## UC Merced

UC Merced Previously Published Works

Title

Dragons in the land of the condor: Writing Tusán in Peru

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## $\mathcal{D} \nabla \dashv \mathcal{I} \land \mathcal{I}$

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 $\mathcal{D} | \mathcal{S} \sqcup ] \{ \exists \forall \mathcal{C} : \mathcal{L} \rangle \downarrow \rangle \exists \forall \mathcal{D} i \sqsubseteq \rangle \downarrow \exists \mathcal{K} \exists \mathcal{K} \exists \nabla ] \forall \mathcal{D} i \exists \mathcal{R} ] i \sqcup \} \Box \rangle \Leftrightarrow \mathcal{S} \rangle \Box$  $\mathcal{T} = \mathcal{T} =$  $\mathcal{J} = \mathcal{V} =$  $+ \text{Im} \mathcal{A}_{1}^{\dagger} = \mathcal{A}_{1}^{\dagger$  $\mathcal{D} ] \nabla \sqcap f \langle \dashv \Leftrightarrow \mathcal{R} \wr \lfloor ] \nabla \sqcup \mathcal{R} \sqcap \lceil \lceil \rceil \nabla \Leftrightarrow \dashv \backslash \lceil \rceil \int_{\sqrt{}} \rceil \rfloor \rangle \dashv \ddagger f \mathcal{J} \wr f \acute{\mathcal{I}} \mathcal{I} \checkmark \mathcal{S} \sqcap \acute{a} \nabla \rceil \ddagger$  $\label{eq:constraint} label{eq:constraint} label{$  $\sqcup \mathcal{D} ] \setminus [] \mathcal{S} \dashv \Box \dashv \sqcup \ddagger \| \dagger \dashv [ \sqcup \langle ] \mathcal{U} \langle ] \nabla \ddagger \rangle | \nabla \dashv \nabla \rangle \dashv [ \mathcal{J} \dashv \sqcup \sqcup \langle ]$  $\mathcal{U} = \nabla f = \mathcal{C} + \mathcal$  $\{ \sqcup ( ] \sqcup ] \{ \sqcup ( \mathcal{I} \setminus ) ] [ ] [ \Leftrightarrow \neg f \supseteq ] \ddagger \neg f \sqcup ( \sqcup ( ] \mathcal{U} \setminus ) \subseteq ] \nabla f \rangle \sqcup \{ \wr \}$  $\mathcal{C} \dashv \updownarrow \rangle \{ \wr \nabla \setminus \rangle \dashv \Leftrightarrow \mathcal{M} ] \nabla | ] [ \Leftrightarrow \{ \wr \nabla \sqcup \langle ] \mathcal{F} \dashv | \sqcap \updownarrow \sqcup \dagger \mathcal{R} ] f ] \dashv \nabla | \langle \mathcal{T} \nabla \dashv \sqsubseteq ] \updownarrow$ 

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CONTENTS

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 $\mathcal{C} \langle \neg \downarrow \Box \rceil \nabla \mathcal{V}_{\mathcal{L}} \mathcal{B} \rceil \dagger \wr \backslash \lceil \mathcal{R} \neg \downarrow \rangle \neg \ddagger \mathcal{M} \rceil \ddagger \wr \nabla \dagger \neg \mathcal{M} \neg \nabla \rangle \wr \mathcal{W} \wr \backslash \rbrace \Leftrightarrow \mathcal{J} \Box \updownarrow \rangle \wr \mathcal{L} \rceil \delta \land \Leftrightarrow \neg \backslash \lceil \Box \langle \rceil \mathcal{S} \rceil \lceil \Box \rfloor \sqcup \rangle \wr \backslash$ 

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 $\mathcal{W}] \text{Implue}(\mathsf{H} || \mathcal{I} | \mathsf{H}) \\ \mathcal{L} \acute{o}_{\mathcal{I}} \text{Implue}(\mathsf{H} || \mathcal{I} | \mathsf{H}) \\ \mathcal{L} \acute{o}_{\mathcal{I}} \text{Implue}(\mathsf{H} || \mathcal{I} || \mathsf{H}) \\ \mathcal{L} \acute{o}_{\mathcal{I}} \text{Implue}(\mathsf{H} || \mathsf{H} || \mathsf{H}) \\ \mathcal{L} \acute{o}_{\mathcal{I}} \text{Implue}(\mathsf{H} || \mathsf{H} || \mathsf{H} || \mathsf{H} || \mathsf{H}) \\ \mathcal{L} \acute{o}_{\mathcal{I}} \text{Implue}(\mathsf{H} || \mathsf{H} ||$  $\mathcal{L} = \mathcal{L} =$  $\mathcal{L} = \mathcal{L} =$  $\{ \nabla \sqcap \rangle \sqcup \rangle \wr \sqcup \langle \rangle f \rangle \land \langle \sqcap \rangle \uparrow f \rangle f \wr \{ \sqcup \langle \urcorner \uparrow \uparrow f \rangle f \wr \{ \sqcup \langle \urcorner \uparrow \uparrow \rangle \} \land \rangle \{ \rangle \exists \dashv \sqcup \mathcal{S} \rangle \wr \land \mathcal{P} \rbrack \nabla \sqcap \sqsubseteq \rangle \dashv \langle \exists \uparrow f \rangle f \land \{ \sqcup I \land \downarrow \uparrow \rangle \} \land \langle I \land \downarrow \downarrow \rangle \} \land \langle I \land \downarrow \downarrow \downarrow \rangle$  $\exists \wr \nabla \| \int_{\mathscr{L}} \mathcal{T}_{\langle} \int_{[\imath \wr | | | - | | ]} \int_{\Box} \cup_{\langle} ] \int_{\Box} \Box [ \dagger \wr \{ \mathcal{S} \rangle \setminus \wr^{\swarrow} \mathcal{P} ] \nabla \Box \sqsubseteq \rangle \dashv \langle \downarrow \rangle \cup ] \nabla \dashv \Box \Box \nabla ] \dashv \langle [ ] \Box \downarrow \Box \Box \nabla ]$  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \\ \end{tabular} \end{tabular} \\ \end{tabular} \\ \end{tabular} \\ \end{tabular} \end{tabular} \\ \end{tabul$  $\mathcal{D} \\ \neg \mathcal{I} \\ \neg \mathcal$  $\underline{\mathcal{L}}{\simeq} \alpha \Box \Box \nabla ] [] \mathcal{S} \rangle \Box \mathcal{K} \dashv \mathcal{W} ] \langle a \mathcal{L} \rangle ( + \mathcal{K} \acute{e} \dashv ( ) \sqcup \acute{e} ] \sqcup ) ( + ) \nabla ] [] ( + ) ($ 

 $\Leftarrow \mathcal{T} \forall \exists \mathbf{I} \in \mathcal{I} \in \mathcal{I}$ 

 $\mathcal{G} \nabla \dashv [\sqcap \dashv \sqcup] \mathcal{C}] \backslash \sqcup] \nabla \Leftrightarrow \mathcal{C} \rangle \sqcup \dagger \mathcal{U} \backslash \rangle \sqsubseteq ] \nabla \mathit{f} \rangle \sqcup \dagger \wr \{ \mathcal{N} ] \sqsupseteq \mathcal{Y} \wr \nabla \parallel$ 

 $\mathcal{E} \sqcap \} ] \setminus \wr \mathcal{C} \langle \dashv \setminus \} \land \mathcal{R} \wr \lceil \nabla i \} \sqcap ] \ddagger$ 

 $\Box \nabla | \dashv \lor \dashv \nabla ] \dashv f \Leftrightarrow \lor ] \rangle \} \langle | \wr \nabla \langle \wr \wr [ f \rangle f \wr \dashv \sqcup ] [ \{ \nabla \wr \Uparrow \sqcup \langle ] \nabla ] f \sqcup \wr \{ \sqcup \langle ] | \rangle \sqcup \dagger \checkmark$ 
$$\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \begin{split} & |\mathcal{M}| \leq \mathcal{M} \\ & |\mathcal{M}| \leq \mathcal{M$$
 $2\nabla \mathcal{C}(1) + \mathcal{S}(1) + \mathcal{C}(1) + \mathcal$  $\mathcal{E}_{\text{I}}^{\text{I}} = \mathcal{I}_{\text{I}}^{\text{I}} = \mathcal{I}_{\text$ M = $\label{eq:constraint} \texttt{M} = \texttt{M} =$ 

 $\uparrow [ \Box \langle ] \mathcal{C} \langle \rangle ] f ] \dashv [ \Box \langle ] \rangle \nabla \mathcal{P} ] \nabla \Box \Box \rangle \dashv [ ] f ] ] [ \dashv \langle \Box f \Box \downarrow \downarrow \rangle \uparrow \rangle \downarrow \Box \langle ] \uparrow f ] \uparrow \Box [ ] f \Box \langle \Box \rangle \nabla \wr \Box \rangle$ 

 $\mathcal{A}^{\dagger}_{\mathsf{T}} = \nabla \Leftrightarrow \mathcal{A}^{\dagger}_{\mathsf{T}} = \nabla \langle \mathcal{A}^{\dagger}_{\mathsf{T}} = \nabla \langle \mathcal{A}^{\dagger}_{\mathsf{T}} = \nabla \langle \mathcal{A}^{\dagger}_{\mathsf{T}} = \mathcal{A}^{\dagger}_{\mathsf{$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint$  $\neg \nabla \Box \rangle ] \downarrow ] \Leftrightarrow ] \langle \Box \rangle \Box \downarrow ] [\uparrow \mathcal{L} \neg \nabla ] \downarrow \rangle \} \rangle \delta \langle \uparrow \downarrow \neg J \rangle ] \rangle ] \neg \neg \Box \Box \delta f [] \downarrow \rangle [ \nabla \wr f \nabla ] ] \rangle ] \langle \Box ] f \uparrow$  $\exists \mathsf{CC}(\mathsf{C}) = \mathsf{CC}(\mathsf{C})$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constr$  $\mathcal{P}] \nabla \sqcap_{\mathscr{I}} \mathcal{I}_{\infty \exists \mathscr{I}_{\varepsilon} \dashv U} (\exists \forall \exists \mathsf{I}_{\varepsilon} \land \mathsf{I}_{\varepsilon}) (\exists \mathsf{I}_{\varepsilon} \land \mathsf{I}_{\varepsilon}) (i \mathsf{I}$  $\mathcal{U} = \nabla \mathcal{I} = \mathcal{I}$  $|\langle \Box \nabla f ] \Leftrightarrow \uparrow \mathcal{F} \Box \setminus [\neg \downarrow \uparrow \downarrow ] \setminus \Box \neg \downarrow \mathcal{A} \setminus \neg \downarrow \uparrow \Box \rangle | \neg \downarrow \mathcal{T} \langle ] \wr \nabla \rangle ] f \Leftrightarrow \uparrow \neg \downarrow [f ] \nabla \Box ] [\neg f \neg \uparrow \downarrow \uparrow \downarrow ] \nabla \rangle \Box \wr \nabla \rangle \wr \Box f$ 

 $\mathcal{L}_{\text{O}}^{\text{CH}} = \mathcal{C}_{\text{O}}^{\text{CH}} = \mathcal{C}_{\text{O}}^{\text{CH}}$ 

 $\mathcal{H} = \mathcal{H} =$  $\mathcal{O} \setminus \mathcal{N} \in \mathbb{R} = \mathbb{R} \setminus \mathbb{R} \setminus$  $\mathcal{P}\nabla \mathcal{E}(\mathcal{I}) \to \mathcal{P}\nabla \mathcal{E}(\mathcal{I}) \to \mathcal{P}\mathcal{I}(\mathcal{I}) \to$  $\geq \{ \sqcup ( \exists \mathcal{A}_{i} | ) \vdash | ) \land ( \mathcal{P}_{i} \land \mathcal{I}_{i} ) \vdash ( \mathcal{P}_{i} \land \mathcal{I}_{i} ) \mid \forall \vdash \mathcal{I}_{i} \mid \forall i \in \mathcal{I} \$  $\mathcal{N} = \left[ \left| \nabla \infty \exists \infty / \uparrow \right] \right] \cup \left\{ \forall i \mid \cup \forall \mathcal{A} \setminus \left[ \nabla e \mathcal{B} \right] \uparrow = u \setminus \left[ \Rightarrow \mathcal{A} \uparrow \left\{ \nabla \right] \left[ \partial \mathcal{G} \setminus \ddagger a \uparrow \right] \ddagger u \in \mathcal{A}$  $\mathcal{P} \nabla \dashv [\dashv \Leftrightarrow \mathcal{A} \downarrow ] \nabla \sqcup \mathcal{U} \downarrow \downarrow \wr \dashv \dagger \mathcal{S} \wr \sqcup \mathcal{U} \dashv \dagger \mathcal{I} \nabla \Leftrightarrow \dashv \backslash [\mathcal{J} \wr f e[] \downarrow \dashv \mathcal{R} \rangle \sqsubseteq \dashv^{\mathcal{K}} \mathcal{A} \} \ddot{u} ] \nabla \wr \Leftrightarrow \dashv \Uparrow \mathcal{I} \rangle$  $\langle \Box \langle ] \nabla f \langle \mathcal{Z} \Box \downarrow ] \setminus f ] \nabla \Box ] [ \exists f \Box \langle ] \mathcal{A} f f \downarrow \rangle \exists \Box \langle \uparrow f ] ] \nabla [ \Box \exists \nabla \Box \uparrow \downarrow ] \setminus [ \nabla \Box \Box \downarrow \downarrow ] \rangle$  $||\langle \langle \rangle f \nabla f \rangle || \langle \rangle || \langle$  $\infty \exists \infty \prime \Leftrightarrow \mathcal{Z} \sqcap \texttt{I} \land \leftarrow \sqcup \texttt{I} \land \mathsf{I} \land \land \mathsf{I} \land \land \mathsf{I} \land \land \mathsf{I} \land$  $\exists \nabla \forall \Box \forall \mathcal{D} \forall \nabla \neg \mathcal{M} \dashv \dagger \forall \nabla | \dashv \ddagger \dagger \forall \Box | \dashv \ddagger \dagger \forall \Box | \dashv \ddagger \dagger \forall \Box | \exists \forall \nabla f \Box f ] f \forall \forall \forall \forall \exists \Box \langle \exists \mathcal{A} f \wr | \rangle \dashv | \delta \land \mathcal{P} \nabla \partial \Box \langle f \rbrace ] \land \dashv \simeq f$ 

 $\underline{\mathcal{I}}_{i} = \underline{\mathcal{I}}_{i} =$  $[\mathsf{D}_{\mathsf{T}}] = [\mathsf{T}_{\mathsf{T}}] = [\mathsf{T}_{\mathsf{T}}$ 
$$\label{eq:eq:entropy} \begin{split} \text{if} & \quad \text{if} \mathcal{AP}(\text{i}) \text{if} \mathcal{S}(\text{i}) \text{if} \text$$
 $\mathcal{N} \in \exists t \in \mathsf{A} \otimes \mathsf$  $\int ||\nabla| \Box \neg \nabla \uparrow \wr \{ \Box \langle \mathcal{A} / f \wr \rangle \rangle \neg \Box \rangle \wr \wr \{ \mathcal{C} \langle \rangle \setminus ] f | \mathcal{M} | \nabla ] \langle \neg \langle \Box \rangle \rangle \langle \mathcal{P} | \nabla \Box \emptyset \langle ] [] \downarrow \downarrow \rangle \setminus ] [\Box \langle ] \rangle \rangle \langle \mathcal{P} | \nabla \Box \emptyset \rangle \langle \Box \rangle \rangle \langle \mathcal{P} | \nabla \Box \emptyset \rangle \langle \Box \rangle \rangle \langle \mathcal{P} | \nabla \Box \emptyset \rangle \langle \Box \rangle \rangle \langle \mathcal{P} | \nabla \Box \emptyset \rangle \langle \Box \rangle \rangle \langle \mathcal{P} | \nabla \Box \emptyset \rangle \langle \Box \rangle \rangle \langle \mathcal{P} | \nabla \Box \emptyset \rangle \langle \Box \rangle \rangle \langle \mathcal{P} | \nabla \Box \emptyset \rangle \langle \Box \rangle \rangle \langle \mathcal{P} | \nabla \Box \emptyset \rangle \langle \Box \rangle \rangle \langle \mathcal{P} | \nabla \Box \emptyset \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \mathcal{P} | \nabla \Box \emptyset \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box$  $\label{eq:linear} $$ \sqrt{\frac{1}{2}} + \frac{1}{2} +$  $\label{eq:linear_state} \label{eq:linear_state} \int U \Box \left[ \left( \mathcal{A} = \mathcal{A} \right) \right] \left[ \mathcal{A} = \mathcal{A} \right] \left[ \mathcal$  $\sqrt{-1}\nabla \Box \rangle ] \rangle \sqrt{-1} \Box ] [ \Box \rangle \Box \langle \mathcal{J} i f e \mathcal{C} \neg \nabla \uparrow i f \mathcal{M} \neg \nabla \rangle a \Box ] \} \Box \rangle \rangle \langle \neg 1 \rangle f \Box \rangle f \Box \rangle [ ] [ \neg \Box ] i \Box ] \nabla \Box \langle ] \rangle d \Box \rangle f \Box \Box \rangle f \Box \rangle f \Box \Box \rangle f \Box \Box \rangle f \Box \Box \rangle f \Box \rangle f \Box \rangle f \Box \Box \rangle f \Box \Box \rangle f \Box \rangle f \Box \Box \rangle$ 

 $\mathcal{P}[\nabla \sqcap \mathcal{F} \forall : \mathbb{O}] \sqcup : [] \forall \infty \in \Leftrightarrow \infty \exists \infty \in \sqcup \langle \nabla : \sqcap \} \langle \infty \exists \infty \not \Leftrightarrow \langle ] \sqsupseteq \forall \forall \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{E} \downarrow \mathcal{D}] [] \forall \mathcal{P} \forall : \mathbb{O} \land \mathcal{E} \downarrow \mathcal{E}$ 

 $\mathcal{P} \ \ \ \mathcal{P} \ \ \ \mathcal{I} \ \land \ \mathcal{I} \ \ \mathcal{I} \$  $\mathcal{A} \\ \forall \mathcal{T} \\ \mathcal{A} \\ \mathcal{T} \\ \mathcal{C} \\ \mathcal{C}$  $\mathcal{C} \text{ for } \mathcal{C} \text{ for }$  $\mathcal{E} \exists \nabla \left[ \sum \mathcal{S} \right] \\ \leq \mathcal{S} \\ \leq \mathcal{$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $+ \text{Im} \nabla + \text{Im} \left\{ \left\{ \nabla + \sqrt{\nabla} \left\{ \sum \right\} \right\} \right\} + \text{Im} \left\{ \left\{ \nabla + \sqrt{\nabla} \left\{ \sum \right\} \right\} \right\} + \text{Im} \left\{ \left\{ \left\{ \nabla + \sqrt{\nabla} \left\{ \sum \right\} \right\} \right\} \right\} + \text{Im} \left\{ \left\{ \left\{ \nabla + \sqrt{\nabla} \left\{ \sum \right\} \right\} \right\} \right\} + \text{Im} \left\{ \left\{ \left\{ \left\{ \nabla + \sqrt{\nabla} \left\{ \sum \right\} \right\} \right\} \right\} \right\} + \text{Im} \left\{ \left\{ \left\{ \left\{ \sum \right\} \right\} \right\} \right\} + \text{Im} \left\{ \left\{ \left\{ \sum \right\} \right\} \right\} + \text{Im} \left\{ \left\{ \left\{ \sum \right\} \right\} \right\} + \text{Im} \left\{ \left\{ \left\{ \sum \right\} \right\} \right\} + \text{Im} \left\{ \left\{ \left\{ \sum \right\} \right\} \right\} + \text{Im} \left\{ \left\{ \sum \right\} \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} \right\} + \text{Im} \left\{ \left\{ \sum \right\} \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} + \text{Im} \left\{ \sum \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} + \text{Im} \left\{ \sum \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} + \text{Im} \left\{ \sum \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} + \text{Im} \left\{ \sum \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} + \text{Im} \left\{ \sum \right\} + \text{Im} \left\{ \sum \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} + \text{Im} \left\{ \sum \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} + \text{Im} \left\{ \sum \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} + \text{Im} \left\{ \sum \left\{ \sum \right\} + \text{Im} \left\{ \sum \right\} + \text{$  $\mathcal{C} = \mathcal{C} =$ 

 $\mathcal{MUSM}' [S|\langle \chi \downarrow \chi \{ \mathcal{H} \sqcap \Uparrow \dashv \rangle \sqcup \rangle ] [ \Leftrightarrow \dashv \{ \sqcup \} \nabla [ ] \{ ] \setminus [ \rangle \setminus \} \langle \rangle [ \sqcup \langle ] ] [ \uparrow \mathcal{L} \dashv \{ \rangle \downarrow \chi \} \{ i \dashv [ ] \downarrow \chi \} \}$ 

 $\mathcal{C}\nabla\rangle\sqcup\rangle\rfloor\rangle\!\!\int\!\!\!\Uparrow\!\!\wr\{\mathcal{B}\Bar{\nabla}\}\!\!f\!\!\wr\!\!\land\!\!\simeq\!\!f\!\mathcal{P}\langle\rangle\!\!\uparrow\!\!\wr\!\!h_{\mathcal{A}}\langle\dagger\!\!\Rightarrow\!\!\Leftrightarrow_{\mathcal{A}}\!\!\sqcap\!\!\!\Box\rangle\!\!f\!\!\langle\uparrow\!\!\mid\!\!\wedge\!\!\!L\rangle\!\!\oplus\!\!\dashv\!\!\sqcup\langle\uparrow\!\!\mid\!\!\downarrow\!\!\downarrow\!\!\downarrow\!\!\Box\rangle\rangle\}\dagger\!\!\mid\!\!\dashv\!\!\nabla_{\mathcal{A}}'\mathcal{I}\backslash$  $\label{eq:constraint} \end{tabular} \end{t$  $\mathcal{O} \setminus \mathcal{J} = \mathcal{I} =$ 

 $\mathcal{U} \\ \\ \mathcal{U} \\ \\ \mathcal{U} \\ \\ \mathcal{U} \\ \\ \mathcal{U} \\$  $\leftarrow \mathcal{F} \nabla \wr \mathcal{N} \wr \mathcal{K} \mathcal{H} \rbrace \rbrace \land \forall \mathcal{N} \wr \mathcal{K} \nabla \rbrace \land \mathcal{N} \land \mathcal{K} \nabla \rbrace \land \mathcal{I} \land \mathcal{I}$  $\label{eq:linear_states} \\ \\ \mathcal{E}_{\mathcal{I}}^{\mathcal{I}}_{\mathcal{I}}^{$  $\mathcal{R} ] \rightarrow \mathcal{I} \mathcal{R} ] \rightarrow \mathcal{I} \mathcal{I} \mathcal{R} ] \rightarrow \mathcal{I} \mathcal{I} \mathcal{R} ] \rightarrow \mathcal{I} \mathcal{I} \mathcal{I} \mathcal{I} \mathcal{I} \rightarrow \mathcal{I} \mathcal{I} \mathcal{I} \rightarrow \mathcal{I} \mathcal{I} \rightarrow \mathcal{I} \mathcal{I} \rightarrow \mathcal{I}$  $|\wr\backslash f\rangle []\nabla] [\exists t_1 \forall t_1 \forall t_2 \forall t$  $\mathcal{C}_{\text{C}}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}}_{\text{C}}_{\text{C}}_{\text{C}}}_{\text{C}}_{\text{C}}_{\text{C}}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}_{\text{C}}}_{\text{C}}_{\text{$  $\mathcal{A}_{\swarrow}\mathcal{K}\sqcap\dashv\backslash\mathcal{V}\rceil\backslash\rbrace_{\swarrow}\mathcal{B}\wr\nabla\backslash\rangle\backslash\infty\exists n \Leftrightarrow \mathcal{K}\sqcap\dashv\backslash\mathcal{V}\rceil\backslash\rbrace_{\checkmark}\sqcap[\uparrow]\sqsubseteq]\nabla\dashv\uparrow\langle\langle\nabla\sqcup f\sqcup\wr\nabla\rangle\rceilf\rangle\backslash\sqcup\langle]$  $|2 \Box \nabla \backslash \dashv \underbrace{\mathcal{C} (\nabla \nabla ]}_{1} [] \{ 2 \nabla ]_{1} \Box (1) \} | \otimes \exists \in \Delta ] 2 \ddagger 1 \cup 2 \setminus 2 \{ \neg \nabla \nabla \dashv \cup 2 \setminus j \Leftrightarrow \underline{\mathcal{M}} \uparrow \mathcal{S} (\Box \sqcup \Leftrightarrow \underline{\mathcal{M}} ) = 0$  $\underbrace{\operatorname{Constant}}_{\operatorname{Constant}} \mathcal{A} = \mathcal{A} =$  $\mathcal{M} \\ \forall \mathsf{G}^{\mathsf{G}} \\ \mathcal{Q} \\ \\ \square \\ \mathsf{G}^{\mathsf{G}} \\ \mathsf{G}^{$ 

 $+ \{ \sqcup \} \nabla [] \{ ] \setminus [ \rangle \setminus \{ \rangle \int [ \wr ] \sqcup \wr \nabla - \ddagger [ \rangle \int J ] \nabla \sqcup + \sqcup \rangle \wr \land \Leftrightarrow \uparrow \mathcal{D} ] \ddagger \rangle + \langle \rangle \int \ddagger \wr - \ddagger \langle \downarrow \rangle + \langle \downarrow \rangle = \langle \downarrow \to$ 

 $= \int \left( \frac{1}{2} - \frac{1}{2} \right) \left( \frac{1}{2} - \frac{1}{2} - \frac{1}{2} - \frac{1}{2} \right) \left( \frac{1}{2} - \frac{1}{2} \right) \left($ 
$$\label{eq:constraint} \begin{split} |\langle \uparrow \downarrow \rangle | \sqcup \rangle \langle \backslash \swarrow \mathcal{S} ] \sqsubseteq ] \nabla \dashv \uparrow \supseteq \nabla \rangle \sqcup ] \nabla \int \swarrow \langle \rangle \langle \downarrow \rangle | \sqcup ] [\langle \Box \sqcup \langle \rangle f \downarrow \rangle \sqcup ] \nabla \dashv \nabla \dagger \nabla ] \uparrow ] \sqsubseteq \dashv \backslash ] \downarrow \mathscr{J} \ell f e$$
 $\mathcal{G} = \texttt{C} =$  $\neg \uparrow \uparrow \uparrow \rangle \rangle \land f \neq \mathcal{J} f \neq \mathcal$  $\Box \nabla \neg [\rangle \Box \rangle \land [\neg \Box ] \nabla \neg \Box \Box \nabla ] \land \{ \mathcal{I} \setminus [\rangle \neg \neg \Box ] \land \{ \mathcal{I} \setminus [\rangle \neg \neg \Box ] \land [\mathcal{C} \langle \rangle \backslash \neg \emptyset \neg \Box ] \land [\mathcal{F} \nabla \neg ] \land [\mathcal{F} \cup [\neg \Box ] \land [\mathcal{F} \cup [\neg \Box ] \land [\neg \Box ] \cap [\neg \Box ] \land [\neg \Box ] \cap [\neg \Box ] \land [\neg \Box ] \cap [\neg$  $\{ \wr \nabla \dashv f_{\mathcal{A}} \rangle \nabla \rangle \setminus \}_{\mathcal{A}} \exists f_{\mathcal{A}} \mathcal{L}_{\mathcal{A}} \exists f_{\mathcal{A}} \mathcal{L}_{\mathcal{A}} \rangle \land f_{\mathcal{A}} \rangle \rangle \land f_{\mathcal{A}} \rangle \land f_{\mathcal{A}} \rangle \rangle \land f_{\mathcal{A}} \rangle \land f_{\mathcal{$  $\mathcal{K} \sqcap \dashv \mathcal{V} \upharpoonright \mathcal{V} \land \mathcal{V}$ 

 $\uparrow \mathcal{M} \dashv \lceil \nabla \rceil \texttt{i} \dashv \uparrow \dashv \nabla \rceil \texttt{i} \dashv \nabla \parallel \rceil \lceil \Leftrightarrow \dashv \rfloor \texttt{i} \wr \nabla \lceil \rangle \backslash \texttt{Lic}_{\sqrt{1}} \texttt{i}^{\mathbb{L}} \mathcal{C} \dashv \texttt{i}^{\mathbb{L}} \diamond \texttt{i}^{\mathbb{L}} \diamond \texttt{i}^{\mathbb{L}} \land \texttt{i}^{\mathbb{L}} \diamond \dashv \texttt{i}^{\mathbb{L}} \diamond \texttt{i}^{\mathbb{L}} \diamond \dashv \texttt{i}^{\mathbb{L}} \diamond \dashv \texttt{i}^{\mathbb{L}} \diamond \dashv \texttt{i}^{\mathbb{L}} \diamond \texttt{i}^{\mathbb{L$  $\uparrow \mathcal{A} \text{min} \nabla \text{min} \text{min} \mathcal{A} \text{min} \nabla \text{min} \text{min} \mathcal{A} \text$  $-\text{I}_{\text{I}}^{\text{I}}_{\text{I}}^{$  $[\wr \Box [\uparrow] \sqsubseteq ) f \rangle \wr \backslash \checkmark$  $\mathcal{A} \\ \\ \mathcal{A} \\ \mathcal{A}$  $\Leftarrow \infty \exists \in \exists \forall \infty \exists \forall \forall \Rightarrow \Leftrightarrow \exists \langle i \rceil \dashv \nabla \setminus \rceil [ \sqcup \exists i \mathcal{NUSM} [ \rceil \} \nabla ] ] f \neg \dashv \mathcal{B}_{\mathcal{L}} \mathcal{A}_{\mathcal{L}} \rangle \setminus (i) \uparrow i f \langle i \rangle \setminus (i) \downarrow (i)$  $\mathcal{P}_{I}^{I} = \mathcal{P}_{I}^{I} = \mathcal{P}$  $\exists \mathcal{P}_{\mathcal{A}} \mathcal{D}_{\mathcal{A}} \rangle \setminus (2 \text{ for } \mathcal{A}) = 2 \text{ for } \mathcal{A} = 2 \text{ for } \mathcal{$  $\mathcal{S}_{\text{int}} = \mathcal{D}_{\text{int}} = \mathcal{D}_{\text{int}} = \mathcal{O}_{\text{int}} = \mathcal{O}_{\text{int}$  $\label{eq:constraint} $$ \int \left( \prod_{i=1}^{t} \left( \sum_{i=1}^{t} \left( \sum_{i$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathcal{H}]\rangle[]\}]\nabla\neg\neg\langle\mathcal{H}|\langle\mathcal{F}\nabla\rangle][\nabla\rangle]\langle\Box]\nabla]\sqcup\Box\wr\langle\langle\rangle\int_{\sqrt{\nabla}}\nabla\langle\{]f(\nabla f\neg\sqcup\cup\langle]\uparrow\neg\sqcup\sqcup)\nabla\rangle$ 

 $( + \cup ( ) + \cup ) ] = \nabla f + \cup ( ) + ( + \cup ( ) + ( ) + ( ) + ( + \cup ( ) +$  $\mathcal{L} \subset \exists \nabla \nabla \downarrow \downarrow \downarrow \sqcup \exists \mathcal{N} \mathcal{U} \leq \mathcal{N} \leq \mathcal{I} \leq$  $\neg \int \mathcal{P} \langle \rangle \ddagger i \int \langle \neg \mathcal{P} | \langle \neg \mathcal{P} | \langle \neg \mathcal{P} | \rangle \rangle \langle \neg \mathcal{P} | \langle \neg \mathcal{P} \rangle \langle \neg \mathcal{P} | \langle \neg \mathcal{P} \rangle \rangle \langle \neg \mathcal{P} | \langle \neg \mathcal{P} | \langle \neg \mathcal{P} | \langle \neg \mathcal{P} | \rangle \rangle \langle \neg \mathcal{P} | \langle$  $\mathcal{P}() \text{ for } \mathcal{A} \text{ for$  $\Leftarrow \infty \exists \forall \infty \Rightarrow \Leftrightarrow \exists \langle \rangle ] \langle \neg \Box [ \uparrow \rangle f \langle ] [ \Box \langle ] \uparrow \exists \forall A \rangle \forall \Delta \Rightarrow \swarrow \mathcal{L} \rangle$  $\mathcal{C} \dashv \nabla \nabla \rangle \ddagger i \langle \mathcal{L} \rangle \parallel \forall \mathcal{L} \rangle \parallel \forall \mathcal{L} \rangle \parallel \forall \mathcal{L} \rangle \parallel \mathcal{L} \rangle \parallel \mathcal{L} \rangle \parallel \mathcal{L} \wedge \mathcal{L}$  $\mathcal{A}_{1} = \mathcal{A}_{1} = \mathcal{A}_{1}$  $t = f = \mathcal{P} + \mathcal{P} +$ 

 $\leftarrow \in \mathcal{H}_{\mathcal{T}} \cap [\uparrow \rangle f(] [\ \Pi ] \nabla i \Pi f \neg \nabla \Box \rangle ] \uparrow f(\langle \rangle f \sqcup i \nabla \uparrow \Leftrightarrow \uparrow \rangle ] f(\langle \rangle f \sqcup \rangle \nabla \uparrow \Leftrightarrow f() \rangle f(i) \rangle f($  $\sqcup\wr\mathcal{L}\sqcap\Diamond\mathit{f}\mathcal{L}\sqcap\textcircled{l}\land!{\neg}\mathcal{L}\sqcap\textcircled{l}\land!{\neg}\mathcal{L}\sqcap\textcircled{l}\land!{\neg}\mathcal{L}\urcorner!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\land!{\neg}\mathcal{L}\circ!{\circ}\mathcal{L}\circ!{\circ}\mathcal$  $\mathcal{C}_{\ell} = \int [\mathcal{C}_{\ell} - \mathcal{C}_{\ell} + \mathcal{C}_{$  $\label{eq:constraint} \sum_{i=1}^{n} |i_i\rangle |i_i\rangle$ 
$$\label{eq:linear_states} \begin{split} f(\mathbf{J}) = & f(\mathbf{J}) \\ f(\mathbf{J}) = & f(\mathbf$$
 $\sqrt{\Box} \\ \sqrt{\Box} \\$  $\underline{\langle \mathcal{A} \subseteq \mathcal{A$  $\label{eq:main_started_start$   $\mathcal{P} = \text{imposed} \mathcal{P} = \text{i$  $\mathcal{A}_{1}\cup_{\mathcal{T}}\mathcal{A}_{1}\cup_{\mathcal$  $\mathcal{K} = \mathcal{W} \setminus \mathcal{B} = \mathcal{V} \setminus \mathbb{Z} \setminus \mathcal{B} = \mathcal{V} \setminus \mathbb{Z} \setminus \mathcal{B} = \mathcal{C} \setminus \mathcal{B} = \mathcal{C} \setminus \mathcal{B} = \mathcal{C} \setminus \mathcal{B} = \mathcal{C} \setminus \mathcal{B} \setminus \mathcal{C} \setminus \mathcal{B} = \mathcal{C} \setminus \mathcal{B} \setminus \mathcal{C} \setminus \mathcal{B} \setminus \mathcal{C} \setminus$  $\langle \text{M}(\mathbb{T}) = \mathbb{T}$  $+ \Box \cup \langle \mathcal{D} \rangle ] \ddagger [\mathcal{O} | \Box \sqcap | \nabla \mathcal{C} \rangle \rangle ] f | \langle \mathcal{U} \ddagger \mathcal{H} \uparrow \mathcal{H} ] \ddagger \mathcal{O} f \Box \sqcap [\rangle ] [ + \Box \cup \langle \mathcal{R} \rangle | + \nabla [\mathcal{B} ] \setminus \Box ( \setminus \rangle ) \} \langle \Box \cup \mathcal{H} \land \mathcal{H} \rangle$ M = $+ \int \langle \partial \nabla \Box \wedge \nabla \dagger \Box \rangle \nabla \dagger \Box \nabla \rangle \Box \rangle \nabla \swarrow \mathcal{I} \wedge \infty \exists \forall \infty \Leftrightarrow \uparrow \mathcal{H} \rangle \int \Box \partial \nabla \rangle + [\Box [\partial f \sqsubseteq \partial \Box \rangle ] \partial f \Leftrightarrow \mathcal{I} \wedge \infty \exists \forall \infty \Leftrightarrow \uparrow \mathcal{H} \rangle f \Box \partial \nabla \rangle + [\Box [\partial f \sqsubseteq \nabla \Box \rangle ] \partial f \Leftrightarrow \mathcal{I} \wedge \infty \exists \forall \infty \Leftrightarrow \uparrow \mathcal{H} \rangle f \Box \partial \nabla \rangle + [\Box [\partial f \sqsubseteq \nabla \Box \rangle ] \partial f \Leftrightarrow \mathcal{I} \wedge \infty \exists \forall \infty \Leftrightarrow \uparrow \mathcal{H} \rangle f \Box \partial \nabla \rangle + [\Box [\partial f \sqcup \nabla \Box \rangle ] \partial f \Leftrightarrow \mathcal{I} \wedge \infty \exists \forall \infty \Leftrightarrow \uparrow \mathcal{H} \rangle f \Box \partial \nabla \rangle + [\Box [\partial f \sqcup \nabla \Box \rangle ] \partial f \Leftrightarrow \mathcal{I} \wedge \infty \exists \forall \infty \Leftrightarrow \uparrow \mathcal{H} \rangle f \Box \partial \nabla \rangle + [\Box [\partial f \sqcup \nabla \Box \neg \Box \rangle ] \partial f \Leftrightarrow \mathcal{I} \wedge \infty \exists \forall \infty \Leftrightarrow \uparrow \mathcal{H} \rangle f \Box \partial \nabla \rangle + [\Box [\partial f \sqcup \nabla \Box ] \wedge \nabla f \sqcup \partial \nabla \rangle + [\Box [\partial f \sqcup \nabla \Box ] \wedge \nabla f \sqcup \nabla f \sqcup \partial \nabla ] \partial f \sqcup \partial \nabla \rangle = [\Box [\partial f \sqcup \nabla \Box ] \wedge \nabla f \sqcup \partial \nabla$  $+ \exists \nabla \Leftrightarrow \langle ] [ ] ] = \langle \rangle = \langle$  $\mathbf{V}^{\mathsf{A}} = \mathbf{V}^{\mathsf{A}} =$ 

$$\begin{split} & \left\{ \Box \left( \left| \mathcal{S} \right| \right) \right\} \left( \left| \mathcal{H} \right\rangle \right) \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \right) \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \right) \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left| \mathcal{H} \right\rangle \right) \left| \mathcal{H} \right\rangle \left( \left$$

 $\sqrt{\nabla} \int \int |U + U \rangle i \langle i \langle U \rangle \int [i \langle i | | + U \mathcal{L} \rangle i \langle + 2 \int \mathcal{P} i \nabla \nabla + \int \mathcal{B} + \nabla \nabla \int | \rangle \int |U - \mathcal{L} \rangle U + U \rangle i \langle \mathcal{S} \rangle = \int \nabla + i \langle \mathcal{S} \rangle = \int \mathcal{P} i \langle \mathcal{$ 

$$\begin{split} |2 \setminus U| \downarrow \sqrt{\nabla} \neg \nabla \neg \nabla \neg \neg \neg \neg \neg \neg \nabla U \Leftrightarrow \neg \land [2 \cap \nabla \setminus 2 \Box] \downarrow f \swarrow \mathcal{O} \setminus [2 \langle \langle f \downarrow 2 f U \rangle \downarrow \sqrt{\nabla} U \neg \neg U \cup U \Box 2 \nabla || f \Leftrightarrow \underline{\mathcal{E}} \\ \underline{U \nabla} \neg \downarrow 2 \langle \langle \rangle \neg \downarrow \downarrow \varphi \Leftrightarrow \nabla \neg \downarrow \varphi \otimes 2 \forall \nabla \Rightarrow \Leftrightarrow \rangle f \neg f \langle 2 \nabla U^{\wedge} \langle f U \rangle \nabla \neg \uparrow J \rangle \downarrow 2 \Box [\nabla \rangle \setminus \rangle \\ U \langle [C \langle \rangle \setminus ] f ] \downarrow 2 \downarrow \downarrow \square \land \downarrow 2 \int [] \langle \langle \downarrow \square \downarrow U \rangle ] f \Box \rangle U \langle J \square \downarrow \square \square \nabla \neg \downarrow \neg \neg \downarrow \neg f f \rangle \langle \uparrow \rangle \downarrow P ] \nabla \square [\square \nabla \rangle \setminus \rangle \\ U \langle [] \langle \rangle \setminus ] U | ] \setminus U \langle \neg \downarrow | [U \Box ] \setminus U \rangle ] U \langle J \square \square \nabla \uparrow \downarrow \mathcal{A} \rangle f \rangle \downarrow \Box \square \nabla \neg \downarrow \neg \neg \downarrow \neg \downarrow \rangle \rangle P ] \nabla \square [\square \nabla \rangle \setminus \rangle \\ U \langle [] \langle \rangle \setminus ] U | ] \setminus U \langle \neg \downarrow | [U \Box ] \setminus U \rangle ] U \langle J \square \square \nabla \uparrow \swarrow \mathcal{A} \rangle f \land \Box \Box ] \downarrow \downarrow \rangle \rangle \rangle P ] \nabla \square [\square \nabla \rangle \setminus \rangle \\ U \langle [] \setminus \langle \neg \square \square \cup (\neg \downarrow \cap \Box ] \setminus U \rangle ] \cup (J \square \square \nabla \uparrow \swarrow \mathcal{A} ) f \land \Box \Box ] \downarrow \rangle \rangle P ] \nabla \square [\square \nabla \rangle \setminus \rangle \\ U \langle \neg \square \square \square \neg \downarrow \mathcal{A} \rangle [U \langle \neg \square \nabla \uparrow \square \rangle ] \langle \neg \square \nabla \uparrow \square \mathcal{A} \rangle \rangle P ] \nabla \square \square \nabla \rangle \rangle \rangle \\ = \langle P | \exists \leftrightarrow \mathcal{I} \langle \neg \square \cup | \langle \rangle \langle I \land \nabla \rangle \langle \neg \neg \square \rangle \rangle \rangle = U \langle P | \nabla \nabla \neg \neg I \rangle \langle I \neg \square \cup | \langle \mathcal{A} \rangle ] = \nabla \neg \neg \langle I \rangle$$

 $| \langle | \langle | \nabla | \nabla \rangle \langle \nabla | f \rangle | \langle | \Delta | \Delta | \nabla | \partial \mathcal{F} | \rangle \rangle \langle \nabla \rangle | \nabla \rangle \langle | \nabla | \partial \nabla \rangle | \langle | \nabla | \partial \nabla | f \rangle | \langle | \Delta | \Delta | A \rangle | \langle | \nabla | \partial \mathcal{F} | \langle | \nabla | \partial \mathcal{F} | \rangle \rangle$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 
$$\label{eq:product} \begin{split} \|\{\sqrt{1}\nabla_{\mathbf{A}}^{\mathbf{A}}$$
 $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint$  $\underbrace{\mathcal{A}\nabla\sqcup}_{\mathsf{I}} = \frac{\mathcal{A}\nabla\sqcup}_{\mathsf{I}} = \frac{\mathcal{A}\nabla\sqcup}_{$  $\label{eq:linear} \label{eq:linear} \label{eq:$  $\mathcal{A}_{l} = \mathcal{A}_{l} = \mathcal{A}_{l}$  $\{ \nabla \wr \Uparrow \mathcal{P} \} \nabla \sqcap \Leftrightarrow \sqcup \langle \exists \mathcal{U} \backslash \rangle \sqcup \exists \lceil \mathcal{S} \sqcup \dashv \sqcup \rceil f \Leftrightarrow \dashv \backslash \lceil \mathcal{E} \sqcap \nabla \wr \checkmark \rceil \langle \dashv \sqsubseteq \rceil \checkmark \nabla \dashv \rangle f \upharpoonright \lceil \mathcal{S} \rangle \sqcap \simeq f \updownarrow \rangle \sqcup \exists \nabla \dashv \nabla \dashv \forall \uparrow$  $\int \Box \uparrow \uparrow \uparrow \downarrow \land \mathcal{H} \rangle \int \langle \wr \nabla \sqcup \int \sqcup \wr \nabla \rangle \uparrow \uparrow \dashv \nabla \rangle \rangle \downarrow \uparrow \Box [\uparrow [\rangle \setminus \dashv \setminus \sqcup \langle \wr \uparrow \wr \rbrace \rangle ] \int \int \Box \downarrow \langle \dashv f \mathcal{E} \setminus \uparrow \downarrow \downarrow \dashv \uparrow \rangle \rangle \langle \wr \swarrow \mathcal{N} \Box \uparrow \sqsubseteq \land f \mathcal{I} \rangle$ 

 $\mathcal{E} \setminus \nabla \setminus \mathrm{Her}^{\mathcal{E}} = \mathcal{E} \setminus \nabla i = \mathbb{E} \setminus \mathcal{E} \setminus \mathcal{$  $\exists [\mathcal{L} \exists \texttt{T} \exists \texttt{T} \in \mathcal{T} \in \mathcal{T}$  $\mathcal{I}_{1}^{1} = \mathcal{I}_{1}^{1} = \mathcal{I}$  $\label{eq:constraint} \label{eq:constraint} \\ \label$  $\mathcal{A}_{\mathbb{T}}^{\mathbb{T}} = \mathcal{A}_{\mathbb{T}}^{\mathbb{T}} = \mathcal{A}_{\mathbb$ 

$$\begin{split} & \leftarrow \infty \exists i \in \mathbb{K} \ \infty \exists \forall \in \Rightarrow \emptyset \sqcup \langle ] \mathcal{C} \sqcap [ \dashv \backslash \exists \nabla \rangle \sqcup ] \nabla f \mathcal{N} \rangle ] \langle \downarrow \& f \mathcal{G} \sqcap \rangle \downarrow \downarrow \& \land \in \infty \exists i \in \mathbb{K} \ \infty \exists \forall \exists \Rightarrow \Leftrightarrow \mathcal{R} \rceil \} \rangle \backslash \langle \mathcal{P} \upharpoonright [ \nabla i f \& \infty \exists \forall \exists \Rightarrow \Rightarrow \& \dashv \backslash [ \mathcal{S} \rceil \sqsubseteq ] \nabla i \mathcal{S} \dashv \nabla [ \sqcap \dagger \& \infty \exists \exists \Rightarrow \Rightarrow \& \emptyset \sqcup \langle ] \mathcal{D} i \downarrow \rangle \rangle \rangle ] \dashv \langle f \sqcup i \nabla \rangle \dashv \langle \mathcal{M} \sqcap \mathbb{K} \land i \land \mathcal{S} \dashv \langle \mathcal{S} \dashv \forall \mathcal{S} \lor \mathcal{S} \dashv \nabla [ \sqcap \dagger \& \infty \exists \exists \Rightarrow \Rightarrow \& \emptyset \sqcup \langle ] \mathcal{D} i \downarrow \rangle \rangle \rangle ] \land \langle f \sqcup i \nabla \rangle \dashv \langle \mathcal{A} \sqcap \mathcal{S} \dashv \backslash \mathcal{B} \rceil \land \mathcal{S} \dashv \forall \mathcal{S} \lor i \land \mathcal{S} \lor \mathcal{S} \dashv \forall \mathcal{S} \lor i \land \mathcal{S} \lor \mathcal{S$$

 $\mathcal{A}_{\text{I}} = \mathcal{A}_{\text{I}} =$  $\label{eq:constraint} \label{eq:constraint} \end{tabular} \\ \label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \end{tab$  $\label{eq:constraint} \end{tabular}$ 

 $\mathcal{I}_{\mathbb{T}}$ 

 $\mathcal{I}_{\text{I}} = \mathcal{I}_{\text{I}} =$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint$  $\label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \end{tabula$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathcal{H}_{2} = \nabla \Leftrightarrow \{ \sqcup \langle \exists \dashv \Box \sqcup \langle \wr \nabla f \rangle \setminus ] \ddagger \Box [ ] [ \rangle \setminus \sqcup \langle \rangle f [ \wr \wr \parallel \Leftrightarrow \wr \land \ddagger \mathcal{W} ] \setminus \dashv \langle \Box \langle \exists \lfloor \nabla \rangle ] \{ \ddagger t \in \mathcal{W} \}$ 

 $\left| \Box_{\Box} \Box_{\Box} \nabla_{\neg} \nabla_{\neg} \Box_{\Box} U \rangle \right|_{\mathcal{A}} \left| \Box_{\Box} \Box_{\Box} \nabla_{\neg} \nabla$ 

 $\texttt{I} = \mathcal{V} =$  $\mathcal{I}_{\mathcal{I}}_{\mathcal$  $+ f_{U}(] + f_{U}(] + f_{U}(] + f_{U}(] + f_{U}(\nabla + \langle \mathcal{P} \rangle \nabla + \langle$  $\Box \rangle \Box \uparrow \langle \mathcal{L} \rangle \rangle \langle \mathcal{L} \rangle \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \rangle \langle \mathcal{L} \rangle \rangle \langle \mathcal{L} \rangle \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \langle \mathcal{L} \rangle \rangle \langle \mathcal{L} \rangle$  $(|\nabla f(\nabla \cup (\neg \uparrow \uparrow ))| = |f(\nabla \cup (\neg \land ))| = |f(\nabla \cup (\neg ))| = |f(\nabla ))| = |f(\nabla \cup (\neg ))| = |f(\nabla )| = |f(\nabla ))| = |f(\nabla )| = |f(\nabla ))| = |f(\nabla )| = |f(\nabla )|f(\nabla )| = |f(\nabla )| = |f(\nabla )|f(\nabla )| = |f(\nabla )|f(\neg )| = |f(\nabla )|f(\neg )$  $\mathrm{II}_{\mathrm{II}} = \mathrm{II}_{\mathrm{II}} = \mathrm{II}_{\mathrm{II}$  $\mathcal{P} [\nabla \Box \dashv f_{\mathcal{N}} \nabla ] f [ ] [ \Leftrightarrow \mathcal{I} \exists \Box \Leftrightarrow \mathcal{I} \exists \Box \Box \uparrow [ \dashv \nabla \} \Box ] \sqcup \langle \dashv \sqcup \mathcal{A} f \rangle \dashv \backslash f \rangle ] ] [ \forall \dashv \uparrow ] | i \uparrow \dashv \downarrow ] ]$ 

 $\label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \end{tabular$  $] \langle \Box \nabla \rangle [\Box \Box ] \langle \Box \langle \uparrow \downarrow \downarrow \rangle \Box \rangle \ddagger ] \langle \langle \rangle \rangle \langle \langle \downarrow \downarrow \Box \downarrow \Box \uparrow \Box \Box \neg \downarrow \downarrow \bigtriangledown \nabla \langle \Box \downarrow \Box \rangle \langle \Box \rangle \langle$  $\mathcal{C}(\mathsf{I}_{\mathsf{I}}) = \mathcal{C}(\mathsf{I}_{\mathsf{I}}) = \mathcal{C}(\mathsf{I}) = \mathcal{C}(\mathsf$  $\label{eq:constraint} label{eq:constraint} label{constraint} lab$  $\{ \operatorname{den} [][\mathcal{C}(\mathsf{i})] \mathcal{P}] \nabla \sqcap \sqsubseteq \operatorname{den} (\mathsf{den} (\mathsf{den} (\mathsf{i}))) \\ (\mathsf{den} (\mathsf{den} (\mathsf{den} (\mathsf{i}))) \\ (\mathsf{den} (\mathsf{den} (\mathsf{den} (\mathsf{i})))) \\ (\mathsf{den} (\mathsf{den$  $\label{eq:constraint} $$ \sqrt{-1} \nabla \Box \int \Box \nabla \to \nabla \Box \Box = 1 + \int [\Box \langle 1 | \Box \rangle \\ \\ \sqrt{1} + [\Box \langle 1 | \Box \rangle ] + [\Box \langle 1 | \Box \rangle ] + [\Box \langle 1 | \Box \rangle ] \\ \\ \sqrt{1} + [\Box \langle 1 | \Box \rangle ] + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \rangle ] \\ \\ + [\Box \langle 1 | \Box \land ] \\ \\ + [\Box \langle 1 | \Box \land ] \\ \\ + [\Box \langle 1 | \Box \land ] \\ \\ + [\Box \langle 1 | \Box \land ] \\ \\ + [\Box \langle 1 | \Box \land ] \\ \\ + [\Box \langle 1 | \Box \land ] \\ \\ + [\Box \Box$  $\label{eq:point_states} $$ = \frac{1}{2} \left( \frac{1}{2} \right) + \left( \frac{1}{2} \right) \left($  $\langle \dagger \lfloor \nabla \rangle [ \Leftrightarrow \wr \lbrace \sqcup \rceil \setminus [ \rangle f \rfloor \wr \backslash \sqcup \rangle \setminus \Box \wr \Box f \rangle \backslash \sqsubseteq \rceil \backslash \sqcup \rangle \sqsubseteq \rceil \sqrt{\nabla} \wr \rfloor ] f f \Leftrightarrow \infty \prime \Rightarrow \swarrow \mathcal{T} \wr \rbrace ] \sqcup \langle \rceil \nabla \Leftrightarrow \sqcup \langle \rceil f \rceil$ 

 $\exists \langle \mathsf{U} \rangle \rangle \langle \mathsf{U} \rangle \rangle \langle \mathsf{U} \rangle \langle \mathsf{$  $\label{eq:constraint} \label{eq:constraint} \end{tabular}$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\neg \nabla \sqcup \rangle \rfloor \Box \uparrow \neg \sqcup \rangle \rangle \langle \{ [ \rangle \{ \{ ] \nabla ] \backslash ] \Leftrightarrow \neg \sqcup \rangle \sqcup \langle ] \nabla \sqcup \rangle ( ] \neg \Box \cup \langle 2 \nabla f \sqcup \Box \nabla \backslash \sqcup \langle ] \rangle \nabla \sqcup \neg f \sqcup [ \neg f \land \sqcup \langle ] \rangle \nabla \sqcup \rangle ( ] \rangle \nabla \sqcup \langle I \rangle \langle$  $\label{eq:constraint} $$ \sqrt{\nabla} \left( \frac{1}{2} - \frac{1}{2} \right) \left( \frac{1}{2} - \frac{1}{2} \right$  $\label{eq:lastic_linear} $$ \label{eq:linear_linear} $$ \label{eq:linear} $$ \label$  $\mathcal{A} = \mathcal{A} =$ 

 $\| \mathbf{U}_{\mathbf{U}_{\mathbf{U}_{\mathbf{U}_{\mathbf{U}}}}^{\mathbf{U}_{\mathbf{U}_{\mathbf{U}}}}} \| \mathbf{U}_{\mathbf{U}_{\mathbf{U}_{\mathbf{U}}}}^{\mathbf{U}_{\mathbf{U}_{\mathbf{U}}}} \| \mathbf{U}_{\mathbf{U}_{\mathbf{U}}}^{\mathbf{U}_{\mathbf{U}_{\mathbf{U}}}} \| \mathbf{U}_{\mathbf{U}_{\mathbf{U}}}^{\mathbf{U}_{\mathbf{U}_{\mathbf{U}}}} \| \mathbf{U}_{\mathbf{U}_{\mathbf{U}}}^{\mathbf{U}_{\mathbf{U}}} \| \mathbf{U}_{\mathbf{U}_{\mathbf{U}}}^{\mathbf{U}_{\mathbf{U}}}$  $\label{eq:constraint} \sum_{i=1}^{n} |\mathcal{J}_{i}| \leq |\mathcal{J}_{i$ 

$$\begin{split} &|\uparrow_{\sqrt{2}}]\nabla_{\sqrt{2}}|\langle_{\sqrt{2}}|\rangle \\ & +|\downarrow_{\sqrt{2}}|\rangle \\ \\ & +|\downarrow_{\sqrt{2}}|\rangle \\ \\$$

 $\label{eq:constraint} $$ \label{eq:constraint} $$ \label{eq:const$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constr$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\Box(\mathsf{M})=\mathsf{M}(\mathsf{M})$ 

∞∃¢√√  $\mathcal{A}\mathcal{f}\mathcal{A}\backslash\sqcup\langle\wr\backslash\dagger\mathcal{A}_{\checkmark\checkmark}\rangle\dashv\langle_{\checkmark}\rangle\backslash\sqcup\mathcal{f}\Box\sqcup\Leftrightarrow_{\checkmark}\langle\rangle\uparrow\downarrow\langle_{\checkmark}\langle\neg\nabla\mathcal{f}\langle\dashv\sqsubseteq\rceil\uparrow\downarrow\rangle\uparrow[\sqcup\langle\dashv\sqcup\uparrow\sqsupseteq]$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$ 
$$\label{eq:constraint} \begin{split} & \left[ \left\{ J \right\} \right] = \left[ J \right] = \left[$$
 $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constrai$  $\mathcal{P}] \nabla \sqcap_{\mathscr{L}} \mathcal{I} \sqcup \dashv_{f \cup f} \mathcal{P}] \nabla \sqcap_{\mathsf{L}} \lor \dashv_{f \cup f} \mathcal{P}] \nabla \sqcap_{\mathsf{L}} \lor \mathcal{N} \\ \parallel \parallel \rangle \simeq \int \mathcal{I} \sqcup \wr \nabla \land_{f \cup f} \lor \langle 1 \rangle \nabla \sqcap_{f} \lor \langle 1 \rangle \vee \langle$  $\Box \int U \left( \frac{1}{2} \right) = \frac{1}{2} \left( \frac{1}{2} \right) = \frac{1}{2$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} \texttt{M}_{\mathsf{A}} = \texttt{M}_{$ 

 $\sqrt{\nabla \left\{\left[\Pi\right] \sqcup\right\} \left\{\left\{\left\{\left\{U\right\} \right\} \right\} \left[\left[\Pi\right] \left\{\left\{\left\{U\right\} \right\} \right\} \left[\Pi\right] \left\{\left\{\left\{V\right\} \right\} \right\} \left[\left[U\right] \left\{\left\{V\right\} \right\} \right\} \left[\left[U\right] \left\{V\right\} \right\} \left\{\left\{V\right\} \right\} \left[U\right] \left\{V\right\} \left[U\right] \left\{V\right] \left[U\right] \left\{V\right\} \left[U\right] \left\{V\right] \left[U\right] \left\{V\right] \left\{U\right] \left\{V\right\} \left[U\right] \left\{V\right] \left\{U\right] \left\{V\right\} \left[U\right] \left\{V\right] \left\{U\right] \left\{V\right\} \left\{U\right] \left\{V\right\} \left\{U\right] \left\{U\right] \left\{U\right] \left\{V\right\} \left\{U\right] \left\{V\right\} \left\{U\right] \left\{V\right\} \left\{U\right] \left\{V\right\} \left\{U\right] \left\{U\right] \left\{V\right\} \left\{U\right] \left\{U\right] \left\{V\right\} \left\{U\right\} \left\{U\right] \left\{V\right\} \left\{U\right\} \left\{U\right\}$ 

 $\mathcal{T}_{\delta}_{122} = \mathcal{T}_{22} =$ 
$$\label{eq:constraint} \begin{split} \| \{ \exists \{ \mathcal{S} \mid \mathcal{S$$
 $\exists \forall \forall f \in \mathcal{T} \\ \exists \forall f \in \mathcal{T} \\ \forall f \in \mathcal{T$ 
$$\label{eq:constraint} \label{eq:constraint} \begin{split} & \label{eq:constraint} \left[ \Box \Box \Box \rangle \langle \nabla \Box \Box \Box \rangle \langle \nabla \Box \Box \rangle \rangle \\ & \label{eq:constraint} \\ & \label{eq:constraint} \left[ \Box \Box \rangle \langle \nabla \Box \Box \rangle \langle \nabla \Box \Box \rangle \rangle \rangle \\ & \label{eq:constraint} \\ & \lab$$
 $\mathcal{L} = \mathcal{L} =$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathcal{S} \sqcap \rangle \mathcal{Y} \sqcap \langle \Rightarrow \Leftrightarrow \mathcal{C} \langle \rangle \backslash ] f ] \Leftarrow \mathcal{S} \rangle \sqcap \Rightarrow \Leftrightarrow \wr \nabla \wr \bigvee \land f \rangle \sqcup \rangle \wr \langle \neg \ddagger \Leftarrow \mathcal{Z} \sqcap \ddagger ] \langle \Rightarrow ] \bigvee f \sqcup ] \ddagger ] \checkmark$ 

 $\Box_{1}^{1} \Box_{1}^{1} \Box_{1$  $\Box(\exists \exists b) \exists b \in A \ d \cap A \ d \in A \ d \cap A \ d \in A \ d \in A \ d \in A \ d \cap A \ d$  $| \mathcal{D} = \mathcal{D}$  $+ uun \ [u(1)) + (1) +$  $(\uparrow) \cup \nabla - (\uparrow) \cup (\downarrow) \cup (\uparrow) \cup (\downarrow) \cup$  $\mathcal{C}(\mathsf{I}_{\mathsf{I}_{\mathsf{I}_{\mathsf{I}}}}) \Leftrightarrow \mathcal{I}_{\mathsf{I}_{\mathsf{I}_{\mathsf{I}}}} = \mathcal{I}_{\mathsf{I}_{\mathsf{I}}} = \mathcal{I}_{\mathsf{I}}} = \mathcal{I}_{\mathsf{I}_{\mathsf{I}}} = \mathcal{I}_{\mathsf{I}} = \mathcal{I}_{\mathsf{I}}} = \mathcal{I}_{\mathsf{I}} = \mathcal{I}_{\mathsf{I}}} = \mathcal{I}_{\mathsf{I}} = \mathcal{I}_{\mathsf{I}}} = \mathcal{I}_{\mathsf{I}} = \mathcal{I}_{\mathsf{I}}} = \mathcal{I}_{\mathsf{I}} = \mathcal{I}_{\mathsf{I}} = \mathcal{I}_{\mathsf{I}} = \mathcal{I$  $\label{eq:constraint} [] f] \nabla \\ [] f \sqcup \langle ] \oplus \Box \sqcup \langle \rangle \\ \langle \rangle$ 

 $\| \langle 2 \downarrow \rangle \| \\$  $\int (1 + 1) \nabla (1$  $( \Box \langle ] ]$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \la$  $\label{eq:constraint} [] \label{eq:constraint} [] \label{eq:constrain$ 
$$\label{eq:linear} \begin{split} f(l) = & l = l \\ f(l) = & l \\ f(l) = l \\ f(l) = & l \\ f(l) =$$
 $\mathcal{W}[\mathsf{L}]\nabla \mathsf{L}] \cup \nabla \mathsf{L}[\mathsf{L}] \mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}[\mathsf{L}] \mathsf{L}] \mathsf{L$ 

 $\mathcal{L} = \mathcal{L} =$  $\label{eq:point_states} \label{eq:point_states} \lab$  $\int \Box \sqrt{\nabla} \left[ \left( - \left[ \nabla \right] \right] + \left[ \left( - \left[ \nabla \right] \right] + \left[ \left[ \nabla \right] \right] + \left[ \left[ \left( - \left[ \nabla \right] \right] \right] + \left[ \left( - \left[ \nabla \right] \right] \right] + \left[ \left( - \left[ \nabla \right] \right] \right] + \left[ \left( - \left[ \nabla \right] \right] + \left[ \left( - \left[ \nabla \right] \right] \right] + \left[ \left( - \left[ \nabla \right] \right] + \left[ \left( - \left[ \nabla \right] \right] \right] + \left[ \left( - \left[ \nabla \right] \right] + \left[ \left( - \left[ \nabla \right] \right] \right] + \left[ \left( - \left[ \nabla \right] \right] + \left[ \left( - \left[ \nabla \right] \right] \right] + \left[ \left( - \left[ \nabla \right] \right] + \left[ \left( - \left[ \nabla \right] \right] \right] + \left[ \left( - \left[ \nabla \right] \right] + \left[ \left( - \left[ \nabla \right] \right] \right] + \left[ \left( - \left[ \nabla \right] \right] \right] + \left[ \left( - \left[ \nabla \right] + \left[ \nabla \right] + \left[ \left( - \left[ \nabla \right] \right] + \left[ \left( - \left[ \nabla \right] + \left[ \nabla \right] + \left[ \left( - \left[ \nabla \right] + \left[ \nabla \right] + \left[ \left( - \left[ \nabla \right] + \left[ \nabla \right] + \left[ \nabla \right] + \left[ \left( - \left[ \nabla \right] + \left[ \nabla \right] + \left[ \left( - \left[ \nabla \right] + \left[ \nabla \right] + \left[ \nabla \right] + \left[ \left( - \left[ \nabla \right] + \left[ \nabla \right] + \left[ \nabla \right] + \left[ \left( - \left[ \nabla \right] + \left[ \nabla \right] + \left[ \nabla \right] + \left[ \nabla \right] + \left[ \left( - \left[ \nabla \right] + \left[ \nabla \right] + \left[ \nabla \right] + \left[ \left( - \left[ \nabla \right] + \left[ \left( - \left[ \nabla \right] + \left[ \left( - \left[ \nabla \right] + \left[ \nabla$ 

$$\label{eq:constraint} \label{eq:constraint} \begin{split} f(\) & \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \begin{split} f(\) & \label{eq:constraint} \l$$
 $= \sum_{i=1}^{2} \sum_$  $\Box \wr \label{eq:constraint} \Box \land \label{eq:co$  $\exists \langle \rangle ] \langle ] \ddagger ] \nabla \exists \langle \rangle \Box \langle \rangle \nabla \mathcal{A} f \rangle \exists \langle \nabla \mathcal{A} f \rangle \exists \langle \nabla \mathcal{P} ] \nabla \Box \sqsubseteq \rangle \exists \langle \rangle [ \langle \nabla \mathcal{A} f \rangle \exists \langle \nabla \mathcal{A} f \rangle \exists \langle \nabla \mathcal{P} ] \nabla \Box \sqsubseteq \rangle \exists \langle \rangle \langle \rangle \rangle ] \langle \neg \mathcal{P} ] \langle \nabla \mathcal{A} f \rangle \exists \langle \nabla \mathcal{A} f$  $\label{eq:product} \end{tabular} \\ \end{tabu$ A = $\label{eq:linearized_linearized$ 

 $\int_{1} \left| \right\rangle \left|$  $|\langle i \rangle | ] \int_{\sqrt{\nabla}} \nabla i \Box \rangle [] + f ] \langle f \rangle | ] \nabla + \Box \rangle i \langle \nabla i \oplus \Box \langle ] \rangle | \Box ] \nabla | + f \rangle f \oplus \Box \langle + J + f \{ \} | \Box ] [$  $\label{eq:constraint} = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[ -\frac{1}{2} \left[ -\frac{1}{2} \right] \right] \\ = \int \left[ -\frac{1}{2} \left[$  $\label{eq:constraint} \langle \mathsf{i}_{\mathsf{i}}$  $\mathcal{Y} = \langle | \uparrow ] \nabla | \neg | \neg | \neg \rangle$  $\label{eq:linearized_states} \label{eq:linearized_states} \label{eq:line$  $\sqcup \langle ] \dagger \{ \rangle [ \uparrow \rangle \sqcup \nabla \dashv \sqcup \rangle \} \swarrow \mathcal{T} \langle ] \rangle \nabla \| \langle 2 \downarrow \uparrow [ \} ] ] \wr \backslash \sqcup \rangle \backslash \Box ] \mathcal{L} \iota [ ] \mathcal{I} \rangle \sqcup \Box \dashv \Box ] [ \Leftrightarrow [ \Box \sqcup \backslash \iota \supseteq \iota \Box \mathcal{I} \rangle [ ] ] \land \sqcup \downarrow \rangle ]$ 

 $\mathcal{A}_{U}^{\mathrm{I}}_{\mathrm{I}}^{\mathrm{I}}}_{\mathrm{I}}^{\mathrm{I}}_{\mathrm{I}}^{\mathrm{I}}_{\mathrm{I}}^{\mathrm{I}}}_{\mathrm{I}}^{\mathrm{I}}_{\mathrm{I}}^{\mathrm{I}}_{\mathrm{I}}^{\mathrm{I}}}_{\mathrm{I}}^{\mathrm{I}}_{\mathrm{I}}^{\mathrm{I}}}_{\mathrm{I}}^{\mathrm{I}}^{\mathrm{I}}_{\mathrm{I}}^{\mathrm{I}}^{\mathrm{I}}_{\mathrm{I}}^{\mathrm{I}}^{\mathrm{I}}_{\mathrm{I}}^{$  $\mathcal{W}(\mathsf{A}) = \mathcal{U}(\mathcal{L}) = \mathcal{U$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\exists \wr \nabla \ddagger \ ( \exists \exists \forall \land \Box \ ( \exists \exists \forall \land \Box \ ( \exists \exists \forall \land \Box \ ( \exists ) \ ( \exists \land \Box \ ( \exists \land \Box \ ( \exists \land \Box \ ( \exists ) \ ($ 
$$\label{eq:constraint} \begin{split} \| \{ \mathbf{v} \} \| \mathbf{v} \| \| \| \mathbf{v} \| \|$$
 $\texttt{interm} = \texttt{interm} = \texttt{in$  $\mathcal{V} = \mathcal{C}(\mathcal{A}) = \mathcal{C}(\mathcal{A}$ 

 $\exists \nabla \rangle \sqcup ] \nabla f_{\swarrow}$ 

 $\mathcal{J} = \mathcal{W} =$  $\label{eq:product} \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left[ \left( -\frac{1}{2} \right) - \left( -\frac{1}{2} \right) \right] + \left( -\frac{1}{2} \right) + \left( -\frac$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constr$  $\mathcal{T}_{i}^{1} \cup \langle \mathbb{V}_{i} \to \mathbb{V}_{i}^{1} \to \mathbb{V}_{$ 

 $\mathcal{A}_{\text{I}}(1) = \mathcal{I}_{\text{I}}(1) = \mathcal{I}$  $\label{eq:constraint} \end{aligned} \end{a$  $\Box \langle ] \rangle \nabla \downarrow \rangle \Box ] \nabla \dashv \Box \Box \nabla ] \downarrow \uparrow f ] \nabla \Box i ] \Box \langle \backslash i \} \nabla \dashv \swarrow \langle \rangle \rfloor [ \rangle f ] i \Box \nabla f ] \Leftrightarrow \ddagger i [ \Box \langle ] i \Box \langle ] \nabla \Box \Box f i \land i [ \Box \langle ] i \Box \langle ] i$  $\neg \neg \neg \forall \mathcal{I} \land \mathcal{I} \land$  $\mathcal{E} \setminus \nabla \setminus \mathbb{H} \cap \mathcal{V} \setminus \nabla (\mathcal{I} \cup \mathcal{V}) \cup \mathcal{I} \cup$  $\int \nabla \Box \nabla \Box \nabla J \int \langle \langle A \rangle \langle A$  $\Box \Box f (a = \nabla ) \cup ) ) ) (f) )$  $\label{eq:point_linear} \label{eq:point_linear} \\ \begin{tabular}{l} \label{eq:point_linear} \end{tabular} \\ \begin{tabular}{l} \label{tabular} \end{tabular} \\ \end{tabular} \end{tabular} \\ \begin{tabular}{l} \label{tabular} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \begin{tabular}{l} \label{tabular} \end{tabular} \end{tabular} \end{tabular} \end{tabular} \end{tabular} \end{tabular} \end{tabular} \end{tabular} \end{tabular}$  $- + \int f \left( \frac{1}{2} \right) \left( \frac{1$  $\mathcal{J} \vdash_{\mathcal{A}} \vdash_{\mathcal{$  $\mathcal{C}(\mathsf{i}) = \mathcal{C}(\mathsf{i}) = \mathcal{C$ 

 $\mathcal{C} \langle \neg \rangle \rangle \\ \mathcal{T} \\$  $\mathcal{T}_{1}^{1} = \mathcal{T}_{1}^{1} = \mathcal{T}$  $| \mathcal{L} = \mathcal{L}$  $f]] \sqcup \langle ] \ddagger f] \ddagger [ \neg \forall ] \land [ \neg \nabla ] \land [ \neg \nabla ] \land [ \neg \forall ]$  $\neg f = \uparrow f = \neg f$  $\mathcal{J} = \mathcal{W} \setminus \mathbb{E}^{\mathcal{D}} = \mathcal{W} \setminus \mathbb{E}^{\mathcal{D}} = \mathcal{D} \setminus \mathbb{E}^{\mathcal{D}} \setminus \mathbb{E}^{\mathcal{D}} \setminus \mathbb{E}^{\mathcal{D}} \setminus \mathbb{E}^{\mathcal{D}} = \mathcal{D} \setminus \mathbb{E}^{\mathcal{D}} \cap \mathbb{E}^{\mathcal{D}} \cap \mathbb{E}^{\mathcal{D}} \setminus \mathbb{E}^{\mathcal{D}} \cap \mathbb{E}^{\mathcal$ 

 $\mathcal{I}_{\mathcal{I}} = \mathcal{I}_{\mathcal{I}} =$  $\exists \left[ \Box(]f] \right] \left[ \left\{ \partial \nabla \mathcal{P} \right] \nabla \Box \sqsubseteq \right\} \\ \exists \langle \mathcal{A} \nabla \} \right] \left[ \Box() \right] \\ \Leftrightarrow \mathcal{C} \left[ \left\{ \partial \nabla \mathcal{P} \right] \\ \forall \Box \sqsubseteq \right\} \\ \exists \langle \mathcal{A} \nabla \rangle \\$  $\mathcal{C} \dashv \nabla \rangle [ [ ] \dashv \langle \Rightarrow \dashv \{ \sqcup ] \nabla \sqcup \langle ] \mathcal{U} \rangle \sqcup ] [ \mathcal{S} \sqcup \dashv \sqcup ] \mathcal{J} \dashv \langle [ \sqcup \langle ] \mathcal{N} ] \sqcup \langle ] \nabla \ddagger \lor \langle ] \nabla \rangle \sqcup \langle ] \nabla \rangle \sqcup \rangle \mathcal{J} \dashv \langle [ \mathcal{U} \land ] \vee \rangle \sqcup \langle ] \nabla \downarrow \downarrow \rangle [ \mathcal{U} \land ] \vee \langle ]$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint$ 

 $|\mathcal{D} \cup \nabla \rangle | f \langle \neg f \neg f \rangle | ] \rangle | \langle \mathcal{D} \rangle | f \rangle \equiv | \langle \mathcal{I} \setminus \langle \rangle f | \uparrow | \langle \rangle \rangle | | \langle \rangle | | \mathcal{C} \langle \rangle | \neg \rangle | \mathcal{L} \neg | \rangle | \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | | \langle \mathcal{A} | | \nabla \rangle | \neg | \langle \mathcal{A} | \langle \mathcal{A} | | \langle \mathcal{A} | | \langle \mathcal{A} | | \langle \mathcal{A} | \langle \mathcal{A} | | \langle \mathcal{A} | | \langle \mathcal{A} | | \langle \mathcal{A} | \langle \mathcal{A} | \langle \mathcal{A} | | \langle \mathcal{A}$  $\neg \left( \mathcal{D} \right) \neg \left$  $\mathcal{A} \text{min} \mathcal{A} \text{min} \mathcal{A}$  $\sqrt{\nabla} \text{Im} \sqrt{\nabla} \text{Im} \text{Im}$  $\mathcal{A}^{\text{I}}_{\text{I}} \nabla_{\text{I}}^{\text{I}}_{\text{I}} \otimes_{\text{I}}^{\text{I}}_{\text{I}} \otimes_{\text{I}}^{\text{I}}_{\text{I}}} \otimes_{\text{I}}^{\text{I}}_{\text{I}} \otimes_{\text{I}} \otimes_{\text{I}} \otimes_{\text{I}} \otimes_{\text{I}} \otimes_{\text{I}}^{\text{I}}_{\text{I}} \otimes_{\text{I}} \otimes_{\text{I$  $\label{eq:linearized_started$  $\neg \forall \mathcal{US} \{ \mathcal{V} \} \\ \downarrow \mathcal{L} \\ \downarrow \mathcal{L}$  $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$  $\mathcal{C}(\mathsf{A} = \mathsf{A} = \mathsf{$ 

 $\int -\frac{1}{\sqrt{2}} \nabla \left[ \left\{ \left( -\frac{1}{\sqrt{2}} \right) \left( -\frac$ 

 $\begin{array}{c} \mathbf{v} \\ \\ \left| \mathbf{v} \right\rangle \\ \left|$ 

 $\sqrt{\nabla} \\ \left[ \right] \\ \left[ \right]$  $\mathcal{A}^{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}}_{\text{I}}_{}$  $] = \mathcal{L} = \mathcal{L$  $\exists \forall \Box \setminus \Box \nabla \rangle \exists f_{\mathcal{L}} \mathcal{F} \nabla \forall \oplus \Box \langle \rangle f_{\mathcal{L}} \exists \nabla f_{\mathcal{L}} \exists \Box \rangle \equiv \exists \Leftrightarrow \mathcal{P} \exists \nabla \Box \Leftrightarrow \exists \langle \rangle \exists \langle \langle \exists f \Box \langle \exists \oplus \nabla \} \exists f \Box ] \sqcup \langle \backslash \rangle \exists \mathcal{C} \langle \rangle \backslash \exists f \exists \sigma \rangle = 0$  $\mathcal{H} ] \nabla \nabla ] \nabla \dashv \Leftrightarrow \rangle \backslash \langle ] \nabla \mathsf{fun} [ \dagger \wr \{ \rangle [ ] \backslash \sqcup \rangle \sqcup \dagger \mathsf{fu} \nabla \sqcap \} \} \ddagger ] \mathsf{fu} \rangle \sqcup \langle \rangle \backslash \sqcup \langle ] \mathcal{A} \mathsf{f} \wr \rfloor \rangle \dashv \rfloor \rangle \delta \backslash \mathcal{P} ] \nabla \sqcap \dashv \backslash \wr \mathsf{fu} \rangle d \land \mathcal{P} ] \vee \langle \mathcal{P} ] \vee \langle \land \mathcal{P}$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$ M =

 $\mathcal{O} = \mathcal{O} =$  $\label{eq:linearconstruction} \\ \label{eq:linearconstruction} \\ \label{eq:linearconstructio$  $\mathcal{P}] \nabla \mathsf{dlet}(\mathcal{T}) \to \mathcal{T} \mathsf{dlet}(\mathcal{T}) \to \mathcal{T}$  $\mathcal{T}_{\forall} \nabla_{\forall} \mathcal{L}_{\forall} \mathcal{L}$  $\label{eq:product} \label{eq:product} \end{tabular} \\ \end{tabular} \label{eq:product} \end{tabular} \\ \end{tabular} \label{eq:product} \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \$  $\label{eq:constraint} $$ \int d \left( \int d \right) = \int d \left( \int d \right) + \int d \left( \int d \right) = \int d \left( \int d \right) + \int d \left( \int d \left( \int d \right) + \int d \left( \int d \right) + \int d \left( \int d \right) + \int d \left( \int d \left( \int d \right) + \int d \left( \int d \left( \int d \right) + \int d \left( \int d \left( \int d \right) + \int d \left( \int d \right) + \int d \left( \int d \left( \int d \right) + \int d \left( \int d \left( \int d \right) + \int d \left( \int d \left( \int d \right) + \int d \left( \int d \left( \int d \right) + \int d \left( \int d \left( \int d \left( \int d \right) + \int d \left( \int d \left($  $\neg \left( \left[ \Box \right] \right] \right] \right)$ 
$$\label{eq:constraint} \begin{split} & \sqcup \langle \neg \nabla \rceil \rangle \int J \Box \nabla \nabla \rceil \backslash \sqcup \uparrow \dashv \swarrow \wr \exists \neg \nabla J \Box \nabla \Box \neg \rbrace \\ & \downarrow \land \Box \neg f a \rangle \rbrace \\ & \Box \neg f a \rangle \\ & \Box \neg f a \rangle \rbrace \\ & \Box \neg f a \rangle \\ \\ & \Box \neg f a \rangle \\ \\ & \Box \neg f a \rangle \\ \\ & \Box \neg f a \rangle \\ \\ & \Box \neg f a$$

 $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$ 

 $\mathcal{W}() = \mathcal{V}(\mathcal{V}) = \mathcal{V}(\mathcal{$ 

 $\mathcal{I} \setminus \mathcal{L} = \mathcal{I} \setminus \mathcal{I} \setminus$  $\mathcal{I}_{1} = \mathcal{I}_{1} = \mathcal{I}_{1}$  $\mathcal{C} \dashv \sqcup \acute{0} \downarrow \exists \dashv [] \downarrow \mathcal{P} ] \nabla \acute{u}_{\checkmark} \mathcal{C} \nabla ] \dashv \sqcup ] [ \rangle \backslash \in \mathcal{U} \exists \dashv \backslash [ [ \rangle \nabla ] \rfloor \sqcup ] [ \lfloor \dagger \mathcal{R} \sqcap \lfloor \acute{e} \backslash \mathcal{T} \dashv \backslash \} \Leftrightarrow \rangle \sqcup \sqrt{\nabla \wr \sqsubseteq} \rangle [ ] f \land \mathcal{C} \land \mathcal{C$  $\label{eq:linear} \\ \label{eq:linear} \\ \lab$  $\label{eq:linearized_states} \int \Box \Box \left[ \right] \right] \\ \left[ \right$  $\nabla ] \ddagger \exists \mathcal{L} = \mathcal{L}$  $\mathcal{I}_{J} = \mathcal{I}_{J} = \mathcal{I}_{J}$  $\label{eq:linearized_states} \end{tabular} \\ \end{tabular} \\$  $\mathcal{S} = \mathcal{M} =$ 

