067	50	1.2	0.102	_	_	_	
1973	112	40	0.8	0.049	20	1.2	0.069	20	0.8	0.07	
1974	104	45	1.2	0.082	30	1.0	0.069	70	0.7	0.09	
1975	80	55	0.4	0.039	60	0.5	0.054	45	0.5	0.107	
1976	96	50	1.1	0.084	70	1.4	0.134	90	0.7	0.112	
1977	106	60	1.4	0.105	90	1.6	0.156	60	1.0	0.127	
1978	106	65	1.8	0.126	90	2.0	0.196	90	1.4	0.214	
1980	162	40	1.4	0.059	30	1.5	0.103	55	1.3	0.103	

Table 3. Infiltration coefficients of precipitation for south direction in spring.

For infiltration coefficient of precipitation

$$\varepsilon^* = \frac{8h_i(\overline{h_S k_F})\tau_d}{L_j^2 \left(1 - \frac{4x_i^2}{L_j^2}\right)W_d} \quad .$$

(17)

where  $h_1$  = elevation relatively  $h_0(x_i)$ .

Year	Well 202/64		Wel	1 10/68	Well 3/68		
	hi	٤*	h <sub>i</sub>	٤*	hi	£*	
1971	2.8	0.056	3.0	0.067	2.1	0.073	
1972	2.2	0.044	2.1	0.047	1.5	0.052	
1973	2.2	0.044	2.2	0.049	· 1.6	0.056	
1974	1.4	0.028	1.1	0.024	0.8	0.023	
1975	0.4	0.028	0.0	0.0	0.0	0.0	
1976	0.0	0.0	0.0	0.0	0.0	0.0	
1977	0.0	0.0	0.0	0.0	0.0	0.0	
1978	1.0	0.020	1.3	0.029	1.1	0.038	
1979	1.4	0.028	1.5	0.033	1.1	0.038	
1980	1.5	0.030	1.6	0.036	1.4	0.049	
1981	1.1	0.022	1.1	0.027	1.9	0.066	
1982	0.7	0.014	0.7	0.016	1.7	0.059	
1983	1.7	0.034	1.4	0.031	2.6	0.090	

Table 4. Infiltration coefficients in the rain period.

# Water Balance

The solution of volume  $G_{\boldsymbol{\phi}}$  entering the groundwater flow could be defined by the relationship

$$G\varphi = \frac{k_F l_0}{2} \cdot \int_0^{\tau} \frac{\partial h^2(x,\tau')}{\partial \tau'} \bigg|_{x=L/2} d\tau' .$$
(18)

For the flow towards south,

$$G\varphi_{S} = (k_{F}h_{S})_{S} \left[ l_{0} \frac{H_{K} - H_{M}}{L_{S}} \tau_{2} - \frac{4h_{i-1}\tau_{2}l_{0}}{L_{S} \left(1 - \frac{4x_{i}^{2}}{L_{1}^{2}}\right)} \cdot \left(1 + \frac{L_{S}^{2}}{12\tau_{d}a_{S}}\right) - \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 - \frac{4x_{i}^{2}}{L_{1}^{2}}\right)} \cdot \left(1 + \frac{L_{S}^{2}}{12\tau_{d}a_{S}}\right) - \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 - \frac{4x_{i}^{2}}{L_{1}^{2}}\right)} \cdot \left(1 + \frac{L_{S}^{2}}{12\tau_{d}a_{S}}\right) - \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 - \frac{4x_{i}^{2}}{L_{1}^{2}}\right)} \cdot \left(1 + \frac{L_{S}^{2}}{12\tau_{d}a_{S}}\right) - \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 - \frac{4x_{i}^{2}}{L_{1}^{2}}\right)} \cdot \left(1 + \frac{L_{S}^{2}}{12\tau_{d}a_{S}}\right) - \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 - \frac{4x_{i}^{2}}{L_{1}^{2}}\right)} \cdot \left(1 + \frac{L_{S}^{2}}{12\tau_{d}a_{S}}\right) - \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 + \frac{4x_{i}^{2}}{L_{1}^{2}}\right)} \cdot \left(1 + \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 + \frac{4x_{i}^{2}}{L_{1}^{2}}\right)}\right) - \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 + \frac{4x_{i}^{2}}{L_{1}^{2}}\right)} \cdot \left(1 + \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 + \frac{4x_{i}^{2}}{L_{1}^{2}}\right)}\right) - \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 + \frac{4x_{i}^{2}}{L_{1}^{2}}\right)} \cdot \left(1 + \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 + \frac{4x_{i}^{2}}{L_{1}^{2}}\right)}\right) - \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 + \frac{4x_{i}^{2}}{L_{S}^{2}}\right)} - \frac{4h_{i}(\tau_{d} - \tau_{1})}{L_{S} \left(1 + \frac{4x_{i}^{2}}{L_{S}^{2$$

$$-\frac{4h_{mi}l_{0}(\tau_{2}-\tau_{1})}{L_{S}\left(1-\frac{4x_{i}^{2}}{L_{S}^{2}}\right)e^{-\lambda_{CM}(\tau_{2}-\tau_{1})}}-\frac{4h_{i}(\tau_{d}-\tau_{1})}{L_{S}\left(1-\frac{4x_{i}^{2}}{L_{S}^{2}}\right)}\left(1-\frac{L_{S}^{2}}{12\tau_{d}a_{S}}\right),$$

where  $h_{i-1}$  = the elevation of groundwater level in  $x_i$  relative to the level  $h_0(x_i)$  in winter of current year;

 $h_i$  = the same in autumn;

 $h_{mi}$  = the same in winter.

