

# Lawrence Berkeley National Laboratory

## Lawrence Berkeley National Laboratory

### Title

Limits of NbTi and Nb<sub>3</sub>Sn, and Development of W&R Bi-2212 High Field Accelerator Magnets

### Permalink

<https://escholarship.org/uc/item/2t34x9m7>

### Authors

Godeke, A.  
Cheng, D.  
Dietderich, D.R.  
et al.

### Publication Date

2008-05-27

# Limits of NbTi and Nb<sub>3</sub>Sn, and Development of W&R Bi-2212 High Field Accelerator Magnets

A. Godeke, D. Cheng, D. R. Dietderich, P. Ferracin, S. O. Prestemon, G. Sabbi, and R. M. Scanlan

**Abstract**—NbTi accelerator dipoles are limited to magnetic fields ( $H$ ) of about 10 T, due to an intrinsic upper critical field ( $H_{c2}$ ) limitation of 14 T. To surpass this restriction, prototype Nb<sub>3</sub>Sn magnets are being developed which have reached 16 T. We show that Nb<sub>3</sub>Sn dipole technology is practically limited to 17 to 18 T due to insufficient high field pinning, and intrinsically to 20 to 22 T due to  $H_{c2}$  limitations. Therefore, to obtain magnetic fields approaching 20 T and higher, a material is required with a higher  $H_{c2}$  and sufficient high field pinning capacity. A realistic candidate for this purpose is Bi-2212, which is available in round wires and sufficient lengths for the fabrication of coils based on Rutherford-type cables. We initiated a program to develop the required technology to construct accelerator magnets from ‘wind-and-react’ (W&R) Bi-2212 coils. We outline the complications that arise through the use of Bi-2212, describe the development paths to address these issues, and conclude with the design of W&R Bi-2212 sub-scale magnets.

**Index Terms**—Accelerator magnet, HTS, Bi-2212

## I. INTRODUCTION

THE superconducting material of choice for accelerator magnets has long been NbTi. The world’s largest particle accelerator, the Large Hadron Collider (LHC) at CERN, utilizes NbTi technology. The record magnetic field with NbTi in a dipole configuration is 10.5 T at 1.8 K [?], and is approaching the intrinsic limitations of NbTi as will be discussed below. To surpass the intrinsic limitations of NbTi, a number of prototype dipole magnets have been constructed using Nb<sub>3</sub>Sn superconductors, since Nb<sub>3</sub>Sn approximately doubles the available field–temperature regime. Prototype dipole magnets that utilize Nb<sub>3</sub>Sn technology reach a steadily increasing magnetic field, with the present record being 16 T at 4.5 K [?]. This progress resulted, for a significant part, from the increasing critical current density ( $J_c$ ) in strands [?].

These successful prototype magnets demonstrate the feasibility of Nb<sub>3</sub>Sn for use in accelerator magnets. This is emphasized through the U.S. LHC Accelerator Research Program (LARP) [?], which focuses on the development of Nb<sub>3</sub>Sn magnets for future LHC upgrades. However, as will be shown below, due to these recent successful efforts, Nb<sub>3</sub>Sn magnets are also rapidly approaching the material’s limitations and a switch to a new material is inevitable to achieve higher magnetic fields.

Manuscript received September 1, 2006. This work was supported by the Director, Office of Science, High Energy Physics, U.S. Department of Energy under contract No. DE-AC02-05CH11231.

A. Godeke (corresponding author; phone: +1-510-486-4356; e-mail: agodeke@lbl.gov), D. Cheng, D. R. Dietderich, P. Ferracin, S. O. Prestemon, G. Sabbi, and R. M. Scanlan are with Lawrence Berkeley National Laboratory, One Cyclotron Rd, Berkeley CA 94720.

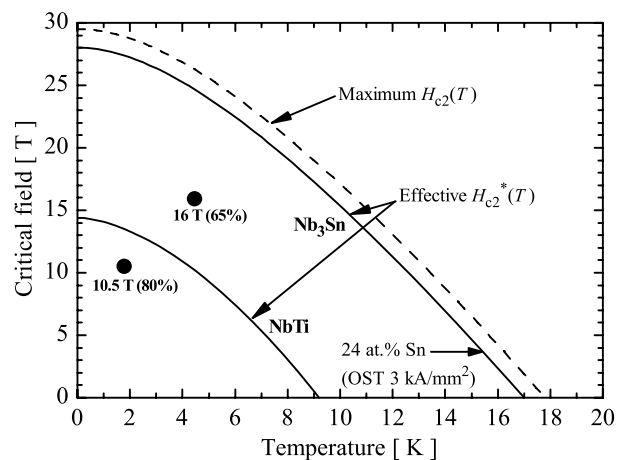


Fig. 1. Field-temperature phase boundaries and record magnetic fields in dipole magnets for NbTi and Nb<sub>3</sub>Sn.

## II. MAGNETIC FIELD LIMITS USING NbTi AND Nb<sub>3</sub>Sn

To validate the use of a new material and the ensuing technology development, an accurate determination of the limitations of the present materials is required. A material’s current carrying capacity is determined by its effective field-temperature phase boundary ( $H_{c2}^*(T)$ ) and its pinning capacity. A material’s pinning force ( $F_p$ ) is maximized when the pinning site density is comparable to the flux-line density in the operating magnetic field range.