 $\mathcal{W}(\texttt{I}) \sqsubseteq \texttt{I}(\texttt{I}) \land \texttt{I$  $\mathcal{P}]\nabla\sqcap\sqsubseteq\rangle\dashv\backslash\mathcal{L}\sqcup]\nabla\dashv\sqcup\sqcap\nabla]\Rightarrow\rangle\backslash\mathcal{M}\dashv\nabla]\langle\in\prime\infty\prime\Leftrightarrow\mathcal{I}\sqsupseteq\dashv\rbrace\uparrow\dashv[\sqcup\wrf]]\mathcal{A}f\rangle\dashv\langle\mathcal{P}]\nabla\sqcap\sqsubseteq\rangle\dashv\backslash$ I = $\label{eq:lasses} \label{eq:lasses} \label{eq:$  $\nabla ] \{ ] \nabla ] \setminus [ ] \sqcup \mathcal{J} ( f \in \mathcal{M} \to \nabla i \to \mathcal{A} \nabla \} \Box ] [ \to f \sim f \setminus i \subseteq ] \downarrow \Leftrightarrow [ \rangle [ \setminus i \sqcup \rangle \setminus | \downarrow \Box [ ] \uparrow \to \downarrow \downarrow \downarrow \uparrow$  $\nabla \left[ \sqrt{\nabla} \right] f \left[ \left( \Box \right) \right] \mathcal{P} \left[ \nabla \Box \right] \right] \mathcal{P} \left[ \nabla \Box \right] \mathcal{P} \left[ \nabla \Box \right] \mathcal{P} \left[ \left( \sqrt{\mathcal{P}} \right) \right] \mathcal{P} \left[ \left( \sqrt{\mathcal{P$ 
$$\label{eq:constraint} \begin{split} & \begin{aligned} & \b$$
 $\leftarrow \infty \exists \triangle \in \land \Rightarrow \Leftrightarrow \mathcal{J} \exists ) (\mathcal{P} \lor \Box \sqsubseteq ) \dashv (\mathcal{I} \lor \dashv | \mathcal{G} \wr [] \Diamond | ] \nabla \} \leftarrow \infty \exists \triangle \bigtriangledown \land \Rightarrow \Leftrightarrow \wr \nabla \mathcal{Z} \Box \Diamond ] \land \Leftrightarrow \forall \mathcal{I} \lor \forall \mathcal{I} \lor$  $\mathcal{S} \models \forall \forall \mathcal{I} = \forall$  $\underbrace{\mathcal{E}_{\uparrow}}_{\mathcal{W}} \underbrace{\mathcal{E}_{\uparrow}}_{\mathcal{W}} \underbrace{\mathcal{E}_{\uparrow}}_{\mathcal{W}} \underbrace{\mathcal{E}_{\uparrow}}_{\mathcal{W}} \underbrace{\mathcal{E}_{\uparrow}}_{\mathcal{W}} \underbrace{\mathcal{E}_{\uparrow}}_{\mathcal{W}} \underbrace{\mathcal{E}_{\uparrow}}_{\mathcal{U}} \underbrace{\mathcal{E}_{\downarrow}}_{\mathcal{U}} \underbrace{\mathcal{E}_{\downarrow}}$  $\left[ \nabla \dashv \supseteq \right\} \right] \forall \downarrow \dashv \downarrow \dashv \sqcup \sqcup ] \setminus \sqcup \rangle \wr \setminus \sqcup \wr \mathcal{P} ] \nabla \sqcap \sqsubseteq \rangle \dashv \backslash \dashv \sqcup \cup \langle \wr \nabla f \wr \{\mathcal{A}f \rangle \dashv \backslash \dashv \downarrow ] f \sqcup \nabla \dagger \supseteq \langle \wr f ]$ 

 $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\exists l = \langle \mathcal{D} \rangle \\ \exists \mathcal{D} \rangle \\ \exists$  $\left[ \frac{1}{\mathcal{D}} \right] = \left[ \frac{1}{\mathcal{G}} - \frac{1}{\mathcal{G}} - \frac{1}{\mathcal{G}} \right] = \left[ \frac{1}{\mathcal{G}} - \frac{1}{\mathcal{G}} \right] = \left[ \frac{1}{\mathcal{G}} - \frac{1}{\mathcal{G}} - \frac{1}{\mathcal{G}} \right] = \left[ \frac{1}{\mathcal{G}$  $\label{eq:constraint} $$ \U = \mathcal{A} = \mathcal{A}$  $\neg \left( \Rightarrow \Box \right) = \left( \neg \nabla \nabla \cap \nabla \cap \nabla \right) = \left( \neg \nabla \nabla \cap \nabla \cap \nabla \right$ 

 $\mathcal{J} = \mathcal{W} \setminus \Rightarrow \mathcal{V} = \mathcal{V} \setminus \mathcal{I} \setminus [\mathcal{I} \in \mathcal{I} \setminus \mathcal{I} \setminus \mathcal{I} \in \mathcal{I} \setminus \mathcal{I} \in \mathcal{I} \setminus \mathcal{I} \setminus \mathcal{I} \setminus \mathcal{I} \setminus \mathcal{I} \in \mathcal{I} \setminus \mathcal{I}$  $\sqcup \langle ] \nabla ] \{ \wr \nabla ] \sqcup \langle \neg \downarrow \rangle ] \sqcup \sqcup ] \sqcup \downarrow \Box \downarrow \Box \Box \nabla ] \int \sqcup \langle ] \uparrow \langle \neg \sqsubseteq \rangle \rangle \sqcup ] [ \sqcup \wr \lfloor ] [ \rangle \int I \Box \neg \downarrow \rangle \{ \rangle ] [ \neg \downarrow ] \cup \Box \downarrow \Box \downarrow \Box \downarrow ]$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{constraint} \label{eq:constraint} \label{eq:constra$  $[ ] \mathcal{T} = \mathcal{T$  $\neg \sqrt{\nabla} \forall \neg \forall \langle \neg \forall \rangle \rangle \\ \downarrow \langle \neg \nabla \langle \neg \sqcup \forall \nabla \rangle \rangle \\ \downarrow \langle \neg \sqcup \rangle \rangle \langle \neg \downarrow \rangle \\ f \sqcup \rangle \rangle \\ \downarrow [\rangle f \downarrow \rangle \neg \nabla f ] \\ f \swarrow \mathcal{A} \\ f \mathcal{A} \\ \downarrow [] \nabla f \land \langle \neg f \rangle \rangle \\ (\neg f \land \neg f ) \\ (\neg f ) \\$  $\Box \ [\Box \ ] \ ] \ [\Box \ \ ] \ \ [\Box \ \ ] \ [\Box \ \ ] \ [\Box \ \ ] \ \ I \ \ ] \ \ [\Box \ \ ] \ \ I \ \ I \ \ I \ \ I \ \ I \ \ I \ \ I \ \ I \ \ I \ I \ \ I$  $\mathcal{F}_{l} = \mathcal{F}_{l} = \mathcal{F}_{l}$ 

 $\sqcup \langle \nabla \wr \sqcap \} \langle [ \rangle f ] \wr \sqcap \nabla f ] \Leftrightarrow \sqcup \sqcap f \acute{a} \dashv \sqcap \sqcup \langle \wr \nabla f \simeq ] \ddagger \dashv \rangle \ddagger \sqcup \wr \dashv \downarrow \sqcup ] \nabla \backslash \dashv \sqcup \rangle \sqsubseteq ] \| \langle \wr \sqsupseteq \ddagger \uparrow [ \} ] f \sqsupseteq \rangle \ddagger \downarrow [ ]$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\label{eq:linearized_states} \end{tabular} \\ \end{tabular} \label{eq:linearized_states} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{t$ 
$$\label{eq:constraint} \begin{split} \label{eq:constraint} \begin{split} \ensuremath{\swarrow} \ensuremath{\wr} \ensuremath{\wr} \ensuremath{\sqcup} \ensuremath{\wr} \ensuremath{\sqcup} \ensuremath{\wr} \ensuremath{\sqcup} \$$
 $\label{eq:linear_state} \label{eq:linear_state} \label{eq:linear_state} \end{tabular} \label{eq:linear_state} \end{tabular} \label{eq:linear_state} \end{tabular} \end{t$  $\texttt{fij} = \texttt{fij} = \texttt$ 

 $\nabla \left[ \sqrt{\nabla} \right] \left[ \left[ \left[ \sqrt{\nabla} \right] \right] \left[ \left[ \sqrt{\nabla} \right] \right] \right] \left[ \left[ \sqrt{\nabla} \right] \right] \left[ \sqrt{\nabla} \left[ \sqrt{\nabla} \right] \left[ \sqrt{\nabla} \right] \left[ \sqrt{\nabla} \left[ \sqrt{\nabla} \right] \left[ \sqrt{\nabla} \right] \left[ \sqrt{\nabla} \left[ \sqrt{\nabla} \left[ \sqrt{\nabla} \right] \left[ \sqrt{\nabla} \left[ \sqrt{\nabla} \left[ \sqrt{\nabla} \left[$  $\mathcal{N} = \mathcal{N} = \mathcal{I} =$  $+ \left\lfloor \Box f \right\rfloor \left\{ \left\{ d \in \mathcal{J} \right\} \right\} + \left\{ \left\{ d \in \mathcal{J} \right\} + \left\{ d \in \mathcal{J} \right\} +$  $\mathbf{A} = \mathbf{A} =$  $\label{eq:constraint} \label{eq:constraint} \\ \label$  $\label{eq:constraint} $$ \times \ \ti$  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular}$  $\mathsf{DISC}(\mathcal{J}_{\mathsf{T}}^{\mathsf{T}}) = \mathsf{I}_{\mathsf{T}}^{\mathsf{T}} = \mathsf{I}_{\mathsf{T}}^{\mathsf{T}}$  $\mathcal{M}\wr \nabla \wr \Downarrow \land f = \mathcal{M} \land \mathcal{M$  $|\langle \neg \nabla \neg | \sqcup \rangle \nabla f \neg \sqcup \sqcup \rangle \\ \uparrow f \neg | \neg \uparrow \uparrow \downarrow \sqcup \langle i f \rceil \\ \sqrt{\nabla} \rangle i [f i \{ \sqrt{\nabla} f ] ] \Box \sqcup \rangle i \langle \neg \langle \nabla f \rangle f \rangle i \langle U i U \rangle ] \\ \rangle \nabla f \neg f \neg U i \langle \neg \rangle \nabla f \neg f \rangle i \langle U i U \rangle \\ + i \langle i \rangle \nabla f \neg f \rangle i \langle U i U \rangle$  $\label{eq:constraint} $$ I = \frac{1}{2} + \frac{1}{$ 

 $T T f \tilde{a} (-1) [M) [III] = \nabla (U) (-1) (f t) ($ 

 $\mathcal{A} \\ \mathcal{A} \\$ 

 $\mathcal{A} \text{ff} \text{inv} (\text{inv} \text{inv} \text{$  $\label{eq:alpha} \sqrt{2} | \Box \nabla \dagger \Leftrightarrow \exists \langle \Box \nabla ] \rangle | ] | ] \Box \Box ] | \Box \Box ] | \Box \Box f a | \langle \mathcal{N} | \| \| \rangle \Box \nabla \rangle \Box \rangle | \\ \Leftrightarrow \mathcal{R} | \exists \nabla [2 \Box \nabla ] \rangle | ] | ] \Box \Box ] | \Box \Box f a | \langle \mathcal{N} | \| \| \rangle \Box \nabla \rangle \Box \rangle | \\ \Leftrightarrow \mathcal{R} | \exists \nabla [2 \Box \nabla ] \rangle | ] | ] | \Box \Box ] | \Box \Box f a | \langle \mathcal{N} | \| \| \rangle \Box \nabla \rangle \Box \rangle | \\ \Leftrightarrow \mathcal{R} | \exists \nabla [2 \Box \nabla ] \rangle | ] | [ \Box \Box ] | ] | \Box \Box f a | \langle \mathcal{N} | \| \| \rangle \Box \nabla \rangle \Box \rangle | \\ \Leftrightarrow \mathcal{R} | \exists \nabla [2 \Box \nabla ] \rangle | ] | [ \Box \Box ] | ] | \Box \Box A | \langle \mathcal{N} | \| \| \rangle \Box \nabla \rangle | \rangle | \\ \Leftrightarrow \mathcal{R} | \exists \nabla [2 \Box \nabla ] \rangle | \\ \Leftrightarrow \mathcal{R} | \exists \nabla [2 \Box \nabla ] \rangle | \\ \Leftrightarrow \mathcal{R} | \\ \Leftrightarrow \mathcal{R} | \langle \mathcal{N} | \| \rangle | \\ \Leftrightarrow \mathcal{R} | \\ \longleftrightarrow \mathcal{R} | \\ \longleftrightarrow \mathcal{R} | \\ \longleftrightarrow \mathcal{R} | \\$  $\mathcal{G} = \mathcal{G} =$  $\sqrt{\nabla} + \left[ \Box \right] = \left[ \left( + \int \mathcal{S} \right) \right] + \left[$  $\mathcal{J} \vdash_{\mathcal{A}} \vdash_{\mathcal{$  $\label{eq:constraint} $ \int U \nabla H U ] \\ \label{eq:constraint} \int U \nabla H \nabla f (\nabla H \nabla f ($  $\nabla \left[ \sqrt{\nabla} \right] \left[ \left[ -1 \right] \right] \left[ -1 \right] \left[ \sqrt{2} \right] \left[ -1 \right] \left[ \sqrt{2} \right] \left[ -1 \right] \left[ \sqrt{2} \right] \left[ \sqrt{2}$ 

 $\mathcal{A} \sqcap \{ \sqcap \mathcal{H} \} \dashv \mathcal{I} \land \mathcal{H} \} \dashv \mathcal{I} \land \mathcal{I} \land$  $\mathcal{W}(\mathsf{A}) \Leftrightarrow \mathcal{S}(\mathsf{A}) \to \mathcal{S}(\mathsf{A}) \oplus \mathcal{S$  $[]^{l} \cup ( ) {} \cup ($  $| \mathsf{U} \langle \mathsf{I} \rangle | \mathsf{I} \mathsf{U} \rangle \langle \mathsf{I} \rangle \nabla \mathsf{I} \mathsf{I} \rangle \nabla \mathsf{I} \mathsf{I} \rangle \nabla \mathsf{I} \mathsf{I} \rangle \langle \mathsf{I} \rangle | \mathsf{I} \rangle \langle \mathsf{I} \rangle \langle$  $+ u_{2}_{1} + h_{1}_{1} + h_$  $\label{eq:constraint} $$ \sum_{i=1}^{t} \left( \left| \mathcal{A}_{i} \right| \right) = \left| \mathcal{A}_{i} \right| \\ $ \sum_{i=1}^{t} \left| \mathcal{A}_{i} \right| \\ $ \sum_{i=1}^{t}$  $\label{eq:linear} \label{eq:linear} \end{tabular} \label{eq:linear} \end{tabular} \label{eq:linear} \end{tabular} \label{eq:linear} \end{tabular} \end{tab$  $\sqcup (\mathsf{M}) = \mathsf{M}(\mathsf{M}) \\ \mathsf{M}($ ↓⊣\}□↓])∫u⟨]⊇)\[≀⊇□∫][{≀∇u⟨]\□\$∇[\$∩∫]□\$U□\$~|\\$  $] \langle \neg \nabla \neg ] \sqcup ] \nabla \rangle \ddagger \rangle \backslash \} \sqcup \Box f a \langle \neg \langle [\mathcal{N} \rangle \| \| ] \rangle \sqsupseteq \nabla \rangle \sqcup \rangle \backslash \} \swarrow$  $\mathcal{S} = \nabla \mathcal{A}_{\mathcal{I}} = \nabla \mathcal{A$ 

 $\mathcal{P} | \nabla \Box \sqsubseteq \rangle + \langle f \rangle | \partial f \Box | \partial f \Box | \partial f \Box | \partial f \rangle + \langle f$ 

 $\mathsf{Translower}(\mathsf{Translower}) = \mathsf{Translower}(\mathsf{Translower}) = \mathsf{Translower}(\mathsf{Translower})$ 

 $\exists \wr \nabla \ddagger [\mathit{f} \land \mathit{A} \mathit{f} \exists \mathit{f} \mathit{f} \mathit{f} ] \land \lor \mathsf{S} \land \exists \land \mathit{f} \lor \mathsf{f} \lor \mathsf{S} \land \mathsf{f} \lor \mathsf{f$  $\mathcal{C}(\mathbf{1}_{1}) = \mathcal{C}(\mathbf{1}_{1}) = \mathcal{C}$  $\mathcal{A}_{i}^{1}_{\mathcal{A}_{i}}^{1}_{\mathcal{A}_$  $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$  $+ \label{eq:constraint} + \l$  $\Box \langle \rceil \rangle \nabla ] \langle \neg \rangle \Box \rangle \langle \neg f \neg f \neg f \neg \langle \rangle f \Box \rangle \nabla \rangle ] \rangle \ddagger \rceil f \rangle ] \rangle \neg \uparrow \uparrow \langle \rangle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle f \Box \rangle \langle f \Box \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \rangle \langle f \Box \rangle \langle$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 

 $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\label{eq:constraint} \end{tabular} \end{t$  $\label{eq:constraint} $$ IC(A) = IC($  $\mathcal{C}(\mathsf{M}) = \mathcal{C}(\mathsf{M}) = \mathcal{C$  $\mathcal{C} \\ \\ \land \\ \neg \\ \mathcal{C} \\ \\ \mathcal{C} \\ \mathcal{$ 

( + ff) f ( Af ) ( + f) ( + $+ |2\nabla\rangle | + |20\rangle |$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\neg \uparrow \uparrow \langle \rangle f | \langle ] \nabla \} \dagger \sqcup i [] \{ ] \langle [ \rangle \backslash ] \rangle | [ \rangle \} ] \langle i \sqcap f \sqcap \langle [] \nabla_{\sqrt{\nabla}} \nabla \rangle \sqsubseteq \rangle \uparrow ] \} ] [ \Leftrightarrow \mathcal{Z} \sqcap \uparrow ] \backslash \backslash ] \sqsubseteq ] \nabla_{\sqrt{\nabla}} [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \uparrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \downarrow ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcap \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup ] \rangle | \langle ] \sqcup | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup ] \rangle | \langle ] \sqcup | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup ] \rangle | \langle ] \sqcup [ \circ \mathcal{Z} \sqcup ] \sqcup | \langle ] \sqcup | \langle$  $\int \langle \mathcal{I}_{\mathcal{I}} \| \mathcal{I}_{\mathcal{I}} \rangle = \int \{ \mathcal{I}_{\mathcal{I}} \rangle \\ \mathcal{I}_{\mathcal{I}} \| \mathcal{I}_{\mathcal$  $\mathcal{L} = \mathcal{C} =$ 

 $\exists \nabla \rangle \sqcup ] \nabla f \Leftrightarrow \mathcal{J} \sqcap \diamondsuit \land \exists \forall \mathcal{V} \land \exists \forall \mathcal{I} \land \mathcal{J} \sqcap \land \forall \mathcal{I} \land \forall \forall \mathcal{I} \land \forall \mathcal{$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \e$  $\mathcal{J} = \mathcal{W} =$  $\{ \mathbb{E} \left\{ \mathbb$  $\| \mathbf{A} = \mathbf{A}$ 

 $C\langle \mathsf{H}_{\mathsf{A}} \sqcup ] \nabla \mathcal{I}_{\mathsf{A}} \mathcal{I} \downarrow \rangle \rangle \nabla \mathsf{H} \sqcup \rangle \rangle \Leftrightarrow \mathcal{R} ] \mathcal{J} \mathsf{L} \mathsf{H} \backslash [ \sqcup \langle ] \mathcal{E} \downarrow ] \nabla \} ] \backslash \exists \mathsf{H} \mathcal{T} \sqcup \mathsf{f} \bullet \langle \mathcal{D} \rangle \mathcal{J} \mathsf{I} \sqcup \nabla \mathcal{J} ] \\ \mathcal{A} \downarrow ] \nabla \rangle \backslash [ \rangle \mathsf{H} \backslash f \Leftrightarrow \bigtriangleup \nabla^{\mathsf{K}} \bigtriangleup_{\mathsf{A}} ] \nabla ] ] \backslash \sqcup \Rightarrow \mathsf{H} \backslash [ \downarrow ] \mathcal{J} \sqcup \rangle \ddagger \mathsf{I} \mathcal{f} \Leftrightarrow \ni \mathsf{E}^{\mathsf{K}} \ni_{\mathsf{A}} ] \nabla ] ] \backslash \sqcup \Rightarrow \Leftrightarrow \{ \mathsf{I} \downarrow \uparrow \mathsf{I} \supseteq \exists \mathsf{I} \sqcup \uparrow \mathsf{I} \downarrow \land \mathsf{I} \land \mathsf{I}$ 

 $\sqrt[3]{\nabla_{1}} (1 + 1)$ M = $+ \text{III} = \frac{1}{\sqrt{2}} + \frac{1}{$  $\Box (\exists \mathcal{H} f_{i} = \forall i \in \mathbb{Z} ) \\ \Box (\Box (\exists d = \nabla f_{i}) ) \\ \Box (\Box (\exists d = \nabla f_{i}) ) \\ \Box (\Box (d = \nabla f_{i}) ) \\ \Box (\Box (d = \nabla f_{i}) ) \\ \Box (d = \nabla f_{i}) \\ \Box (d =$  $\mathcal{B} \nabla \exists \downarrow \downarrow \Leftrightarrow \sqcup \langle ] \downarrow \exists \nabla \} ] \int \sqcup \mathcal{C} \langle \rangle \backslash ] f ] ] \wr \Downarrow \Uparrow \sqcap \backslash \rangle \sqcup \dagger \rangle \backslash \mathcal{L} \exists \sqcup \rangle \backslash \mathcal{A} \Downarrow ] \nabla \rangle ] \exists \swarrow \mathcal{F} \sqcap \nabla \sqcup \langle ] \nabla \Downarrow \wr \nabla ] \Leftrightarrow$  $\exists \mathbf{\mathcal{P}} \in \mathcal{P}$ 

 $\mathcal{I} \setminus \langle \rangle f \langle \rangle f \sqcup \wr \nabla \rangle ] \dashv \downarrow f \sqcup \sqcap [ \dagger \mathcal{E} \S \sqcup \nabla ] \Downarrow \wr \mathcal{O} \nabla \rangle ] \setminus \sqcup ] \dagger ] \downarrow \mathcal{P} ] \nabla \mathfrak{u} ] \setminus ] \downarrow f \rangle \rbrace \downarrow \wr \mathcal{XVI} \Leftarrow \mathcal{T} \langle ] \mathcal{F} \dashv \nabla I \land \mathcal{V} I \leftarrow \mathcal{T} \langle ] \mathcal{F} \dashv \nabla I \land \mathcal{V} I \leftarrow \mathcal{T} \langle ] \mathcal{F} \dashv \nabla I \land \mathcal{V} I \leftarrow \mathcal{T} \langle ] \mathcal{F} \dashv \nabla I \land \mathcal{V} I \leftarrow \mathcal{T} \langle ] \mathcal{F} \dashv \nabla I \land \mathcal{V} I \leftarrow \mathcal{T} \langle ] \mathcal{F} \dashv \mathcal{V} I \leftarrow \mathcal{V$  $\mathcal{E} = \mathcal{E} =$  $\label{eq:constraint} $$ [ \Box \nabla \rangle \ ] \sqcup \langle ] \ ] \sqcup \Box \nabla \dagger \Leftrightarrow f \ ] \sqsubseteq ] \nabla \dashv \uparrow f \dashv \rangle \uparrow \uparrow ] f \ C \langle \rangle \ ] f \ ] \land ] \nabla \ ] \langle \dashv \ \sqcup f \uparrow \rangle \sqsubseteq \rangle \rangle \rangle$  $+ u \nabla u \nabla d = 1 \quad \text{for } v u \in \mathcal{P} \quad \text{for } v \in \mathcal{P} \quad \text{for } v$ M =
$$\label{eq:constraint} \begin{split} || \rangle || \rangle \\ || \rangle \\$$
 $\mathcal{P} = \mathcal{P} =$  $\mathcal{R} \wr [\nabla i] \exists \Leftrightarrow \mathcal{E} \sqcup \nabla ] [\wr f \infty \not A \Rightarrow_{\mathscr{L}} \mathcal{A} ] \wr \nabla [\rangle \setminus ] \sqcup \wr \mathcal{I} \exists \neg f \neg \| \rangle \Leftrightarrow [\dagger \infty \not A \ni \Leftrightarrow \sqcup \langle ] \nabla ] \exists ] \nabla ]$  $\infty \otimes (\mathcal{A}_{f}) = (\mathcal{A}_{f}) =$  $+ \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U \rangle \\ + \left[ \int U \langle \neg U \rangle \right] U \langle \neg U$   $\forall \nabla [] \nabla f \exists \langle i \langle \neg [ \ddagger \rangle \sqsubseteq ] [ \rangle \backslash \sqcup \langle ] \mathcal{F} \neg \nabla \mathcal{E} \neg f \sqcup \swarrow \mathcal{S} \rangle \ddagger \sqsubseteq ] \nabla_{\sqrt{1}} f i f \rangle \backslash \sqcup ] [ \rangle \backslash \mathcal{L} \rangle \ddagger \neg \neg f i f i \rangle \land \mathcal{L} \rangle \ddagger \neg \neg f i f i \rangle \land \mathcal{L} \rangle \ddagger \neg \neg f i f i \rangle \land \mathcal{L} \rangle = 0$  $\mathcal{B} = \mathcal{C} =$  $\mathcal{S} = \left[ \nabla \left( \left\{ \neg \right\} \right] \left\{ \neg \right] \left\{ \neg \right\} \left\{$ 
$$\label{eq:constraint} \begin{split} & \label{eq:constraint} \sqrt{\left\{\nabla \left( \mathcal{D} \right) \left( \nabla \left( \mathcal{D} \right) \left( \nabla \left( \mathcal{D} \right) \right) \left( \nabla \left( \mathcal{D} \right) \right) \left( \nabla \left$$
 $\neg \exists t = \nabla \exists t = \nabla \exists t = \nabla \forall \mathcal{B} = \nabla \mathcal{B} = \nabla \forall \mathcal{B} = \nabla \mathcal{B} = \nabla \forall \mathcal{B} = \nabla \forall \mathcal{B} = \nabla \forall \mathcal{B} =$  $\Box \nabla \neg []_{\mathscr{L}} \in \mathcal{W} \neg (\Box ) \mathcal{L} = \mathcal{U} \neg (\Box ) \neg (\Box ) \mathcal{L} = \mathcal{U} \neg (\Box ) \neg (\Box ) \mathcal{U} \neg (\Box ) \neg (\Box ) \mathcal{U} \neg (\Box ) \neg (\Box ) \neg (\Box ) \mathcal{U} \neg (\Box ) \neg (\Box$  $\Leftarrow \uparrow \mathcal{I} \setminus \sqcup \nabla \wr [\Box] \sqcup \rangle \wr \land \uparrow \in \Rightarrow \swarrow \mathcal{A} \mathsf{f} \sqcup \wr \sqcup \langle ] \bigvee \Box \mathsf{f} \langle \{ \dashv J \sqcup \wr \nabla \mathsf{f} \Leftrightarrow \wr \sqsubseteq ] \nabla \bigvee \neg \uparrow \dashv \sqcup \rangle \wr \land \Leftrightarrow ] \S \sqcup \nabla ] \$ ]$  $\label{eq:constraint} \text{Constraint} = \mathbb{C}^{\text{Constraint}} = \mathbb{C}^$  $\mathcal{J} \vdash_{\mathcal{I}} \mathcal{H} \mid \mathcal{J} \mid \mathcal{W} \vdash \nabla \Leftarrow \infty \forall \exists \bigtriangleup \forall \exists \bigtriangledown \Rightarrow \Leftrightarrow \exists \backslash [\sqcup \langle ] \mathcal{B} \wr \S ] \nabla \mathcal{R} \mid [] \updownarrow \Diamond \rangle \land \Leftarrow \infty \forall \exists \forall \nwarrow \infty \exists \mathcal{U} \Rightarrow \mathcal{H} \mid \mathcal{L} \mid \mathcal{L}$ 

 $\mathcal{I} \setminus \langle \rangle f \} \nabla \wr \Box \setminus [ \lfloor \nabla \rceil \dashv \Vert \rangle \setminus \} f \sqcup \Box [ \dagger \mathcal{C} \langle \rangle \setminus ] f ] \mathcal{B} \wr \setminus [ \dashv \} \rceil \rangle \setminus \mathcal{P} ] \nabla \Box \Leftarrow \infty \exists \bigtriangledown \infty \Rightarrow \Leftrightarrow \mathcal{W} \dashv \sqcup \sqcup \mathcal{I} \setminus \{ \forall \} \}$  $\mathcal{S} \sqcup \exists \exists \exists \forall \sqcup \sqrt{\nabla} \wr \sqsubseteq \rangle [] f \sqcup \langle ] [\exists \sqcup ] \exists \langle ] \backslash \sqcup \langle ] \ddagger \exists f \rangle \sqsubseteq ] \mathcal{C} \langle \rangle \backslash ] f ] \ddagger \rangle \} \nabla \exists \sqcup \rangle \wr \langle f \sqcup \wr \mathcal{P} ] \nabla \sqcap [] \} \exists \langle \neg \rangle \land f \sqcup \langle P ] \nabla \sqcap [] \} \exists \langle \neg \rangle \land f \sqcup \langle P ] \nabla \sqcap [] \} \exists \langle \neg \rangle \land f \sqcup \langle P ] \nabla \sqcap [] \} \exists \langle \neg \rangle \land f \sqcup \langle P ] \nabla \sqcap [] \} \exists \langle \neg \rangle \land f \sqcup \langle P ] \sqcup \langle P ] \land f \sqcup \langle P ] \sqcup \sqcup \langle P ] \sqcup \langle P ] \sqcup \sqcup \sqcup \sqcup \langle P ] \sqcup \sqcup$  $\uparrow \mathcal{M} \dashv \exists \mathcal{E}_{\mathcal{L}} [] \uparrow \dashv \mathcal{H} \nabla \nabla ] \Leftrightarrow \ddagger ] \ddagger [] \nabla \wr \{ \sqcup \langle ] \mathcal{C} \langle \dashv \ddagger [] \nabla \wr \{ \mathcal{D} ]_{\sqrt{\square}} \cup \rangle ] f \Leftrightarrow_{\sqrt{\square}} \nabla ] f ] \setminus \sqcup ] [\sqcup \wr \sqcup \langle ]$  $\label{eq:constraint} \int [\mathcal{L}] + \int \langle \rangle - 4 \langle \nabla \mathcal{L}] + \int \langle \rangle - 4 \langle \nabla \mathcal{L}] + \int \langle \rangle - 4 \langle \nabla \mathcal{L}] + \int \langle \rangle - 4 \langle \nabla \mathcal{L}] + \int \langle \rangle - 4 \langle \nabla \mathcal{L}] + \int \langle \rangle - 4 \langle \nabla \mathcal{L}] + \int \langle \nabla \mathcal{L} + \langle \nabla \mathcal{L}] + \int \langle \nabla \mathcal{L} + \langle \nabla \mathcal{L}] + \int \langle \nabla \mathcal{L} + \langle \nabla \mathcal{L}] + \int \langle \nabla \mathcal{L} + \langle \nabla \mathcal{L}] + \int \langle \nabla \mathcal{L} + \langle \nabla \mathcal{L}] + \int \langle \nabla \mathcal{L} + \langle \nabla \mathcal{L} + \langle \nabla \mathcal{L}] + \int \langle \nabla \mathcal{L} + \langle \nabla \mathcal{L$  $\mathcal{P} = \mathcal{P} =$  $]\rangle \} \langle \sqcup \nwarrow \dagger ] \dashv \bigtriangledown \ddagger \exists \land \Box \bigtriangledown \dashv \exists \sqcup f \neg \uparrow \mathcal{W} \rangle \sqcup \langle \sqcup \langle ] \checkmark \dashv f \dashv \rbrace ] \wr \{ \sqcup \langle ] \simeq \mathcal{C} \langle \rangle \backslash ] f ] \mathcal{L} \dashv \exists \simeq \sqcup \langle ] f \sqcup \dashv \rbrace ]$ 

$$\begin{split} + & (1 \cup 1) \\ + & (1 \cup 1)$$

 $\exists \neg f f | u \{ \wr \nabla u \langle ] \rangle | u \nabla \iota [ \neg ] u \rangle \langle \rangle | u \land u \langle ] ] \wr \neg u \nabla f \wr \{ u \langle ] \mathcal{C} \langle \rangle | f | \uparrow \neg [ \wr \nabla ] \nabla \Leftrightarrow \wr \nabla ] \wr \wr \uparrow \rangle ] \Leftrightarrow$  $\mathcal{P}]\nabla \Box_{\mathcal{L}} \swarrow_{\mathcal{L}} \{ \exists \texttt{I} \neq \texttt{I} \land \texttt{I} = \texttt{I} \land \texttt{I} \land$  $\Box \setminus \nabla ] ] [] \setminus \Box ] [ \langle V \cup H \rangle ] \langle J + \langle T \cup V \cup T \rangle ] \langle T \cup V \cup V \rangle \langle A \{ \nabla \rangle ] H \setminus A \{ \nabla A \{$  $\texttt{f}^{+}_{I} = \texttt{f}^{+}_{I} = \texttt{f}$  $\mathcal{E} \sqcap \nabla \wr \mathcal{I} \dashv \mathcal{I} \land \mathcal{I$  $+ \left(2 \right) \nabla \int \left[ 1 \right] \left( 1 \right) \left( 1 \right) \left( 2 \right) \left( 2 \right) \nabla \left( 2 \right) \nabla$  $\infty \exists \in \mathcal{C} \\ \forall \exists f \\ \forall t \\ \forall f \\ \forall$  $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$  $| \langle f | \Pi \Box \rangle | \langle f | f \Box \rangle \rangle | f \Box \rangle \nabla | f$ 

 $\int \nabla \Box - d \left( d \left( J \right) \right) \left( \nabla - d \left( \uparrow \right) \right) \left( D \right) \left( J \right$  $\mathcal{T}_{1}^{\mathbf{T}_{1}} = \mathcal{T}_{1}^{\mathbf{T}_{1}} = \mathcal{T}_{1}^{\mathbf{T}_{1}} + \mathcal{T}_{1}^{\mathbf{T}_{1}}$  $\neg [i \neg \nabla [\Box \langle ] \mathcal{D} \neg \langle f \langle \rangle \mathcal{F} \nabla ] [] \nabla \rangle ] \| \mathcal{W} \rangle \ddagger \langle ] \ddagger \wr \backslash \mathcal{O} ] \sqcup \wr [] \nabla \infty \bigtriangledown \Leftrightarrow \infty \forall \triangle \exists \Leftrightarrow \exists \langle ] \backslash ] ] \sqcup \langle ] \dagger$  $\infty \forall \nabla \prime \Leftrightarrow \mathcal{E}_{i}^{I} \dashv \mathcal{L} \nabla \wr \Box \} \langle \sqcup \in \bigtriangleup \infty \\ \uparrow \wr \lor \nabla ] \\ \downarrow \wr \downarrow \rangle ] \\ \mathcal{L} \dashv \mathcal{L} \vee \mathcal{L} \dashv \mathcal{L} \vee \mathcal{L} \dashv \mathcal{L} \vee \mathcal{L} \dashv \mathcal{L} \dashv \mathcal{L} \dashv \mathcal{L} \vee \mathcal{L$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\mathcal{C}(\mathsf{A}) = \mathcal{C}(\mathsf{A}) = \mathcal{C$  $\Leftarrow \texttt{A} = \texttt{A}$  $\mathcal{S}_{\texttt{p}} = \mathcal{S}_{\texttt{p}} =$  $\mathcal{S} = \mathcal{S} =$ 

 $\mathcal{M} \\ \\ \mathcal{J} \\ \mathcal{J}$  $\infty \forall \nabla \mathbf{1} + \left[ \mathcal{J} = \mathcal{I} + \mathcal{I}$  $[\mathcal{L}] \oplus \mathbb{A} \to \mathbb{A}$  $\underline{\langle \rangle \rangle} \nabla d \underline{\langle \rangle d} = \frac{1}{2} \frac{1}$  $\mathcal{T}(\exists \cup \mathcal{N}] [ \exists \mathcal{B}] \mathcal{A} \sqsubseteq \mathcal{V} [ ] [ \Rightarrow \Leftrightarrow ) \setminus \exists \langle \rangle | \langle \langle ] \sqcup \nabla \rangle ] \exists \cup \mathcal{V} ] \sqsubseteq \exists \neg \downarrow \sqcup \langle ] [ \exists \setminus \} ] \nabla f \mathcal{E}(\mathcal{C} \rangle \setminus ] f ]$  $\mathcal{C}(\mathsf{i})] \Leftrightarrow [\mathsf{u}(\mathsf{i})] \cong \mathsf{i}(\mathsf{u}(\mathsf{i})) \cong \mathsf{i}(\mathsf{u}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{u}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}(\mathsf{i}) \otimes \mathsf{i}(\mathsf{i})) \otimes \mathsf{i}($  $\mathcal{A}\{\Box \ | \nabla f \ | \Box \ | \nabla d \ | \Box \ | \nabla d \ | \Box \ | \nabla d \ | \Box \$ 

A = $(\Box()) + J \Box = \nabla \infty ] (C) + [\Box()] / (C) + [\Box()] / (C) + [\Box()] + [(\Box()] + [\Box()] + [(\Box()]) + [$  $\int_{-\infty}^{+\infty} |\nabla_{-\infty} \nabla_{-\infty} \nabla_{-\infty}$  $\label{eq:linearized_states} \label{eq:linearized_states} \\ \label{eq:linearized_states} \label{eq:linearized_states} \\ \label{eq:linearized_states} \label{eq:linearized_states} \label{eq:linearized_states} \label{eq:linearized_states} \\ \label{eq:linearized_states} \label{l$  $\texttt{Cint}(\mathcal{A}) = \texttt{Cint}(\mathcal{A}) = \texttt{Cint}(\mathcal{A}$  $\label{eq:constraint} \int_{-1}^{+1} |\langle \rangle \rangle \\ \int_{-1}$  $\Leftarrow \infty \ni \mapsto \swarrow \mathcal{R} \wr \lceil \nabla i \rceil \exists \mathcal{P} \dashv \mathcal{J} \sqcup \wr \nabla \rfloor \nabla \rceil \lceil \rangle \sqcup \mathcal{J} \sqcup \langle ] \mathcal{C} \langle \rangle \backslash \rceil \mathcal{f} \rceil \{ \wr \nabla \sqcup \langle \rceil \} \nabla \rceil \dashv \sqcup \mathcal{J} \sqcup \mathcal{J} \sqcup \mathcal{f} \wr \{ \mathcal{P} \rceil \nabla \sqcap \sqsubseteq \rangle \dashv \backslash \exists \mathcal{P} \dashv \mathcal{L} \land \forall \mathcal{P} \land \mathcal{L} \land \forall \mathcal{P} \land \mathcal{L} \land \forall \mathcal{P} \land \mathcal{L} \land \mathcal{L} \land \forall \mathcal{P} \land \mathcal{L} \land \mathcal{L} \land \mathcal{L} \land \mathcal{L} \land \forall \mathcal{L} \land \mathcal{L}$  $] + \int U + \uparrow + \nabla ] = \nabla + U =$  $\texttt{E} [ \nabla \dagger \langle \rangle \} \langle \mathbf{n} \nabla \rangle ] [ ] ] \texttt{H} [ \mathbf{n} f ] \Leftrightarrow \texttt{H} [ \mathbf{n} f ] \setminus \texttt{H} [ \nabla \nabla ] \nabla \texttt{H} \nabla ] \texttt{E} ] \texttt{H} [ \mathbf{n} f ] \cup \texttt{E} ] ] \setminus \infty \forall \triangle \exists$ 

I = $\int_{-1}^{+1} \left[ \int_{-1}^{+1} \left( -1 \right) \left$  $\label{eq:constraint} $$ $ \ \mathcal{Y} = \mathcal{Y} =$ 
$$\label{eq:constraint} \begin{split} |1\rangle|_{1}\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1}\langle|1\rangle|_{1$$
 $- \int \int \langle |\nabla \rangle \rangle \langle |\nabla \rangle \rangle \langle |\nabla \rangle \rangle \langle |\nabla \rangle \rangle \langle |\nabla \rangle \langle |\nabla \rangle \rangle \langle |\nabla \rangle \langle |\nabla \rangle \langle |\nabla \rangle \langle |\nabla \rangle \langle |\nabla \rangle \rangle \langle |\nabla \rangle \langle |\nabla \rangle \langle |\nabla \rangle \rangle \langle |\nabla \rangle \langle$  $\wr \nabla \underline{]\langle\rangle} \{ \exists \underline{f} \Leftarrow \mathcal{S} \rangle \land \mathcal{I} \land \mathcal{P} ] \nabla \Box \underline{\sqsubseteq} \rangle \exists \langle \nabla ] \underline{f} \sqcup \exists \Box \nabla \exists \langle \Box f \Rightarrow \mathcal{I} \land \mathcal{I} \rangle \underline{f} \exists \Box \cup \langle f \sqsubseteq ] \nabla \dagger (1 \land \mathcal{I} ) \land \mathcal{I} \sqcup \Box \land f \exists \Box A \land \mathcal{I} \rangle \\ \exists \Box A \land \mathcal{I} \land$ 

 $\label{eq:point_states} \end{tabular}$  $\{ \forall \mathsf{A} = \mathsf{$  $\underline{|\rangle} + \underline{|} +$  $\label{eq:linearized_states} \begin{tabular}{l} \label{eq:linearized_states} \end{tabular} \label{eq:linearized_states} \end{tabular} \begin{tabular}{l} \label{eq:linearized_states} \end{tabular} \end{tabular} \begin{tabular}{l} \label{eq:linearized_states} \end{tabular} \end{tabular} \end{tabular} \end{tabular} \begin{tabular}{l} \label{tabular} \label{tabular} \end{tabular} \end{tab$  $\int_{\mathbb{T}} d_{1} \int_{\mathbb{T}} \nabla_{1} \int_{\mathbb{T}} \nabla_{1} \int_{\mathbb{T}} \nabla_{1} \int_{\mathbb{T}} d_{1} \int_{\mathbb{T}} \nabla_{1} \int_{\mathbb{T}} d_{1} \int_{\mathbb{T}} \nabla_{1} \int_{$  $\infty \triangle \Rightarrow$  $\mathcal{T}_{\text{I}}^{\text{I}} = \mathcal{T}_{\text{I}}^{\text{I}} = \mathcal{T}_{\text$ 

 $\mathcal{T} \\ ( \Box f \Leftrightarrow \mathcal{S} \sqcup ] \exists \neg \nabla \sqcup \amalg \Box \sqcup \Box \sqcup ] f \neg \sqcup ] f \land \sqcup [ \rangle \sqcup \wr \nabla \rangle \neg \ddagger \{ \nabla \wr \Uparrow \neg \mathcal{P} ] \nabla \Box \sqsubseteq \rangle \neg \land \land \Box f \land \neg \neg \neg \nabla \Leftrightarrow \exists \langle ] \nabla ] \sqcup \langle ] \\ ( \Box f \leftrightarrow \mathcal{S} \sqcup \Box \sqcup \Box \sqcup \Box \sqcup \Box \sqcup \Box ) f \neg \sqcup \langle ]$ 

 $\Box = \int [\Box \langle \mathcal{C} \rangle \langle \mathcal{C} \rangle ] d = \int [\Box \langle \mathcal{C} \rangle \langle \mathcal{C} \rangle$ 

 $\sqrt{\nabla} = \frac{1}{2} \left( \frac{1}{2} \left( \frac{1}{2} \left( \frac{1}{2} \left( \frac{1}{2} \right) \right) \right) \right) \left( \frac{1}{2} \left( \frac{1}{2} \left( \frac{1}{2} \right) \right) \right) \left( \frac{1}{2} \left( \frac{1}{2} \right) \left($  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\texttt{eq:linear} = \texttt{eq:linear} = \texttt{eq$  $\mathcal{P} ] \nabla \Box \sqsubseteq \rangle \dashv \langle \mathbf{j} \rangle \Diamond \langle \mathbf{j} \rangle \vee \langle \mathbf{j} \rangle \nabla \langle \Box \nabla \Box \mathbf{j} \uparrow \langle \nabla \mathbf{j} \dashv \langle \nabla \mathbf{j} \dashv \langle \mathbf{j} \rangle \rangle \rangle \rangle \land \langle \mathbf{j} \dashv \langle \mathbf{j} \lor \nabla \rangle ] \mathbf{j} \sqcup \langle \mathbf{j} \lor \langle$  $\label{eq:point_linear} $$ \ \mathbb{P}^{\mathbf{D}} = \mathcal{P}^{\mathbf{D}} =$  $\mathcal{B} ] f \rangle [] f \sqcup \langle ] \dashv \nabla \nabla \rangle \sqsubseteq \dashv \ddagger \wr \{ \underline{f \dashv \backslash} \ddagger ] f \rangle \backslash \sqcup \langle ] f \rangle \S \sqcup ] ] \backslash \sqcup \sqcup \cup [] \backslash \sqcup \sqcap \nabla \dagger \dashv \backslash [\sqcup \langle ] \ddagger \dashv f f \rangle \sqsubseteq ]$  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular$  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \end$  $\sqcup \langle i \sqcap f \dashv \backslash \lceil f \wr \{ \nabla \rceil \ddagger \dashv \sqcup \rangle \sqsubseteq \rceil f \dashv \backslash \lceil \{ \nabla \rangle \rceil \backslash \lceil f \wr \{ \sqcup \langle \rceil \nabla \rceil \rfloor \rceil \backslash \sqcup \ddagger \ddagger \{ \nabla \rceil \rceil \lceil \rangle \land \lceil \rceil \sqcup \sqcap \nabla \rceil \lceil \mathcal{C} \langle \rangle \backslash \rceil f \rceil$  $\label{eq:point_prod} $$ |UV]_V = \mathcal{D}(\mathcal{D}) = \mathcal{D}(\mathcalD) = \mathcal{D}(\mathcalD) = \mathcalD(\mathcalD) = \mathcalD(\mathcalD) = \mathcalD(\mathcalD) = \mathcalD(\mathcalD) = \mathcalD$  $\nabla ] \exists \mathcal{H} \to \mathcal{H} \to$ 

 $\Leftrightarrow \uparrow \mathcal{T} \sqcap f \land \mathcal{L} \Rightarrow \\ \mathcal{I} \sqcup \langle \neg f [] \land f \sqcup \rangle \Leftrightarrow \dashv \Box [ \sqcup \langle \neg \Box \cup \langle \neg \nabla \rceil \neg \nabla \neg \langle \Box \neg f \neg \langle \neg f \land \langle \Box \rangle \land \langle \neg f \neg \langle \neg f \neg \langle \Box \rangle \land \langle \neg f \neg \langle \neg f \neg \langle \Box \rangle \land \langle \neg f \neg \langle \neg f \neg \langle \neg f \neg \langle \Box \rangle \land \langle \neg f \neg \langle f \neg$ 

 $\mathcal{P}]\nabla\Box\mathcal{I}\langle\mathcal{I}\rangle = \mathcal{P}[\nabla\Box\mathcal{I}\rangle\langle\mathcal{I}\rangle]\langle\mathcal{I}\rangle = \mathcal{P}[\nabla\Box\mathcal{I}\rangle\langle\mathcal{I}\rangle] = \mathcal{P}[\nabla\Box\mathcal{I}\rangle\langle\mathcal{I}\rangle\langle\mathcal{I}\rangle] = \mathcal{P}[\nabla\Box\mathcal{I}\rangle\langle\mathcal{I}\rangle\langle\mathcal{I}\rangle] = \mathcal{P}[\nabla\Box\mathcal{I}\rangle\langle\mathcal{I}\rangle\langle\mathcal{I}\rangle] = \mathcal{P}[\nabla\Box\mathcal{I}\rangle\langle\mathcal{I}\rangle\langle\mathcal{I}\rangle\langle\mathcal{I}\rangle] = \mathcal{P}[\nabla\Box\mathcal{I}\rangle\langle\mathcal{I}\rangle\langle\mathcal{I}\rangle\langle\mathcal{I}\rangle] = \mathcal{P}[\nabla\Box\mathcal{I}\rangle\langle\mathcal{I$  $\mathcal{V}] \uparrow \exists \mathcal{A} \uparrow \sqsubseteq \exists \nabla \exists \nabla \exists \nabla \Rightarrow \Leftrightarrow \exists \langle \rangle \rfloor \langle \rangle \backslash ] \uparrow \sqcap [] [] \forall \sqsubseteq \exists \nabla \land \mathcal{V} \land \mathcal{V} \exists \nabla \land \mathcal{V} \land \mathcal{$  $\mathcal{F}(\texttt{II}) = \mathcal{F}(\texttt{II}) =$  $\mathcal{W} \ \ \mathcal{U} \ \mathcal{U} \ \ \mathcal{U} \ \mathcal{U}$  $\label{eq:point_states} \label{eq:point_states} \lab$ V]\$⊣∫]≀  $\mathcal{C}(\mathsf{A} = \mathsf{A} = \mathsf{$ 

 $\sqrt{\nabla} f \left( \neg \nabla \mathcal{I} \right) \right) = \mathcal{I} \left( \neg \nabla \mathcal{I} \right) \left( \neg \nabla \mathcal{I} \right) \left( \neg \mathcal$  $\label{eq:constraint} = \frac{1}{2} + \frac{1}{2} +$  $\nabla \dashv \left( \left\{ \left\{ \nabla \right\} \middle\} \cup \left\{ \left\{ \left\{ \left\{ \left\{ U \right\} \right\} \right\} \right\} \right\} \cup \left\{ \left\{ \left\{ U \right\} \right\} \right\} \cup \left\{ \left\{ \left\{ U \right\} \right\} \right\} \right\} \cup \left\{ \left\{ \left\{ \left\{ U \right\} \right\} \right\} \right\} \cup \left\{ \left\{ \left\{ U \right\} \right\} \right\} \cup \left\{ \left\{ \left\{ U \right\} \right\} \right\} \right\} \cup \left\{ \left\{ \left\{ U \right\} \right\} \right\} \cup \left\{ \left\{ \left\{ U \right\} \right\} \right\} \right\} \cup \left\{ \left\{ \left\{ U \right\} \right\} \right\} \cup \left\{ \left\{ U \right\} \right\} \right\} \cup \left\{ \left\{ \left\{ U \right\} \right\} \right\} \cup \left\{ \left\{ U \right\} \right\} \right\} \cup \left\{ \left\{ U \right\} \right\} \right\} \cup \left\{ \left\{ U \right\} \right\} \cup \left\{ \left\{ U \right\} \right\} \cup \left\{ U \right$  $\mathcal{L} \dashv \sqcap f | \mathsf{L}^{\mathsf{T}} \mathcal{H} \lor \nabla \mathsf{T} \lor \mathsf{L}^{\mathsf{T}} \mathsf{L}^{\mathsf{T}}$  $\mathcal{A}_{1}^{1}_{1} \to \mathcal{A}_{1}^{1}_{1} \to \mathcal{A}_{1}^{1$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{constraint} \label{eq:constraint} \label{eq:constra$ 

 $\exists \sum (C_{i}) = |A_{i}(V_{i})| = |A_{i}$ 

 $\mathcal{L}^{\dagger}_{\mathcal{I}} = \mathcal{L}^{\dagger}_{\mathcal{I}} = \mathcal{L}^{\dagger}_{$  $\mathcal{G}] \setminus ] \nabla \dashv \updownarrow$  $\mathcal{C} = \mathcal{C} =$  $\nabla ] f ] \text{II} \mathcal{G} \sqcap \mathcal{G} \sqcap \mathcal{G} \land \mathcal{G} \land$  $\langle \neg \rangle$  $(\uparrow \uparrow \uparrow) = (\uparrow \downarrow ) = (\downarrow ) = (\downarrow$  $\Box \nabla \mathcal{O}_{\mathcal{A}} = \Box \nabla \mathcal{O}_{$  $\infty \triangle \infty \Rightarrow$  $\mathcal{J} = \mathcal{J} =$  $\mathcal{P}]\nabla\Box\Box\rangle \mathsf{A}(\mathsf{A}) \mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}) \mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}) \mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}) \mathsf{A}) \mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}) \mathsf{A}) \mathsf{A}) \mathsf{A}) \mathsf{A}(\mathsf{A}) \mathsf{A}) \mathsf{A}$ 

 $\mathcal{T}_{l}(1) = \mathcal{T}_{l}(1) =$ 

 $\Box(\mathbb{C}) = \mathbb{C}(\mathbb{C}) = \mathbb{C}(\mathbb$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{constraint} \label{eq:constraint} \label{eq:constra$  $\mathbf{y} = \mathbf{C} =$  $\Box(\mathbf{C}) = \nabla \Box_{\mathbf{C}} \nabla [\mathbf{C}] = \mathcal{C} [\mathbf{C}$  $\mathcal{M} = \texttt{M} =$ 

 $(\uparrow \mathcal{P}) \nabla \Box \subseteq (\neg \mathcal{P}) \neg \Box \Box (\neg \mathcal{P}) \neg \Box \Box (\neg \mathcal{P}) \neg \Box \Box (\neg \mathcal{P}) \neg \Box$ 

 $\mathcal{M} = \mathcal{M} =$  $[\nabla \rangle [] \nabla \rangle ] \int_{\mathcal{A}} \mathcal{A} [ \mathsf{Li} \langle \mathsf{Li} \rangle \mathcal{A} ] \\ ( \mathsf{Li} \langle \mathsf{Li} \rangle \mathcal{A} ) ] \\ ( \mathsf{Li} \rangle \mathcal{A} ) ]$  $\mathcal{S} \sqcap \nabla_{\mathcal{N}} \nabla \mathcal{I} \land \mathcal{I$  $\sqcup \langle ]\mathcal{C}] \backslash \sqcup \nabla \dashv \updownarrow \mathcal{M} \dashv \nabla \parallel ] \sqcup \wr \{\mathcal{L} \rangle \Uparrow \dashv \Leftarrow \sqcup \langle ] \backslash \parallel \backslash \wr \supseteq \backslash \dashv \int \mathcal{M} ] \nabla \rfloor \dashv \lceil \wr \lceil \uparrow \dashv \mathcal{C} \wr \backslash \rfloor \rceil_{\sqrt{}} \rfloor \rangle \delta \langle \Rightarrow \Leftrightarrow \supseteq ] \nabla ]$ 
$$\label{eq:constraint} \begin{split} & (1) \sqcup (1) \sqcup (2) \sqcup (2$$

 $\mathcal{I}_{\Box} \langle \exists \exists d \Leftrightarrow \in \mathcal{I}_{\Delta} \Rightarrow \Leftrightarrow \exists \langle \mathcal{I}_{\Box} \rangle \exists \mathcal{W} \rangle \rangle \simeq f \rangle \langle \exists \nabla \uparrow \exists \Box \rangle \exists \Leftrightarrow \underline{\mathcal{D}} [\uparrow \uparrow \downarrow \rangle ] \rangle [\exists \uparrow \downarrow \rangle ] \rangle [\exists \uparrow \downarrow \land \Box \rangle ] \rangle \langle \exists \nabla f \rangle f \Box ] \rangle [\exists \langle \Box \rangle \rangle f \uparrow ] \uparrow \rangle \langle \Box \rangle \rangle \rangle \langle \Box \rangle \rangle \rangle \langle \Box \rangle \mathcal{P} ] \nabla \Box \Box \rangle \exists \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \mathcal{P} ] \nabla \Box \Box \rangle d \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box$ 

J≀\$\$∏\\\⊔†∠∕

 $\mathcal{C} = \mathcal{J} = \mathcal{C} = \mathcal{J} = \mathcal{C} =$  $\mathcal{L} = \mathcal{L} =$  $\mathcal{T} = \mathcal{T} =$  $\exists i \forall \forall \forall \in \mathcal{R} \in \mathcal$ ltitle ltittet ltitle ltitle ltitle ltitle ltitle ltitle ltitle ltitle ltitl $\mathcal{T}_{1}^{1}_{\mathcal{A}} = \mathcal{T}_{1}^{1}_{\mathcal{A}} = \mathcal{T}_{1}^{1}_{\mathcal{A}}$  $\sqcup \langle ]\mathcal{C} \dashv \nabla \rangle \lfloor \lfloor ] \dashv \backslash \swarrow \mathcal{H} \wr \exists ] \sqsubseteq ] \nabla \Leftrightarrow \mathcal{H} \sqcap \nwarrow \mathcal{D} ] \mathcal{H} \dashv \nabla \sqcup \langle \dashv f J \sqcup \sqcap [ \rangle ] [ \sqcup \langle \rangle f \dashv \backslash \sqcup \rangle \nwarrow \mathcal{C} \langle \rangle \backslash ] f ]$  $\{ | \langle \langle \langle U \rangle | \langle \nabla U \rangle \rangle | \langle U \rangle | \langle \nabla U \rangle \rangle | \langle U \rangle | \langle U \rangle \rangle | \langle U \rangle | \langle U \rangle \rangle | \langle U \rangle | \langle U \rangle \rangle | \langle U \rangle | \langle U \rangle \rangle | \langle U \rangle | \langle U \rangle \rangle | \langle U \rangle | \langle U \rangle | \langle U \rangle \rangle | \langle U \rangle | \langle U$ 

 $\mathcal{T}(]_{1}(1)\cup_{1}(1)\cup_{2}(1$ 

 $\Box \langle ] \rangle \nabla \{ \Im [ \swarrow ]$  $\mathcal{C}(\mathsf{I}) = \mathcal{C}(\mathsf{I}) = \mathcal{C$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:con$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{constraint} \label{eq:constraint} \label{eq:constra$  $\{\Box \uparrow \uparrow \downarrow \wr \setminus \{ \rangle \nabla \uparrow \uparrow [ \Rightarrow \swarrow \mathcal{F} \wr \nabla \sqcup \langle \rangle \int \nabla \uparrow \dashv f \wr \land \Leftrightarrow \mathcal{R} \wr [\nabla i \} \Box ] \ddagger \mathcal{P} \dashv f \sqcup \wr \nabla \Leftarrow \underline{\mathcal{H}} | \wr f \triangle \ni \Rightarrow \dashv \backslash [$  $\neg \neg \nabla \nabla \models \exists [ \rangle \setminus \mathcal{P} ] \nabla \neg \neg f \uparrow f ] \\ \ \downarrow \rangle \land \land f \downarrow \neg \models \exists \nabla \uparrow \swarrow \uparrow \mathcal{T} \langle \exists \downarrow \neg \sqcup \sqcup \exists \nabla \langle \neg f ] f \sqcup \neg [ \downarrow \rangle f \langle \exists [ \sqcup \langle \exists [ \rangle \{ \{ \exists \nabla \exists \lor \downarrow ) f \rangle \} \rangle$  $[] \sqcup \exists ] ] \setminus [ \downarrow \dashv ] \| \mathcal{A} \{ \nabla \rangle ] \dashv \backslash f \downarrow \dashv \sqsubseteq ] \nabla \dagger \dashv \backslash [ \mathcal{C} \langle \rangle \backslash ] f ] f ] \downarrow \rangle^{\leftarrow} f \downarrow \dashv \sqsubseteq ] \nabla \dagger \rangle \setminus \mathcal{P} ] \nabla \sqcap \Leftrightarrow \dashv \nabla \} \sqcap \rangle \setminus \}$ 

$$\begin{split} & \left| \left( \left\{ 2\nabla \right\} \right) \right| \left( \left\{ 2\nabla \right\} \right) \right| \left( \left\{ 2\nabla \right\} \right) \left( \left\{ 2\nabla \right) \left( 2\nabla \right) \left( 2\nabla \right) \left( 2\nabla$$

 $\int_{\mathcal{A}} |u| \{ |u| |u| \leq |u| < |u|$  $+ \int |U \setminus \Box (1) \nabla (1)$  $f_{i} = \int c_{i} = \int c_{$  $\label{eq:constraint} $$ \int \left( \frac{1}{2} \nabla \right) \left$  $= \frac{1}{2} + \frac{$  $\neg \left[ \bigtriangleup_{\sqrt{2}} \nabla \right] \left[ \Box_{\sqrt{2}} \nabla \left[ \Box_{\sqrt{2$  $]\rangle \} \langle \sqcup \dagger ] \dashv \nabla f ] [ \langle \nabla f \rangle ] [ \langle \underline{\mathcal{H}} \rangle ] [ \langle \underline{\mathcal{H}} \rangle ] \langle \underline{\mathcal{H}} \rangle ] [ ] \nabla \ell f ] [ ] \nabla \ell f ] [ ] \langle \underline{\mathcal{H}} \rangle \langle \underline{\mathcal{H}} \rangle ] \langle \underline{\mathcal{H}} \rangle ] \langle \underline{\mathcal{H}} \rangle \langle \underline{\mathcal{H}} \rangle$ 

 $\label{eq:constraint} \end{tabular} \\ \end{t$  $\label{eq:linearized_states} $$ \label{eq:linearized_states} $$$  $| | \langle \rangle \nabla \exists \langle \nabla | | \langle f \rangle \rangle | \langle f \rangle \rangle | \langle f \rangle | \langle f \rangle | \langle f \rangle | f \rangle |$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathcal{V} = \mathcal{V} =$  $\Box \langle \neg \Box \uparrow [\uparrow \neg ] \| f \Leftrightarrow [\Box \nabla \rangle \rangle f \uparrow \neg \Box ] \nabla f \Leftrightarrow \langle \neg [ \backslash t \uparrow \neg ] \nabla f \land \Box \langle \neg \nabla \Box \langle \neg \neg ] \land \uparrow ] \emptyset \mathcal{C} \langle \rangle \backslash ] f ]$  $\langle \neg [ \exists \langle \rangle \sqcup ] \neg [ [ \uparrow \neg ] \|_{\mathcal{A}} \rangle \rangle \langle \uparrow \neg \in \mathcal{C} \forall \nabla \nabla ] \int_{\mathcal{A}} \langle \backslash [ \rangle \backslash ] \uparrow \Leftrightarrow \rangle \sqcup \exists \neg f [ \wr ] \Box ( \neg \sqcup \mathcal{C} \langle \rangle \backslash ] f ]$ M = $[ \dagger \mathcal{C} \rangle ] f ] \Leftrightarrow \sqcup \langle \wr f ] \supseteq \langle \wr \langle \dashv [ \ddagger \dashv \backslash \dashv \} ] [ \sqcup \wr \} \dashv \rangle \backslash \sqcup \langle ] \ddagger \dashv \backslash [ \wr \supseteq \backslash ] \nabla \simeq f \sqcup \nabla \sqcap f \sqcup \swarrow \mathcal{O} ] ] \sqcap \nabla \nabla \rangle \rangle \ddagger f f f$ 

 $\label{eq:constraint} $$ $ \left[ \left[ \left[ \left[ \left[ \left\{ \nabla \right\} \right] \right] \mathcal{C} \right] \right] \right] = \mathcal{C} \left[ \left[ \left[ \left\{ \nabla \right\} \right] \right] \mathcal{C} \right] \right] \\ $ \mathcal{C} \left[ \left[ \left[ \left\{ \nabla \right\} \right] \right] \mathcal{C} \left[ \left\{ \nabla \right\} \right] \right] \right] = \mathcal{C} \left[ \left[ \left\{ \nabla \right\} \right] \mathcal{C} \left[ \left\{ \nabla \right\} \right] \right] \\ $ \mathcal{C} \left[ \left\{ \nabla \right\} \right] \mathcal{$  $\mathcal{A} | \sqcap f ] f | \left[ \sqcap \nabla \right] [ | + \mathcal{C} \langle \rangle | f ] \rangle \mathcal{P} ] \nabla \sqcap \langle \dashv \sqsubseteq ] | ] | \downarrow ] \downarrow \downarrow [ \wr | \sqcap \downarrow ] | \downarrow \downarrow [ \land \mathcal{B} ] f \rangle [ ] f$  $+ |\langle 2 | \nabla | \nabla \rangle | \langle 2 | 2 \rangle | 2 \rangle | 2 \langle 2 \rangle | 2 \rangle$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\label{eq:linear} \\ \label{eq:linear} \\ \lab$ 

 $\texttt{M}_{\mathcal{A}} = \underline{\mathcal{A}} =$  $\label{eq:linearized_states} \end{tabular} \\ \label{eq:linearized_states} \end{tabular} \\ \label{eq:linearized_states} \end{tabular} \\ \end{$  $\label{eq:constraint} $ \sum_{i=1}^{n} \left\{ \int (\mathcal{A}_i) \left\{ \int ($  $+ \left[2 \right] \nabla f \simeq nf \left[2 \left(2 \right) \cap (1 - 1) \left(2 \right) \nabla n \right) \cup + \left[(1 - 1) \left(2 \right) \left(2 \right) \nabla n \right) \cup + \left[(1 - 1) \left(2 \right) \left(2$  $\nabla \texttt{Windows} = \nabla \texttt{Windows} + \mathcal{O} \texttt{Windows}$  $\label{eq:linear} $$ \sum_{i=1}^{1} \left( \nabla_i \right) \left( \sum_{i=1}^{i} \left( \sum_{$ 

 $\mathcal{L} = \int \mathcal{B} + \nabla \nabla \partial \mathcal{C} \langle \partial \langle \partial \langle \partial \rangle \rangle \otimes \exists \langle \partial \rangle | \langle [] \} + \langle U \rangle [] [U \rangle \langle \partial \nabla [\partial \mathcal{L}] \nabla ] \mathcal{D} ] \mathcal$ 

$$\label{eq:constraint} \begin{split} & \texttt{M}_{\text{C}} = \texttt{M}_{\text{C}} \\ & \texttt{M}_{\text{$$
 $\verb"$V$\mathcal{N} = \mathcal{Y} = \mathcal{$  $\mathcal{C}(\mathbf{1}) = \mathcal{C}(\mathbf{1}) = \mathcal{C$  $\mathcal{A}_{\text{A}} = \mathcal{A}_{\text{A}} =$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} \sum_{j \in \mathcal{I}} |\mathcal{I}_{j} = |\mathcal{I}_{j} + |\mathcal{I}_{j} = |\mathcal{I}_{j} = |\mathcal{I}_{j} + |\mathcal{I}_{j} = |\mathcal{I}$ 

 $\label{eq:constraint} []{} \label{eq:constraint} []{} \label{eq:constrain$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint$  $\mathcal{A} \end{tabular} \mathcal{A} \end{t$  $\left[ \left\{ \nabla_{\mathcal{A}} \left[ \left\{ \nabla_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \right] \right\} \right] \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \right\} \right\} \right\} \right] \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \right\} \right\} \right\} \right\} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \nabla_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \right\} \right\} \right\} \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \\ \left\{ \partial_{\mathcal{A}} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \\ \left\{ \partial_{\mathcal{A}} \left[ \left\{ \partial_{\mathcal{A}} \right\} \right\} \\ \left\{$  $\mathcal{A} \text{ for } \mathcal{A} \text{ for }$  $\mathcal{C}(\mathsf{M}) = \mathcal{C}(\mathsf{M}) = \mathcal{C$  $\mathcal{W}(\mathsf{L}) \Leftrightarrow \mathsf{U}(\mathsf{T}) \mathsf{V}(\mathsf{T}) \mathsf{V}(\mathsf{$  $\mathcal{I}_{j}^{+} = \mathcal{I}_{j}^{+} = \mathcal{I}$  $\nabla | \sqcup \dashv \rangle \ddagger \\ \nabla \langle \Box \ \checkmark \\ \mathcal{C} | \downarrow \rangle f \Box [ \Leftrightarrow \sqcup \langle ] \nabla ] \sqsupseteq ] \nabla \dashv \ddagger \\ \checkmark \\ \nabla \langle \sqcup \rangle f \sqcup f \rangle \backslash \sqcup \langle ] \downarrow \rangle \Box \backslash \sqcup \\ \nabla \dagger \\ \lfloor ] \dashv \Box f ]$ C =

+ IIV + IIV + IV + $\mathcal{C}\langle\rangle\backslash\dashv\sqcup\wr \sqsupseteq\backslash\checkmark$  $\underline{\mathcal{C}}_{\mathcal{T}}$  $\mathcal{Y} = \mathcal{I} =$  $\underline{\mathcal{S}}_{\mathcal{I}} = \underline{\mathcal{S}}_{\mathcal{I}} = \underline{\mathcal{I}}_{\mathcal{I}} = \mathcal{I}_{\mathcal{I}} = \mathcal{I}_$  $\mathcal{C}(\texttt{M}) = \mathcal{D}(\texttt{M}) = \mathcal{D$  $\mathcal{S}_{\texttt{p}} = \mathcal{S}_{\texttt{p}} =$ 

$$\begin{split} & \sqrt{\sqrt{-1}} + \nabla \sqrt{-1} \nabla - \left[ \frac{1}{2} + \frac{1}{2} \right] \nabla - \left[ \frac{1}{2} + \frac{1}{2} \right] \nabla \left[ \frac{1}{2} \right]$$

## $\mathcal{C}() \setminus ] f \mathcal{R} f / f \cup \mathcal{N}$

 $\mathcal{Y}_{\texttt{A}} \Rightarrow \Leftrightarrow \sqcup \langle ] \wr \uparrow [] \mathsf{f} \sqcup \mathcal{S} \rangle \langle \wr \nwarrow \mathcal{P} ] \nabla \sqcap \sqsubseteq \rangle \dashv \langle \Uparrow \dashv \} \dashv \ddagger \rangle \backslash ] \emptyset \rangle \sqcup \mathsf{f} \langle ] [ \rangle \sqcup \mathsf{f} \langle \rangle \nabla \mathsf{f} \sqcup \rangle \mathsf{f} \exists \urcorner \rangle \backslash$  $\mathcal{A}_{\texttt{p}} = \mathcal{A}_{\texttt{p}} =$  $\sqrt{\nabla} \\ \left[ \right] \\ \left[ \right]$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \la$  $\label{eq:constraint} $ \sqrt{(1)^{-1}} + \sqrt{\sqrt{2}} = \frac{1}{\sqrt{2}} + \frac{1}{\sqrt{$  $\sqrt{\nabla} f \left[ \left( - \int \left( - \right( - \right( - \right) \right)} \left($  $\nabla \left[ \sqrt{\nabla} f \right] \left[ \left\{ 2 \right\} \right] \\ \left\{ 2 \right\} \\ \left\{$  $+ \int f \left[ \left( \left[ \left\{ L \right] \right] \right] \right] \left[ \left\{ L \right\} \right] \left[ \left\{ L \right\} \right] \left[ \left\{ L \right\} \right] \left\{ L \right\} \right] \left[ \left\{ L \right\} \right] \left\{ L \right\} \right] \left[ \left\{ L \right\} \right] \left\{ L \right\} \right] \left\{ L \right\} \left[ \left\{ L \right\} \right] \left\{ L \right\} \right] \left\{ L \right\} \left\{ L \right\} \left\{ L \right\} \right\} \left\{ L \right\} \right\} \left\{ L \right\} \left\{ L$  $\leftarrow \uparrow \mathcal{T} \sqcap f \dashv \forall \mathcal{T} \land \forall \mathcal{T} \land f \dashv \Box \uparrow f \land \forall f \land f$ 

 $\mathcal{T}_{\mathcal{C}}^{\mathcal{C}}_{\mathcal{C}}^{\mathcal$  $\mathcal{A} f \mathcal{F} \cap j \dashv \cap \downarrow \sqcup \dashv \nabla \} \cap ] [ \rangle \setminus \underline{\mathcal{P}} \supseteq ] \nabla \propto \mathcal{K} \setminus i \supseteq \downarrow ] [ \} ] \Leftrightarrow \supseteq \langle ] \nabla ] \sqsubseteq ] \nabla \sqcup \langle ] \nabla ] \rangle f \bigvee \supseteq ] \nabla \Leftrightarrow \sqcup \langle ] \nabla ] \rangle f$  $+ \text{Im} (\nabla ) ) \text{Im} (\nabla ) \text{Im} (\nabla ) \text{Im$  $\label{eq:constraint} $$ \sum_{i=1}^{i} \nabla_{i} (i - i \nabla_{i}) \int_{\mathcal{A}} \mathcal{A} \mathcal{A} \mathcal{A} = \sum_{i=1}^{i} \left\{ \nabla_{i} \int_{\mathcal{A}} \mathcal{A} \mathcal{A} \right\} \\$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constrai$  $\mathcal{C} \\ \\ \\ \mathcal{D} \\ \mathcal{D$  $\nabla \texttt{M} = \texttt{M}$ 

 $\nabla \left[ \mathbf{1} \right] = \left[ \mathbf{1} \right] = \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] = \left[ \mathbf{1} \right] \left[ \mathbf{1} \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \left[ \mathbf{$  $\mathcal{H} [\nabla \nabla ] \nabla \dashv [] [] \nabla [] \dashv \langle ] \sqcup \rangle \cup \langle I \square [ \uparrow \rangle \sqcup \cup ] [ \rangle (\uparrow \dashv \sqcup ] \setminus ) \cup ] \setminus \sqcup \sqcup \nabla \uparrow \Leftrightarrow \exists \langle ] \setminus \sqcup \langle ]$  $\Box(\exists \texttt{I} \land \mathcal{T} \land \exists \forall \nabla \nabla) \sqsubseteq \exists \texttt{I} \land \texttt{I}$  $\label{eq:constraint} \\ \end{tabular} \\ \\ \end$  $\mathcal{B}^{1}_{\mathcal{I}} = \mathcal{C}^{1}_{\mathcal{I}} = \mathcal{C}^{1}_{$  $\mathcal{T}_{\Box} \Leftrightarrow \sqcup (] \mathcal{C}_{\langle\rangle}] f] \} \subseteq [\nabla \land ] \sqcup \Leftrightarrow ] \langle \nabla \nabla ] \sqcup \cup \langle ] \cup [\langle \neg \nabla \neg ] \sqcup \cup \langle \neg \nabla \neg ] \sqcup ] \nabla \rangle \ddagger [ \sqcup \langle \neg \nabla \neg ] \sqcup ] \nabla \rangle \ddagger [ \sqcup \langle \neg \nabla \neg ] \sqcup ] \nabla \rangle \ddagger [ \sqcup \langle \neg \nabla \neg ] \sqcup ] \nabla \rangle \ddagger [ \sqcup \langle \neg \nabla \neg ] \sqcup ] \nabla \rangle \ddagger [ \sqcup \langle \neg \nabla \neg ] \sqcup ] \nabla \rangle \ddagger [ \sqcup \langle \neg \nabla \neg ] \sqcup ] \nabla \rangle = [ \sqcup \langle \neg \nabla \neg ] \sqcup ] \nabla \rangle = [ \sqcup \langle \neg \nabla \neg ] \sqcup ] \nabla \rangle = [ \sqcup \langle \neg \neg \neg ] \sqcup ] \Box \cup [ \square \langle \neg \neg ] \sqcup ] \nabla \rangle = [ \sqcup \langle \neg \neg ] \sqcup [ \square \langle \neg \neg ] \sqcup ] \Box \cup [ \square \langle \neg \neg ] \sqcup ] \Box \cup [ \square \langle \neg \neg ] \sqcup ] \Box \cup [ \square \langle \neg \neg ] \sqcup ] \Box \cup [ \square \langle \neg \neg ] \sqcup ] \Box \cup [ \square \langle \neg ] \sqcup ] \Box \cup [ \square \langle \neg ] \sqcup ] \Box \cup [ \square \langle \neg ] \sqcup ] \Box \cup [ \square \langle \neg ] \sqcup ] \Box \cup [ \square \langle \neg ] \sqcup ] \Box \cup [ \square \langle \neg ] \sqcup ] \Box \cup [ \square \langle \neg ] \sqcup ] \Box \cup [ \square \langle \neg ] \sqcup ] \Box \cup [ \square \langle \neg ] \sqcup ] \Box \cup [ \square \cap ] \sqcup [ \square \cap ] \sqcup ] \Box \cup [ \square \cap ] \sqcup ] \Box \cup [ \square \cap ] \sqcup [ \square \cap ] \sqcup ] \Box \cup [ \square \cap ] \sqcup ] \Box \cup [ \square \cap ] \sqcup ] \Box \square [ \square \cap ] \sqcup [ \square \cap ] \sqcup ] \Box \cup [ \square \cap ] \sqcup ] \Box \square [ \square \cap ] \sqcup [ \square \cap ] \sqcup ] \Box \square [ \square \cap ] \sqcup ] \Box \square [ \square \cap ] \sqcup [ \square \cap ] \sqcup [ \square \cap ] \sqcup ] \Box \square [ \square \cap ] \sqcup ] \Box \square [ \square \cap ] \sqcup [ \square \cap ] \sqcup [ \square \cap ] \sqcup ] \Box \square [ \square \cap ] \sqcup [ \square \cap ] \sqcup [ \square \cap ] \sqcup [ \square ] \sqcup [$  $- \text{Im} \left[ - \text{Im} \left[ \left\{ \nabla \nabla \right\} \right\} \right] \left[ \left\{ \left\{ \mathcal{U} \right\} \right\} \right] \left[ \left\{ \mathcal{U} \right\} \right\} \right] \left[ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \mathcal{U} \right\} \right\} \right] \left[ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \mathcal{U} \right\} \right\} \right] \left[ \left\{ \mathcal{U} \right\} \right\} \right] \left[ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \left\{ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \left\{ \left\{ \mathcal{U} \right\} \right] \left[ \left\{ \left\{ \left\{ \left\{ \mathcal{U} \right\}$ 

 $\mathcal{A}_{j} \geq |\lambda\rangle = |\lambda\rangle =$  $\mathcal{C}(\mathsf{I}) \mathcal{P} \mathcal{V} \mathcal{V}(\mathsf{I}) \mathcal{P} \mathcal{V} \mathcal{V}(\mathsf{I}) \mathcal{V}(\mathsf{I})$  $\int_{1}^{1} \left( \frac{1}{2} \right) \left( \frac$  $\Box \{ \Box \} = \Box \{$  $\mathcal{W}] \ (\exists \mathcal{N} \exists \mathcal{N} \exists \mathcal{N} \exists \mathcal{L} \\ \exists \mathcal{L} \\ \mathcal{I} \\ \mathcal$  $|\{|\uparrow\uparrow\uparrow\rangle||\downarrow\rangle \sqcup \langle \sqcup \langle \uparrow \backslash \dashv f | \uparrow \backslash \sqcup \mathcal{P} | \nabla \sqcap \sqsubseteq \rangle \dashv \langle \rangle \} \langle | \wr \sqcap \nabla \} ] \wr \rangle f \rangle ] \checkmark \mathcal{S} \land \uparrow \neg \nabla \neg \nabla \neg \{ \neg \nabla \land \downarrow \} \langle \downarrow \land \neg \nabla \land \neg \nabla \neg \langle \neg \nabla \neg \langle \neg \nabla \neg \langle \neg \nabla \neg \rangle \rangle \rangle f \rangle ] \land \downarrow \mathcal{S} \land \uparrow \neg \nabla \neg \langle \neg \nabla \neg \langle \neg \nabla \neg \langle \neg \nabla \neg \langle \neg \nabla \neg \rangle \rangle \rangle f \rangle ] \land \downarrow \mathcal{S} \land \neg \nabla \neg \langle \neg \nabla \neg \langle \neg \nabla \neg \langle \neg \nabla \neg \rangle \rangle \rangle f \rangle = \mathcal{S} \land \mathcal{S} \land$  $\sqcup \langle \rangle f ] \wr \Box \setminus \sqcup \nabla \dagger \uparrow \Leftarrow \uparrow \mathcal{T} \Box f \sqcup f \uparrow \infty \bigtriangledown \bigtriangleup \Rightarrow \swarrow \mathcal{A} f \rangle \ddagger \rangle \ddagger \dashv \nabla \bigcup \Box \dashv f \mathcal{E} \ddagger$ 

 $\mathcal{T}_{\mathbf{0}} = \mathcal{T}_{\mathbf{0}} =$  $t^{1}_{\mathcal{A}} = \int \left\{ \frac{1}{2} \left\{$  $\frac{\mathcal{P}[\nabla \hat{\mathbf{u}}] \left( \left( \mathcal{V} \cup \mathcal{V}$  $\mathcal{E}_{1}^{1} = \mathcal{E}_{1}^{1} \mathcal$  $\mathcal{C} ] \downarrow ] [ \nabla \dashv \sqcup \rangle \wr \wr \{ \mathcal{I} \sqcup \mathcal{I} \setminus [ ] \downarrow ] \land \infty \exists \in \bigtriangleup \Rightarrow \Leftrightarrow \downarrow ] \land \downarrow ] [ \downarrow \uparrow \mathcal{D} \wr \nabla \dashv \mathcal{M} \dashv \dagger ] \nabla \Leftrightarrow \sqcup \langle ]$  $\infty \exists \in ! \Leftrightarrow \} \sqcap \rangle [] [ [ \dagger \langle ] \nabla \ddagger i \subseteq ] \{ i \nabla \langle \rangle \ddagger \Leftrightarrow f \langle ] ] \langle i f | \sqcup i \rfloor \langle \dashv \backslash \} ] \langle ] \nabla f \sqcap \nabla \backslash \dashv \ddagger ] \{ i \nabla \sqcup \langle ] \nabla f \sqcup i \{ \langle ] \nabla f \sqcup i \in I \} \}$  $\int_{\mathcal{A}} \left\{ \frac{1}{2} \left\{ \frac{1}{2} \left\{ \frac{1}{2} \right\} \right\} \right\} \left[ \frac{1}{2} \left\{ \frac{1}{2} \left\{ \frac{1}{2} \right\} \right\} \left[ \frac{1}{2} \left\{ \frac{1}{2} \right\} \right] \left[ \frac{1}{2} \left\{ \frac{1}{2} \left\{ \frac{1}{2} \left\{ \frac{1}{2} \right\} \right\} \right] \left[ \frac{1}{2} \left\{ \frac{1}$ 

 $\sqrt{\nabla (1)} \rightarrow \mathcal{M} \rightarrow (1) \rightarrow (1)$  $\exists \exists \forall f \in \mathbb{Z} \ \forall f \in \mathbb{Z} \$ 
$$\label{eq:constraint} \begin{split} |\nabla| | | \rangle \\ \mathcal{L} \\ \ddagger \neg \mathcal{Z} \\ \Leftrightarrow \\ \sqcup \neg \uparrow \mathcal{L} \\ \exists \neg \mathcal{L} \\ \exists \neg$$
 $\label{eq:constraint} $$ \sum_{i=1}^{n} \nabla_{i} \mathcal{M}_{i} = \sum_{i=1}^{n} \nabla_{i}$  $\label{eq:linearized_states} [\] \{ [\] \nabla \] \] [\] \cup (\] \cup [\] \cup [\] \cup (\] \cup [\] \cup (\] \cup [\] \cup (\] \cup (\\sqcup (\) \cup ($  $\Box(\mathsf{U}_{\mathsf{U}}) \Box(\mathsf{S}_{\mathsf{U}}) \Box(\mathsf{T}_{\mathsf{U}}) \Box(\mathsf{T}_{\mathsf{U})}) \Box(\mathsf{T}_{\mathsf{U}}) \Box(\mathsf{T}_{\mathsf{U}}) \Box(\mathsf$  $+ 2 \left( - \frac{1}{2} \right) + \left( - \frac$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathcal{S} \sqcup \dashv \sqcup ] \mathfrak{f} \Leftrightarrow \dashv \mathfrak{I} \sqcup \nabla \dagger \sqsupseteq \langle \mathfrak{f} \rceil \dashv \sqcup \rangle \land \mathcal{C} \langle \rangle \backslash ] \mathfrak{f} ] \checkmark \nabla ] | \Box [ \rangle ] ] \rangle \mathfrak{f} \Leftrightarrow \rangle \backslash \langle ] \nabla \sqsubseteq \rangle ] \sqsupseteq \Leftrightarrow \{ \mathfrak{I} \nabla \sqcup \dagger \dagger ] \dashv \nabla \mathfrak{f}$ P =

