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# Magnetic phase separation in $\mathrm{EuB}_{6}$ detected by muon spin rotation 

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#### Abstract

We report results of the first muon-spin rotation measurements performed on the low carrier density ferromagnet $\mathrm{EuB}_{6}$. The ferromagnetic state is reached via two magnetic transitions at $T_{m}=15.5 \mathrm{~K}$ and $T_{c}=12.6 \mathrm{~K}$. Two distinct components are resolved in the muon data, one oscillatory and one non-oscillatory, which arise from different types of magnetic environment, and we have followed the temperature dependence of these components in detail. These results provide evidence for magnetic phase separation and can be interpreted in terms of the gradual coalescing of magnetic polarons.


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Europium hexaboride has attracted recent interest because it exhibits colossal magnetoresistance (CMR) ${ }^{1}$ and it has been suggested that its semiconductor-semimetal transition results from the overlap of magnetic polarons. ${ }^{2} \mathrm{EuB}_{6}$ crystallizes into a simple cubic structure (space-group Pm3m) with divalent Eu ions $\left({ }^{8} S_{7 / 2}\right)$ at the corners of the unit cell and $\mathrm{B}_{6}$-octahedra at the body-centered positions, and is a ferromagnet at low temperatures. ${ }^{1}$ Specific heat and magnetization measurements reveal that this state is reached via two distinct transitions at $T_{\mathrm{m}}=15.5 \mathrm{~K}$ and $T_{\mathrm{c}}=12.6 \mathrm{~K} .^{2,3}$ Neutron diffraction measurements show that a small spontaneous magnetic moment begins to grow on cooling below $T_{\mathrm{m}}$, but does not become significant until $T_{\mathrm{c}}$ is reached, below which point the moment shows a more usual mean-field like behavior. ${ }^{4}$ The magnetic ordering is accompanied by a sharp drop in the resistivity which is strongly field dependent ${ }^{5}$ and gives rise to a large negative magnetoresistance. ${ }^{2}$ This transition from a semiconductor at high temperatures to a semimetal ${ }^{6-9}$ (or possibly a self-doped compensated semiconductor ${ }^{10}$ ) at low temperatures is reminiscent of the metal-insulator transition seen in manganites exhibiting CMR. ${ }^{11}$ Detailed measurements of resistivity and magnetization ${ }^{2}$ show that this transition is associated with $T_{\mathrm{m}}$. It is thought that magnetic polarons could be responsible for this behavior, with the upper magnetic transition and drop in resistivity caused when the bound carriers overlap and percolate, and the lower transition caused by a true transition to a bulk ferromagnetic state. ${ }^{2}$ Further support for this explanation comes from the observation of polaronic features, possibly associated with itinerant holes, ${ }^{12}$ below $\sim 30 \mathrm{~K}$ in Raman-scattering spectra. ${ }^{13}$ The trapping of carriers to form bound magnetic polarons provides an explanation for the upturn in resistivity observed on cooling through $30 \mathrm{~K},{ }^{2,12}$ and the negative magnetoresistance. ${ }^{12,14}$ However, a direct observation of overlapping polarons in $\mathrm{EuB}_{6}$ has so far been elusive.

In this paper we present the results of muon spin rotation ( $\mu \mathrm{SR}$ ) experiments on $\mathrm{EuB}_{6}$ which not only provide further evidence for the two distinct magnetic transitions but are also able to resolve two components arising from muons stopping in two different types of environment below $T_{\mathrm{m}}$. The first
component is an oscillating signal and can be associated with muons that halt in the locally ferromagnetic environment of a magnetic polaron. The second component is a Gaussian signal and arises from the muons that come to rest in the still paramagnetic surrounding volume.

Our $\mu$ SR experiments were carried out using the DOLLY instrument at the Paul Scherrer Institute (PSI) in Switzerland and the DEVA beamline at the ISIS pulsed muon facility in the UK. In our $\mu \mathrm{SR}$ experiments, spin polarized positive muons ( $\mu^{+}$, mean lifetime $2.2 \mu \mathrm{~s}$, momentum $28 \mathrm{MeV} / c$ ) were implanted into polycrystalline $\mathrm{EuB}_{6}$. The muons stop quickly (in $<10^{-9} \mathrm{~s}$ ), without significant loss of spinpolarization. The time evolution of the muon spin polarization can be detected by counting emitted decay positrons forward (f) and backward (b) of the initial muon spin direction due to the asymmetric nature of the muon decay. ${ }^{15}$ In our experiments, positrons are detected by using scintillation counters placed in front of and behind the sample. We record the number of positrons detected by forward $\left(N_{\mathrm{f}}\right)$ and backward $\left(N_{\mathrm{b}}\right)$ counters as a function of time and calculate the asymmetry function, $G_{z}(t)$, using