For NbTi,  $H_{c2}^*(T)$  is limited by  $H_{c2}^*(0) \cong 14.4$  T and an effective critical temperature  $T_c^*(0) \cong 9.2$  K [?], as depicted in Fig. 1. Pinning sites can be engineered in NbTi in the form of  $\alpha$ -Ti precipitates, with a spacing that is comparable to the flux-line spacing in the 5 to 10 T magnetic field range [?] (Fig. 2). NbTi is therefore, under present understanding, close to fully optimized. This pinning capacity optimization yields a parabolic-like  $F_p(H)$  that peaks at about 50% of  $H_{c2}^*$  [?], and a maximum  $J_c(5\text{ T}, 4.2\text{ K}) \cong 3\text{ kA/mm}^2$ , or  $1150\text{ A/mm}^2$  at 8 T and 4.2 K [?]. Fig. 1 shows that an optimized dipole magnet, using an optimized NbTi wire, achieves about 80% of its intrinsic field-temperature limitation. 80% can thus be regarded as an optimized efficiency for dipole magnets.

Recent investigations on the capacities of Nb<sub>3</sub>Sn superconductors [?], [?], [?] place well-defined practical and intrinsic limitations on its performance. For Nb<sub>3</sub>Sn, being stable from about 18 to 25 at.%Sn (the A15 phase),  $H_{c2}^*(T)$  depends on the  $H_{c2}$  averaging over the compositions that are present in a wire [?]. In Fig. 1, the maximum detectable  $H_{c2}(T)$  in

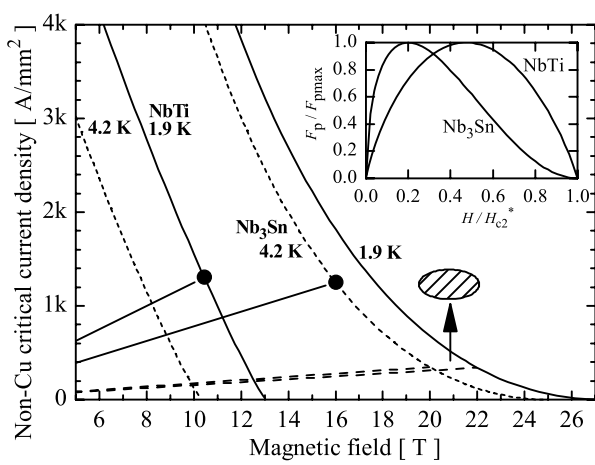


Fig. 2. Critical current density as function of magnetic field at 1.9 and 4.2 K in NbTi and Nb<sub>3</sub>Sn. Included are the load-lines for record magnets and for a hypothetical Nb<sub>3</sub>Sn dipole magnet achieving 80% of its intrinsic limitation. The inset shows the normalized pinning force as function of reduced magnetic field.

wires is depicted by the dashed line. Also a best estimate is given for  $H_{c2}^*(T)$  for the present record Internal Tin (IT) wire ( $J_c(12 \text{ T}, 4.2 \text{ K}) = 3 \text{ kA/mm}^2$ ) [?], which has an average Sn content of 24 at.%Sn [?]. This  $H_{c2}^*(T)$  is limited by  $H_{c2}^*(0) \cong 28 \text{ T}$  and  $T_c^*(0) \cong 17 \text{ K}$ . Fig. 1 shows that the present record dipole magnet, using the present record wire, achieves about 65% of this  $H_{c2}^*(T)$ . If Nb<sub>3</sub>Sn, like NbTi, would achieve 80% of  $H_{c2}^*(T)$ , it would reach a dipole magnetic field of 20 T at 4.2 K, or 22 T at 1.9 K, which forms an intrinsic magnetic field limitation for Nb<sub>3</sub>Sn, which is closely approached in solenoids.

The main reason why a Nb<sub>3</sub>Sn magnet does not achieve 80% of its intrinsic limitation is lack of high field pinning capacity. Grain boundaries are the main pinning centers in Nb<sub>3</sub>Sn and the average grain size in commercial wires is between 100 to 200 nm [?]. The average flux-line spacing, in contrast, is about 10 to 15 nm. The flux-line density is therefore about one order of magnitude larger than the grain boundary density. This results in collective pinning of the flux-line lattice, described by an asymmetric  $F_p(H)$  that peaks at only 20% of  $H_{c2}^*$ , i.e. at about 5 T at 4.2 K for the present record IT wires [?] (Fig. 2). This lack of high field pinning translates to the concave  $J_c(H)$  curves in Fig. 2, and a reduced current carrying capacity towards  $H_{c2}^*$  [?]. The pinning curve for optimized NbTi, in contrast, translates to an approximately linear  $J_c(H)$  reduction up to  $H_{c2}^*$  [?].