 $\mathcal{P}]\nabla {\rm ext}$  $\mathcal{T}_{1}^{1} = \mathcal{T}_{2}^{1} = \mathcal{T}$  $\label{eq:point_product} \label{eq:point_product} \\ \label{eq:point_product} \label{eq:point_product} \\ \label{eq:point_product} \label{eq:point_product} \label{eq:point_product} \\ \label{eq:point_product} \label{eq:point_product} \\ \label{eq:point_product} \label{eq:point_product} \label{eq:point_product} \label{eq:point_product} \label{eq:point_product} \\ \label{eq:point_product} \label{eq:point_product} \label{eq:point_product} \label{eq:point_product} \label{eq:point_product} \label{eq:point_product_product} \label{eq:point_product} \label{eq:point_product} \label{eq:point_product} \label{eq:point_product_product} \label{eq:point_product_product_product} \label{eq:point_product_p$  $\label{eq:point_states} $$ \sqrt{2} + \nabla \int \int \left[ \left[ \frac{1}{2} - \frac{1}{2} \right] \right] \\ $ \sqrt{2} + \nabla \int \left[ \frac{1}{2} - \frac{1}{2} \right] \\ $ \sqrt{2} + \frac{1}{2} + \frac{1}$  $] \langle l = 1 \\ | l = 1 \\ |$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\label{eq:constraint} $ \sum_{i=1}^{n} \left( \frac{1}{C_i} \right) \left( \frac{1}{$  $\Box \nabla \neg \neg \neg \forall \mathcal{S} = \mathcal{$  $\nabla \left[ \int_{1} \left[ \left[ \neg \right] \right] \right] \\ \Leftrightarrow \nabla \left[ \neg \left[ \left[ \neg \right] \right] \\ \Leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \leftrightarrow \nabla \left[ \neg \left[ \neg \right] \right] \\ \rightarrow \left[ \neg \left[ \neg \right] \right]$ 

 $\begin{aligned} & \left\{ \nabla \right\} + \left\{ \left\{ \left\{ \nabla \right\} + \left\{ \left\{ \left\{ U \right\} \right\} + \left\{ U \right\} \right\} + \left\{ \left\{ U \right\} + \left\{ U \right\} + \left\{ U \right\} + \left\{ \left\{ U \right\} + \left\{ U \right$ 

 $\Box(\exists \exists \Box \langle D \forall J \rangle \land \Box \nabla \exists f \Box f \Leftrightarrow \exists f [ \rangle [ \mathcal{A} \land \Box \rangle \rangle \mathcal{C} \langle \Box \{ \exists \Box \mathcal{L} \exists \Box \nabla \rangle \land \langle \rangle f \mathcal{A} \Box \langle \Box \rangle \langle \rangle f \Box \delta \nabla \rangle ] \rangle []$  $\underline{\uparrow ! f } \langle \land ! f | \ C \sqcap [ \dashv \Leftarrow \mathcal{H} \rangle f \sqcup ! \nabla \rangle ] \dashv \ddagger \mathcal{N} ! \sqcup ] f \dashv [ ! \sqcap \sqcup \sqcup \langle ] \mathcal{C} \langle \land | f | \rangle \setminus C \sqcap [ \dashv \emptyset \infty \exists \in \mapsto \Leftrightarrow \sqcup \langle ]$  $\nabla \exists \mathbf{C} \langle \mathbf{C} \rangle \\ f \\ \mathbf{C} \langle \mathbf{C} \rangle \\ f \\ \mathbf{C} \langle \mathbf{C} \rangle \\ f \\ \mathbf{C} \langle \mathbf{C} \rangle \\ \mathbf{C} \langle \mathbf{C} \rangle \\ \mathbf{C} \rangle \\ \mathbf{C} \langle \mathbf{C} \rangle \\ \mathbf{C} \\ \mathbf{C}$  $\label{eq:linearized_linearized$ I =

$$\label{eq:constraint} \begin{split} & \label{eq:constraint} \sqrt{\left|\left\langle \mathcal{U}_{\mathcal{A}} \right\rangle \nabla \left|\left\{ \left| \nabla \nabla \right\rangle \right\rangle \right\} \sqcup \left|\left\langle \dagger \right\rangle \right\rangle \right|} \\ & \left|\left\langle \dagger \right\rangle \right\rangle \left|\left\langle \dagger \right\rangle \left|\left\langle \dagger \right\rangle \right\rangle \left|\left\langle \dagger \right\rangle \right\rangle \left|\left\langle \dagger \right\rangle \left|\left\langle \dagger \right\rangle \right\rangle \left|\left\langle \dagger \right\rangle \right\rangle \left|\left\langle \dagger \right\rangle \left|\left\langle \dagger \right\rangle \left|\left\langle \dagger \right\rangle \left|\left\langle \dagger \right\rangle \right\rangle \left|\left\langle \dagger \right\rangle \left|\left\langle \downarrow \right\rangle \left|\left\langle$$

 $\left[ \neg \right] = \neg \nabla \left[ \neg \right] \int \Box \langle \neg \rangle \langle \gamma \rangle \langle$  $\sum_{i=1}^{n} |\mathcal{A}_{i}| \leq \mathcal{A}_{i} \leq \mathcal{A}_{$  $|\langle \neg \rangle | \rangle = | \langle \neg \rangle | | \rangle = | \langle \neg \rangle = | \langle \neg \rangle | | \rangle = | \langle \neg \rangle = |$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:product} $$ \sqrt{\nabla_{1}} = \frac{1}{2} + \frac$  $\label{eq:linearized_states} \label{eq:linearized_states} \label{eq:line$  $\mathcal{P}]\nabla\Box\Box\rangle + \langle f \wedge f \rangle \langle f \rangle \rangle ] f + \Box + j | U \rangle | f + [U \langle \mathcal{P} \rangle \nabla\Box \rangle + \langle f \rangle | U + \langle \nabla \rangle \rangle | f + [U \langle \mathcal{P} \rangle \nabla\Box \rangle + \langle f \rangle | U + \langle \nabla \rangle | f + [U \rangle | U + \langle \nabla \rangle | f + [U \rangle | U + \langle \nabla \rangle | f + [U \rangle | U + \langle \nabla \rangle | f + [U \rangle | U + \langle \nabla \rangle | f + [U \rangle |$  $\frac{|\nabla\rangle}{|U|} = \frac{|\nabla\rangle}{|U|} =$ 

 $| \mathcal{A} = \mathcal{A}$  $\sqrt{\frac{1}{2}} \frac{1}{2} \frac{1}{2}$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \end{tabular}$  $\mathrm{II} = \mathrm{II} = \mathrm{II$  $\mathcal{T}_{0} = \mathcal{T}_{0} = \mathcal{T}_{0}$ 

 $\underline{(1)} \\ \underline{(1)} \\ \underline$ 
$$\label{eq:product} \label{eq:product} \begin{split} \int & \Box \end{cases} \nabla \end{cases} \\ \int & \Box \end{cases} \nabla \end{cases} \\ & \int & \Box \end{cases} \nabla \end{cases} \\ & \int & \Box \end{cases} \nabla \end{cases} \\ & \int & \Box \end{cas$$
 $\Box (\exists \nabla \exists \exists \forall f \exists \langle \exists \langle \mathcal{G} \rangle \nabla (f \exists \forall d \land f ) \rangle (\forall f \exists \forall f \land f ) \rangle (\forall f \exists d \land f ) \rangle (\forall f \exists f ) \forall f \land f ) \\ \Box (f \exists f ) \forall f \land f ) \\ \Box (f \exists f ) \forall f ) \\ \Box (f ) \\ \Box (f$  $\neg \nabla \neg \int \mathcal{L} \langle \neg \mathcal{L} \rangle \rangle \\ \neg \mathcal{L} \rangle \\ \neg \mathcal$ 
$$\label{eq:constraint} \begin{split} |\nabla| - |U| & \langle \langle \nabla \nabla \Box \ |U| - |\langle \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla \Box \ |J| \rangle \\ & \langle \nabla \nabla$$
 $\mathcal{S} \sqcup \exists \forall [\mathcal{O}] = \mathcal{O} = \mathcal$  $(|\neg f \cup \rangle] = A + (|\neg f \cup \rangle] = A + (|\neg f \cup \langle] f \cup$  $\exists \exists \mathbf{V} = \mathbf{$  $\mathcal{C}(\texttt{I}) = \mathsf{I}(\texttt{I}) = \mathsf{I$  $\mathcal{C}(\mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}) \mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}) \mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}) \mathsf{I}) \mathsf{I}) \mathsf{I}(\mathsf{I}) \mathsf{I}) \mathsf$ 

 $+ j ] ? \nabla [ \rangle \\ + z \\$  $(\uparrow\uparrow\uparrow)[\Box\rangle] = \nabla[\uparrow] = \nabla[\downarrow] = \nabla[\uparrow] = \nabla[\uparrow] = \nabla[\downarrow] = \nabla[\uparrow] = \nabla[\uparrow] = \nabla[\uparrow] = \nabla[\uparrow] = \nabla[\uparrow] = \nabla[$  $\label{eq:product} $$ \int_{\mathcal{T}} d\lambda = \frac{1}{2} \left[ \frac{1}{2} \right] + \frac{1}{2} \left[ \frac{1}{2} \left[ \frac{1}{2} \left[ \frac{1}{2} \right] + \frac{1}{2} \left[ \frac{1$  $\mathcal{R} ] ( \mathcal{V} \sqcup ) \\ \downarrow \sqcup ( \downarrow \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \Box \cup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \Box \cup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \Box \cup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \Box \cup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \Box \cup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \Box \cup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \Box \cup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \Box \cup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \Box \cup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \Box \cup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \sqcup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \downarrow \sqcup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \sqcup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \sqcup ( \downarrow \downarrow \Box \sqcup ) \\ \downarrow \downarrow \sqcup ( \downarrow \downarrow \Box \cup ) \\ \downarrow \downarrow \sqcup ( \downarrow \sqcup ) \\ \downarrow \sqcup ( \sqcup ) \\ \sqcup ( \sqcup ) \sqcup ( \sqcup ) \\ \sqcup ( \sqcup ) \sqcup ( \sqcup ) \\ \sqcup ( \sqcup ) ( \sqcup ) \sqcup ( \sqcup ) \sqcup ( \sqcup ) ( \sqcup ) \sqcup ( \sqcup ) ($ 

 $\label{eq:constraint} \label{eq:constraint} \\ \label$ 

 $\mathcal{A}_{i}^{i} \cup \mathcal{A}_{i}^{i} \otimes \mathcal{A}$  $\int \langle ] \downarrow ] \nabla \rangle \sqcup \int \mathsf{H}_{\mathsf{A}} \downarrow \mathsf{H}_{\mathsf{A} \mathsf{H}_{\mathsf{A}} \downarrow \mathsf{H} \mathsf{H}_{\mathsf{A}} \downarrow \mathsf{H} \mathsf{H}_{\mathsf{A}} \downarrow \mathsf{$  $\label{eq:constraint} \end{tabular} \\ \end{t$  $\Box \langle \neg \Box \mathcal{C} \rangle \langle \neg \Box \rangle \Box \uparrow [ 2 \rangle ] [ \neg \uparrow [ ] ] 2 \rangle 2 \Box ] \nabla \langle \neg \rangle [ \neg \Box ] [ \uparrow \uparrow ] 8 \neg \uparrow \Box \int \Box \langle \neg \Box \rangle [ \neg \uparrow \Box ] [ \uparrow \uparrow ] 8 \neg \uparrow \Box \int \Box \langle \neg \Box \rangle [ \neg \Box ] [ \uparrow \uparrow ] 8 \neg \uparrow \Box \int \Box \langle \neg \Box \rangle [ \neg \Box ] [ \neg \uparrow \Box ] [ \neg \downarrow \Box ] [ \neg ] [ \neg \Box ] [ \neg ] [ \neg$  $\label{eq:constraint} $$ L_{\mathcal{T}}^{T} = \frac{1}{2} + \frac{1}$  $\label{eq:constraint} $$ IO(U\nabla_{1}\mathcal{T}(1-U(V))) - IU(1)(1-V(U)) + IO(V(V)) + IO(V(V))$  $\exists l \Box \nabla f \exists f | \langle l t \rangle \langle \mathcal{P} ] \nabla \Box u l [ \exists t \neg \uparrow \mathcal{T} \langle ] \mathcal{G} l [ l \{ \mathcal{S} \Box \} ] ] f \exists \rangle \downarrow \downarrow \rangle \downarrow \langle \rangle \langle \exists t \rangle ] \exists t ] \exists \forall f u l \langle \rangle \langle \exists t \rangle ] d \langle \forall t \rangle ] d \langle \forall t \rangle ] d \langle \forall t \rangle \langle \exists t \rangle ] d \langle \forall t \rangle \langle \forall t \rangle ] d \langle \forall t \rangle \forall t \rangle ] d \langle \forall t \rangle$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint$  $\exists t \in \mathbb{Z} = [t \in \mathbb{Z} \setminus \mathbb{Z$ 

 ${\rm end} = {\rm e$ 

 $\texttt{eq:time_start} = \texttt{eq:time_start} = \texttt{eq:time_s$  $\mathcal{A}_{\text{I}} \nabla_{\text{I}} = \mathcal{A}_{\text{I}} \otimes \mathcal{A}_$  $\label{eq:linear} $$ (2)^+ (-1)^{-1} (-1)^{ \Box \left( \left[ \nabla \int \Box \dashv \left( \right) \right] \right) \left( \left[ \partial \mathcal{C} \right] \right) \left( \left[ \nabla \mathcal{C} \right] \right) \left( \left[ \nabla \mathcal{C} \right] \right] \right) \left( \left[ \partial \mathcal{C} \right) \left( \left[ \partial \mathcal{C} \right] \right) \left( \left[ \partial \mathcal{C} \right) \left( \left[ \partial \mathcal{C} \right) \right) \left( \left[ \partial \mathcal{C} \right) \left( \left[ \partial \mathcal{C} \right) \right) \left( \left[ \partial \mathcal{C} \right) \left( \left[ \partial \mathcal{C} \right) \right) \left( \left[ \partial \mathcal{C} \right) \left( \left[ \partial \mathcal{C} \right) \right) \left( \left[ \partial \mathcal{C} \right) \left( \left[ \partial \mathcal{C} \right) \right) \left( \left[ \partial \mathcal{C} \right) \left( \left[ \partial \mathcal{C} \right) \right) \left( \left[ \partial \mathcal{C} \right) \right) \left( \left[ \partial \mathcal{C} \right) \right) \left( \left[ \partial \mathcal{C} \right$  $(\infty\forall \exists \Delta \land \forall \exists \Rightarrow \Leftrightarrow \forall \sqcup \langle ] \} \nabla ] \dashv \sqcup ] \int \sqcup \mathcal{P} ] \nabla \sqcap \sqsubseteq \rangle \dashv \langle ] \nabla \wr \{ \sqcup \langle ] \mathcal{W} \dashv \nabla \wr \{ \sqcup \langle ] \mathcal{P} \dashv \rfloor \rangle \{ \rangle \rfloor$  $\mathcal{E} \sqcap \nabla \wr [\exists ] = \mathsf{E} \upharpoonright \mathcal{E} : \mathsf{E} : \mathsf{E$  $\mathcal{T}_{1}(\mathbb{V} \cup \mathbb{V}) = \mathbb{V}_{1}(\mathbb{V} \cup \mathbb{V}) = \mathbb{V}$  $\mathcal{D}_{\text{i}}^{\text{i}} = \mathcal{D}_{\text{i}}^{\text{i}} = \mathcal{D}_{\mathcal$ 

 $\mathcal{A}_{\text{T}} = \mathcal{A}_{\text{T}} =$  $\label{eq:point} \label{eq:point} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \en$  $\mathcal{A}(\mathbb{T}) = \mathcal{A}(\mathbb{T}) = \mathcal{A$  $\exists \langle i f \rangle \uparrow \langle i f \rangle \uparrow \langle i f \rangle \downarrow \downarrow \langle i f \rangle \downarrow \langle i f \rangle \downarrow \downarrow \langle i f \rangle \downarrow \downarrow \langle i f \rangle \downarrow \downarrow \langle i$ 
$$\label{eq:constraint} \begin{split} \ensuremath{\swarrow} \lambda &= \left\{ \nabla \int_{\mathcal{L}} \left\{ \nabla \mathcal{L} \dashv \Box \right\} \nabla \Leftrightarrow \int_{\mathcal{L}} \left\{ \nabla \mathcal{L} \dashv \Box \right\} \nabla \Leftrightarrow \int_{\mathcal{L}} \left\{ \mathcal{L} \dashv \Box \right\} \nabla \dashv \Box$$
 $\mathcal{O}\sqcup\langle \mathsf{T}_{\mathcal{A}}\mathsf{H}_{\mathsf{A}}\mathsf{$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 

 $] = \mathcal{I}_{\mathcal{A}} = \mathcal{I}_{\mathcal{A$ 

A = $\mathcal{C}\wr\rangle\backslash ]\rangle [\rangle \rangle ] \exists \rangle \sqcup \langle \nabla ] \ddagger \sqcup \sqcup ] [ ] ] \sqcup \rangle \wr \langle f \rangle \backslash \mathcal{C} \sqcap [ \dashv \Leftrightarrow \wr \backslash ] \wr \{ \sqcup \langle ] \mathcal{C} \langle \rangle \backslash ] f ] ] \wr \ddagger \square \land \sqcup \dagger \simeq f$  $t^{1}_{I} = \nabla_{I} =$  $[]] \dashv \Box f ] C \langle \rangle | f ] [ \Box f \rangle | f f ] | \neg \nabla ] f \langle \lambda | f \rangle \nabla \rangle \} \underline{\mathcal{L}} \dashv C \langle \rangle | \neg f \rangle \downarrow ] | \lambda f \dashv \dagger ] \downarrow \lambda ] \Box ] \langle \omega f \langle ] \\ \Leftrightarrow f \langle ]$  $\label{eq:constraint} $$ $ \int dt = \int$  $\mathcal{L} = \mathcal{L} =$  $] \{ \{ \wr \nabla \sqcup f \Leftrightarrow \mathcal{M} \dashv \dagger ] \nabla \dashv [ [ f \Leftrightarrow \sqcup \langle ] \mathcal{C} \langle \sqcap \backslash \} \sqsupseteq \langle \dashv \mathcal{N} \dashv \sqsubseteq \rangle \} \dashv \sqcup \rangle \wr \backslash \mathcal{C} \wr \Downarrow_{\checkmark} \dashv \backslash \dagger \mathcal{L} \sqcup [ \swarrow \rangle \backslash \sqcup \nabla ] \dashv f ] [$ 

 $\mathcal{M} = \mathsf{M} =$  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular}$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\label{eq:constraint} $$ \sum_{i=1}^{1} \left[ \frac{1}{2} - \frac{1}$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$ 

 $\mathcal{T}\langle |\mathcal{P}| \nabla \Box \Box \rangle + \langle \mathcal{I} \langle \Box | \uparrow \downarrow \rangle \rangle | \langle \Box \rangle \rangle = \langle U \langle | \uparrow \mathcal{Y} | \uparrow \downarrow \downarrow \Box \mathcal{P} | \nabla \rangle \downarrow \uparrow$   $\mathcal{P} | \nabla \Box \Box \rangle + \langle \rangle \langle \Box | \uparrow \downarrow \uparrow \downarrow \downarrow ] | \Box \Box + \uparrow \downarrow \langle \dashv \Box ] | \S \dashv \downarrow \rangle \rangle | [ \Box \langle ] \mathcal{C} \langle \rangle \rangle | f | \sqrt{\nabla} ] f | \langle ] \exists \dashv \langle [ \langle ] \nabla \rangle \Box \dashv \rbrace ] \rangle \langle \Box \langle ] \rangle \nabla$   $\exists U \Box \forall \downarrow \Leftrightarrow \langle \{\Box ] \setminus \sqrt{\nabla} \langle \Box \rangle | \rangle \rangle | \S \dashv \downarrow \downarrow \uparrow \uparrow \langle \{S \rangle \setminus \langle \langle \downarrow \rangle \dashv \dashv \backslash [ \S ] \setminus \langle \langle \downarrow \cup | \dashv \sqcup ] ] \langle U \langle \downarrow f ]$   $\langle ] \exists \dashv \downarrow \rangle \langle \downarrow \downarrow \uparrow \dashv \downarrow \rangle \rangle \rangle | \langle \Box \rangle \rangle | \langle \Box \rangle | \int \nabla ] f f \langle \mathcal{F} \rangle \nabla ] \S \dashv \downarrow \downarrow \downarrow \Leftrightarrow \mathcal{F} \langle f \in \mathcal{C} \dashv \nabla \uparrow \downarrow f \mathcal{M} \dashv \nabla \rangle i \Box ] | \Box \rangle$ 

 $\frac{S}{\Box} = \frac{S}{\Box} = \frac{S}{\Box}$  $\exists \langle \mathcal{A} f \rangle \dashv \exists \nabla \uparrow f \exists \nabla \uparrow v \sqcup [\uparrow \uparrow \{ \rangle ] \rangle \dashv f \sqcup i ] i \langle i \rangle \downarrow \nabla i \} \nabla \uparrow f \emptyset \sqcup \langle \uparrow f f \cup v \rangle i \langle i \rangle \langle i \rangle \langle i \rangle \downarrow \langle i \rangle \downarrow \langle i \rangle \langle i$  $] \wr \sqcup \nabla \land [ \square \sqcup ] ] \{ \{ ] \sqcup \land \sqsubseteq ] \downarrow \dagger \sqcup \land \sqcup \land ] \{ \wr \nabla \Uparrow \dashv \sqcup \rangle \wr \land \wr \{ \dashv \lor ] \sqsupseteq \mathcal{P} ] \nabla \sqcap \sqsubseteq \rangle \dashv \lor ] \rbrace \land \wr \updownarrow \dagger \swarrow \mathcal{P} ] \nabla \sqcap \Leftrightarrow$  $\label{eq:constraint} \label{eq:constraint} \\ \label$  $(\exists \mathcal{W} f \cup \nabla f ) = \forall \mathcal{W} \cup (f )$  $\label{eq:constraint} \label{eq:constraint} \\ \label$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\int_{\mathbb{T}} d = \int_{\mathbb{T}} d = \int_$ 

 $\label{eq:constraint} $$ \ \nabla \mathcal{C}() \ f(A = 1) \ A = 1 \ A =$ SE = V = $\mathcal{S}_{\text{intro}} = \mathcal{S}_{\text{intro}} = \mathcal{S}_{\text{in$  $\label{eq:constraint} $$ $ \mathcal{D} = \mathcal{U} = \mathcal{D} = \mathcal$  $\mathcal{M} \dashv \nabla \rangle \dot{a} \sqcup \rceil \exists \Box \rangle [] \downarrow \rangle ] \sqsubseteq ] \int \sqcup \langle \dashv \sqcup \Leftrightarrow [] \{ \wr \nabla ] \mathcal{C} \langle \rangle \backslash ] f ] ] \wr \wr \downarrow \rangle ] f \dashv \nabla \nabla \rangle \sqsubseteq ] [ \rangle \backslash \mathcal{P} ] \nabla \Box \Leftrightarrow \mathcal{C} \langle \rangle \backslash ] f ]$  $[\nabla_{l} \Box_{l} \nabla_{l} \nabla_{$  $[\exists \exists \forall \nabla [ ] f_{\ell} \{ \forall \int [ \langle j \rangle ] ] \langle j \rangle ] ] \langle j \rangle ] [ \langle j \rangle ] ] [ \langle j \rangle ] ] [ \langle j \rangle ] ] ]$ 

 $\mathcal{A}(\mathbb{I}^{\mathbb{I}}) = \mathcal{A}(\mathbb{I}^{\mathbb{I}}) = \mathcal{A}(\mathbb{I}^{\mathbb{I})} = \mathcal{A}(\mathbb{I}) = \mathcal{A}(\mathbb{I}^{\mathbb{I})} = \mathcal{A}(\mathbb{I}^{$ I = $\sqcup \langle \dashv \backslash ] \{ \{ \wr \nabla \sqcup \swarrow \mathcal{N} \wr \sqcup ] \sqsubseteq ] \backslash \mathcal{C} \langle \rangle \backslash ] f ] \sqcup \langle ] \dashv \sqcup ] \nabla \Leftrightarrow \dashv \sqsubseteq \dashv \rangle \ddagger \dashv \lfloor \ddagger ] \S \rfloor \ddagger \sqcap f \rangle \sqsubseteq ] \ddagger \{ \wr \nabla \sqcup \langle ] ] \sqsubseteq ] \backslash \rangle \backslash \}$  $\label{eq:constraint} $$ \Box_{\mathcal{T}}^{\mathcal{T}} = \mathcal{T}_{\mathcal{T}}^{\mathcal{T}} = \mathcal{T}$  $\label{eq:constraint} $$ \Box^{U} = \nabla - (\mathcal{D}^{U}) = \mathcal{D}^{U} = \mathcal$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label$ 
$$\label{eq:constraint} \begin{split} \ensuremath{\swarrow} & \langle \rangle \ensuremath{\uparrow} \ensuremath{\uparrow} \ensuremath{\downarrow} \ens$$
 $\label{eq:product} \\ \end{tabular} \\ \end{ta$  $\label{eq:product} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{$ 

 $\label{eq:constraint} \end{tabular} \end{t$  $| \langle | \dagger | \exists \langle | \exists \langle | \nabla_{\checkmark} \checkmark_{\checkmark} \lor_{\checkmark} \lor_{\checkmark} \lor_{\checkmark} \lor_{\checkmark} \lor_{\land} \lor_{\circ} \circ_{\circ} \circ_{\circ}$  $\mathcal{I}_{\mathcal{V}}_{\mathcal$  $\label{eq:constraint} $$ \sum_{i=1}^{i} \left( \Box_{i} \right) \\ $ \left( \Box_{i$  $\label{eq:constraint} []_{\label{constraint}} ] \sqcup f \sqcup (] \mathcal{C} \langle \rangle \backslash ] f ] \sqcap \langle \rangle \sqsubseteq ] \nabla f \rangle \sqcup \dagger f \dagger f \sqcup ] \mbox{$\label{constraint}} \dashv f \dashv \mbox{$\label{constraint}} \land \mbox{$\label{constrai$  $\nabla ] \dashv \mathfrak{g} \land \mathfrak{g} \land$  $\Box(\neg \Box(\neg f)) \sqsubseteq [\neg \Box(\neg \Box) \land \nabla (\neg \Box f) \neg \Box f) \neg \Box f) \land \Box f)$  $\uparrow \mathcal{E}_{\rm I}^{\rm I}_{\rm I}^{\rm I}^{\rm I}_{\rm I}^{\rm I}^{\rm I}_{\rm I}^{\rm I}^{\rm I}_{\rm I}^{\rm I}^{\rm I}^{\rm I}_{\rm I}^{\rm I}^{\rm I}^{\rm I}_{\rm I}^{\rm I}^{\rm$  $\label{eq:alpha} \\ \label{eq:alpha} \\ \label{eq:a$  $\mathcal{W}[f] = \nabla \langle \mathcal{A} = \mathcal{A} \rangle \langle \mathcal{A} = \mathcal{A} \rangle$ 

 $\sqrt{-\frac{1}{2}} \sqrt{-\frac{1}{2}} \sqrt{-\frac$ 

 $\mathcal{C} = \mathcal{C} =$  $\label{eq:point_states} \sum_{i=1}^{n} | \Box_{i} \rangle | \langle i \rangle | \langle i \rangle \rangle | \langle i \rangle | \langle i \rangle | \langle i \rangle \rangle | \langle i \rangle | \langle i \rangle | \langle i \rangle \rangle | \langle i \rangle |$  $\sqrt{\nabla} \langle \Box \rangle [] f \rangle \langle f \Box ] \neg [f \rangle ] \rangle ] \rangle \neg [f \rangle ] \rangle \neg [f \rangle ] \rangle \neg [f \rangle ] \rangle ] \rangle [f \rangle ] \rangle \neg [f \rangle ] \rangle ] \rangle [f \rangle$  $\label{eq:linearized_states} $$ \label{eq:linearized_states} $$$  $\mathcal{L} \dashv \sqcup \rangle \backslash \mathcal{A} \texttt{I} \urcorner \nabla \rangle \rfloor \dashv_{\mathcal{L}} \mathcal{T} \{ \sqcap \nabla \sqcup \langle \urcorner \nabla \langle \rangle f_{\mathcal{I}} \wr \rangle \backslash \sqcup \Leftrightarrow \mathcal{D} \urcorner \mathcal{C} \dashv f \sqcup \nabla \wr \amalg \urcorner \downarrow ] f_{\mathcal{I}} \dashv f \dashv \} \rbrack f \sqsupseteq \langle \urcorner \nabla \rceil$  $\mathcal{J} \vdash_{\mathcal{A}} \vdash_{\mathcal{A}} \vdash_{\mathcal{A}} \vee_{\mathcal{A}} \vdash_{\mathcal{A}} \vee_{\mathcal{A}} \vdash_{\mathcal{A}} \vee_{\mathcal{A}} \vee_{\mathcal{$  $\label{eq:linearized_states} \label{eq:linearized_states} \\ \label{eq:linearized_states} \label{eq:linearized_states} \label{eq:linearized_states} \\ \label{eq:linearized_states} \label{eq:$  $\mathcal{O} \nabla \rangle ] \ \sqcup \ \exists \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \exists \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \exists \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \exists \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \forall \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \forall \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \forall \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \forall \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \forall \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \forall \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \forall \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \forall \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \forall \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \forall \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \forall \varphi \rangle \\ \mathcal{O} \nabla \rangle ] \ \sqcup \ \forall \varphi \rangle \\ \mathcal{O} \nabla \rangle \\ \mathcal{O}$ 

 $\Box(]\wr)[\langle \exists \langle \exists \mathcal{P} \nabla \exists \mathcal{P} \nabla \exists \mathcal{P} \nabla \exists \mathcal{P} \nabla \exists \forall \mathcal{P} \nabla \exists \forall \mathcal{P} \nabla \exists \forall \mathcal{P} \nabla \exists \mathcal{P} \nabla \exists$  $\int \Box \{ \{ \exists \nabla \rangle \} \{ \Box \langle \exists \mathcal{C} \langle \rangle \setminus ] f ] \rangle \langle \exists \nabla \Box \rangle ] \ddagger \int \Box [ \ddagger \rangle f \langle ] [ \rangle \setminus \underline{\mathcal{L}} f \nabla \exists \nabla \rangle \exists f \langle \rangle f \exists [ \ddagger \rangle \nabla \rangle \rangle \} \exists \langle f \rangle \rangle \langle f \rangle f \langle f \rangle \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f$  $\mathcal{P} \nabla \dashv [\dashv] \nabla \rangle \sqcup \rangle ] \rangle \ddagger ] f \sqcup \langle ] \mathcal{C} \langle \rangle \backslash ] f ] \ddagger \rangle \sqsubseteq \rangle \backslash \mathcal{P} ] \nabla \sqcap \neg \uparrow \mathcal{T} \langle ] \mathcal{C} \langle \rangle \backslash ] f ] \rangle \backslash \sqcup \nabla \wr [\sqcap] ] [ \rangle \backslash \sqcup \wr \sqcup \langle ]$  $[\nabla \dashv \rangle \setminus \neg \sqcup \langle \sqcap f \rangle \setminus \mathcal{P}] \nabla \sqcap \Leftrightarrow \sqcup \langle ] \mathcal{C} \langle \sqcap \nabla \rfloor \langle \dashv \backslash [ \sqcup \langle ] \mathcal{C} \langle \rangle \setminus ] f ] \nabla ]_{\sqrt{\nabla}} f ] \setminus \sqcup \wr \setminus ] ] \setminus [ ] \dashv ] \langle \wr \{\dashv \rfloor \dashv \backslash [ \updownarrow ] \rangle$  $\uparrow = \int \uparrow = \int \downarrow =$ 

 $\Box(\mathbb{Z}^{1}) = \mathbb{Z}^{1} \Leftrightarrow \mathbb{Z}^{1} = \mathbb{Z}^{1} \otimes \mathbb{Z}^{$  $\mathcal{Y} | \sqcup \rangle \backslash \langle \rangle f | f | d \uparrow \mathcal{E} \\ \mathcal{L} \rangle \\ d \dashv \neg \sqcup \rangle \} \square \land \uparrow \Leftarrow \mathcal{O} \\ f | \mathcal{L} \rangle \\ d \dashv \Rightarrow \Leftrightarrow \rangle \backslash ] \\ \uparrow \square [ ] [ \rangle \backslash \underline{\mathcal{E}} \\ \downarrow \sqcup \land \uparrow ] \\ \uparrow \square \mathcal{D} \land \delta \} ] \land ] \\ f | \mathcal{D} \land \delta \} ] \\ \land [ ] \mathcal{D} \land \delta \land \delta ]$   $\land [ ] \mathcal{D} \land \delta \land \delta ] \\ \land [ ] \mathcal{D} \land \delta ] ]$  $\texttt{f} \\ \texttt{f} \\$  $\label{eq:constraint} $$ \label{eq:constraint} $$ \label{eq:constrain$  $\mathcal{I}_{\mathcal{I}}^{\mathcal{I}}_{\mathcal{I}} = \mathcal{I}_{\mathcal{I}}^{\mathcal{I}}_{\mathcal{I}} =$  $\texttt{SIID_I}(\mathsf{A}) = \texttt{SIID_I}(\mathsf{A}) + \texttt{SII}(\mathsf{A}) + \texttt{SIID}(\mathsf{A}) + \texttt{SIID}(\mathsf$  $\label{eq:constraint} \{ \rangle \} \\ \label{eq:constraint} \\ ( \Box ) \\ \label{eq:constraint} \\ ( \Box )$ 

 $\exists \exists \exists \forall l \in \mathcal{C} \ \forall l \in \mathcal{A} \ \in \mathcal{A} \ \forall l \in \mathcal{A} \ \forall l \in \mathcal{A} \ \forall l \in \mathcal{A} \ \mid l \in \mathcal{A} \ \mid$  $\label{eq:constraint} $$ \eqref{eq:constraint} $$ \eqref{eq:constrai$  $\underset{\checkmark}{} = \underset{\checkmark}{} = \underset{\checkmark}{} = \underset{\checkmark}{} = \underset{\checkmark}{} = \underset{\ast}{} = \underset$  $\mathcal{S} \sqcup \\ || \dagger \mathcal{S} \rangle \\ \mathcal{I} \sqcup \\ \nabla \mathcal{W} ] \\ \downarrow \downarrow \Leftrightarrow \mathcal{T} \\ || \mathcal{I} \downarrow \Leftrightarrow \mathcal{I} \\ || \mathcal{S} \sqcup \\ | \mathcal{S} \sqcup \\ | \mathcal{S} \sqcup \\ | \mathcal{S} \sqcup \\ | \mathcal{S} \sqcup \\ || \mathcal{S} \sqcup \\ | \mathcal{S} \sqcup \\ || \mathcal{S$  $\mathcal{C} \ (\Box) \cap \mathcal{G} \ (\Box) \cap \mathcal{G$  $\label{eq:constraint} \int U \nabla \left[ U \right] = \left[ U \nabla \left[ U \right] \right] = \left[ U \nabla \left[ U \nabla \left[ U \right] \right] = \left[ U \nabla \left[ U \nabla \left[ U \right] \right] = \left[ U \nabla \left[ U \nabla \left[ U \right] \right] \right] = \left[ U \nabla \left[$  $(1) \leq (1) \leq (1)$ 

 $\mathrm{int}(\mathrm{int}(\nabla)) = \mathrm{int}(\nabla) = \mathrm{int}(\nabla$ 

$$\label{eq:constraint} \begin{split} & \sqrt{\left[\nabla\left( \neg \int D\right) \right]} \\ & \sqrt{\left[\int \Box \left[\int \Box \right]} \\ & \sqrt{\left[\int \Box \left[\int \Box \right]} \\ & \sqrt{\left[\int \Box \left[\int \Box \left[\int \Box \right]} \\ & \sqrt{$$

 $] \sqcap \ddagger \sqcup \sqcap \bigtriangledown \rceil \neg$  $\mathbf{1} = \mathbf{1} =$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\label{eq:point} \sqrt{\nabla} \label{eq:point} \sqrt{\nabla$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathrm{II} \square \neg \uparrow \rangle \sqcup \rangle ] \mathfrak{f} \{ \sqcup \langle ] \mathcal{C} \langle \rangle \backslash ] \mathfrak{f} [ \dagger ] \mathfrak{f} \land \neg \lor \rangle \rangle \} \sqcup \langle ] \updownarrow \supseteq \rangle \sqcup \langle \supseteq \langle \dashv \sqcup \langle ] ] \mathfrak{f} \rangle [ ] \nabla \mathfrak{f} \sqcup \langle ] [ ] \} ] \backslash ] \nabla \dashv \sqcup ]$  $\langle \neg \downarrow \rangle \sqcup f \{ \downarrow \uparrow \neg \downarrow \| f \neg$ 

 $\mathcal{W}(\exists \nabla \exists \exists f_{1} \exists \neg f$ 

 $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$ 

 $\mathcal{T}_{\mathcal{C}}(\mathcal{V}_{\mathcal{T}}) = \mathcal{T}_{\mathcal{A}}(\mathcal{I}_{\mathcal{T}}) = \mathcal{T}_{\mathcal{A}}(\mathcal{I}_{\mathcal{A}}) = \mathcal{T}_{\mathcal{A}}(\mathcal{I}_{\mathcal$ 

 ${\rm end} = {\rm e$ 

$$\begin{split} & \left\{ h_{i} \right\} \right\} \sqcup t \qquad \left[ \exists f_{i} \Leftrightarrow f_{i} \bigcup_{i} \bigcup_$$

## $\infty \exists \in \triangle \Rightarrow \swarrow \uparrow^{\exists'}$

 $\mathcal{C}(\mathsf{M}_{\mathcal{T}}^{\mathsf{M}}) = \mathcal{C}(\mathsf{M}_{\mathcal{T}}^{\mathsf{M}}) = \mathcal{C}(\mathsf{M}^{\mathsf{M}}) = \mathcal{C}(\mathsf{M}) = \mathcal{C}(\mathsf{M}) = \mathcal{C}(\mathsf{M}) = \mathcal{C}($  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\mathcal{S}_{\mathcal{A}} \mathcal{J}_{\mathcal{A}} \Leftarrow \infty \exists \infty \bigtriangledown^{\nwarrow} \in \mathcal{H}_{\mathcal{A}} \Rightarrow \exists \mathcal{H}_{\mathcal{A}} \land \mathcal{H}_{\mathcal{A}} \Rightarrow \exists \mathcal{H}_{\mathcal{A}} \land \mathcal{H}_{\mathcal{A}}$  $\mathcal{P} \text{intermation} = \mathcal{P} \text{intermation}$  $\mathcal{E} \sqcap \} \upharpoonright \mathcal{C} \land \dashv \ \mathcal{R} \wr [\nabla i \} \sqcap ] \ddagger \Leftrightarrow \exists \langle \wr \bigtriangledown \sqcap \lfloor \ddagger \rangle f \langle \rceil [\dashv \land \dashv \sqcap \sqcup \wr \lfloor \rangle \wr \} \nabla \dashv \checkmark \langle \dagger \sqcup \rangle \sqcup \ddagger ] [\mathcal{E} \land \sqcup \nabla ] [\wr f \dashv \urcorner ] \wr f \dashv$ 

 $\mathcal{N} = \mathcal{V} =$ 11  $\mathcal{L} = \mathcal{L} =$  $\mathcal{N} = \langle \mathcal{N} = \langle \mathcal$  $||_{\mathcal{V}}||_{\mathcal{V}} = \mathcal{C} =$  $\langle B \rangle = \langle B$  $\mathcal{O} \sqcup \langle ] \nabla \mathcal{S} \rangle \langle \mathcal{K} \mathcal{P} ] \nabla \sqcap \sqsubseteq \rangle \dashv \langle \nabla ] \sqsubseteq \Diamond \sqcap \lor \rangle \land \dashv \nabla \rangle ] f \Leftrightarrow \dashv f \mathcal{C} \langle \dashv \backslash \} \land \mathcal{R} \wr [\nabla i \} \sqcap ] \ddagger \nabla ] \sqsubseteq ] \dashv \downarrow f \Leftrightarrow \dashv \nabla ]$  $\mathcal{V}_{i} \sqcup \mathcal{V}_{i} \to \mathcal{V}_{i}$  $\Leftarrow \mathcal{PAP} \Rightarrow \Leftrightarrow \exists \forall \mathcal{P}(\mathbf{AP}) \Rightarrow \Leftrightarrow \forall \forall \mathcal{P}(\mathbf{A}) = \forall \mathcal{P}(\mathbf{AP}) \Rightarrow \Leftrightarrow \forall \mathcal{P}(\mathbf{A}) = \forall \mathcal{P}(\mathbf{AP}) \Rightarrow \Leftrightarrow \forall \mathcal{P}(\mathbf{AP}) \Rightarrow \Leftrightarrow \forall \mathcal{P}(\mathbf{AP}) = \forall \mathcal{P}(\mathbf{AP}) \Rightarrow \Leftrightarrow \forall \mathcal{P}(\mathbf{AP}) = \forall \mathcal{P}(\mathbf{AP}) \Rightarrow \Leftrightarrow \forall \mathcal{P}(\mathbf{AP}) \Rightarrow \forall \mathcal{P}($  $[\Box f ] ] [\Box f ] ] [\Box f ] [\Box f ] [\Box f ] [\Box f ] ] [\Box f ] ] [\Box f ] [\Box f ] [\Box f ] ] [\Box f ] ] [\Box f ] [\Box f ] [\Box f ] ] [\Box f ] [\Box f ] ] [\Box f ] [\Box f ] [\Box f ] ] [\Box f ] [\Box f ] [\Box f ] ] [\Box f ] [\Box f ] [\Box f ] ] [\Box f ] [\Box f ] [\Box f ] [\Box f ] ] [\Box f ] [\Box f ] [\Box f ] ] [\Box f ] ] [\Box f ]$ 

 $\mathcal{C}\acute{a}]]\nabla]\mathit{f}\dashv[\mathit{f}\sqcup\langle]\mathit{J}\dashv\mathit{f}\rbrack\wr\{\sqcup\langle]\mathcal{C}\langle\rangle\backslash]\mathit{f}]\mathcal{P}]\nabla\sqcap\sqsubseteq\rangle\dashv\langle\mathcal{J}\sqcap\dashv\backslash\mathcal{P}\dashv\lfloor\updownarrow\wr\mathcal{C}\langle\dashv\backslash\}\mathcal{N}\dashv\sqsubseteq\dashv\nabla\nabla\wr$ 

 $\mathcal{O} \sqsubseteq \exists \nabla \dashv \ddagger \Leftrightarrow \sqcup \langle \exists \mathcal{C} \langle \rangle \backslash \exists f \exists \dashv [ \sqcup \langle \exists \rangle \nabla [ \exists f ] ] \backslash [ \rbrack \backslash \sqcup f \langle \dashv \sqsubseteq ] ] \wr \backslash \sqcup \nabla \rangle [ \sqcap \sqcup ] [ f \wr \land \exists f : \exists f \land \exists f : \exists f :$ 
$$\label{eq:constraint} \begin{split} [\ensuremath{\rangle} \int & \sqrt{\nabla} \ensuremath{\rangle} \sqrt{\nabla} \ensuremath{\omega} \ensuremath{\omega} \ensuremath{\omega} \ensuremath{\rangle} \sqrt{\nabla} \ensuremath{\omega} \ensuremat$$
 $\mathsf{A} = \mathsf{A} =$  $\mathcal{S}_{\texttt{p}} = \mathcal{S}_{\texttt{p}} =$  $\int_{\mathbb{T}^{1}} \| \int_{\mathbb{T}^{1}} \| - \| \nabla - \int_{\mathbb{T}^{2}} \mathcal{C}() \| f \|_{\mathcal{L}^{1}} + \Im \mathcal{R}(\nabla f) \| + \int_{\mathbb{T}^{2}} \mathcal{R}(\nabla f) \| + \int_{\mathbb{T$  $\sqcup \langle ] \underline{f} \Box ] \nabla \sqcup ] ] \langle \rangle \backslash \dashv \langle \mathcal{C} \langle \rangle \backslash ] f ] \ddagger \Box ] \Vert \Rightarrow \wr \nabla \underline{\nabla} \langle \dashv \downarrow \langle \rangle \backslash \dashv \langle \mathcal{C} \langle \rangle \backslash ] f ] \nabla \dashv \{ \{ \ddagger \} \Rightarrow \} \dashv \ddagger ] \lfloor ] \rfloor \dashv \ddagger ] \rangle \backslash$  $\mathcal{P}]\nabla\Box\Box\dashv\rangle\langle\langle\{\neg f\in\mathcal{H}\}\nabla\uparrow[\neg \nabla\wr f\in\ni\ni^{\leftarrow})\Rightarrow \Delta\Rightarrow_{\checkmark}\mathcal{H}\rangle[\neg\{\rangle\backslash\neg f\rangle\sqcup\neg f\neg f\rangle\nabla\sqcup\langle\{\uparrow,\sqcup\sqcup\neg\nabla \uparrow\supseteq\langle \wr f\rangle]$  $|\langle\rangle | \rightarrow \exists \Box | J \rangle | \langle \nabla \rangle [ [\uparrow] ] \cup \langle \neg \sqcup \mathcal{C} \langle \Box \{ \neg \sqcup \mathcal{L} \neg \sqcup \Box \Box \nabla [ ] J ] \nabla \rangle [ ] J \neg \neg J \neg J ] \rangle | \langle \neg \sqcup \mathcal{L} \rangle | \langle \neg \sqcup \mathcalL \rangle | \langle \neg \sqcup$ 

 $\mathcal{S}_{l} = \mathcal{T}_{\mathcal{T}}$ 

 $\in \swarrow \infty \swarrow \mathcal{P} [\nabla \mathcal{Z} \square \uparrow ] \land \mathcal{O} \nabla \} \dashv \land \mathcal{O} \nabla \} \lor \mathcal{O} \nabla \} \lor \mathcal{O} \nabla \} \dashv \land \mathcal{O} \nabla \} \dashv \land \mathcal{O} \nabla \} \dashv \land \mathcal{O} \nabla \} \lor \mathcal{O} \vee \mathcal{O}$ 

 $\mathcal{C} \langle \neg \downarrow \Box \rangle \nabla \mathcal{I} \mathcal{I}_{\mathcal{L}} \mathcal{N} \rangle \rangle \langle \mathcal{I} \langle \mathcal{D} \rangle \{ \{ \neg \nabla \rceil \setminus J \} \supseteq \rangle \cup \langle \rangle \setminus \mathcal{N} \neg \sqcup \rangle \rangle \langle \neg \mathcal{D} \rangle \langle \mathcal{I} \rangle \langle \mathcal{I} \rangle \langle \mathcal{I} \rangle \rangle \langle \mathcal{I} \rangle \langle \mathcal{I$ 

 $\mathcal{T}_{i}^{i} = \mathcal{T}_{i}^{i} = \mathcal{T}$ 
$$\label{eq:linearized_states} \begin{split} & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarrow} = \frac{1}{2} \left[ \nabla \partial \mathcal{S} - \mathcal{I} \right] \\ & \text{fightarro$$
 $\sqcup \langle \rangle \backslash \parallel \exists \nabla f [ \wr \nabla \backslash \lfloor ] \sqcup \exists \exists ] \backslash \infty \forall \exists \land \Rightarrow \Leftrightarrow \langle \exists \exists \exists \exists \forall f [ \wr \nabla \backslash \sqcup \exists \mathcal{L} \rangle \Downarrow \exists \mathcal{L} \rangle \Diamond \exists \forall f \mathcal{L} \rangle \land \forall f \mathcal{L} \rangle \land \exists \forall f \mathcal{L} \rangle \land \exists \forall f \mathcal{L} \rangle \land \forall f \mathcal{L} \rangle \forall f \mathcal{L} \rangle \land f \mathcal{L} \rangle \land \forall f \mathcal{L} \rangle \land f \mathcal{L}$  $\{ \exists \forall \forall \mathcal{P} \ \mathcal$  $\mathcal{G} \sqcap \dashv \ \mathcal{F} \land \mathcal{F$  $\texttt{A}^{\text{A}} = \texttt{A}^{\text{A}} =$  $\mathcal{S} = \mathcal{I} =$  $\leftarrow \mathcal{NUSM} \Rightarrow \mathbb{L}^{+} \mathcal{L}^{+} \mathbb{I}^{+} \mathbb{V}^{+} \mathbb{I}^{+} \mathbb{I}^{$  $\mathcal{H} \dashv \nabla \sqsubseteq \dashv \nabla [\mathcal{C}(\uparrow \uparrow)] = \langle \mathcal{H} \dashv \nabla \sqsubseteq \dashv \nabla [\mathcal{U} \land \rangle \sqsubseteq ] \nabla f \rangle \sqcup \dagger \Rightarrow \Leftrightarrow \sqcup \langle \dashv \land \parallel f \sqcup \mathcal{H} \neg \mathcal{P}] \nabla \sqcap \sqsubseteq \rangle \dashv \land \exists \mathcal{H} \dashv \nabla [\mathcal{U} \land \mathcal{P}] \vee \exists \mathcal{H} \lor \mathcal{H} \vee \exists \mathcal{H} \dashv \mathcal{H} \lor \mathcal{H} \vee \exists \mathcal{H} \vee \exists \mathcal{H} \lor \mathcal{H} \vee \exists \mathcal{H} \lor \mathcal{H} \vee \exists \mathcal{H} \vee \exists \mathcal{H} \vee \exists \mathcal{H} \lor \mathcal{H} \lor \mathcal{H} \vee \exists \mathcal{H} \lor \mathcal{H} \vee \exists \mathcal{H} \lor \mathcal{H} \lor \mathcal{H} \vee \exists \mathcal{H} \lor \mathcal{H} \lor \mathcal{H} \lor \mathcal{H} \vee \exists \mathcal{H} \lor \mathcal{H} \lor$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 

 $\mathcal{Z} = \texttt{I} = \mathbb{Z} = \texttt{I} = \mathbb{Z} = \texttt{I} = \mathbb{Z} = \texttt{I} = \mathbb{Z} =$  $] \wr \langle f \rangle [] \nabla \neg \langle \uparrow \downarrow \uparrow \rangle \rangle ] \neg f ] [[ \wr \wr \parallel \langle \wr \downarrow \uparrow \rangle \rangle f \neg \sqcup \cup \langle ] \Box \rangle ] \Box \rangle \Box \uparrow \uparrow \downarrow \rangle [ \nabla \neg \nabla \uparrow \Leftrightarrow \Uparrow \neg \parallel \rangle \rangle \} \cup \sqcup \langle ] [] f \cup \langle \downarrow \downarrow \uparrow \downarrow \rangle [ \nabla \neg \nabla \uparrow \Leftrightarrow \Uparrow \neg \parallel \rangle \rangle ] \cup \cup \langle ] [] f \cup \langle \downarrow \downarrow \downarrow \rangle ] = 0$  $\label{eq:constraint} \label{eq:constraint} $$ \U(1) - U(1) - U$  $|\nabla| \exists \Box | [\underline{\mathcal{E}}(t)] \sqcup i \leq \mathcal{E}(t) = \mathcal{E}$  $\sqrt{\nabla} + \int \left[ \left[ \frac{1}{2} + \int \left[ \nabla \right] + \int \left[ \frac{1}{2} + \int \left[ \nabla \right] + \int \left[ \frac{1}{2} +$  $\label{eq:constraint} $$ \sqrt{2} = \sum_{i=1}^{2} \left( \frac{1}{2} - \frac{1}{2} \right) - \frac{1}{2} \left( \frac{1}{2} - \frac{1}{2} \right) - \frac{$  $\lfloor \mathfrak{Z} = \mathbb{P} \setminus \{ \nabla \to \mathfrak{Z} \} = \mathbb{P} \setminus \{ \mathfrak{Z} \in \mathfrak{Z} \}$  $\underline{\infty \exists \in \triangle} \Leftarrow \mathcal{P} \nabla \wr \} \nabla \dashv \text{I} \{ \mathcal{P} f \dagger \land (\wr \uparrow \wr ) \dagger \dashv \land [\mathcal{L} \wr \} \land ] \Leftrightarrow \mathcal{P} \wr \uparrow \downarrow \downarrow \supseteq \land \land [\mathcal{C} \lor \sqcap \nabla f ] \mathcal{T} \dashv \sqcap \} \land \sqcup \land \sqcup \land [\mathcal{C} \land \square \land ] \land [\mathcal{C} \lor \square : [\mathcal{C} \lor \square \land ] \land [\mathcal{C} \lor \square : [\mathcal{C} \lor ::[\mathcal{C} \lor ::[$  $\mathcal{S}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{V}[\texttt{I}] = \mathcal{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}] \mathsf{I}[\texttt{I}] \mathsf{I}] \mathsf{I}$  $\mathcal{Z} = \texttt{I} =$ 

 $\underline{\mathcal{B}} \underline{\mathcal{C}} \underline{\mathcal{$  $\label{eq:linear} $$ 1^{(1)} = 1^{(1)} + 1^{$  $\underline{\mathcal{I}}_{\mathcal{I}}$  $\sqcup \langle ] \infty \exists \in \mathcal{I} \underbrace{\mathcal{E}} \left[ \underbrace{\mathcal{E} \left[ \underbrace{\mathcal{E}} \left[ \underbrace{\mathcal{E}} \left[ \underbrace{\mathcal{E}} \left[ \underbrace{\mathcal{E}} \left[ \underbrace{\mathcal{E}} \left[ \underbrace{\mathcal$  $\sqrt{\Box[\uparrow]} \sqrt{\Box[\uparrow]} \sqrt{\Box[\Box]} (\Box[\Box]} \sqrt{\Box[\Box]} \sqrt{\Box[\Box]} (\Box[\Box]} \sqrt{\Box[\Box]} (\Box[\Box]} (\Box$  $\Leftarrow \mathcal{C} \acute{a} ] \ensuremath{\left[ \nabla \right]} \ensuremath{\left[ { \overleftarrow{\mathcal{D}}} \right] \ensuremath{\mathcal{Z}} \ensuremath{\left[ { \overleftarrow{\mathcal{D}}} \right] \ensuremath{\left[ { \overleftarrow{\mathcal{D}}} \ensuremath{\left[ \ensuremath{\left[ { \overleftarrow{\mathcal{D}}} \ensuremath{\left[ { \overleftarrow{\mathcal{D}}} \ensuremath{\left[ \ensuremath{\left[ $ \hline{\mathcal{D}}} \ensuremath{\left[ $ \hline{\mathcal{D}} \ensuremath{\left[ $ \hline{\mathcal{D}} \ensuremath{\left[ $ \hline{\mathcal{D}}} \ensur$  $\mathcal{Z} \cap \uparrow ] \setminus \mathcal{I} \cup \mathcal$  $\infty \exists \not = \underbrace{\mathcal{E}_{\mathcal{T}}^{\mathcal{T}}}_{\mathcal{T}} \\ ( i \uparrow \neg ) \land ( i \land ) ($  $\label{eq:linear_constraint} \\ \label{eq:linear_constraint} \\ \label{eq:linear_constraint}$ 

 $= \sum_{i \in \mathcal{I}} \left\{ \sum_{i \in \mathcal{I$  $\mathcal{Z} = \uparrow = \langle \nabla | \langle \nabla | \langle \nabla | \langle \nabla \rangle \rangle$  $\leftarrow \mathcal{Z} \sqcap \texttt{I} \land \mathcal{I} \land \mathcal{I}$ M = $\mathcal{D} \sqcap \nabla \rangle \backslash \} \langle \rangle f \dagger ] \dashv \nabla f \rangle \backslash \sqcup \langle ] \mathcal{A} f \wr ] \rangle \dashv ] \rangle \delta \backslash \mathcal{P} \nabla \wr \nwarrow \mathcal{I} \backslash [ \mathfrak{i} \} ] \backslash \dashv \Leftarrow \mathcal{P} \nabla \wr \nwarrow \mathcal{I} \backslash [ \rangle \} ] \backslash \wr \sqcap f$  $\mathcal{D}\wr \nabla \dashv \mathcal{M} \dashv \dagger \rbrack \nabla_{\checkmark} \mathcal{M} \dashv \dagger \rbrack \nabla \updownarrow \dashv \sqcup \rbrack \nabla_{\checkmark} \sqcap \lfloor \updownarrow \rangle \int \langle \rbrack \lceil \mathcal{L} \dashv \checkmark \rceil \int \mathbf{i} \dashv \lceil ] \mathcal{Z} \sqcap \updownarrow \rceil \backslash \Leftrightarrow \exists \langle \rangle \rfloor \langle \rangle \int \dashv f \Uparrow \sqcap \rfloor \langle \dashv \rangle \land \mathsf{i} \dashv \mathsf{i} \land \mathsf{i} \lor \mathsf{i} \lor$  $\label{eq:constraint} \int \Box \Box [ \dagger 2 \Box ] \\ \simeq \int U ] \\ \nabla U \\ \dagger \neg [ \langle \rangle \rangle \\ ( \downarrow \rangle \nabla \neg \downarrow ) \\ \Box \neg [ \neg \Box ] \\ ( \downarrow \rangle ) \\ ( \downarrow )$ 

 $\mathbf{A}_{\mathcal{A}} = \mathbf{A}_{\mathcal{A}} =$  $\neg ( \Rightarrow \neg ( z = ) \neg ( z = ) \neg ( z = ) \land ( z =$  $+ \texttt{I} (\texttt{I} (\texttt$  $\text{IIICL} \mathcal{A} = \mathcal{A} \mathcal{A}$  $\mathcal{Z} = \frac{1}{\sqrt{1}} + \frac{1}{\sqrt{1}$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constr$ A =

 $\mathcal{A} \ [\] \sqcup \sqcup \ ] \nabla_{\sqrt{\nabla}} \nabla_{\ell} \int \ ] \exists \nabla \rangle \sqcup \ ] \nabla \sqcup \ ( \dashv \backslash \dashv_{\sqrt{\ell}} ) \sqcup \Leftrightarrow \mathcal{Z} \sqcap \ ( ) \land ( \dashv \land ) \land ) \land ( \dashv \land ) \land ( \dashv \land ) \land ) \land ( \dashv \land ) \land ( \dashv \land ) \land ( \dashv \land ) \land ) \land ( \dashv \land ) \land ( \dashv \land ) \land ) \land ( \dashv \land ) \land ( \dashv \land ) \land ) \land ( \dashv \land ) \land ( \dashv \land ) \land ( \dashv \land ) \land ) \land ( \dashv \land ) \land ( \dashv \land ) \land ) \land ( \dashv \land ) \land ( \dashv \land ) \land ) \land ( \dashv \land ) \land ( \dashv \land ) \land ) \land ( \dashv \land ) \land ( \dashv \land ) \land ) \land ( \dashv \land ) \land ( \dashv \land ) \land ) ( \dashv \land ) ( \dashv \land ) \land ) ( \dashv \land ) ( \dashv \land ) ( \dashv \land ) ( \dashv \land ) ( \land ) ( \dashv \land ) ( \land )$  $\int \langle \partial \nabla \sqcup \Diamond \partial \Box \rangle = \int \sqcup \partial \nabla \rangle \int \Leftrightarrow \int \Box \rfloor \langle \neg f \uparrow \mathcal{E} \setminus \Box \setminus \neg \Diamond \neg \uparrow \Box \rangle = \int \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle$  $\Box(\neg \Box \Box \langle \neg \uparrow \Box \neg \nabla \neg [\neg ] \rangle) \neg \Box \neg \Box \rangle \nabla \neg \mathcal{M} \neg \neg \neg \mathcal{M} \neg \neg \neg \neg \neg \neg \neg \neg \neg (\neg \neg \neg \neg \neg \neg \neg \neg \neg (\neg \neg \neg \neg \neg \neg \neg (\neg \neg \neg \neg \neg (\neg \neg \neg \neg ) \neg (\neg \neg (\neg \neg \neg ) ) \neg (\neg (\neg ) \neg (\neg (\neg ) ) ) (\neg (\neg ) ) (\neg (\neg ) ) (\neg (\neg ) ) ) (\neg (\neg ) ) (\neg (\neg ) ) ) (\neg (\neg ) ) (\neg (\neg ) ) (\neg (\neg ) ) ) (\neg (\neg ) ) (\neg (\neg ) ) (\neg (\neg ) ) ) (\neg (\neg ) ) (\neg (\neg ) ) ) (\neg (\neg ) ) (\neg (\neg ) ) ) (\neg (\neg ) ) (\neg (\neg ) ) ) (\neg (\neg ) ) ) (\neg (\neg ) ) (\neg (\neg ) ) (\neg (\neg ) ) )$  $(\uparrow \uparrow ) = \nabla f = \nabla$  $\langle \dashv \rangle \| \sqcap \sqcup \wr \mathcal{P} \rceil \nabla \sqcap \swarrow \mathcal{T} \langle \rangle f \rangle f \sqrt{} ] \nabla \langle \dashv \sqrt{f} \rangle | \rceil \sqcup \rangle \sqsubseteq ] \wr \{ \dashv \backslash \mathcal{A} f \rangle \dashv \backslash f \sqcap \lfloor | \rceil \rfloor \sqcup \rangle \sqsubseteq \rangle \sqcup \dagger \sqcup \langle \dashv \sqcup \rangle f$  $\mathbb{E}_{\mathcal{T}} = \mathbb{E}_{\mathcal{T}} =$  $\int \Box \nabla \rangle \| \left\{ f(t) \dashv \nabla \right\} \\ \left\{ f(t) \dashv \nabla \right\} \\ \left\{ \Box \cup \left\{ 1 \right\} \right\} \\ \left\{ \dashv f(t) \sqcup \left\{ f(t) \lor \nabla \right\} \\ \left\{ f(t) \dashv \nabla$ 

 $\underline{\mathcal{Z}} = \underline{\mathcal{Z}} = \underline{\mathcal{$  $\mathcal{W}(\texttt{I}) = \mathcal{V}(\texttt{I}) + \mathcal{I}(\texttt{I}) + \mathcal{I$  $\Box \\ \\ \Box \\ \Box \\ \\ \Box \\ \Box \\ \\ \Box \\ \Box \\ \Box \\ \\ \Box \\$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \label{eq:constraint}$ 

 $\neg \neg \langle f \rangle = \neg$  $\label{eq:constraint} \\ \begin{aligned} \begin{aligne$  $\mathcal{A} \\ [ \Box \langle ] \ \ \ \land \nabla \nabla \rangle \\ \exists \propto \mathcal{I} \\ \sqrt{\nabla} \\ \ \ \ \land \cup \\ \mathcal{O} \\ \nabla \Box \\ \langle ] \ \ \ \ \land \\ \mathcal{O} \\ \nabla \Box \\ \langle ] \\ \mathcal{O} \\ \nabla \Box \\ \mathcal{O} \\ \mathcal{O}$  $\mathcal{I} \land \forall \exists \exists \forall \mathcal{M} \dashv \dagger ] \nabla \langle \Box [ \ddagger \rangle f \langle ] [ \mathcal{Z} \Box \ddagger ] \land \forall f \rangle t \downarrow t \uparrow ] \sqcup \rangle t \langle \mathcal{E} \ddagger t \uparrow \rangle \rangle ] \rangle \Box \iota t ]$  $\underline{\uparrow} = \underline{\uparrow} = \underline{\downarrow} =$  $\mathcal{Z} = \texttt{I} =$  $\{ \nabla | \Pi \Box | \downarrow ] \{ \exists \downarrow \exists \Box \rangle \} \{ \exists \downarrow \exists \Box \rangle \} \{ \exists \downarrow \downarrow \exists \downarrow \rangle ] \{ \exists \downarrow \downarrow \exists \downarrow \rangle ] f \Leftrightarrow \langle \rangle f \nabla ] \{ ] \nabla ] \backslash ] \{ \Box \rangle ] \{ \exists \Box \rangle \} f \Leftrightarrow \langle \downarrow f \Box \rangle \} \}$  $\mathcal{A} \\ \mathcal{A} \\$  $\label{eq:constraint} $$ \U \nabla_{I}[\Pi] \int_{U} (|\ell_{1}| \otimes f_{\Pi})| \int_{U} ($ 

 $\texttt{P}_{\texttt{P}} = \texttt{P}_{\texttt{P}} =$ 

 $\mathcal{T}_{\forall} \nabla_{1} \nabla_{1} (1 \otimes 1) = \nabla_{1} (1 \otimes 1) = \langle \rangle_{1} (1 \otimes 1) =$ 
$$\label{eq:constraint} \label{eq:constraint} \begin{split} \int & = \int \left[ \mathcal{I} \right] \left[ \mathcal{I} \left[ \mathcal{I} \right] \left[ \mathcal{I} \left[ \mathcal{I} \right] \left[ \mathcal{I} \right] \left[ \mathcal{I} \left[ \mathcal{I} \right] \left[ \mathcal{I} \right] \left[ \mathcal{I}$$
 $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$ M =

 $\Box \Box f \acute{a} \\ \neg \langle \mathcal{N} \\ \| \| \rangle \\ \neg \Box \\ \langle \mathcal{N} \\ \mathcal{N} \\ \langle \mathcal{N} \\ \mathcal{N} \\ \langle \mathcal{N} \\ \mathcal{N}$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\sum_{i=1}^{i} |\mathcal{T}_{i} = |\mathcal{T$  $\sqrt{\nabla} \exists \mathbf{b} \mathbf{k} = \frac{1}{2} \left[ \frac{1}{2} \left[ \frac{1}{2} \right] \left[ \frac{1}{2} \left[ \frac{1}$  $\mathcal{T}_{\mathbf{k}}^{\mathbf{k}}_{\mathbf{k}} = \mathcal{T}_{\mathbf{k}}^{\mathbf{k}}_{\mathbf{k}}^{\mathbf$  $\mathcal{H} \dashv \nabla \sqsubseteq \dashv \nabla \lceil \mathcal{C} \uparrow \uparrow \rceil \rbrace \rceil_{\checkmark} \mathcal{W} \land \sqcup \langle \rceil \mathcal{J} \dashv_{\checkmark} \dashv \backslash \rceil f \rceil \langle \dashv \rangle \| \sqcap \sqcup \nabla \dashv \lceil \rangle \sqcup \rangle \land \sqcup \langle \dashv \sqcup \mathcal{Z} \sqcap \uparrow \rceil \rangle \dashv \lceil \Uparrow \rangle \nabla \rceil f \Leftrightarrow$  $||\langle || - \nabla \nabla - || - \langle \nabla || \nabla \rangle || = \langle || - || - \langle || - \langle || - || - \langle || - || - \langle || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - || - ||$  $\blacksquare \Box ] \pounds \rangle \langle f [ \dagger \rangle [ f ] \nabla \Box \rangle \rangle \\ \neg \Box \Box \nabla ] \simeq \int \int \neg f \langle \neg \downarrow \rangle \rangle \\ \neg \Box \nabla ] \neg \langle \rangle f [ \neg \Box \nabla ] \neg \langle \neg \downarrow \rangle \langle \neg \downarrow \langle \neg \downarrow \rangle \langle \neg \neg \rangle \langle \neg \rangle \langle \neg \neg \rangle \langle \neg \neg$  $\label{eq:linearized_linearized$ 

 $\texttt{ACUUC} = \texttt{C} = \texttt{C$  $\int \langle \neg \nabla \rceil_{\checkmark} \mathcal{T} \langle \rceil f \sqcup \langle \nabla \uparrow \rangle f \neg \uparrow f \langle \nabla \rceil f \rangle \rangle \rangle f ] \rceil \sqcup \langle \mathcal{J} \langle f e \mathcal{M} \neg \nabla i \neg \mathcal{A} \nabla \} \sqcap ] [\neg f \simeq f \{ \nabla \rangle ] \backslash [f \langle \rangle_{\checkmark} \neg \langle \neg \rangle ] \rangle$  $\label{eq:constraint} [\begin{black} \begin{black} \end{black} \endblack \end{black} \end{black} \end{black} \en$  $\Leftarrow \underline{\mathcal{T}} = \underline{$  $\{ i \square \nabla \sqcup ( \sqcup ] \{ \sqcup ( ] \} i \downarrow \downarrow ] \sqcup ) i \land \Leftrightarrow \uparrow \mathcal{T} \mathcal{I} \nabla ] \downarrow \dashv \backslash [ \Leftrightarrow \uparrow \sqsupseteq \nabla \rangle \sqcup \sqcup ] \backslash \rangle \setminus \mathcal{E} \setminus \} \downarrow \rangle f \langle \rangle \setminus \mathcal{C} \dashv \downarrow [ \nabla \rangle [ \} ] \Leftrightarrow$  $\mathcal{M} + \mathcal{J} + \mathcal{J} + \mathcal{J} + \mathcal{J} + \mathcal{I} +$  $\underbrace{\mathcal{R}}_{\mathcal{T}} = \underbrace{\mathcal{R}}_{\mathcal{T}} = \underbrace{\mathcal{$ 

 $|\langle \nabla \rangle \} \rangle | + \uparrow + \langle [\rangle \sqcup \int \mathcal{S}_{\sqrt{-1}} \rangle f \langle \sqcup \nabla \dashv \langle f \uparrow + \sqcup \rangle \rangle \rangle \Rightarrow \sqrt{\nabla} \dashv \rangle f | f \mathcal{I} \nabla ] \uparrow + \langle [\simeq \int_{\sqrt{-1}} \nabla \langle \Box [\dashv \langle \nabla \rceil \downarrow ] \uparrow \uparrow \rangle \rangle d | f \rangle \langle f \rangle \rangle d | f \rangle \langle f \rangle \langle f \rangle | f \rangle \langle f \rangle \langle$  $\int \Box \nabla \Box \} = \langle U \Box \rangle = \langle$  $\exists \langle U \langle U | \{ \neg \nabla V \} \rangle ( \nabla V ) \rangle$  $\frac{-1}{\sqrt{1-1}} \frac{1}{\sqrt{1-1}} \frac{$  $|\langle \neg \nabla \neg | \sqcup \rangle \nabla f \langle \mathcal{W} \rangle \downarrow \downarrow \rangle \neg \downarrow \mathcal{S} \langle \neg | | \rangle \int_{\mathcal{V}} | \neg \nabla \rangle \simeq \int \mathcal{T} \langle \gamma \mathcal{T} | \downarrow \rangle \int \sqcup \langle \neg \varphi \rangle \Rightarrow \neg \nabla \rangle \neg f | [ \neg f \rangle \langle \neg \varphi \rangle \Rightarrow \neg \nabla \rangle = \int \mathcal{T} \langle \gamma \mathcal{T} | \downarrow \rangle \langle \varphi \rangle = \langle \varphi \rangle \Rightarrow \neg \nabla \rangle = \int \mathcal{T} \langle \gamma \mathcal{T} | \downarrow \rangle \langle \varphi \rangle = \langle \varphi \rangle \Rightarrow \neg \nabla \rangle = \int \mathcal{T} \langle \gamma \mathcal{T} | \downarrow \rangle \langle \varphi \rangle = \langle \varphi \rangle \Rightarrow \neg \nabla \rangle = \int \mathcal{T} \langle \gamma \mathcal{T} | \downarrow \rangle \langle \varphi \rangle = \langle \varphi \rangle \Rightarrow \neg \nabla \rangle = \int \mathcal{T} \langle \gamma \mathcal{T} | \downarrow \rangle \langle \varphi \rangle = \langle \varphi \rangle \Rightarrow \neg \nabla \rangle = \langle \varphi \rangle \Rightarrow \neg \nabla \rangle = \langle \varphi \rangle = \langle \varphi$ 

 $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\Leftarrow \texttt{int} \texttt{int$  $\mathcal{T}_{1}^{1}_{1} = \mathcal{T}_{1}^{1}_{1} = \mathcal{T}_{1}^{1$  $| \mathcal{L} \cup \mathcal{A} = \mathcal{A}$  $\mathcal{P}\wr \Rightarrow \mathcal{Z} = \mathcal{I} =$  $\label{eq:constraint} $$ $ \mathcal{O}^{1}_{\mathcal{O}} = \mathcal$  $\infty \forall \triangle \exists \mathbf{A} \in \mathcal{Z} = \texttt{A} \in \mathcal{A} \in \mathcal{A} = \texttt{A} \in \mathsf{A} = \texttt{A} \in \texttt{A} =$  $\Leftarrow \mathcal{W} = \mathcal{W}$ 

 $f] = \mathsf{I} = \mathsf{$ f] = d(1) = f(1) = f( $|\neg \langle \uparrow \uparrow \uparrow \rangle = \langle \neg \uparrow \uparrow \downarrow \cup \langle \uparrow \uparrow \neg \neg \neg \rangle = \langle \cup \neg \nabla \neg \langle \neg \uparrow \uparrow \uparrow \neg \uparrow \uparrow \downarrow \downarrow \langle \neg \downarrow \downarrow \downarrow \rangle \langle \neg \langle \cup \uparrow \swarrow \rangle$  $\mathcal{R} ] \text{IIV} = \exists \mathcal{P} \nabla \text{IV} = \exists \mathcal{P} \nabla \text{IV} = \mathcal{P} \nabla \text{IV} = \mathcal{P} \nabla \text{IV} = \exists \exists \mathcal{P} \nabla \text{IV} = \exists \mathcal{P}$  $f] ] \wr \langle [ \mathcal{L} \rangle \| ] \supseteq \rangle f] \Leftrightarrow \langle \wr ] \Downarrow f | \Box \rangle \langle \neg f \uparrow \mathcal{E} \downarrow \langle \rbrack \land \neg \uparrow \Box \rangle \neg \uparrow \downarrow a \} \nabla \rangle \Downarrow \neg \uparrow \leftarrow \mathcal{T} \langle ] \mathcal{P} \wr ] \Uparrow \wr \{ \neg \mathcal{T} ] \neg \nabla \Rightarrow \Leftrightarrow$  $\uparrow \mathcal{M} \acute{a} f \dashv \ddagger i = \mathcal{V} \acute{a} f \dashv \ddagger i = \mathcal{V} \acute{a} f \dashv \uparrow i = \mathcal{V} \acute{a} f \dashv \uparrow i = \mathcal{V} \acute{a} f \dashv f \acute{a} f \acute{a} f \dashv f \acute{a} f \acute{a$  $+ \text{Im} \nabla + \text{$  $\wr \{ \texttt{I} = \texttt{I} \Leftrightarrow \texttt{I} \land \texttt{I$ 

 $\uparrow \mathcal{E}_{1}^{1}_{1} \rightarrow [\neg \mathcal{A}_{1}] = \neg [\neg \mathcal{A}_{1}] = \neg$  $\label{eq:constraint} \sqrt{\nabla} \\ \label{eq:constraint} \sqrt{\langle \dagger f \rangle} \\ \label{eq:constraint} \\ \label{eq:constraint} \sqrt{\langle \dagger f \rangle} \\ \label{eq:constraint} \\ \$  $\int \left| -\frac{1}{2} - \frac{1}{2} \right| = \left| -\frac{1}{2} - \frac{1}{2} - \frac{1}{2} - \frac{1}{2} \right| = \left| -\frac{1}{2} - \frac{1}{2} - \frac{1$ 

 $\mathcal{R}_{\text{T}} = \mathcal{R}_{\text{T}} =$ 

 $\label{eq:constraint} $$ \times = \mathcal{I}_{\mathcal{I}}^{\mathcal{I}} \\ $ \ti$  $\mathcal{R} = \mathcal{R} =$  $\mathcal{S}(\texttt{I}) \left\{ \mathcal{Z}(\texttt{I}) \right\} = \int_{\mathcal{I}} [\texttt{I}(\texttt{I})(\texttt$  $\uparrow \mathcal{P} \dashv \text{Imp} \text{Imp$  $\label{eq:constraint} $$ \langle \mathcal{J} \{ \nabla \rangle ] \setminus [ \Leftrightarrow \sqcup \langle ]_{\mathcal{J}} ] \sqcup \mathcal{J} \{ \mathcal{I} \notin \mathcal{M} \dashv \nabla i \dashv \mathcal{E} \} \sqcap \nabla ] \setminus \{ \mathcal{I} \subseteq \mathcal{I} \cap \mathcal{I} \} \sqcup \\ $ \mathcal{I} \in \mathcal{I} \cap \mathcal{I} \cap$  $\underline{\mathcal{B}(\texttt{I})} \sqcup i(\mathcal{B}(\texttt{I})) \nabla i(\texttt{I}) \otimes \mathbf{A}(\texttt{I}) \otimes$ 

 $\Box \langle ]_{1} ] [ ] [ ] [ ] [ ] [ ] ] [ ] [ ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] [ ] ] [ ] ] [ ] [ ] ] [ ] ] [ ] [ ] ] [ ] ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] [ ] ] [ ] [ ] [ ] ] [ ] [ ] [ ] ] [ ] [ ] [ ] [ ] ] [ ]$  $\label{eq:constraint} \left[ \left\{ \sqrt{\left| \nabla \right\rangle \right|} \right] \right] = \left[ \left\{ - \int \left[ \left\{ \left\{ - \int \right\} \right\} \right] \left\{ - \left\{ - \int \left\{ \left\{ - \int \left\{ \left\{ - \int \left\{ \left\{ - \int \left\{$  $\Box \langle \rangle \int_{1} [] ] [] \langle \nabla \Box \langle \Box \nabla \neg [\rangle ] ] [] \langle \rangle f ] [] \langle \rangle f ] [] \langle \nabla \nabla \rangle ] f \Leftrightarrow f ] \Box \{ \partial \nabla \Box \langle \Box \Box \partial \uparrow \uparrow ] \exists \nabla f [] \{ \partial \nabla \rceil \rangle \setminus \langle \rangle f ] f ] \exists \uparrow \uparrow \mathcal{L} \exists \forall f ] [] \langle \nabla \Box \rangle ] [] \langle \neg f \rangle ] [] [] \langle \neg f \rangle ] [] [] \langle \neg f \rangle ] [] \langle \neg$  $\uparrow \mathcal{P} \dashv \text{Im} f \text{Im} \land f \text{Im} \land$ I =

 $\infty \exists \infty \infty \Rightarrow \exists \forall \nabla \exists \forall \mathcal{M} \exists \mathcal{M} \forall \mathcal{M} \mathcal{M$  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \label{eq:constraint} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{t$  $|\langle \mathcal{W} \rangle | \mathcal{U} \rangle$  $\neg \left( \uparrow \right) = \left($  $\mathcal{F} \setminus [f \Leftrightarrow \rangle \setminus \int_{\mathcal{I}} \mathsf{Ll} \{ \mathsf{Ll} \in \mathcal{O} \mid \mathsf$  $\label{eq:constraint} $$ $ \nabla^{+}(\mathcal{A}) = \mathcal{A}^{+}(\mathcal{A}) = \mathcal{A}^{+}(\mathcal{A})$ 

## 

 $\infty \exists \infty \infty \Rightarrow \neg \uparrow \mathcal{T} \exists \mathsf{D} [\uparrow \rangle \uparrow ] [ \mathsf{D} \sqcup \uparrow \wr \{ \mathcal{K} \dashv \backslash \sqcup \rangle \dashv \backslash \sqcup \langle \wr \mathsf{D} \} \langle \sqcup \propto \mathcal{W} \wr \mathsf{D} \uparrow [ \backslash \wr \sqcup \langle \dashv \sqsubseteq ] [ ] ] \wr \uparrow ]$  $\nabla ] \dashv \downarrow \rangle \sqcup \dagger \Leftrightarrow \propto \mathcal{W} \rangle \sqcup \langle \wr \sqcap \sqcup \dagger \wr \sqcap \nabla \int \exists ] ] \sqcup \sqrt{\nabla} \dashv \rbrace \Downarrow \dashv \sqcup \rangle ] \downarrow \uparrow \backslash \sqcup \rangle \downarrow \downarrow ] f \emptyset \uparrow \dashv \backslash [ \sqcup \exists \wr \int \sqcup \dashv \backslash \ddagger \dashv \int \downarrow \dashv \sqcup ] \nabla \neg$  $\uparrow \mathcal{M} \land [] \nabla \backslash \sqcup \langle \wr \sqcap \} \langle \sqcup J \land \sqcup ] \Uparrow \checkmark \dashv \sqcup ] \Uparrow \uparrow \uparrow \sqcup ] \land \updownarrow ] \land \downarrow \sqcup \sqcap \nabla ] [ \Leftrightarrow \dashv \backslash [ J \dashv \updownarrow \downarrow \land \downarrow ] \neg \propto$  $\mathcal{I}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}}_{\text{I}}_{}$  $\mathcal{C}\dashv \nabla \ddagger \dagger \ddagger \mathbb{Z} \land \forall \mathbf{A} \sqcup \mathbf{A}$  $\mathcal{M} = \mathsf{M} =$  $\label{eq:limit} $ = \frac{1}{\sqrt{2}} - \frac{1}{\sqrt{2$  $\label{eq:started_st$ 

 $\mathcal{A}_{\texttt{p}} = \mathcal{A}_{\texttt{p}} =$  $\mathcal{B} \ (\exists \mathsf{A} \Leftrightarrow \mathsf{A} ) \ (\exists \mathsf{A} \models \mathsf{A} ) \ (\exists \mathsf{A} )$  $\label{eq:constraint} $$ \Times $$ $ \Times $$ \Times $$ $ \Times $$ $ \Times $$ \Times $$ \Times $$ $ \Times $$ \Ti$  $\underline{\mathcal{L}}[]\nabla \dashv \updownarrow \Leftrightarrow \underline{\mathcal{L}} \dashv \mathcal{M} \dashv \tilde{n} \dashv \backslash \dashv \Leftrightarrow \underline{\mathcal{L}} \dashv \mathcal{C}\nabla \delta \backslash \rangle] \dashv \Leftrightarrow \dashv \backslash [\underline{\mathcal{E}}(\mathcal{C}) \land ]\nabla ] \rangle \land \Leftrightarrow \dashv \updownarrow \mathcal{P} ]\nabla \sqcap \sqsubseteq \rangle \dashv \backslash$  $\label{eq:constraint} \langle \mathsf{M}_{\mathsf{A}} \mathsf{M} \mathsf{M}_{\mathsf{A}} \mathsf{M} \mathsf{M}_{\mathsf{A}} \mathsf{M} \mathsf$  $\label{eq:constraint} $$ \UD_{1}^{O}_{A} = \sqrt{2} I_{A}^{O}_{A$  $\neg \left[ \mathcal{A} \right] \nabla \left$ 

 $\mathrm{Aig}_{\mathrm{Aig}} = \mathrm{Aig}_{\mathrm{Aig}} = \mathrm{Aig}_{\mathrm{$  $\mathcal{H} \ f \cup \ i \cup \ b \cup \ i \cup \ b \cup$  $\texttt{int} (\texttt{int} (\texttt{in$  $\label{eq:linearized_states} \int \left\{ J \right\} = \int \left\{ J \right\} =$  $\sqrt{\nabla} + \left| \sqcup \right\rangle \\ \left| \sqcup \right\rangle$  $\label{eq:constraint} $ [ \Box \nabla \rangle \} \sqcup \langle ] \infty \exists \in \mathcal{I} \Leftrightarrow \langle ] \sqsubseteq ] ] \nabla ] [ \sqcup \wr \exists \dashv \nabla [ \dashv \backslash \Box \dashv \backslash ] ] [ \sqsubseteq ] \nabla \mathcal{I} \rangle \wr \langle \mathcal{H} ] \backslash \nabla \rangle$  $\mathcal{A} = \mathcal{A} =$  $\sqrt{|\nabla f(\cdot | \uparrow \rangle \sqcup \uparrow)} \int \langle f | \neg \nabla \uparrow \uparrow \sqrt{|\nabla \cup \rangle} \rangle \sqrt{|U|} \langle \cdot \rangle \langle f \rangle \langle \nabla \rangle \sqcup \Box \neg \uparrow \rangle f \sqcup ]$ 