$$
\begin{equation*}
G_{z}(t)=\frac{N_{\mathrm{f}}(t)-\alpha_{\exp } N_{\mathrm{b}}(t)}{N_{\mathrm{f}}(t)+\alpha_{\exp } N_{\mathrm{b}}(t)}, \tag{1}
\end{equation*}
$$

where $\alpha_{\text {exp }}$ is an experimental calibration constant and differs from unity due to non-uniform detector efficiency. The quantity $G_{z}(t)$ is then proportional to the average spin polarisation, $P_{z}(t)$, of muons stopping within the sample. The muon spin precesses around a local magnetic field, $B$ (with a frequency $\nu=\left(\gamma_{\mu} / 2 \pi\right)|B|$, where $\left.\gamma_{\mu} / 2 \pi=135.5 \mathrm{MHz} \mathrm{T}^{-1}\right)$.

Examples of asymmetry spectra measured at PSI are shown in Fig. 1. There are three distinct temperature regions. In the lowest temperature data $(T \leqq 10 \mathrm{~K})$, there are clear oscillations in the measured asymmetry, demonstrating that the sample does indeed make a transition to a locally magnetically ordered state. This oscillating signal is superposed on a slow exponential relaxation unobservable in Fig. 1, but visible at longer times. In the second region ( 10 K $\leq T<T_{\mathrm{m}}$ ), the amplitude of the oscillatory component decreases and a Gaussian component appears, with a decay rate


FIG. 1. Muon decay asymmetry plots for $\mathrm{EuB}_{6}$ at different temperatures. The solid lines are fits of the data to Eq. (2). The data for $T=11.5,14$ and 15 K are fitted with a non-zero Gaussian amplitude, while the others are not. The data were taken at PSI.
that decreases as the temperature is increased. In the third region $\left(T>T_{\mathrm{m}}\right)$, the amplitude associated with the Gaussian component decreases until, when above 16 K , only the slow exponential relaxation remains. The need for the fast relaxing Gaussian term in the fits is clearly motivated by the topmost panel of Fig. 1, where the purely exponential relaxation seen at 17 K is compared with the results for a temperature of 15 K , which is just inside the intermediate region.

In order to best follow these changes, the data over the whole studied temperature range were fitted to the function

$$
\begin{align*}
G_{z}(t)= & A_{\exp } \exp \left(-\frac{t}{T_{1}}\right)+A_{\text {osc }} \exp \left(-\frac{t}{T_{2}}\right) \cos (2 \pi \nu t) \\
& +A_{\text {Gauss }} \exp \left(-\sigma^{2} t^{2}\right)+A_{\text {bg }} \tag{2}
\end{align*}
$$

where $A_{\mathrm{bg}}$ represents a constant background due to muons stopping in the silver that surrounds the sample, $T_{1}$ and $T_{2}$ are the longitudinal and transverse relaxation times, and $A_{\text {exp }}$, $A_{\text {osc }}$, and $A_{\text {Gauss }}$ are the amplitudes of the exponential, oscillating and Gaussian terms, respectively. Plots of the fitted parameters against temperature are shown in Fig. 2. Vertical lines drawn at $T_{\mathrm{m}}$ and $T_{\mathrm{c}}$ approximately divide the plots into


FIG. 2. Temperature dependence of the parameters determined from fits of Eq. (2) to $\mathrm{EuB}_{6}$ asymmetry spectra. The panels correspond to (a) the oscillation frequency, $\nu$, (b) and (c) the relaxation rates $1 / T_{1}$ and $1 / T_{2}$, (d) the Gaussian fraction width parameter, $\sigma$, and (e) the amplitudes for each of the three components used in the fits. The dashed lines in (e) are guides for the eye. The vertical dashed lines indicate the positions of $T_{\mathrm{c}}$ and $T_{\mathrm{m}}$.
the three temperature regions discussed above. In Fig. 2(e) the asymmetry amplitudes of the three different terms are shown, which provide the main motivation for this division. The exponentially relaxing fraction is seen to drop sharply from the maximum value at $T_{\mathrm{m}}$, which is expected in a polycrystalline sample when a transition into an ordered state occurs. In the lowest temperature region the remaining amplitude is accounted for by the oscillating fraction, but at intermediate temperatures there is also a contribution from the fast relaxing Gaussian fraction.