We can get a similar relationship for the north flow or we can use Equation (15).

Year	h <sub>1</sub>	h <sub>mi</sub>	$\tau_1$	$\tau_2 - \tau_1$	$v_{eval} 10^3 m^3$	v <sub>fact</sub> 10 <sup>3</sup> m3
1971	2.8	1.3	105	45	117	141
1972	2.2	1.6	105	65	130	117
1973	2.2	0.8	90	45	136	163
1974	1.4	1.2	90	60	177	116
1975	0.4	0.0	90	60	240	295
1976	0.0	0.4	90	45	230	255
1977	0.0	1.1	60	65	220	229
1978	1.0	1.4	90	90	186	178
1979	1.4	1.8	90	70	96	55
1980	1.5	1.4	90	50	122	98
1981	1.1	2.4	90	45	85	95
1982	0.7	0.7	90	75	137	191
1983	1.7	1.3	75	40	103	142

Table 5. Solution Volume Entering the Groundwater from the Lake Well 202/64.

Surface run-off from the individual watershed is taken to be zero, because the lake water flow is intercepted by dams.

#### Summary

The evaluation performed shows a sufficiently good agreement between the calculated hydrogeologic parameters based on our approach and the experimental results obtained by various methods (see Table 5). A good correspondence between the calculated and the balance values of filtration losses from the lake verifies this conclusion also.

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Figure 2. Hydrohypsographical curves of investigated area.



Figure 3. Water level at Lake Kyzyl-Tash (No. 2) in 1973–1985.



Figure 4. Water level in Lake No. 3 (r. Techa) in 1973–1985.



Figure 5. Water level in Lake No. 4 in 1973–1985.



Figure 6. Water level in Lake Karachai in 1973–1985.



Figure 7. Water level in Lake No. 10 in 1973–1985.



Figure 8. Scheme of infiltration feeding.

	Sn	IOW					R	ain				-	Sum t the	hrough year
Year	XI	XII	I	II	III	IV	V	VI	VII	VIII	IX	X	snow	rain
70-71	24.6	10.2	8.5	28.6	41.5	6.4	25.4	39.4	149.8	81.1	22.2	68.5	113.4	392.8
71-72	19.6	43.1	14.7	5.3	18.3	20.1	39	116.9	126.2	31	35.3	33.2	101	401.7
72-73	43.4	11.6	22.4	6.6	14.6	16.2	20.6	56	58.4	76.1	87.2	12.8	98.6	327.3
73-74	23	21.4	13.5	15.6	10.7	26.5	35.9	58.1	23.8	64.9	27.6	21.1	84.2	257.9
74-75	18.3	2.5	9.7	13	18.9	16.3	23.9	24.8	15.7	25.5	7.3	24	62.4	137.5
75-76	8.9	27.8	48.2	8.4	1.6	13.4	13.5	26.7	96.5	54.5	13.4	29.5	94.9	247.5
76-77	30	4.1	8.5	28.2	15.3	70.2	72.8	15.9	32.5	45.4	22.4	49.3	86.1	308.5
77-78	14.2	45.9	11.5	15.7	4.4	38.6	45.8	64.1	155.4	46.4	34.3	34.1	91.7	418.7
78-79	25.5	39.9	28.4	30.2	4.6	33.5	29.7	100.7	103.1	56.7	29.6	37.1	128.6	514.4
79-80	19	11.8	12	5.7	24.3	39.4	32.4	50.9	72	57	49.8	57.3	72.8	358.8
80-81	18.8	27.5	4.9	12.4	38.9	11.2	101	61.4	30.5	32.3	54.4	17.2	102.5	308
81-82	22.1	17.1	28	5.5	11.8	16.7	64.1	88.1	54.8	45.3	48.7	60.7	84.5	378.4
82-83	3.6	20.4	19.7	34.9	12.6	31.8	34.6	64.5	133.1	115	62.6	11.6	91.2	443.2
83-84	17.2	37.5	11.3	3.8	3.2	6.5	70.2	64.6	62	64.3	76.7	68.7	73	413

Figure 9. Precipitation in 1970 to 1984, mm.



Figure 10. Water level in Well 3/68 in 1971-1983.



Figure 11. Water level in Well 10/68 in 1971–1983.



Figure 12. Water level in Well 202/68 in 1971–1983.







Figure 14. Water level in Well 38/70 in 1971–1983.



Figure 15. Water level in Well 15/70 in 1971–1983.

No. of the well	From the shore line	From the center of the lake
202/64	700	950 South
10/68	1750	2000 South
3/68	2190	2440 South
15/70	350	600 North
36/70	550	800 North
38/70	* 1050	1300 North

Figure 16. The distance from Lake Karachai to the holes.

Figure 17. Lake elevations of Lakes No. 2, 3, 4, 10. Water level in the lakes, absolute elevations, m.

Lakes (basin)	Maximal	Minimal	Middle (operational)
No. 2	225.6	225	225.4
No. 3	223.05	222.7	223
No. 4	220.4	219.9	220.2
No. 10	218.8	219.84	219.5

# Hydrogeologic Parameters

	Water c	ondactivity, 1	m²/day	Water ca		
№ of hole	by concurrent pump out	by isolated pump out	by injection	by indicator method	by balance method	infiltration, m/day
202/64 10/68 3//68	-	70 - -	94 220		0.0063-0.0101*	2.1*10 <sup>-4</sup>
15/70 36/70 38/70	190 - -	- 20 5	- - 3	0.0020	0.0064-0.01*	

<sup>•</sup> The water capacity is determined for south and north flows of the Lake Karachai by balance method. In the whole - by distribution of nitrate ion in the underground water horizont

Figure 18.

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