 $\sqrt{2} = \sqrt{2} =$  $\mathcal{H}^{\text{cl}}_{\mathcal{I}} = \mathcal{H}^{\text{cl}}_{\mathcal{I}} = \mathcal{H}^{\text{cl}}_{\mathcal{I}}$  $\exists \langle U \langle U \Box U , \nabla V \Box \rangle \rangle \\ \downarrow \langle U \Box U , \nabla V \Box \rangle \rangle \\ \downarrow \langle U \Box U \rangle \langle U \Box U \rangle \rangle \\ \downarrow \langle U \Box U \rangle \rangle$  \\ \downarrow \langle U \Box U \rangle \rangle \\ \downarrow \langle U \Box U \rangle \rangle \\ \downarrow \langle U \Box U \rangle \rangle \\ \downarrow \langle U \Box  $\label{eq:constraint} \{ \ensuremath{\nabla} \ensuremath{\square} \ensuremat$  $\mathcal{T}_{1}^{1}$  $\mathcal{C} = \texttt{C} =$  $\texttt{fi} \\ \texttt{fi} \\ \texttt{fi$  $\uparrow f ] \rangle ] \langle \sqcup \rangle \{ \rangle ] \{ \dashv \langle \sqcup \dashv f \dagger \Leftrightarrow \uparrow \rangle \rangle \uparrow \mathcal{A} \ddagger \mathcal{P} \wr \mathcal{N} \wr \nabla \sqcup ] \uparrow \Leftarrow \mathcal{T} \sqcup \langle ] \mathcal{N} \wr \nabla \sqcup \langle \mathcal{P} \wr \ddagger ] \Rightarrow \Leftrightarrow \sqrt{\Box \lfloor \ddagger} f \langle ] \lceil \wr \backslash \mathcal{J} \sqcap \backslash ]$  $\in \Leftrightarrow \infty \exists \mathit{I} \forall \Leftrightarrow \neg \backslash [ \rangle \land \mathcal{L} \neg [ ] \mathit{J} \land \sqcup ] \} \nabla \neg \rfloor \rangle \delta \backslash [ ] \ddagger \neg \langle \neg \sqcup ] \nabla \rangle \neg \sqsubseteq \rangle \Box \rangle \Box \rangle \uparrow \leftarrow \mathcal{T} \langle ]$  $\mathcal{D} = \mathcal{D} =$  $\label{eq:alpha} \label{eq:alpha}$ 

 $\mathcal{A} \sqcap \mathbf{I} \sqcup \infty \Leftrightarrow \infty \exists \mathcal{A} \Leftrightarrow \mathcal{Z} \sqcap \mathbf{I} \sqcup \sqcup \mathbf{I} \sqcup \mathbf{I}$  $\Leftarrow \infty \forall \nabla \bigtriangleup^{\bigwedge} \infty \exists \infty \in \Rightarrow \Leftrightarrow \langle ] \wr [ f ] \nabla \sqsubseteq ] f \sqcup \langle \exists \Box \rangle ] \exists \Box \langle ] \wr \nabla \rangle ] f \dashv [ \iota \Box \Box ] \vee [ J \sqcup \langle ] \vee [ J \sqcup \cup ] \sqcup [ J \sqcup \cup ] \vee [ J \sqcup \sqcup ] \vee [ J \sqcup \cup ] \vee [ J \sqcup \sqcup ] \sqcup (J \sqcup \sqcup \sqcup ] \sqcup [ J \sqcup \sqcup [$  $(1 \otimes 1) \otimes (1 \otimes 1) \otimes (1) \otimes (1 \otimes 1) \otimes (1) \otimes (1) \otimes (1) \otimes$  $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$ 
$$\label{eq:constraint} \begin{split} & []{]} \\$$
 $\mathcal{S}_{\text{I}} = \mathcal{S}_{\text{I}} =$ 

 $\sqrt{\nabla t} \nabla t = \frac{1}{\sqrt{2}} \left[ \frac{1}{\sqrt{2}} + \frac{1}{2} + \frac{1}$  $+ J \amalg \Box \rangle \nabla ] [ \sqcup \langle ] \rangle ( \downarrow \langle J \rangle \cup \langle + J \rangle ) \cup \langle + J \rangle ( \downarrow \rangle \langle J \rangle \cup \langle J \rangle ) ] ] \rangle \langle 2 \langle J \rangle \cup \langle J \rangle ) \downarrow \langle J \rangle ( \downarrow \rangle ) ] \langle J \rangle ( \downarrow \rangle ) \downarrow \langle$  $\int_{\mathcal{A}} \langle \neg \nabla \neg f_{\mathcal{A}} \uparrow^{\infty \ni \bigtriangledown} \mathcal{I} \land \uparrow \mathcal{D} \rceil \{ \neg \exists \sqcup \wr f \exists \Box \uparrow \uparrow \rangle \land \dashv \land \sqcup \neg f [ \neg \uparrow \dashv \{ \rangle \uparrow \wr f \{ i \dashv [ \neg \uparrow \dashv \dashv f \wr ] \rangle \dashv \downarrow \rangle \delta \land \uparrow d \land \downarrow \rangle \}$  $\leftarrow \mathcal{C} \sqcap \texttt{D} \land \mathcal{D} \upharpoonright \mathcal{D} \land \mathcal{D}$ 
$$\label{eq:constraint} \begin{split} \ensuremath{\checkmark} & \ensuremath{\langle} \ensuremath{\rangle} \ensuremath{\downarrow} \ensuremath{\langle} \ensuremath{\rangle} \ensuremath{\downarrow} \ensuremath{\downarrow} \ensuremath{\langle} \ensuremath{\rangle} \ensuremath{\langle} \ensuremath{\downarrow} \ensuremath{\langle} \ensuremath{\rangle} \ensuremath{\langle} \ensuremath{\downarrow} \ensuremath{\langle} \ensuremath{\rangle} \ensuremath{\langle} \ensurem$$
 $\mathcal{H} \dashv \nabla \sqcup \updownarrow ] \dagger \Leftrightarrow \mathcal{H} \sqcap \Uparrow ] \Leftrightarrow \dashv \backslash [ \wr \sqcup \langle ] \nabla f \lnot \uparrow \mathcal{N} \wr \sqcup \dashv \updownarrow \updownarrow \land \sqcap \nabla \parallel \backslash \wr \sqsupseteq \updownarrow ] [ \} ] \rangle f \dashv \lrcorner \amalg \sqcap \rangle \nabla ] [$  $\operatorname{Arg}(\operatorname{Arg}(\operatorname{Arg})) = \operatorname{Arg}(\operatorname{Arg}(\operatorname{Arg})) = \operatorname{Arg}(\operatorname{Arg}(\operatorname{Arg})) = \operatorname{Arg}(\operatorname{Arg}(\operatorname{Arg})) = \operatorname{Arg}(\operatorname{Arg}) = \operatorname{Arg}) = \operatorname{Arg}(\operatorname{Arg}) = \operatorname{Arg}(\operatorname{Arg}) = \operatorname{Arg}(\operatorname{Arg}$  $\mathcal{Z} = \mathcal{I} =$ 
$$\label{eq:constraint} \begin{split} \begin{tabular}{l} \end{tabular} & \end{tabular} \\ \end{tabular} \end{tabular} & \end{tabular} \end{tabular} \begin{tabular}{l} \end{tabular} & \end{tabular} \end{tabular} \end{tabular} & \end{tabular} \end{tabular$$

 $\exists \mathcal{V} [ \rangle \\ \exists \mathcal{V} [ \rangle \\ \exists \mathcal{V} \\ \forall \mathcal{V} \\ \forall$ M = $\neg \left( \sqrt{\left( \frac{1}{2} \right)} \right) \neg \left( \frac{1}{2} \right) \neg \left$  $\label{eq:linear} = \frac{1}{2} \left( \frac{1}{2} \left( \frac{1}{2} \right) - \frac{1}{2} \left( \frac{1}{2} \right) \right) - \frac{1}{2} \left( \frac{1}{2} \right) - \frac{1}{2} \left( \frac{1}{2}$  $\label{eq:linear} \label{eq:linear} \label{eq:$  $\label{eq:constraint} \sqrt{|\nabla_{l} + |\langle \rangle | + |\langle \rangle$  $\mathcal{I}_{\langle\rangle} = \mathcal{I}_{\langle\rangle} = \mathcal{I}$  $\mathcal{O}^{\dagger}_{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}}_{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}}_{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}}_{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}}_{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}}_{\mathsf{A}}^{\mathsf{A}}_{\mathsf{A}}^{\mathsf{A}}_{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}}_{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}}_{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}}^{\mathsf{A}$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{constraint} \label{eq:constraint} \label{eq:constra$ 

$$\begin{split} \| \| \|_{\sqrt{2}} \\ & \quad - J \wr \langle \Xi \rangle \rangle \rangle \langle J \cup [ \rangle \int \cup - I \langle J \rangle \langle D \rangle \langle J \cup \langle D \rangle \int \cup \langle D \rangle \langle D \rangle$$

 ${\rm Int}({\rm All})$  $[\neg f] : \{ \langle \rangle f_{\mathcal{A}} \rangle$  $\mathcal{Z} \cap \uparrow \left\{ \left\{ \bigcup_{i \in \mathcal{I}} \nabla_{i} \right\} \right\} \cap \left\{ \nabla_{i} \right\} \cap \left\{ \bigcup_{i \in \mathcal{I}} \nabla_{i} \right\} \cap \left\{ \nabla_{i} \right\} \cap \left\{ \bigcup_{i \in \mathcal{I}} \nabla_{i} \right\} \cap \left\{$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} \end{tabular} \end{t$  $\label{eq:constraint} $$ \int_{\mathcal{D}} |\mathcal{D}_{\mathcal{D}} = \int_{$  $\mathcal{Z} = \mathcal{T} =$  $\mathcal{K} = \mathcal{K} =$ 

 $\{ \exists \mathsf{A} \in \mathsf{$ 

 $\label{eq:constraint} $$ \times $$$  $\label{eq:constraint} [\label{eq:constraint}] \\ \label{eq:constraint} [\labe$  $= \left[ \left\{ \left\{ \left\{ U_{1} \right\} \right\} \right\} \right] = \left\{ \left\{ U_{1} \right\} \right\} = \left\{ U_{1} \right\} = \left\{ \left\{ U_{1} \right\} \right\} = \left\{ U_{1} \right\} = \left\{ U_{$  $] \label{eq:constraint} \\ ] \label{eq:cons$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:c$  $\mathcal{Z} = \mathcal{J} = \mathcal{B} = \mathcal{B} = \mathcal{I} =$ 

 $\Box \langle ] \rangle [] \neg f \Box \langle f \rangle ] \uparrow \langle f \rangle \rangle \uparrow \langle f \rangle \rangle \uparrow \langle f \rangle \rangle \land \langle f \rangle \land \langle f \rangle \rangle \land \langle f \rangle \rangle \land \langle f \rangle \land \langle f \rangle \rangle \land \langle f \rangle \rangle \land \langle f \rangle \land \langle f \rangle \rangle \land \langle f \rangle \land \langle f \rangle \rangle \land \langle f \rangle \land \langle f \rangle \rangle \land \langle f \rangle \land \langle f$  $\mathcal{I} \\ \\ \mathcal{I} \\ \mathcal{I}$  $\Box(\mathsf{W}) \Box(\mathcal{S}) \Box(\mathcal{$  $\label{eq:linearized_linearized$  $\mathcal{B}\nabla \rangle \sqcup \rangle \int \langle \sqcup \langle \rangle \backslash \parallel ] \nabla f \downarrow \rangle \parallel ] \mathcal{F}\nabla \dashv \backslash \rfloor \rangle f \mathcal{H} ] \nabla \lfloor ] \nabla \sqcup \mathcal{B}\nabla \dashv [ \downarrow ] \dagger \Leftarrow \infty \forall \triangle \% \infty \exists \in \triangle \Rightarrow \dashv \backslash [$  $\mathcal{A}^{\text{I}}_{\mathcal{A}} = \mathcal{A}^{\text{I}}_{\mathcal{A}} = \mathcal{A}^{\text$ I = $\mathcal{A} \\ [ | \Box f \sqcup + f \sqcup \langle ] + i \Box \rangle \\ | \Box f a \\ | U \\ | \Box f a \\ | U \\ | \Box f a \\ | U \\ | U$ 

 $\label{eq:linear} \\ \label{eq:linear} \\ \lab$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:started_st$  $\label{eq:constraint} $ \sqrt{|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{0}|\lambda_{1}^{$ I =

 $\mathcal{Z} \sqcap \ (\mathcal{I} \land \mathcal{I} \land \mathcal{I}$  $\label{eq:constraint} \label{eq:constraint} \end{tabular} \\ \end{tabular} \end{tabular} \label{eq:constraint} \end{tabular} \e$  $\int \exists [ ] \ | [ ] \ | [ ] \ | ] \ | \\ d \ | \\ d$  $\mathcal{I}_{\mathcal{I}} = \mathcal{I}_{\mathcal{I}} =$  $\neg \uparrow \nabla \neg \neg [ \uparrow \{ \} \uparrow \uparrow ] [ \exists \rangle \sqcup \langle \neg \neg \rangle \backslash \swarrow \uparrow^{\infty \bigtriangleup} \mathcal{F} \nabla \wr \Uparrow \sqcup \langle \rangle \int_{\mathcal{I}} \neg \nabla \int_{\mathcal{I}} \neg ] \sqcup \rangle \sqsubseteq ] \Leftrightarrow \mathcal{S} \wr \} \mathcal{N} \wr ] \wr \backslash f \rangle [ \neg \nabla f \mathcal{Z} \sqcap \updownarrow ] \land$  $\label{eq:constraint} $$ $ \left\{ \nabla \right\} \\ $ \left$  $\exists \ \texttt{I} \ \texttt{$  $\mathcal{Z} = \texttt{I} =$ 

 $\mathcal{A}_{U}^{I}_{\mathcal{I}}}_{\mathcal{I}}^{I}$  $\mathcal{I} \nabla ] \ddagger \mathsf{A} ( \Leftrightarrow \uparrow) \sqcup ( \mathsf{A} \cup \{ \sqcup ( \mathcal{P} ) \nabla \sqcap \sqsubseteq ) \mathsf{A} ) ( ) \} ] ( \mathsf{A} \cup \{ \sqcup ( \mathcal{P} ) \nabla \sqcap \sqsubseteq ) \mathsf{A} ) ( )$  $\exists \langle i \Uparrow \langle 1 \rangle \setminus \{ \uparrow \Box \} \cup \{ \neg f \sqcup \langle 1 \} \nabla ] \dashv \cup \mathcal{M} \dashv \nabla \S \rangle f \sqcup \sqcup \langle \rangle \setminus \| ] \nabla \mathcal{M} \dashv \nabla \rangle i \sqcup ] \} \Box \rangle \neg \uparrow \mathcal{Z} \Box \uparrow ] \backslash \simeq f$ 
$$\label{eq:constraint} \begin{split} & \label{eq:constraint} \partial_{\mathcal{T}} = \mathcal{T} \\ & \l$$
 $\mathcal{A} \text{fil} \to \text{introduct} \\ \mathcal{A} \text{fil} \to$  $\mathcal{P} ] \nabla \Box \sqsubseteq \rangle \exists \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle ] [\mathcal{M} \exists \nabla \rangle \dot{a} \Box ] ] \Box \rangle \simeq \int \Box \langle \rangle \langle U \rangle \langle \Box \rangle \langle \Box \rangle ] \exists \Box \nabla f \infty \exists \in \ni \mathbb{C}$  $\neg \left( \sum_{i=1}^{I} \left($  $\neg \nabla f f \{ \nabla i (\langle f | J | U \rangle ) \} \supseteq \cup \langle \mathcal{Z} \Box | J \rangle \langle \mathcal{L} / \mathcal{L} / \mathcal{L} / \mathcal{M} \neg \nabla i U \} \Box \rangle \Box \neg f | \langle U \neg U U \rangle \langle J \rangle$  $\label{eq:linear_states} \\ \end{tabular} \\ \$ 

 $\mathcal{I}_{\mathcal{I}} = \mathcal{I}_{\mathcal{I}} =$  $\leftarrow \mathcal{T}(\mathbb{R}) \\ \Rightarrow \mathcal$  $\Leftarrow \mathcal{P} \dashv \nabla \dashv \ddagger \ddagger \rceil \ddagger \mathcal{L} \ge \exists \int \neg \mathcal{E}_{\mathcal{L}} \mathcal{D}_{\mathcal{L}} \mathcal{M} \wr \nabla \rbrack \ddagger - \mathcal{P} \exists \nabla \wr \mathcal{S}_{\mathcal{L}} \mathcal{Z} \sqcap \ddagger \rceil \land \Rightarrow \Leftrightarrow \sqrt{\neg} \lfloor \ddagger \rangle \int \langle \exists [ \rangle \backslash \sqcup \langle \exists \mathcal{L} \rangle \ddagger \dashv \mathcal{L} \rangle \land \exists \mathcal{L} \land \mathcal{L} \land \exists \mathcal{L} \land \exists$ A = $\underbrace{\mathcal{P}]\nabla \acute{u}}{\leftarrow} \mathcal{L}] \sqcup \mathcal{U} \mathcal{I} \mathcal{P}] \nabla \sqcap \sqsubseteq \rangle \dashv \langle \ddagger \mathcal{P}] \nabla \sqcap \Rightarrow \Leftrightarrow \langle \rangle \} \langle \ddagger \rangle \} \langle \sqcup \rceil [\sqcup \langle \rceil \int_{\sqrt{2}} \nabla \rangle \sqcup \sqcap \dashv \ddagger \{ \{ \rangle \setminus \rangle \sqcup \rangle ] \int_{\sqrt{2}} \nabla \langle \downarrow \rangle \square \langle \downarrow \rangle \downarrow \rangle ] \langle \downarrow \rangle \downarrow \rangle$  $\label{eq:constraint} $ \label{eq:constraint} $ \lab$  $\label{eq:constraint} $$ \A{\nabla}_{+}(A_{f}) \to A_{f}(A_{f}) \to A_{f}$  $(\mathcal{I} \in \mathcal{I} \in \mathcal{I}$ 
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 $| (] f | ( \langle \mathcal{T}_{\mathcal{T}} ) | ( \langle \mathcal{T}_{\mathcal{T}$  $\neg \neg \nabla \neg \int \Box \left[ \swarrow \uparrow^{\infty \bigtriangledown \infty} \mathcal{L} \right] \rangle \left[ \left( \right) \nabla \Leftrightarrow \langle i \supseteq \right] \sqsubseteq \left[ \nabla \Leftrightarrow \langle \neg \int \Pi \sqcap \int \Box \rangle i \rangle \right] \left[ \Box \langle \rangle \int f \downarrow \rangle \neg \downarrow \rangle \int \Box \ddagger \neg \left[ \uparrow \Diamond \land \downarrow \rangle \right] \rangle \rangle \rangle \rangle = 0$ 

 $\mathcal{Z} \sqcap \ddagger \left\{ \left\{ \left\{ \right\} \land \left\{ \right\}$  $\sqcup \langle ]\mathcal{A}_{l} \rangle \\ \dashv \rangle \\ \delta \langle \mathcal{P} \nabla \wr \langle \mathcal{I} \backslash [i] \rangle \\ \dashv \simeq \int [\rangle ] \wr \sqcap \nabla f ] \\ \dashv \rangle \\ \land \rangle \\ \langle \mathcal{I} \backslash [i] \land \sqcup \rangle \\ \land \rangle \\ \langle \mathcal{I} \rangle \\ \neg \Box \\ \sqcup \rangle \\ \land \rangle \\ \langle \mathcal{I} \rangle \\ \neg \Box \\ \sqcup \rangle \\ \land \rangle \\ \langle \mathcal{I} \rangle \\ \neg \Box \\ \Box \\ \neg \Box$   $- + + \nabla ] \langle \rangle f \sqcup \} \nabla i \sqcap \sqrt{-} \uparrow \mathcal{T} \langle ] f \sqcap [ f \sqcup + \setminus \sqcup \rangle + \ddagger \ddagger \uparrow \nabla + \lceil \rangle ] + \ddagger \setminus - \nabla ] i \{ \sqcup \langle ] \mathcal{A} f \{ j \} \to \sqcup \rangle i \setminus \simeq f \in \mathcal{T} \setminus \mathcal{T}$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \la$ A =

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$$\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \begin{split} & \int \Box \nabla \Box \} \\ & \downarrow \\$$
$$\label{eq:constraint} \begin{split} & [] \label{eq:constraint} [] \label{eq:const$$
 $\langle \neg [\Box \langle ] \ \neg \neg \Box \nabla \rangle \langle \Box \rangle \rangle [\nabla ] \neg \langle \uparrow \rangle \langle ] \nabla ] \neg \Box \rangle \rangle \\ + \langle ] \Box \mathcal{P} ] \nabla \Box \Box \langle ] \nabla ] \rangle \langle [ \rangle \} ] \langle z \Box \int_{\sqrt{1}} \neg \langle \neg \downarrow \neg \downarrow \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \\ + \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\frac{1}{\sqrt{\sqrt{\nabla}}} \int \int \left( \frac{1}{\sqrt{2}} \left( \frac{1}{\sqrt{2}} \right) \right) \left( \frac{1}{\sqrt{2}} \left( \frac{1}{\sqrt{2}} \right) \right) \left( \frac{1}{\sqrt{2}} \left( \frac{1}{\sqrt{2}} \right) \right) \left( \frac{1}{\sqrt{2}} \right) \left($ 

 $\langle \dagger_{\sqrt{2}} \nabla \lfloor t \rangle \rfloor_{\sqrt{2}} \langle \nabla \dashv f \rceil \neg \uparrow \mathcal{T} \langle \rceil \rangle \backslash [\rangle \} ] \langle t \sqcap f_{\sqrt{2}} \nabla t \lfloor \ddagger \rceil \Downarrow \mathcal{T} \langle \rceil \rangle \langle \mathcal{T} \rangle \rangle \langle f \mathcal{T} \rangle \rangle \langle f \mathcal{T} \rangle \rangle \langle f \mathcal{T} \rangle \langle f$ 

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 $\mathcal{A}_{\ell} = \mathcal{A}_{\ell} = \mathcal{A}_{\ell}$  $\infty \exists \textit{I} \exists \Leftrightarrow \dashv \sqcup \sqcup \langle \rceil \dashv \} \rceil \wr \{ \sqcup \sqsupseteq \rceil \setminus \sqcup \dagger \Leftrightarrow \sqcup \langle \rceil \mathcal{A} \text{f} \wr \} \rangle \land \forall \beta \land \mathcal{P} \nabla \wr \land \mathcal{I} \setminus [i\} \rceil \setminus \dashv \Leftrightarrow \dashv \swarrow \nabla \rangle \sqsubseteq \dashv \sqcup \rceil$  $\neg f = \langle \mathcal{V} \rangle = \langle \mathcal$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:linear_states} \\ \label{eq:linear_states} \\ \label{eq:linear_st$  $f = \nabla - (1 + 1) + (1 + 1$ 

 $\nabla ] \sqcup \Box \nabla \setminus \sqcup \wr \mathcal{L} \rangle \ H_{\swarrow}$ 

 $\sqrt{\nabla \mathbb{E}} = \frac{\nabla \mathbb{E}}{\sqrt{2}} = \frac{\nabla \mathbb{E}}{\sqrt{2}}$  $\sqrt{-1} = \frac{1}{\sqrt{-1}} \sqrt{-1} \sqrt{$  $\Box \langle \neg \Box \rangle \Box f \neg \langle z | ] \Box \rangle \Box ] \Box \neg f \Box \langle \nabla z | z | ] \rangle \langle [ \rangle \} ] \langle z \Box f \rangle ] \rangle \Box f \rangle ] J \rangle \langle D f \rangle ] J \rangle \langle D f \rangle ] \rangle \langle D f \rangle \rangle \rangle \langle D f \rangle \rangle \rangle \langle$  $\mathcal{A}_{\text{fl}}) \dashv j \land \mathcal{P}_{\text{fl}} \land \mathcal{I}_{\text{fl}} \land$  $\mathcal{P} \nabla \mathcal{E} \mathcal{I}_{\mathcal{I}}$  $\mathcal{A} = \mathcal{A} =$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 

 $[ \rangle \rangle V \rightarrow \sqrt{ ( † D ( \nabla \neg \dashv \Theta \setminus \dashv \nabla \nabla \neg \dashv \Box) [ \{ \nabla ( \ddagger M \dashv \dagger) \nabla \simeq f_{\mathcal{A}} \} \setminus U ( \{ \Box \} ) ] ] ] } \\ \mathcal{M} \dashv \nabla \rangle \delta \sqcup ] P \rangle \simeq f \dashv f f f f f ( \uparrow \Box \uparrow W ( \dashv \Box \supseteq) ) ] \langle \dashv \sqrt{} f \sqcup ( \dashv \Box \supseteq \langle \rangle) ] \langle \sqrt{} D \langle \dashv \sqrt{} f \Rightarrow \rangle \rangle [ ] \dashv ] ] } \\ J \rangle \nabla J \sqcap \ddagger f \sqcup \dashv \downarrow ] f \Leftrightarrow f \langle t \sqcap \Box \uparrow ( \dashv \Box \square ) \downarrow \uparrow \uparrow ] \{ \nabla ( \ddagger \sqcup \Box \land \Box ) \land \downarrow ) \} ] \rangle t \uparrow f \downarrow f \land f \downarrow ] f \leftrightarrow f \land f \downarrow ] ] \{ \nabla ( \ddagger \sqcup \square ) \land \downarrow \uparrow \uparrow ] ] \} \rangle t \downarrow f \dashv f \land f \downarrow ] ] \}$ 

 $\mathcal{I}_{\Box} = \mathcal{I}_{\Box} = \mathcal{I}_{\Box}$  $\int d^{1} d$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\exists \exists \forall \nabla \rangle \\ \mathcal{P} \\ \forall \Box \simeq \int \{ \exists \nabla \\ \exists \partial \nabla \\ \exists$ 

 $\Box ( ] \{ \{ \} ) \to \downarrow ( ] \{ \cup \} \cup \{ \cup \}$  $- I f = \frac{1}{2} - I f = \frac{1}{2} - \frac{1}{2} -$  $\label{eq:constraint} [\label{eq:constraint}] \\ \label{eq:constraint} [\labe$  $\mathcal{C} = \mathcal{C} =$  $\mathcal{A} \texttt{IIV} \texttt{IV} \texttt{IV$  $- \text{Image} = \text{Image$  $\label{eq:point_states} $$ \sqrt{2} \leq \sqrt{2} <\sqrt{2} <\sqrt{2$ = M

 $\mathcal{C} \land \mathsf{L} \sqcup \mathsf{L} \land \mathsf{L} \land$ 

 $\label{eq:constraint} \label{eq:constraint} \\ \label$  $\mathcal{J} = \mathsf{I} =$  $\label{eq:linear} \label{eq:linear} \label{eq:$  $f(1) = \frac{1}{1} + \frac{1}{1}$  $+ \left\lfloor \Box \int J + \right\} + \left\{ \Box \right$  $\mathcal{L} = \mathcal{L} =$  $\int_{\mathcal{T}} \left[ \left( \mathcal{T} \right) \left( \mathcal{T}$  $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$ 

 $\int \left[ \sqrt{-1} \nabla \left[ \left( \left[ \left( \sqrt{2} \right) \right] \right] \right] \right] \right] \left[ \left( \left[ \left( \sqrt{2} \right) \right] \right] \right] \left[ \left( \left[ \left( \sqrt{2} \right) \right] \right] \right] \right] \left[ \left( \left[ \left( \sqrt{2} \right) \right] \right] \right] \left[ \left( \left[ \left( \sqrt{2} \right) \right] \right] \right] \left[ \left( \left[ \left( \sqrt{2} \right) \right] \right] \right] \left[ \left( \sqrt{2} \right) \left[ \left( \sqrt{2} \right) \right] \left[ \left( \sqrt{2} \right) \left[ \left( \sqrt{2} \right) \right] \left[ \left( \sqrt{2} \right) \left[ \left( \sqrt{2} \right) \right] \left[ \left( \sqrt{2} \right) \left[$  $\label{eq:constraint} \end{tabular} \\ \end{t$  $\verb"(lightarrow lightarrow lighta$  $\label{eq:linear} \\ \label{eq:linear} \\ \lab$  $\label{eq:linear} \\ \label{eq:linear} \\ \lab$  $\mathcal{I}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_{\text{I}}_{\text{I}}_{\text{I}}}_{\text{I}}_$  $\mathcal{R} = \mathcal{C} =$  $\label{eq:constraint} \end{tabular} \end{t$  $\label{eq:constraint} $$ (2) $$ (1000) $$ (2$ 

 $\mathcal{O}^{\dagger}_{\rm I}_{\rm I}_{$  $\mathcal{N} = \mathcal{N} =$  $\Box_{1}^{1} = \Box_{1}^{1} = \Box_{1$ = (1 + 1) ( $\nabla ] \{ \Box f ] \sqcup i \langle \rangle \setminus \nabla \dashv \langle \Vert f \dashv \{ \sqcup ] \nabla \langle \dashv \sqsubseteq \rangle \setminus \} [ ] ] \setminus [ ] \setminus \rangle ] [ \vert \Box f \sqcup \rangle ] ] \{ i \nabla f i \langle i \rangle \land \neg \uparrow i \Box \nabla f i \rangle ] \}$ 

 $\sqrt{\nabla \Pi U} [\nabla S U] / H (1 - V) (1 - V$ 

 $\mathcal{Z} = \mathcal{I} =$  $\texttt{A}^{\texttt{A}} = \texttt{A}^{\texttt{A}} =$  $\exists \forall \mathsf{U} \langle \mathsf{U} \rangle \exists \mathsf{H}_{\mathbf{A}} \\ f \in \mathcal{P}_{\mathbf{A}} \\ \exists \mathsf{H} \mathcal{P}_{\mathbf{A}} \\ f \in \mathcal{P}_{\mathbf{A}} \\ \exists \mathsf{H} \mathcal{P}_{\mathbf{A}} \\ f \in \mathcal{$  $\label{eq:constraint} \sqrt[\mathcal{V}] = \nabla \left( - \frac{1}{2} \right) + \nabla \left( - \frac{1}{$  $\Box = \left\{ \exists t \in [t_{1}] : t_{1} \in [t_{1}] \\ t_{1}$  $\mathcal{L} = \mathsf{L} =$  $\neg \langle \rangle \downarrow \mathcal{P} \rangle f \langle \rangle \downarrow \langle \mathcal{P} \rangle$  $||\langle|||\rangle \langle ||\rangle \langle ||\rangle\rangle \langle ||\rangle\rangle \langle ||\rangle \langle ||\rangle\rangle \langle ||\rangle \langle ||\rangle\rangle \langle ||\rangle\rangle \langle ||\rangle\rangle \langle ||\rangle\rangle \langle ||\rangle\rangle$  $\label{eq:linear} = \frac{1}{2} \left[ \frac{1}{2} + \frac{1}{2} \right] \left[ \frac{1}{2} + \frac{1}{2} \right]$ 

 $\sqrt{\nabla \left\{\left(1\right)^{+} \left(1\right)^{+} \left(1\right)^{+$  $\neg [\uparrow] \sqcup i \uparrow \neg [\neg] \land [\downarrow] \land (\downarrow] \land [\downarrow] \land [\downarrow] \land (\downarrow] \land (\downarrow] \land (\downarrow] \land (\downarrow] \land (\downarrow] \land (\downarrow$  $|\Box f \sqcup \rangle ] ] \swarrow \uparrow^{\infty} C \wr \langle f | \amalg \Box | \land \downarrow \uparrow \Leftrightarrow Z \Box \uparrow ] \backslash \bigcup \nabla \wr \swarrow \land f | f C \dashv \uparrow \dashv \downarrow \langle \wr \dashv f \dashv \nabla \wr \uparrow ] \uparrow \wr \lbrace \wr \nabla \rangle \backslash [ \rangle \rbrace ] \backslash \wr \Box f$  $\label{eq:constraint} [\label{eq:constraint}] = \label{eq:constraint} \\ \lab$  $\label{eq:linear} \\ \label{eq:linear} \\ \lab$  $\mathcal{I}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{\texttt{I}}}_{\texttt{I}}}_{\texttt{I}}}_{\texttt{I}}}_{\texttt{I}}_{\texttt{I}}}_{$  $\Box \setminus \Pi \Box \int U \rangle \langle \neg U Z \Box \uparrow ] \setminus [] \subseteq \langle U ] [ \langle \rangle f \uparrow \rangle \{] \Leftrightarrow \Box \setminus f | \uparrow \{ \rangle f \langle \uparrow \uparrow \Leftrightarrow U \rangle \langle \uparrow \downarrow \Diamond U \rangle \rangle \downarrow \rangle \subseteq \rangle \setminus \}$ 

 $\mathcal{H} \Box ( + 1 ) f ( - 1 ) ( - 1 ) ( +$ 

 $[\mathbf{k}] = \nabla \mathbf{k} = \mathbf{k} + \mathbf{k$ 

$$\begin{split} |2 \setminus [2 \cup 2 \setminus 1] \setminus [2 \cup 2 \cup 2] \setminus [2 \cup 2] \setminus$$

 $\leftarrow \mathcal{C} \langle \neg \nabla \neg \downarrow \sqcup \rceil \nabla \neg \backslash [\mathcal{M} \wr \nabla \neg \uparrow \Diamond \sqcup \dagger \Rightarrow \neg \uparrow \mathcal{R} \rangle \} \rangle [] \sqcup \langle \rangle \rfloor f \Leftrightarrow \dagger \wr \sqcap f \sqcap \sqrt{\sqrt{2}} \nabla \sqcup (\uparrow \uparrow \downarrow) \langle \rceil \Leftrightarrow \propto$  $\label{eq:constraint} [\ensuremath{\rangle} \nabla \ensuremath{\rangle} \ensuremath{|} \sqcup \ensuremath{\rangle} \ensure$  $\texttt{VI} = \texttt{VI} = \texttt{VI$  $\underbrace{\mathcal{P}\nabla\wr^{\swarrow}}_{\mathcal{A}} \\ \left. \begin{array}{c} \mathcal{P}\nabla\wr^{\swarrow}_{\mathcal{A}} \\ \mathcal{P} \\ \mathcal{P}$ 
$$\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \begin{split} \int & \Box \\ & \Box \\$$
 $\mathcal{M} \dashv \nabla \rangle \dot{a} \sqcup ] \} \sqcap \rangle_{\sqrt{\nabla}} \dashv \rangle f ] [\mathcal{Z} \sqcap \ddagger] \backslash \simeq f \wr \sqcap \downarrow \wr \wr \parallel \rangle \backslash \uparrow \mathcal{V} \rangle [\dashv f_{\sqrt{\neg}} \dashv \nabla \dashv \ddagger] \ddagger \dashv f \Leftrightarrow \uparrow \sqsupseteq \langle \rceil \backslash \langle \rceil [ ] f ] \nabla \rangle [ ] f ]$  $\Box(\mathsf{M}) = \mathsf{M}(\mathsf{M}) = \mathsf{M}(\mathsf$  $\nabla \texttt{M} = \texttt{M}$ 

 $\sqrt{\nabla} \left\{ \left\{ \nabla_{1} \left\{ \nabla_{1} \left\{ \nabla_{2} \left\{ \nabla_{1} \left$ 

 $\left|\right\rangle \left| \uparrow \Box [] [\right\rangle \left( \right) \int | f + f / f$ 

 $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constr$  $\exists \wr \nabla \| \int_{\mathcal{A}} \uparrow^{\infty \forall \bigtriangleup} \mathcal{C} \wr \nabla \nabla ] \int_{\mathcal{A}} \wr \backslash [ \rangle \backslash \} \ddagger \dagger \Leftrightarrow \rangle \backslash \langle \rangle \int \dashv \nabla \sqcup \rangle ] \ddagger ] \uparrow \mathcal{H} \dashv \nabla \sqsubseteq \dashv \nabla [ \dagger \mathcal{S} \dashv \backslash \mathcal{M} \dashv \nabla ] \wr \int \neg \sqcap \backslash \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \lor f \lor \nabla [ d \land \nabla ] \land f \dashv \nabla [ d \land \nabla ] \land f \lor (f \land \nabla ) f$  $ltime{} \\ ltime{} \\ lti$  $\underline{\mathcal{C}\nabla 6} \\ \underline{\mathcal{C}} \\ \underline$  $\mathcal{N\!U\!S\!M} \Leftrightarrow \texttt{IC}_{\mathcal{A}} = \texttt{IC}_$  $| \mathcal{A}_{\mathcal{A}} | \mathcal{A} | \mathcal{A}$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 

 $\mathcal{A} \\ \label{eq:alpha} \mathcal{A} \\ \label{eq:alpha} \mathcal{A}$  $\mathrm{II}_{\mathrm{II}} = \mathrm{II}_{\mathrm{II}} = \mathrm{II}_{\mathrm{II}$  $(\text{AV}) = (\text{AV}) = (\text{A$  $\mathcal{A} \texttt{IIV} \texttt{IV} \texttt{IV$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint$  $\mathcal{A}_{\text{fl}} = \mathcal{A}_{\text{fl}} = \mathcal{A}$  $\underline{\mathcal{A}} \label{eq:linear_states} \underbrace{\mathcal{A}} \label{eq:linear_states$  $\left\{ \underbrace{\mathcal{L}}_{\mathcal{A}} = \underbrace$ 

 $\Box = \int \mathcal{N} = \mathcal$  $\label{eq:eq:expansion} \end{tabular} \\ \end{tabular} \label{eq:expansion} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{$  $\Box \int \Box J = \mathcal{I} = \mathcal{I}$  $\exists \nabla \rangle \sqcup \rangle \backslash \} \swarrow \mathcal{A} \land \neg \nabla \rangle f \rangle \backslash \} \wr \{ \exists \wr \ddagger \rceil \} ] f \sqcup \sqcap [ ] \land \sqcup f \rangle \backslash \mathcal{C} \sqcap f \exists \wr \Leftrightarrow \rangle \backslash \bigvee \nabla \wr \sqcup ] f \sqcup \dashv \} \dashv \rangle \backslash f \sqcup \sqcup \langle ]$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} $$ I = \sum_{i=1}^{n} \left( \sum_{i=$  $\label{eq:constraint} \label{eq:constraint} \\ \label$  $\nabla ] \dashv [ \dagger \{ \wr \nabla \{ ] [ ] \nabla \dashv \downarrow \rangle f \Downarrow_{\mathscr{A}} \uparrow^{\infty \exists'} \mathcal{B} \sqcap \sqcup \rangle \setminus \| ] ]_{\checkmark} \rangle \rangle \} \sqsupseteq \rangle \sqcup \langle \sqcup \langle ] \{ \nabla ] \amalg \sqcap ] \setminus \sqcup ] \wr \sqcup \nabla \dashv [ \rangle ] \sqcup \rangle \wr \langle f \rangle \setminus \langle \rangle f \land \langle \rangle f \land$ 

 ${\rm Altrace} = {\rm Altrace} =$  $\mathcal{P} [\nabla \langle \exists \sqrt{1} \rangle [\exists \forall u \langle ] \rangle [\exists \exists \forall \mathcal{M} ] \rangle ] \exists \langle \mathcal{M} ] \rangle [\exists \forall \mathcal{R} ] [\exists \forall \forall u \langle ] \nabla \} \forall \exists \forall u \langle ] \nabla \} \forall u \langle u \rangle [\exists \forall u \langle u \rangle ] \rangle$  $\underline{\mathcal{L}} \dashv \underline{\mathcal{A}} \sqcap \underline{\mathcal{I}} \land \underline{\mathcal{$  $\Box_{\text{A}} = \sum_{i=1}^{n} \left\{ -\frac{1}{2} \right\} = \left\{ -\frac{1}{2} \right\}$  $\nabla ] \sqsubseteq (1 - 1) \land (1 - 1)$  $\mathcal{P}]\nabla\Box\Box\rangle \mathsf{H}(\mathsf{H})\mathsf{H})\mathcal{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}(\mathsf{H})\mathsf{H})\mathsf{H}$  $\label{eq:constraint} \begin{tabular}{l} \label{eq:constraint} \end{tabular} \end{ta$ 

$$\label{eq:linearized_states} \begin{split} & \text{fl} \to \text{f$$
 $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $t = \frac{1}{2} \left( \frac{1}{1} \right) \left( \frac{1}{2} \right) \left($  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular}$  $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$  $\label{eq:constraint} \begin{tabular}{l} \label{eq:constraint} \label{eq:constraint} \begin{tabular}{l} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \begin{tabular}{l} \label{eq:constraint} \label{c$ 

 $\exists \mathsf{V} = \mathsf{V}$ 

 $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$ ] = [-] =

 $\mathcal{W}[] = \mathcal{V}[] = \mathcal$  $\{ \texttt{ind} \forall \texttt{ind} \texttt{ind} \forall \texttt{ind} \texttt$  $\mathcal{P}_{I}^{+} = \mathcal{P}_{I}^{+} = \mathcal{P}$  $\underset{\sqrt{\sqrt{2}}{\text{Im}}}{\otimes} \underset{\sqrt{\sqrt{2}}{\text{Im}}}{\otimes} \underset{\sqrt{\sqrt{2$  $\label{eq:linearized_linearized$  $\texttt{End} (\texttt{Cond} (\texttt{$  $t^{1}_{I} = t^{1}_{I} = t^{1$  $\Box \nabla \Box ] \text{Im} \Box \rangle \Box \rangle \Box \rangle \langle \rangle f \text{Im} \langle \rangle f \text{Im} \rangle \langle \rangle$  $\sqcup \langle \rangle \nabla f \sqcup \{ \wr \nabla \nabla ] \sqsubseteq ] \setminus \} ] \neg \uparrow \mathcal{I} \langle \dashv \sqsubseteq ] \sqsupseteq \rangle f \langle ] [ \Leftrightarrow l \wr \nabla \nabla ] \sqcup \langle \dashv \backslash \dashv \land \downarrow \sqcup \langle \rangle \setminus \} \Leftrightarrow \sqcup \wr f \sqcap ] ] ] [ \Leftrightarrow \dashv \backslash [ \mathcal{I} \setminus \wr \sqsupseteq ) \land \downarrow ] ] ] [ \Leftrightarrow \dashv \land [ \mathcal{I} \setminus \wr \sqsupseteq ) \land \downarrow ] ] ] [ \Leftrightarrow \dashv \land [ \mathcal{I} \setminus \wr \sqsupseteq ) \land \downarrow ] ] ] [ \Leftrightarrow \dashv \land [ \mathcal{I} \setminus \wr \boxdot ) \land \downarrow ] ] ] [ \Leftrightarrow \dashv \land [ \mathcal{I} \setminus \wr \boxdot ) \land \downarrow ] ] ] [ \Leftrightarrow \dashv \land [ \mathcal{I} \setminus \wr \boxdot ) \land \downarrow ] ] ] [ \Leftrightarrow \dashv \land [ \mathcal{I} \setminus \sqcup ) \land \downarrow ] ] ] ] [ \Leftrightarrow \dashv \land [ \mathcal{I} \setminus \sqcup ) \land \downarrow ] ] ] ] [ \Leftrightarrow \dashv \land [ \mathcal{I} \setminus \sqcup ) \land \downarrow ] ] ] ] [ \Leftrightarrow \dashv \land [ \mathcal{I} \setminus \sqcup ) \land \downarrow ] ] ] ] [ \Leftrightarrow \dashv \land [ \mathcal{I} \setminus \sqcup ) \land \downarrow ] ] ] ] [ \Leftrightarrow \dashv \land [ \mathcal{I} \setminus \sqcup ) \land \downarrow ] ] ] ] [ \Leftrightarrow \dashv \land [ \mathcal{I} \setminus \sqcup ) \land \downarrow ] ] ] ] [ \circlearrowright \dashv \land [ \mathcal{I} \setminus \sqcup ) \land \downarrow ] ] ] ] [ \circlearrowright \dashv \land [ \mathcal{I} \setminus \sqcup ) \land \downarrow ] ] ] ] [ \circlearrowright \dashv \land \dashv \land ] ] ] ] [ \circlearrowright \dashv \land [ \mathcal{I} \setminus \sqcup ) \land \downarrow ] ] ] ] [ \circlearrowright \dashv \land ] ] ] ] ] [ \circlearrowright \dashv \land ] ] ] ] [ \circlearrowright \dashv \land [ \mathcal{I} \setminus \sqcup ] ] ] ] ] [ \circlearrowright \dashv \land ] ] ] ] ] [ \circlearrowright \dashv \land ] ] ] ] [ \circlearrowright \dashv \land ] ] ] ] ] [ \circlearrowright \dashv \land ] ] ] ] [ \circlearrowright \dashv \land ] ] ] ] ] ] [ \circlearrowright \lor \sqcup ] ] ] ] ] [ \circlearrowright \lor \sqcup ] ] ] ] ] [ \circlearrowright \lor \sqcup ] ] ] ] ] ] ] ] ] [ \circlearrowright \lor \sqcup ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] ] ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] ] ] ] ] ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] ] [ \circlearrowright \sqcup ] ] ] ] [ \o \sqcup ] ] ] ] ] ] ] ] [ \o \sqcup ] ] ] ] [ \o \sqcup ] ] ] [ \o \sqcup ] ] ] ] ] [ \o \sqcup ] ] ] [ \o \sqcup ] ] ] [ \o \sqcup ] ] ] ] [ \o \sqcup ] ] ] ] ] [ \o \sqcup ] ] ] ] [ \o \sqcup ] ] [ \o \sqcup ] ] ] ] [ \o \sqcup ] ] ] ] ] [ \o \sqcup ] ] ] ] ] [ \o \sqcup ] ] ] [ \o \sqcup ] ] ] [ ] ] ] ] ] [ \o \sqcup ] ] ] [ \o \sqcup ] ] ] ] ] [ \o \sqcup ] ] ] [ ] ] ] ] [ ] ] ] ] [ \o \sqcup ] ] ] [ ] ] ] [ ] ] ] [ ] ] ] [ ] ] [ ] ] ] [ ] ] ] [ ] ] ] [ ] ] [ ] ] ] [ ] ] [ ] ] ] [ ]$ 

 $\int ] \langle \wr \downarrow \Leftrightarrow ] \wr \sqcup \nabla \rangle [\Box \sqcup ] [ \sqcup \wr \sqcup \langle \rangle \int_{\sqrt{2}} \nabla ] ] \rangle \sqsubseteq ] [ [ \rangle f \rangle [ ] \backslash \sqcup \rangle \{ \rangle ] \dashv \sqcup \rangle \wr \backslash \supseteq \rangle \sqcup \langle \langle \rangle f \mathcal{C} \langle \rangle \backslash ] f ] ] \sqcup \langle \backslash \rangle ]$  $\label{eq:linear} \\ \label{eq:linear} \\ \lab$  $\mathbf{A}_{\mathbf{A}} = \mathbf{A}_{\mathbf{A}} =$  $\label{eq:constraint} [\nabla f(\neg \varphi)] \Leftrightarrow (1 - [\uparrow \varphi] \cap \mathcal{C}() \cap [\neg \varphi]) = (1 - [\uparrow \varphi]) = (1 - [\downarrow \varphi]) = (1 \mathcal{C}(\mathsf{I}) = \mathcal{C$  $\mathcal{A}_{f \wr j} = \mathcal{A}_{f \land j} = \mathcal{A}$  $\mathcal{P} ] \nabla \Box \Rightarrow \Box \setminus J \Box ] ] J J \{ \Box \ddagger \dagger \wr \{\{ ] \nabla ] [ \langle \rangle \ddagger \sqcup \langle ] \ \sqrt{J} \rangle \sqcup \rangle \wr \setminus \{ \langle \wr \setminus \wr \nabla \dashv \nabla \dagger f ] ] \nabla ] \sqcup \dashv \nabla \dagger \rangle \setminus \infty \exists \infty \ni \Leftrightarrow \mathbb{C}$  $\sqrt{\nabla} \mathbb{E} \left\{ \left\{ -\frac{1}{\sqrt{1}} \right\} = \frac{1}{\sqrt{1}} \left\{ -\frac{1}{\sqrt{1}} \right$  $\label{eq:constraint} $$ \sqrt{1} \left[ \int U(A) = \nabla f \right] + \left\{ \mathcal{S} + \mathcal{M} + \nabla \right] \\ $ \int A = \left\{ \mathcal{M} + \nabla \right\} \\ $ \int A = \left\{ \mathcal{M} + \nabla$  $\nabla \texttt{M}(\mathsf{M}) = \mathsf{M}(\mathsf{M}) = \mathsf$ 

 $\mathcal{T}_{1}^{1} = \mathcal{T}_{1}^{1} = \mathcal{T}$  $\amalg \sqcap \dashv \nabla \sqcup \urcorner \nabla \Leftrightarrow \int \langle \wr \sqcap \sqcup \rangle \setminus \rbrace \simeq [ \urcorner \dashv \sqcup \langle \sqcup \wr \sqcup \langle \urcorner ] \mathcal{C} \langle \rangle \setminus ] f ] \to \simeq \mathcal{T} \langle \urcorner \land \exists \S \sqcup [ \dashv \dagger \sqcup \langle \urcorner \Uparrow \dashv \dagger \wr \nabla \wr \{ \mathcal{L} \rangle \Uparrow \dashv \wr \nabla \cap [ \urcorner \nabla ] [$  $\int \Box \{ \{ \exists \nabla \} \downarrow \mathcal{L} \} \| \exists \downarrow \rangle f ] \Leftrightarrow \rangle \langle \mathcal{J} \dashv \langle \Box \dashv \nabla \dagger \wr \{ \infty \exists \infty \exists \Leftrightarrow \sqcup \langle \rbrack f \dashv \updownarrow ] \dagger ] \dashv \nabla \sqsupseteq \langle \rbrack \backslash \mathcal{Z} \Box \updownarrow ] \backslash \ddagger \dashv \Box \backslash ] \langle \rbrack [$  $\label{eq:constraint} \label{eq:constraint} \\ \begin{aligned} \begin{aligned} & \texttt{C} \end{aligned} \\ & \texttt{C} \en$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathcal{L} \exists \forall \forall \mathcal{L} = \mathcal{L$ 

 $\exists i \in \mathcal{I} = \{i \in \mathcal{I} \in \mathcal{$  $\sqrt{\nabla t} \left( \bigcup \right) \left( \bigcup \left( \bigcup \right) \right) \left( i \right) \left( i \right) \left( i \right) \left( \bigcup \right) \left( i \right) \left( \bigcup \right) \left( i \right) \left( \bigcup \right) \left( \bigcup$ 
$$\label{eq:constraint} \begin{split} & [] \sqsubseteq \neg f \sqcup \neg \Box \rangle \\ & \{ \wr \nabla \sqcup \langle ] & \mathcal{C} \langle \rangle \backslash ] f ] \sqcup \langle \neg \sqcup \mathcal{A} \text{ f} [ \neg f \neg f \neg f \rangle \rangle \\ & \{ \neg V \sqcap \mathcal{T} \rangle \backslash \{ \neg \downarrow \rangle \land \mathcal{P} ] \nabla \sqcap \sqcup \wr \mathcal{P} ] \\ & \forall \neg \Box \rangle \\ & ( \neg \Box \land \mathcal{P} ) \land \mathcal{P} ] \\ & ( \neg \Box \land \mathcal{P} ) \land \mathcal{P} )$$
 $\label{eq:constraint} []{[|\langle | \rangle | U ] V]} \\ (\langle \rangle f ] U | U V \\ (\langle \rangle f ] V | U V \\ (\langle \rangle f ] V | V V \\ (\langle \rangle f ] V | V V \\ (\langle \rangle f ] V \\ (\langle \rangle f \\ (\langle \rangle f ] V \\ (\langle \rangle f \\ (\langle \rangle f ] V \\ (\langle \rangle f \\$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint$  $\sqcup \langle ] \sqsupseteq \wr \nabla \parallel ] \nabla f \wr \{ \sqcup \langle ] \mathcal{F} ] [ ] \nabla \dashv ] \rangle \delta \backslash \mathcal{O} \lfloor \nabla ] \nabla \dashv \mathcal{R} ] \} \rangle \wr \dashv \ddagger \mathcal{P} ] \nabla \sqcap \dashv \checkmark \checkmark \checkmark \checkmark \mathcal{A} \sqcup \backslash \iota \sqcup \rangle \ddagger ] [ \rangle [$  $\mathcal{Z} = \frac{1}{2} + \frac{1}{2}$  $||\langle \rangle \nabla [|f|| | \langle \mathcal{D} \rangle [\langle ||] \uparrow f = [\rangle \{ | \nabla | \langle \mathcal{D} \rangle | \langle || \rangle \} | \langle \mathcal{D} \rangle | \langle || \rangle \} | \langle \mathcal{D} \rangle | \langle || \rangle | \langle \mathcal{D} \rangle | \langle || \rangle | \langle$  $\label{eq:constraint} \end{tabular} \end{$  $\infty \bigtriangledown \prime^{\kappa} \bigtriangledown \infty \Rightarrow$  $\mathcal{N} \\ \land \mathcal{Z} \\ \neg \mathcal$ 

 $\Leftarrow \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right| \mathbf{M} - \nabla \right) = \left( \left| \mathcal{M} - \nabla \right) = \left($ 

 $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $(\langle | \rangle ) = (\langle | \rangle )$  $\label{eq:linear} \label{eq:linear} \\ \label{eq:linear} \\ \label{eq:linear} \label{eq:linear} \\ \label{e$  $\mathcal{M} = \mathsf{Link} = \mathsf{M} = \mathsf{M}$  $\exists \nabla \rangle \sqcup ] \nabla \int \int \Box ] \langle \exists \int \mathcal{J} \Box \rangle \forall \mathcal{W} \rangle \} \exists \langle \mathcal{S} \Box \rangle \mathcal{Y} \Box \rangle \Leftrightarrow \exists \int \sqcup \nabla \exists \sqcup \rangle \rangle \langle \Box \rangle \langle \rangle \exists \neg \sqcup \rangle \rangle \langle \Box \rangle \cup \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:point_line} \langle \text{Minimum} \mathcal{A}_{\text{Minimum}} \rangle \rangle \\ \mathcal{A}_{\text{Minimum}} \rangle \\ \mathcal{A}_$  $\label{eq:product} \sqrt{|\nabla\langle \neg j|\langle ij| \cup i\rangle| |U|\rangle} \\ (1)$   $\mathcal{Z} = \mathcal{I} =$  $\underline{]\uparrow\uparrow]}\Box] \leftrightarrow \\ \neg [\uparrow\uparrow] d \nabla [] \{ \nabla ] \mathcal{Z} \Box \uparrow ] \setminus \simeq \int \Box \langle \downarrow \rangle \langle \uparrow [] d \nabla ] d \nabla [] d \nabla [$  $\label{eq:linear} \\ \label{eq:linear} \\ \lab$  $\mathcal{C}(\mathsf{A}) = \mathcal{C}(\mathsf{A}) = \mathcal{C$  $\mathcal{D}\wr \nabla \dashv \mathcal{M} \dashv \dagger \exists \nabla \simeq f \Leftrightarrow \dashv \rbrace \nabla \exists \dashv \sqcup [\exists ] [\exists \nabla \wr \{ \sqcup \langle ] \mathcal{C} \langle \rangle \backslash ] f ] \rangle \mathcal{P} \exists \nabla \sqcap \Leftrightarrow | \sqcap \sqcup \wr \{ \sqcup \langle ] \dashv \backslash \sqcup \rangle^{\kappa} \mathcal{C} \langle \rangle \backslash ] f ]$  $\label{eq:constraint} \\ \end{tabular} \\ \end$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \la$ 

 $\mathcal{G} \nabla \dashv \text{Im} \mathcal{D} \simeq \mathcal{I} \land \mathcal{I} \land \mathcal{I} \sim \mathcal{M} \land \text{Im} \land \mathcal{I} \sim \mathcal{I} \land \mathcal{I} \land \mathcal{I} \sim \mathcal{I} \land \mathcal{I} \circ \mathcal{I}$  $\Box = \left\{ \Box = \left\{ \subseteq = \left\{$ = 2C = C + $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\exists \wr \nabla \| \rangle \backslash \} \rfloor \rangle \nabla ] \sqcap \Uparrow f \sqcup \dashv \land ] f [ \dagger \sqcup \langle ] \sqcup \rangle \And ] \langle ] \rfloor \nabla ] \dashv \sqcup ] [ \sqcup \langle ] \mathcal{A} f \wr ] \rangle \dashv ] \rangle \delta \backslash \mathcal{P} \nabla \wr \nwarrow \rangle \backslash [ i \} ] \backslash \dashv \supseteq ] \nabla ]$ 

 $\underline{\neg} = \underline{\neg} =$  $\mathcal{Z} \cap \texttt{I} \setminus \mathcal{I} \in \mathbb{Z} \setminus \mathbb{Z} \setminus$  $\mathcal{T}_{\text{T}}^{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}}_{\text{T}}_{T$  $\mathcal{G} \\ \\ \mathcal{G} \\ \mathcal{G}$  $\label{eq:point_states} \sum_{i=1}^{n} \left\{ \neg \left( \frac{1}{2} \right) \right\} \\ \left\{ \neg \left( \frac{1}{2}$ 

 $\mathcal{W}] \searrow \mathcal{I}$ 

 $\in \swarrow \in \checkmark \mathcal{S} \setminus \mathcal{E} \setminus \mathcal{P} \cup \Box \subseteq \mathcal{A} \cup \mathcal{D} \cup \mathcal{I} \cup \mathcal{$ 

 $\mathcal{R}] \setminus [] \nabla \rangle \} \{ \mathcal{S}] \ddagger \{ \mathcal{K} ] \{ \mathcal{K} \} \downarrow \uparrow \rangle \cup \neg \cup \rangle \land \neg \cup [\mathcal{O} \cup \langle ] \nabla \mathcal{S} \Box \nabla \sqsubseteq \rangle \sqsubseteq \neg \cup ] \} \rangle ] \mathcal{I}$  $\mathcal{B}(\nabla \setminus \mathbb{C}(\mathbb{A}) \to \mathcal{C}(\mathbb{A}) \to \mathcal{C}(\mathbb{$  $\\ [] \int \sqcup \langle \neg \nabla \neg \sqcup \wr \nabla \int \langle \mathcal{P} ] \nabla \sqcap \simeq \int \mathcal{G} ] \langle \neg \nabla \neg \sqcup \rangle \\ \langle \land \langle \infty \exists \forall' \Leftrightarrow \neg \uparrow \wr \rangle \} \\ \exists \rangle \sqcup \langle \mathcal{A} \uparrow \wr \rangle \int \mathcal{C} \sqcap ] \sqcup \\ \Leftrightarrow$  $\mathcal{G} \sqcap \texttt{I} \land \texttt{I} \land$  $\{ \rangle | \sqcup \rangle \wr \exists \langle ] \setminus | \ddagger \exists \exists \exists \exists U \mathcal{NUSM} \mathcal{N} \mathcal{S} \rangle \Box \exists \exists \exists U \mathcal{N} \mathcal{V} \rangle \land \mathcal{M} \exists \forall \mathcal{M} \rangle \Leftrightarrow \exists \exists d \mathcal{M} \mathcal{M} \mathcal{M} \rangle$  $\label{eq:constraint} $$ $ \int U = \mathcal{C} = \mathcal{$  $\label{eq:constraint} $$ \int_{\mathbb{T}^2} \left( \bigcup_{i=1}^2 \nabla_{i} \right) \left( \bigcup_{i=1}^2 \nabla_{i} \nabla_{i} \right) \left( \bigcup_{i=1}^2 \nabla_{i} \nabla_{i} \nabla_{i} \right) \left( \bigcup_{i=1}^2 \nabla_{i} \nabla_{i} \nabla_{i} \nabla_{i} \right) \left( \bigcup_{i=1}^2 \nabla_{i} \nabla_{i}$  $\mathcal{L} = \mathcal{L} =$  $\Leftarrow \label{eq:constraint} \\ \Leftarrow \label{eq:constraint} \\ \label{constraint} \\ \label{eq:constraint} \\ \la$ 

 $\mathcal{I}_{\forall} = \mathcal{I}_{\forall} = \mathcal{I}_{\forall}$  $\label{eq:constraint} \end{tabular} \end{t$  $\{ \exists l \rangle l \rangle \otimes \exists \forall \bigtriangledown_{\mathscr{V}} \mathcal{S} \rangle \\ \exists l \langle l \rangle \Leftrightarrow \langle l \langle \exists l \exists l \nabla \| l | \forall l \rangle \rangle \\ \int | d | d | \forall \langle l \rangle \rangle \\ d | \langle l \rangle \\ d | \langle l \rangle \rangle \\ d | \langle l \rangle$ I = $f_{+} = f_{+} = f_{$  $\langle \neg \sqsubseteq \rangle \rangle \\ \label{eq:point} \Box \rangle \\ \label{$ 

 $\exists \mathcal{I} = \mathcal{I}$  $\label{eq:started} \end{target} \end{target} \end{target} \begin{target} \begin$  $\int \Box \Box [\dagger \Box \langle \neg \Box ] \nabla \langle \neg f ] [\Box \langle ] ] \Box (\Box \Box \neg \neg \uparrow \{ \nabla \langle \backslash \Box \rangle ] \nabla \langle \{ \langle \neg \Box \rangle \rangle ] \Box (\Box \neg \uparrow \neg \uparrow ) ] \langle \neg \uparrow \neg \uparrow \rangle ] = 0$  $\Leftarrow \langle | \langle \neg f \neg C \langle \rangle | f | \neg j \rangle | \Box a \langle | \langle f \rangle \neg \neg a \| \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle f \rangle \langle a \rangle | \Box a \rangle \langle a \rangle \langle a \rangle \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \langle a \rangle \langle a \rangle \rangle \langle a \rangle \langle a \rangle \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \langle a \rangle \langle a \rangle \langle a \rangle \rangle \langle a \rangle \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \langle a \rangle \langle a \rangle \langle a \rangle \rangle \langle a \rangle \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \langle a \rangle \langle a \rangle \langle a \rangle \rangle \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \langle a \rangle \langle a \rangle \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \langle a \rangle \langle a \rangle \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \langle a \rangle \langle a \rangle \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \langle a \rangle \langle a \rangle \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \rangle \\ \mathcal{S}_{\sqrt{a}} \langle a \rangle \langle a$  $\text{CONTRACTORS} = \mathbb{E} \left\{ \text{CONTRACTORS} \left\{ \text{CONTRACTORS} \right\} \\ \text{CONTRACTORS} = \mathbb{E} \left\{ \text{CONTRACTORS} \left\{ \text{CONTRACTORS} \right\} \\ \text{CONTRACTORS} = \mathbb{E} \left\{ \text{CONTRACTORS} \right\} \\ \text{CONTRACTORS} = \mathbb{E} \left\{ \text{CONTRACTORS} \right\} \\ \text{CONTRACTORS} = \mathbb{E} \left\{ \text{CONTRACTORS} \\ \text{CONTRACTONS} \\ \text{CONTRACTORS} \\ \text{CONTRACTORS \\ \text{CONTRACTORS} \\ \text{CONTRACTORS} \\ \text{CONTRACTORS} \\ \text{CONTRACTORS \\ \text{CONTRACTORS \\ \text{CONTRACTORS} \\ \text{CONTRACTORS \\ \text{C$  $\nabla ] \{ \ddagger \} \sqcup \rangle \setminus \} \wr \sqcup \langle \rangle f \rangle [ ] \setminus \sqcup \rangle \sqcup \dashv \nabla \rangle \dashv \backslash \} \wr \langle [ \sqcap f \rangle \wr \langle \Rightarrow S \rangle \sqcap \nabla ] ] \dashv \ddagger \ddagger f \sqsupseteq \langle ? \rangle \sqcup \sqsupseteq \wr \mathcal{P} ] \nabla \sqcap \sqsubseteq \rangle \dashv \langle \exists \land P ] \lor \exists \land P ] \sqcup \Box \land P ] \sqcup \exists \land P ] \sqcup \Box \cap P ] \sqcup \sqcup \Box \cap P ] \sqcup \sqcup \Box \cap P ] \sqcup \sqcup \cap P ] \sqcup \Box \cap P ] \sqcup \Box \cap P ] \sqcup \Box \cap P ] \sqcup \cap P ] \sqcup \Box \cap P ] \sqcup \Box \cap P ] \sqcup \Box \cap P ] \sqcup \cap P ] \sqcup \sqcup \Box \cap P ] \sqcup \Box \cap P ] \sqcup \cap P ] \sqcup \Box \cap P ] \sqcup \sqcup \cap P ] \sqcup \cap P ] \sqcup \square \cap P ] \sqcup \sqcup \cap P ] \sqcup \cap P [ \square \cap P ] \sqcup \cap P [ \sqcup \cap P ] \sqcup \cap P ]$  $\mathcal{C}(\mathsf{I}_{\mathcal{V}}) = \mathcal{C}(\mathsf{I}_{\mathcal{V}}) = \mathcal{C}$  $\mathcal{R}]\} \dashv \nabla [\rangle \backslash \} \langle \rangle f \wr ] \sqcap \sqsubseteq \nabla ] \Leftrightarrow \mathcal{S} \land \sqcap \{ \rangle \nabla f \sqcup \bigcap \sqcup \langle \uparrow \langle \uparrow \rangle f \langle \uparrow [ \sqcup \langle ] f \langle \wr \nabla \sqcup f \sqcup \wr \nabla \uparrow ] \iota \uparrow \downarrow \uparrow ] \rfloor \sqcup \rangle \wr \backslash f \underline{\mathcal{E}} \uparrow$  $\leftarrow \mathcal{T}(\mathbb{R}^{\mathcal{T}}) = \mathcal$ 

 $\texttt{interm} = \texttt{interm} = \texttt{in$ 

 $[] f ] \nabla \rangle [] \sqcup \langle ] [ \dashv \rangle \ddagger \dagger \ddagger \rangle \{ ] \wr \{ \mathcal{L} \rangle \ddagger \dashv \simeq \int \mathcal{C} \langle \rangle \backslash ] f ] \underline{[ \wr [ ] \}} \Box ] \nabla \wr f \langle \wr \bigvee [ ] ] \sqrt{]} \nabla f \Leftrightarrow \rangle \backslash ] \ddagger \Box [ \rangle \backslash \} \underline{\Box} \dashv$  $\label{eq:constraint} \int [n_{\rm c}] \nabla {\rm d} \rangle {\rm d} \rangle$  $\label{eq:constraint} $ \end{tabular} $ \end$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constra$ 
$$\label{eq:linearized_states} \begin{split} |l\rangle|_{\mathcal{A}} & = \frac{1}{2} \\ |l\rangle|_{\mathcal{A}}$$
 $\mathcal{L} = \mathcal{L} =$  $\Box \langle ] \rangle \nabla \downarrow l \Box ] \{ l \nabla \} \dashv \downarrow ] f \dashv \langle [ \} \dashv \downarrow [ \downarrow \rangle \backslash \} \Leftrightarrow \dashv \langle [ \Box \langle ] \rangle \nabla \Box ] \backslash [ ] \backslash \downarrow \dagger \Box l | \Box [ \} ] \downarrow l \langle \nabla l \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle$ 

 $\sqrt{\langle \dagger f \rangle} = \frac{1}{\sqrt{\sqrt{1 + 1}}} = \frac{1}{\sqrt{1 + 1}} = \frac{1}{\sqrt$  $\label{eq:linear} \label{eq:linear} \\ \label{eq:linear} \\ \label{eq:linear} \label{eq:linear} \\ \label{e$  $\exists \neg \nabla \\ | [\langle \rangle f \land \forall \neg \rangle ] \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\ | 2 \\$  $\mathcal{E}_{i} = \mathcal{E}_{i} = \mathcal{E}_{i}$ I = $\Box \ [] \nabla f ] \wr \nabla ] f \sqcup \langle ] \dashv \Box \sqcup \langle \wr \nabla \simeq f \rangle \backslash \sqcup ] \backslash \sqcup \rangle \wr \backslash \sqcup \wr ] \nabla ] \dashv \sqcup ] \dashv \sqcup ] f \sqcup \rangle \ddagger \wr \rangle \dashv \downarrow \sqcup ] \S \sqcup \neg \uparrow \mathcal{W} \langle ] \backslash \langle ]$ 

+ I $+ \int \langle \Box | \langle A \rangle | A \rangle = \int \langle A \rangle | A \rangle | A \rangle | A \rangle = \int \langle A \rangle | A \rangle$  $|\langle\rangle \{ \neg f \Leftrightarrow \underline{[l]} \neg f \notin \underline{[l]} \neg f f \sqcup l \nabla f f \oplus l \langle J \rangle f \Leftrightarrow l \langle J \rangle f \leftrightarrow l \langle J \rangle f \oplus l \langle J \rangle$  $\langle \Box \langle ] \nabla \mathcal{C} \langle \rangle \rangle ] f ] \dashv \langle \Box \Box f a \rangle ] \langle \rangle \ddagger [ \nabla ] \backslash \sqsupseteq ] \nabla ] \sqsubseteq \rangle \exists \Box \rangle \ddagger f \swarrow \mathcal{A} \rangle \langle \sqsupseteq \dashv \mathcal{O} \rangle \ddagger ] \langle \Box \langle ] f ] \{ \dashv ] \Box \wr \nabla f \}$  $\mathcal{C}(\mathsf{I}) = \mathcal{C}(\mathsf{I}) = \mathcal{C$  $[ \Box \nabla \int \Box \Box \langle \nabla \rangle \Box \} \langle J \updownarrow \rangle \Box ] [ [ ? \nabla [ ] \nabla f \dashv \langle [ \langle \nabla ] ] [ \Box \int \int \langle \neg f \downarrow ] f \langle ? \nabla ] J \rangle \langle \downarrow \rangle ] \downarrow ] \Box \rangle \sqsubseteq \rangle \Box \rangle ] f \Leftrightarrow \Box \langle ] \dagger$  $\Leftarrow \infty \exists \nabla \exists \sqrt{\mathcal{I}} [] [ \Leftrightarrow \exists \mathbb{I} \setminus f \in \mathbb{I} \setminus [] \nabla \exists \mathbb{I} \subseteq \mathbb{I} \subseteq \mathbb{I} \subseteq \mathbb{I} \setminus [] \nabla \exists \mathbb{I} \subseteq \mathbb{I} \subseteq \mathbb{I} \subseteq \mathbb{I} \subseteq \mathbb{I} \setminus [] \nabla \exists \mathbb{I} \subseteq \mathbb{I}$ 

 $+ \prod (2\nabla \simeq \int \{-1)^{\dagger} (1)^{\dagger} (1)^{\dagger$  $2[\dagger f f ] \dagger \rangle \langle \neg f \rangle \langle \nabla \sqcup f \sqcup i \nabla \uparrow \{ ] \dashv \sqcup \sqcap \nabla \rceil [ \rangle \rangle \langle \underline{\mathcal{E}} \downarrow \sqcup \nabla \dashv \textcircled{i} i \{ \rangle \backslash \dashv \textcircled{i} \leftrightarrow \Box \rangle \sqcup \updownarrow ] [ \uparrow \mathcal{E} \backslash \dashv \textcircled{i} \dashv \bigtriangledown \dashv \bigtriangledown \dashv \nabla \uparrow \Leftarrow \mathcal{O} \backslash \sqcup \langle ]$  $\mathcal{H} \\ \\ \mathcal{S} \\ \\ \\ \mathcal{S} \\ \\ \mathcal{S} \\ \\ \mathcal{S} \\ \mathcal{S}$  $\texttt{interm} \\ \texttt{interm} \\ \texttt{in$  $\{ \nabla \wr \exists \mathcal{H} \wr \ \mathcal{K} \wr \ \mathcal{K} \wr \ \mathcal{K} \lor \ \mathcal$  $\infty \forall \exists \textit{I} \mid \texttt{I} \in \mathbb{Z} \\ \forall \exists \textit{I} \mid \texttt{I} \in \mathbb{Z} \\ \forall \exists \textit{I} \mid \texttt{I} \mid$ 

 $\label{eq:constraint} \label{eq:constraint} \end{tabular} \\ \end{tabular} \label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \end{tab$ 
$$\label{eq:product} \label{eq:product} \begin{split} f(t) & = \int (t) & = \int (t)$$
 $\label{eq:constraint} \label{eq:constraint} \\ \label$  $\exists \exists \forall \mathbf{A} = \mathcal{A} =$  $\Box = [\nabla_{1} ] [\nabla_{1}$ \≀⊔\≀\$]⊒>⊔⟨≀⊓⊔∫>[]]{{]⊔∫∠  $\mathcal{C}(\mathbf{x}) = \mathcal{C}(\mathbf{x}) = \mathcal{C$ 

 $| \{ \mathbf{x} \in \mathbf{x} \} | \mathbf{x} \in \mathbf{x} \} | \mathbf{x} \in \mathbf{x}$ 

 $\label{eq:point_states} \label{eq:point_states} \l$ 

 $\label{eq:constraint} \left[ \left( \mathcal{F}^{\mathcal{F}}_{\mathcal{F}} \right) \right] \left( \mathcal{F}^{\mathcal{F}}_{\mathcal{F}} \right) \left( \mathcal{F}^{\mathcal{F}}_{$  $\label{eq:linearized_state} \label{eq:linearized_state} \end{tabular} \\ \label{eq:linearized_state} \end{tabular} \end{tabular$  $+ f_{J} = \frac{1}{\sqrt{2}} = \frac{1}{\sqrt$  $\nabla [\neg f_{\lambda} \to \mathcal{I}_{\lambda} \to \mathcal{I}_{\lambda$  $\label{eq:constraint} \exists \nabla \nabla f \Rightarrow U \nabla \nabla d = 0 \\ \exists \nabla d = 0 \\ \forall \forall d = 0 \\ \forall d = 0 \\$  $\exists \wr \nabla \| \lfloor ] \langle \rangle \setminus [ \sqcup \langle ] \rangle \nabla \{ \dashv \Downarrow \rangle \ddagger \dagger \simeq f \} \nabla \wr ] ] \nabla \dagger ] \wr \Box \setminus \sqcup ] \nabla \sqcup \langle \dashv \setminus \{ \wr \nabla \sqcup \langle ] \ddagger \rangle \sqcup \sqcup \ddagger ] \langle \rangle \nabla ] [ \exists \nabla ] \sqcup ] \langle ] f$  $\exists \texttt{I} \\ \forall \texttt{I} \\ \texttt$  $\mathcal{A}\mathcal{f}\mathcal{S} \mathcal{h}\mathcal{h}\mathcal{I}^{\mathcal{h}}\mathcal{I}^{\mathcal{h}}\mathcal{h}^{\mathcal{h}\mathcal{h}\mathcal{h}^{\mathcal{h}}\mathcal{h}^{\mathcal{h}}\mathcal{h}\mathcal{h}^{\mathcal{h}}\mathcal{h}^{\mathcal{h}}\mathcal{h}^{\mathcal{h}}\mathcal{h$ 

 $\Box = \left\{ \nabla \int \Box \right\} = \left\{ \nabla \partial \Box \right$  $\label{eq:constraint} $$ \{ \mathbf{T}_{\mathbf{T}} = \mathbf$  $\mathcal{F}_{\mathcal{V}}^{\mathcal{V}} = \mathcal{F}_{\mathcal{V}}^{\mathcal{V}} = \mathcal{F}_{\mathcal$  $2 \left\{ \int \left( \sum_{i=1}^{n} \left( \sum_{i=1}^{$  $\exists \forall \nabla \| \{ \forall \nabla \| d \} = 0$ 

 $\mathcal{B}^{\text{I}}_{\mathcal{I}} = \mathcal{I}^{\text{I}}_{\mathcal{I}} = \mathcal{I}^{\mathcal$  $\label{eq:constraint} $$ \int \int \int \left[ \right]$ 

 $\mathcal{I} \\ \underline{\mathcal{L}} \\ \underline{\mathcal{L}}$  $\sqcup \langle \rangle f ] \wr \backslash \sqcup ] \S \sqcup \Leftrightarrow \mathcal{R}_{\checkmark} \mathcal{K} ] \nabla \nabla f \sqcup \nabla ] f f ] f \mathcal{S} \rangle \sqcap \simeq f \sqcup \exists \wr \{ \wr \downarrow \lceil \lceil \rangle \downarrow ] \Downarrow \downarrow \dashv \neg \{ \wr \nabla \} \rangle \backslash \} \langle \rangle f$  $\label{eq:point_product} \sqrt{|\nabla f(-1) \cup |1|} \sqrt{|$ 
$$\label{eq:constraint} \begin{split} f(z) = \frac{1}{2} \left( \frac{1}{2} \right) \right) \right) \right) \right)}{2} \right) \right)} \right) \right) \right) \right) \right) \\ = \frac{1}{2} \left( \frac{$$
 $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint$  $| \mathcal{L} | \mathcal{L} | | = \mathcal{L} | = \mathcal{L}$  $\label{eq:constraint} \label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \end{tabul$  $\Box \langle \mathcal{H} \rangle \int_{\mathcal{A}} \mathcal{H} \rangle [\mathcal{H}] \langle \mathcal{H} \rangle ] \Delta \mathcal{H} = \mathcal{H} \langle \mathcal{H} \rangle (\mathcal{H}) + \mathcal{H} \langle \mathcal{H} \rangle (\mathcal{H} \rangle (\mathcal{H}) + \mathcal{H} \rangle (\mathcal{H} \rangle (\mathcal{H}) + \mathcal{H$  $\label{eq:point_started_star$  $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$  $] I = \langle f \rangle = \langle f \rangle$ 
$$\label{eq:constraint} \begin{split} & \neg \nabla \big] \big\backslash \sqcup f \big\rangle \big\backslash \mathcal{R} i \big( \neg J \big) \\ & \leftrightarrow \neg \mathcal{L} \big\rangle \big( \neg \nabla \big\| \big\rangle \big) \big\langle \big( \neg \nabla \big( \neg \nabla \big) \big\rangle \big\rangle \big\langle \big( \neg \nabla \big( \neg \nabla \big) \big\rangle \big\rangle \big\rangle \big) \big\langle \big( \neg \nabla \big( \neg \nabla \big) \big$$

 $\label{eq:constraint} [\end{tabular} \label{eq:constraint} \labe$  $\exists \langle ] \nabla ] \langle ] \nabla ] \sqsubseteq ] \dashv \downarrow f \sqcup \langle \dashv \sqcup \mathcal{H} \acute{e} \rfloor \sqcup \wr \nabla \simeq \int f \sqcup \wr \nabla \dagger \rangle f \langle \rangle f \wr \exists \backslash \neg \uparrow \mathcal{I} \sqcup \rangle \int [ \dashv f \rangle ] \dashv \downarrow \uparrow \dagger \dashv [ \rangle f \rbrace \sqcap \rangle f ] \sqcup \langle \dashv \sqcup \mathcal{I}$  $\Box f [ [ u ( ) ] ] [ [ ] ] ] [ ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] ] [ ] [ ] [ ] [ ] ] [ ]$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $- \Box \cup \langle \partial \nabla \swarrow \mathcal{I} \cup \rangle f \rangle ( \nabla \cup \neg \cup \cup \cup U ) || ] ] \rangle \langle \rangle \rangle ( \Box \langle \neg \cup \cup \langle ] ] \rangle \langle \langle \rangle ] \cup ] - \Box f \rangle \rangle U \langle \rangle f \cup \nabla \neg \Box ( \neg \uparrow ) \rangle f = 0$  $\mathcal{I} \mid \mathcal{A} \mid \Leftrightarrow \sqcup ( \exists \mathsf{C} \mid \mathsf{C} \mid$  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular}$  $\Leftarrow \infty \neq \swarrow \mathcal{A} = \langle \mathcal{$ 

 $\mathcal{I} \setminus \cup \langle \rangle f ] \ddagger \neg f \cup \nabla \wr \bigvee \langle \wr \lfloor \rangle ] \supseteq \wr \nabla \ddagger [ \Leftrightarrow \supseteq ] ] \wr \ddagger ] \neg \downarrow \nabla \wr f f \cup \langle ] \neg f [ \sqsubseteq ] \setminus \cup \sqcap \nabla ] f \wr \{ \neg \mathcal{C} \langle \rangle \setminus ] f ]$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{constraint} \label{eq:constraint} \label{eq:constra$  $\mathcal{A} \sqcap \mathbf{I} \land \mathbf{I} \land$  $\langle \mathsf{I}[\nabla] = \mathsf$ 

 $\int ] \langle \wr \wr \uparrow \uparrow \dashv \sqcup ] \int \downarrow ] \dashv \sqsubseteq ] \int ] \langle \wr \wr \uparrow \sqcup \wr \sqsupseteq \wr \nabla | \rangle \lor \sqcup \langle \urcorner \rangle \nabla _{\sqrt{}} \dashv \nabla ] \setminus \sqcup f \simeq \lfloor \Box f \rangle \setminus ] \int f ] \int_{L'} \mathcal{H} ] \sqcup \langle \urcorner \setminus \sqsupseteq \wr \land [ ] \nabla f$ 

 $\label{eq:constraint} \end{tabular} \end{t$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\frac{1}{\sqrt{1}} \left( \frac{1}{\sqrt{1}} \left( \frac{1}{\sqrt{1}} \left( \frac{1}{\sqrt{1}} \right) \left( \frac{1}{\sqrt{1}} \right) \left( \frac{1}{\sqrt{1}} \left( \frac{1}{\sqrt{1}} \right) \left($  $\Box \nabla \neg [ \rangle \Box \rangle \land \neg \uparrow C \langle \nabla \rangle f \Box \Uparrow \neg f [ \rangle \backslash ] \nabla \neg \exists \neg \rangle \Box f \langle \rangle \Uparrow \neg \uparrow \langle ] \{ ] \updownarrow \Box \neg [ ] ] \checkmark f \langle \nabla \nabla \wr \exists \imath \sqsubseteq ] \nabla \Box \neg \| \rangle \backslash \}$  $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$   $\Box(\neg \Box \langle \neg \rangle \Box \rangle) [\langle \rangle \uparrow ] \uparrow \{ \Leftrightarrow \neg \exists \forall \Box \backslash \Box ] \nabla \sqrt{\nabla \forall} [\Box ] \Box \rangle \Box ] \uparrow \langle \rangle \land \checkmark \uparrow^{\in \infty \in}$  $\mathcal{H}\wr\exists\exists\nabla\Leftrightarrow\rangle\backslash f\sqcup\exists\exists\{\wrl\exists\dagger\rangle\backslash\}\langle\rangle f\{\exists\sqcup\langle\exists\nabla\simeq f\exists\rangle f\langle\existsf\rangle\backslash\exists]\wr\nabla[\exists\backslash\exists\rangle\cup\langle\underline{S}\rangle\exists\wr\langle}$  $\mathcal{I}_{\text{I}}^{\text{I}}_{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}_{\text{I}}^{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}^{\text{I}}_{\text{I}}^{I$  $\label{eq:constraint} \texttt{Lin} = \texttt{CH} \\ \texttt{Lin} \\ \texttt{Lin} \\ \texttt{CH} \\ \texttt{C$  $\mathcal{A}_{\text{f}}[S] = \text{f}_{\text{f}} = \text{f}_{\text{f}}$  $\sqcup\wr\mathcal{S}_{i} = \{\forall f \in \mathcal{S}_{i} \in$  $\int \langle \partial \nabla \Box \int \Box \partial \nabla \rangle ] f \rangle \langle \mathcal{S}_{\mathcal{A}} \dashv \rangle f \langle \Box \partial \uparrow \dashv ] ] ] f f \rangle [ \uparrow ] \Box \partial \Box \Box \rangle \dashv \langle ] \mathcal{P} ] \nabla \Box \Box \rangle \dashv \langle \nabla ] \dashv [ \rangle \rangle \}_{\mathcal{A}} \Box [ \uparrow \rangle ] \mathcal{A} \rangle = \langle \nabla \Box \Box \rangle \land \langle \Box \mathcal{P} ] \nabla \Box \Box \rangle \dashv \langle \nabla \Box \Box \rangle \land \langle \Box \mathcal{P} ] \land \langle \Box$  $\mathcal{H}\acute{e}_{\mathsf{I}} \otimes \mathcal{D}_{\mathsf{I}} \otimes \mathcal{D}_{\mathsf{I}$  $\label{eq:linearized_states} \label{eq:linearized_states} \label{eq:line$ 