A Gaussian relaxation can result from a field at the muon site which is static but randomly distributed in magnitude. The parameter $\sigma$ is related to the width of the field distribution as $\sigma^{2}=\gamma_{\mu}^{2}\left\langle B^{2}\right\rangle / 2$. Figure 2 shows that $\sigma$ increases as the temperature is lowered in the second region, indicating that the field distribution at the muon sites is becoming wider as
the sample becomes more ordered at lower temperatures.
The fact that the asymmetry amplitude is shared between the two fast signals in the intermediate region is evidence that the muons are stopping in two different kinds of environment, that is, magnetic phase separation is occurring. ${ }^{16}$ The amplitudes of the two signals are expected to be proportional to the volume fraction of each phase. Phase separation is important between $T_{\mathrm{m}}$ and $T_{\mathrm{c}}$, but we find that it disappears below $T_{\mathrm{c}}$, in contrast to the predictions of Ref. 17.

Figure 2(a) shows that the oscillations develop below $T_{\mathrm{m}}$, and their frequency $\nu$ increases fairly smoothly as the sample is cooled through $T_{\mathrm{c}}$ rising to a maximum of $\sim 67 \mathrm{MHz}$ at low temperature (corresponding to a field at the muon site of $\sim 0.5 \mathrm{~T}$ ). The frequency $\nu$ is proportional to the magnetization and the data in Fig. 2(a) match well with the temperature dependence of the Eu magnetic moment measured with neutron scattering. ${ }^{3}$ Only one muon precession frequency is observed, strongly suggesting that there is a single set of equivalent muon sites in the structure. There are two candidate sites. The first is at the center of a $\mathrm{B}_{6}^{2-}$ octahedron and the second is at the face-centers of the unit cell (in the center of the shortest B-B bond which is between atoms in adjacent unit cells). Using the Eu moment measured previously ${ }^{3}$ and assuming a low temperature magnetic structure with the moments pointing along the [111] direction, the dipole field ( $\boldsymbol{B}_{\text {dip }}$ ) can be calculated at both these possible sites. At the center of a boron octahedron, the dipole field cancels by symmetry. The face-center positions are all magnetically equivalent and yield $\gamma_{\mu}\left|\boldsymbol{B}_{\text {dip }}\right| / 2 \pi=144 \mathrm{MHz}$. Additional contributions to the field at the muon site arise from the Lorentz field ( $\mu_{0} M_{\text {sat }} / 3=0.42 \mathrm{~T}$, corresponding to 57 MHz ), the demagnetization field and the hyperfine contact field, and preclude a definitive assignment of the site.

The longitudinal relaxation rate, $1 / T_{1}$, reflects the dynamics of the fields being probed. For rapid fluctuations, $1 / T_{1}$ $\propto \gamma_{\mu}^{2} \Sigma_{q}|\delta B(q)|^{2} \tau(q)$, where $|\delta B(q)|$ is the amplitude of the fluctuating local field and $\tau(q)$ is the Eu-ion correlation time at wave vector $q$. In the paramagnetic phase the spin fluctuations are so rapid that the measured relaxation rate is small. As the sample is cooled and the critical region is approached, the correlation time becomes longer and the relaxation rate rises and peaks close to $T_{\mathrm{m}}$ [Fig. 2(b)]. In contrast, $1 / T_{2}$ (which is proportional to the width of the ordered field distribution corresponding to the oscillating fraction) rises dramatically on cooling through $T_{\mathrm{c}}$ and subsequently falls on further cooling [Fig. 2(c)]. This emphasizes that the ordered and fluctuating fractions in the sample are distinct and follow different temperature dependencies.

These observations fit in well with the polaron percolation picture for the intermediate temperature range; muons stopping in ferromagnetic regions of overlapping polarons give rise to the oscillating signal, while most muons stop in the intervening paramagnetic regions. In these paramagnetic regions the Eu-ion correlation time is short, so the muons are not depolarized by the local fluctuating Eu moments, but by the distribution of fields that result from the nearby ferromagnetic regions. As the sample becomes more ordered the paramagnetic regions shrink, with a corresponding effect on the field distribution.