It has been demonstrated that the introduction of additional pinning sites in Nb<sub>3</sub>Sn causes the maximum in  $F_p(H)$  to increase and shift towards higher magnetic field [?]. Therefore, the only way to retain current carrying capacity in Nb<sub>3</sub>Sn when approaching  $H_{c2}^*$  (as indicated by the hatched region in Fig. 2) is by an enhancement of the pinning site density through grain refinement or the inclusion of engineered pinning centers. Both these options, though demonstrated on laboratory samples, have not yet been validated in commercial wires. Grading and an unlimited conductor package could, in theory, generate magnetic fields approaching 20 T, but the

resulting magnets would be unpractically large and expensive due to Nb<sub>3</sub>Sn's in-efficiency at high magnetic fields. Nb<sub>3</sub>Sn is therefore exhausted at dipole magnetic fields in the 17 to 18 T region. Even if high field pinning capacity in wires could be improved, Nb<sub>3</sub>Sn would still be intrinsically limited to 22 T at 1.9 K as described above.

To progress towards magnetic fields of 20 T and higher, it is thus inevitable to switch to a new material with a significantly higher  $H_{c2}$  and sufficient high field pinning capacity. Of the possible candidate materials (YBa<sub>2</sub>Cu<sub>3</sub>O<sub>7- $\delta$</sub> , Bi<sub>2</sub>Ca<sub>2</sub>CuSr<sub>2</sub>O<sub>8+x</sub>, Bi<sub>2</sub>Ca<sub>2</sub>Cu<sub>2</sub>Sr<sub>3</sub>O<sub>10+y</sub>, MgB<sub>2</sub>), only Bi-2212 is sufficiently developed for use in accelerator magnet applications. It has an  $H_{c2}^*(4.2 \text{ K})$  of about 85 T [?], a NbTi-like pinning curve, and is available in round wires with sufficient length. The latest generation Bi-2212 wires have already demonstrated to surpass the overall (engineering) critical current density in Nb<sub>3</sub>Sn wires at magnetic fields of about 18 T and higher [?].

### III. TECHNOLOGICAL CHALLENGES WITH BI-2212

Constructing a magnet using Bi-2212 is significantly more complicated than using NbTi or Nb<sub>3</sub>Sn, as summarized in Table I. Technological challenges are related to the strain sensitivity of Bi-2212, its high formation reaction temperature in an oxygen-rich environment, and chemical compatibility of the insulation and construction materials during the reaction heat treatment. Operational challenges are related to the low normal zone propagation velocity, hindering energy dissipation and quench detection.

#### A. Stress and strain related issues

The critical current in Bi-2212 is, like Nb<sub>3</sub>Sn, sensitive to strain ( $\epsilon$ ). A model that has been developed to describe the behavior of  $J_c(\epsilon)$  in Bi-2212 in longitudinal strain experiments indicates, as with Nb<sub>3</sub>Sn, that the highest  $J_c$  is obtained in the strain free state (Fig. 3 [?]). Compressive axial strain during cool-down causes, in contrast to Nb<sub>3</sub>Sn, an *irreversible* reduction of  $J_c$  (Fig. 3: a). Releasing the thermal pre-compression (Fig. 3: b) does not, as for Nb<sub>3</sub>Sn, recover  $J_c$ , but  $J_c(\epsilon)$  shows a plateau up to an axial strain where cracks occur and  $J_c$  collapses (Fig. 3: c). Though  $J_c(\epsilon)$  on this plateau is reversible, any additional pre-compression and relaxation causes a wider plateau at a reduced  $J_c$  value. Such a wider plateau is often misinterpreted as an indication for reduced strain sensitivity, but is in fact a result of a larger axial pre-compression in the Bi-2212. The  $J_c$  loss is on the order of 100% per % axial compressive strain [?]. Construction materials that match the thermal contraction of Bi-2212 are therefore preferred. One publication on the stress sensitivity of Bi-2212 cables indicates a broad-face load limit of about 60 MPa [?]. This emphasizes the need for more detailed investigations and accurate stress handling in magnets and/or new conductor reinforcement techniques.

#### B. Formation reaction related issues

Bi-2212 is a brittle ceramic material which is formed from precursor powders during a partial melt reaction at about

TABLE I

SUMMARY OF TECHNOLOGICAL CHALLENGES IN RELATION TO SUPERCONDUCTOR CHOICE AND ACHIEVABLE DIPOLE MAGNETIC FIELDS.

Material	Dipole limit	Reaction	Wire axial compression	Cable transverse stress	Insulation	Construction	Quench propagation
NbTi	10.5 T	Ductile: R&W	N/A	N/A	Polyimide	Stainless Steel	$> 20 \text{ ms}^{-1}$
Nb <sub>3</sub> Sn	17–18 T ( $F_p \uparrow$ : 22 T)	$\sim 675^\circ\text{C}$ in Ar/Vacuum	Reversible	200 MPa limit	S/R–Glass	Stainless Steel	$\sim 20 \text{ ms}^{-1}$
Bi–2212	Stress limited	$\sim 890^\circ\text{C}$ in O <sub>2</sub> ( $\pm 2^\circ\text{C}$ )	Irreversible	60 MPa limit	Ceramic	Super alloy	$\sim 0.04 \text{ ms}^{-1}$