 $\mathcal{C}(\mathsf{I}_{\mathsf{I}}) = \mathsf{I}_{\mathsf{I}} = \mathsf{I}_{\mathsf{$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:co$ 
$$\label{eq:constraint} \begin{split} \sqrt{-\mathrm{I}} & \mathrm{I} \left( \frac{1}{2} \right) + \mathrm{I} \left( \frac{1}{2$$
 $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constr$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:co$ 

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 $\label{eq:started} $$ I = \frac{1}{\sqrt{2}} I = \frac{1}{\sqrt{2$  $\mathcal{T}_{\text{A}} = \mathcal{T}_{\text{A}} =$  $\int \Box \nabla \rangle \int \Box \mathcal{C} \setminus \{\Box \} \rangle = \langle A \rangle \rangle = \langle A \rangle \rangle \langle A \rangle$  $- \Box \cup \langle \wr \nabla \rangle \cup - d \nabla \rangle - \langle \sqrt{-} \nabla ] \langle \cup \rangle \rangle \\ \Leftrightarrow \nabla ] \int_{\mathcal{N}} \langle \backslash f \rangle [ \rangle \\ \uparrow \rangle \cup \dagger \Leftrightarrow - \langle f \rangle ] \rangle - \langle T \langle ] - U \downarrow \\ \downarrow \rangle - U \land f \rangle \\ = \langle T \langle T \rangle - U \land f \rangle \\ = \langle T \rangle - U \land f \rangle$   $= \langle T \rangle - U \land f \rangle$  $\mathcal{H}\acute{e}_{\mathcal{V}} \cong \mathcal{H}\acute{e}_{\mathcal{V}} = \mathcal{H}\acute{e}_{$  $\neg \left( \int \Box \nabla \right) \Box \left( \nabla \left( \partial \nabla \right) \right) \nabla \left( \partial \nabla \left( \partial \nabla \right) \right) \nabla \left( \partial \nabla \right) \nabla \left( \partial \nabla \right) \nabla \left( \partial \nabla \right) \right) \nabla \left( \partial \nabla \right) \nabla \left( \partial \nabla \right) \nabla \left( \partial \nabla \right) \right) \nabla \left( \partial \nabla \right) \right) \nabla \left( \partial \nabla \right) \right) \nabla \left( \partial \nabla \right) \nabla \left( \nabla \right) \nabla \left( \partial \nabla \right) \nabla \left( \nabla \right) \nabla \left( \partial \nabla \right) \nabla \left( \nabla \nabla \right)$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\Box \langle ] \rangle \nabla \rangle \langle f \Box \rangle \rangle \Box f \swarrow \mathcal{A} \langle i \Box \langle ] \nabla \langle i f \rangle [ \ddagger ] ] \\ \\ \downarrow \downarrow ] ] \\ \\ \downarrow \downarrow \downarrow ] \\ \downarrow \downarrow \downarrow \downarrow \rangle \rangle \langle f \Box \langle \neg \Box \mathcal{H} \acute{e} ] \\ \Box i \nabla \rangle f \ddagger i \nabla \langle f \downarrow i \nabla \langle f \downarrow i \nabla \rangle f \ddagger i \nabla \langle f \downarrow i \nabla \langle f \downarrow i \nabla \rangle f \ddagger i \nabla \langle f \downarrow i \nabla \langle f$  $\exists \langle \mathsf{U} \langle \mathsf{H} \mathcal{W} ] \mathsf{L} ] \nabla \mathsf{L} \rangle \\ \downarrow \rangle \mathsf{U} \langle \mathsf{H} \mathsf{L} ] \nabla \mathsf{H} \rangle \\ \downarrow \rangle \mathsf{U} \langle \mathsf{H} \mathsf{L} \rangle \\ \downarrow \rangle \mathsf{U} \langle \mathsf{H} \mathsf{L} \rangle \\ \downarrow \rangle \mathsf{U} \langle \mathsf{H} \mathsf{L} \rangle \\ \downarrow \rangle \mathsf{U} \rangle \\ \downarrow \rangle \mathsf{U} \langle \mathsf{H} \mathsf{L} \rangle \\ \downarrow \rangle \mathsf{U} \rangle \\ \downarrow \rangle \mathsf{U} \langle \mathsf{H} \mathsf{L} \rangle \\ \downarrow \rangle \mathsf{U} \rangle \\ \downarrow \rangle \rangle \\ \downarrow \rangle \rangle \\ \downarrow \rangle \rangle$ 

 $\mathcal{M} \rightarrow \mathcal{I} = \mathcal{O} =$ 

 $\mathcal{N}_{i} = \mathcal{N}_{i} = \mathcal{N}_{i}$  $\int U \left\{ \nabla \right\} - \left\{ \mathcal{I} \left\{ \nabla \right\} - \left\{ \mathcal{I} \left\{ \neg \right\} \right\} - \left\{ \nabla \right\} - \left\{ \mathcal{I} \left\{ \neg \right\} \right\} - \left\{ \neg \right\} - \left\{ \mathcal{I} \left\{ \neg \right\} - \left\{ \mathcal{I} \left\{ \neg \right\} \right\} - \left\{ \mathcal{I} \left\{ \neg \right\} \right\} -$  $\label{eq:linearized_states} \label{eq:linearized_states} \label{eq:line$  $\neg \left( \uparrow \right) \left( \neg \right) \left( \neg \right) \left( \neg \right) \right) \neg \left( \neg \right) \left( \neg \right) \left( \neg \right) \right) \left( \neg \right) \left( \neg \right) \left( \neg \right) \left( \neg \right) \right) \left( \neg \right) \left( \neg \right) \left( \neg \right) \right) \left( \neg \right) \left( \neg$  $\mathcal{H}(\mathcal{K}(\mathcal{K})) = \mathcal{O}(\mathcal{O}(\mathcal{V}) = \mathcal{O}(\mathcal{O}(\mathcal{V}) = \mathcal{O}(\mathcal{V}) =$  $\geq \{\mathcal{C}(\mathbf{1}) \in \mathcal{C}(\mathbf{1}) \in \mathcal{C}(\mathbf{1})$  $\exists l \in \mathcal{I} = \mathcal{I} =$  $\neg \nabla \left\{ \neg \nabla \left\{ \nabla \left\{ \nabla \left\{ \nabla \right\} \right\} \right\} \right\} \right\} \\ \left[ \neg \left\{ \Box \right\} \right] \\ \left[$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $|\langle | | | \rangle = \langle | | \rangle = \langle | \rangle$ 

 $\sqcup \langle \nabla \rangle \{ \sqcup \dagger \langle \dashv \lfloor \rangle \sqcup \int \emptyset \ni \Rightarrow \dashv \backslash [ \sqcup \langle \dashv \sqcup \sqsupseteq \langle \rangle \rfloor \langle \uparrow \wr \lfloor f ] \nabla \sqsubseteq ] \nabla f ] \dashv \updownarrow \downarrow f \sqcup \rangle \backslash \} \rangle \backslash ] f \sqcup \langle ] \lfloor \nabla \wr \sqcup \langle ] \nabla f$  $\sqrt{\nabla} ] \{ ] \nabla \nabla ] [ \sqcup \wr \sqcup \langle \rangle \setminus \| \wr \{ \exists \int \sqrt{\nabla} \Box [ ] \setminus J ] \Leftrightarrow \uparrow^{\in \infty} \sqcup \langle ] \ddagger \wr \int \sqcup \sqrt{\nabla} \wr [ \exists \lfloor \downarrow ] \wr \{ \sqcup \langle ] \sqcup \langle \nabla ] ] \swarrow \mathcal{E} \ddagger i \exists f \simeq f$ 

 $\mathcal{A} \sqcap \mathbf{I} \land \mathbf{V} \land$ 

 $\label{eq:constraint} \sqrt[3]{\Box} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \end{tabular} \end{t$ 

 $\Box f \Box + \texttt{I} +$  $\label{eq:linear} \\ \label{eq:linear} \\ \lab$  $\label{eq:constraint} \int \left[ \left| \Box \right| \right] \left\{ \neg \right] \left\{ \neg \right\} \left\{ \neg \right$  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \e$  $\label{eq:constraint} \sum_{i=1}^{n} \nabla_{i} \nabla_{i}$ 

 $\mathcal{L} = \mathsf{Lin} \otimes \mathcal{Lin} \in \mathcal{C} \times \mathsf{Lin} \mathcal{I} = \mathsf{Lin} \times \mathcal{C} \times \mathsf{Lin} \mathcal{I} = \mathsf{Lin} \times \mathsf{Lin}$  $\mathcal{C} \text{ for } \mathcal{C} \text{ for }$  $\mathcal{T}_{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb$  $\exists \left[ \int \left[ \left\{ \left[ \left\{ \nabla \right\} \right] \right] \right] \\ \Leftrightarrow \exists \left[ \left\{ \right\} \right] \\ \exists \nabla \left[ \left\{ \left[ \left\{ \left[ \nabla \right] \right] \right] \right] \\ \exists \Box \right] \\ \forall \Box \in \mathcal{D} \\ i \in \mathcal{D}$  $\label{eq:linear} \label{eq:linear} \label{eq:$  $\nabla ] \text{ for } \forall \text{ fo$  $\label{eq:point_states} $$ \mathcal{P} = \mathcal{I} = \mathcal$ 

 $\Box \left[ \Box \nabla \right] \nabla \left[ \Box \left[ f_{1} \right] \right] \Box \left[ f_{1} \nabla \right] \nabla \left[ f_{1} \right] \left[ f_{1} \Box \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \right] \right] \left[ f_{2} \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{2} \left[ f_{2} \left[ f_{2} \right] \left[ f_{2} \left[ f_{$ 

 $\int d^{1}_{\lambda} \left[ \partial_{\lambda} \left[ \partial_{$  $\label{eq:constraint} $$ I^T = I^T$  $\Box (] + \Box ] \infty \exists \nabla (f \Leftrightarrow \{\nabla ] f \sqcup \nabla ) \sqcup ) (f \wr \nabla ) \} ( + f \Leftrightarrow \{\nabla ] f \sqcup \nabla ) \\ \Box (f \land \nabla ) \} (f \land \nabla ) \} (f \land \nabla )$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:co$  $\mathcal{C}(\mathsf{M}) = \mathcal{K}(\mathsf{M}) = \mathcal{K$  $||\langle||\rangle + \int ||\langle||\rangle +$  $| t \oplus \Box | \forall f \in \mathcal{T}_{12} | \nabla f \in \{ = \nabla \} | [ \Box f \rangle | f = \nabla ] = | f \in \mathcal{T}_{12} | \forall f \in \mathcal{T}_{12} |$ 

 $\||\langle | \langle \rangle \rangle^{2} \nabla \{\nabla \rangle | | \langle | \langle \rangle \rangle^{2} | | \langle | \rangle |$  $\label{eq:constraint} $$ (2) = \nabla \Leftrightarrow \mathcal{E}_{1}^{(-)} = \nabla \oplus \mathcal{E}_{1}^{(-)} = 0 $$ (2) = 0$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $[\nabla \mathcal{U} ] \nabla \simeq \mathcal{J} = [\Box ] = \mathcal{I} [\Box ] \mathcal{I} = \mathcal{I} = \mathcal{I} [\Box ] \mathcal{I} = \mathcal{I} =$  $\label{eq:constraint} \sqrt{|\nabla_{|}|} \nabla_{|} \nabla$  $[]] \\ f(\uparrow []] \\ \exists \neg f] \\ \exists \uparrow \neg V \\ \exists \neg \nabla [] \\ \exists \neg \nabla [] \\ \exists \neg V \\ \neg V \\ \exists \neg V \\ \neg V \\$  $\label{eq:constraint} [\ensuremath{\neg} \ensuremath{\nabla} \ensuremath{\neg} \ensuremath$ 

 $\mathcal{A}_{\Box} = \neg \nabla \neg [\mathcal{A}_{\Box}] = \mathcal{A}_{\Box} = \langle \mathcal{A}_{\Box} = \langle$  $\infty \exists \triangle \exists \{ \exists \{ \forall \Box \setminus [\exists \Box \rangle \} \land \{ \Box \langle ] \mathcal{P} ] \land f \} \supseteq f \mathcal{R} ] \ \ \ \Box [ \downarrow \rangle ] \wr \{ \mathcal{C} \langle \rangle \backslash \exists_{\mathcal{L}} \in \exists \mathcal{T} \langle \Box f \Leftrightarrow f ] \sqsubseteq ] \nabla \exists f \}$  $\label{eq:constraint} \end{tabular} \end{tabular} \\ \end{tabular} \end$  $+ \text{II} \nabla + \text{II} \subseteq \mathcal{T} \mathcal{T} = \mathcal{T} \mathcal{T} + \mathcal{T} = \mathcal{T} + \mathcal{T} = \mathcal{T} + \mathcal{T} = \mathcal{T} + \mathcal{T} + \mathcal{T} = \mathcal{T} + \mathcal{T}$  $\label{eq:constraint} $ \int U \nabla d \leftrightarrow [] \\ \label{eq:constraint} \int U \nabla d \otimes [] \\ \label($  $\mathcal{U} \ \forall \mathcal{U} \ \mathcal{U$  $\mathcal{C}(\mathsf{I}_{1}) = \mathcal{C}(\mathsf{I}_{1}) = \mathcal{C}(\mathsf{I}) = \mathcal{C$  $\texttt{Market} = \texttt{Market} = \texttt{Ma$ 

 $\nabla | \Box \Box \nabla \langle \lambda \langle \rangle \langle A \rangle \rangle = \int A \langle \lambda \langle A \rangle \langle A$  $\mathcal{C}(\mathsf{A}_{1})=\mathsf{A}_{1}=\mathsf{A}$  $\mathcal{A}_{l} = \mathcal{A}_{l} = \mathcal{A}_{l}$  $\label{eq:linearized_linearized$ 

 ${\rm ext} = {\rm e$  $\label{eq:product} \label{eq:product} \end{constraint} \end{constraint}$  $\label{eq:constraint} [\begin{aligned} [\begin{aligned}$  $\mathbb{E} \left\{ \mathbb{E} \left\{ \mathbb{E$ 

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$$\label{eq:constraint} \begin{split} & \label{eq:constraint} \label{eq:constraint} & \label{eq:constraint} \\ & \label{eq:constraint} \label{eq:constraint} \\ & \label{constraint} \\ & \label{eq:constraint} \\ & \la$$
M = $| \mathsf{L}(\mathsf{n}) | \mathsf{D}(\mathsf{n},\mathsf{n}) | \mathsf{L}(\mathsf{n},\mathsf{n}) | \mathsf{L}(\mathsf{n},\mathsf{$  $| ff | \langle u \rangle | f \rangle f u \nabla ] f | f | z u \langle | \nabla | u \langle \rangle ] \\ \nabla z u \langle | \nabla | u \langle \rangle \rangle | f | z u \langle | \nabla | u \langle \rangle \rangle | f | z u \langle | \nabla | u \langle \rangle \rangle | f | z u \langle | \nabla | u \rangle | f | z u \langle | \nabla | u \rangle | f | z u \langle | \nabla | u \rangle | f | z u \langle | \nabla | u \rangle | f | z u \langle | \nabla | u \rangle | f | z u \langle | \nabla | u \rangle | f | z u \langle | \nabla | u \rangle | f | z u \langle | \nabla | u \rangle | f | z u \langle | \nabla | u \rangle | f | z u \langle | \nabla | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \rangle | f | z u \langle | u \rangle | f | z u \langle | u \rangle | f | z u \rangle | f |$ 

 $\mathcal{I}_{\langle\rangle} = \mathcal{I}_{\langle\rangle} = \mathcal{I}$  $|\langle\rangle \ddagger [\nabla] \setminus \mathcal{T} \\ |\langle\rangle \neg [U] \vee [V] \\ |\langle \neg [U] \nabla \langle \neg [V] \rangle \\ |\langle \rangle [U] \vee [V] \\ |\langle \rangle [U] \vee [U] \vee [V] \\ |\langle \rangle [U] \vee [V] \\ |\langle \rangle [U] \vee [V] \\ |\langle \rangle [U] \vee [U] \vee [V] \\ |\langle \rangle [U] \vee [U] \vee [U] \vee [V] \\ |\langle \rangle [U] \vee [U] \vee$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\{ \texttt{im} (\texttt{im}) \texttt{im} (\texttt{im$ I = $\mathcal{P} [\nabla \Box \simeq f \text{(} I \text{(} \Box \ \nabla \ ) \text{(} \Box \ ) \text{(} \Box$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\langle \mathsf{H} [\mathsf{I} \Leftrightarrow \mathsf{N} ] \mathsf{I} = \mathsf{I} = \mathsf{I} \otimes \mathsf{N} ] \mathsf{I} = \mathsf{I} \otimes \mathsf{I} \otimes \mathsf{I} = \mathsf{I} \otimes \mathsf{I}$  $\{\nabla\rangle ] \setminus [\neg \langle \neg \sqsubseteq \rangle \rangle \\ \\ \uparrow \langle \neg \sqcup \neg \rangle \cup [\neg \langle \rangle \land \downarrow \neg ] \cup \Box \rangle \cup \langle \rangle \rangle \\ \{ \wr \nabla \updownarrow \rceil \neg \Box \rangle \\ \neg \downarrow \neg \downarrow \neg \downarrow \neg \downarrow \neg \downarrow \Box ] \\ \{ \nabla \land \updownarrow \sqcup \land ] \land \downarrow \Box ] \\ [ \langle \wr \land \downarrow \land \downarrow \neg ] \\ [ \langle \lor \land \downarrow \land \downarrow \neg ] \\ [ \langle \lor \land \downarrow \land \downarrow \neg ] \\ [ \langle \lor \land \downarrow \land \downarrow \neg ] \\ [ \langle \lor \land \downarrow \land \downarrow \neg ] \\ [ \langle \lor \land \downarrow \land \downarrow \neg ] \\ [ \langle \lor \land \land \downarrow \neg ] \\ [ \langle \lor \land \land \land ] \\ [ \langle \lor \land$ 

$$\begin{split} & \sum_{i=1}^{i} \sum_{i=1}^{i}$$

 $\left| \right\rangle \nabla \sqcup \left\langle \left[ \dashv \dagger \right\rangle \right\rangle$ 

 $\nabla ] \{ \wr \nabla ( f ) \{ \sqcup \forall J \} = J \} [ ] \sqcup \exists \sqcup \forall \nabla f \\ \langle \rangle \swarrow \mathcal{A} f \{ \wr \nabla \sqcup \langle \wr f ] \exists \langle \wr f \sqcup \exists \dagger \} [ ] \langle \rangle \setminus [ \Leftrightarrow \exists [ f \sqcup \langle ] ] \}$ 

 $\langle \mathsf{I} \{ \nabla \mathsf{I} \} | \mathsf{I} = \mathsf{I} \{ \mathsf{I} : \mathsf{I} \} \rangle | \mathsf{I} = \mathsf{I} \{ \mathsf{I} : \mathsf{I} \} \rangle | \mathsf{I} = \mathsf{I} \{ \mathsf{I} : \mathsf{I} \} \rangle | \mathsf{I} = \mathsf{I} \{ \mathsf{I} : \mathsf{I} \} \rangle | \mathsf{I} = \mathsf{I} \{ \mathsf{I} : \mathsf{I} \} \rangle | \mathsf{I} = \mathsf{I} \} \rangle | \mathsf{I} = \mathsf{I} \{ \mathsf{I} : \mathsf{I} \} \rangle | \mathsf{I} = \mathsf{I} \} \rangle | \mathsf{I} = \mathsf{I} \{ \mathsf{I} : \mathsf{I} \} \rangle | \mathsf{I} = \mathsf{I} \} \rangle |$  $\neg \left( \uparrow \right) = \left( \neg \right) \left( \neg \right) \left( \neg \right) = \left( \neg \right) \left( \neg \right$  $+\mathcal{C}+\texttt{I}=\texttt{I}+\texttt{I}+\texttt{I}=\texttt{I}+\texttt{I}=\texttt{I}+\texttt{I}=\texttt{I}+\texttt{I}=\texttt{I}+\texttt{I}=\texttt{I}+\texttt{I}=\texttt{I}+\texttt{I$  $\exists z \} = \exists d (z) = \exists d (z) = \exists d (z) = d (z)$  $\Box_{\rm interm} = (1 - 1) =$  $\nabla \dashv j \ f \sqcup \swarrow \mathcal{T} \ f \dashv f \sqcup \ f \land f \dashv f \sqcup \ f \land f \sqcup \ f$  $\int d\lambda \left[ \int \lambda \right] \left\{ \left[ \int \lambda \left[ \left[ \left( \left[ \left[ \int \lambda \right] \left\{ \left[ \left[ \left( \left[ \left[ \left( \left[ \left[ \left( \left[ \left[ \left( \left[ \left( \left[ \left( \left[ \left( \left[ \left( \left[ \left[ \left( \left[$  $\mathcal{T}_{\text{I}}^{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{}$  $\label{eq:constraint} $$ \sqrt{-1} \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} + \frac{1}{1} \right) \left( \frac{1}{1} + \frac{1}$  $\langle\rangle f \langle \wr \nabla \rangle \ddagger \wr \backslash f \lfloor \dagger \ddagger \rceil \dashv \backslash f \wr \{ \dashv \backslash \dashv \rfloor \dashv \lceil \rceil \ddagger \rangle \rfloor \rceil \lceil \sqcap \rangle \wr \land \swarrow \mathcal{L} \rangle \parallel \rceil \wr \sqcup \langle \neg \nabla \rfloor \langle \dashv \nabla \dashv \rfloor \sqcup \rceil \nabla f \rangle \backslash \mathcal{S} \rangle \sqcap \simeq f$ 

 $\exists \wr \nabla \| f \Leftrightarrow \mathcal{S} \land \Box \nabla ] \dashv \ddagger \rangle \ddagger ] f \sqcup \langle \dashv \sqcup \sqcup \langle \wr \Box \} \langle \langle \rangle f \checkmark \dashv \nabla ] \backslash \sqcup f \rfloor \dashv \langle \{ \wr \nabla [ \sqcup \wr \ddagger \rangle \sqsubseteq ] \rangle \backslash \dashv [ ] \sqcup \sqcup ] \nabla$  $- \int \int \Box \left( \int \Box \left( \neg \Box \right) \nabla \right) \left[ \Box \left( \neg \Box \right) \nabla \right] \left[ \partial \nabla \right] \left( \partial \nabla \right) \right] \left( \partial \nabla \Box \right) \left[ \partial \nabla \right] \left( \partial \nabla \Box \right) \left[ \partial \nabla \right] \left( \partial \nabla \Box \right) \left[ \partial \nabla \right] \left( \partial \nabla \Box \right) \left( \partial \nabla \Box$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constrai$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $f] \ddagger \{ \swarrow \ \mathcal{I} \setminus \exists \mathcal{I} \setminus \exists \mathcal{I} \setminus \exists \mathcal{I} \setminus \forall \mathcal{I} \setminus \exists \mathcal{I} \setminus \forall \mathcal{I} \setminus \exists \mathcal{I} \setminus \forall \mathcal{I} \mid \mathcal{I} \mid \mathcal{I} \mid \mathcal{I} \setminus \mathcal{I} \setminus \forall \mathcal{I} \mid \mathcal{I} \mid \mathcal{I} \mid \mathcal{I} \setminus \mathcal{I} \setminus \mathcal{I} \mid \mathcal{I$  $\label{eq:constraint} [] \label{eq:constraint} \uparrow \la$ 

 $\Box = \left\{ \left[ \sqrt{\nabla_{1}} \nabla_{1} \right] \right\} = \left\{ \left[ \nabla_{1} \nabla_{1} \right] \right\} = \left\{ \left[ \nabla_{1} \nabla_{1}$  $\{ \exists \exists \nabla f [ \exists \forall \nabla \Box \exists \Box \rangle \land [ ] ] \exists \Box f ] \langle ] \rangle f \land \forall \Box \exists \mathcal{P} ] \nabla \Box \sqsubseteq \rangle \exists \land [ \downarrow \land \mathcal{D} \Box \nabla \land ] \} \sqcup \langle ]$  $|\langle\rangle \ddagger [\langle \mathcal{X} [\{\nabla\rangle] \setminus [\langle\mathcal{H}] \sqrt{\nabla} \mathcal{X} \ddagger \rangle f] f \setminus ] \sqsubseteq ] \nabla \sqcup \mathcal{U} \sqcup \exists [] \vee \sqcup \sqrt{\nabla} \mathcal{U} \sqcup f \sqcup f \dashv \} \dashv \rangle \setminus \neg \uparrow \rangle \sqcup$ A + $\label{eq:linearized_states} $$ \label{eq:linearized_states} $$$  $\texttt{imp} = \texttt{imp} = \texttt$ 

$$\begin{split} & \sum_{i=1}^{i} \sum_{i=1}^{i}$$

 $\downarrow\rangle \sqcup\rangle \ddagger \downarrow \downarrow\rangle$ 

$$\begin{split} +\frac{\{\pm\hat{\mathbf{a}}\setminus]\Box\nabla}{[2]} &= \langle i\rangle [\pm\pm\pm\pm\pm] [J\Box\nabla i\Box \setminus [\mathcal{L}\rangle \oplus \Box \cap \Box\nabla \rangle \setminus ]U\langle \Box \otimes \Box \cup \Box\nabla \oplus \Box\nabla ] + \langle i\rangle \oplus I\rangle ]U\langle \Box \otimes \Box\nabla \rangle \\ \\ +\frac{1}{2}i\lambda i \oplus \Box\nabla \cup \nabla \cup [\lambda] = (1+i) \oplus [\lambda] \oplus$$

 $\underline{\mathcal{V}} = [\mathbf{\mathcal{I}} = \mathbf{\mathcal{I}} = \mathbf{\mathcal$ 

 $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\label{eq:linearized_states} \\ \end{tabular} \\ \end{tabular}$  $f] \rangle \rangle + d t = 0 \\ f = 0 \\ f$  $\int \Box \{ \{ \Box \nabla f \Leftrightarrow \neg f \neg f \Rightarrow \{ \nabla i \uparrow f \} \cup \neg f \Rightarrow \{ \nabla i \uparrow f \} \cup \neg f \Rightarrow [ f \to [ f$ 

 $\mathcal{A}\{\sqcup \mid \nabla \dashv \downarrow \rangle \{ \exists \{ J \dashv \downarrow \nabla \rangle \{ \rangle \downarrow ] \dashv \backslash \lceil \{ \nabla \sqcap \} \dashv \downarrow \rangle \sqcup \dagger \Leftrightarrow \dashv \backslash \lceil \dashv \sqcup \sqcup \backslash \rceil \dashv \} \exists \{ \{ \wr \nabla \sqcup \dagger \Leftrightarrow \dashv \backslash \dashv \} \rceil$  $[] ] = \langle \nabla \rangle \\ ( \langle \nabla \rangle ) ] \\ ( \langle U \rangle ) \\ ( \langle U \rangle )$  $\langle \Box f [ - \langle [ \langle \nabla \rangle \rangle ] \langle \sqcup \uparrow \rangle \rangle ] + ] + \nabla f \swarrow S \rangle \Box \simeq f + \Box \sqcup \rangle \sqcup \Box \Box [ ] \sqcup \downarrow \Box = + \nabla [ \sqcup \langle ] \sqcup \nabla + [ \rangle \sqcup \rangle \rangle \langle \langle + \nabla \nabla - + \rangle \} ] [$  $\mathcal{W} = \mathcal{W} = \mathcal{V} =$  $\label{eq:linear} \\ \label{eq:linear} \\ \lab$ 

 $\nabla ] \sqcup \Box \nabla \setminus \langle \wr \Downarrow ] \swarrow \mathcal{I} \{ f \langle ] \wr \setminus \updownarrow \dagger \| \setminus ] \supseteq \dots \uparrow^{\in \bigtriangleup}$ 

 $\mathcal{S} = \mathcal{S} =$  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular}$  $\neg \left( \left| \mathcal{S}_{\mathcal{I}} \right\rangle \right) \left| \left| \left| \mathcal{B}_{\mathcal{I}} \right\rangle \right| \right\rangle \right| \left| \left| \mathcal{C}_{\mathcal{I}} \right\rangle \right| = 0 \quad \text{for all } \left| \mathcal{C}_{\mathcal{I}} \right\rangle \right| = 0 \quad \text{for all } \left| \mathcal{C}_{\mathcal{I}} \right\rangle \left| \mathcal{C}_{\mathcal{I}}$  $\Box(]\mathcal{M} \dashv \mathcal{S}(\mathcal{Y}) \mathcal{P} \wr \Rightarrow \emptyset \mathcal{C}(\mathcal{Y}) ] f] f] \langle \mathcal{U} \downarrow f \Leftarrow \Box \langle \mathcal{S} \dashv \mathcal{M} \rangle \land \Box \langle \mathcal{I} \downarrow \mathcal{I} \downarrow \mathcal{I} \downarrow \langle \mathcal{U} \downarrow \mathcal{J} \neg \dashv \mathcal{I} \rangle$  $\mathcal{XXIII} \Rightarrow \emptyset \mathcal{C} \langle \rangle \backslash ] f [ [ \wr \wr \parallel f \sqcup \wr \nabla ] f \emptyset \dashv \backslash [ ] \sqsubseteq ] \backslash \sqcup \supseteq \wr \rangle \ddagger 1 \} \dashv \lfloor \nabla \wr \sqcup \langle ] \ddagger f \downarrow \wr \rfloor \dashv \sqcup ] [ \rangle \backslash \sqcup \langle ]$  $\mathcal{C}(\mathsf{I} = \mathsf{I} \in \mathsf{$  $\Leftarrow \langle f \uparrow \neg \langle \nabla [ [ \nabla \iota \cup \langle ] \nabla \Box \neg f ] [ \iota \{ \sqrt{\nabla} \iota \{ \rangle \sqcup ] ] \nabla \rangle \rangle + \langle [ ] \S ] ] \Box \sqcup ] [ [ \Box \nabla \rangle \rangle \} \sqcup \langle ] \mathcal{G} \nabla ] \neg \sqcup \rangle = \langle f \uparrow f \downarrow ] \Box f ] [ I \land f \downarrow ] [ I \land f \downarrow ]$ 

 $\in \triangle /$ 

 $\mathcal{A}^{\uparrow\uparrow}_{\mathcal{V}} = \mathcal{A}^{\uparrow\uparrow}_{\mathcal{V}} = \mathcal{A}^{\uparrow\uparrow}_{$  $\langle \dagger \lfloor \nabla \rangle \lceil \rangle \sqcup \dagger \Leftrightarrow \dashv \int \exists \uparrow \ddagger \dashv \int \sqrt{\rceil} \nabla f \wr \dashv \ddagger \dashv \lceil ] \wr \ddagger \exists \downarrow \sqcup \rangle \sqsubseteq \rceil \rangle \lceil \rceil \sqcup \cup \rangle \sqcup \rangle \exists f \wr \nabla \lceil \rangle \{ \{ \exists \nabla \rceil \setminus \exists \rceil \swarrow \mathcal{I} \setminus \mathcal$  $\underbrace{\text{I}}_{\text{I}} = \underbrace{\text{I}}_{\text{I}} = \underbrace{\text{I}} = \underbrace{\text{I}} = \underbrace{I}} = \underbrace{\text{I}} = \underbrace{\text{I}}_{\text{I}} =$  $\exists \exists \forall \{\mathcal{C}(\mathbf{0}) \\ \forall \mathbf{1} \\ \forall \mathbf{1}$ 

$$\begin{split} \mathcal{C}\langle\rangle \langle ++| \left\{ \left\{ \right\} \nabla \ddagger \ddagger i \right\} \sqrt{j} \left\{ \exists \right\} \left\{ \exists \right\} \int \exists \nabla \nabla i \right\} \langle \mathcal{P} \right] \nabla \Box \Leftrightarrow \ddagger i \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \right\} \mathcal{A} \downarrow \equiv -| \nabla + \left[ i \sqrt{\mathcal{T}} \left\{ \right\} \int \left\{ -\frac{1}{\sqrt{\mathcal{T}}} \right\} \right\} \int \left\{ i \nabla \nabla i \left\{ i \nabla \nabla i \left\{ i \nabla \nabla i \right\} \right\} \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \sqrt{\mathcal{T}} \left\{ 1 \right\} \int \left\{ -\frac{1}{\sqrt{\mathcal{T}}} \right\} \right\} \int \left\{ i \nabla \nabla i \left\{ i \nabla \nabla i \left\{ i \nabla \nabla i \right\} \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \sqrt{\mathcal{T}} \left\{ 1 \right\} \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \sqrt{\mathcal{T}} \left\{ 1 \right\} \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \sqrt{\mathcal{T}} \left\{ 1 \right\} \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \sqrt{\mathcal{T}} \left\{ 1 \right\} \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \sqrt{\mathcal{T}} \left\{ 1 \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \sqrt{\mathcal{T}} \left\{ 1 \right\} \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \sqrt{\mathcal{T}} \left\{ 1 \right\} \\ \mathcal{V} \downarrow + \int \left\{ 1 \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \sqrt{\mathcal{T}} \left\{ 1 \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \sqrt{\mathcal{T}} \left\{ 1 \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \sqrt{\mathcal{T}} \left\{ 1 \right\} \\ \mathcal{V} \downarrow + \int \left\{ i \sqrt{\mathcal{T}} \left\{ 1 \right\} \\ \mathcal{V} \downarrow + \int \left\{ 1 \right\} \\ \mathcal{V} \downarrow + \int$$

$$\begin{split} \Box \lambda + \left[ \right] \Rightarrow \Box \langle 1 \rangle + \left[ -1 \rangle$$

 $\in \bigtriangleup \forall$ 

 $\mathcal{I}_{\mathbf{n}} = \mathcal{I}_{\mathbf{n}} =$  $\label{eq:linearized_states} $$ 10^{1} + \sqrt{7} + \sqrt$  $\mathcal{I} \setminus \underline{\mathcal{V}} = || = |\hat{I} \sqcup = | = \mathcal{S} \cup [] = \mathcal{S}$  $\mathcal{A}_{1}^{1} = \mathcal{A}_{1}^{1} = \mathcal{A}$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\wr \{\{ \exists \forall f \in \mathbb{Z} \mid f \in \mathcal{F} \mid$  $\mathcal{L}_{1}^{1} = \{ \mathcal{V} \cup (\mathcal{V} \cup \mathcal{V} \cup \mathcal{V$  $\mathcal{F} = | \text{imp} = \text$ 

$$\begin{split} \mathcal{C}_{1}(\Lambda) = \mathcal{C}_{1}(\Lambda)$$

 $\mathcal{C}(\mathsf{I}) = \mathcal{C}(\mathsf{I}) = \mathcal{C$  $\label{eq:constraint} $$ $ \to $ \$  $\int \left[ \int \left[ \int \left[ \left\{ U \right\} \right] \right] \left[ \left\{ U \right\} \right] \left\{ V \right\} \right] \left\{ V \right\} \right\} \left\{ V \right\} \left\{$  $\mathcal{A} \sqcap \mathbf{I} \sqcup \mathbf{A} \sqcup$  $\label{eq:started} $$ \mathcal{S}_{1} = \mathcal{S}_{2} = \mathcal{S}_{2}$  $\exists \mathbf{D} = \mathbf{D}$  $\label{eq:constraint} \left[ \begin{array}{c} \\ \\ \\ \end{array} \right] \\ \left[ \begin{array}{c} \\ \end{array} \right] \\ \left[ \begin{array}{c} \\ \\ \end{array} \right] \\ \left[ \begin{array}{c} \\ \end{array} \right] \\ \\ \left[ \begin{array}{c} \\ \end{array} \right] \\ \\ \left[ \begin{array}{c} \\ \end{array} \right] \\ \\ \left[ \begin{array}{c} \\ \end{array} \end{array} \right] \\ \\ \left[ \begin{array}{c} \\ \end{array} \right] \\ \\ \left[ \begin{array}{c} \\ \end{array} \right] \\ \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \end{array} \\ \left[ \begin{array}{c} \\ \end{array} \right] \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\$  $\langle \neg [ \lfloor i \sqcup \langle \updownarrow \rangle \sqcup ] \nabla \neg \nabla \neg \neg \neg \downarrow \neg [ \neg \nabla \sqcup \rangle ] \exists \Diamond \lfloor \rangle \sqcup \rangle i \land j \uparrow \Leftarrow \infty \in \triangle \Rightarrow \swarrow$ 

 $\mathcal{T}_{1}^{1}$  $\mathcal{C}\langle\rangle\backslash\dashv\sqcup\wr\supseteq\backslash\rangle f\rbrack\backslash\sqcup\rangle \nabla\rbrack\uparrow\dagger[]\sqsubseteq\wr\sqcup][\sqcup\wr\supseteq\wr\nabla\parallel\neg\uparrow\mathcal{H}\acute{e}]\sqcup\wr\nabla\simeq f[][\nabla\wr\wr\Leftrightarrow\sqcup\langle]f\langle\wr\checkmark\parallel]]_{\sqrt{1}}\nabla\simeq f[D][\nabla\wr!\Diamond\Box\land\Box\land\Box]$  $\int [\neg \nabla ] \uparrow \uparrow [\rangle \int ] ] \nabla \setminus \exists \langle \rangle ] \langle \swarrow \rangle ] ] \int \{ \{ \Box \nabla \setminus \rangle \sqcup \Box \nabla ] \Leftrightarrow [ \wr \S ] f \wr \nabla [ \Box \setminus [\uparrow] f \exists ] \nabla ] \{ \wr \nabla \mathcal{H} \acute{e} ] \sqcup \wr \nabla \simeq f \}$  $\int \Box \delta \nabla \dagger \simeq \int \{ \partial \nabla f \Box f ] \rfloor \Box \partial \delta \setminus ] \setminus [ f \delta \setminus \neg [ \partial f \langle ] \neg \nabla \Box ] \setminus \rangle \setminus \{ \partial \nabla f \cup \neg \rangle \cup \sqrt{\delta} \setminus \Box f \delta \cup d \in A$  $\nabla \texttt{M} = \texttt{M}$ M = $\exists \exists f = f = \mathcal{O} = \mathcal$  $\mathcal{A} \sqcap \mathbf{I} \land \mathcal{I} \land$ 

 $\mathcal{I} \\ \mathcal{E} \\ \cup \nabla \\ \neg \\ \mathcal{E} \\ \cup \nabla \\ \neg \\ \mathcal{E} \\ \mathcal{E} \\ \cup \nabla \\ \neg \\ \mathcal{E} \\ \mathcal{E}$  $\label{eq:point_started} \label{eq:point_started} \label{eq:point_sta$  $\mathcal{C} = \mathcal{C} =$  $- \left| \left| \mathcal{H} - \mathcal{H} \right| = \mathcal{H} - \mathcal{H$  $\int_{\mathcal{N}} d^{2} \mathcal{I}_{\mathbf{A}} = \int_{\mathcal{N}} d^{2}$ 

 $\sqrt{\frac{1}{\sqrt{1-1}}} \sqrt{\frac{1}{\sqrt{1-1}}} \sqrt{1-1}} \sqrt{\frac{1}{\sqrt{1-1}}} \sqrt{\frac{1}{\sqrt{1-1}}} \sqrt{\frac{1}{\sqrt{1-1}}} \sqrt{1$ 

 $\sqrt{\nabla} ] f ] \nabla \sqsubseteq + u \rangle \langle + \langle f + \{ ] \} \Box + \nabla [ \rangle \rangle \} \langle \{ ] \Box \uparrow \Box \Box \nabla + \uparrow \rangle [ ] \backslash u \rangle u \dagger \uparrow \Leftarrow \infty \bigtriangleup \forall \Rightarrow \swarrow$  $\mathcal{H}]\nabla\mathfrak{f}(\mathcal{L}) \cap \mathcal{C}(\mathbb{K}) \subset \mathcal{C}(\mathbb{K}) \subseteq \mathbb{K} \subset \mathcal{C}(\mathbb{K}) \subseteq \mathbb{K} \subset \mathcal{C}(\mathbb{K}) \subset \mathbb{C}(\mathbb{K}) \subset \mathbb{K} (\mathbb{K$  $|\{\downarrow \square f \rangle \sqsubseteq |\downarrow \rangle \\ \langle [ \wr \nabla \langle \wr [ \wr \{ \mathcal{M} \wr \backslash \sqcup ] \nabla \nabla \rangle ] \rangle_{\mathscr{L}} \mathcal{A} f \dashv \nabla ] f \square \\ \downarrow \sqcup \Leftrightarrow \langle ] \rangle f \backslash \wr \sqsupseteq \dashv f \langle \dashv \downarrow \rangle [ \wr \{ \langle \rangle f \land \downarrow \downarrow \downarrow \downarrow \downarrow \rangle ]$  $t(1) = \int U \nabla + [\partial U \partial + (\partial U ) )))))))])]$  $\mathcal{C}(] \cong \mathcal{I}_{1} = \mathcal{I}_{1} =$  $\label{eq:linearized_states} $$ 1^J_{J} = \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2}}$  $\sqrt{\nabla \mathcal{V}} = \left[ \left( \int \mathcal{V} = \mathcal$  $\exists ] \dashv \downarrow \sqcup \langle \dagger \wr \backslash ] \rbrace ] \int \langle \dashv \backslash [ \supseteq \rangle \sqcup \langle \sqcup \langle ] \{ \dashv \uparrow \rangle \downarrow \dagger \uparrow \simeq f \downarrow ] \backslash \sqcup \dashv \downarrow \sqcup \nabla \dashv \backslash f \{ \wr \nabla \downarrow \dashv \sqcup \rangle \wr \langle \Leftrightarrow f \dagger \downarrow [ \wr \downarrow \rangle \ddagger ] [$  $\sqcup \langle \neg \sqcup [ \wr \backslash \mathcal{V}_{1} \rfloor \sqcup \wr \nabla \mathcal{C} \langle \wr \dagger \langle \neg [ f ] \backslash \sqcup \langle \rangle f [ \neg \Box ] \langle \sqcup ] \nabla f \sqcup \wr \sqcup \langle ] \mathcal{S} \neg ( \mathcal{V}_{1} \sqcup ) \langle \land f ] f ] \langle \wr \land ( \downarrow \sqcup ) \rangle \neg ( \neg I ) \rangle$  $\label{eq:constraint} [\mathcal{M}] = \mathcal{M} = \mathcal{M}$ 

 $\label{eq:constraint} $$ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] = \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_{\mathbb{T}} \nabla \left[ \left\{ \left\{ \nabla \right\} \right\} \right] \\ $ \int_$ 

 $\mathcal{A} = \mathcal{A} =$  $] \label{eq:constraint} \\ ] \label{eq:cons$  $\label{eq:constraint} \end{tabular}$  $\langle |\nabla [| -|\cup \langle -| f_{+}^{\dagger} \rangle [| \nabla -|\cup \rangle \rangle + \neg f_{+}^{\dagger} | f_{+}$  $\Box(\neg \Box \Box) = \Box(\neg \Box) = \Box(\neg) = \Box(\neg)$  $\uparrow \mathcal{E}_{I} \cup \nabla \neg \mathbb{I}_{I} = \mathcal{I}_{I} \cup \mathcal{I} \cup \mathcal{I}_{I} \cup \mathcal{I}_{I} \cup \mathcal{I}_{I} \cup \mathcal{I}_{I$  $\label{eq:constraint} \end{tabular} $$ \] \\ \label{eq:constraint} \end{tabular} $$ \] \\ \label{eq:constraint} \end{tabular} \e$ 

 $\mathrm{Ime} = \mathrm{Ime} = \mathrm$ 

 $\Box f \dashv \} ] f \langle i \supseteq f \sqcup \nabla \dashv \backslash f \rfloor \Box f \sqcup \Box \nabla \dashv u \rangle i \langle \sqcup \langle \nabla i \Box \rangle \langle \exists i \nabla [f f \Box ] \langle \dashv f \uparrow C \langle i \rfloor \Box ] \langle \exists i \rangle \Leftrightarrow \uparrow \supseteq \langle \rangle ] \langle \downarrow i \uparrow \downarrow \rangle \rangle ] f$  $\Box(]\mathcal{S}_{1} \to [U(\mathcal{T})] \to [U$  $\sqsubseteq \label{eq:constraint} \sqsubseteq \label{eq:constraint} \sqsubseteq \label{eq:constraint} \sqsubseteq \label{eq:constraint} \sqcup \$  $\label{eq:constraint} \{ \texttt{C} = \texttt{C} \\ \texttt{C}$  $\mathcal{S}_{\texttt{p}} = \mathcal{S}_{\texttt{p}} =$  $\label{eq:constraint} [2] \label{eq:constraint} [2] \label{eq:constr$ 

 $\nabla i | \dashv \Leftrightarrow \uparrow i \setminus ] i \{ \sqcup \supseteq i \rangle \setminus \underbrace{\mathcal{E}_{\downarrow} \sqcup \nabla \dashv \oplus i \{ \rangle \setminus \dashv \downarrow \sqcup \cup \dashv \parallel ]}_{\sqrt{\uparrow}} \dashv J ] \rangle \setminus \mathcal{L} \rangle \oplus \dashv \simeq \int \mathcal{C}_{\langle \rangle \setminus \dashv \sqcup i \supseteq \setminus \swarrow}_{/} I \langle \dashv \sqcup \sqcup \dashv \parallel ]_{\sqrt{\uparrow}} \exists J \rangle \setminus \mathcal{L} \rangle \oplus \dashv \simeq \int \mathcal{C}_{\langle \rangle \setminus \dashv \sqcup i \supseteq \setminus \swarrow}_{/} I \langle \dashv \sqcup \sqcup \dashv \parallel ]_{\sqrt{\uparrow}} \exists J \rangle \setminus \mathcal{L} \rangle \oplus \sqcup Z$  $\mathcal{I}_{\text{i}}_{i$  $\sqcup \langle \dashv \sqcup \Leftrightarrow \lfloor \dagger \sqcup \langle \rangle f \sqcup \rangle \Leftrightarrow \sqcup \langle \rceil \rfloor \langle \dashv \nabla \dashv \rfloor \sqcup \rceil \nabla f \updownarrow \rangle \sqsubseteq \rangle \backslash \rangle \backslash \mathcal{C} \langle \rangle \backslash \dashv \sqcup \wr \supseteq \backslash \nabla \rceil f_{\mathcal{A}} \langle \backslash \sqcup \sqcup \wr \dashv f \sqcup \nabla \dashv \sqcup \rceil \} \dagger$  $\label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \end{tabular$  $\label{eq:constraint} \end{tabular} \end{tabular} \\ \end{tabular} \end$ A = $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\Box = \mathcal{C} = \mathcal{C$  $\infty \exists \mathscr{M}_{\swarrow} \mathcal{W}_{1} = \exists \mathscr{M}_{\swarrow} \mathcal{W}_{1} = \exists \mathscr{M}_{\swarrow} \mathcal{W}_{1} = \exists \mathscr{M}_{\swarrow} \mathcal{W}_{1} = \exists \mathscr{M}_{\rightthreetimes} \mathcal{W}_{1} = \exists \mathscr{M}_{\rightthreetimes} \mathcal{W}_{1} = \exists \mathscr{M}_{\rightthreetimes} \mathcal{W}_{1} = \exists \mathscr{M}_{\rightthreetimes} \mathcal{W}_{1} = \exists \mathscr{M}_{2} = : \exists \mathscr{M}_{2} = : \exists \mathscr{M}_{2} = :$  $\mathcal{C}(\mathsf{A}) \in \mathcal{K} \in \mathcal$ 

 $\mathcal{C}(\mathsf{A}) \\ \mathcal{K} \\ \mathcal$  $\label{eq:constraint} $$ $ = \nabla \left\{ \right\} = \left\{ \left\{ \left\{ 1 \right\} \right\} \left\{ \left\{ 1 \right\} \right\} \left\{ 1 \right\} \right\} \left\{ \left\{ 1 \right\} \right\} \left\{ 1 \right\} \left\{ 1$  $\langle \neg \sqsubseteq \rceil \sqcup \nabla \rangle \rceil [ \sqcup \wr [ \rceil \sqcup \rceil \nabla \updownarrow \rangle \backslash ] \langle \rangle \int_{\mathcal{N}} \mathcal{I} \rangle \sqcup \rangle \sqcup \neg \updownarrow \neg \exists \{ \} \rangle \neg \sqcup \rangle \land \lfloor \rceil \{ \wr \nabla \rceil \neg \exists f \Box \Downarrow \rangle \rangle \sqcup \langle \neg \sqcup \Leftrightarrow \neg f \langle \rangle f$  $\neg \neg \mathcal{L} ] \land \mathcal{D} \land \mathcal{S} \sqcup ] \{ \neg \land \mathcal{D} \land \mathcal{S} \sqcup ] \{ \neg \land \mathcal{D} \land \mathcal{I} \land$  $\label{eq:constraint} $$ (2)^+ - (-f_{1})^+ + (2f_{1})^+ - (2f_{1})^$ 

 $\mathcal{L} = \mathcal{C} =$  $\uparrow \mathcal{L} = \mathcal{L}$  $\mathcal{C}(\mathsf{I}_{\mathsf{I}_{\mathsf{I}}}) = \mathcal{C}(\mathsf{I}_{\mathsf{I}_{\mathsf{I}}}) = \mathcal{C}(\mathsf{I}_{\mathsf{I}}) = \mathcal{C}(\mathsf{I}) = \mathcal{C}($  $\mathcal{L} = \mathcal{L} =$  $\mathcal{W}(\mathbb{T}_{\mathcal{T}}) \to \mathcal{C}(\mathbb{T}_{\mathcal{T}}) \to \mathbb{T}_{\mathcal{T}}(\mathbb{T}_{\mathcal{T}}) \to \mathbb{T}_{\mathcal{T}}(\mathbb{T})$  $\mathcal{L} = \mathcal{L} =$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\{ \neg \Box \neg \uparrow \rangle f ( \neg \nabla z \Box ) [ ] [ ] [ ] [ ] [ ] \langle \rangle \nabla \rangle \Box \Box \neg \uparrow \langle \nabla ] \uparrow \rangle ] \{ \swarrow \mathcal{A} \{ \Box ] \nabla \uparrow ] \neg \nabla \rangle \rangle U \Box \neg \langle \rangle \nabla ]$ 

 $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constrai$ 

 $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathcal{U} \land \mathcal{K} \land$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathcal{C} = \mathsf{Li}(\mathcal{K}) + \mathsf{Li}(\mathcal$ 

 $|\langle t \rangle \rangle \langle f \langle \nabla \rangle \rangle | \langle \nabla \Box \Box \rangle \rangle \langle t \rangle \rangle | \langle \nabla \Box \Box \rangle \rangle \langle T \rangle | \langle \nabla \Box \rangle \rangle \langle T \rangle | \langle \nabla \Box \rangle | \langle \nabla \Box \rangle \rangle | \langle \nabla \Box \rangle | \langle \nabla \Box \rangle \rangle | \langle \nabla \Box \rangle | \langle \nabla \Box \rangle \rangle | \langle \nabla \Box \rangle |$ 

 $\mathcal{S}_{\texttt{p}} = \mathcal{S}_{\texttt{p}} =$  $\mathcal{L} = \mathsf{L} =$  $\neg \forall \mathcal{C} \rangle \\ \neg \mathcal{C}$  $(\uparrow f) = \nabla f + C + (i) + (i) = (i) + (i)$  $\{ \nabla t \text{ for } H \text{ for } V \text{ for } H \text{ for } t \in \mathcal{U} \} \\ \text{for } f \text{ for } f \text{$  $= \sum_{i=1}^{n} \nabla_{i} \int_{i} \int$ 

|z(U) = |U(U) = |U(U $\mathcal{F} = \mathcal{F} =$  $\exists \mathbf{V} \in \mathbf{V}$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} $$ $ \mathcal{U} \in \mathcal{K} \in \mathcal$ 

 $\Leftarrow \text{Inv}(\text{Inv$  $\mathcal{C}(\mathsf{A} \to \mathsf{A} \to \mathsf{$  $\neg \exists \neg \dagger \{ \nabla \wr \Uparrow \langle \wr \Uparrow ] \exists \rangle \sqcup \langle \wr \sqcap \sqcup \lfloor \rangle \lceil \lceil \rangle \backslash \} \} \wr \wr \lfloor \dagger \rceil \sqcup \wr \langle \rangle f \exists \rangle \{ \rceil \swarrow \uparrow^{\in \notin} \mathcal{O} \backslash \exists \rangle \backslash \mathcal{P} \sqcap \backslash^{\mathcal{K}} \dagger \rangle \Leftrightarrow \langle \rceil \nabla \rceil \sqcap \backslash \sqcup \rceil \lceil$  $\exists (\langle \rangle f ) = \langle \langle \rangle f ) = \langle \langle \rangle f | \langle \neg f | \neg f \rangle \langle \rangle f | \langle \neg f | \neg f \rangle \langle \rangle f | \langle \neg f | \neg f \rangle \rangle \rangle \\ (f ) = \langle \rangle f | \langle \neg f | \neg f \rangle \langle \rangle f | \langle \neg f | \neg f \rangle \rangle \rangle \\ (f ) = \langle \rangle f | \langle \neg f | \neg f \rangle \langle \neg f | \neg f \rangle \rangle \langle \neg f | \neg f \rangle \rangle \langle \neg f | \neg f \rangle \rangle \\ (f ) = \langle \neg f | \neg f | \neg f \rangle \langle \neg f | \neg f \rangle \langle \neg f | \neg f \rangle \rangle \langle \neg f | \neg f \rangle \rangle \langle \neg f | \neg f \rangle \rangle \\ (f ) = \langle \neg f | \neg f | \neg f \rangle \langle \neg f | \neg f \rangle \langle \neg f | \neg f \rangle \rangle \\ (f ) = \langle \neg f | \neg f | \neg f \rangle \langle \neg f | \neg f \rangle \langle \neg f | \neg f \rangle \rangle \langle \neg f | \neg f | \neg f \rangle \rangle \langle \neg f | \neg f \rangle \rangle \langle \neg f | \neg f | \neg f \rangle \rangle \langle \neg f | \neg f |$  $| \mathcal{V} | \langle \mathcal{W} | | \mathcal{V} | \mathcal{$  $\sqrt{\nabla} \mathcal{U} \rightarrow \mathcal{$  $\label{eq:constraint} $$ $ = \mathcal{T}_{1}^{+} = \mathcal{T}_$ 

 $\Box \nabla \neg \langle J \Box \uparrow \Box \rangle \langle A \rangle \langle A$  $\mathcal{U} \land \mathcal{K} \land$  $\mathcal{K} \sqcap \mathcal{N} \vdash \mathcal{C} \land \mathcal{M} \vdash \mathcal{C} \land \mathcal{M} \vdash \mathcal{M} \land \mathcal{M} \vdash \mathcal{M} \land \mathcal{M} \vdash \mathcal{M} \land \mathcal{M} \vdash \mathcal{M} \land \mathcal{M} \land$ A =

 $\mathcal{A} = \mathcal{A} =$  $\int \langle \wr_{\mathcal{N}} \| ] ]_{\mathcal{N}} \nabla f \rangle \langle \mathcal{P} ] \nabla \Box \rangle f \uparrow \mathcal{H} \rangle f \sqcup \wr \nabla \rangle \dashv [ ] [ \wr f \sqsubseteq \mathcal{N} ] \langle \mathcal{P} ] \langle \mathcal{P} ] \rangle \mathcal{D} \downarrow \mathcal{N} \rangle \sqcup \Leftrightarrow \mathcal{D} \downarrow \mathcal{D} \downarrow \mathcal{N} \rangle \sqcup \langle \mathcal{P} ] \langle \mathcal{P} ] \rangle \mathcal{D} \downarrow \mathcalD \downarrow \mathcalD$  $\sqcup \exists \wr \exists \mathsf{C} \land \mathsf{C} \land$  $\mathcal{S} = \mathcal{S} =$  $\label{eq:linearized_states} \label{eq:linearized_states} \\ \label{eq:linearized_states} \\$  $\label{eq:constraint} [] f_{\text{constraint}} \\ () f_{\text{constraint}}$ 

PLijit = PC = PC $\mathcal{M} = \mathcal{M} = \mathcal{T} =$  $\label{eq:point_states} [\] \sqcup \dashv \sqcup \wr \nabla f \langle \rangle_{\checkmark} \Leftrightarrow \exists \langle ] \backslash \sqcup \langle \wr \sqcap f \dashv \backslash [f \wr \{ \mathcal{C} \langle \rangle \backslash ] f ] \rangle \backslash \mathcal{P} ] \nabla \sqcap \exists ] \nabla ] \Uparrow \rangle \} \nabla \dashv \sqcup \rangle \backslash \} \sqcup \wr \{ \ddagger \} ] \exists \langle \dashv \sqcup \sqcup \langle ] \dagger$  $\mathcal{C}(\texttt{i}) = \mathcal{C}(\texttt{i}) = \mathcal{C$  $]\[]\nabla\rangle\]\Pi\Box=(1)\[]\langle \Leftrightarrow \Box ]=(1)\[]\langle \Leftrightarrow \Box \rangle ]=(1)\[]\langle \ominus \rangle ]=(1)\[]\langle \Box \land ]=(1)\[]\langle \Box \sqcup ]$  $\mathsf{A} = \mathsf{A} =$  $\label{eq:constraint} label{eq:constraint} label{$  $\mathcal{C}(\mathsf{A}) = \mathcal{C}(\mathsf{A}) = \mathcal{C$  $\Box \ \left[ \left[ \nabla_{\sqrt{\nabla}} \right] \right] \\ \left[ \nabla_{\sqrt{\nabla}} \right] \\ \left[ \nabla_{\sqrt{2}} \right] \\ \left[ \nabla_{\sqrt{2}}$  $\mathcal{C}(\mathsf{A}) = \mathcal{C}(\mathsf{A}) = \mathcal{C$ 

 $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 

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 $\mathcal{T}_{i}^{1}_{i} = \mathcal{T}_{i}^{1}_{i} = \mathcal{T}_{i}^{1$  $\Box^{\dagger}_{\sqrt{2}} = \mathcal{O}^{2}_{\sqrt{2}} = \mathcal{O}^{2}_{\sqrt{2$  $|| \{ \wr \nabla | | \rangle \rangle \\ \ddagger \nabla | \rangle \rangle \\ \uparrow \langle \neg \langle \neg \rangle \rangle \\ = \langle \wr \langle \neg \rangle \rangle \\ = \langle \wr \langle \neg \rangle \rangle \\ = \langle \wr \langle \neg \rangle \rangle \\ = \langle \circ \rangle \rangle \\ = \langle \circ \rangle \\ = \langle \circ$  $|\langle \neg \nabla \rangle | \langle \neg \nabla \rangle | \langle \neg \mathcal{F} \rangle \nabla | \rangle [ [ ] \setminus \mathcal{C} \rangle \sqcup \dagger_{\checkmark} \mathcal{A} f \sqcup \langle ] ] \\ | \langle \neg \nabla \rangle | \rangle | \downarrow \rangle | \rangle | \downarrow \rangle | \rangle | \downarrow \rangle$  $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$  $+ \sum_{i \in \mathcal{I}} |f_i| | - \nabla_i - \nabla_i + |i_i| | \nabla_i | - \nabla_i + \sum_{i \in \mathcal{I}} |f_i| | - \sum_{i \in \mathcal{I}} |f_i| |$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 

 $\uparrow \mathcal{E}_{\Box} = 1 \\ \forall \mathcal{$  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular}$  $\texttt{A}^{\dagger}(\mathbf{1}) \\ \texttt{A}^{\dagger}(\mathbf{1}) \\ \texttt{A}$  $\{ ] \uparrow \rangle \setminus \} \int U \langle \neg U | \neg \langle \neg U \rangle \cup \neg \langle \neg U \rangle \cup \neg U \rangle \int U \int U \nabla \Box \} \\ \uparrow \neg U \rangle \cup \langle \neg U \rangle \cup \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \cup \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \cup \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \cup \langle \neg U \rangle \cup \langle \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \cup \langle \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \cup \langle \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \cup \langle \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \cup \langle \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \\ \downarrow \neg U \rangle \\ \downarrow \neg U \rangle \cup \langle \neg U \rangle \\ \downarrow \cup U \rangle \\ \downarrow \neg U \rangle \\ \downarrow \cup U \rangle \\ \cup U \rangle$  $\label{eq:constraint} \{ \label{eq:constraint} \{ \label{eq:constraint} \} \label{eq:constraint} \\ \{ \label{eq:constraint} \} \label{eq:constraint} \} \label{eq:constraint} \\ \\ \{ \label{eq:constraint} \} \label{eq:constraint} \} \label{eq:constraint} \\ \{ \label{eq:constraint} \} \label{eq:constraint} \} \label{eq:constraint} \} \label{eq:constraint} \\ \\ \{ \label{eq:constraint} \} \label{eq:constraint} \} \label{eq:constraint} \} \label{eq:constraint} \} \label{constraint} \} \label{eq:constraint} \} \labe$  $\uparrow \mathcal{L} \dashv \mathcal{P} \land \texttt{P} \dashv \texttt{P} \dashv \texttt{P} \land \texttt{P} \land \texttt{P} \lor \texttt{P} \land \texttt{P}$  $\mathcal{A} \nabla \texttt{T}^{+} \to \mathsf{T}^{+} \square \mathbb{C}^{+} \mathbb{C}^{+}$ 

 $\label{eq:constraint} \label{eq:constraint} \end{tabular} \\ \label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end$  $| \langle ] ] \downarrow \\ \checkmark \\ \nabla ] \uparrow | \langle \rangle \\ \uparrow | \langle \rangle \\ | \langle$  $\Box \langle ] \setminus \neg \nabla \nabla \neg \Box \rangle \nabla \Box \neg \neg \uparrow \downarrow \uparrow ] \langle \neg \uparrow \downarrow \uparrow ] \rangle ] [ [ \uparrow \langle \rangle f [ \nabla \langle \Box \langle ] \nabla \Leftarrow \neg \langle \neg \downarrow \rangle \downarrow \rangle \downarrow \rangle \Box \neg \nabla \uparrow \Box \neg \neg \uparrow \downarrow \uparrow ] \rangle ] [ [ \uparrow \langle \rangle f [ \nabla \langle \Box \cup \langle \neg \nabla \downarrow \rangle \downarrow \rangle \Box \neg \neg \neg \uparrow \downarrow \uparrow \downarrow ] \rangle ] ]$  $\label{eq:point_constraint} \end{tabular} \\ \end{tabular} \\ \end{tabular} \end{tabular} \\ \$  $\langle \neg f \rfloor \nabla \rceil \neg \Box \rangle \langle \Rightarrow \rangle \langle \simeq \mathcal{L} \neg \sqrt{\nabla} \rangle \langle \uparrow \rceil \nabla \neg \uparrow \rceil \int_{\sqrt{\neg}} \neg [\neg f \rceil \uparrow \uparrow \rangle \langle \uparrow \rangle \langle \Rightarrow \simeq \neg \rfloor \langle \neg \nabla \neg \rfloor \Box \rceil \nabla \Box \langle i \rangle f \rfloor i \langle i \rangle \rangle i \Box f$  $\uparrow \mathcal{E}_{1} \cup \nabla_{1} \in \nabla_{1} \cup \langle \uparrow_{1} \cup \langle \uparrow_{2} \cup \langle \downarrow_{1} \cup \langle \uparrow_{2} \cup \langle \downarrow_{1} \cup \rangle \cup \langle \uparrow_{2} \cup \langle \downarrow_{2} \cup \langle \cup_{2} \cup \langle \cup_{2} \cup \langle \cup_{2} \cup \langle \downarrow_{2} \cup \langle \cup_{2} \cup \cup_{2} \cup \langle \cup_{2} \cup \cup_{2} \cup \langle \cup_{2} \cup \cup$ 

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 $( + \langle f \rangle \\ +$  $\mathcal{T}_{1}^{1}$  $\mathcal{C}(\mathsf{I}) = \mathcal{C}(\mathsf{I}) = \mathcal{C$  $\dagger \exists \forall \nabla f t [ \mathcal{T} ( f ) ] ) f ( t ) d = t ] \forall d = t ]$  $|\langle \mathsf{L}_{\mathsf{L}} = \langle \mathsf{L}_{\mathsf{L$  $\uparrow \dashv \sqcup \dashv \sqsubseteq \rangle f \sqcup \rangle \rfloor \{\dashv \backslash \sqcup \dashv f \rangle \ddagger \rangle \backslash \} \uparrow \Leftarrow \S \rangle \sqsubseteq \Rightarrow_{\checkmark} \mathcal{I} \backslash \sqcup \langle \rangle f f \rceil \backslash f \rceil \Leftrightarrow \mathcal{S} \rangle \sqcap \simeq f \dashv_{\checkmark} \nabla \wr \dashv \rfloor \langle \lfloor \nabla \rangle \backslash \} f \langle \rangle \Downarrow$ 

 $\exists \wr \nabla \ddagger [\exists \langle \neg \nabla \neg \neg \dashv \sqcup \rangle \backslash \} [\imath \} \ddagger \neg \dashv \sqcup ] \backslash [\imath \dagger ] [ \land \checkmark \land \dashv \downarrow ] \land \downarrow \downarrow \uparrow [ \wr ] f \land \land \land \dashv \downarrow ] \nabla \sqcup \dashv \rangle \backslash$ 

 $\int \langle \neg \nabla_{\sqrt{2}} \rangle \langle \Box \nabla \neg f \Box \rangle \langle \underline{\mathcal{L}} \neg \nabla \rangle \langle \uparrow \nabla \neg f \neg f \neg f \neg f \neg f \neg f \rangle \langle \uparrow \nabla \rangle \langle \downarrow \rangle \langle \downarrow \nabla \rangle \langle \downarrow \rangle \langle \downarrow \nabla \rangle \langle \downarrow \rangle \langle \downarrow$  $\int |\nabla \nabla U | | \rangle | \langle \uparrow \uparrow \rangle \langle \uparrow \downarrow \rangle \langle \uparrow \downarrow \rangle \langle \uparrow \neg \rangle \rangle | \langle \downarrow \langle \uparrow \nabla \rangle | \langle \downarrow \langle \uparrow \nabla \rangle | \langle \downarrow \langle \uparrow \nabla \rangle \rangle | \langle \downarrow \langle \uparrow \nabla \rangle \rangle | \langle \downarrow \rangle \rangle \rangle | \langle \downarrow \rangle | \langle \downarrow \rangle | \langle \downarrow \rangle | \langle \downarrow \rangle \rangle | \langle \downarrow \rangle |$  $\nabla ] f \Box \nabla \{ \exists \} f \rangle \langle \Box \langle ] \rangle E ] \downarrow \mathcal{L} \exists \Box \nabla \rangle [ \exists [ ] \downarrow \rangle \langle f \Box \exists \langle \Box \rangle e \mathcal{T} \langle ] \mathcal{E} \Box ] \nabla \rangle \rangle \Box \dagger \wr \{ \Box \langle ] \mathcal{I} \backslash f \Box \exists \langle \Box \rangle e \mathcal{T} \rangle e \mathcal{T} \langle [ \mathcal{I} \land \Box \rangle e \mathcal{T} \rangle e \mathcal{T} \langle ] \mathcal{I} \land \Box \rangle e \mathcal{T} \langle \Box \rangle e \mathcal{T} \langle \Box \rangle e \mathcal{T} \rangle e \mathcal{T} \langle \Box \rangle e \mathcal{T}$  $(\mathcal{C} \cap [ \mathsf{A} \setminus \mathsf{A} ) \cap \mathcal{A} ) \cap \mathcal{A} \cap \mathcal{A} \cap \mathcal{A} \cap \mathcal{A} ) \cap \mathcal{A} \cap \mathcal{A}$  $\label{eq:constraint} $ \label{eq:constraint} $ \label{eq:constraint} $ \label{constraint} $ \label{constraint}$   $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\langle |\nabla \langle | u \rangle \rangle | u \rangle$  $\Box = \left[ \left( \left[ \int d \right] \right] \right] = \left[ \left[ \int d \right] \right] = \left[ \int d \left[ \int d \right] = \left[ \int d \left[ \int d \right] = \left[ \int d \right] = \left[ \int d \left[ \int d \right] = \left[ \int d \right] = \left[ \int d \left[ \int d \left[ \int d \right] = \left[ \int d \left$  $\Box (\exists t \in \mathcal{L}) \exists t \in \mathcal{L}) \exists t \in \mathcal{L} \\ \exists$  $\sqrt{\nabla} i \int U = U = \int \{\nabla i \oplus \mathcal{C} \to \oplus \mathcal{C} \to \oplus \mathcal{O} \to \oplus \oplus \mathcal{O} \to \oplus \to \oplus \mathcal{O} \to \oplus \mathcal{O} \to \oplus \mathcal{O} \to \oplus \mathcal{O}$  $\Box \langle \neg \Box \Box \rangle \langle \neg \uparrow \neg \nabla \rangle \langle \Box \rangle \langle \neg \nabla \neg \rangle \langle \Box \neg \nabla \checkmark \langle \Box \neg \nabla \checkmark \rangle \langle \Box \neg \nabla \checkmark \rangle$  $\mathcal{S} = \mathcal{I} =$ 

 $\label{eq:point_states} $$ = \frac{1}{2} + \frac{1}{$ 

 $\label{eq:constraint} \\ \label{eq:constraint} \\ \la$  $(\texttt{A} + \texttt{P} \nabla \square \sqsubseteq) + \texttt{P} \nabla \square \sqsubseteq) + \texttt{P} \nabla \square (\texttt{A} ) + \texttt{P} \nabla \square (\texttt{A} ) + \texttt{P} \nabla \square (\texttt{A} ) + \texttt{P} ) + \texttt{P} \nabla \square (\texttt{A} ) + \texttt{P} ) + \texttt{P} \nabla \square (\texttt{A} ) + \texttt{P} ) + \texttt{P}$  $\Box \langle \neg \Box \rangle \int \Box \langle \neg z \Box \rangle \langle \uparrow \Box \neg \rangle \rangle \\ \Box \neg \langle \rangle f \rangle \\ \Box \neg \langle \neg \rangle$   $\Box \neg \langle \neg \langle \neg \rangle f \rangle \\ \Box \neg \langle \neg \rangle$  $[\exists \Box ] \langle \sqcup ] \nabla \swarrow \mathcal{K} \land \exists \rangle \land \exists \cup \langle \neg f \} \nabla \exists \neg f \langle \neg D \rangle f \exists f \langle \neg D \rangle f \forall f \rangle f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \forall f \rangle f \langle \neg D \rangle f \langle \neg$  $\sum_{i=1}^{n} \sum_{j=1}^{n} \left\{ \left\{ \left\{ i \right\} \right\} \right\} = \left\{ \left\{ \left\{ i \right\} \right\} = \left\{ \left\{ \left\{ i \right\} \right\} \right\} = \left\{ \left\{ \left\{ i \right\} \right\} \right\} = \left\{ \left\{ \left\{ i \right\} \right\} = \left\{ \left\{ \left\{ i \right\} \right\} \right\} = \left\{ \left\{ \left\{ i \right\} \right\} = \left\{ \left\{ i \right\} \right\} = \left\{ \left\{ \left\{ i \right\} \right\} = \left\{ \left\{ i \right\} = \left\{ \left\{ i \right\} \right\} = \left\{ \left\{ i \right\} = \left\{ i \right\} =$  $\mathcal{T}_{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}_{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}^{\mathbb{T}}^{\mathbb$  $\sqrt{\nabla i \int U \cap U \langle t \rangle }$ 

 $\mathcal{I}_{\forall \downarrow} = \mathcal{I}_{\forall \downarrow} = \mathcal{I$  $\label{eq:constraint} []\slashed{constraint} \label{eq:constraint} []\slashed{constraint} \label{constraint} []\slashed{constraint} \label{constraint} \label{const$  $\texttt{Min}(\mathcal{C}) = \texttt{Min}(\mathcal{C}) + \texttt{Mi$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{constraint} \label{eq:constraint} \label{eq:constra$  $|t\uparrow \uparrow \downarrow \rangle | f \downarrow \downarrow \uparrow \Leftrightarrow f \downarrow \uparrow \land f \downarrow \uparrow \Leftrightarrow f \downarrow \uparrow \land f \downarrow \uparrow$ 

 $\mathcal{L} \Rightarrow \mathcal{R} = \sum_{i=1}^{i} \sum_{i \in \mathcal{I}} \sum_$ 

 $\\ \left| \Box_{U} \Box_{V} + \Box_{V} \right| \\ \left| \Box_{V} \Box_{V} \Box_{V} \right| \\ \left| \Box_{V} \Box_{V} \Box_{V} \Box_{V} \right| \\ \left| \Box_{V} \Box_{V} \Box_{V} \Box_{V} \Box_{V} \right| \\ \left| \Box_{V} \Box_$  $\mathcal{A}_{\text{C}} = \mathcal{A}_{\text{C}} =$  $\mathcal{S}_{\texttt{A}} = \mathcal{S}_{\texttt{A}} =$  $\mathcal{L} = \mathcal{R} =$ 

 $\label{eq:linear} $$ = \frac{1}{2} \sum_{i=1}^{2} \sum_{j=1}^{2} \sum_{i=1}^{2} \sum_{j=1}^{$ 

 $\Box \exists \wr \Box \sqcap f \dot{a} \exists \wr \dot{t} \rceil \setminus \underset{\sqrt{2}}{} \exists \Box f \Leftrightarrow \mathcal{J} \sqcap \dot{\zeta} \land \exists \forall \mathcal{V} \land \forall \exists \forall \mathcal{V} \sqcap \dot{\zeta} \land \exists \forall \mathcal{V} \sqcap \dot{\zeta} \land \exists \forall \mathcal{V} \sqcap \dot{\zeta} \land \exists \forall \mathcal{V} \lor \dot{\zeta} \lor \dot{$ 

 $\in \forall$ 

 $\mathcal{C} \langle \neg \downarrow \downarrow ] \nabla \mathcal{III}_{\mathcal{L}} \mathcal{B} ] \sqcup \exists ] ] \backslash \mathcal{N} \neg \sqcup \rangle \land \neg \ddagger \mathcal{B} \wr \nabla [ ] \nabla f \neg \mathcal{J} \neg \ddagger \rangle \neg \mathcal{W} \wr \rangle \rbrace \simeq f \neg \langle \mathcal{S} \neg \rangle \mathcal{Y} \neg \backslash \simeq f$  $\mathcal{C}_{\mathcal{I}} = \mathcal{C}_{\mathcal{I}} = \mathcal{I}_{\mathcal{I}} =$  $\mathcal{U}(\texttt{I}) = \nabla \mathcal{I}(\mathcal{N}_{\texttt{I}}) = \nabla \mathcal{I}(\mathcal{N}_{\texttt{I}}) = \nabla \mathcal{I}(\mathcal{N}_{\texttt{I}}) = \mathcal{I}($  $\mathcal{R} \\ \exists \forall \mathcal{G} \\ \exists \mathcal{G} \\ \exists$  $\texttt{Vielu(1)} \\ \nabla \mathcal{P} \\ \forall \mathsf{P} \\ \forall \mathsf{P$ |2 | f| > 1 | f| < T(1) = 1 | f| = 1 $\label{eq:constraint} + \label{eq:constraint} + \lab$ 

$$\begin{split} + \left( \right) \left( \right) \nabla \left( \left( \right) \nabla \left( \right) \right) \left( \right) \nabla \left( \left( \right) \nabla \left($$

 $\label{eq:constraint} label{eq:constraint} label{eq:constraint} \\ label{eq:constraint} lab$  $\mathcal{T}_{i}^{j} = \mathcal{T}_{i}^{j} = \mathcal{T}$  $\label{eq:point_linear} label{eq:linear_l$ A = $\sqcup \langle ]\mathcal{C} \rangle \backslash ] f ] \dashv \nabla ] \sqcup \langle ]\mathcal{O} \sqcup \langle ] \forall \sqcup \langle ] \dagger \{ \rangle \backslash [ \rangle \backslash \sqcup \langle ] f \sqcup \nabla ] ] \sqcup f \{ \mathcal{M} \dashv ] \dashv \Box \wr \nabla \mathcal{C} \langle \rangle \backslash \dashv \mathcal{T} \langle ] \dagger \dashv \ddagger f ( f ) \Box \downarrow ]$ 

 $\nabla ] \} \dashv \nabla [ \ddagger ] \int \{ \exists \langle ] \nabla ] \rangle \sqcup \rangle \int \swarrow \mathcal{T} \langle \Box f \Leftrightarrow \rangle \backslash \langle \rangle f ] \int f \dashv \dagger \uparrow \mathcal{C} i f \ddagger \sqrt{} \downarrow \rangle \sqcup \dashv \backslash \sqrt{} \dashv \sqcup \nabla \rangle i \sqcup f \Leftrightarrow \uparrow \langle ]$ 

 $\mathcal{Y} = \langle \mathcal{Y} = \langle \mathcal{Y} = \mathcal{Y} = \langle \mathcal{Y} = \mathcal$  $\label{eq:constraint} $$ \nabla t = \nabla d = \nabla d$  $\Box \langle ] \rangle \nabla ] \delta f \uparrow \delta \rangle J \langle \Box \neg \rangle f \uparrow \delta f \rangle \delta \Box \neg J \nabla \delta \Box \neg [\delta \nabla \sqrt{\neg} \Box \nabla \rangle \delta \Box \rangle ] \neg f \mathcal{A}_{\sqrt{\sqrt{\gamma}}} \rangle \neg \langle \Box \delta \Box \uparrow [\Box \rangle f \langle \Leftrightarrow ] \Box ] \setminus \delta C \langle \odot \rangle C \langle \Box \rangle = 0$  $\mathcal{T}_{1}^{1} \sqcup \exists \langle \mathcal{T}_{1}^{1} \sqcup \mathcal{T}_{2}^{1} \sqcup \mathcal{T}_{1}^{1} \sqcup \mathcal{T}_{1}^{1} \sqcup \mathcal{T}_{2}^{1} \sqcup$  $\Box \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle = \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle = \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle$  $\mathcal{A}_{I} \cup \mathcal{A}_{I} \cup \mathcal{A}_{I}$ 

 $[-] \\ |-| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+| \\ |+|$ 

 $\leftarrow \in !\infty! \Rightarrow \Leftrightarrow ] \wr \ \exists \nabla j \exists \ u \langle u \langle \rangle j \rangle \langle u ] \nabla v \nabla u = u \rangle \wr \langle u \langle u \rangle d \rangle \\ \downarrow \forall u \in V \land u \in U \land u \in V \land u$  $\mathcal{B} \wr t \to \mathsf{I} \to \mathcal{I} \to \mathcal{I$  $\Box(\exists \exists f_{\mathcal{L}} \mathcal{T}(\exists \dagger \lambda f_{\mathcal{L}}) \exists \forall L \forall \forall \lambda \in \mathcal{T}(\exists f_{\mathcal{L}}) \forall \forall L \forall \forall \lambda \in \mathcal{T}(\exists f_{\mathcal{L}}) \forall \forall \forall \lambda \in \mathcal{T}(\exists f_{\mathcal{L}}) \forall \lambda \in \mathcal{T}(\exists f_{\mathcal{L})}) \forall \lambda \in \mathcal{T}(\exists f_{\mathcal{L})}) \forall$ 

 $+ \int \left\{ \frac{1}{2} \right\} \left\{ \int \left\{ \frac{1}{2} \right\} \left\{ \frac$ 

 $\exists \langle \mathsf{I} \mathsf{T} \{ \mathsf{T} \rangle \rangle \Leftrightarrow \mathsf{I} \langle \mathsf{T} \mathsf{T} \rangle \land \mathsf{T} \rangle$  $- \int_{\sqrt{2}} \left[ \left( \int_{\sqrt{2}} \left($ 

 $\mathcal{J} = \mathcal{W} \setminus \mathbb{Z} = \mathcal{V} = \mathcal{V} \setminus \mathbb{Z} = \mathcal{V} =$  $\mathcal{J} = \mathcal{W} \setminus \{ \mathcal{J} = \mathcal{W} \setminus \{ \mathcal{J} = \mathcal{V} \setminus \mathcal{J} = \mathcal{V$  $\mathcal{B} \text{ for } \mathcal{B} \text{ for }$  $\label{eq:constraint} $$ \mathcal{B}_{\mathcal{I}} = \mathcal{I}_{\mathcal{I}} = \mathcal{I$  $| \downarrow \downarrow \rangle \} \nabla \neg | \downarrow \downarrow | \neg \langle \neg \nabla \{ \nabla \wr \downarrow \mathcal{P} \neg | \uparrow \sqcap \langle \neg \downarrow \uparrow \downarrow \uparrow \neg \rangle \downarrow \downarrow \rceil | \mathcal{P} \sqcap \langle \mathcal{Y} \sqcap \neg \neg | \neg \langle \varphi \rangle \langle \mathcal{P} \rceil \nabla \sqcap \Leftrightarrow \mathcal{P} \sqcap \langle \dagger \sqcap \rangle \Rightarrow$  $\neg \neg f = \neg$  $\label{eq:constraint} $ \label{eq:constraint} $ \lab$  $\mathcal{W}(\mathsf{F}) = \mathsf{E}(\mathsf{F}) = \mathsf{E$ 

 $\label{eq:constraint} \int \mathbb{E}^{1} \left[ \left( - \mathcal{O} \right) \right] \left( \mathcal{O} \right) \left$ 