In order to study the slower relaxation in the high temperature region in more detail, data were collected at the ISIS


FIG. 3. (a) A typical asymmetry spectrum measured at ISIS. The solid line is a fit to Eq. (3), and the dotted lines show the form of the two exponential terms used. (b) The two relaxation rates measured at ISIS, $\lambda_{f, s}$ (closed symbols), and the longitudinal relaxation rate measured at PSI, $1 / T_{1}$ (open symbols). The solid line is a fit of a $T^{2} \ln (T / \Delta)$ function to the PSI rate for temperatures below 14 K .
facility. An example is shown in Fig. 3(a) and clearly shows the presence of both a slow and a fast relaxation rate. Therefore the data were fitted to the function ${ }^{18}$

$$
\begin{equation*}
G_{z}(t)=A_{\mathrm{f}} \exp \left(-\lambda_{\mathrm{f}} t\right)+A_{\mathrm{s}} \exp \left(-\lambda_{\mathrm{s}} t\right)+A_{\mathrm{bg}} \tag{3}
\end{equation*}
$$

where $A_{\mathrm{f}, \mathrm{s}}$ and $\lambda_{\mathrm{f}, \mathrm{s}}$ are the amplitudes and relaxation rates of the fast and slow exponential components (note that $\lambda_{f}$ represents relaxation due to fast dynamics and hence slow spin relaxation). The non-relaxing background fraction $A_{\mathrm{bg}}$ was held fixed. $A_{\mathrm{f}}$ and $A_{\mathrm{s}}$ were found to be approximately constant with temperature, with $A_{\mathrm{f}}$ about half the value of $A_{\mathrm{s}}$, and were fixed in the fits. The relaxation rates themselves appear temperature independent above the transition, and it was possible to keep $\lambda_{\mathrm{f}}$ fixed at 0.08 MHz (see Fig. 3). On cooling toward $T_{\mathrm{c}}, \lambda_{\mathrm{s}}$ begins to decrease, until only one relaxation rate can be resolved below 9 K . This is possibly because the two rates become very similar in magnitude, and the presence of $\lambda_{f}$ may mask any further drop of $\lambda_{s}$.

The relaxation rate $\lambda_{\mathrm{s}}$ matches well to the temperature dependence of $1 / T_{1}$, as shown in Fig. 3(b), and the two can be identified with each other. At low temperatures, a contribution to $1 / T_{1}$ can be fitted by a $1 / T_{1} \propto T^{2} \ln (T / \Delta)$ [see Fig. 3(b)] appropriate for scattering by two-magnon processes in ferromagnets. ${ }^{19}$ However, the component due to fast fluctuations produces too slow a relaxation to be convincingly included in the fits to the PSI data. Nevertheless, the observation of two relaxation rates above $T_{\mathrm{m}}$ allows us to infer the presence of spatial inhomogeneity (a very similar effect has been found in $\mathrm{La}_{0.67} \mathrm{Ca}_{0.33} \mathrm{MnO}_{3}$ with $\mu \mathrm{SR}^{18}$ ), which persists even at 115 K . Above $T_{\mathrm{m}}$, the temperature dependence of $\lambda_{\mathrm{f}}$
and $\lambda_{\mathrm{s}}$ is weak and featureless. Any polaron dynamics are presumably too fast to be followed by the muon. The dramatic changes observed below $T_{\mathrm{m}}$ can therefore be attributed to a large change in the time-scale of polaron dynamics, such as might be expected when polarons overlap. Although the polaron volume fraction changes little at a percolation transition, their arrangement could be changed so that the average size of a single polaron is larger and its dynamics are much slower.

In conclusion, $\mu \mathrm{SR}$ measurements have allowed us to follow the very unusual development of ferromagnetism in $\mathrm{EuB}_{6}$ through the transitions at $T_{\mathrm{m}}$ and $T_{\mathrm{c}}$ from a local viewpoint. These results reveal two distinct and spatially separate
regions of the material associated with different magnetic behavior. These features are qualitatively consistent with a picture based on coalescing polarons, which can also account for the CMR observed in $\mathrm{EuB}_{6}{ }^{2,10,12}$

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