 $\mathcal{H} \vdash_{\text{interms}} \mathcal{H} \vdash_{\text{interms}} \mathcal{H}$  $\Leftarrow \mathcal{M} \dashv \nabla \} \dashv \nabla \rangle \sqcup \dashv \mathcal{D} \wr ] \int \mathcal{N} \wr \sqcup \mathcal{W} \dashv \backslash \sqcup \sqcup \wr \mathcal{G} \nabla \wr \exists \mathcal{U}_{\sqrt{}} \Leftrightarrow \in \prime \infty \infty \Rightarrow \Leftrightarrow \dashv \backslash \lceil \sqcup \langle \rceil_{\sqrt{}} \wr \rceil \sqcup \nabla \dagger ] \wr \updownarrow \uparrow \rceil \downarrow \wr \downarrow \uparrow \rceil \sqcup \rangle \wr \backslash f$  $\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline{\mathcal{H}}\underline$  $\underline{\mathcal{B}}_{\text{l}}[[\langle \exists \leq \mathcal{B}_{\text{l}}] [\langle \exists \leq \mathcal{L}_{\text{l}}] [\langle \exists \leq \mathcal{L}_{\text{l}}] [\langle \exists \leq \mathcal{L}_{\text{l}}] [\langle \forall \geq \mathcal{$  $\mathcal{B}_{\mathcal{I}}^{\mathcal{I}} = \mathcal{B}_{\mathcal{I}}^{\mathcal{I}} = \mathcal{B}_{\mathcal$  $\mathcal{E}_{\mathcal{T}}^{\mathcal{T}} = \mathcal{S}_{\mathcal{T}}^{\mathcal{T}} = \mathcal{S}_{\mathcal$  $\underline{\mathcal{C}(\underline{\neg}}_{\mathsf{A}} \in \mathcal{P}(\underline{\neg}) = \mathcal{P}(\underline{$  $\label{eq:linear_line$  $\mathcal{P} = \mathcal{C} =$ 

 $\sqrt{ }$ 

 $\mathcal{W}() \cong \mathcal{W}() \cong \mathcal$  $\mathcal{G} = \mathcal{G} =$  $\label{eq:constraint} $ \label{eq:constraint} $ \lab$ C =

 $\label{eq:constraint} \ensuremath{\belowdelta} \ensuremath{\belowdel$  $\Leftarrow \underline{\mathcal{D}} \\ \neg \mathcal{R} \\ \equiv ] \nabla \underline{f} \\ \Leftrightarrow \infty \exists \nabla \forall \Rightarrow \Leftrightarrow \exists \langle ] \nabla ] \\ \leftarrow ] \\ \equiv ] \\ \sqcup \langle \rangle \Box \} \\ \langle \rangle \sqcup \rangle \underline{f} \\ \dashv \downarrow f \\ \sqcup \nabla \dashv \backslash \underline{f} \\ \sqcup \Box \nabla \dashv \backslash f \\ \sqcup \Box \nabla \dashv \downarrow f \\ \sqcup \Box \Box \nabla \dashv \downarrow f \\ \sqcup \Box \nabla \dashv \downarrow f \\ \sqcup \Box \nabla \dashv \downarrow f \\ \sqcup \Box \Box \nabla \dashv \downarrow f \\ \sqcup \Box \Box \Box \Box \Box \Box \Box$  $\label{eq:constraint} $$ $ \mathcal{R} = \mathcal$  $\label{eq:linearized_states} $$ \label{eq:linearized_states} $$  $\mathcal{E} = \left[ \left( \left( \nabla_{\mathcal{I}} \right) \right) \right] = \left[ \nabla_{\mathcal{I}} \right] \left( \nabla_{\mathcal{I}} \right) \right] \left( \nabla_{\mathcal{I}} \right) \left( \nabla_{\mathcal{I}} \right) \left( \left( \nabla_{\mathcal{I}} \right) \right) \right) \left( \nabla_{\mathcal{I}} \right) \left( \left( \nabla_{\mathcal{I}} \right) \right) \left( \nabla_{\mathcal{I}} \right) \right) \left( \left( \nabla_{\mathcal{I}} \right) \right) \left( \left( \nabla_{\mathcal{I}} \right) \right) \left( \nabla_{\mathcal{I}} \right) \right) \left( \left( \nabla_{\mathcal{I}} \right) \left( \left( \nabla_{\mathcal{I}} \right) \right) \left( \left$  $\label{eq:constraint} $$ \sum_{i=1}^{1} \sum_{j=1}^{i} \sum_{j=1}^{j} \sum_{j=1}^{i} \sum_{$ I = $\mathcal{J} \vdash_{\checkmark} \vdash_{\land} \mathcal{J} \vdash_{\land} \mathcal{I} \vdash_{\leftarrow} \mathcal{I$ 

 $\left\lceil \frac{1}{2} \right\rangle \\ \Leftrightarrow \\ \left\lceil \int \left\langle \left\rceil \dashv \right\rceil \right\rceil \right\rangle \\ \in \\ \forall \infty \\$ 

 $\exists \wr \sqcup \land \sqcup \land \top \exists f \land \uparrow \mathcal{C} \land \Box \land \exists \mathcal{K} \land \land \exists \mathcal{K} \land \exists \mathcal{K} \dashv \nabla \rbrace \dashv \nabla \land \exists \mathcal{K} \dashv \nabla \land \exists \mathcal{K} \lor \exists \mathcal{K} \lor \mathcal{K} \land \exists \mathcal{K} \lor \mathcal{K} \lor \exists \mathcal{K} \lor \mathcal{K}$  $\label{eq:constraint} $$ INTARCARCELLARC$  $\int \left[ \left\{ \left\{ \right\} \right] \cap \left\{ \left\{ \right\} \right\} \mathcal{N} \cup \left\{ \right\} \mathcal{N} \right\} \mathcal{N} \cup \left\{ \left\{ \left\{ \right\} \mathcal{N} \right\} \mathcal{N} \cup \left\{ \left\{ \right\} \mathcal{N} \right\} \mathcal{N} \cup \left\{ \left\{ \right\} \mathcal{N} \cup \left\{ \right\} \mathcal{N} \right\} \mathcal{N} \cup \left\{ \left\{ \right\} \mathcal{N} \cup \left\{ \left\{ \right\} \mathcal{N} \cup \left\{ \right\} \mathcalN \cup$  $\mathcal{C}(\Box \setminus \mathcal{K}) \setminus \mathcal{M} \to \mathcal{M}$  $||\langle|U|\nabla\nabla\partial\langle\nabla\rangle ||| ||\nabla\langle U|| ||\nabla\langle U|||\nabla\langle U|| ||\nabla\langle U|||\nabla\langle U|| ||\nabla\langle U|| ||\nabla\langle U|| ||\nabla\langle U|| ||\nabla\langle U|| ||\nabla\langle$ 

 $\mathcal{W}() \ddagger f(f) = \mathcal{V}() + \mathcal{V$  $\int \langle ] \rightarrow f \rangle \\ f = \mathcal{C} \langle \rangle \\ f =$  $\int \langle ] \neg [ \wr \mathcal{L} \neg [ \mathsf{I} \land \mathsf{I} \land$  $(\Box) \ (\Box) \ (\Box)$  $|\langle\rangle \setminus \mathcal{J} \uparrow \Leftarrow \mathcal{C} \langle\rangle | \mathcal{J} | \mathcal{G} \langle\mathcal{J} \sqcup \mathcal{J} \Rightarrow \Leftrightarrow \mathcal{I} [ \uparrow \rangle \mathcal{J} | \mathcal{I} \cup \langle] |\mathcal{I} \Box \nabla \setminus \neg \uparrow \underbrace{\mathcal{E}}_{\mathcal{I}} | \mathcal{I} \Leftrightarrow \mathcal{I}_{\mathcal{I}} | \mathcal{I} \Rightarrow \cup \langle\rangle \oplus \neg \} ] \mathcal{I} \{ \sqcup \langle ] \in \mathcal{I} \}$  $\label{eq:constraint} $$ \nabla ] = \mathcal{D} = \mathcal{D}$  $\int \langle ] - \uparrow f \langle \uparrow \downarrow \rangle \rangle \langle f \sqcup \langle ] f ] \\ \langle i f \sqcup f \sqcup \langle \neg \downarrow \rangle \langle \neg \downarrow \rangle | \langle \neg \neg \downarrow | \langle \neg \downarrow \rangle | \langle \neg \neg \downarrow | \langle \neg \neg \downarrow | \langle \neg \downarrow | \langle \neg \downarrow \rangle | \langle \neg \neg \downarrow | \langle \neg \neg \neg | \langle \neg \neg \rangle | \langle \neg \neg \neg | \langle \neg \neg \neg | \langle \neg \neg \neg | \langle \neg | \langle$  $\mathcal{C}_{\text{A}}(\text{A}) = \mathcal{C}_{\text{A}}(\text{A}) = \mathcal{C}$  $\nabla | \Box \Box \nabla \langle \Box \rangle \uparrow \mathcal{L} i \downarrow \mathcalL i \downarrow \mathcalL$ 

 $\begin{aligned} \mathcal{T}_{1}\mathcal{J}_{1}\mathcal{J}_{1}\mathcal{J}_{1}\mathcal{J}_{2}\mathcal{$ 

 $\mathcal{Y} | \sqcup \sqcup \langle | \nabla | \dashv \nabla | \dashv \langle h \langle h \rangle \langle \nabla | \rangle | H \sqcup \rangle \subseteq | [ f ] \nabla \rangle_{\sqrt{\Box}} | h \langle h \langle | f \dashv \langle \neg \downarrow \rangle | h \downarrow | h \downarrow \rangle | h \downarrow \rangle | h \downarrow | h \downarrow \rangle | h \downarrow | h \downarrow \rangle | h \downarrow | h \downarrow$ 

$$\begin{split} + \oplus \{\} &= + \oplus \{\} \\ + \oplus \{] \\ + \oplus \{]$$

 $\mathcal{J}_{\neg} \downarrow^{\neg} \downarrow^{\vee} \downarrow^{\vee}$ 

 $\langle | \nabla \sqcup \dagger_{\sqrt{2}} | \exists \downarrow_{\sqrt{2}} | \exists \sqcup_{\sqrt{2}} | \exists \sqcup_{\sqrt{2}$  $\mathcal{J} \vdash_{\mathcal{I}} \vdash_{\mathcal{I}} \mathcal{J} \vdash_{\mathcal{I}} \mathcal{I} \vdash_{\mathcal{I}} \vdash_{\mathcal{I}} \vdash_{\mathcal{I}} \mathcal{I} \vdash_{\mathcal{I}} \vdash_{\mathcal{I}} \mathcal{I} \vdash_{\mathcal{I}} \vdash_{\mathcal{I$  $( \neg \nabla [ \neg \nabla i \neg f ] ) f ( \neg f \propto \mathcal{W} ( i ( \neg f ) \land f ) [ \neg i i ] \neg \nabla i ) f [ \neg i i ] \neg \nabla i ) f ( \neg f ) ( \neg$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$ 

 $\nabla ] \sqsubseteq ] \dashv f \dashv ] \nabla \sqcup \dashv \rangle \setminus \nabla ] f | \backslash \sqcup \ddagger ] \land \sqcup \sqcup \wr \exists \dashv \nabla [ \sqcup \langle ] \mathcal{J} \dashv \checkmark \uparrow f ] ] \wr \ddagger \sqcap \land \mathcal{P} ] \nabla \sqcap \rangle f [ \dagger \rangle \backslash \} \Leftrightarrow$  $\mathcal{W} \dashv \sqcup \dashv \Leftrightarrow \propto \mathcal{A} \setminus [\mathcal{I} \setminus \uparrow \nabla] \uparrow ] \downarrow ] \downarrow [ ] \nabla \sqsupseteq \langle \dashv \sqcup \uparrow \wr \sqcap \sqcup \downarrow \land \uparrow \dashv \sqcap \backslash \sqcup \neg \propto \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ] \sqsupseteq \dashv f \land \sqcup \neg \land \simeq \mathcal{S} \langle ]$  $\{\exists t \in \nabla \ t \in \mathcal{P} \ t \in \mathcal{P}$  $\mathcal{A} = \mathcal{A} =$  $\sqcup \langle \mathsf{I}_{\sqrt{\nabla}} \mathsf{I}_{1} \mathsf{I}_{1} \mathsf{I}_{2} \mathcal{P} \mathsf{I}_{2} \mathcal{S} \langle \mathsf{I}_{1} \mathsf{I}_{1} \mathsf{I}_{2} \mathsf{I}_{2}$  $\label{eq:lag} \label{eq:lag} \label{eq:lag} \\ \label{eq:lag} \l$  $\label{eq:constraint} $ \label{eq:constraint} $ \lab$  $\exists \forall \mathcal{S} = \forall \mathcal{S} =$  $\neg \nabla \Box \rangle \int \Box f \rangle \langle \mathcal{P} ] \nabla \Box \Rightarrow \swarrow \mathcal{I} \Box \rangle \int \Box \langle \Box \rangle \langle \Box \rangle$ 

 $\texttt{III}_{\mathcal{A}} = \texttt{III}_{\mathcal{A}} = \texttt{IIII}_{\mathcal{A}} = \texttt{IIIII}_{\mathcal{A}} = \texttt{IIIII}_{\mathcal{A}} = \texttt{IIIII}_{\mathcal{A}} = \texttt{IIIII}_{\mathcal{A}} = \texttt{IIIII}_{\mathcal$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint$  $+ \Box \Box \rangle \Box \Box [] \neg \uparrow \mathcal{D} + [[ \dagger \sqcup \wr \downarrow [ ] ] \sqcup \langle + \Box ] \sqcup \langle ] \mathcal{J} + \sqrt{+} ] J ] \propto \mathcal{A} J \sqcup \langle ] \dagger f + \dagger \mathcal{C} \langle \rangle \downarrow ] + \langle + \nabla ]$  $\langle \neg \Box \rangle [ \swarrow \uparrow^{\forall \exists} \mathcal{Y} ] \Box f \langle \rceil \rangle ( \uparrow \Box ) ( \uparrow \Box ) ( \uparrow \Box ) ( \uparrow \Box ) ] f \Box \langle \rceil f \rceil \neg f \rangle \subseteq ] \Leftrightarrow \\ \\ \\ \langle \neg \Box f \rangle ( \downarrow ) ( \neg \Box ) ( \uparrow \Box ) ( \downarrow ) ($  $\exists \langle \rangle \rfloor \langle \rangle \sqcup \neg \nabla \Box \neg \sqcup \sqcup \langle ] \uparrow ] \land \downarrow \rangle \land \uparrow ] [ ] \land \uparrow \uparrow \land \downarrow \rangle \sqcup \land \downarrow \rangle \downarrow \rangle \sqcup \langle \uparrow \rangle \sqcup \neg \nabla \Box \langle \downarrow \rangle \sqcup \neg \Box \langle \uparrow \downarrow ] ] \sqcup ] \sqcup \langle \backslash \rangle \rfloor$  $||\langle |_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_{1}\rangle||_$ 

 $\mathcal{A}_{U} = \mathcal{A}_{U} = \mathcal{A}_{U}$  $\mathcal{F}(\texttt{I}) \\ \mathcal{F}(\texttt{I}) \\ \mathcal{F$  $\infty \exists \bigtriangledown \bigtriangledown \Rightarrow \Leftrightarrow \land \exists [ \sqcup ] [ \sqcup ] [ \sqcup ] ] \exists \exists U \rangle ] \mathcal{C} \langle \rangle | f ] \dashv \downarrow ] f \sqcup \wr \nabla \mathcal{Y} \sqcap \dashv \langle \mathcal{P} ] \rangle \mathcal{F} \sqcap \Leftrightarrow \rangle \backslash \sqcup \langle \rangle f \backslash \iota \sqsubseteq ] \ddagger \exists \mathcal{W} \wr \rangle \}$  $+ f_{\lambda} = \frac{1}{2} + f_{\lambda} = \frac{1}{2} + f_{\lambda} = \frac{1}{2} + f_{\lambda} = \frac{1}{2} + \frac{1}{2} +$  $\label{eq:point_states} \\ \end{tabular} \\ \e$  $\nabla \left[ \sqrt{\nabla} \right] f \left[ \left( \Box \right) \right] \\ \left( \Box \left( \Box \right) \right) \\ \left( \nabla \left( \nabla \right) \right) \\ \left( \Box \right$  $\label{eq:constraint} [] \label{eq:constraint} [] \label{eq:constrain$  $\int \Box \delta \nabla d B = \int \delta \delta C \left( \delta \nabla d B \right) \left( \Box \delta B \right) \left( \delta C \left( \delta \nabla d B \right) \left( \delta \nabla d$ 

 $\label{eq:constraint} $$ \sum_{i=1}^{2} \mathcal{B}_{i} = \mathcal{D}_{i} = \mathcal{D}_$ 
$$\label{eq:constraint} \begin{split} & \begin{aligned} & \b$$
 $f] \label{eq:point_start} f] \label{eq:point_start} \label{eq:point_start} \label{eq:point_start} \label{eq:point_start} f] \label{eq:point_start} \label{eq:point_start} f] \label{eq:point_start} \label{eq:$  $\label{eq:constraint} $$ \ \nabla \neg \Box = \int_{\mathcal{L}} \mathcal{T} = \int_{\mathcal{L}}$  $|\langle \neg \nabla \neg | \sqcup \rangle \nabla f_{\mathcal{A}} \uparrow^{\in \exists \ni} \mathcal{A}_{\mathcal{A}} f \rangle \sqcup \rangle \sqsubseteq ] \mathcal{J} \neg \neg \langle \neg | f \rangle \oplus \neg \langle \neg \rangle ] \neg \nabla f \{ \partial \nabla | U \sqcup \rangle \oplus ] \supseteq \langle ] \setminus d \cup f \cup \langle \neg | f \rangle \otimes f \cup U \rangle \oplus \langle \neg | f \rangle \otimes f \cup U \rangle \oplus \langle \neg | f \rangle \otimes f \cup U \rangle \oplus \langle \neg | f \rangle \otimes f \cup U \rangle \oplus \langle \neg | f \rangle \otimes f \cup U \rangle \oplus \langle \neg | f \rangle \otimes f \cup U \rangle \oplus \langle \neg | f \rangle \otimes f \cup U \rangle \oplus \langle \neg | f \rangle \otimes f \cup U \rangle \oplus \langle \neg | f \rangle \otimes f \cup U \rangle \oplus \langle \neg | f \rangle \otimes f \cup \langle$  $\mathcal{M} \dashv \nabla i \dashv \mathcal{I} \backslash \acute{ef} / \textit{f} \land \texttt{V} \land$  $\mathbf{A} = \mathbf{B} =$  $\langle |\nabla f | \downarrow \rangle | \neg \uparrow f \langle | \exists | f | \Box \rangle \cup | \rangle \rangle + \langle | \downarrow | f | \Box \uparrow \rangle \rangle | \{ \wr \nabla | \mathcal{C} \langle \rangle \setminus | f | [] f | ] \setminus [ | \downarrow | \mathcal{T} \langle | \downarrow | \mathcal{T} \rangle | \langle | \downarrow | \downarrow \rangle \rangle$  $\Box = \mathcal{F} = \mathcal{F$ 

 $\mathcal{T}_{i} = \mathcal{T}_{i} = \mathcal{T}_{i}$  $\label{eq:constraint} \ensuremath{\mathcal{O}} \nabla \ensuremath{\mathcal{O}} \ens$  $\sqcup \langle \rangle ff | \sqcup | \rfloor \Leftrightarrow \nabla ] \dashv [ ] \nabla f ] \dashv \langle f | \backslash f | \sqcup \langle ] \backslash \dashv \nabla \nabla \dashv \sqcup \wr \nabla \simeq f \dashv [ \ddagger \rangle \backslash \dashv \sqcup \rangle \wr \backslash \{\wr \nabla \sqcup \langle ] \mathcal{J} \dashv_{\checkmark} \dashv \backslash ] f |_{\checkmark}$  $\mathcal{W}() \cong \mathcal{V}(\mathcal{V}) = \mathcal{V}(\mathcal{$  $\mathcal{C}_{\text{C}}(\text{C}_{\text{C}}) = \mathcal{C}_{\text{C}}(\text{C}_{\text{C}}) + \mathcal{C}_{\text{C}}(\text{C}) + \mathcal{C}}(\text{C}) + \mathcal{C}_{\text{C}}(\text{C}) + \mathcal{C}() + \mathcal{C}() + \mathcal{C}() + \mathcal{$  $\mathcal{C}(\mathsf{I}) = \mathcal{C}(\mathsf{I}) = \mathcal{C$  $\neg \neg \forall \mathcal{A}^{\dagger}_{\mathsf{I}} = \neg \forall \mathcal{A}^{\dagger}_{\mathsf{I}$  $\mathcal{J} \vdash_{\mathcal{A}} \mathcal{I} \vdash_{\mathcal{A}} \vdash_{\mathcal{A}} \mathcal{I} \vdash_{\mathcal{A}} \mathcal{I} \vdash_{\mathcal{A}} \mathcal{I} \vdash_{\mathcal{A}} \vdash_{\mathcal{A}} \mathcal{I} \vdash_{\mathcal{A}} \vdash_{\mathcal{A}} \mathcal{I} \vdash_{\mathcal{A}} \vdash_{\mathcal{A$ 

 $\mathcal{C}(\mathsf{A}) = \mathcal{C}(\mathsf{A}) = \mathcal{C$  $\Box \langle \neg \Box \mathcal{A} \uparrow \{ \wr \backslash f \wr | \wr \rbrace | ] [ \mathcal{W} \langle \rangle \uparrow ] \mathcal{M} \neg \nabla i \neg \mathcal{I} \land e f \rangle \langle ] \nabla \rangle \Box ] [ f \wr \uparrow ] \wr \{ \langle ] \nabla \} \nabla \neg \langle [ \neg \Box \rangle ] [ f \land \downarrow ] \land \downarrow \rangle$  $\label{eq:constraint} $$ $ \mathcal{D}_{\mathcal{D}} = \mathcal{D}_{\mathcalD} = \mathcal{D} = \mathcal{$  $\label{eq:point_states} $$ $ \nabla = \sum_{i=1}^{+} \left( \left( \sum_{i=1}^{+} \left$ 
$$\label{eq:constraint} \begin{split} f(t) & = \{t) \\ f(t) & = \{t\} \\ f(t) & = \{$$
 $t_{1} = \frac{1}{2} \left[ \frac{1}{2} - \frac{1}{2} + \frac{1}{$  $\mathcal{M} \dashv \nabla i \dashv \mathcal{I} \land \acute{f} \simeq f \{ \dashv \sqcup \langle ] \nabla \Leftrightarrow \mathcal{M} \rangle \} \sqcap ] \ddagger \prec \backslash \} ] \ddagger \Leftrightarrow \dashv \lor \rangle \land \sqcup \nabla \wr \sqsubseteq ] \nabla \sqcup \{ \nabla \wr \ddagger \supseteq \langle \wr \ddagger \mathcal{M} \dashv \nabla i \dashv \mathcal{I} \land \acute{f}$  $= \sum_{i=1}^{I} |\mathcal{D}_{i} = \mathcal{D}_{i} + \mathcal{D}_{i} = \mathcal{D}_{i} + \mathcal{D}$  $\mathcal{I}_{U} = \mathcal{I}_{U} + \mathcal{I}_{U}$  $\langle \neg \Box \rangle \rangle f \Box \neg \Box \rangle [\Box \langle \neg \Box \rangle ] [\Box \langle \neg \Box \rangle ] [\Box \langle \neg \Box \rangle ] \langle \neg \Box \cap ] \langle \neg \Box \rangle ] \langle \neg \Box \cap ] \langle \neg$ 

 $\underset{\sqrt{}}{\mathbb{T}_{\mathcal{F}}} = \underset{\sqrt{}}{\mathbb{T}_{\mathcal{F}}} = \underset{\sqrt{}}{\mathbb{T}_{\mathcal{F}}}$ 

⊣ſ∖≀⊔⊔≀}]⊔〉\⊔≀⊔∇≀⊓[\$]√↑<sup>∍</sup>~ ℛ]{]∇]\J]ſ⊔≀ℋ⊣ͺ⊣\]ſ]<sub>√</sub>∇]ſ]\J]⊣∇]\$≀∇]⊔]\⊓≀⊓ſ〉\⊔⟨]<sub>√</sub>≀]\$

 $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint$  $f] \text{ for } \mathcal{C}(\text{ for } \text{ for } \text{$  $\mathcal{J}_{\text{I}}_{I$  $\texttt{M}_{\mathcal{A}} = \mathcal{A}_{\mathcal{A}} =$  $\mathcal{N} \dashv \sqcup \langle \dashv \backslash \mathcal{R} \wr \dashv \lceil \Leftrightarrow \wr \backslash \sqcup \langle \urcorner \mathcal{K} \wr \sqsupseteq \updownarrow \land f \rangle [ ] \swarrow \mathcal{M} \sqcap f \updownarrow \rangle \Downarrow f \Leftrightarrow \mathcal{H} \rangle \backslash [ \sqcap f \Leftrightarrow \mathcal{P} \dashv \parallel \rangle f \sqcup \dashv \backslash \rangle f \Leftrightarrow \mathcal{C} \langle \rangle \backslash \urcorner f \rceil \updownarrow \rangle \sqsubseteq$  $\Box(\exists \nabla \exists \mathcal{J} \dashv \mathcal{J}$  $\mathcal{K}\wr\backslash \Leftrightarrow \uparrow \dashv \uparrow f \wr \land \backslash \underline{\mathcal{U}}_{\checkmark} \exists \Box \Box ] \tilde{\mathbf{n}}\wr \lfloor \wr \nabla [\dashv [\wr \Leftrightarrow \exists \langle ] \nabla ] \exists ] \nabla ] \dashv [\neg \uparrow \mathcal{O} \backslash \dashv ] \nabla \Box [] \dashv \backslash [ \{ \dashv \sqcup \dashv \uparrow \exists \rangle \backslash \sqcup ] \nabla ]$  $| | \langle \nabla | \langle \nabla | \rangle | \langle \nabla | \langle \nabla | \rangle | \langle \nabla | \rangle | \langle \nabla | \rangle | \langle \nabla | \langle \nabla | \rangle | \langle \nabla | \langle \nabla | \rangle | \langle \nabla | \rangle | \langle \nabla | \rangle | \langle \nabla | \langle \nabla | \rangle | \langle \nabla | \langle \nabla | \rangle | \langle \nabla | \langle \nabla | \langle \nabla | \rangle | \langle \nabla | \rangle | \langle \nabla | \rangle | \langle \nabla |$  $\mathcal{I}_{\mathcal{I}} = \mathcal{I}_{\mathcal{I}} =$ 

 $\langle \mathfrak{X} | \sqcup \mathfrak{Z} \setminus \mathsf{Z} \setminus \mathsf{$  $\label{eq:alphalua} $$ \mathbf{A}_{\mathbf{U}} = \mathbf{A}_$ 
$$\label{eq:constraint} \begin{split} & \exists \mathbf{I}_{\mathbf{I}} = \mathbf{I}_{\mathbf{I}} \\ & \exists \mathbf{I}_{\mathbf{I}} = \mathbf{I}_{\mathbf{I}} \\ & \exists \mathbf{I}_{\mathbf{I}} = \mathbf{I}_{\mathbf{I}} \\ & \forall \mathbf{I}_{\mathbf{I}} = \mathbf{I}_{\mathbf{I}} \\ & \forall$$
 $\label{eq:linear} \\ \label{eq:linear} \\ \lab$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} $$ \sum_{i=1}^{i} \left[ \frac{1}{2} - \frac{1}$  $|\langle \mathcal{M} \rangle | = \nabla \langle \mathcal{M} \rangle | = \nabla \langle$ 

 $\| - \| = - \| + \| + \| + \| = - \infty$ 

 $\mathcal{A}_{f} \setminus \langle ] \nabla \langle | \nabla \langle | \nabla \langle | \rangle \rangle \|_{f} \Leftrightarrow \sqcup \langle ]_{f} \uparrow \uparrow ] \uparrow \langle \nabla \rangle ]_{f} \langle \mathcal{W}_{h} \rangle \geq \int \langle \langle \uparrow \rangle | \sqcup \langle ] \nabla \langle | \neg \rangle \langle | \neg \rangle \langle | \neg \rangle \langle | \neg \rangle \rangle \langle | \neg \rangle \langle | \neg \rangle \rangle \langle | \neg \rangle \rangle \langle | \neg \rangle \langle | \neg \rangle \rangle \langle | \neg \rangle \langle | \neg \rangle \rangle \langle | \neg \rangle \langle | \neg \rangle \rangle \langle | \neg \rangle \langle | \neg \rangle \rangle \langle | \neg \rangle \langle | \neg \rangle \langle | \neg \rangle \rangle \langle | \neg \rangle \langle | \neg \rangle \rangle \langle | \neg \rangle \langle | \neg \rangle \rangle \langle | \neg \rangle \rangle \langle | \neg \rangle \langle | \neg \rangle \langle | \neg \rangle \langle | \neg \rangle \rangle \langle | \neg \rangle$  $lt_{\mathcal{T}} = lt_{\mathcal{T}} = lt_$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\exists \wr \nabla \ddagger [\sqsubseteq \rangle] \exists \sqcup \langle \dashv \sqcup ] \backslash \sqsubseteq \rangle f \rangle \wr \langle \dashv \land ] \$_{\sqrt{2}} \nabla \rangle ] \backslash \exists [ \Leftrightarrow \ddagger \rangle \sqsubseteq ] [ \Leftrightarrow \dashv \land [ \sqrt{\nabla} \dashv ] \sqcup \rangle \exists ] [ f_{\sqrt{2}} \dashv ] ]$ 

 $| \langle ] f | \downarrow ] \downarrow \langle \nabla \rangle ] f \{ \langle i \downarrow \rangle + | \{ \neg \downarrow \rangle \downarrow \uparrow \Leftrightarrow | \langle ] \downarrow \rangle ] | \downarrow \rangle \rangle ] | \downarrow \nabla \neg \downarrow \downarrow \downarrow \downarrow \langle \nabla \cup \nabla \neg \downarrow \rangle \langle i \sqcap \downarrow \mathcal{F} \nabla \neg \downarrow ] \Leftrightarrow$  $\mathcal{G} = \mathcal{G} =$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $f = \nabla + \ddagger + \left\{ \neg + \right\} \int_{\mathscr{L}} \mathcal{W}() \left\{ \left\{ \neg \nabla \right\} \cap + \left\{ \left\{ \neg + \right\} \right\} \right\} \int_{\mathscr{L}} \mathcal{W}() \left\{ \left\{ \neg \nabla \right\} \cap + \left\{ \left\{ \neg + \right\} \right\} \cap + \left\{ \left\{ \neg + \right\} \right\} \right\} \int_{\mathscr{L}} \mathcal{W}() \left\{ \left\{ \neg + \right\} \cap + \left\{ \neg + \right\} \right\} \cap + \left\{ \neg + \right\} \cap + \left\{ \left\{ \neg + \right\} \right\} \cap + \left\{ \left\{ \neg + \right\} \cap + \left\{ \neg + \right\} \cap + \left\{ \neg + \right\} \cap + \left\{ \left\{ \neg + \right\} \cap + \left\{ \neg + \right\} \cap + \left\{ \left\{ \neg + \right\} \cap + \left\{ \neg + \right\} \cap + \left\{ \neg + \right\} \cap + \left\{ \left\{ \neg + \right\} \cap + \left\{ \neg + \right\} \cap + \left\{ \neg + \right\} \cap + \left\{ \left\{ \neg + \right\} \cap + \left\{ \neg + \left\{ \neg + \right\} \cap + \left\{ \neg + \left\{ \neg + \right\} \cap + \left\{ \neg + \left\{ \neg + \right\} \cap + \left\{ \neg + \left\{ \neg + \right\} \cap + \left\{ \neg + \left\{ \neg + \right\} \cap + \left\{ \neg + \left\{ \neg + \left\{ \neg + \right\} \cap + \left\{ \neg +$  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular}$   $( \text{Times} \mathcal{A} \ \text{Times} \ \text{$  $\mathcal{A}^{1}_{\mathcal{V}} = \mathcal{A}^{1}_{\mathcal{V}} = \mathcal{A}^{1}_{$  $\int \Box \nabla \nabla ] \dashv \downarrow \rangle \\ \int \sqcup \wr \sqsubseteq ] \nabla \sqcup \wr \backslash ] \\ f \Leftrightarrow f \langle ] [ ] ] \\ \downarrow \dashv \nabla ] \\ f \langle ] \nabla f ] \\ \downarrow \{ \sqcup \langle \rangle \nabla f \sqcup \dagger \{ \wr \nabla \sqsupseteq \dashv \sqcup ] \nabla \Leftrightarrow \downarrow \wr \sqsubseteq ] \\ \Leftrightarrow \dashv \backslash [$  $\sqrt{\nabla (U)} U (f(t)) (f($  $\leftarrow \mathcal{F} \\ \forall \mathcal{P} \\ \neg \forall \mathcal{P} \\ \neg$  $\mathcal{S} = \nabla \mathcal{A}_{\mathcal{A}} = \mathcal{S} = \mathcal{S}$  $\label{eq:constraint} \label{eq:constraint} \\ \label$  $\Box \langle \nabla \wr \Box \rangle \langle \Box \langle \wr \Box \rangle \langle \Box \wr \nabla \int_{\sqrt{2}} ] ] ] \langle \Leftrightarrow \wr \{ \dashv_{\sqrt{2}} \dashv f \sqcup f ] \\ \\ \$ \Box \dashv \uparrow_{\sqrt{2}} \uparrow \dashv f \Box \nabla ] \uparrow \Leftarrow \in \infty \\ \bigtriangleup \Rightarrow \swarrow \mathcal{T} \langle ] f \dashv \ddagger ]$ 

 ${\rm div}{\rm div}$ 

 $\mathcal{H} {\rm exp}(\mathcal{H}) = \mathcal{H} {\rm exp}(\mathcal{H})$ 

 $\mathcal{T}_{1} = \mathcal{T}_{1} = \mathcal{T}_{1}$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathcal{G} = \mathcal{G} =$  $\mathcal{S} \sqcup \dashv \sqcup ] f \Leftrightarrow \nabla \dashv \sqcup \langle ] \nabla \sqcup \langle \dashv \backslash | \sqcap f \sqcup \mathcal{E} \sqcap \nabla \wr \swarrow ] \Leftrightarrow \lfloor ] \rfloor \wr \Uparrow ] \dashv [ [ \rangle \sqcup \rangle \wr \backslash \dashv \updownarrow f \wr \sqcap \nabla \rfloor ] f \wr \{ \rangle \backslash \int_{\mathcal{V}} \rangle \nabla \dashv \sqcup \rangle \wr \backslash_{\mathcal{L}}$  $\mathcal{T}_{1,1}^{1} = \mathcal{T}_{1,1}^{1} = \mathcal{T}$  $\mathcal{E} = \mathsf{A} =$ 

 $\Leftarrow \mathcal{N} \equiv \exists \nabla^{\mathsf{r}} \exists \mathcal{N} \in \mathcal{N} = \exists \mathcal{N} \in \mathcal{N} \in \mathcal{N} = \exists \mathcal{N} \in \mathcal{N} = \exists \mathcal{N} \in \mathcal{N} = \exists \mathcal{N} \in \mathcal{N} \in \mathcal{N} = \exists \mathcal{N} \in \mathcal{N} \in \mathcal{N} \in \mathcal{N} = \exists \mathcal{N} \in \mathcal{N} \in \mathcal{N} \in \mathcal{N} \in \mathcal{N} = \exists \mathcal{N} \in \mathcal{N}$ 

 $\{ \nabla \wr ( \Box \land \Box ) = \exists \exists \exists \Box \land \{ \exists \Box \land \{ \land \Box \land \downarrow \} \} \\ ( \exists \nabla \land \downarrow \exists \Box \land \downarrow \land \downarrow \} \\ ( \exists \nabla \land \downarrow ) = \exists \nabla \neg ( \exists \Box \land \downarrow ) \} \\ ( \exists \nabla \land \downarrow ) = \exists \nabla \neg ( \exists \Box \land \downarrow ) ] \\ ( \exists \nabla \land \downarrow ) = \exists \nabla \neg ( \exists \Box \land \downarrow ) ] \\ ( \exists \neg ( \exists \Box \land \square ) ] \\ ( \exists \neg ( \exists \Box \land \square ) ] \\ ( \exists \neg ( \exists \Box \land \square ) ] \\ ( \exists \neg ( \exists \Box \land \square ) ] \\ ( \exists \neg ( \exists \Box \land \square ) ] \\ ( \exists \neg ( \exists \Box \land \square ) ] \\ ( \exists \neg ( \exists \Box \land \square ) ] \\ ( \exists \neg ( \exists \Box \land \square ) ] \\ ( \exists \neg ( \exists \Box \land \square ) ] \\ ( \exists \neg ( \exists \Box \land \square ) ] \\ ( \exists \neg ( \exists \Box \land \square ) ] \\ ( \exists \neg ( \exists \Box ) \square ) ] \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \Box ) \square ) \\ ( \exists \neg ( \exists \square ) \square ) \\ ( \exists \neg ( \exists \square ) \square ) \\ ( \exists \neg ( \exists \square ) \square ) \\ ( \exists \neg ( \exists \square ) \square ) \\ ( \exists \neg ( \exists \square ) \square ) \\ ( \exists \neg ( \exists \square ) \square ) \\ ( \exists \neg ( \exists \square ) \square ) \\ ( \exists \square ) \exists ) \\ ( \exists \square ) \exists ) \\ ( \exists \square ) \square ) \\ ( \exists \square ) \exists ) \\ ( \exists \square ) \blacksquare ) \\ ( \exists \square ) \square ) \\ ( \exists \square ) \exists ) \\ ( \exists \square ) \square ) \\ ( \exists \square ) \square ) \\ ( \exists \square ) \square ) \\ ( \exists ) \square ) \\ ( \exists \square ) \square ) \\ ( \exists ) \square ) \exists ) \\ ( \exists ) \square ) \\ ( \exists ) \square ) \exists : ( \exists ) :$  $\label{eq:linear} \label{eq:linear} \label{eq:$  $\mathcal{C} = \mathcal{C} =$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\label{eq:linear} $$ I^{-1} + I^{-1}$  $\int \uparrow \downarrow \langle l \setminus \uparrow \swarrow \mathcal{I} \downarrow l \sqsubseteq ] \supseteq l \nabla [f \Leftrightarrow \rangle \setminus \dashv \downarrow \downarrow \downarrow \dashv \rangle ] \int \swarrow \uparrow^{\ni \in'} \mathcal{S} \langle ] \} \nabla ] \supseteq \sqcap \bigvee \langle ] \dashv \nabla \rangle \setminus \mathcal{C} \langle \rangle \setminus ] f ] \Leftrightarrow \sqcup \langle ] \setminus \mathcal{C} \langle \rangle \setminus [f \land \downarrow \downarrow \downarrow \downarrow \downarrow \dashv \rangle ]$  $\sqcup ( ] [ ] f \rangle \nabla ] \rangle ( + ) = \langle \rangle ] ( \underbrace{f_{\mathcal{I}}} ) \sqcup f \sqcup ( ] [ \rangle \{ \{ ] \nabla ] \backslash ] ] [ ] \sqcup \exists ] ] \langle \mathcal{S} ] ( + ) [ \mathcal{O} \sqcup ( ] \nabla f \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( ] \nabla f \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( ] \nabla f \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( ] \nabla f \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( ] \nabla f \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( ] \nabla f \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( ] \nabla f \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( ] \nabla f \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( ] \nabla f \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( ] \nabla f \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( ] \nabla f \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( + \cup ) ] ) ( + ) [ \mathcal{O} \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( + \cup ) ] ) ( + ) [ \mathcal{O} \sqcup ( + \cup ) ] ( + ) [ \mathcal{O} \sqcup ( + \cup ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( + \cup ) ] ) ( + ) [ \mathcal{O} \sqcup ( + \cup ) ] ) ( + ) [ \mathcal{O} \sqcup ( + ) ] ( + ) [ \mathcal{O} \sqcup ( + ) ] ) ] ( + ) [ \mathcal{O} \sqcup ( + ) ] ) ( + ) [ \mathcal{O} \sqcup ( + ) ] ( + ) [ \mathcal{O} \sqcup ( + ) ] ( + ) [ \mathcal{O} \sqcup ( + ) ] ) ( + ) [ \mathcal{O} \sqcup ( + ) ] ( + ) [ \mathcal{O} \sqcup ( + ) ] ( + ) [ \mathcal{O} \sqcup ( + ) ] ( + ) [ \mathcal{O} \sqcup ( + ) ] ( + ) [ \mathcal{O} \sqcup ( + ) ] ( + ) [ \mathcal{O} \sqcup ( + ) ] ( + ) [ \mathcal{O} \sqcup ( + ) ] ( + ) [ \mathcal{O} \sqcup ( + ) ] ( + ) [ \mathcal{O} \sqcup ( + ) ] ( + ) [ \mathcal{O}$ 

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 $( \Box ) \\ \sqrt{\nabla} f \\ \Box \\ \Box \\ A \\$  $\mathcal{I}_{\text{V}} = \mathcal{I}_{\text{V}} =$  $\neg \nabla \neg \nabla ] \{ \neg \nabla \rceil \setminus ] f \sqcup ( \neg \nabla \mathcal{C} ( ) \land ] f \neg \sqcup ( \land ) \downarrow [ \neg ] \parallel \} \nabla ( \neg \land [ \neg ] \sqcup ( \neg ) \downarrow ] f \sqcup ( \neg ) \downarrow [ \neg ] \land ] f \sqcup ( \neg ) \downarrow [ \neg ] f \sqcup ( \neg ) \downarrow [ \neg ] f \sqcup ( \neg ) \downarrow ] f \sqcup ( \neg ) \downarrow ] f \sqcup ( \neg ) \downarrow [ \neg ] f \sqcup ( \neg ) \downarrow ] f \sqcup ( \neg ) \downarrow [ \neg ] f \sqcup ( \neg ) \downarrow ] f \sqcup ( \neg ) \downarrow [ \neg ] f \sqcup ( \neg ) \sqcup ( \neg ) \downarrow [ \neg ] f \sqcup ( \neg ) \sqcup ( \neg ) \downarrow [ \neg ] f \sqcup ( \neg ) \sqcup$  $\label{eq:constraint} $$ $ \mathcal{E}^{1} - \mathcal{E}^{1} + \mathcal{W}^{1} - \mathcal{W}^{1} + \mathcal{W}$  $\mathcal{T} = \mathcal{T} =$  $|\exists \forall f \in \mathcal{L} | | \exists f \in \mathcal{M} | \forall f \in \mathcal{L} | f \in \mathcal{L}$ 

 $\mathcal{U}_{\mathrm{D}}_{\mathrm$  $\Box = \mathcal{I} = \mathcal{I$  $|\uparrow\rangle\rangle \\ \langle \Box f \propto \mathcal{L} \rangle \| ] | \| \rangle f f \propto \mathcal{I} \setminus \Box \langle ] \rangle [ [\uparrow] \wr \{ \uparrow \downarrow \nabla \dagger \rangle \setminus \} \\ f \Box \uparrow_{\mathcal{L}} \propto \propto \mathcal{I} \langle ] \nabla ] \mathcal{I} \{ ] \uparrow \Box f \Box \nabla \wr \setminus \} \\ \Leftrightarrow$  $\Box = \mathsf{AC} \\ \mathsf{AC} \\$  $\uparrow \mathcal{H} \dashv \nabla \setminus ] \nabla \wr \uparrow \Leftarrow \mathcal{S} \rangle ] \sqsubseteq ] \Rightarrow \Leftrightarrow \mathfrak{f} \langle ] \downarrow \wr \sqcup \rangle \setminus \Box ] \mathfrak{f} \sqsupseteq \lor \langle \langle ] \nabla \rbrace ] \setminus ] \nabla \dashv \ddagger \rangle \ddagger \dashv \sqcup \rangle \wr \backslash \mathfrak{f} \dashv \sqcup \mathcal{C} \langle \rangle \setminus ] \mathfrak{f} ]$  $|\neg \nabla \langle \neg u \rangle \langle f \propto \mathcal{D}^{\dagger} \rangle [ ] \rangle | \langle \rangle \rangle [ \rangle \} \langle \propto \mathcal{T} \langle \neg u \rangle f \langle z = 1 ] ] ] ] | \neg \nabla \rangle \langle z = 1 ] \mathcal{C} \langle \rangle | f = z + 1$ 

 $\label{eq:constraint} $$ \sqrt{2} \left[ \sqrt{2} \right] \left$ 

$$\begin{split} \mathcal{N}_{i} \sqcup f_{i} f_{j} \oplus f_{i} \oplus f$$

 $\label{eq:constraint} $$ $ \left[ \nabla_{J} - \Delta_{J} \right] = \left[ \nabla_{J} - \Delta_{J$  $\texttt{I} \times \texttt{I} \times$  $\Box \nabla \neg \langle f \downarrow \neg \Box \rangle \langle f \downarrow \Box \neg \Box \neg \neg \uparrow [ \rangle \{ \{ \neg \nabla \neg \downarrow ] \rangle f_{\sqrt{\lambda}} f \downarrow \rangle [ \downarrow ]_{\mathcal{I}} \mathcal{B} ] \rangle \Box \neg f \rangle \Box \downarrow \neg i \Leftrightarrow \Box \langle \neg f \rangle ] \sqsubseteq ]$  $\label{eq:linear_states} \label{eq:linear_states} \\ \label{eq:linear_states} \label{eq:linear_states} \\ \label{eq:linear_states} \label{eq:linear_states} \label{eq:linear_states} \\ \label{eq:linear_states} \label{eq:linear_states} \\ \label{eq:linear_states} \label{eq:linear_states} \label{eq:linear_states} \\ \label{eq:linear_states} \label{eq:linear_states} \label{eq:linear_states} \\ \label{eq:linear_states} \label{eq:linear_states} \label{eq:linear_states} \label{eq:linear_states} \label{eq:linear_states} \label{eq:linear_states} \label{eq:linear_states} \label{eq:linear_states} \\ \label{eq:linear_states} \labe$  $\mathcal{C}(\mathbf{1} + \mathbf{1}) = \mathcal{C}(\mathbf{1} + \mathbf{1}) + \mathbf{1} + \mathbf{$ M = $\nabla ] \dashv \downarrow \rangle \ddagger ] \pounds ( \dashv \sqcup f ( \land f ( \land f ) \land f ) \nabla ] \sqcup \wr [ ] \wr ( \land \uparrow \land B ] ] \dashv \sqcap f ] \mathcal{I} [ \wr ( \simeq \sqcup \sqsupset \dashv ( \sqcup \sqcup \wr [ ] \sqcup ( ] f \dashv \ddagger) ] \propto$ 

 $\mathcal{T}_{1} \mathcal{T}_{1} \mathcal{T}_{2} [\mathcal{T}_{1} \mathcal{T}_{2} \{] \mathcal{T}_{1} \mathcal{T}_{2} \{] \mathcal{T}_{2} \mathcal{T}_{2} \{] \mathcal{T}_{2} \mathcal{T}_{2}$ 

 $||\psi_{1}-\psi_{0}| \leq S(-1/) \langle -1/| \langle -$ 

$$\begin{split} \sqrt{1} \sqcup \simeq f \ddagger \equiv 1 + \left[ \frac{1}{1} + \frac{1}{1} +$$

 $\int \Box d \left[ \frac{1}{\sqrt{2}} \right] d \simeq \int \mathcal{C} \left( \left[ \frac{1}{\sqrt{2}} \right] \left$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\mathcal{S}_{\text{I}} = \mathcal{S}_{\text{I}} =$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\texttt{E} [\nabla [\nabla \mathbb{I}] ]$  $\Box = \left\{ \left\{ \left\{ \nabla \right\} \right\} \right\} = \left\{ \left\{ \nabla \right\} = \left\{ \left\{ \nabla \right\} \right\} = \left\{ \left\{ \nabla \right\} \right\} = \left\{ \left\{ \nabla \right\} = \left\{ \left\{ \nabla \right\} \right\} = \left\{ \left\{ \nabla \right\} \right\} = \left\{ \left\{ \nabla \right\} = \left\{ \left\{ \nabla \right\} \right\} = \left\{ \left\{ \nabla \right\} = \left\{ \left\{ \nabla \right\} \right\} = \left\{ \left\{ \nabla \right\} = \left\{ \left\{ \left\{ \nabla \right\} = \left\{ \left\{ \left\{ \nabla \right\} = \left\{ \left\{ \nabla \right\} = \left\{ \left\{ \left\{ \left\{ \nabla \right\} = \left\{ \left\{ \left\{ \nabla \right\} = \left\{ \left\{ \left\{ \nabla \right\} =$ 

 $\nabla \left[ \mathbf{1}_{\mathbf{1}} \nabla \right] \mathbf{1}_{\mathbf{1}} \mathbf{1}_{\mathbf{2}} \mathbf{1}_$  $\mathcal{A} f \rangle \backslash \mathcal{P} \sqsubseteq \mathcal{P} \land \mathcal{P$  $\langle \mathfrak{A} \vdash \mathfrak{A} \rangle = \mathcal{A} \langle \mathfrak{A} \vdash \mathfrak{A} \rangle \langle \mathfrak{A} \rangle \rangle \langle \mathfrak{A}$  $\neg \nabla \nabla \mathcal{V}_{\mathsf{T}}^{\mathsf{T}} = \mathcal{T}_{\mathsf{T}}^{\mathsf{T}} = \mathcal$ M = $\label{eq:constraint} $$ \left( \int \left[ - \mathcal{D} \right] - \mathcal{D} \right] = \left[ + \mathcal{D} \right] + \mathcal{D} \left[ - \mathcal{D}$  $|||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_{\mathcal{T}}^{\mathrm{int}}(\mathcal{T})||_$  $\{ \exists u \in \nabla \simeq f \equiv i \} \} \land \forall \mathcal{M} = i \in \mathcal{N}$  $\label{eq:constraint} \label{eq:constraint} \\ \label$  $(\mathbf{T} = \mathcal{T} =$  $\uparrow i \in \mathcal{M} \to i \in \mathcal{M$ 

 $\mathcal{T}_{\text{i}}^{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}^{\text{i}}^{\text{i}}_{\text{i}}^{i$  $\label{eq:lastic_linear} \label{eq:lastic_linear} \label{eq:lastic_l$  $\sqcup\wr\langle\dashv\Box]\dashvf\wr\backslash\infty\rangle\{\langle\uparrow\rangle f\backslash\wr\sqcup\sqcup\wr\lfloor]\mathcal{A}\nabla\rangle\dashv\langle\checkmark\uparrow^{\flat\vartriangle\exists}\mathcal{W}\wr\rangle\} \exists \nabla\wr\sqcup\exists\langle\rangle f_{\checkmark}\wr\uparrow f\sqcup \neg \nabla \sqsubseteq\rangle f\rangle \sqcup\rangle\rangle\}\dashv$  $\mathcal{A} = \mathcal{G} =$  $\exists \exists \nabla \langle | \langle U \mathcal{A} \nabla \rangle \neg \langle \mathcal{T} \langle ] \downarrow \rangle \\ \exists c \rangle \rangle \\ a \rangle \\ a$  $\label{eq:constraint} \sqrt{\nabla} f_{\rm i} = \int \langle f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{\rm i} \nabla f_{\rm i} \nabla f_{\rm i} + f_{$  $\mathcal{G} = \mathcal{G} =$  $\mathcal{T}_{1}(\mathbb{U}) = \mathcal{T}_{1}(\mathbb{U}) = \mathcal{T}$  $\mathcal{S}_{\mathcal{M}} = \mathcal{S}_{\mathcal{M}} =$  $\label{eq:constraint} $$ \times $$ $ \times $$ \times $$ $ \times $$ $ \times $$ \time$ 

$$\begin{split} \mathcal{W}_{\lambda} = & \mathcal{W}_{\lambda} = \mathcal{W}_$$

 $\mathcal{P} ] \nabla \Box \Leftrightarrow \exists \langle \Box \rangle ] [ \Box \langle \Box \rangle ] [ \Box \rangle ] [ \Box \rangle ] \langle \Box \rangle ] \langle$  $+ \int \left[ \neg \right] \\ \mathcal{W}( ) \\ \left[ \langle \mathcal{W}( ) \\ \mathcal{W}$  $| \mathcal{I} = \mathcal{I}$  $\sqsubseteq \times \tim$  $\label{eq:constraint} \langle \exists \exists \forall \Box_{\swarrow} \propto \mathcal{W} \exists \nabla \exists \nabla \forall \alpha \mathcal{W} \exists \nabla \Leftrightarrow \Box \exists \forall \nabla_{\swarrow} \uparrow^{\exists \nabla} \mathcal{M} \wr \nabla \exists \Box \langle \exists \rangle \backslash \Box \exists \nabla \mathcal{K} \exists \Box \langle \rangle \rangle$  $\label{eq:linear_state} $$ \int \left( - \nabla \right) \left( -$  $\label{eq:point-started} \\ \label{eq:point-started} \\ \label{eq:point-sta$  $\exists \wr \nabla [f \Leftrightarrow \mathcal{W} \wr \backslash \rbrace \nabla ] \sqcup ] \nabla \nabla \land \sqcup \wr \nabla \land \dashv \downarrow \rangle \ddagger ] f \langle ] \nabla \checkmark \wr \Box \vee \uparrow \sqcup \wr ] f \sqcup \dashv \lfloor \ddagger \rangle f \langle \langle ] \nabla \wr \exists \backslash \rangle \backslash [ \rangle \rbrace ] \backslash ] \rangle \sqcup \dagger \checkmark$ 
$$\label{eq:constraint} \begin{split} [\ensuremath{\rangle} f \ensuremath{\rangle} \ensuremath{\rangle} f \ensuremath{\rangle} \ensu$$

 $\nabla ] \sqsubseteq (1 - 1) + \nabla + (1 - 1) + (1 +$  $\mathcal{A}(\texttt{I} \dashv \nabla \texttt{u} \Leftrightarrow \sqcup \texttt{I} \dashv \texttt{L} ) \forall \texttt{L} \land \texttt{L$  $\mathcal{T}_{1}^{1}_{\mathcal{T}_{1}} = \mathcal{T}_{1}^{1}_{\mathcal{T}_{1}} = \mathcal{T}_{1}^{1}_{\mathcal{$  $\neg ( \Box \mathcal{M} \neg \Box \mathcal{M} \neg \Box \mathcal{M} ) = \Box \mathcal{M}$  $\Box ( ] \ ( ) \ ( ] \ ( ] \ ( ] \ ( ) \ ($  $\exists i l \mid \forall \mathcal{A} \setminus [\mathcal{I} \exists \forall \mathcal{I} \mid \forall \mathcal{I} \mid \exists \forall \mathcal{I} \mid \forall \mathcal{I} \mid \exists \forall \mathcal{I} \mid \forall \mathcal{I} \mid$  $\exists (\mathbf{A}_{1}^{\dagger} \oplus \mathbf{A}_{1}^{\dagger} \oplus \mathbf{A}_{1}^{\bullet} \oplus \mathbf$  $\sqrt{2} | \Box \rangle | \Box \rangle | \Box \rangle | \nabla \neg \neg \nabla z | \langle ] f \langle ] \nabla f ] \ddagger \{ \{ 2 \nabla \langle \neg \Box \rangle \setminus \} \cup \langle ] f | \| \rangle \setminus [f \{ \Box \langle 2 \Box \} \land \Box f \neg \uparrow \mathcal{W} \langle \dagger \neg \nabla ] \dagger z \Box \rangle | f \rangle |$ 

 $\mathcal{L} \dashv \sqcup \rangle \backslash \mathcal{A} \textcircled{} \neg \nabla \rangle ] \dashv \mathcal{A} \mathcal{A} \mathcal{A} \backslash [ \neg \nabla f \wr \backslash \nabla ] \textcircled{} \rangle \backslash [ f \sqcap f \Leftrightarrow \uparrow \mathcal{S}_{\sqrt{}} \dashv \backslash \rangle f \langle \nwarrow f_{\sqrt{}} \rceil \dashv \Vert \rangle \backslash \textcircled{} \textcircled{} J \sqcup \rangle \ddagger \wr \mathcal{M} \rceil \S \rangle ] \dashv \backslash f$ 

 $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\| \langle 2 \downarrow \uparrow [ \} ] = \langle 1 \rangle \rangle \langle 1 \rangle \langle$ lt(l) = lt( $\sqrt{\nabla} \langle \Box \rangle [] f + \langle ] f + \langle$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constrai$  $\Leftarrow \text{II} \land \text{$ 

 $\mathcal{A}_{\mathrm{I}}}_{\mathrm{I}}_{\mathrm{I}}_{\mathrm{I}}}_{\mathrm{I}}_{\mathrm{I}}_{\mathrm{I}}}_{\mathrm{I}}_{\mathrm{I}}_{\mathrm{I}}}_{\mathrm{I}}_{\mathrm{I}}_{\mathrm{I}}_{\mathrm{I}}}_{\mathrm{I}}_{\mathrm{I}}_{\mathrm{I}}_{\mathrm{I}}_{\mathrm{I}}_{\mathrm{I}}_{\mathrm{I}}}_{\mathrm{I}}_{\mathrm{$  $\label{eq:constraint} $$ \left( \mathcal{S} = \mathcal{S} = \mathcal{S} \right) \\ $ \left( \mathcal{S} = \mathcal{S} \right) \\ $ \mathcal{S} = \mathcal{S} \\ $$ 
$$\label{eq:linearized_states} \begin{split} & \exists \left\{ \mathcal{F} \right\} \\ & \exists \mathcal{F}$$
 $t = \mathcal{T}_{\mathcal{T}} = \mathcal{T}_{\mathcal{T}$  $\mathcal{A}_{f} = \mathcal{A}_{f} = \mathcal{A}_{f}$ 

$$\label{eq:constraint} \begin{split} & \label{eq:constraint} \end{tabular} \\ & \label{eq:constraint} \end{tabular} \end{tabular} \\ & \label{eq:constraint} \end{tabular} \\ & \label{eq:constraint} \end{tabular} \end{tabular} \\ & \label{eq:constraint} \end{tabular} \end{tabular$$

 $\uparrow \mathcal{P}_{l} \sqcup \nabla ] \nabla_{l} [ ] \mathcal{S} \dashv \backslash \sqcup \dashv \mathcal{R}_{l} f \dashv \mathcal{R}_{l} f \dashv \mathcal{P} \dashv f \sqcup \sqcap \nabla ] f \Rightarrow \Leftrightarrow \{ \wr \nabla \rangle \backslash f \sqcup \dashv \backslash ] \Leftrightarrow \sqcup \langle ] \swarrow_{l} \downarrow \rangle ]$ 

 $\label{eq:constraint} \end{tabular} \\ \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \end{tabular}$ 

 $\label{eq:constraint} \label{eq:constraint} \\ \labe$  $\exists \mathbf{\mathcal{B}} \\ \exists \mathbf{\mathcal{B}} \\ \exists \mathbf{\mathcal{B}} \\ \exists \mathbf{\mathcal{C}} \\ \exists \mathbf{$  $\label{eq:constraint} \end{tabular} \\ \end{t$  $\exists \mathbf{A} = \mathbf{A}$ 

 $|\nabla\rangle | \rangle | \rangle | f | \mathcal{W} | f | \nabla | \rangle | \mathcal{D} | \mathcal{D}$  $\exists \exists \forall \mathsf{Lim}(\mathsf{A}) = \mathsf{C}(\mathsf{A}) = \mathsf{C}(\mathsf{A$  $\label{eq:point_states} $$ \sqrt{\nabla} \\ $ \sqrt{\nabla} \\ $ \sqrt{d} \\ $ \sqrt$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathcal{I}_{\forall \Box}$ A =

 $\label{eq:linearized_states} \\ \end{tabular} \\ \end{tabular}$  $\neg \left[ \nabla \mathcal{E} \right] \mathcal{E} \right] \mathcal{E} \left[ \mathcal{E} \right] \mathcal{E}$  $\mathcal{S}_{\texttt{p}} = \mathcal{S}_{\texttt{p}} =$ A = $\label{eq:point_prod} $$ \langle \mathbb{T} \mathcal{P} \mathbb{T} \mathcal{P} \mathbb{T} \rangle = \\ \\ \langle \mathbb{T} \mathcal{P} \mathbb{T} \mathcal{P} \mathbb{T} \rangle = \\ \\ \langle \mathbb{T} \mathcal{P} \mathbb{T} \mathcal{P} \mathbb{T} \rangle = \\ \\ \langle \mathbb{T} \mathcal{P} \mathbb{$  $\label{eq:constraint} \end{tabular} \end{t$  $\label{eq:constraint} \end{tabular} \end{t$ 

 $\texttt{V}^{\text{I}}_{\text{I}} = \texttt{I}^{\text{I}}_{\text{I}} = \texttt{I}^{}$  $\operatorname{int} \mathcal{A} = \operatorname{int} \mathcal{A} =$ 
$$\label{eq:point_states} \begin{split} & \label{eq:point_states} \sqrt{|\nabla\langle \neg \downarrow \downarrow \downarrow \rangle} \\ & \label{eq:point_states} \\ & \label{eq:p$$
 $| \{ \sqrt{\nabla} | f| | | \langle | \nabla f| \rangle \land \langle | \langle | \nabla f| \rangle \land \langle | \langle | \langle | \langle | \langle |$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constr$  $t(1) = \mathcal{P}(1) = \mathcal{P}(1)$  $-\texttt{II} = \texttt{II} = \texttt{I$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{constraint} \label{eq:constraint} \label{eq:constra$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\nabla \dashv \}] \land \land \Box ] \nabla \dashv \mathcal{P} ] \nabla \sqcap \Box \rangle \dashv \land \Box ] \nabla \dashv \mathcal{A} f \rangle \dashv \sqcup \rangle ] \Leftrightarrow [\sqcap] \sqcup \wr \rangle \land [\sqcap f \sqcup \rangle ] \dashv \land [\rangle () \land f \sqcup ) ] \dashv \langle f \rangle () \land f \sqcup \rangle ] \dashv \langle f \rangle () \land f \sqcup \rangle ] \dashv \langle f \rangle () \land f \sqcup \rangle ] \dashv \langle f \rangle () \land f \sqcup \rangle [] \dashv \langle f \rangle () \land f \sqcup \rangle ] \dashv \langle f \rangle () \land f \sqcup \rangle [] \land f \sqcup \rangle [] \dashv \langle f \rangle () \land f \sqcup \rangle [] \dashv \langle f \rangle () \land f \sqcup \rangle [] \dashv \langle f \rangle () \land f \sqcup \rangle [] \dashv \langle f \rangle () \land f \sqcup \rangle [] \dashv \langle f \rangle () \land f \sqcup \rangle [] \dashv \langle f \rangle () \land f \sqcup \rangle [] \dashv \langle f \rangle () \land f \sqcup \rangle [] \land f \sqcup \rangle [] \land f \sqcup \rangle [] \dashv \langle f \rangle () \land f \sqcup \rangle [] \land f \sqcup \rangle [] \dashv \langle f \rangle () \land f \sqcup \rangle [] \dashv \langle f \cup \rangle [] \land f \sqcup \cap f \sqcup \rangle [] \land f \sqcup \cap f \sqcup \cap f \sqcup \rangle [] \cap f \sqcup \cap f \sqcup \rangle [] \cap f \sqcup \cap f \sqcup \rangle [] \cap f \sqcup \cap f \sqcup$ 

 $\exists \nabla \rangle \sqcup \rangle \backslash \} \swarrow \uparrow^{\ni \nexists} \mathcal{H} ] \nabla \surd ] \sqcup \nabla \dagger \nabla ] \int \swarrow \langle f | \langle 1 \rangle \langle$  $\mathbf{\nabla} ] \ddagger \mathbf{H} \\ \mathbf{\nabla} ] \\ \mathbf{H} \\ \mathbf{\nabla} \\ \mathbf{H} \\ \mathbf{H} \\ \mathbf{\nabla} \\ \mathbf{H} \\ \mathbf{H$  $\mathcal{I} \\ \mathcal{I} \\$  $\uparrow \neg [\Box \downarrow \sqcup ] \nabla \uparrow \uparrow \rangle \setminus \neg \neg \int J \rangle + \exists \forall \neg \uparrow J \rangle + \exists \forall \neg \uparrow J \rangle = \exists \forall \neg \uparrow A \setminus [\mathcal{I} \neg \uparrow A \cap [\mathcal{I} \neg \uparrow A \setminus [\mathcal{I} \neg \land A \cap [\mathcal{I} \neg \land A \setminus [\mathcal{I} \neg \land A \cap [\mathcal{I} \neg A \cap [\mathcal{I} \cap A \cap [\mathcal{I} \cap$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\neg f \neg [ \mathcal{D} ] \mathcal{D} ] \mathcal{D} [ \mathcal{D} ] \mathcal{D} ]$  $| \neg \nabla \nabla \rangle ] f \rangle \langle \neg \nabla J ] \ddagger f \propto \mathcal{T} \langle \neg \sqcup \mathcal{I} \supseteq \langle \neg \uparrow [ \backslash ] \sqsubseteq ] \nabla \sqcap \langle \neg \nabla f \sqcup \neg \backslash [ \neg \nabla f \sqcup \neg \backslash [ \neg \nabla f \sqcup \neg ] ] \rangle \langle \neg \nabla \langle f \rceil \neg \langle f \neg \langle f \rceil \neg \langle f \rceil \neg \langle f \neg \rangle \rangle \neg \langle f \neg \langle f \neg \langle f \neg \rangle \neg \langle f \neg \langle f \neg \langle f \neg \rangle \neg \langle f \neg \rangle \rangle \neg \langle f \neg \rangle \rangle \neg \langle f \neg \langle f \neg \langle f \neg \langle f \neg \rangle \rangle \neg \langle f \neg \rangle \rangle \rangle \neg \langle f \neg \rangle \rangle \rangle \rangle \rangle \neg \langle f \neg \rangle \rangle \neg \langle f \neg \langle f \neg \langle f \neg \rangle \rangle$ 

 $\neg [\Box f] \Leftrightarrow [t] ] \Box \rangle [\Box ] \Rightarrow \nabla \neg [\Box ] \Leftrightarrow \neg [\Box ] \to \neg [\Box ] \land [\Box ] \to f(\Box ) ] \Leftrightarrow f(\Box ) ] \to f(\Box ) [\Box ] \to f(\Box ) ] \to f(\Box ) [\Box ] \to f(\Box ) ] \to f(\Box ) [\Box ] \to f(\Box ) ] \to f(\Box ) [\Box ] \to f(\Box ) [\Box ] \to f(\Box ) ] \to f(\Box ) [\Box ] \to f(\Box ) \to f(\Box ) [\Box ] \to f(\Box ) \to f$  $\sqrt{\langle \dagger f \rangle} = \frac{1}{2} \frac{1}{1} + \frac{1}{2} \frac{1}{1}$  $\label{eq:constraint} $$ \int -\nabla - \frac{1}{2} - \frac{$  $\int | d = \mathcal{B} =$  $large define \large define$  $\swarrow^{]\amalg\Box]} \tilde{n} \geq \nabla^{[\neg]} \tilde{n} = \nabla^{[\neg]} \tilde{n} \geq \nabla^{[\neg]} \tilde{n} = \nabla^{[\neg]} \mathbb{C}$  $\mathbf{A} = \mathbf{C} + \mathbf{C} +$ 

 $\mathcal{A}_{\text{I}}^{\text{I}} = \mathcal{A}_{\text{I}}^{\text{I}} = \mathcal{A}_{\text$  $| \mathcal{L} \setminus \mathcalL \setminus \mathcalL$  $\leftarrow \mathcal{L}] \} ] \setminus [ \wr \{ \sqcup \langle ] \mathcal{H} \wr \backslash \mathcal{C} \dashv \rangle ] / \mathcal{M} \dashv ] \dashv \Box \simeq \int \mathcal{R} ] [ \mathcal{M} \dashv \nabla \| ] \sqcup \Rightarrow \Leftrightarrow \rangle \setminus ] \ddagger \Box [ ] [ \rangle \backslash \sqcup \langle ] ] \wr \ddagger 1$  $\underline{\mathcal{M}} = \nabla \mathbf{I} = \mathbf{$  $\Box(\exists \langle \neg [ \rangle \Box \langle \neg \Box \rangle \rangle ) \langle \langle \Box \{ i \} [ \Leftrightarrow \neg \nabla ] \neg ] \Box f ( \ddagger \rangle [ ] \nabla \neg \Box \rangle i \rangle \langle \checkmark \uparrow \neg \exists \mathcal{T} \neg f \Box \rangle \rangle f ( \ddagger ) \langle \rangle | \Box \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle ( \neg \Box ) \langle \neg \Box \rangle \rangle ( \neg \Box ) \langle \neg \Box \rangle ( \neg \Box ) ( \neg \Box )$  $\Box(] = \{1, 1\} \land \{1,$  $\label{eq:linear} \label{eq:linear} \label{eq:$  $| f \| \rangle \} \supseteq \langle ] \sqcup \langle ] \nabla f \langle ] \ddagger l \langle ] \nabla \{ \rangle \} ] \nabla l \nabla \Box | f | l \langle ] \sqcup \langle ] \Delta f \rangle \} ] \nabla l \nabla \Box | f | l \langle ] \sqcup \rangle \langle [ L ] \setminus f \rangle \rangle$ 

 $\neg \uparrow f \downarrow \nabla \neg \uparrow \{ \wr \nabla \sqcup \langle ] \Downarrow \propto \mathcal{G} \nabla \rceil \neg \sqcup \{ \rangle \} \langle \sqcup \rceil \nabla f \propto \mathcal{M} \rceil \nabla \rfloor \rceil \land \neg \nabla \rangle ] f \wr \{ \neg [ | \neg \rfloor \rceil \setminus \sqcup \| \rangle \setminus \} [ \wr \Uparrow f \supseteq \langle \wr \supseteq \neg \backslash \sqcup \sqcup \wr \land \neg f \land \mathcal{M} \rceil \vee [ \neg [ \neg ] \land \sqcup \downarrow \rangle \rangle \} [ \wr \Downarrow f \supseteq \langle \wr \supseteq \neg \backslash \sqcup \sqcup \wr \land \neg f \land \mathcal{M} \land \mathcal{M} \land \mathcal{M} \land \neg f \land \mathcal{M} \land \mathcal{M}$ 

 $\operatorname{Im} \mathcal{A}_{\mathrm{Im}} = \operatorname{Im} \mathcal$ 

 $\nabla ] \{ \Box f ] [ \sqcup \wr \sqcup ] \ddagger \langle \rangle \ddagger \langle ] \nabla \{ \dashv \sqcup \langle ] \nabla \simeq f \mathcal{C} \langle \rangle \backslash ] f ] f \dashv J \nabla ] [ \backslash \dashv \ddagger ] \checkmark \mathcal{T} \langle ] f \langle \dashv \ddagger \dashv \rangle \ddagger ] [ \sqcup \langle \dashv \sqcup \langle ] \nabla \land \exists f \land \exists$  $\texttt{interm} \\ \texttt{interm} \\ \texttt{in$  $\exists f_{\text{A}} = \exists f$  $\langle |\nabla \{ \rangle \setminus \} | \nabla \Box \dashv J | \Box \cup \langle \{ \sqcup \langle \dashv \sqcup \sqcup \rangle \} | \nabla \cup \Box \setminus [ f \wr \{ \nabla | [ \oplus \dashv \nabla | ] \sqcup \wr \nabla \mathcal{H} \wr \setminus \mathcal{C} \dashv \rangle f \rangle \Box | \nabla ] | \iota \Box | \nabla | J \rangle \Box | J \rangle \Box$  $\mathcal{T}_{1}^{1}_{1}_{1}_{1}^{1}_{1}_{1}_{1}^{1}_{1}_{1}^{1}_{1}_{1}^{1}$  $\nabla \exists \exists f \in \mathcal{J} \cup \mathcal{J}$ 

 $\label{eq:constraint} $$ \langle \partial \nabla \nabla \rangle [] \\ \\ | \rangle | \rangle | \langle U \nabla \rangle ] \\ \\ | U \partial \rangle | \langle U \nabla \rangle ] \\ \\ | U \partial \rangle | \\ \\ | U \partial \rangle$  $\mathcal{T}_{\text{I}}^{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}^{\text{I}}^{\text{I}}_{\text{I}}^{\text{I}}^{\text{I}}^{\text{I}}_{\text{I}}^{I$  $\exists \rangle \} \langle \sqcup \nabla \rceil \dashv \rfloor \langle \rceil f \rangle \backslash \rceil \langle \sqcap \backslash \lceil \nabla \rceil \lceil \swarrow \sqcap \backslash \lceil f \Leftrightarrow f \langle \rceil \rceil \rceil \rangle [ ] f \sqcup \rangle f \rceil \backslash \lceil \checkmark \rangle \nabla \dashv \swarrow \langle f \rangle \{ \langle \rceil \nabla f \rceil \ddagger \{ \sqcup \rangle \langle \rceil \nabla f \land \uparrow \downarrow \{ \sqcup \rangle \land \neg \downarrow \rangle \}$ t(1) = t(1) =

 $\{ \exists \Box \langle \neg \nabla J \Box \rangle \\ \forall \downarrow \rangle \rangle \} \\ \uparrow \downarrow \mathcal{L} \exists \Box \neg \nabla \Leftrightarrow \Box \langle \neg \nabla \nabla \Box \exists \rangle \rangle \rangle \\ J \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \downarrow \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \Box \langle \neg \nabla \nabla \neg \Box \rangle \rangle \\ \Box \langle \neg \nabla \nabla \exists \Box \rangle \rangle \\ \Box \langle \neg \nabla \nabla \neg \Box \rangle \rangle \\ \Box \langle \neg \nabla \nabla \neg \Box \rangle \rangle \\ \Box \langle \neg \nabla \nabla \neg \Box \rangle$  $\int \left[ \left\{ \langle \nabla \rangle \right] + \left\{ \langle \nabla \rangle \right\} \right] \left[ \left[ \left( \langle \rangle \rangle \right] - \left[ \left( \langle \rangle \rangle \right] \right] \right] \right] \left[ \left[ \left( \langle \rangle \rangle \right] - \left( \langle \rangle \rangle \right] \right] \right] \left[ \left( \langle \rangle \rangle \right] \right] \right] \left[ \left( \langle \rangle \rangle \right] - \left( \langle \rangle \rangle \right] \right] \left[ \left( \langle \rangle \rangle \right] - \left( \langle \rangle \rangle \right] \right] \left[ \left( \langle \rangle \rangle \right] - \left( \langle \rangle \rangle \right] \right] \left[ \left( \langle \rangle \rangle \right] \right] \left[ \left( \langle \rangle \rangle \right] - \left( \langle \rangle \rangle \right] \right] \left[ \left( \langle \rangle \rangle \right] \right] \left[ \left( \langle \rangle \rangle \right] - \left( \langle \rangle \rangle \right] \right] \left[ \left( \langle \rangle \rangle \right] \right] \left[ \left( \langle \rangle \rangle \right] - \left( \langle \rangle \rangle \right] \right] \left[ \left( \langle \rangle \rangle \right] \left( \langle \rangle \rangle \right] \right] \left[ \left( \langle \rangle \rangle \right] \left( \langle \rangle \rangle \right) \left[ \left( \langle \rangle \rangle \right] \left( \langle \rangle \rangle \right] \left( \langle \rangle \rangle \right) \left( \langle \rangle \right) \left( \langle \rangle \rangle \right) \left( \langle \rangle \rangle \right) \left( \langle \rangle \right) \left( \langle \rangle \rangle \right) \left( \langle \rangle \right) \left( \langle$  $\label{eq:constraint} \label{eq:constraint} \\ \label$ Constant = $\sqsubseteq \rangle \nabla \sqcup \Box \rceil \swarrow \uparrow^{\forall \forall \bigtriangleup} \mathcal{O} f ] \dashv \nabla \sqsupseteq \dashv \backslash \sqcup \rceil [ \sqcup \wr \nabla \rceil \backslash ] \supseteq \dashv \backslash [ ] \$ \checkmark \nabla \sqcup \sqcup \langle \rceil ] \wr \backslash \downarrow ] \checkmark \iota \wr \{ \sqcup \langle \rceil \mathcal{C} \langle \rangle \backslash ] f ]$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint$  $\mathbf{1}^{\mathbf{1}} = \mathbf{1}^{\mathbf{1}} =$  $\sqrt{f^{\dagger}} \langle t^{\dagger} \rangle \\ + \langle t^{$ 

 $\mathcal{P}]\nabla\Box\Box\rangle + \sqrt{1+1}\left[2\left\{ \Box\left(1\right)\right\}\nabla\nabla\left(1-1\right)\right] + \left[2\left\{ \Box\left(1\right)\right\}\nabla\nabla\left(1-1\right)\right] + \left[2\left\{ \Box\left(1\right)\right\}\nabla\left(1-1\right)\right] + \left[2\left\{ \Box\left(1-1\right)\right] + \left[2\left\{ \Box\left(1-1\right)\right\}\nabla\left(1-1\right)\right] + \left[2\left\{ \Box\left(1-1\right)\right] + \left[2\left\{ \Box\left(1-1\right)\right\}\nabla\left(1-1\right)\right] + \left[2\left\{ \Box\left(1-1\right)\right] + \left[2\left\{ \Box\left(1-1\right)\right] + \left[2\left\{ \Box\left(1-1\right)\right] + \left[2\left\{ \Box\left(1-1\right)\right] + \left[2\left(1-1\right)\right] + \left[2\left(1-1\right)\right]$  $\mathcal{I}_{\mathbf{A}} = \mathcal{I}_{\mathbf{A}} =$  $[\uparrow 1 \land \neg 1 \cap \neg \neg 1 \cap \neg 1 \cap$  $\Box \land [ \wr \Leftrightarrow \exists \langle \rangle \sqcup ] \ \ \dashv \land \neg \uparrow \mathcal{T} \langle ] \exists \langle \rangle \sqcup ] \nabla \sqcup \langle ] [ ] \sqcup \sqcup ] \nabla \swarrow \mathcal{A}_{\sqrt{}} \dashv \iint_{\sqrt{}} \wr \nabla \sqcup \langle ] [ ] [ \{ \wr \nabla f \wr ] \rangle \dashv \updownarrow$  $\label{eq:constraint} \sum_{i=1}^{n} \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} \right\} = \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2} \right\} + \left\{ \left| \left( -\frac{1}{2} \right) - \frac{1}{2$  $\label{eq:point} \end{tabular}$  $] \uparrow \exists f \in \mathcal{A}_{f} = \mathcal{A}_{f} =$  $\label{eq:point_started_star$  $\mathcal{T}_{\text{i}}^{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}^{\text{i}}^{\text{i}}_{\text{i}}^{\text{i}}^{\text{i}}^{\text{i}}_{\text{i}}^{i$  $\label{eq:point_states} \label{eq:point_states} \lab$  $\neg \nabla \nabla \rangle \sqsubseteq ] [ [ \uparrow f \sqcup ] \neg \oplus [ \wr \neg \sqcup \rangle \backslash \wr \nabla \sqcup \langle ] \nabla \backslash \mathcal{P} ] \nabla \sqcap \sqsupseteq \rangle \sqcup \langle \wr \sqcap \sqcup \parallel \backslash \wr \sqsupseteq \rangle \backslash \} \mathcal{S}_{\sqrt{}} \neg \langle \rangle f \langle \wr \nabla \neg \langle \uparrow \wr \rangle ]_{\swarrow}$ 

 $= \mathbb{E} \left\{ \nabla_{\mathcal{A}} \right\} \left\{ \nabla_{\mathcal{A} } \right\} \left\{ \nabla_{\mathcal{A}} \right\} \left\{ \nabla_{\mathcal{A}} \right\} \left\{ \nabla_{\mathcal{A}$  $\mathcal{M} \wr \mathsf{I} = \mathsf{I} =$ 
$$\label{eq:constraint} \begin{split} & \sqrt{-} \\ & \sqrt{$$
 $t(1) = \mathcal{M} =$  $\langle \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}) \mathsf{M}(\mathsf{M}) \mathsf{M}) \mathsf{M}($  $\nabla ] \sqcup \sqcap \nabla \setminus \sqcup \wr \mathcal{P} ] \nabla \sqcap \sqsupseteq \rangle \sqcup \langle \wr \rangle ] \wr \{ \langle ] \nabla [ \dashv \sqcap \} \langle \sqcup ] \nabla f \Leftrightarrow \mathcal{M} ] \nabla ] [ ] f \swarrow \mathcal{S} \wr \{ i \dashv f \sqcup \dashv \dagger ] [ \lfloor ] \langle \rangle \setminus [ \rangle \setminus I ] \}$ 

 $\label{eq:point_started_star$ 

 $\mathsf{A}_{\mathsf{A}} = \mathsf{A}_{\mathsf{A}} =$  $\label{eq:constraint} []_{\sqrt{}} + \nabla \sqcup \sqcap \nabla ] \Leftrightarrow \mathcal{S} \wr \{ i + \Leftrightarrow \backslash i \exists \neg \mathcal{B} \sqcap [ \lceil \langle \rangle f \sqcup \backslash \sqcap \backslash \Leftrightarrow \{ \rangle \backslash [ f \wr \sqcap \mathcal{M} \rceil \nabla ] ] [ ] f \downarrow \wr f \sqcup \langle \rceil \nabla ] \land \forall i \in \mathcal{M} \}$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constrai$  $(1 + \mathbb{Z} \times \mathbb$  $] = \frac{1}{2} \left[ \frac{1}{2} \left[ \frac{1}{2} \right] \left[ \frac{$  $\mathcal{S}_{\text{II}}_{\text{II}} = \mathcal{S}_{\text{II}}_{\text{II}} + \mathcal{S}_{\text{II}} + \mathcal{S}_{$  $\mathcal{A}^{\ddagger}_{\mathcal{A}} = \mathcal{A}^{\dagger}_{\mathcal{A}} = \mathcal{A}^{\dagger}_{$ 

 $\label{eq:constraint} []_{1} \\ []_{1}$  $+ \text{Im} \left( \text{Im} {$  $\{ \mathsf{A}_{\mathsf{I}} = \mathsf{A}_{\mathsf{A}} = \mathsf{A}_{\mathsf{A}}$  $\neg [\neg \neg \sqcup \sqcup \mathcal{P}] \nabla \sqcap \sqsubseteq \rangle \neg | \Box \uparrow \sqcup \sqcap \nabla ] \wr \nabla \uparrow ] \neg \nabla \setminus \mathcal{S}_{\sqrt{1}} \neg \langle \emptyset \langle ] \uparrow \wr \rangle \} ] [ \{ \wr \nabla \langle \rangle f \backslash \neg \sqcup \rangle \sqsubseteq ] \mathcal{C} \langle \rangle \backslash \neg \downarrow \mathcal{S} \langle ] \land \neg \downarrow \mathcal{S} \rangle ] \neg \langle \emptyset \rangle ] \land \langle \emptyset \rangle ] \land$  $\label{eq:linearized_states} \\ \int d t = \frac{1}{2} \left[ d t + \frac{1}{2} d t +$  $\label{eq:constraint} [] \label{eq:constraint} (] \label{eq:constraint} (] \label{eq:constraint} (] \label{eq:constraint} (] \label{eq:constraint} () \label{eq:constrain$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ e =

 $\exists \texttt{M} = \texttt{M}$  $\mathcal{T} = \mathcal{T} =$  $\exists t \in \mathcal{T}_{\mathcal{T}}$  $\mathcal{C}(\mathsf{i}) = \mathcal{C}(\mathsf{i}) = \mathcal{C$  $\label{eq:constraint} \label{eq:constraint} \\ \label$  $\uparrow \underline{\mathcal{M}} \sqcap \uparrow \underline{\mathcal{M}} \sqcap \uparrow \underline{\mathcal{M}} \sqcap \uparrow \underline{\mathcal{M}} \sqcap \underline{\mathcal{M}} \urcorner \underline{\mathcal{M}} \land \underline{\mathcal{M}} \lor \underline{\mathcal{M}} \land \underline{\mathcal{M}} \lor \underline{\mathcal{M}} \land \underline{\mathcal{M}} \lor \underline{\mathcal{M}} \land \underline{\mathcal{M}} \lor \underline{\mathcal{M}} \lor \underline{\mathcal{M}} \land \underline{\mathcal{M}} \lor \underline{\mathcal{M}$  $\\ | \Box f \sqcup t \downarrow f \Leftrightarrow \mathcal{T} \dashv t \rangle f \Downarrow \Leftrightarrow \mathcal{C} t \setminus \{\Box \} \land \downarrow f \Downarrow \Leftrightarrow \neg \downarrow [ \sqcup \langle ] \mathcal{C} \langle \rangle \setminus ] f ] \mathcal{B} \Box [ [ \langle \rangle f \sqcup \sqsupseteq t \bigtriangledown \nabla \downarrow [ \sqsubseteq \rangle ] \sqsupseteq_{\mathcal{L}} \mathcal{F} \nabla t \Uparrow \dashv I \}$ 

$$\begin{split} \mathcal{D} \rangle \sqsubseteq \rangle \Box \\ \mathcal{S} \Box \rangle \mathcal{Y} \Box \langle \Leftrightarrow \infty \exists \nabla \nabla^{\nwarrow} \Rightarrow \sqrt{\Box} [ \downarrow \rangle f \langle ] [ \sqcup \langle ] \ \sqrt{l} \sqcup \nabla \dagger ] \langle \downarrow \downarrow \downarrow \rangle ] \langle ] \langle C \nabla ] f ] \rangle ] \backslash \sqcup ] \langle \oplus C \nabla ] f ] \rangle \sqcup ] \\ \mathcal{M} \wr \langle \Leftrightarrow \infty \exists \mapsto \Leftrightarrow \frac{\mathcal{R} \wr f \dashv \{ a \downarrow \rangle ] \dashv}{\mathcal{R}} \Leftrightarrow \mathcal{P} \langle \dashv \downarrow \downarrow \rangle ] \mathcal{R} \wr f ] \Leftrightarrow \infty \exists \forall \ni \Rightarrow \Leftrightarrow \frac{\mathcal{C} \dashv \backslash \sqcup \land f \ \neg \dashv \neg \dashv \downarrow \downarrow \downarrow ] \backslash [ \rangle \} \wr \dagger ] \downarrow \\ \underline{\nabla} ] \dagger \langle \oplus S \wr \rangle f \{ \wr \nabla \mathcal{P} \dashv \Box \ \sqrt{l} \nabla f \dashv \backslash \mathcal{K} \rangle \} f \Leftrightarrow \infty \exists \exists \exists \Rightarrow \Leftrightarrow \frac{\mathcal{S} \wr \dagger \Box \land \downarrow \downarrow \downarrow \land \downarrow \downarrow \downarrow \land \downarrow \downarrow \downarrow \land \downarrow \downarrow \land \downarrow \downarrow \downarrow \land \downarrow \downarrow \land \downarrow \Box ] \nabla \land \Box \Box \rangle }{\mathcal{N}} \end{split}$$

 $\mathcal{S} \sqcap \langle \mathcal{Y} \sqcap \backslash \simeq f \mathcal{P} \wr ] \sqcup \nabla \dagger \neg \mathcal{C} \land f \Downarrow \wr \downarrow \rangle \sqcup \rangle f \Uparrow \Leftrightarrow \mathcal{E} \nabla \wr \sqcup \rangle ] \rangle f \Downarrow \Leftrightarrow \mathcal{H} \sqcup \langle ] \mathcal{N} \dashv \sqcup \sqcap \nabla ] \land \downarrow \mathcal{C} \sqcap \downarrow \sqcup \sqcap \nabla ]$ 

$$\begin{split} & \left\langle \nabla f \right\rangle^{1} \Box \left\langle f \right\rangle^{1$$

 $\mathcal{C}(\mathsf{i}) = \mathcal{C}(\mathsf{i}) = \mathcal{C$  $\int \left( \frac{1}{2} - \frac{1}{2} + \frac{1}{2} \right) + \frac{1}{2} + \frac{1}{2$  $|\nabla \iota \sqcup \langle \neg \nabla \mathcal{E} \rangle \rangle \langle \mathcal{H} | \nabla \rangle ] \{ \uparrow \nabla \neg \sqcup \Box \nabla \lor \neg [ \sqcup \iota \mathcal{C} \langle \rangle \lor \exists \Box \nabla \nabla \dagger \mathcal{E} \uparrow ] \lor \exists \mathcal{C} \langle \iota \lor \} \Leftrightarrow \{ \iota \nabla \uparrow \neg \Box \nabla \lor \neg \exists \mathcal{E} \downarrow ] \lor \exists \mathcal{E} \downarrow ] \forall \forall \forall | \mathcal{E} \downarrow ] \forall \forall | \mathcal{E} \downarrow | \mathcal{E} \downarrow ] \forall \forall | \mathcal{E} \downarrow | \mathcal{E} \downarrow ] \forall \forall | \mathcal{E} \downarrow ] \forall \forall | \mathcal{E} \downarrow ] \forall | \mathcal{E} \downarrow | \mathcal{E} \downarrow | \mathcal{E} \downarrow ] \forall | \mathcal{E} \downarrow | \mathcal{E} \downarrow ] \forall \forall | \mathcal{E} \downarrow | \mathcal$  $\mathcal{A}_{U}^{1}_{\mathcal{I}}^$  $\label{eq:constraint} [\nabla] - (1) -$  $\texttt{IIII} \{ \texttt{VIII} \land \texttt{IIII} \land \texttt{IIIII} \land \texttt{IIII} \land \texttt{$ 

 $\underline{\neg} \\ \underline{\neg} \\$ 

 $\leftarrow \mathcal{J} \dashv \mathbf{\nabla} \mathcal{D} \mathbf{\nabla} \dashv \mathbf{f} \triangleleft \mathbf{f} \leftrightarrow \mathbf{f} \land \mathbf{f} \leftrightarrow \mathbf{f} \land \mathbf$ 

 $\exists \Delta /$ 

 $\mathcal{A}_{1}^{1}_{1}_{1} \to \mathcal{I}_{1}^{1}_{1} \to \mathcal{I}_{1$  $\label{eq:constraint} $$ \sum_{i=1}^{n} \left( \frac{1}{2} \right) + \sum_{$  $\{ \exists \Box \langle \neg \nabla \Leftrightarrow \exists \langle \wr [\nabla \neg [\{ \rangle f \langle \Leftrightarrow \wr \backslash ] \rceil \sqcup \wr \uparrow [\langle \neg \nabla \Leftrightarrow \uparrow \mathcal{D} \wr \uparrow \wr \Box f \rceil ] \sqcup \langle \exists \Box \nabla \dashv \uparrow \wr \{ \uparrow \rangle \} \langle \sqcup \swarrow \rangle ] \nabla ] \rangle \backslash \} \sqcup \langle \neg \Box \rangle$  $\exists \exists \exists \forall \mathcal{T} \in \mathcal{T} \in \mathcal{T} = \mathcal{T} \in \mathcal{T} \in \mathcal{T} = \mathcal{T} \in \mathcal{T} = \mathcal{T} \in \mathcal{T} = \mathcal{T} \in \mathcal{T} = \mathcal{T} =$  $\int \Box \langle \nabla \rangle ] \int \exists [\Box \Box \Box \langle \rangle \int \exists [\Box \Box \nabla ] \int \exists \langle [| \langle \Box \nabla \rangle ] \dagger f \rangle \langle \mathcal{C} \langle \rangle \langle \exists \exists \langle \mathcal{P} ] \nabla \Box \swarrow \mathcal{M} \exists \exists \langle \mathcal{L} \rangle \langle \forall f \exists f \in \mathcal{M} \rangle \langle \forall f \in \mathcal{M} \rangle \langle f \in \mathcal{M} \rangle \langle \forall f \in \mathcal{M} \rangle \langle f \in$  $- \text{II}(1) \\ + \text$  $\{ \texttt{M} \in \mathbb{C} \setminus \mathbb{C}$  $] ( ) ] = [ \nabla f + ] ( ) = [ ( ) = [ ( ) + [$  $\label{eq:constraint} \end{tabular} \end{t$ 

 $\mathcal{I}_{\mathsf{I}}_{\mathsf$  $\nabla \left[ \sqrt{\nabla} \right] f \left[ \left( \square \mathcal{C} \right) \right] + \square f \left[ f \right] f \right] \right] + 1 \square f \left[ f \right] + \square f \left[ f \right] \right] + \square f \left[ f \right] + \square f \left[$  $\Box = \Box = \left\{ \Box \left( \left[ \nabla = \sqrt{2} \right] \right) \left( C \left( \left[ \nabla = \sqrt{2} \right] \right] \right) \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \left[ \left[ \nabla = \sqrt{2} \right] \left[ \Box \left( \left[ \nabla = \sqrt{2} \right] \left[ \left[ \nabla = \sqrt{2} \right$  $\mathcal{C}(\mathsf{I}) = \mathcal{C}(\mathsf{I}) = \mathcal{C$ 

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 $\{ \wr \nabla \} \rangle \} \rangle \langle \mathcal{P} \rangle \nabla \Box \swarrow \mathcal{W} \langle \rangle \ddagger \} \Leftrightarrow \exists \mathcal{B} \langle \exists [ \langle \exists \downarrow \rangle \mathcal{I} \rangle \sqcup \mathcal{I} \Leftrightarrow \uparrow \mathcal{B} ] \rangle \rangle \{ \wr \downarrow \rangle \} ] [ \sqcup \wr \{ \wr \nabla \} ] \sqcup [ ] ] \wr \ddagger ] \mathcal{I} \sqcup \langle ]$  $\label{eq:constraint} \end{tabular} \end{t$  $\label{eq:constraint} [\label{eq:constraint}] \label{eq:constraint} [\label{eq:constraint}] \label{eq:constraint} \label{eq:constraint} [\label{eq:constraint}] \label{eq:constraint} \label{eq:constraint} [\label{eq:constraint}] \label{eq:constraint} \label{eq:co$  $\label{eq:constraint} $$ $ \mathcal{I} = \mathcal$ (A = A
$$\label{eq:linearized_state} \label{eq:linearized_state} \begin{split} \int & = \int \left[ -\frac{1}{\sqrt{2}} \right] \\ & = \int \left[$$
 $\texttt{M}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}(\texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}}) \texttt{A}_{\mathcal{A}})$  $\mathcal{T}_{\mathcal{I}} \\ \mathcal{T}_{\mathcal{I}} \\ \mathcal{I}_{\mathcal{I}} \\$  $\begin{array}{ccc} [] & & & \\ & & & \\ & & \\ & & & \\ & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ &$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \end{tabular}$ 

 $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\mathcal{A} = \mathcal{A} =$ 
$$\label{eq:constraint} \begin{split} & \sqrt{-f_{\Box}} \\ & \sqrt{$$
 $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathrm{ind}_{\mathrm{sol}}=\mathrm{ind}_{\mathrm{sol}}$  $\mathcal{A}_{i}^{i} \cup \mathcal{A}_{i}^{i} \cup \mathcal{A}$ 

 $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 
$$\label{eq:constraint} \begin{split} \ensuremath{\swarrow}^{1} & \ensuremath{\square} \nabla \\ \ens$$
 $\mathcal{N} = \mathcal{N} =$  $\Box \Box \int da \langle f \rangle \langle J \rangle Z \Box \downarrow ] \langle A \rangle \langle A \rangle$  $\wr \{ \mathcal{A} \nabla \sqcup \mathcal{f} \dashv \backslash [\mathcal{C} \nabla \dashv \{ \sqcup \mathcal{f}_{\checkmark} \mathcal{W} \land \rangle \updownarrow ] \sqcup \langle ] \nabla ] \Leftrightarrow \mathcal{f} \langle ] \sqcup \wr \wr \parallel \dashv \updownarrow \rangle \sqcup ] \nabla \dashv \sqcup \sqcap \nabla ] \, \rbrace \sqcup \sqcap \nabla \mathcal{f} ] \sqsupseteq \rangle \sqcup \langle \sqcup \langle ]$ A = $\label{eq:linearized_linearized$  $] = \mathcal{A} = \mathcal{A$  $\mathcal{C} = \mathcal{L} = \mathcal{C} = \mathcal{L} =$  $\sqrt{\nabla} \langle \Box \rangle [] f + j \downarrow \Box ] + f \sqcup \rangle \cup f f \sqrt{\langle} \nabla \rangle \sqcup \Box + \downarrow \sqcup \langle ] \downarrow ] f \sqrt{\langle} A \downarrow \downarrow ] \downarrow ] \downarrow ] \langle \sqcup f \rangle \backslash ( + \sqcup \Box \nabla ] \Leftrightarrow$ 

## 

 $t = - \left( - \nabla t + \left( \nabla t - \left( - \nabla t \right) + \left( \nabla t - \left( - \nabla t \right) + \left( - \nabla t - \left( - \nabla t \right) + \left( - \nabla t \right$  $\label{eq:linear} \\ \label{eq:linear} \\ \lab$  $\exists \forall \nabla \ddagger [\neg \langle \neg \uparrow \mathcal{M} \uparrow ( \neg \uparrow \mathcal{M} \uparrow ) \neg ] \forall f \land \neg \uparrow \mathcal{M} \uparrow f \land \neg \uparrow \mathcal{M} \land \neg \uparrow \mathcal{M} \uparrow f \land \neg \uparrow \mathcal{M} \land \neg \land \neg \land \mathcal{M} \land \neg \land$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 
$$\label{eq:linearized_states} \label{eq:linearized_states} \begin{split} & \int \label{eq:linearized_states} \int \label{eq:linearized_states$$
 $\mathcal{S} = \mathcal{S} =$  $= \left[ \nabla f \right] \int \mathcal{S} \Box \left[ \mathcal{S} \Box \right] \mathcal{Y} \Box \left[ \mathcal{S} \Box \left[ \mathcal{S} \Box \right] \mathcal{Y} \Box \left[ \mathcal{S} \Box \left[ \mathcal{S} \Box \right] \mathcal{Y} \Box \left[ \mathcal{S} \Box \right] \mathcal{Y} \Box \left[ \mathcal{S} \Box \left[ \mathcal{S} \Box \right] \mathcal{Y} \Box \left[ \mathcal{S} \Box \right] \mathcal{Y} \Box \left[ \mathcal{S} \Box \left[ \mathcal{S} \Box \right] \mathcal{Y} \Box \left[ \mathcal{S} \Box \right] \mathcal{Y} \Box \left[ \mathcal{S} \Box \left[ \mathcal{S} \Box \right] \mathcal{Y} \Box \left[ \mathcal{S} \Box \right] \mathcal{Y} \Box \left[ \mathcal{S} \Box \left[$ 

 $\mathcal{N} = \mathsf{I} =$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\exists \mathbf{A} \equiv \mathbf{A} = \mathbf{A}$  $\mathcal{A}^{\ddagger}_{\mathbb{I}} = \mathcal{A}^{\uparrow}_{\mathbb{I}} = \mathcal{A}^{\downarrow}_{\mathbb{I}} = \mathcal{A}^{\downarrow}_{$  $\label{eq:constraint} $$ \sum_{i=1}^{n} \left( \nabla_{i} \nabla_{i}$ 

$$\begin{split} & (+) +$$

 $\sqrt{-4}\nabla U \left( \frac{1}{2} + \frac{1}{2} \right) \left( \frac{1}{2} + \frac{1}{$ 

 $\mathcal{L} = \mathcal{W} \cup (\mathcal{M} \cup \mathcal{V}) \cup (\mathcal{M} \cup \mathcal{V}) \cup \mathcal{V} \cup \mathcal{V$  $\exists \{\mathcal{E}_{\mathbf{x}} \in \mathcal{E}_{\mathbf{x}} \in \mathcal{E}_{\mathbf{x}}$  $\left[ + \left( + \right) \right] \left[ - \left( + \right) \right] \left[ - \left( + \right) \right] \left[ + \left( + \right) \right] \left[ + \left( + \right) \right] \left[ + \left( + \right) \right] \right] \left[ + \left( + \right) \right] \left[ + \left( + \right) \right] \left[ + \left( + \right) \right] \right] \left[ + \left( + \right) \right] \left[ + \left( + \right) \right] \left[ + \left( + \right) \right] \right] \left[ + \left( + \right) \right] \left[ + \left( + \right) \right] \left[ + \left( + \right) \right] \right] \left[ + \left( + \right) \left[ + \left( + \right) \right] \left[ + \left( + \right) \right] \left[ + \left( + \right) \left[ + \left( + \right) \right] \left[ + \left( + \right) \right] \left[ + \left( + \right) \left[ + \left( + \right) \right] \left[ + \left( + \right) \left[ + \left( + \right) \right] \left[ + \left( + \right) \left[ + \left( + \right) \right] \left[ + \left( + \right) \left[ + \left( + \right) \left[ + \left( + \right) \right] \left[ + \left( + \right) \left[ + \left( + \right) \left[ + \left( + \right) \right] \left[ + \left( + \right) \left[ + \left( + \left( + \right) \left[ + \left( + \right) \left[ + \left( + \left($  $||_{1} = \frac{1}{2} ||_{1} = \frac{1}{2} ||_{$  $\leftarrow \mathcal{I} \amalg \sqcap \mathcal{I} \land \mathcal{$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\label{eq:constraint} $$ \int U \Box \nabla [] \Rightarrow \uparrow^{2} \nabla \langle U \rangle = 0 \\ \\ U =$  $\label{eq:constraint} \end{tabular} \end{t$  $\label{eq:constraint} \label{eq:constraint} \label{eq:$ 

 $\label{eq:constraint} \end{tabular} \\ \end{tabular} \\ \end{tabular} \end{tabular} \\ \end{tabular} \\ \end{tabular} \\ \end{tabular} \end{tabular} \\ \end{tabul$  $| \langle ] f | \langle | \neg | \rangle | \langle \rangle | | | \langle | \neg | \rangle | \langle \rangle | \langle$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\nabla \left[ \left\{ \Box f \right\} \cup \left\{ U \right\} \Box \right\} \Box \left\{ U \right\} \cup \left$  $\mathcal{E} = \int \left[ \left\{ \frac{1}{2} \right\} \right] = \left[ \left\{ \frac{1}{2} \right\} = \left[ \left\{ \frac{1}{2} \right\} \right] = \left[ \left\{ \frac{1}{2} \right\} = \left[ \left\{ \frac{1}{2} \right\} \right] = \left[ \left\{ \frac{1}{2} \right\} = \left[ \left\{ \frac{1}{2} \right\} \right] = \left[ \left\{ \frac{1}{2} \right\} = \left[ \left\{ \frac{1}{2} \right\} \right] = \left[ \left\{ \frac{1}{2} \right\} = \left[ \left\{ \frac{1}{2} \right\} \right] = \left[ \left\{ \frac{1}{2} \right\} \right] = \left[ \left\{ \frac{1}{2} \right\} = \left[ \left\{ \frac{1}{2} \right\} \right] = \left[ \left\{ \frac{1}{2} \right\} = \left[ \left\{ \frac{1}{2} \right\} \right] = \left[ \left\{ \frac{1}{2} \right\} = \left[ \left\{ \frac{1}{2} \right\} \right] = \left[ \left\{ \frac{1}{2} \right\} = \left[ \left\{ \frac{1}{2} \right\}$  $\label{eq:point_states} \label{eq:point_states} \lab$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\mathbf{1} = \mathbf{1} =$ 

$$\label{eq:constraint} \begin{split} \label{eq:constraint} \begin{split} \ensuremath{\swarrow} \ensuremath{\wr} \ensuremath{\wr} \ensuremath{\lor} \ensuremath{\circ} \ensuremath{\lor} \ensuremath{\bullet} \$$
 $\mathcal{A}_{\Box} \nabla \mathcal{S}_{\Box} \mathcal{Y}_{\Box} \simeq \mathcal{I}_{J} \nabla \mathcal{Y}_{\Box} \mathcal{Y}_{\Box} \otimes \mathcal{$  $\mathcal{U} \ \forall \mathsf{U} \ \mathsf{U}$  $\neg \neg \nabla \forall \neg \forall \langle f \rangle \forall \neg \forall \rangle ] \neg \langle f \rangle \rangle | \neg \langle f \rangle \rangle | \neg \langle f \rangle \nabla \sqcup \Leftrightarrow \mathcal{S}_{\sqrt{1}} | \rangle f \langle f \rangle \langle f \rangle \rangle | \neg \neg \langle f \rangle | \neg \rangle | \neg \langle f \rangle | \neg \rangle |$  $\mathcal{P} = \operatorname{int} \mathcal{P} = \operatorname{int}$  $\mathcal{E}_{\text{I}} = \left\{ \cup_{i=1}^{1} \left\{ \cup_$ 

 $\label{eq:powerseries} \label{eq:powerseries} \label{eq:powerseries} \\ \label{eq:powerseries} \label{eq:powerse$  $\exists ( \cup ( ) ) ( ) ) ( \cup ( ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( \cup ( ) ) ( \cup ( ) ) ) ( ) ) ( \cup ( ) ) ) ( ) ) ( \cup ( ) ) ) ( ) )$  $\label{eq:point_states} \label{eq:point_states} \\ \begin{tabular}{l} \label{eq:point_states} \end{tabular} \end{tabular} \\ \begin{tabular}{l} \label{eq:point_states} \end{tabular} \end{tabular} \end{tabular} \end{t$  $\mathcal{I}_{\mathcal{I}}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}}_{\mathcal{I$  $\exists \langle \mathcal{A} \oplus \exists \langle \mathcal{A} \oplus \exists \langle \mathcal{A} \oplus \exists \rangle \rangle \\ \exists \langle \mathcal{A} \oplus \exists \langle \mathcal{A} \oplus \exists \rangle \rangle \\ \exists \mathcal{A} \oplus \exists \langle \mathcal{A} \oplus \exists \exists \mathcal{A} \oplus \exists \mathcal{A} \oplus \exists \mathcal{A} \oplus \exists \mathcal{A}$  $\texttt{eq:therefore} = \texttt{eq:therefore} = \texttt{eq:there$ 

 $\label{eq:constraint} [] \label{eq:constraint} [] \label{eq:constrain$ 
$$\label{eq:constraint} \begin{split} \begin{tabular}{l} \end{tabular} \end{tabular}$$
 $\mathcal{S} \sqcap \mathcal{Y} \sqcap \cong \mathcal{Y} \sqcup \subseteq \mathcal{Y} \sqcup \mathcal{Y} \sqcup \subseteq \mathcal{Y}$  $\uparrow \mathcal{S}_{\text{A}} = \mathcal{S}_{\text{A}}$  $\{ \forall \nabla f \sqcup \rangle \setminus S_{\sqrt{1}} \setminus \{ \mathcal{I} \in \mathcal{I} \setminus \mathcal{I} \in \mathcal{I} \} \\ \forall \mathcal{I} \in \mathcal{I} \setminus \mathcal{I} \in \mathcal{I} \setminus \mathcal{I} \in \mathcal{I} \setminus \mathcal{I} \in \mathcal{I} \setminus \mathcal{I} \setminus \mathcal{I} \setminus \mathcal{I} \setminus \mathcal{I} \in \mathcal{I} \setminus \mathcal{I} \setminus \mathcal{I} \setminus \mathcal{I} \in \mathcal{I} \setminus \mathcal{I} \in \mathcal{I} \setminus \mathcal{I$  $\{ \nabla_{i} \oplus ( \neg_{i} \otimes ( \neg$  $\int_{\mathcal{N}} \nabla \left( \Box - \frac{1}{2} \right) \left( \Box - \frac{1}{2} \right)$  $\neg \exists \exists \exists \exists f \in \mathcal{B} \ \forall f \in \mathcal{$ 

 $\underline{Sttn(H)} = \underline{Sttn(H)} = \underline{S$ 

 $\mathcal{A}(\lambda) = \mathcal{A}(\lambda) = \mathcal{A}(\lambda) + \mathcal{A}$  $\label{eq:linearized_states} \label{eq:linearized_states} \label{eq:line$  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \\ \end{tabular} \end{tabular} \\ \end{tab$  $\Box \nabla \dashv j \| f \rangle \langle \Box \langle \neg f \dashv J \nabla \rceil \lceil \Box \Box \cap \backslash \rangle \uparrow \uparrow^{\triangle \in \in} \sqcup i \lceil f \rfloor \nabla \rangle \lfloor \neg \dashv f \rceil \\ \$ \Box \dashv \downarrow \rceil \backslash J i \Box \wedge \Box \neg \nabla \swarrow \mathcal{T} \langle \neg \rceil \nabla i \Box \rangle J$  $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$  $\label{eq:constraint} $$ \left[ \left\{ \mathcal{F} \cap \nabla \cup \left\{ \left[ \nabla \left\{ \mathcal{V} \right\} \right\} \right] \right] \\ $ \left[ \left\{ \mathcal{V} \cap \nabla \cup \left\{ \left[ \nabla \left\{ \mathcal{V} \right\} \right\} \right\} \right] \right] \\ $ \left[ \left\{ \mathcal{V} \cap \nabla \cup \left\{ \left[ \nabla \left\{ \mathcal{V} \right\} \right\} \right\} \right] \\ $ \left[ \left\{ \mathcal{V} \cap \nabla \cup \left\{ \left[ \mathcal{V} \cap \left\{ \mathcal{V} \right\} \right\} \right\} \right] \\ $ \left[ \left\{ \mathcal{V} \cap \mathcal{V} \cap \left\{ \mathcal{$ 

$$\label{eq:constraint} \begin{split} \| \{ \mathbf{x}_{i}^{\dagger} \} \| \mathbf{x}_{i}^{\dagger} \| \mathbf{x}$$
 $\label{eq:constraint} \end{tabular} \end{t$  $\exists \mathcal{F}^{\mathbb{A}\in\mathbb{B}} \Leftrightarrow \exists \mathcal{F}^{\mathbb{A}\in\mathbb{B}} \Leftrightarrow \exists \mathcal{F}^{\mathbb{A}\in\mathbb{B}} \Leftrightarrow \exists \mathcal{F}^{\mathbb{A}} \land \mathcal{F}^{\mathbb{A}\in\mathbb{B}} \land \mathcal{F}^{\mathbb{A}\times\mathbb{B}} \land \mathcal{F}^{\mathbb$ (1) $\neg = \{ \text{ for } \nabla f \neg \text{ for } T \in [T_{\text{constraints}}) \}$ |≀\⊔⊓ ∬₿ ]  $\setminus$ 

f(A)

 $\mathcal{M}(\mathsf{U}(\mathsf{T}) \mathsf{T}) \mathsf{U}(\mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}) \mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}) \mathsf{T}) \mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}) \mathsf{T}) \mathsf{T}) \mathsf{T}) \mathsf{T}(\mathsf{T}) \mathsf{T}) \mathsf{T})$ 

 $\leftarrow \mathcal{M}^{\dagger}_{l}$  $\int_{\mathcal{A}} |\mathsf{A}| \{ \text{A} \} | | \rangle \\ | \mathcal{C} |$  $\underbrace{\mathcal{S}_{\Box}}_{\tilde{n}} \underbrace{\mathcal{S}_{\Box}}_{\mathcal{V}} \\ \mathcal{S}_{\Box} \\ \mathcal{$  $\label{eq:constraint} $$ $ \left\{ \mathbb{T}^{\mathcal{A}} = \mathbb{T}^{\mathcal{A}} \right\} = \left\{ \mathbb{T}^{\mathcal{A}} = \mathbb{T}^{\mathcal{A} = \mathbb{T}^{\mathcal$  $\mathcal{I}_{\text{i}}_{i$  $\exists \langle \mathcal{J} \sqcap \uparrow \rangle \dashv \mathcal{W} \land \} \simeq f \rangle \Uparrow \dashv \rbrace \rangle \land [ ] \land ] \dashv \updownarrow \wr \rbrace \rangle ] \dashv \updownarrow \wr \rangle \land [ ] \dashv \land \land \land [ ] \dashv \land \rangle \land [ ] \lor \land \land \land [ ] \dashv \land \land \land [ ] \land \land \land ( ] \land \land \land ( ] \land \land ( ] \land \land \land ( ] \land \land \land ( ] :$  $\mathcal{I}_{1} = \mathcal{I}_{1} = \mathcal{I}_{1}$ 

 $\mathcal{P}]\nabla\Box\simeq f(\exists v) \forall \forall v \in \mathcal{V}[\forall v \in \mathcal{I}(v) \in$  $\exists \mathsf{I} = \mathsf{I}$  $\sqcup \langle \rceil \rangle \nabla \sqsubseteq \wr \dagger \dashv \rbrace \rceil \{ \nabla \wr \Uparrow \mathcal{C} \langle \rangle \backslash \dashv \sqcup \wr \mathcal{P} \rceil \nabla \sqcap \sqsupseteq \dashv f \dashv \rbrace \nabla \rceil \dashv \sqcup \Uparrow \wr \sqsubseteq \rangle \rceil \lfloor \rceil \rfloor \dashv \sqcap f \rceil \sqcup \langle \rceil \dagger \sqsupseteq \rceil \nabla \rceil \sqcup \langle \rceil$  $\Box(]] \wr f(t) \land f(t) \land$  $\langle ] \nabla_{\swarrow} \mathcal{I} \setminus \langle ] \nabla_{\int_{\mathcal{I}}} \rangle \nabla \rangle \sqcup \sqcap \dashv \ddagger \Leftarrow \wr \nabla \ddagger \dagger f \sqcup \rangle \rfloor \dashv \ddagger \Leftrightarrow \dashv f \langle ] f \wr \ddagger \rfloor \sqcup \rangle \ddagger ] f [ ] \{ \rangle \setminus ] f \rangle \sqcup \Rightarrow II \sqcap ] f \sqcup \Leftrightarrow f \langle ]$ 

 $\mathcal{S}][\Box] \sqcup \rangle \wr \backslash \wr \{$ 

 $\mathcal{C} \\ ( \neg \ \ \square \ ) \nabla \mathcal{IV}_{\mathcal{L}} \mathcal{B} \\ | \uparrow \wr \setminus [\mathcal{R} \neg ] \\ ( \neg \mathcal{M} \neg \mathcal{M} \neg \mathcal{M} \neg \mathcal{N} \neg \mathcal{M} \neg \mathcal{N} \land \mathcal{M} \\ ( \neg \mathcal{M} \neg \mathcal{M} \neg \mathcal{M} \neg \mathcal{M} \neg \mathcal{M} \neg \mathcal{M} ) \\ ( \neg \mathcal{M} ) \\ ( \neg \mathcal{M} ) \\ ( \neg \mathcal{M} ) \\ ( \neg \mathcal{M} ) \\ ( \neg \mathcal{M} \neg \mathcal{M}$ 

 $\mathcal{T}_{i}_{i} = \mathcal{T}_{i}_{i} = \mathcal{T}$ 

 ${\rm and} = {\rm a$ 

 $\Box \nabla \rangle ] f \Box \rangle \langle \Box \rangle \nabla \nabla \nabla ] \Box \Box \langle 2 f ] f \ddagger [2 \ddagger f ] \langle 2 \Box \rangle \Box \rangle \Box \rangle \Box \rangle \Box \rangle \Box \rangle \Box \langle 2 f ] \rangle \langle \Box \langle 2 f ] \rangle \langle \Box \rangle \langle \Box \rangle \langle 2 f ] \rangle \langle \Box \rangle \langle \Box \rangle \langle 2 f ] \rangle \langle \Box \rangle$ 

 ${\rm Min}({\mathbb R}^n) = {\rm Min}({\mathbb R}^n)$ 

 $\mathcal{P}_{1} = \mathcal{P}_{1} = \mathcal{P}_{1}$ 

 $\mathcal{F}_{\mathbb{V}} \\ \\ \mathcal{F}_{\mathbb{V}} \\ \\ \mathcal{F}_{\mathbb{V}}$  $\sqcup \langle ] f ] \dagger ] \dashv \nabla f \Leftrightarrow \bigvee \nabla \wr \sqsubseteq \rangle [] f \langle \rangle \textcircled{1} \sqcup \langle ] \wr \lfloor |] \rfloor \sqcup \rangle \sqsubseteq \rangle \sqcup \dagger \sqcup \wr \nabla ] ] \wr \backslash f \sqcup \nabla \sqcap \sqcup \langle \rangle f \bigvee \dashv f \sqcup \swarrow \mathcal{W} \wr \backslash \} \rangle f \sqcup \langle ]$  $\underset{\sqrt{\mathcal{D}\mathcal{A}}}{\overset{\mathcal{A}}} = \mathcal{I}\mathcal{L} = \mathcal{I}\mathcal{A} = \mathcal{I}\mathcal$  $\label{eq:constraint} $$ \sum_{j \in \mathcal{I}_j \in \mathcal{I}_$  $\underbrace{\mathcal{M}}{} = \underbrace{\mathcal{M}}{} = \underbrace{\mathcal{$ 

 $\mathcal{P} \models \nabla \dashv \swarrow \mathcal{T} \land f \land \forall \nabla \sqcup \land \exists f \sqcup \forall \nabla \land \mathcal{P} \forall \nabla \sqcap \sqsubseteq \land \exists \land \exists \land \forall \exists \land \forall f \lor \land f \lor \land f \lor \land \forall f \lor d \forall f \lor f \lor d \forall f \forall f \lor d \forall f \forall f \lor d \forall f \lor d \forall f \forall f \forall f \forall f \forall f \forall f \forall f$  $\neg [(t])] \Rightarrow \\ \\ \neg [($  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 
$$\label{eq:constraint} \begin{split} & \exists \texttt{C} = \texttt{C} \\ & \forall \texttt{C} = \texttt{C} \\ & \forall$$

 $\label{eq:product} \\ \label{eq:product} \\ \label$ 

 $\mathcal{T}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{$  $\mathcal{T}(\mathcal{M}) = (\mathcal{M}) + (\mathcal{M})$  $\mathcal{I}_{\mathsf{I}}_{\mathsf$  $\mathcal{R} ] \texttt{function} \mathcal{C} \texttt{func} \mathcal{C} \texttt{func} \texttt{func}$ 
$$\label{eq:constraint} \begin{split} \lfloor\wr\backslash \rceil f\wr \{ \exists \nabla \rangle ll \} & = \mathcal{A} \setminus \lceil \wr \{ \sqcup \langle \wr f \rceil \wr \sqcup \langle \rceil \nabla f \sqsupseteq \langle \wr \propto \mathcal{A}_{\text{int}} \rceil \dashv \nabla \propto \mathcal{D} \rangle f \dashv_{\text{int}} \rceil \dashv \nabla \propto \mathcal{O} \setminus \mathcal{TV} \propto \mathcal{O} \setminus \sqcup \langle \rceil \rangle \end{split}$$
 $\uparrow \mathcal{E}_{J} = \mathcal{I}_{J} = \mathcal{I}_{J$  $(\uparrow) = \mathcal{O}(\uparrow) = \mathcal{O}(\uparrow)$ 

 $\mathrm{int} = \mathrm{int} = \mathrm$ 

 $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\sqcup \langle \rangle \int f ] \rfloor \sqcup \rangle \wr \langle \Leftrightarrow \sqcup \rangle \sqcup \ddagger ] [\uparrow \mathcal{O} f ] \sqcap \nabla \rangle [ \dashv [\mathcal{IV} \Leftrightarrow \uparrow f \sqcap \} \} ] f \sqcup f \dashv \backslash ] ] [ \{\wr \nabla \sqsubseteq \rangle \wr \ddagger ] \backslash \sqcup \langle ] \swarrow \langle ] \downarrow \rangle \rfloor$  $= 0 \\ = 0$  $\mathcal{L}_{\mathcal{I}}(\mathcal{V} \Rightarrow \mathbb{K}^{1}) = \mathbb{K}^{1} \otimes \mathbb{K}^{1} \otimes$  $+ \left( \Box \nabla \left[ + \left( - \right) \left\{ \left\{ \right\} \right] \right) \leftrightarrow \left( - \right) \left( + \right) \left( - \right) \right) \left( + \right) \left($ 
$$\label{eq:point_states} \begin{split} & \texttt{M} = \texttt{M} \\ & \texttt{M} \\ & \texttt{M} = \texttt{M} \\ & \texttt{M} \\$$
 $\neg \nabla i \Box \left[ \Leftrightarrow \uparrow \{ \nabla i \downarrow \Box \langle ] \downarrow \downarrow \downarrow ] \sqcup \rangle i \setminus \mathcal{R} \right] / \downarrow \neg \Box \rangle \neg \Box \Box \to \mathcal{R} ] / \downarrow \Box \rangle ] \nabla \nabla \neg \mathcal{II} \leftarrow \mathcal{R} ] / \downarrow \Box \rangle \mathcal{E} \neg \nabla \Box \langle \mathcal{II} \Leftrightarrow \mathcal{II} \to \mathcal{$   $- \int \int - \int \langle \nabla \rangle \langle \nabla \rangle$  $\sqcup \langle l \Box \rangle \langle \Box \langle ] \dagger \neg \nabla ] \langle l \Box \cup \langle ] \ddagger \neg \rangle \langle l [ ] ] \sqcup l \{ ] \{ \sqrt{\mathcal{I}} \nabla \neg \Box \rangle \langle \sqrt{\mathcal{U}} \rangle \rangle ] \neg \{ \nabla \neg \} \ddagger ] \langle \Box \rangle [ \Leftrightarrow \sqrt{\mathcal{I}} \Box \rangle ]$  $\sqrt{\nabla U} = \frac{1}{2} + \frac{1}{$  $\nabla \texttt{M}_{\texttt{M}} \texttt{M} \texttt{M}_{\texttt{M}} \texttt{M}} \texttt{M}_{\texttt{M}} \texttt{M}_{\texttt{M}} \texttt{M} M_{\texttt{M}} \texttt{M} \texttt{M} \texttt{M}} \texttt{M}_{\texttt{M}} \texttt{M} M_{\texttt{M}} \texttt{M} \texttt{M} M_{\texttt{M}} \texttt{M} \texttt{M} M_{\texttt{M}} \texttt{M} M} \texttt{M} M_{\texttt{M}} \texttt{M} M_{\texttt{M}} \texttt{M} M} \texttt{M} M_{\texttt{M}} \texttt{M} M M} M_{\texttt{M}} \texttt{M} M M} M$  $( \mathcal{T} = \mathcal{T} )$  $\nabla \left[ \sqrt{\nabla} \right] f \left[ \left( 1 + 1 \right) \right] \right] \left[ \sqrt{2} \left( 1 + 1 \right) \right] \left[ \sqrt{2} \right] \left[ \sqrt$  $\Leftarrow \Delta \exists \Rightarrow \checkmark$ 

 $\langle\rangle \textit{fu} \forall \nabla \rangle \rfloor \rangle \sqcup \dagger \uparrow \Leftarrow \underline{\mathcal{P}} \textit{fu} \oplus [\neg \nabla \setminus \rangle \textit{f} \oplus \Box \langle \neg \sqcup \mathcal{F} \nabla \rceil [\nabla \rangle ] \mathcal{J} \dashv \oplus ] \textit{f} \setminus \neg \textit{f} \oplus [\neg \nabla \setminus ] \mathcal{J} \dashv \Box ] \mathcal{J} \sqcup \langle \neg \sqcup \mathcal{F} \nabla \rangle [\nabla \rangle ] \mathcal{J} \dashv \oplus [\neg \nabla \setminus ] \mathcal{J} \dashv \Box ] \mathcal{J} \sqcup \langle \neg \sqcup \mathcal{F} \nabla \rangle [\nabla \vee ] \mathcal{J} \dashv \oplus [\neg \nabla \vee ] \mathcal{J} \dashv \Box ] \mathcal{J} \sqcup \langle \neg \sqcup \mathcal{F} \nabla \rangle [\nabla \vee ] \mathcal{J} \dashv \oplus [\neg \nabla \vee ] \mathcal{J} \dashv \Box ] \mathcal{J} \sqcup \langle \neg \sqcup \mathcal{F} \nabla \rangle [\nabla \vee ] \mathcal{J} \dashv \oplus [\neg \nabla \vee ] \mathcal{J} \dashv \Box ] \mathcal{J} \sqcup \langle \neg \sqcup \mathcal{F} \nabla \rangle [\nabla \vee ] \mathcal{J} \dashv \oplus [\neg \nabla \vee ] \mathcal{J} \dashv \Box ] \mathcal{J} \sqcup \langle \neg \sqcup \mathcal{F} \nabla \vee [\neg \nabla \vee ] \mathcal{J} \dashv \oplus [\neg \nabla \vee ] \mathcal{J} \dashv \Box ] \mathcal{J} \sqcup \langle \neg \sqcup \mathcal{F} \nabla \vee [\neg \nabla \vee ] \mathcal{J} \dashv \Box ] \mathcal{J} \sqcup \langle \neg \sqcup \mathcal{F} \nabla \vee [\neg \nabla \vee ] \mathcal{J} \dashv \Box ] \mathcal{J} \sqcup \langle \neg \square \mathcal{F} \vee [\neg \vee ] \mathcal{J} \sqcup \langle \neg \square \mathcal{F} \vee [\neg \vee ] \mathcal{J} \sqcup ] \mathcal{J} \sqcup \langle \neg \square \mathcal{F} \vee [\neg \vee ] \mathcal{J} \sqcup ] \mathcal{J} \sqcup \langle \neg \square \mathcal{F} \vee [\neg \vee ] \mathcal{J} \sqcup [\neg \square \mathcal{F} \vee ] \mathcal{J} \sqcup ] \mathcal{J} \sqcup \langle \neg \square \mathcal{F} \vee [\neg \vee ] \mathcal{J} \sqcup [\neg \square \mathcal{F} \sqcup ] \mathcal{J} \sqcup [\neg \square \mathcal{F} \vee ] \mathcal{J} \sqcup [\neg \square \mathcal{F} \vee ] \mathcal{J} \sqcup [\neg \square \mathcal{F}$ 
$$\label{eq:constraint} \begin{split} \label{eq:constraint} \sqrt[]{} \mathcal{L}_{\mathcal{A}} \mathcal{D}_{\mathcal{A}} \mathcal{D} \mathcal{D}_{\mathcal$$
 $\int \Box [ | ] | \Box \rangle \Box ] \dashv \langle [ \sqrt{f^{\dagger}} \langle \langle t \rangle \rangle ] \dashv t \sqrt{ | \nabla f \sqrt{f^{\dagger}} | \Box \rangle } \Box ] \nabla \Box \dashv [ ] \int [ \langle U \langle \langle t \rangle \Box ] t \rangle \langle R ] t \rangle \langle f ] ] \langle U \rangle \langle T \rangle \rangle$  $\mathcal{J} = \mathcal{J} = \mathcal{I} =$  $\label{eq:product} $ |\langle\rangle | \\ \emptyset \rangle \\ f = |\langle \rangle | \\ \langle \rangle | \\ | \\$  $\label{eq:constraint} \langle \rangle f] ff + \uparrow \uparrow \mathcal{L} + \downarrow \rangle \sqcup ] \nabla + \sqcup \sqcap \nabla + + \downarrow \uparrow \langle \wr \nabla + [ ] \downarrow ] \nabla \rangle \ddagger ] \setminus \uparrow \Leftarrow \mathcal{L} \rangle \sqcup ] \nabla + \sqcup \sqcap \nabla ] + \sqcup \sqcup \langle ] \sqcup \rangle \ddagger ] \wr \{$   $\mathcal{L} = \mathcal{L} =$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $f | f| \\ f | \\ f$ 

A = $\mathcal{A}^{+}_{\mathcal{A}} \\ \mathcal{B}_{\mathcal{A}} \\ \mathcal{B}_{\mathcal{A}$  $2\{\Box(\Box \Box \Box L) \land c \uparrow c \uparrow c \uparrow c \uparrow c \downarrow ) \ d \downarrow \ d$  $\underline{\mathcal{I}}_{\mathcal{I}}$  $\simeq |-1] Iu(]u) I \simeq Iu(|-1v] + |-1v| < |-1v| <$  $( \mathcal{A} \to \mathcal{A}$  $\nabla \left[ \neg \downarrow \right\rangle \int \Box \nabla \left[ \neg \bigtriangledown \right\rangle \right] + \left[ \neg \downarrow \right\rangle \left[ \neg \downarrow \right] + \left[ \neg \downarrow \right\rangle \left[ \neg \downarrow \right] \right] + \left[ \neg \downarrow \right\rangle \left[ \neg \downarrow \right] + \left[ \neg \downarrow \right\rangle \left[ \neg \downarrow \right] \right] + \left[ \neg \downarrow \right] + \left[ \neg \rightarrow \left[ \neg \downarrow \right] + \left[ \neg \rightarrow \left[ \neg \downarrow \right] + \left[ \neg \rightarrow \left[ \neg \rightarrow$ 

$$\begin{split} & = \langle \eta \rangle f \downarrow \varphi = \langle \eta \rangle f$$

 $\uparrow \mathcal{E} \sqsubseteq \\ \uparrow \mathcal{U} \land \neg \mathcal{V} \land \nabla \land \nabla \land \nabla \land \forall \uparrow ] [\mathcal{P}] \nabla \sqcap [\sqcap \nabla \land \land \land \forall \mathcal{V} \land \mathcal{V} \land \forall \mathcal{V} \land \forall \mathcal{V} \land \mathcal{V} \land \mathcal{V} \land \mathcal{V} \land \mathcal{V} \land \mathcal{V} \land \mathcal{V} \land$ 

 $\Box (\neg \Box \Box ) \Rightarrow (\neg \Box \Box ) \Rightarrow (\neg )$  $\nabla \dashv \sqcup \langle ] \nabla \dashv \sqcup \dagger _{\checkmark} ] \wr \{ \dashv \rfloor \sqcup \rangle \wr \backslash \lfloor \dashv f ] [ \wr \backslash \sqcup \langle \nabla ] ] \rfloor \nabla \rangle \sqcup ] \nabla \rangle \dashv \neg \uparrow \mathcal{S} \sqcap ] \langle \dashv \rfloor \sqcup \rangle \wr \rangle f \Leftrightarrow \{ \wr \nabla _{\checkmark} \sqcap \lfloor \ddagger \rangle \}$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathcal{S}_{\text{I}}_{\text{I}} = \mathcal{S}_{\text{I}}_{\text{I}} = \mathcal{S}_{\text{I}} = \mathcal{S}_{\text{I}} = \mathcal{S}_{\text{I}} = \mathcal{S}_{\text$  $\neg f \Box \ [] \nabla f \sqcup i i [[ \dagger W] f \sqcup ] \nabla \ (i \exists V f \Leftrightarrow \neg f \neg f \land (i \exists V f \land (\mathcal{E} \sqsubseteq ) f \neg f \neg f \land (i \exists V f \land (\mathcal{E} \sqcup ) \nabla \nabla (\mathcal{V} \land (\mathcal{E} \sqcup ) \nabla \nabla (\mathcal{V} \land (\mathcal{E} \sqcup ) \nabla \nabla (\mathcal{V} \land (\mathcal{E} \sqcup ) \vee (\mathcal{E} \sqcup ) (\mathcal{E} \sqcup ) (\mathcal{V} \land (\mathcal{E} \sqcup ) (\mathcal{E$  $\label{eq:linear} \{ \texttt{i} \ \texttt$ 

 $t^{1}\nabla_{\rm I}=t^{1}+t^{1}\nabla_{\rm I}=t^{1}+t^$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 
$$\label{eq:linear_state} \label{eq:linear_state} \begin{split} \int \Box & \dashv \Box \right\} \\ \label{eq:linear_state} \int \Box & \dashv \Box \right\} \\ & \land \Box \\ & \Box \\ &$$
 $\\ \left[ \uparrow f \sqcup \dashv \backslash [] \nabla \Leftrightarrow \dashv ] \rangle \sqcup \rangle \ddagger ] \backslash \rangle \backslash \sqsubseteq \wr \ddagger [ \land ] \rangle \sqcup \langle ] \nabla \sqsupseteq \rangle \sqcup \langle \mathcal{S} ] \backslash [] \nabla \wr \mathcal{L} \sqcap \Uparrow \rangle \backslash \wr f \wr \wr \nabla \sqcup \langle ] \\$  $\label{eq:constraint} \label{eq:constraint} \end{tabular} \end{tabular$ 

 $\label{eq:constraint} [] \label{eq:constraint} [] \label{eq:constrain$  $\mathcal{B} \vdash [\mathsf{I} \vdash \mathsf{I} \vdash$  $\underline{\mathcal{P}}_{1} = \underline{\mathcal{P}}_{1} = \frac{\mathcal{P}}_{1} =$  $\leftarrow \texttt{f} \\ \texttt{I} \\ \texttt{I}$  $( \Box \land f \Box \land \nabla \uparrow f \Rightarrow \uparrow \Leftarrow \exists \infty \Rightarrow \swarrow \mathcal{E} \land f \Box \land f$  $\mathcal{C} \text{ for } \mathcal{C} \text{ for }$  $\mathcal{L} = \mathcal{L} =$  $\sqsubseteq \times \time$ 

 $\exists \forall \mathsf{U} \\ \exists \mathsf{V} \\ \mathsf{U} \\ \forall \mathsf{V} \\ \mathsf{V} \\ \mathsf{U} \\$ 

C(+) f  $A ( \Box ( [] \nabla ( {f} ] ] ) ) W() \geq f \{ ) \nabla f \cup ( Z [] ) \Leftrightarrow E( \cup [] \cup ( U ) \otimes \Box ( {f} [) ) \cup ( U ) W() + \Leftrightarrow H )$   $[ + \nabla ( + ) [ \{ ( \nabla () ] \nabla ] ( ) \{ + \Rightarrow ) \setminus L ) \oplus H \geq f B ] ( A \subseteq [ ] \cap [ ] \checkmark T(] ) \otimes U ] f \oplus H \cap [ ) \cup [ N ] \{ \cup ( ] ]$   $f ( ( \nabla \cup ( ) ) \otimes U ) \otimes H ) = [ - ] \otimes H ( F \land ( A \subseteq [ ] \cap [ ] ) \checkmark T(] ) \oplus U ) ] \oplus U ] \oplus$ 

$$\begin{split} \mathcal{E} & \equiv \left[ \left( \Box \left( \Box \right) \right) \left( \Box \left( \Box \right) \right) \left( \Box \right) \right) \left( \Box \left( \Box \right) \left( \Box \left( \Box \right) \left( \Box \left( \Box \right) \left( \Box \left( \Box \right) \right) \left( \Box \left( \Box \right) \left( \Box \right) \left( \Box \left( \Box \right) \left( \Box \right) \left( \Box \right) \left( \Box \left( \Box \right) \left( \Box \right) \left( \Box \right) \left( \Box \right) \left( \Box \left( \Box \right) \left( \Box \right) \left( \Box \right) \left( \Box \left( \Box \right) \left( \Box \right) \left( \Box \right) \left( \Box \right) \left( \Box \left( \Box \right) \left( \Box \right) \left( \Box \right) \left( \Box \left( \Box \right) \left( \Box \right) \left( \Box \right) \left( \Box \left( \Box \right) \left( \Box \right) \left( \Box \left( \Box \right) \left( \Box \right) \left( \Box \right) \left( \Box \left($$

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 $\uparrow \mathcal{K} \uparrow \mathcal{H} = \mathcal{K} = \mathcal{H} = \mathcal{K} = \mathcal{H} = \mathcal{K} = \mathcal{K}$  $\sqcup \& \Vert \sqcup \& \exists \nabla \rangle \sqcup \rangle \\ \exists \neg \uparrow [] \rangle \\ \exists \neg \neg \sqcup \rangle \Box ] \\ \exists \neg \uparrow \nabla \rangle ] \\ \downarrow ] \\ \checkmark \uparrow^{\bigtriangleup \bigtriangledown'}$  $\mathcal{W}(\mathsf{A}) = \mathsf{A}(\mathsf{A}) = \mathsf{A$  $\label{eq:constraint} $$ \ \nabla = \int [ ] \ \nabla$  $+ \left( \left[ + \int \right] \left[ - \int \right] \left[ + \left[ \right] \right] \left[ + \left[ \right] \right] \left[ - \nabla \right] \right] \left[ + \left[ - \nabla \right] \left[ + \left[ - \nabla \right] \left[ + \left[ - \nabla \right] \right] \left[ + \left[ - \nabla \right] \right] \left[ + \left[ - \nabla \right] \left[ + \left[ - \nabla \right] \right] \left[ + \left[ - \nabla \right] \left[ + \left[ - \nabla \right] \right] \left[ + \left[ - \nabla \right] \left[ + \left[ - \nabla \right] \right] \left[ + \left[ - \nabla \right] \left[ + \left[ - \nabla \right] \right] \left[ + \left[ - \nabla \right] \left[ + \left[ - \nabla \right] \left[ + \left[ - \nabla \right] \right] \left[ + \left[ - \nabla \right] \left[ + \left[ - \nabla \right] \left[ + \left[ - \nabla \right] \right] \left[ + \left[ - \nabla \right$ 
$$\label{eq:linearized_states} \begin{split} f(\mathbf{k}) & (\mathbf{k}) = (\mathbf{k}) \\ f(\mathbf{k}) & (\mathbf{k}) = (\mathbf{k}) \\ f(\mathbf{k}) & (\mathbf{k}) \\$$
 $+ \Box_{\mathcal{V}} ( \nabla_{\mathcal{V}} \nabla_{\mathcal{V}} \nabla_{\mathcal{V}} ) ) \\ + \Box_{\mathcal{V}} ( \nabla_{\mathcal{V}} \nabla_{\mathcal{V}} \nabla_{\mathcal{V}} ) \\ + \Box_{\mathcal{V}} ( \nabla_{\mathcal{V}} ) \\ + \Box_{\mathcal{V}} ( \nabla_{\mathcal{V}} \nabla_{\mathcal{V}} ) \\ + \Box_{\mathcal{V} } ( \nabla_{\mathcal{V}} ) \\ + \Box_{\mathcal{V}} ( \nabla_{\mathcal{V}} ) \\ + \Box_{\mathcal{V}} ( \nabla_{\mathcal{V}} ) \\ + \Box_{\mathcal{V}} ( \nabla_{\mathcal{V} } ) \\ + \Box_{\mathcal{V}} ( \nabla_{\mathcal{V}} ) \\ + \Box_{\mathcal{V}} ( \nabla_{\mathcal{V}} ) \\ + \Box_{\mathcal{V}} ( \nabla_{\mathcal{V}} ) \\ + \Box_{\mathcal{V}} ( \nabla_{\mathcal{V} } ) \\ + \Box_{\mathcal{V} } ( \nabla_{\mathcal{V} } ) \\ + \Box_{\mathcal{V}} ( \nabla_{\mathcal{V}} ) \\ + \Box_{\mathcal{V}$ 

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 $\label{eq:constraint} $$ \label{eq:constraint} $$ \label{eq:constrain$  $\sqrt{\nabla} \square \square \uparrow \mathcal{L} \land \downarrow \mathcal{L} \land \uparrow \mathcal{L} \land \uparrow \mathcal{L} \land \uparrow \mathcal{L} \land \uparrow \mathcal{L} \land \downarrow$  $\label{eq:constraint} $$ \{ \texttt{Af} \} \\ $ (\texttt{Af} ) \\ $ ($  $\mathsf{I}_{\mathcal{I}} = \mathsf{I}_{\mathcal{I}} =$  $\neg \neg \nabla \neg \checkmark \mathcal{S}$  $\Leftarrow \mathcal{U} \\ \forall \mathcal{D} \\ \exists \mathcal{C} \\ \exists$  $\neg \langle [\mathcal{Q} \sqcap \rangle \downarrow ] \neg \mathcal{B} \land \sqcap \downarrow ] \sqsubseteq \neg \nabla [ \cup \wr \nabla \Leftrightarrow \mathcal{V} \land f \rangle \sqcup \mathcal{O} \sqcap \nabla \mathcal{S} \sqcap [ \sqcup ] \nabla \nabla \neg \langle ] \neg \langle \mathcal{A} \bigtriangledown ] \neg f \uplus \Rightarrow \Leftrightarrow \swarrow \forall \Box \lor \neg \uparrow \downarrow$  $\nabla \left[ \mathbf{1} \right] = \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] = \left[ \mathbf{1} \right] \left[ \mathbf{1} \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \left[ \mathbf{1} \right] \left[ \mathbf{1} \right] \left[ \mathbf{1} \left[ \mathbf{1} \left[ \mathbf{1} \right] \left[ \mathbf{1} \left[ \mathbf{1} \left[ \mathbf{1} \left[ \mathbf{1} \right] \left[ \mathbf{1} \left[ \mathbf{1} \left[ \mathbf$ 

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 $[] = \frac{1}{2} + \frac{1}{2} +$  $\texttt{interm} = \texttt{interm} = \texttt{in$  $\nabla ] \int_{\mathcal{N}} \langle f | \Leftrightarrow ] \setminus [ \neg \mathcal{N} \setminus [ \neg \mathcal{N} \setminus ] \rangle ] \nabla \Box \sqsubseteq \rangle \neg \langle f | \downarrow \rangle ] \sqcup \dagger \sqsupseteq \rangle \sqcup \langle \{ ] \neg \nabla \Leftrightarrow \sqcup \wr \nabla \sqcup \Box \nabla ] \Leftrightarrow \neg \setminus [ \neg \mathcal{N} \cap \mathcal{N}$  $f \left[ \left( f \right) \right] \left[ f \right] \left[ \left( f \right) \left[ \left( f \right) \right] \left[ \left( f \right) \right] \left[ \left( f \right) \left[ \left( f \right) \right] \left[ \left( f \right) \right] \left[ \left( f \right) \left[ \left( f \right) \right] \left[ \left( f \right) \right] \left[ \left( f \right) \left[ \left( f \right) \right] \left[ \left( f \right) \left[ \left( f \right) \right] \left[ \left( f \right) \left[ \left( f \right) \right] \left[ \left( f \right) \left[ \left( f \right) \right] \left[ \left( f \right) \left[ \left( f \right) \right] \left[ \left( f \right) \left[ \left( f \right) \left[ \left( f \right) \left[ \left( f \right) \right] \left[ \left( f \right) \left[ \left( f \right$  $\Box \forall \nabla ] \{ \downarrow ] \sqcup \neg \lor \rangle \setminus ] \{ \{ \neg [ \downarrow ] \nabla ] \neg \downarrow \rangle \sqcup \dagger \swarrow \mathcal{T} \langle ] \lor \neg \downarrow ] \} \nabla \wr \Box \checkmark \mathcal{K} \downarrow \land \neg \downarrow ] \dashv \leftarrow \underline{\downarrow \downarrow \wr \neg \downarrow} \dashv$ 

 $\rangle \} \\ \langle \nabla \rceil \lceil \emptyset \rangle \sqcup \rangle \\ \int \int \langle \uparrow \uparrow \rangle ] \\ \exists \sqcup \rceil \lceil \swarrow \mathcal{T} \langle \nabla \rangle \sqcap \} \\ \langle \dashv \Uparrow \rangle \\ \\ \S \sqcup \sqcap \nabla \rceil \\ i \{ \updownarrow \rceil \sqcup \langle \dashv \nabla \} \\ \dagger \Leftrightarrow$ 

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 $\exists \forall \nabla f \sqcup \exists \rangle \sqcup \backslash \exists f \exists f \land \mathcal{T} \langle \exists \uparrow \neg \nabla \rbrack \rangle \sqcup \langle \exists \uparrow \rangle \backslash \exists \langle \exists \uparrow \rangle \backslash \exists \downarrow \downarrow \rangle \sqsubseteq \exists \neg \exists \uparrow \rangle \exists \uparrow \rangle \neg f \rangle \dashv \downarrow \rangle \sqcup \dagger \rangle f$ 

 $\mathcal{I} \setminus \mathcal{E}_{i} \to \mathcal{B} \cap \mathcal{I} \to \mathcal{I$  $\label{eq:constraint} $$ [] = ] \ \mathcal{R}_{0} \ [] \\ \mathcal{R}_{0} \ [] \ \mathcal{R}_{0} \ [] \\ \mathcal{R}_{0} \ [] \ \mathcal{R}_{0} \$  $\mathcal{M} \dashv \nabla \rangle ] \ddagger \dashv \mathcal{D} \nabla ] \ddagger \{ \sqcap f \Leftrightarrow \mathcal{E} [ \rangle \acute{a} \setminus \mathcal{N} \wr \sqsubseteq \wr \leftrightarrow \mathcal{G} \sqcap \rangle \ddagger \ddagger \mathcal{O} \land d \land \mathcal{O} \land$  $\mathcal{J} \hspace{-.1cm} = \hspace{-.1cm} \mathcal{J} \hspace{-.1cm} \mathcal{J} \hspace{-.1cm} \mathcal{J} \hspace{-.1cm} \mathcal{J} \hspace{-.1cm} = \hspace{-1cm} \mathcal{J} \hspace{-.1cm} \mathcal{J} \hspace{-.1cm}$  $\mathcal{K}_{l} = \mathcal{K}_{l} = \mathcal{K}_{l}$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\mathcal{T}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{\text{T}}}_{$  $\nabla ] | ] | U ] [ \langle j ] \$ \Box \dashv U ] \langle [ \backslash \downarrow \rangle ] j \swarrow \mathcal{T} \langle ] \dagger \exists ] \nabla ] \ddagger U ] [ \downarrow \downarrow \langle ] \uparrow \downarrow \rangle \subseteq \rangle \langle \} \rangle \langle j \sqcup \dashv \langle [ \sqcup \langle ] \langle \dashv \sqcup ] \rangle ] \downarrow \downarrow \downarrow \langle [ \downarrow \langle ] \land \downarrow \rangle ] \downarrow \downarrow \dashv \langle [ \sqcup \langle ] \langle \dashv \sqcup ] \rangle$  $+ \text{LNUSM} \Leftrightarrow \exists \nabla \rangle \sqcup ] \rangle \nabla \nabla ] \sqsubseteq ] \nabla ] \backslash \sqcup \textcircled{+} \rangle \{ ] \text{Ll} \text{if} \Leftrightarrow + \langle [ \sqrt{} \nabla \{ \wr \nabla (\downarrow \sqrt{} ) \sqcup \nabla \dagger \nabla ] \rfloor \rangle \sqcup + \textcircled{f} \rangle \rangle$ 

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$$\label{eq:constraint} \begin{split} |\nabla| + u\rangle (\langle - u\rangle (u) | + u\rangle (|1 + u\rangle | + u\rangle | + u\rangle (|1 + u\rangle | + u\rangle | + u\rangle (|1 + u\rangle | + u\rangle | + u\rangle (|1 + u\rangle | + u\rangle | + u\rangle | + u\rangle (|1 + u\rangle | + u\rangle |$$

 $\label{eq:main_states} $ ] = \frac{1}{2} \int \left( \frac{1}{2} \nabla_{1} \nabla_{1}$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constr$  $\{ - \Box - \uparrow \rangle / \Box \rangle ] - \langle \rangle / \rangle / \Box - \Box \cup \rangle \cup \Box \Box \Box - \uparrow A \nabla \cup \rangle / \Box / - \langle \neg \rangle / \Box J ] \rangle \langle \cup \nabla \rangle [\Box \cup ] [ \Leftrightarrow ] \sqsubseteq ] \langle \partial \rangle / \Box \rangle = \langle \partial A \nabla \cup \rangle / \Box A \nabla \cup A \nabla \cup$  $\underline{\mathcal{E}}_{\mathcal{I}}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}}_{\mathcal{I}}}_{\mathcal{I}}_{$  $\sqrt{\nabla (U-H)} ( \mathcal{M} - \nabla ( \mathcal{V} - \nabla ) + \mathcal{L} ) - \mathcal{L} ) - \mathcal{L} ) - \mathcal{L} ) - \mathcal{L} - \mathcal{L}$ 

 $\Leftarrow \underline{\mathcal{Cl}} = \nabla f + \underline{\Box} \times \mathbb{C} + \underline{\Box} = \mathcal{Cl} + \underline{\Box} \times \mathbb{C} + \underline{\Box} = \mathcal{Cl} + \underline{\Box} \times \mathbb{C} + \underline{\Box} \times + \underline{\Box} \times \mathbb{C} + \underline{\Box} \times + \underline{\Box} \times$ 

 $\mathcal{S}[\] \forall \mathcal{L}^{1} \to \mathcal{S}[\] \to \mathcal{S$  $\exists \exists \exists f \in \mathcal{T} = \mathcal{T$  $\label{eq:constraint} $$ \int \nabla_{1} \left( \nabla_{1} \left( \int \nabla_{1} \left( \nabla_{1} \left$  $\exists \exists \forall \mathcal{M} \in \mathcal{M} = \mathcal$  $\label{eq:linearized_states} $ \label{eq:linearized_states} $ \labele_s \label{eq:linearized_states} $$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} \end{tabular} \end{t$  $\int \Box_{\sqrt{\sqrt{2}}} \nabla \Box \mathcal{S} [ ] \nabla \partial_{\sqrt{2}} \mathcal{N} ] [ ] \mathcal{E} [ ] \dashv \nabla_{\sqrt{2}} ] \ \ \Box \dashv \Leftrightarrow \dashv [ \partial_{\sqrt{2}} ] ( ] \oplus \neg \neg ] \ \ \Box [ ] \nabla \partial_{\sqrt{2}} \mathcal{N} ]$  $\label{eq:linear} $$ \sum_{i=1}^{1} \left( \frac{1}{2} - \frac{1}{2}$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 

 $\text{And} (\nabla_{1}) = (\nabla_{1})$  $\mathcal{A}^{\text{I}}_{\text{I}} = \mathcal{A}^{\text{I}}_{\text{I}} = \mathcal{A}^{\text$  $\uparrow ] + j + i < \\ II = \\ f = \\$  $\label{eq:constraint} $$ \int U^{T} = \frac{1}{2} \left[ U^{$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{constraint} \label{eq:constraint} \label{eq:constra$  $\exists \mathbf{V} \\ \forall \mathbf{V} \\ \forall$  $f | f | \mathcal{T} = \mathcal{T} | \mathcal{T} =$ 

 $\label{eq:linear} \\ \label{eq:linear} \\ \lab$ 

 $\mathcal{S}_{\mathcal{V}} = \mathcal{S}_{\mathcal{V}} =$  $|\langle \mathsf{H} \rangle \backslash \{ \exists \wr \nabla \lceil f_{\mathscr{I}} \mathcal{T} \langle \rceil \Downarrow \wr \rangle \} \wr ] f \sqcup \langle \nabla \wr \sqcap \} \langle \dagger \wr \sqcap \neg f \parallel \dagger \neg \sqcup \wr \exists \dashv \nabla \lceil \exists \langle \mathsf{H} \sqcup \bot \mathcal{I} \backslash \sqcup \wr \sqcup \dashv \updownarrow$  $\mathbf{V} = \mathbf{V} =$  $\mathcal{E}_{\mathbf{D}}_{\mathbf$  $\neg ( \sqrt{\nabla} ) ( \mathbf{U} ) ] ( \langle \sqrt{\nabla} ) ( \mathbf{U} ) ] ( \langle \sqrt{\nabla} ) ( \mathbf{U} ) ] ( \mathbf{U} ) ] ( \mathbf{U} ) ( \mathbf{U} ) ( \mathbf{U} ) ( \mathbf{U} ) ) ) ( \mathbf{$  $\sqrt{\nabla} \left( \Box \rightarrow \left( \nabla \left( \Box \rightarrow \left( \Box$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $f] \sqsubseteq \exists \nabla \exists \forall u \langle \exists \nabla d \rangle \langle f \langle d \rangle \langle f \rangle$ 

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 $| \rangle \rangle f | [ \Box ] ] [ [ \dagger \Box \rangle t ] ] ] | \langle \swarrow \mathcal{M} \rangle f \Box ] \ddagger \mathcal{R} i [ \nabla i ] \Box ] \ddagger \mathcal{L} \rangle \tilde{n} \acute{a} \langle \Leftrightarrow \rangle \backslash \langle \rangle f \nabla ] \sqsubseteq \rangle ] \supseteq i \{ \underline{\mathcal{E}} \uparrow \underline{\mathcal{E}} \uparrow \underline{\mathcal{E}} \uparrow \underline{\mathcal{E}} \rangle ] = i \{ \underline{\mathcal{E}} \uparrow \underline{\mathcal{E}} \uparrow \underline{\mathcal{E}} \downarrow ] ] = i \{ \underline{\mathcal{E}} \uparrow \underline{\mathcal{E}} \uparrow \underline{\mathcal{E}} \downarrow ] ] = i \{ \underline{\mathcal{E}} \uparrow \underline{\mathcal{E}} \uparrow \underline{\mathcal{E}} \downarrow ] ] = i \{ \underline{\mathcal{E}} \uparrow \underline{\mathcal{E}} \downarrow ] ] = i \{ \underline{\mathcal{E}} \uparrow \underline{\mathcal{E}} \downarrow ] ] = i \{ \underline{\mathcal{E}} \uparrow \underline{\mathcal{E}} \downarrow ] ] = i \{ \underline{\mathcal{E}} \downarrow \} \}$  $\label{eq:constraint} \label{eq:constraint} \end{tabular} \\ \end{tabular} \end{tabul$  $- \Box \cup \Box \cup \Box \cup \Box = 0 \\ + \Box \cup U \\ + \Box \\ +$  $\sqrt{-1} = \sum_{i=1}^{n} |\nabla_i = \sum_{$  $\uparrow \left\{ \uparrow \right\} \\ \left\{ \downarrow \right\} \\ \left\{$  $\label{eq:constraint} \\ \end{tabular} \\ \end$ 

 $\mathcal{I}_{U} = \mathcal{I}_{U} = \mathcal{I}_{U}$  $\sqsubseteq \rangle ] \supseteq \rangle \backslash \} [ \rangle f \Downarrow ] \Uparrow [ ] \nabla ] [ [ \wr [ \rangle ] f \dashv \{ \sqcup ] \nabla \dashv \sqcup \nabla \dashv \rangle \backslash \supseteq \nabla ] \rfloor \| \wr \nabla \supseteq \langle ] \sqcup \langle ] \nabla \rangle \sqcup \rangle f \dashv \langle \dashv \updownarrow \Downarrow \sqcap \rangle \rangle \land \Leftrightarrow$  $+ \int \langle | \langle U \rangle | \int U \langle U \rangle | | \nabla U \rangle | | \nabla U \rangle | \langle U \rangle | | \langle U \rangle$  $\mathcal{H} = \mathcal{V} =$ 

 $\langle \Box \langle \Box \rangle \rangle \langle \Box \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle$  $(\langle \mathcal{T} \cap \mathcal{T} \downarrow \rangle) = \mathcal{T} \cap \mathcal{T} \cup \mathcal{T} \cup \mathcal{T} \cap \mathcal{T} \cup \mathcal{T} \cap \mathcal{T} \cup \mathcal{T} \cap \mathcal{T} \cup \mathcal{T} \cup \mathcal{T} \cap \mathcal{T} \cup \mathcal{T} \cup$  $(\uparrow) = \langle \uparrow \rangle = \langle \downarrow \rangle = \langle \downarrow \rangle = \langle \uparrow \rangle = \langle \downarrow \to \rangle = \langle \uparrow \rangle = \langle \downarrow \to \rangle = \langle \uparrow \rangle = \langle \uparrow \rangle = \langle \downarrow \to \rangle = \langle \downarrow \to$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constrai$  $\label{eq:constraint} $ \left\{ \nabla_{1} \left\{ \left\{ \nabla_{1} \left$  $\mathcal{W}() \cong \mathcal{H}(\mathcal{U}) \cong \mathcal{H}(\mathcal{$  $\mathcal{S}[[]\nabla \mathcal{O}_{\mathcal{I}})] \rightarrow \mathcal{O}_{\mathcal{I}} \rightarrow \mathcal{O}_{\mathcal{I}}) \rightarrow \mathcal{O}_{\mathcal{I}} \rightarrow \mathcal{$ 

 $\mathcal{L} = \mathcal{L} =$  $\mathcal{H}^{\text{I}}_{\mathcal{A}}}^{\text{I}}_{\mathcal{A}}^{\text{I}}_{$  $\mathcal{D}^{\dagger}_{\mathbf{Q}} = \mathcal{D}^{\dagger}_{\mathbf{Q}} = \mathcal{D}^{\dagger}_{$  $[\dagger \ \exists \mathcal{T} \ \forall \mathcal{T} \ \mathcal{T}$  $\int \Box \{ \{ \exists \nabla f \} \wr \langle f \sqcup \exists \forall \Box \} | f \sqcup \rangle \sqcup \langle \rangle \oplus \exists \} ] f \wr \{ \exists \neg \nabla \lfloor i \oplus \lfloor \rangle \} f \Leftrightarrow \exists \mathcal{B} \Box [ \lceil \langle \rangle f \sqcup \oplus i \rangle ] \}$  $\label{eq:product} \end{tabular} \\ \end{tabu$  $\label{eq:started} \end{started} \end{star$  $\label{eq:constraint} $$ $ \nabla - 1 = 0 \\ $ \nabla + 1 = 0 \\ $ \nabla + 1 = 0 \\ $ \nabla - 1 = 0 \\ $ \nabla$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:co$  $| \langle \uparrow \uparrow \rangle \Box \langle \neg \downarrow \rangle \langle \Box \rangle \langle \Box \Box \nabla \Box \Box \nabla ] [ \rangle f \Box \langle \uparrow \neg \nabla \nabla \Box \Box \nabla \rangle \nabla f \partial f \partial f \rangle \langle \Box \downarrow \rangle \langle \Box \rangle \langle \Box \downarrow \downarrow \rangle \langle \Box \downarrow \downarrow \rangle \langle \Box \downarrow \rangle \langle \Box \downarrow \downarrow \rangle \langle \Box \downarrow \downarrow \rangle \langle \Box \downarrow \rangle \langle \Box \downarrow \downarrow \rangle \langle \Box \sqcup \downarrow \downarrow \downarrow \downarrow \rangle \langle \Box \downarrow \downarrow \downarrow \downarrow \rangle \langle \Box \downarrow \downarrow \downarrow \downarrow \downarrow \downarrow \rangle \langle \Box \downarrow \downarrow \sqcup \downarrow \downarrow \downarrow \downarrow \downarrow \downarrow \downarrow \downarrow \Box$ 

 $\nabla ] = \frac{1}{2} \int dt = \frac{1}{2} \int dt$  $\label{eq:point_states} \end{tabular} \\ \end{tabular} \e$  $\mathcal{T}_{1}^{\mathbf{T}_{1}} = \mathcal{T}_{1}^{\mathbf{T}_{1}} = \mathcal{T}_{1}^{\mathbf{T}_{1}}$  $\mathcal{S} \ \ \mathcal{S} \ \mathcal{$  $\nabla ] ] + (1) + (1$  $\mathcal{U}_{\text{I}}_{I$ 

 $\label{eq:constraint} $$ \ \mathcal{M} \to \mathcal$  $\nabla ] \sqsubseteq \wr \square \land \land \checkmark \mathcal{N} i \sqsupseteq \land \land \square i \cap \square i \land \square i \land \square i \land \square i \cap \cap \square i \cap \square i \cap \square i$  $\label{eq:linear} \end{tabular} \end{tabul$  $\Box(\neg \Box \land \uparrow \uparrow \land \uparrow ) \Box \neg \uparrow \uparrow \land \downarrow \uparrow ] \land f ]$  $\texttt{I}_{\mathrm{UU}} = \texttt{I}_{\mathrm{UU}} = \texttt{I}$ 

 $\label{eq:constraint} \end{aligned} \end{$  $\left[ \left\{ \sqrt{\mathcal{T}} \right\} \right] \left[ \left\{ \left\{ \sqrt{\mathcal{T}} \right\} \right\} \right] \left[ \left\{ \left\{ \sqrt{\mathcal{T}} \right\} \right\} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right\} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right\} \right] \right] \left[ \left\{ \sqrt{\mathcal{T}} \right\} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right\} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right\} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right\} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right\} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right\} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right\} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right\} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right] \left[ \left\{ \sqrt{\mathcal{T}} \right] \left[ \left(\sqrt{\mathcal{T}} \right] \left$  $\label{eq:constraint} $ \sum_{i=1}^{n} \left\{ \left\{ -\frac{1}{2} \right\} \right\} = \left\{ -\frac{1}{2} \left\{ -\frac{1}{2} \right\} = \left$  $\label{eq:constraint} [\dagger\rangle\rangle\}_{\checkmark}\mathcal{I} \sqcup \mathfrak{f} \Box [\uparrow\langle \wr \dashv \parallel \dagger \Leftrightarrow \lfloor \sqcap \sqcup \rangle \sqcup \rfloor \wr \backslash \sqcup \rangle \land \sqcap \lceil \emptyset \langle \rangle \mathfrak{f} \Diamond \sqsubseteq \rbrack \langle \dashv \lceil \sqcup \sqcap \nabla \land \rceil \lceil \rangle \backslash \sqcup \wr \mathfrak{f} \sqcap \{\{ \urcorner \nabla \rangle \} \Leftrightarrow$  $\langle \exists \forall \Box \nabla \Box \nabla \exists \rangle \rangle \langle \rangle \rangle \rangle \land \uparrow^{\triangle \infty} \mathcal{A} f \sqcup \langle \wr \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \rangle \langle \Box \rangle \rangle \rangle \langle \Box \rangle \rangle \langle \Box \rangle \rangle \rangle \langle \Box \rangle \langle \Box$  $\label{eq:point_states} \langle f \rangle \\ \int \mathcal{V} | \Box \rangle \\ \langle \mathcal{L} \mathcal{T} | \Box \Box \nabla | \Box \nabla | \Box \rangle \\ \langle \mathcal{L} \mathcal{T} | \Box \nabla | \Box \rangle \\ \langle \mathcal{L} \mathcal{T} | \Box \nabla | \Box \rangle \\ \langle \mathcal{L} \mathcal{T} | \Box \nabla | \Box \rangle \\ \langle \mathcal{L} \mathcal{T} | \Box \nabla | \Box \rangle \\ \langle \mathcal{L} \mathcal{T} | \Box \rangle \\ \langle \mathcal{L} |$  $2 [ ] ] \sqcup 2 [ ] J \sqcup 2 [ ] J \sqcup 2 L \Box \rangle J \square 2 L \square 2 L$  $]\langle \neg \nabla \neg ] \sqcup ] \nabla \int \Box \{ \{ ] \nabla f \langle \rangle f \downarrow z \sqsubseteq ] \nabla \simeq f \nabla ] | ] ] \sqcup \rangle z \backslash \neg \backslash [ ] \langle \neg f ] f \langle ] \nabla \sqcup z \neg [ \Box f ] \sqcup \neg u \rangle z \backslash \swarrow$ 

 $|\langle \neg \nabla \neg | \sqcup \rangle \nabla f \simeq \langle f | f \rangle \langle \neg \neg \vee \rangle | \exists \langle \neg \vee \downarrow \rangle | \exists \langle \nabla \downarrow \uparrow \sqsubseteq \rangle ] \exists \swarrow \mathcal{I} \sqcup \neg \Diamond \downarrow \rangle | f \mathcal{W} \rangle | f \mathcal{W} \rangle | \leq f$ 
$$\label{eq:constraint} \begin{split} \label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \end{tabular} \end{tabular} \label{eq:constraint} \end{tabular} \end{tabular}$$
 $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:linearized_linearized$  $\mathbf{A} = \mathbf{A} =$  $( | \langle \neg \nabla \rangle \cup \neg \rangle \langle \neg \nabla \rangle \cup \neg \rangle \langle \neg \rangle ) = ( | \rangle \uparrow \uparrow \rangle \rangle \langle \rangle f ( \nabla \uparrow \neg \nabla \uparrow \rangle \Box \Box \neg \nabla \neg \mathcal{C} \neg \uparrow \uparrow \uparrow \uparrow \Box \rangle \langle \neg \nabla \cup \rangle \uparrow \uparrow \rangle$  $| = \mathcal{I} = \mathcal{$  $\sqrt{\nabla} \left\{ \Box \right\} \left\{ \left\{ \Box \right\} \right\} \left\{ \Box \right\} \left$ 

 $\mathcal{W}(\texttt{I}) = \mathcal{V}(\texttt{I}) = \mathcal{V$  $\int || \langle | \nabla f \rangle | \nabla f \rangle | \nabla \nabla d u \rangle = | = \langle | \rangle | \rangle \int \nabla f \langle \psi \rangle | | u \rangle | | \nabla u d \rangle | \int | u \rangle \langle f \rangle \langle f u \rangle | u \rangle | | u \rangle \langle f \rangle | u \rangle | | u \rangle \langle f \rangle | u \rangle | | u \rangle \langle f u \rangle | u \rangle | | u \rangle \langle f u \rangle | u \rangle | | u \rangle \langle f u \rangle | | u \rangle | | u \rangle \langle f u \rangle | | u \rangle | | u \rangle \langle f u \rangle | | u \rangle \langle f u \rangle | | u \rangle | u \rangle \langle f u \rangle | | u \rangle | u \rangle \langle f u \rangle | | u \rangle | u \rangle$  $+ \left| \sqcup \right\rangle \wr \left( \sqcup + \left| \left| \right\rangle \right\rangle + \left\langle \left( + \left| \sqcup + \right\rangle \right\rangle \right\rangle \right) \mathcal{P} + \nabla \right\rangle \mathcal{I}_{\mathcal{L}} \mathcal{H} \wr \exists \left| \exists \right| \nabla \Leftrightarrow \left| U \right\rangle \right\rangle \langle \nabla \mathcal{I}_{\mathcal{L}} \mathcal{V} + \left| U \right\rangle \right\rangle \langle \nabla \mathcal{I}_{\mathcal{L}} \mathcal{V} + \left| U \right\rangle \langle \mathcal{V} + \left| U \right\rangle \mathcal{I} \langle \mathcal{V} + \left| U \right\rangle \langle \mathcal{V} + \left| U \right\rangle \mathcal{I} \langle \mathcal{V} + \left| U \right\rangle \mathcal{I$  $\label{eq:constraint} \label{eq:constraint} \end{tabular} \\ \end{tabular} \label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \end{tab$  $2\nabla_{1} + (-1)$ 

 $\mathcal{H}^{\text{I}}_{\text{I}} = \mathcal{I}^{\text{I}}_{\text{I}} = \mathcal{I}^{\text$ 

 $\operatorname{Im}[\operatorname{Im}] \setminus \operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}[\operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}[\operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im}[\operatorname{Im}[\operatorname{Im}[\operatorname{Im}[\operatorname{Im}] \cap \operatorname{Im}[\operatorname{Im$ 

 $\mathcal{A}^{1}_{\mathcal{V}} = \mathcal{A}^{1}_{\mathcal{V}} = \mathcal{A}^{1}_{$  $\neg \left( \sqrt{\nabla \neg f} \right) \left( \Box \right) \left($  $\label{eq:constraint} \end{tabular} \\ \end{tabular} \\ \end{tabular} \end{tabular} \\ \end{tabular} \\ \end{tabular} \\ \end{tabular} \end{tabular} \\ \end{tabul$  $\mathcal{A}_{f} \\ \underline{\mathcal{E}_{I}} \\ \underline{\mathcal$  $\exists \{ \forall \nabla \sqcup (\{\nabla \wr U \sqcup (] \bigvee \nabla ] f] \sqcup ( \mathcal{P} \exists \nabla f \Leftrightarrow \sqcup \wr \sqcup (] \mathcal{L})$  $\mathcal{P} = \nabla - d + \left( \left[ - \frac{1}{2} \right] - \frac{1}{2} \right) = \left[ - \frac{1}{2} \right] - \left[ - \frac{1}{2} \right]$  $(\mathcal{P} \dashv \nabla) f \Leftarrow \nabla ] \text{ for } \mathcal{V} \land f \downarrow ] \land \mathcal{V} \land$  $\label{eq:point_states} \label{eq:point_states} \lab$  $\label{eq:constraint} \langle f(t) = f(t)$ Lit = $t^{1}_{1} = \frac{1}{2} + \frac{$ 

 $\bigtriangleup$ 

 $\mathcal{I}_{\forall} = \mathcal{I}_{\forall} = \mathcal{I}_{\forall}$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\int | \uparrow \rangle + | \Box | \langle \rangle | + \langle \rangle | + \langle \langle \rangle | \rangle | \langle \langle \rangle | + \langle \langle \rangle | + \langle \rangle | \rangle | \langle \langle \rangle | + \langle \langle \rangle | + \langle \rangle | \rangle | \langle \langle \rangle | + \langle \langle \rangle | + \langle \rangle | \rangle | \langle \langle \rangle | + \langle \langle \rangle | + \langle \rangle | \rangle | \langle \langle \rangle | + \langle \langle \rangle | + \langle \rangle | + \langle \langle \rangle | + \langle \rangle | + \langle \langle \rangle | + \langle \rangle | + \langle \rangle | + \langle \langle \rangle | + \langle \rangle | + \langle \langle \rangle | + \langle \rangle$  $\mathcal{S}_{\mathsf{T}} = \mathcal{S}_{\mathsf{T}} =$  $\mathcal{K}_{1}^{+} = \mathcal{K}_{1}^{+} = \mathcal{K}$  $\Box [\nabla ] = [\nabla ] = [\Box ] = [\Box ] = [\Box ] = [\nabla ]$  $\mathcal{S} = \left[ \exists \mathcal{I} = \mathcal{$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 

 $- \Box \Box \nabla + \Box \Box [\Box t] [\Box t] ] \ (\Box t) = 0 \ (\Box t) = 0$  $\underline{\mathcal{S}}_{\text{A}}$  $\label{eq:product} \label{eq:product} \end{subscript{0.5}} \end{subscr$  $\mathcal{A}_{\text{I}}(\text{I}_{\text{I}}) = \mathcal{A}_{\text{I}}(\text{I}_{\text{I}}) = \mathcal{A}_{\text{I}}(\text{I}) = \mathcal{A}_$ 
$$\label{eq:constraint} \begin{split} & \left[ \int \left[ \neg \right] \right] \left\{ \nabla i \left[ \neg \right] \right\} \int \left[ \neg \right] \left\{ \neg \right] \left\{ \neg \right] \left\{ \neg \right\} \left\{ \neg$$
 $\mathcal{M} = \mathcal{N} =$  $\label{eq:linearized_states} \label{eq:linearized_states} \\ \label{eq:linearized_states} \\$ 

 $\mathcal{A} \texttt{f} \\ \underbrace{\mathcal{E}} \\ \underbrace{\mathcal{I}} \\ \underbrace{\mathcal{I} \\ \underbrace{\mathcal{I}} \\ \underbrace{\mathcal{I}} \\ \underbrace{\mathcal{I}} \\ \underbrace{\mathcal{I}} \\ \underbrace{\mathcal$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constrai$  $\label{eq:constraint} [] \label{eq:constraint} [] \label{eq:constraint} ] \label{eq:constraint} \\ [] \label{eq:constraint} ] \label{eq:constraint} ] \label{eq:constraint} \\ [] \label{eq:constraint} ] \label{eq:constraint} ] \label{eq:constraint} \\ [] \label{eq:constraint} ] \labe$  $\label{eq:constraint} $$ \left( \int \left[ - \right] \left[ - \left[ - \right] \left[ - \left[ - \right] \left[ - \right] \left[ - \right] \left[ - \right] \left[ - \left[ - \right] \left[ - \left[ - \right] \left[ - \right] \left[ - \right] \left[ - \right] \left[ - \left[ - \right] \left[ - \right] \left[ - \right] \left[ - \right] \left[ - \left[ - \right] \left[ - \right] \left[ - \right] \left[ - \left[ - \right] \left[ - \right] \left[ - \left[ - \right] \left[ - \right] \left[ - \right] \left[ - \left[$  $\label{eq:constraint} \label{eq:constraint} \\ \label$  $+ \text{Im}_{\text{Im}} = \frac{1}{2} \sqrt{2} \sum_{i=1}^{i} \frac{1}{2} + \frac{1}{2} = \frac{1}{2} \frac{1}{2} + \frac{1}{2} \frac{1}{2} + \frac{1}{2} \frac{1}{2} = \frac{1}{2} \frac{1}{2} + \frac{1}$ 

 $\mathcal{T}_{\text{C}}^{\text{C}}^{\text{C}}^{\text{C}}_{\text{C}}^{\text{C}}^{\text{C}}^{\text{C}}_{\text{C}}^{\text{C}}^{\text{C}}^{\text$  $\label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \label{eq:constraint} \end{tabular} \end$  $\Box ( ) \texttt{M} = \texttt$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 

$$\begin{split} & \otimes \forall^{\mathbb{N}} \otimes \exists \Leftrightarrow \otimes \exists \forall \not \Leftrightarrow \exists \langle ] \setminus [ ] \exists \nabla \uparrow^{\ddagger} \sqcup \langle \nabla ] ] \langle \Box \setminus [\nabla ] [ \rangle \langle \uparrow^{\ddagger} \sqcup ] \Box f ] [ \wr \{ \sqcup ] \nabla \nabla \wr \nabla \rangle f \Diamond \exists ] \nabla f \\ & \int \langle \Box \sqcup \uparrow^{\uparrow} \uparrow [ \rangle ] \nabla f \exists \{ \rangle ] ] \nabla f \exists \{ \sqcup ] \nabla f \exists \{ \sqcup ] \nabla f \exists \{ \sqcup ] \nabla f \exists \langle \Box \rangle \uparrow^{\uparrow} \land \langle C \exists \uparrow^{\downarrow} \exists \land \sqrt{\nabla} \rangle f \land f \wr \{ S \exists \setminus I ] \nabla f \exists \{ \downarrow ] \nabla f \exists \{ \downarrow ] ] \nabla f \land \{ S \exists \setminus I ] \nabla f \land \langle C \exists \uparrow^{\downarrow} \exists \land \sqrt{\nabla} \rangle f \land f \land \{ S \exists \setminus I ] \nabla f \exists \{ \downarrow ] ] \nabla f \land \{ J \} \downarrow ] ] \Box f \land \{ J \} \downarrow [ ] \nabla f \land \{ J \} \downarrow ] ] \Box f \land \{ J \} \downarrow \{ \downarrow \} \downarrow \downarrow \{ \downarrow \} \downarrow \{ \downarrow \} \downarrow \{ \downarrow \} \downarrow \downarrow \{$$

 $\mathcal{J} = \texttt{I} \\ \mathcal{L} \\$  $(f_{\mathcal{I}}) (f_{\mathcal{I}}) (f_{\mathcal{I})) (f_{\mathcal{I}}) (f_{\mathcal{I})} (f_{\mathcal{I})} (f_{\mathcal{I})} (f_{\mathcal{I}$  $\label{eq:linearized_states} $ \left[ \neg \right] = \int \left[ \neg \right] =$  $\mathcal{I}_{U}_{\mathcal{I}}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}_{\mathcal{I}}}_{\mathcal{I}}}_{\mathcal{I}}$  $\label{eq:constraint} $$ [2_1] + ] = [2_1] + [2_2] +$  $\texttt{fu} \forall \nabla \uparrow \uparrow \mathcal{P} \\ \texttt{P} \\$  $\mathcal{Q} = \mathcal{Q} =$ 

 $\sqrt{\nabla} \int |U \rangle \langle \underline{\mathcal{E}} | U | \langle U |$  $\label{eq:linearized_states} \langle \rangle \end{tabular} f = \mathcal{T}_{\mathcal{T}} \\ f = \mathcal{T}_{\mathcal{T}} \\$  $\label{eq:constraint} $$ \left\{ \left[ = \sqrt{4} \right] \right] = \sqrt{4} \\ $ \left[ \left[ \sqrt{2} \right] \left[ \sqrt{2} \right] \right] = \sqrt{4} \\ $ \left[ \sqrt{2} \right] \\ $$  $\Box \langle \Box f \Leftrightarrow \Box \langle ] [ \wr \Box [ \uparrow ] \dashv \bigtriangledown ] \dashv \bigtriangledown ] [ \Leftrightarrow \exists \langle \wr \exists \dashv f \langle ] \langle \rangle \Uparrow f ] \updownarrow \{ \dashv f \exists ] \updownarrow \downarrow \dashv f \dashv \backslash \wr \sqcup \langle ] \bigtriangledown \checkmark ] \nabla f \wr \land \Leftrightarrow \dashv f \rangle \backslash$  $\simeq \mathcal{W} \text{ for all } \mathcal{W} \text{ for all } \mathcal{U} \text{$  $\mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ 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\mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right) \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right] \\ \mathcal{M} = \left[ \left( \left| \mathcal{S} = \mathcal{V} \right| \right] \\ \mathcal{M} = \left[ 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 $\{ \nabla | \Pi \cap | \setminus \cup \nabla |_{\sqrt{1}} \cup \langle \cdot \rangle \{ f | \setminus \cup | \setminus ] \} \\ f | \cap \langle \neg f \mathcal{T} \langle \neg \rangle \oplus \neg f | \rangle \oplus \langle \neg f | \cap \langle \neg f | \rangle \oplus \neg f | \rangle \oplus \langle \neg f | \rangle \oplus \langle$  $\exists \nabla \rangle \sqcup \rangle \backslash \rbrace \Leftrightarrow \uparrow^{\Delta \forall \bigtriangledown} \uparrow \sqcup \langle ] \dashv ] f \sqcup \langle ] \sqcup \rangle ] f \wr \{ \mathcal{I} \land \mathcal{I} \rangle \sqcup \rangle ] \dashv \uparrow J \nabla \rangle \Uparrow ] f \Leftrightarrow \uparrow^{\Delta \forall \mathcal{H}} \backslash [\uparrow \mathcal{I} ) \sqcup \rangle ] f \wr \{ \mathcal{I} \land \mathcal{I} \land \mathcal{I} \land \mathcal{I} \rangle \sqcup \rangle \downarrow f \lor \{ \mathcal{I} \land \mathcal{I} \land \mathcal{I} \land \mathcal{I} \land \mathcal{I} \land \mathcal{I} \land \mathcal{I} \rangle \sqcup \rangle \downarrow f \lor \{ \mathcal{I} \land \mathcal{I}$  $| \{ \mathbf{v} \in \mathbf{v$  $\exists i \in \mathcal{P} = i \in \mathcal{P$  $\label{eq:constraint} \int d = \frac{1}{2} d =$ 

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 $| \langle \nabla \langle \Box \rangle \rangle = | \langle \Box \rangle = | \langle \Box \rangle \rangle = | \langle \Box \rangle = | \langle \Box$  $\exists \operatorname{red}(\mathcal{A}) = \operatorname{red}(\mathcal{A})$  $\Leftarrow \exists \mathcal{L} \neq \mathcal{S} = \mathcal{I} = \mathcal{$  $\underline{\Box \ } = \underline{\Box \ } = \underline{\Box$  $\mathcal{J} = \mathcal{W} = \mathcal{W} = \mathcal{U} =$  $\sqrt{-1} \Box \Leftrightarrow \langle \mathcal{A} \rangle = \langle \mathcal{A} \rangle =$  $\label{eq:point_start} $$ \mathcal{P} = \mathcal{P} = \{ \mathcal{P} = \mathcal{P} = \{ \mathcal{P} = \mathcal{P}$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{constraint} \label{eq:constraint} \label{eq:constra$ 

 $\mathcal{S}\sqcup\dashv\sqcup ] f \Leftrightarrow \rangle f [ ] \sqsubseteq \wr \rangle [ \wr \{ ] \sqcup \langle \backslash \rangle ] \rangle \sqcup \dagger \swarrow \mathcal{O}\sqcup \langle ] \nabla \mathcal{S} \rangle \backslash \ell \diagdown \mathcal{P} ] \nabla \sqcap \sqsubseteq \rangle \dashv \backslash \sqsupseteq \wr \nabla || f \nabla ] \ddagger \dagger \wr \mathcal{C} \langle \rangle \backslash ] f ]$ 

$$\begin{split} |if \oplus i \sqrt{2} \cup -1 \sqrt{2}$$

 $2 \left\{ f(t) \mid d \neq t \right\} = \left\{ f($  $[\exists \mathsf{A}] \nabla \mathsf{A} = \mathsf{$  $\frac{\left|\int_{\sqrt{-1}} \left(-\frac{1}{2}\right)^{2} \right\rangle}{\sqrt{-1}} \Rightarrow \emptyset \rangle \langle U \rangle \langle \nabla f \Leftrightarrow U \rangle \langle 1 - U U \rangle \langle \nabla T \rangle \langle 1 - U U \rangle \langle \nabla T \rangle \langle 1 - U U \rangle \langle 1 -$  $\mathcal{A}^{\uparrow\uparrow}_{\downarrow} = \mathcal{A}^{\uparrow\uparrow}_{\downarrow} = \mathcal{A}^{\uparrow\downarrow}_{\downarrow} = \mathcal{A}^{\downarrow\downarrow}_{\downarrow} = \mathcal{A}^{\downarrow\downarrow}_{\downarrow$  $| \langle \rangle \nabla \Box \nabla \rangle | \rangle \langle \exists \rangle \langle \Box \langle \neg \Box \rangle | \langle \Box \langle \neg \Box \rangle \rangle | \langle \Box \langle \neg \Box \rangle \rangle \rangle | \Box \langle \Box \rangle \rangle \rangle | \Box \langle \Box \rangle \rangle | \Box \langle \Box \rangle \rangle | \Box \rangle | \langle \Box \rangle | \langle \Box \rangle | \langle \Box \rangle \rangle | \Box \rangle | \langle \Box \rangle | \langle \Box \rangle | \langle \Box \rangle | \langle \Box \rangle \rangle | \Box \rangle | \langle \Box \rangle |$  $| \mathcal{I} \mathcal{I} | \mathcal{I} |$ 

 $+ \texttt{PV}[\nabla][\nabla]\mathcal{J} + \texttt{PV}[\nabla]\mathcal{J} + \texttt{PV}(\nabla]\mathcal{J} + \texttt{PV}(\nabla]\mathcal{J}$  $\label{eq:constraint} $$ \mathcal{D}_{\mathcal{D}} = \mathcal{D}_{\mathcalD} = \mathcal{D}_{\mathcalD} = \mathcal{D}_{\mathcalD} = \mathcal{D}_{\mathcalD} = \mathcal{D} = \mathcal{D}$  $| \langle | \rangle | \langle | \langle | \rangle | \langle | \rangle | \langle | \rangle | \langle | \rangle | \langle | | \rangle |$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constr$  $\label{eq:point_states} $$ \sum_{i=1}^{t} \left\{ \Box_{i} = \left[ \nabla_{i} \left( \nabla_{i} \left[ \Box_{i} \right] \nabla_{i} \left( \nabla_{i} \left[ \nabla_{i} \left( \nabla_{i} \left[ \Box_{i} \right] \nabla_{i} \left( \nabla_{i} \left[ \nabla_$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\exists \exists f \geq ( \Box \Box f a ) \exists f \cup \Box \nabla d ( \Box J \cup V ) = ( \Box J \cup V ) = ( \Box J \cup V ) = ( \Box J \cup U \cup V ) = ( \Box J \cup U \cup V ) = ( \Box J \cup U \cup V ) = ( \Box J \cup U \cup V ) = ( \Box J \cup U \cup V ) = ( \Box J \cup U \cup V ) = ( \Box J \cup U \cup V ) = ( \Box J \cup U \cup V ) = ( \Box J \cup U ) = ( \Box J \cup V ) = ( \Box J \cup U ) = ( \Box J$  $\Box \nabla ] \setminus [f \dashv [] \nabla f \wr \dashv \downarrow ] \uparrow \rangle ] \{ f \wr \nabla ] \rangle \nabla ] \Box \Downarrow f \sqcup \dashv \downarrow ] f \Leftrightarrow \dashv \Uparrow \wr \langle ] \nabla f \Rightarrow \sqcup \langle \dashv \sqcup \dashv \nabla ]$ 

 $\label{eq:constraint} $$ \label{eq:constraint} $$ $ \label{eq:constraint} $$ \$  $\mathcal{T}_{\text{i}}^{\text{i}} = \mathcal{T}_{\text{i}}^{\text{i}} = \mathcal{T}_{\text$  $\mathcal{C} = \mathcal{C} =$  $\mathcal{A} = \mathcal{I} =$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \la$  $\sqcup \langle \rangle f \updownarrow \rangle \sqcup ] \nabla \dashv \nabla \dagger ] \wr \nabla \int \Leftrightarrow \mathcal{C} \langle \rangle \backslash ] f ] \dashv \backslash [ \sqcup \sqcap f \acute{a} \land f \sqcup \nabla \sqcap \} \rbrace \updownarrow ] f \Leftrightarrow [ ] f \rangle \nabla ] f \Leftrightarrow \dashv \backslash [ [ \nabla ] \dashv \Uparrow f$  $\mathcal{P}_{\uparrow} = \mathcal{P}_{\downarrow} = \mathcal{P}_{\downarrow}$ 

 $\sqcup \langle ] f ] \supseteq \wr \nabla \Vert f \swarrow \mathcal{B} f \rangle [] f \sqcup \langle ] \rangle \backslash \sqcup ] \nabla \dashv \sqcup \sqcup \rangle \wr \backslash f [] \sqcup \supseteq ] ] \backslash \mathcal{A} \{ \nabla \wr^{\leftarrow} \mathcal{P} ] \nabla \sqcap \sqsubseteq \rangle \dashv \backslash f \dashv \backslash [\mathcal{C} \langle \rangle \backslash ] f ]$ 

 $\exists d (\mathcal{I} \setminus \mathcal{I} + \mathcal{G} + \nabla \mathcal{I}) + \mathcal{I} (\mathcal{I} + \mathcal{V}) + \mathcal{I} (\mathcal{I} +$  $\mathcal{C}(\texttt{I}) \sqcup \exists \nabla ] \mathcal{I}( \sqcup \langle ] \mathcal{I} \cup \exists \varphi \otimes \mathcal{I} \exists \varphi \otimes \mathcal{I} \exists \varphi \mathcal{I} \cap f \land \forall \Box \cup \langle \nabla \mathcal{I} \varphi \cup \langle \nabla \mathcal{I} \cup \langle \Box \rangle \nabla \Box \nabla \rangle \cup \rangle )$  $| \{ \mathbf{V} \} | \mathbf{V} |$  $\exists \forall \mathcal{J} = \mathcal{W}$  $\langle \neg | \rangle \langle \neg | \rangle \rangle \langle \neg | \rangle$  $\lfloor \dagger \sqrt{\nabla} \wr \sqrt{2} / \sqrt{$  $\mathcal{I}_{U} \nabla_{U} = \mathcal{I}_{U} = \mathcal{I$ 

$$\label{eq:constraint} \begin{split} & \left[ \Box \nabla \right\rangle \left\{ \Box \left( J \right) \right\} \\ & \left[ J \right] \right\} \\ & \left[ J \right] \\ & \left[ J$$
 $\{ \nabla \wr \Uparrow \wr \sqcup \langle ] \nabla \Uparrow \rangle \sqcup \dagger \} \nabla \wr \sqcap \sqrt{\int \swarrow \mathcal{S}} \sqcap \Leftrightarrow \{ \wr \nabla ] \S \dashv \Uparrow \sqrt{\uparrow} \Leftrightarrow \dashv [\Uparrow \rangle \sqcup f \Leftrightarrow \rangle \sqcup \langle ] \sqrt{\nabla} ] \{ \dashv \rfloor ] \sqcup \wr \sqcup \langle ]$  $\mathcal{C} = \mathcal{L} = \mathcal{C} = \mathcal{L} =$  $\mathcal{G}^{\uparrow}_{\mathcal{I}}^{\uparrow}_{\mathcal{I}}^{\mathcal{I}}_{\mathcal{I}}^{$  $\label{eq:constraint} \\ \end{tabular} \end{tabular} \end{tabular} \end{tabular} \\ \end{tabular} \$  $\neg ( \nabla \neg \nabla ) ( \downarrow \uparrow ) ( \uparrow \neg ) ( \neg \nabla \neg \nabla ) ( ) ) ( \neg \nabla \neg \nabla ) ( ) ) ( \neg \nabla \neg \nabla ) ( ) ) ( \neg \nabla \neg \nabla ) ( ) ) ( \neg \nabla \neg \nabla ) ( ) )$  $\sqrt{\Box[\uparrow]} \sqrt{2} \frac{1}{2} \frac{1}{2$  $\underbrace{\mathcal{T}}_{\mathcal{T}} = \underbrace{\mathcal{T}}_{\mathcal{T}} = \underbrace{\mathcal{$  $\mathcal{C} \land f \exists \mathsf{H} \mathsf{H} \land f \mathcal{W} \land f \mathcal{H} \land f \mathcal{H$  $\label{eq:point_states} \label{eq:point_states} \\ \label{eq:point_states} \label{eq:point_states} \\ \label{eq:point_states} \label{eq:point_states} \label{eq:point_states} \\ \label{eq:point_states} \label{eq:point_states} \label{eq:point_states} \\ \label{eq:point_states} \label{eq:point_states} \label{eq:point_states} \label{eq:point_states} \label{eq:point_states} \\ \label{eq:point_states} \label{eq:point_st$  $\label{eq:linear} \\ \label{eq:linear} \\ \lab$ 

$$\begin{split} \mathcal{A}f\mathcal{M}\rangle \} \langle t \rangle \langle \mathcal{A}f\mathcal{M}\rangle \\ \langle t \rangle \langle \mathcal{A}f\mathcal{M}\rangle \} \langle t \rangle \langle \mathcal{A}f\mathcal{M}\rangle \} \langle t \rangle \langle \mathcal{A}f\mathcal{M}\rangle \\ \langle t \rangle \langle \mathcal{A}f\mathcal{M}\rangle \} \langle t \rangle \langle \mathcal{A}f\mathcal{M}\rangle \\ = \langle \mathcal{A}f\mathcal{M}\rangle \} \langle t \rangle \langle \mathcal{A}f\mathcal{M}\rangle \\ = \langle \mathcal{A}f\mathcal{M}\rangle \} \langle t \rangle \langle \mathcal{A}f\mathcal{M}\rangle \\ = \langle \mathcal{A}f\mathcal{M}\rangle \} \langle t \rangle \langle \mathcal{A}f\mathcal{M}\rangle \\ = \langle \mathcal{A}f\mathcal{M}\rangle \} \langle t \rangle \langle \mathcal{A}f\mathcal{M}\rangle \\ = \langle \mathcal{A}f\mathcal{M}\rangle \} \langle t \rangle \langle t \rangle \langle \mathcal{A}f\mathcal{M}\rangle \\ = \langle \mathcal{A}f\mathcal{M}\rangle \} \langle t \rangle \langle t \rangle \langle t \rangle \langle \mathcal{A}f\mathcal{M}\rangle \\ = \langle \mathcal{A}f\mathcal{M}\rangle \} \langle t \rangle \langle$$

 $| \Pi \nabla l | | U \nabla f | \langle U \rangle | \nabla \langle l | V \rangle | \langle U \rangle | \langle$  $\Box (\exists f \exists f \exists f \Box (\nabla i \Box) (\Box (\exists \nabla \nabla \nabla i \exists U))) (f \in C (\exists \nabla \nabla \nabla i \exists U)) (f \in C (\exists U))) (f \in C (\exists U)) (f \in C (\exists U)) (f \in C (\exists U))) (f \in C (\exists U)) (f \in C (i)) (f \in C$  $(\uparrow \downarrow \lor ) \land \downarrow \downarrow \lor ) \land \downarrow \downarrow \lor \mathcal{P} \lor \Box \sqsubseteq \land \lor \mathcal{N} || || ) \land \Box \downarrow \Box \Box \lor \Box \lor \mathcal{S} | \sqsubseteq \lor \mathcal{S} | \Box \land \downarrow \sqcup |$  $\neg \neg [\mathcal{S} \neg \Rightarrow \cup (\neg \cup \neg \uparrow ) ] \land \cup \nabla \rangle [ \neg \cup ] \cup (\neg \nabla \cup ) ] \neg (\neg \neg \cup ) \neg [ \neg \cup ) \neg \nabla \land (\neg \cup ) ] \neg [ \neg \cup ] ] \neg [ \neg \cap ] ] \neg [ \neg \cup ] ] \neg [ \neg ] ] \neg$  $|\langle +\uparrow\uparrow\rangle\rangle\rangle\rangle\langle i = u\langle ]u = f(i) + f(i)$  $= \frac{1}{2} + \frac$  $\mathcal{T}_{1} = \mathcal{T}_{1} = \mathcal{T}_{1}$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\mathcal{E}_{\text{I}} = \mathcal{E}_{\text{I}} =$  $\label{eq:constraint} [\black] \label{eq:constraint} [\black$ 

 $\mathcal{F} = \mathcal{F} =$  $| \{ \mathbf{V} \in \mathcal{P} : \mathbf{V} : \mathbf{V} \in \mathcal{P} : \mathbf{V} : \mathbf{V} \in \mathcal{P} : \mathbf{V} : \mathbf{V} : \mathbf{V} \in \mathcal{P} : \mathbf{V} : \mathbf{V} \in \mathcal{P} : \mathbf{V} : \mathbf{$ 
$$\label{eq:constraint} \begin{split} \label{eq:constraint} \end{tabular} \end{tabul$$
 $\label{eq:constraint} []_{\label{eq:constraint}} ] \sqcup \label{eq:constraint} \sqcup \label{eq:constraint} []_{\label{eq:constraint}} \sqcup \label{eq:constraint} \sqcup \label{eq:constraint$  $\label{eq:constraint} $$ \label{eq:constraint} $$ \label{eq:constrain$  $[ -1 ] + [ ] \cup [ ] ] = ] \langle \nabla \wr \wr \cup \wr _{\sqrt{2}} \rbrace \{ \cup \langle ] \{ \square \sqcup \sqcap \nabla ] \swarrow \mathcal{A} \mathcal{J} \mathcal{L} - \square \mathcal{J} ] \setminus \sqcup \overset{\wedge}{\leftarrow} \mathcal{H} ] \nabla \nabla ] \nabla - - \neg \nabla \} \square ] \Leftrightarrow$  $\label{eq:constraint} \end{tabular}$  $\mathcal{A} = \mathcal{A} =$  $\label{eq:point_started_star$ 

## $\mathcal{F}$ hun $\nabla$ ] $\mathcal{S}$ un[)] $\hbar$ $\mathcal{T}$ h $\mathbf{i}$ $\mathcal{W}$ $\nabla$ )u>}

 $\label{eq:constraint} \label{eq:constraint} \\ \label$  $\mathcal{S}_{\mathcal{I}}\mathcal{B} = \mathcal{I}_{\mathcal{I}} = \mathcal{I}_{\mathcal{I}$ 
$$\label{eq:constraint} \begin{split} & \sqrt{\left|\left\langle \mathcal{T}_{i}\right\rangle + \left\langle \nabla\right\rangle +$$
 $\Leftarrow \infty \exists \Rightarrow_{\checkmark} \mathcal{I}_{\lambda} \exists_{\lambda} \exists_{\lambda} \exists_{\lambda} \forall_{\lambda} \forall$ 

 $\mathcal{B}] = \mathsf{D}_{\mathcal{A}} = \mathsf{D}_{$  $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$  $\label{eq:constraint} \\ \end{tabular} \\ \en$  $\int \Box \langle \nabla \rangle ] f \rangle \langle \Box \langle ] \rangle ] \Box \int [ \mathcal{A} ] \nabla \mathcal{E} \mathcal{E} \mathcal{C} \langle \nabla \nabla ] \langle \mathcal{A} \rangle [ \mathcal{A} ] \langle \Box \rangle ] \langle \Box \rangle ] \langle \Box \rangle ] \mathcal{A} \rangle \langle \Box \Box \rangle$  $\underbrace{\operatorname{im}}_{\operatorname{im}} \mathcal{A} = \mathcal{A}$  $\label{eq:linearized_linearized$  $\sqrt{\nabla} + \frac{1}{f} = \frac{1}{f} + \frac{1}{f}$  $\Box(\mathbb{Z}) \in \mathcal{T}(\mathbb{Z}) \in \mathcal{T}(\mathbb{Z}) \cap \mathcal{T}(\mathbb$  $\mathcal{M} \rangle \nabla 6^{\wedge} \mathcal{Q} \Box ] f \dashv [ \dashv \Leftrightarrow \dashv f \wr \sqcup \langle ] \nabla ] \wr ( \Uparrow \Diamond ) \land ( \dashv \sqcup \wr \nabla f \rangle \land ) \downarrow \Box \Box [ \dashv \sqcup [ \wr \wr \sqcup ] \land ( \dashv \land \land \land ) \land ) \land ( \dashv \sqcup \land \lor \land ) \land ( \dashv \sqcup \lor \lor \land ) \land ( \dashv \sqcup \lor \lor \land ) \land ( \dashv \sqcup \lor \lor \lor \land ) \land ( \dashv \sqcup \lor \lor \lor \land ) \land ( \dashv \sqcup \lor \lor \lor \land ) \land ( \dashv \sqcup \lor \lor \lor \lor \land ) \land ( \dashv \sqcup \lor \lor \lor \land ) \land ( \dashv \sqcup \lor \lor \lor \lor \land ) \land ( \dashv \sqcup \lor \lor \lor \land ) \land ( \dashv \sqcup \lor \lor \lor \lor \land ) \land ( \dashv \sqcup \lor \lor \lor \lor \land ) \land ( \dashv \sqcup \lor \lor \lor ( \dashv \sqcup \lor \lor \lor ) \land ( \dashv \sqcup \lor \lor \lor ( \dashv \sqcup \lor \lor \lor ) \land ( \dashv \sqcup \lor \lor \lor ( \dashv \sqcup \lor \lor \lor ) \land ( \dashv \sqcup \lor \lor \lor ( \dashv \sqcup \lor \lor \lor ) \land ( \dashv \sqcup \lor \lor \lor ( \dashv \sqcup \lor \lor \lor ) \land ( \dashv \sqcup \lor \lor : ( \dashv \sqcup \lor \lor : ) \land ( \dashv \sqcup \lor \lor : ( \dashv \sqcup \lor : ) \land ( \dashv \sqcup \lor : ) \land ( \dashv \sqcup \lor \lor : ( \dashv \sqcup \lor : ) \land ( \dashv \sqcup \lor : ) \land ( \dashv \sqcup \sqcup \lor : ) \land ( \dashv \sqcup \sqcup : ) \land ( \sqcup \sqcup \sqcup \sqcup : ) \land ( \sqcup \sqcup \sqcup : ) \sqcup ( \sqcup \sqcup \sqcup : ) \land ( \sqcup \sqcup \sqcup : ) \sqcup ( \sqcup \sqcup \sqcup : ) \sqcup ( \sqcup \sqcup \sqcup : ) \sqcup ( \sqcup : \sqcup : ) \sqcup ( \sqcup : ) ( \sqcup : ) \sqcup ( \sqcup : ) ( \sqcup : )$ 

 $\label{eq:constraint} $$ \ \mathcal{W}_{J} = \mathcal{V}_{J} = \mathcal{V}$  $- \left[ \text{min} \nabla \left[$  $\label{eq:constraint} \int \Box \nabla_{\sqrt{2}} \int J J (\mathcal{V}) + \mathcal{V} ($  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $- |\langle [] \S | \Box \rangle ] | \Box \rangle | - \Box | \nabla | \{ \uparrow - \Box \rangle \rangle | \} | ] - \Box \cup \dagger \swarrow \uparrow \nabla''$ 

 $] \ (\ ) \ (\$ 
$$\label{eq:point_states} \begin{split} & \sqrt{|\nabla f_{1}|} | | \rangle \\ & = \sqrt{|} \langle \uparrow \rangle \rangle \\ & = \sqrt{|} \langle \downarrow \rangle \rangle$$
 $\mathcal{I}_{\text{i}} = \mathcal{I}_{\text{i}} =$  $\label{eq:point_states} \end{tabular} \end$  $\mathcal{I}_{\mathcal{I}} = \mathcal{I}_{\mathcal{I}} =$  $\langle \mathsf{SC}(\{\Box] \mathsf{I}(\mathsf{Se}(\mathsf{I})) \mathsf{I}(\mathsf{Se}(\mathsf{I}))) \mathsf{I}(\mathsf{Se}(\mathsf{I})) \mathsf{I}(\mathsf{Se}(\mathsf{I$  $\leftarrow \mathcal{M} \dashv \Box ] \nabla \backslash \dashv \mathcal{V} \rangle ] ] \int \neg \mathcal{B} ] \mathcal{U} \backslash \dashv \mathcal{J} \Box \mathbb{Q} \rangle \} \Rightarrow \Leftrightarrow \Box \langle ] \nabla ] \langle \rangle f \{ \rangle \nabla f \sqcup ] \sqcup \langle \rangle ] \dashv \mathcal{L} \dashv [ \sqsubseteq \rangle ] ] ] \langle \wr ] f \langle \rangle f \langle \rangle f \rangle = 0$  $t(1) \simeq f_{2} = f_{1} = f_{1}$ 

 $\label{eq:constraint} \{ \rangle \} \langle \sqcup \rangle \backslash \} \Leftrightarrow \exists \mathsf{L} \mathsf{L} \mathsf{L} \rangle \rangle \exists \mathsf{L} \mathsf{L} \mathsf{L} \mathsf{L} \rangle \land \mathsf{L} \rangle$ 

 $\label{eq:constraint} $$ \ \nabla = U \nabla \left( \int U \nabla + U \right) + U = \nabla \int \left( \int U \nabla + U \right) \nabla \left( \int U \nabla + U \right) + U = \nabla \int \left( \int U \nabla + U \right) \nabla \left( \int U \nabla + U \right) + U = \nabla \int U \nabla + U \nabla +$ 

 $\mathcal{D}] \dashv \nabla \Rightarrow \swarrow \mathcal{I} \setminus \sqcup \langle ] \{ \wr \nabla \oplus ] \nabla \Leftrightarrow \sqcup \langle ] \dashv \sqcap \sqcup \langle \wr \nabla \wr \{ \{ ] \nabla f \langle \rangle f \downarrow \rangle \{ ] \sqcup \wr \mathcal{G} \wr [ \rangle \setminus ] \} \rfloor \langle \dashv \setminus \} ] \{ \wr \nabla \dashv \setminus \} \cup \langle \neg \downarrow \rangle \land \downarrow \rangle = 0$  $\uparrow \mathcal{A} \text{ for } \mathcal{A} \text{ for$  $t = \frac{1}{2} + \frac{1}{2} +$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\langle \Box ( \dashv \downarrow ) \downarrow ] \\ \langle \Box ( \dashv \sqcup ) \downarrow ] \\ \langle \Box ( \dashv \sqcup ) \downarrow ] \\ \langle \Box ( \dashv \sqcup ) \downarrow ] \\ \langle \Box ( \dashv \sqcup ) \downarrow ] \\ \langle \Box ( \dashv \sqcup ) \downarrow ] \\ \langle \Box ( \dashv \sqcup ) \downarrow ] \\ \langle \Box ( \dashv \sqcup ) \downarrow ] \\ \langle \Box ( \dashv \sqcup ) \downarrow ] \\ \langle \Box ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \downarrow ] \\ \langle \sqcup ( \dashv \sqcup ) \sqcup ] \\ \langle \sqcup ( \dashv \sqcup ) \sqcup ] \\ \langle \sqcup ( \dashv \sqcup ) \sqcup ] \\ \langle \sqcup ( \dashv \sqcup ) \sqcup ] \\ \\ \langle \sqcup ( \dashv \sqcup ) \sqcup ] \\ \\ \langle \sqcup ( \dashv ) \sqcup ] \\ \\ \langle \sqcup ( \dashv ) \sqcup ] \\ \\ ( \dashv \sqcup ) \sqcup ] \\ \\ ( \dashv \sqcup ) \sqcup ) \\ \\ ( \dashv \sqcup ) \sqcup ) \\ \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ) \sqcup ) \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ) \sqcup ) \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ( \sqcup ) \sqcup ) \\ \\ ( \sqcup ( \sqcup ) \sqcup ) \\ ( \sqcup ( \sqcup ) ) \\ ($  $[] f] \nabla \rangle [] \wr [ \Box \nabla \dashv [ \rangle \sqcup \rangle \wr \backslash f \updownarrow \rangle \|] \sqcup \langle ] \Downarrow \wr \wr \backslash \{ ] f \sqcup \rangle \sqsubseteq \dashv \downarrow \checkmark \mathcal{F} \rangle \backslash \dashv \downarrow \downarrow \dagger \Leftrightarrow \rangle \backslash \uparrow \mathcal{E} \downarrow_{\checkmark} \nabla \rangle \Uparrow ] \nabla [] f \land \vdash \mathcal{T} \langle ]$  $\text{II}_{\mathcal{T}}^{\mathcal{T}} \mathcal{I}_{\mathcal{T}}^{\mathcal{T}} \mathcal{I}_{\mathcal{T}} \mathcal{I}_{\mathcal{T}}^{\mathcal{T}} \mathcal{I}_{\mathcal{T}}^{\mathcal{T}} \mathcal{I}_{\mathcal{T}} \mathcal{I}_{\mathcal{T}}$  $\Box_{1} = \sum_{i=1}^{n} |\mathcal{I}_{i}^{i}\rangle + \sum_{i=1$ 

 $\underline{(1)} = \mathcal{T}_{\mathcal{T}} = \mathcal{T}_$  $\underline{\uparrow} \exists l \leq \mathcal{D} \forall \exists l \leq \mathcal{D} \forall \exists d \leq \mathcal{D} \forall \exists d \leq \mathcal{D} \forall \exists d \leq \mathcal{D} \forall d \neq \mathcal{D} \forall \mathcal{D} \forall d \neq \mathcal{D} \forall \mathcal{D}$  $\exists \nabla \rangle \sqcup \rangle \backslash \} \langle \dashv f \Downarrow \dashv [ ] \langle \rangle \Uparrow \wr \rangle ] \wr \{ \sqcup \langle ] \Uparrow \wr f \sqcup \nabla ] \backslash \wr \supseteq \backslash ] [ \sqcup \sqcap f \acute{a} \lor \sqcap \sqcup \langle \wr \nabla f \dashv \backslash [ \sqcup \langle ] \wr \backslash ] \nabla ] f_{\checkmark} \wr \langle f \rangle \lfloor \updownarrow ]$  $\underbrace{(1)}{(1)} \underbrace{(1)}{(1)} \underbrace{(1$  $\mathcal{P} \nabla \wr \{ \} \ f \in \mathbb{Z} \ f \in \mathbb$  $\underline{\mathcal{C}}_{\text{C}}$  $\label{eq:constraint} \end{tabular} \\ \end{$  $\label{eq:linearized_states} \\ \label{eq:linearized_states} \\ \label{eq:linearized_states}$  $+ \underline{=} + \underline{=}$ 

 $\int \nabla \nabla \left( -\frac{1}{2} \right) \left( -\frac{1}{2}$  $\mathcal{C} = \mathsf{C} =$  $\label{eq:product} \label{eq:product} \end{tabular} \\ \end{tabular} \label{eq:product} \end{tabular} \label{eq:product} \end{tabular} \end{t$  $(\langle f_{i} = C_{i} \rangle = C_{i} \rangle = C_{i} \langle f_{i} = C_{i} \rangle = C_{i} \langle f_{$  $\label{eq:constraint} [\begin{array}{c} f \end{array} \end{array} f \end{array} \end{array} \end{array} f \end{array} \end{array} f \end{array} \end$  $| \langle -| \cup \langle \rangle \int | \nabla - | \uparrow | - \cup \langle ] \uparrow \rangle \langle | \cup \rangle \langle \uparrow | \downarrow \rangle \langle \uparrow | \cup \rangle \langle \uparrow | \downarrow \rangle \langle \uparrow | \cup \rangle \langle \uparrow | \downarrow \rangle \langle \uparrow | \cup \rangle \langle \uparrow | \downarrow \rangle \langle \uparrow | \cup \rangle \langle \uparrow | \downarrow \rangle \langle \uparrow | \cup \rangle \langle \uparrow | \downarrow \rangle \langle \uparrow | \cup \rangle \langle \uparrow | \downarrow \rangle \langle \uparrow | \cup \rangle \langle \uparrow | \downarrow \rangle \langle \uparrow | \cup \rangle \langle \uparrow | \downarrow \rangle \langle \uparrow | \cup \rangle \langle \uparrow | \downarrow \rangle \langle \downarrow | \cup \rangle \langle \uparrow | \downarrow \rangle \langle \downarrow | \cup \rangle \langle \downarrow | \downarrow \rangle \langle \downarrow | \cup \rangle \langle \downarrow | \downarrow \rangle \langle \downarrow | \cup \rangle \langle \downarrow | \downarrow \rangle \langle \downarrow | \cup \rangle \langle \cup \cup \rangle \langle \cup \cup \rangle \langle \cup \rangle \langle$  $\label{eq:linear_state} $$ \sum_{i=1}^{1} \mathcal{M}_{i} = \sum_{i=1}^{1} \mathcal{M}$ 

 $\mathcal{A}[[\nabla]) \langle \langle f_{1} \nabla - \langle f_{1} - f_{2} \nabla - \langle f_{2} - f_{2} \nabla - \langle f_{2} - f_{2} \nabla - f_{2} - f_{2} \nabla - f_{2} - f_{2}$ 

 $\sqrt{\frac{1}{\sqrt{2}}} \sqrt{\frac{1}{\sqrt{2}}} \sqrt{\frac{1}{\sqrt{2}}}$ 

 $\mathcal{L} = \mathcal{L} =$  $\nabla \left[ \sqrt{\nabla} \right] f \left[ \left( \left| \mathcal{C} \right\rangle \right) \right] \right] \left[ \left( \left| \mathcal{C} \right\rangle \right) \right] \right] \left[ \left( \left| \mathcal{C} \right\rangle \right) \right] \left( \left| \mathcal{C} \right\rangle \right] \right] \left( \left| \mathcal{C} \right\rangle \right] \right] \left( \left| \mathcal{C} \right\rangle \right] \left( \left| \mathcal{C} \right\rangle \right] \right) \left( \left| \mathcal{C} \right\rangle \right] \left( \left| \mathcal{C} \right\rangle \right] \right) \left( \left| \mathcal{C} \right\rangle \right] \left( \left| \mathcal{C} \right\rangle \right) \left( \left| \mathcal{C} \right\rangle \right] \right) \left( \left| \mathcal{C} \right\rangle \right)$  $\mathbb{E} \left\{ \left[ \nabla_{\mathcal{A}} \right] \right\} = \int_{\mathcal{A}} \nabla \mathbb{E} \left[ \uparrow \right] \left\{ \int_{\mathcal{A}} \mathcal{A}_{f} \right\} \int_{\mathcal{A}} \mathbb{E} \left\{ \mathcal{A}_{f} \right\} = \mathcal{C} \left\{ \mathcal{A}_{f} \right\} =$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\mathcal{W}[\uparrow] \dashv \nabla \setminus \sqcup \langle \dashv \sqcup \langle \rceil \wr \supseteq \setminus \rceil [ \sqcup \langle \rceil \rbrace \rangle \nabla f \sqcup \sqcup \rceil \uparrow ] \sqsubseteq \rangle f \rangle \wr \langle f \backslash \rceil \rangle \rangle \langle \langle f \backslash \rceil \rangle \} \langle [ \wr \nabla \langle \wr [ \dashv \cup \langle \dashv \sqcup \Leftrightarrow \supseteq \langle \rceil \setminus \langle \rceil \rangle ] \rangle \rangle \langle f \rangle \rangle \rangle \langle f \rangle \rangle \rangle \langle f \rangle \rangle \langle f \rangle \rangle \langle f \rangle \rangle \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \langle f \rangle \langle f \rangle \rangle \langle f \rangle \rangle \langle f \rangle \rangle \langle f \rangle \langle f$  $\exists \forall \exists \forall \forall \mathcal{C} \forall \mathcal{C$  $\label{eq:constraint} [] f ] \nabla \rangle [] f \langle \rangle \label{eq:constraint} + f | \Box \neg f \rangle \langle ] \Box \neg f \neg f \neg f \neg f$  $\label{eq:constraint} \end{tabular} \end{t$ (1) $f(\mathbf{x}) = \mathbf{A} = \mathbf{A}$ 

 $\mathcal{M} = \{\mathcal{V} \in \mathcal{V} \in$ 
$$\label{eq:constraint} \begin{split} & \sqrt{\left|\nabla f^{\lambda} - d^{\lambda}_{\lambda}\right|} + \int_{\lambda} \{ \Box \langle - \Box L^{\lambda}_{\lambda} \{ \langle \rangle f^{\lambda}_{\lambda} [ ] ] \Box L^{\lambda}_{\lambda} \{ ] \} \\ & \sqrt{\left|\nabla f^{\lambda}_{\lambda} - d^{\lambda}_{\lambda} \{ \Box \rangle - d^{\lambda}_{\lambda} \{$$
 $\exists \langle \rangle ] \langle \mathcal{F} ] \nabla \backslash \exists \langle \mathcal{I} \exists \exists \exists f \exists w \rangle [] f \exists \nabla \rangle [] f \exists f \exists f \exists f \exists h \in \mathcal{V} \exists f \exists h \in \mathcal{I} \setminus f \in \mathcal{I} \cap$  $\mathsf{A}_{\mathsf{A}} = \mathsf{A}_{\mathsf{A}} =$  $\neg \left( \sqrt{\mathcal{O}} \left( \frac{1}{2} \right) \right) \left( \frac{1}{2} \right$  $\sqrt{\nabla i \int U \cap U \cap J \int (f \cap f) \int (f \cap f) \cap (f \cap$  $\label{eq:constraint} \end{tabular} \end{t$ 

 $\{ \mathcal{A} \in \mathcal{A}$  $\mathcal{C} \dashv \texttt{I} \land \texttt{I} \dashv \mathcal{A} \sqsubseteq \texttt{I} \land \texttt{I} \land$  $\underline{\mathcal{D}\nabla\Box} \\ \| \underbrace{\mathcal{D}}_{\mathcal{T}} \\ \| \underbrace{\mathcalD}_{\mathcal{D}} \\ \| \underbrace{\mathcalD}_{\mathcal{D}} \\ \| \underbrace{\mathcalD}_{\mathcalD} \\ \| \underbrace{$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\texttt{M}^{\texttt{M}} = \texttt{M}^{\texttt{M}} =$  $\mathcal{P} = \mathcal{P} =$  $\mathcal{F}_{0}^{0}\nabla] \ddagger \Leftrightarrow \mathcal{P}_{0}^{0} \int \langle \nabla \rangle_{\mathcal{N}}^{0}\nabla \sqcup \nabla \mathcal{R}^{\dagger} f \ddagger \exists \nabla \lceil \mathcal{K} \dashv \sqrt{\neg} s \rfloor \rangle \hat{n} f \parallel \rangle \Leftrightarrow \mathcal{C} \dashv \sqcup \dashv \uparrow \dashv \backslash \rfloor \langle \rceil \{\mathcal{F} \rceil \nabla \nabla \dashv \backslash$  $\mathcal{L} = \mathcal{L} =$  $\mathcal{A} = \mathcal{C} =$ 

 $\texttt{Aund} (\texttt{Aund} (\texttt$  $\mathcal{S}_{\forall} = \mathcal{S}_{\forall} = \mathcal{S}_{\forall}$  $\mathcal{C}(\mathsf{M}) = \mathsf{M}(\mathsf{M}) = \mathsf{M$  $\mathcal{R} \ end{tabular} \mathcal{R} \ end{tabular} \ end{tabular} \ \mathcal{R} \ end{tabular} \ \mathcal{R} \ end{tabular} \ end{tabular} \ \mathcal{R} \ end{tabular} \ end{tabular} \ end{tabular} \ \mathcal{R} \ end{tabular} \ end{tabul$  $\sqrt{\nabla} \left\{ \sqrt{\left| \Box \right\rangle} \right\} \left\{ \mathcal{V} \right\} \nabla \left\{ \mathcal{V}$ 

 $\label{eq:product} \end{tabular} \label{eq:product} \end{tabular} \label{eq:product} \end{tabular} \end{tabular}$ 

 $\{ \exists t \in \nabla \\ \exists$  $\mathcal{W}(] \setminus (] \sqcup \sqcap \nabla \setminus f \dashv \nabla \wr \sqcap \backslash [ \Leftrightarrow \sqcup \langle ] \rfloor \langle \dashv \nabla \dashv \rfloor \sqcup ] \nabla \rangle \setminus \sqcup \langle ] \{ \rangle \ddagger ( \dashv f \lfloor ] \rfloor \wr \ddagger \rangle \langle \rangle f \ddagger \sqcup \langle ] \nabla \swarrow \mathcal{A} \setminus \wr \sqcup \langle ] \nabla \downarrow \langle \exists \nabla \dashv J \sqcup \rangle \rangle = 0$  $\sqrt{\nabla \partial f} = \frac{1}{2} + \frac{1$ 

 $\mathcal{A} := \mathcal{A} := \mathcal{A}$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $|\langle \mathsf{A}_{\mathsf{A}} \mathsf{A}_{\mathsf{A}} \rangle \nabla \mathsf{A}_{\mathsf{A}} \rangle | \mathsf{A} \rangle$  $\underline{\mathcal{R}} \\ \\ \underline{\mathcal{R}} \\ \underline{\mathcal{L}} \\ \underline{$  $\mathcal{A} \text{rescaled} \mathcal{A} \text{rescaled} \text{rescaled} \mathcal{A} \text{rescaled} \text{rescaled} \mathcal{A} \text{rescaled} \text{r$  $\Leftarrow \infty \exists \exists \in i \neq l \in \mathcal{A} = \mathcal{A$  $\exists \mathbf{\mathcal{M}} = [\nabla [ \Leftrightarrow (] \ ] \ ] \ [ \Rightarrow (] \ ] \ [$  $\mathbf{y}^{\mathbf{1}} = \mathbf{x}^{\mathbf{1}} =$  $\leftarrow \mathcal{T} \ \mathcal{L} \ \mathcal{U} \ \mathcal{V} \ \mathcal{V}$  $\mathcal{J} = \mathcal{J} =$ 

 $\label{eq:constraint} $$ \ \mathcal{G}_{\mathcal{T}}^{\mathcal{T}}_{\mathcal{T}}^{\mathcal{$  $\Box \in []$  $\label{eq:constraint} $$ \sum_{i=1}^{1} |I_i| \leq \mathcal{E} \\ $ \sum_{i=1}^{1} |I_i|$  $\mathcal{T}_{\mathrm{LD}}(A_{\mathrm{L}}) = \mathcal{T}_{\mathrm{L}}(A_{\mathrm{L}}) = \mathcal{T$  $\Box(\exists \forall \Box \nabla \setminus \exists \mathcal{E}_{\mathcal{I}}) \exists \forall \mathcal{H} \exists \mathcal{H} \Box \nabla \setminus \exists \forall \mathcal{H} \exists \mathcal{H} \Box \nabla \cup \exists \forall \mathcal{H} \exists \mathcal{H} \Box \mathcal{H} \exists \mathcal{H} \exists \mathcal{H} \Box \mathcal{H} \exists \mathcal{H} \exists \mathcal{H} \exists \mathcal{H} \Box \mathcal{H} \exists \mathcal{$  $\label{eq:constraint} $$ \sum_{i=1}^{1} \left( \frac{1}{\sqrt{2}} \right) = \sum_{i$ 

 $| \Box \downarrow \sqcup \Box \nabla \dashv \downarrow \nabla \wr \sqcup j \Leftrightarrow j \langle ] \downarrow \downarrow \dashv \rangle \Uparrow j \Leftrightarrow \langle \dashv \sqsubseteq ] \Uparrow \dashv [] \langle ] \nabla \{ \nabla ] ] \swarrow$  $\mathcal{T}(\mathbf{D})(\mathbf{U})$  $\mathcal{C} \dashv \nabla \texttt{II} \land \texttt{C} \dashv \mathcal{C} \vee \mathcal{C}$  $\underline{\mathcal{L}} = \mathcal{L} = \mathcal{L}$  $(\langle \mathcal{A} \rangle = \mathcal{A} = \mathcal{$ 

 $\begin{aligned} & \left( \left| -\frac{1}{2} \right| -\frac{1}{2} \left| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \left| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \left| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \left| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \left| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \left| -\frac{1}{2} \right| -\frac{1}{2} \left| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \left| -\frac{1}{2} \right| -\frac{1}{2} \right| -\frac{1}{2} \left| -\frac{1}{2} \right| -\frac{1}{$ 

 $\mathcal{C} = \mathbb{C} =$  $\leftarrow \mathcal{I}_{\mathcal{I}}^{\mathcal{I}} \nabla \sqcup \dashv \mathcal{I}_{\mathcal{I}}^{\mathcal{I}} \cap \sqcup \dashv \mathcal{I}_{\mathcal{I}}^{\mathcal{I}} \rightarrow \emptyset \mathcal{A} \nabla \mathcal{I}_{\mathcal{I}}^{\mathcal{I}} \dashv \mathcal{I}_{\mathcal{I}}^{\mathcal{I}} \cap \mathcal{I} \cap \mathcal{I}_{\mathcal{I}}^{\mathcal{I}} \cap \mathcal$  $\underline{\sqsubseteq} \\ \forall \mathcal{L} \\ \forall \mathcal$  $\mathcal{S} = \mathcal{C} =$ M = $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} $ [\nabla \dashv \exists \rangle ] \\ \mathcal{I} \\ \mathcal{I}$ 

 $\mathcal{A}^{1}_{\mathcal{I}} = \mathcal{C}^{1}_{\mathcal{I}} + \mathcal{C}^{1}_{$ 

 $\infty \exists \exists \in \exists \neg \bigtriangledown^{\nwarrow} \ni \in_{\swarrow} \mathcal{P} \nabla \rangle \backslash \sqcup_{\swarrow}$ 

 $\langle \in \mathcal{W} \rangle \ \cup \ ] \nabla \infty \exists \exists \infty \land$ 

 $\underline{=} + \left[ - 4f \right] \left( \left( - 4f \right) \right) \left( - 4f \right) \left( - 4f \right) \right) \left( - 4f \right) \left( -$ 

 $\mathcal{P} 
abla 
angle ackslash ackslash ackslash$ 

 $\mathcal{M} \dashv \nabla \rangle ] \mathcal{F} ] \ddagger \langle \mathcal{N} \dashv \backslash \sqcup ] \nabla \nabla ] \Leftrightarrow \qquad \mathcal{F} \nabla \dashv \backslash \sqcup ] \neg \mathcal{ALLCAXX} \approx \mathcal{EDUSP} \Leftrightarrow \infty \exists \exists \swarrow$ 

 $\mathcal{P}\nabla ] \iint \Leftrightarrow \in \mathcal{U} \setminus \mathcal{P}\nabla \setminus \sqcup$ 

 $\not \infty \land \exists \swarrow \mathcal{P} \nabla \land \sqcup \checkmark$ 

 $\in \exists \swarrow \exists \Leftarrow \mathcal{S}_{\texttt{p}} \forall \rangle \\ \texttt{S} \exists \exists \Rightarrow \neg$ 

 $\mathcal{A}_{\text{planch}} \land \forall \mathcal{A} = \mathsf{A} =$ 

 $\mathcal{Y} \wr \nabla \| \neg \mathcal{R} \wr \Box \sqcup \downarrow ] [ \} ] \Leftrightarrow \in \mathcal{I} \infty \swarrow \mathcal{P} \nabla \rangle \backslash \sqcup \swarrow$ 

 $\exists \mathbf{N} = \mathbf{N}$ 

 $\mathcal{A} \\ \Leftrightarrow \mathcal{I} \\ \\ \mathcal{O} \\ \mathcal{M} \\ \sqcup \mathcal{S} \\ \mathcal{I} \\ \dashv \mathbb{S} \\ \mathcal{I} \\$ 

 $\underbrace{\mathcal{N}}_{\mathcal{A}} = \underbrace{\mathcal{N}}_{\mathcal{A}} = \underbrace{\mathcal{$ 

 $\frac{\mathcal{S}_{\text{red}}}{\sqrt{2}} = \frac{\mathcal{S}_{\text{red}}}{\sqrt{2}}$ 

 $\mathcal{A} = \mathcal{A} =$ 

 $\mathcal{B} = \mathcal{J} =$ 

 $\mathcal{P}$ 

 $\mathcal{M} \text{ and } \mathcal{M} \text{ and }$ 

 $\mathcal{P}\nabla$ 

 $\mathcal{B} = [\mathcal{A} = \mathcal{A} =$  $\mathcal{I} \nabla \exists \mathbf{H}_{\mathcal{A}} \uparrow \qquad \mathcal{P}_{\mathcal{A}} ] \text{ for } \mathcal{I}_{\mathcal{A}} \land \mathcal{I}_{\mathcal{$  $\texttt{K} \texttt{K} \texttt{K} \mathcal{H} \dashv [[\wr:||:{\mathcal{I}} \dashv ] [ \sqcup \langle ] \sqcup \rangle] [ \mathcal{T} \nabla \dashv \langle \mathcal{T} \nabla \dashv \langle \mathcal{I} \mathcal{A} \downarrow [ ] \nabla \sqcup \wr \mathcal{T} [ J \dashv \langle \mathcal{I} \mathcal{I} \mathcal{I} \lor ] \dashv \langle \wr \nabla [ \Leftrightarrow \mathcal{I} \lor \mathcal{I} \land \mathcal{I} \lor ] \dashv \langle \wr \nabla [ \Leftrightarrow \mathcal{I} \lor \mathcal{I} \lor ] \dashv \langle \wr \nabla [ \leftrightarrow \mathcal{I} \lor \mathcal{I} \lor ] \dashv \langle \lor \mathcal{I} \lor ] \dashv \langle \lor \mathcal{I} \lor \mathcal{I} \lor ] \dashv \langle \lor \mathcal{I} \lor \mathcal$  $\mathcal{C} = \mathcal{C} =$  $\mathcal{T} |\nabla \nabla \partial \nabla \partial f |_{\mathcal{L}} \simeq \uparrow \mathcal{P} |_{\mathcal{T}} |_{\mathcal{T}} |_{\mathcal{T}} |_{\mathcal{L}} = \mathcal{L} |_{\mathcal{T}} |_{$ 

 $\mathcal{A}_{\text{i}} = \mathcal{A}_{\text{i}} =$ 

## $\mathcal{M} = \mathcal{M} =$

 $\mathcal{B}(\Box \nabla \lceil \rangle ] \Box \Leftrightarrow \mathcal{P} \rangle ] \nabla \nabla \rceil \swarrow \mathcal{L} \dashv \backslash \} \Box \dashv \rbrace ] \dashv \backslash \lceil \mathcal{S} \dagger \ddagger \lfloor \wr \ddagger \rangle \rfloor \mathcal{P}(\Box ] \nabla \swarrow \mathcal{C} \dashv \ddagger \lfloor \nabla \rangle \lceil \rbrace ] \Leftrightarrow$ 

 $\mathcal{P}\nabla\rangle\backslash\sqcup\swarrow$ 

 $\mathcal{T}_{\text{T}}^{\text{T}}_{\text{T}}^{T$ 

 $\mathcal{P}\nabla \rangle \backslash \sqcup_{\swarrow}$ 

$$\begin{split} \mathcal{B}] \setminus |\dashv \Downarrow \rangle \langle \Leftrightarrow \mathcal{W} \dashv \updownarrow \sqcup ] \nabla_{\swarrow} \underbrace{\mathcal{C}} \langle \dashv \nabla \updownarrow ] \int \mathcal{B} \dashv \Box [] \updownarrow \dashv \rangle \nabla ] \neg \mathcal{AL} \dagger \nabla \rangle ] \mathcal{P}_{\ell} ] \sqcup \rangle \setminus \sqcup \langle ] \mathcal{E} \nabla \dashv \wr \{\mathcal{H} \rangle \} \langle \\ \underbrace{\mathcal{C}} \lor \langle \neg \downarrow \sqcup \dashv \updownarrow \rangle \int \Uparrow_{\checkmark} \mathcal{T} \nabla \dashv \backslash \int_{\checkmark} \mathcal{H} \dashv \nabla \nabla \dagger \mathcal{Z}_{\ell} \langle \lor_{\checkmark} \mathcal{L}_{\ell} \setminus [\wr \lor \neg \mathcal{N}] \sqsupseteq \mathcal{L} ] \{ \sqcup \Leftrightarrow \infty \exists \forall \ni_{\checkmark} \mathcal{P} \nabla \rangle \setminus \sqcup_{\checkmark} \mathcal{B} \langle \dashv \lfloor \langle \dashv \Leftrightarrow \mathcal{H}_{\ell} \Diamond \rangle_{\checkmark} \mathcal{T} \langle ] \mathcal{L}_{\ell} ] \dashv \sqcup \rangle \wr \wr \{\mathcal{C} \sqcap \updownarrow \sqcup \nabla \rceil \downarrow_{\checkmark} \mathcal{L}_{\ell} \setminus [\wr \lor \neg \mathcal{N}] \sqsupseteq \mathcal{Y}_{\ell} \nabla \nabla \parallel \neg \mathcal{R}_{\ell} \sqcap \sqcup \downarrow ] [\} \Leftrightarrow \in \mathcal{U} \bigtriangleup_{\checkmark} \mathcal{L}_{\ell} \langle \neg \mathcal{N} \land \neg \mathcal{N} \land \mathcal{L}_{\ell} \cup [\mathcal{N} \land \neg \mathcal{N}] \dashv \mathcal{Y}_{\ell} \nabla \nabla \parallel \neg \mathcal{R}_{\ell} \sqcup \sqcup \downarrow ] [] \Leftrightarrow \in \mathcal{U} \bigtriangleup_{\checkmark} \mathcal{L}_{\ell} \land \mathcal{L}_{\ell} \land \mathcal{L}_{\ell} \land \mathcal{L}_{\ell} \cup \mathcal{L}_{\ell} \cup \mathcal{L}_{\ell} \cup \mathcal{L}_{\ell} \cup [\mathcal{N} \lor \mathcal{L}_{\ell} \cup \mathcal{L}_{$$

 $\mathcal{B}] \ (intermatrix) \\ \mathcal{B}[ \ (intermatrix) \\ \mathcal{B}$ 

 $[]\mathcal{L} \texttt{II} \leftrightarrow \quad \in \mathcal{U} \exists \texttt{IPV} \setminus \sqcup \texttt{I}$ 

 $\mathcal{L} = \mathcal{E} =$ 

 $\mathcal{B} \ [ \wr \ddagger \exists \forall \mathcal{R} \land \exists \forall \mathcal{R} \land \exists \mathcal{R} \land \exists \mathcal{R} \land \mathcal{R} \land \exists \mathcal{R} \land \mathcal{R} \land \exists \mathcal{R} \land \mathcal{R} \land$ 

 $\mathcal{P} \nabla \rangle \backslash \sqcup_{\swarrow}$ 

 $\mathcal{C} \dashv \sqcup \langle \wr \updownarrow \rangle \amalg \sqcap ] [] \updownarrow \simeq \mathcal{O} \sqcap ] \mathfrak{f} \sqcup \Leftrightarrow \mathcal{A} \backslash \} ] \nabla \mathfrak{f}_{\mathcal{L}} \mathcal{P} \dashv \nabla \rangle \mathfrak{f} \neg \mathcal{L} \simeq \mathcal{H} \dashv \nabla \Downarrow \dashv \sqcup \sqcup \dashv \backslash \Leftrightarrow \in \mathscr{U} \infty_{\mathcal{L}} \mathcal{O} \sqcup \sqcup \sqcup \lor \vee \otimes \in \mathcal{O}$ 

 $\underbrace{\mathcal{E}} \left\{ \frac{\mathcal{E}}{\mathcal{E}} \right\} = \underbrace{\mathcal{E}} \left\{ \frac{\mathcal{E}} \left\{ \frac{\mathcal{E}}{\mathcal{E}} \right\} = \underbrace{\mathcal{E}} \left\{ \frac{\mathcal{E}} \left\{ \frac$ 

 $\mathcal{C}\acute{a} ] ] \nabla ] \pounds \mathcal{B}\acute{e} \dashv \sqcup \nabla \rangle ] ] \swarrow \uparrow \mathcal{D} ] \mathcal{Z} \sqcap \updownarrow ] \backslash \grave{a} \mathcal{S} \rangle \sqcap \mathcal{K} \dashv \updownarrow \mathcal{W} ] \backslash \neg \mathcal{C} ] \backslash \sqcup \dashv \backslash \pounds [ ] \updownarrow \rangle \sqcup \sqcup \acute{e} \nabla \dashv \sqcup \sqcap \nabla ] \pounds \rangle \land \land \backsim \mathcal{K}$ 

 $\Leftarrow \mathcal{J} \exists \forall \mathbf{n} \in \mathbf{n} \\ \forall \mathbf$ 

 $\mathcal{B} \sqcap f \sqcup \dashv ( \sqcup ) \dagger \mathcal{B} \dashv ( \bot ) \sqsubseteq ) \dashv ( \Leftrightarrow \mathcal{E} \setminus \nabla ) \amalg \sqcap ] \swarrow \uparrow \mathcal{P} \rceil \lceil \nabla \wr \mathcal{S} \swarrow \mathcal{Z} \sqcap ( \uparrow ) \setminus \checkmark \uparrow \in \infty \checkmark \forall \forall \ni \mathcal{V} \dashv \nabla ) \rceil \lceil \dashv [ ] \land \mathcal{S} \lor \mathcal$ 

 $\mathcal{P}\nabla \rangle \backslash \sqcup_{\swarrow}$ 

 $\mathcal{B} \text{disc} \mathcal{P} \text{disc} \mathcal{P$ 

 $\mathcal{F} \nabla \exists \forall \mathcal{H} = \mathcal{F} \nabla \exists \mathcal{F} \nabla \forall \mathcal{H} = \mathcal{F} \nabla \mathcal{H} = \mathcal{F} \nabla \forall \mathcal{H} = \mathcal{H$ 

 $\underbrace{\mathcal{T}(\mathbb{R}^{+}\mathcal{T}(\mathbb{R}^{+}$ 

 $\mathcal{N} \sqcup \exists \mathbf{V} \Vert f \Leftrightarrow \mathcal{I} [] \backslash \sqcup \rangle \sqcup \rangle ] f \Leftrightarrow \mathcal{C} \Diamond \oplus \Box \rangle ] f \Leftrightarrow \neg \langle \mathcal{G} \Diamond \mathcal{I} \sqcup \neg f \downarrow \neg \langle \mathcal{M} \rangle \} \nabla \neg \sqcup \rangle \mathcal{I} \land \mathcal{I}$ 

 ${\cal C}{\rm elg} = {\cal C$ 

 $\mathcal{P}\nabla \rangle \backslash \sqcup_{\swarrow}$ 

 $\underbrace{\mathcal{L}}_{\text{II}} = \underbrace{\mathcal{L}}_{\text{II}} = \underbrace{\mathcal{L}}_{\text$ 

 $\mathcal{L} \texttt{im} \mathcal{L} \texttt{im} \texttt{im}$ 

 $\mathcal{C} \langle \exists \backslash \}^{\mathcal{T}} \mathcal{R} \\ [\nabla i] \exists \exists \Leftrightarrow \mathcal{E} \\ \exists \rangle \\ \langle \uparrow \mathcal{T} \\ \exists \mathcal{C} \\ \langle \rangle \\ \exists f \\ \rangle \\ \mathcal{P} \\ \forall \\ \Box \\ \neg \mathcal{H} \\ \langle \Box \\ \nabla \rangle \\ \exists \neg \mathcal{H} \\ \langle \Box \\ \nabla \rangle \\ \exists \neg \mathcal{H} \\ \langle \Box \\ \nabla \rangle \\ \exists \neg \mathcal{H} \\ \langle \Box \\ \neg \mathcal{H} \\ \neg \mathcal{H} \\ \langle \Box \\ \neg \mathcal{H} \\ \langle \Box \\ \neg \mathcal{H} \\ \neg \mathcal{H} \\ \langle \Box \\ \neg \mathcal{H} \\ \neg \mathcal{H} \\ \langle \Box \\ \neg \mathcal{H} \\$ 

 $\mathcal{P}\nabla \rangle \backslash \sqcup \swarrow$ 

 $\mathcal{P} \nabla \rangle \backslash \sqcup_{\swarrow}$ 

 $\sqrt{|\nabla \Box + \langle i / \mathcal{L} - I \rangle|} \sqrt{|\nabla | \langle i / \mathcal{L} - I \rangle|} \sqrt{|\nabla | \langle i / \mathcal{L} - I \rangle|} \sqrt{|\nabla | \langle i / \mathcal{L} - I \rangle|} \sqrt{|\nabla \Box + I \rangle|} \sqrt{$ 

 $\mathcal{C} \dashv f \dashv \mathfrak{L} \land \mathcal{S} \rceil \land \mathcal{S} \land \mathcal$ 

 $\forall \Box \mathcal{E} \sqcup \langle \backslash \rangle \rfloor \rangle \sqcup \acute{e}_{\checkmark} \mathcal{C} \dashv \langle \rangle \rceil \nabla \int [\Box \mathcal{C} \rangle \nabla \langle \rangle \ddagger \ddagger \in \bigtriangledown_{\checkmark} \mathcal{U} \backslash \rangle \sqsubseteq \rceil \nabla \int \rangle \sqcup \acute{e} \mathcal{C} \dashv \sqcup \langle \wr \ddagger \rangle \amalg \Box \rceil []$ 

 $\frac{\mathcal{C} \left( \int \mathbb{T}^{2} \left( \int \mathbb{T}^{2} \left( \int \mathbb{T}^{2} \right) \right) \left( \int \mathbb{T}^{2} \right) \right)}{\sqrt{2}}$ 

 $\underline{\Box\langle}]$   $\underline{T\langle\nabla]f\langle\iota\downarrow[\propto\mathcal{D}]f[]]\downarrow\Box\downarrow[\nabla\dashv\downarrow\downarrow\mathcal{C}\iota\backslash\Box]\downarrow\downarrow\iota\nabla\dashv\nabla\uparrow\mathcal{P}]\nabla\Box\Box\downarrow\uparrow\mathcal{F}\downarrow\sqcup\iota\rangle\wr\rangle\backslash}$   $\underline{T\nabla\dashv\langle}f\downarrow\dashv\Box\rangle\wr\mathcal{K}$   $B\rangle\downarrow\rangle\backslash\Box\dashv\downarrow\uparrow[\rangle\Box\rangle\land\mathcal{K}\mathcal{E}[\mathcal{L}\Box)f\mathcal{A}\mathcal{K}\mathcal{R}\dashv\downarrow\iotaf\subseteq\mathcal{G}\dashv\nabla]i\dashv\dashv\langle[\mathcal{L}\Box\ranglef$   $\mathcal{F}[\nabla\backslash\dashv\langle[\iota\mathcal{V}\rangle[\dashv\downarrow\mathcal{K}\mathcal{A}\Box f\Box\rangle\langle\Leftrightarrow)$   $T[\S\dashvf\neg\mathcal{S}\Box\Box[\rangle\dashv\mathcal{H}\ranglef\mathcal{I}\downarrow]\vdash\mathcal{E}[\rangle\sqcup\iota\nablaf\Leftrightarrow\mathcal{P}\nabla\rangle]||\downarrow\uparrow$   $\mathcal{P}[\dashv\nabla\mathcal{P}\nabla]ff\Leftrightarrow\infty\exists\forall\mathcal{K}\in\nabla[\mathcal{K}\mathcal{E}\mathcal{K}\mathcal{P}\nabla\rangle\backslash\Box\mathcal{K}$ 

$$\begin{split} [\dagger \\ \mathcal{M} \dashv \exists \mathcal{S} \exists \mathcal{N} \forall \mathcal{T} \dashv \mathcal{L} \mathcal{L} & \forall \mathcal{M} \dashv \mathcal{C} \forall \mathcal{L} \forall \mathcal{L} & \forall \mathcal{M} \dashv \mathcal{C} \forall \mathcal{L} & \forall \mathcal{L}$$

 $\mathcal{C} {\rm imp} \mathcal{C} {\rm imp} \mathcal{C$ 

 $\mathcal{E}[\mathrm{inv}]$ 

 $\sqrt{|\nabla \square | }$ 

## $\in \mathcal{U}_{\mathcal{I}}^{\mathcal{I}} \sqsubseteq \rangle \land \land \S \rangle \rangle \land \mathcal{P} \nabla \rangle \backslash \sqcup_{\mathcal{I}}^{\mathcal{I}}$

 $\operatorname{Ver}(V) = \operatorname{Ver}(V) = \operatorname{Ve$ 

 $\mathcal{P} \nabla \rangle \backslash \sqcup_{\swarrow}$ 

 $\mathcal{M} \dashv \tilde{n} \dashv \backslash \dashv \Leftrightarrow \backslash \swarrow \lceil \checkmark$ 

 $\mathcal{C} = \mathcal{C} =$ 

 $\mathcal{P} \nabla \mathsf{i} = \mathcal{P} \nabla \mathsf{i} =$ 

 $\underbrace{\mathcal{E}\sqcup\langle\backslash\rangle}_{\mathcal{V}} \underbrace{\mathcal{E}\sqcup\langle\backslash\rangle}_{\mathcal{V}} \underbrace{\mathcal{E}\Box}_{\mathcal{V}} \underbrace{\mathcal{E}$ 

 $\mathcal{P}\nabla \rangle \sqcup \swarrow$ 

 $\mathcal{M}\text{im} (\mathcal{A}) = \mathcal{M}\text{im} (\mathcal{A})$ 

 $\mathcal{P} \nabla \rangle \backslash \sqcup_{\swarrow}$ 

 $\Leftarrow \mathcal{W} \\ \exists \mathcal{V} \\ \forall \mathcal{V} \\ \forall$ 

 $\mathcal{E}[\texttt{int} \in \mathcal{V}] = \mathcal{V} \in \mathcal{V}$ 

$$\begin{split} & \langle \langle \langle \underline{\mathcal{W}} \nabla \rangle \sqcup \rangle \rangle \rangle \backslash \sqcup \langle ] \mathcal{A} \rangle \nabla \neg \mathcal{H} ] \sqcup ] \nabla i \rangle ] \rangle \sqcup i + 1 \langle [ \sqcup \langle ] \mathcal{P} ] \nabla f \rangle f \sqcup ] \backslash ] i \{ \mathcal{O} \nabla \neg 4 \ddagger \\ & \underline{\mathcal{T}} \nabla \neg I [ \rangle \sqcup i \rangle \rangle \rangle \rangle \langle \mathcal{A} \setminus [] \neg 1 \setminus \mathcal{L} \rangle \sqcup ] \nabla \neg \sqcup \Box \Box \nabla ] f \swarrow \mathcal{D} \Box \nabla \langle \neg 4 \ddagger \neg \mathcal{D} \Box \parallel ] \mathcal{U} \rangle \equiv ] \nabla f \rangle \sqcup i + \mathcal{P} \nabla ] f f \Leftrightarrow \\ & \in \mathcal{P} \otimes \mathcal{P} \nabla \rangle \backslash \sqcup \swarrow \\ & \mathcal{D} ] \mathcal{C} \neg f \sqcup \nabla i \Leftrightarrow \mathcal{J} \Box \neg 1 \setminus \checkmark \uparrow \mathcal{A} f \rangle \neg + 1 \langle [ \mathcal{A} f \rangle \neg 1 \setminus f \rangle \backslash \sqcup \langle ] \mathcal{W} \nabla \rangle \sqcup \rangle \rangle \} f i \{ \mathcal{J} f \in \mathcal{C} \dashv \nabla \ddagger i \} \\ & \mathcal{D} ] \mathcal{C} \neg f \sqcup \nabla i \Leftrightarrow \mathcal{J} \Box \dashv \backslash \checkmark \uparrow \mathcal{A} f \rangle \neg + 1 \langle [ \mathcal{A} f \rangle \neg 1 \setminus f \rangle \backslash \sqcup \langle ] \mathcal{W} \nabla \rangle \sqcup \rangle \rangle \} f i \{ \mathcal{J} f \in \mathcal{C} \dashv \nabla \ddagger i \} \\ & \mathcal{M} \dashv \nabla i \sqcup ] \} \Box i \rangle \checkmark \uparrow \mathcal{P} \dashv \int ] \nabla \\ & \Box \uparrow D i \Box \langle ] \exists \nabla [\mathcal{C} i \setminus \{ ] \nabla ] \backslash ] i \backslash \mathcal{O} \nabla \rangle ] \backslash \sqcup \dashv \downarrow \rangle f \ddagger f \dashv \langle [ \mathcal{U} \langle ] \mathcal{A} f \rangle \neg 1 \land [ \mathcal{A} \nabla \dashv [ \\ & \underline{\mathcal{D}} \rangle \dashv f \neg \mathcal{I} \oplus \neg ] \rangle \rangle \sqcup (] \uparrow \mathcal{O} \nabla \rangle ] \sqcup \sqcup \downarrow \uparrow \uparrow \rangle \sqcup [ \mathcal{A} \ddagger ] \nabla ] \dashv f \dashv \langle [ \mathcal{I} \lfloor ] \nabla \rangle \dashv i \rangle \\ & \underline{\mathcal{P}} ] \backslash i \uparrow f \dashv \mathcal{I} \leftarrow \langle ] \mathcal{I} f \vee \mathcal{O} \vee i \sqcup (] \wedge \Box ] \downarrow i \land i \land \langle \mathcal{I} \downarrow \neg \neg i \land \langle \mathcal{I} \lor \partial \neg \downarrow \rangle$$

 $\mathcal{C}\wr \nabla \setminus ] | \wr \mathcal{P}\wr \exists \forall \forall \Leftrightarrow \mathcal{A} \setminus \sqcup \wr \setminus \wr \swarrow \mathcal{E} \mathsf{f} \exists \nabla \land \lfloor \wr \nabla ] \setminus ] \ddagger \exists \lor \nabla ] \checkmark \mathcal{E} \setminus \mathsf{f} \exists \dagger \wr \mathsf{f} \wr \lfloor \nabla ] \ddagger \exists \lor \mathsf{f} \land [ \sqcup ] \nabla \wr \rbrace ] \setminus ] \land [ \exists \vdash \mathsf{f} \land \mathsf{f}$ 

 $\underline{f(\underline{)}(\underline{k},\underline{k})} = \underline{f(\underline{k},\underline{k})} = \underline{f(\underline$ 

∆₹

#### $\mathcal{F} \dashv \nabla$

 $\mathcal{P}\nabla \left\langle \sqcup\right\rangle$  $\mathcal{D} ] \nabla_{\mathbf{V}} ] \langle \Leftrightarrow \mathcal{W} \rangle \ddagger \mathcal{E}_{\mathbf{V}} \underbrace{\mathcal{E}}_{\mathbf{V}} \sqcup \nabla \wr \ddagger \mathcal{E}_{\mathbf{V}} \mathcal{E}_{\mathbf{V}} \mathcal{E}_{\mathbf{V}} \nabla ] \mathcal{E}_{\mathbf{V}} \nabla ] \mathcal{E}_{\mathbf{V}} \rangle \wr \mathcal{E}_{\mathbf{V}} \nabla ] \mathcal{E}_{\mathbf{V}} \mathcal{E}_{$  $\mathcal{F}\wr \ \mathcal{E}[\mathsf{i} \ \mathcal{E}[\mathsf{i}] \\ \mathcal{F}\mathsf{i} \\ \mathcal{F}\mathsf{i}$  $\mathcal{D} \sqcap \lfloor \mathcal{J} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H} \mathrel{\mathcal{H}} \mathrel{\mathcal{H}$ 

 $\mathcal{T} = \mathsf{T} =$ 

 $\simeq \mathcal{C} \langle \rangle \backslash i \simeq \dagger ] \downarrow \simeq \mathcal{I} \backslash [ \rangle i \simeq \neg$  $\Box ( \neg \neg \uparrow \uparrow \uparrow ) \Box ( \neg \uparrow \uparrow ) \Box ( \neg \uparrow \downarrow ) \Box ( \neg \uparrow ) \Box ( \neg \land ) \Box ( \neg \uparrow ) \Box ( \neg \uparrow ) \Box ( \neg \land ) \Box ( \neg \uparrow ) \Box ( \neg \land ) \Box ( \neg ) \Box ( \neg \land ) \Box ( \neg \land ) \Box ( \neg ) \Box$ 

 $\mathcal{D}] \ (\mathcal{M} \to \mathcal{M}) \ (\mathcal{M$ 

 $\in \mathbb{V} \mathcal{P} \mathbb{V} \setminus \mathbb{U}$ 

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 $\mathcal{D} | \mathcal{L} \rangle \text{minimum} + \mathcal{P} | \text{minimum} + \mathcal{S} \rangle | \mathcal{K} | \text{minimum} + \mathcal{L} | \text{minimum} + \mathcal{I} | \text$ 

 $\mathcal{I}_{\forall} = \mathcal{I}_{\mathcal{I}} = \mathcal{I$ 

 $\mathcal{G} = \texttt{Cid} = \texttt{C$ 

 $\mathcal{E}[\swarrow \mathcal{C} \wr \downarrow \rangle \backslash \mathcal{G} \wr \nabla [\wr \backslash \swarrow \mathcal{N}] \sqsupseteq \mathcal{Y} \wr \nabla \| \neg \mathcal{P} \dashv \backslash \sqcup \langle ] \wr \backslash \Leftrightarrow \infty \exists \forall \mathbf{1}_{\swarrow} \mathcal{P} \nabla \rangle \backslash \sqcup_{\checkmark}$ 

 $\mathcal{W} \nabla \rangle \sqcup \rangle \backslash \} \int \! \infty \exists \in \stackrel{\scriptstyle \nwarrow}{\frown} \infty \exists \cdot$ 

 $\mathcal{F}_{\mathrm{CD}} = \mathsf{C}_{\mathrm{CD}} = \mathsf{C}$ 

 $\mathcal{A}(\mathbb{A}^{0}) = \mathcal{M}(\mathbb{A}^{0}) = \mathcal{M}$ 

 $\in \mathcal{U} \otimes \mathcal{P} \nabla \setminus \sqcup_{\mathcal{L}}$ 

 $|\nabla|i| \\ \nabla |\nabla_{i}| \\ \int \nabla |\nabla_{i}| \\ \int \nabla |\nabla_{i}| \\ \int \mathcal{C} |\nabla_{i}| \\ \mathcal{C} |\nabla_{i}|$ 

 $\left. \acute{a} \right\rangle \right] \ \ 1 \\ \swarrow \simeq \mathcal{N} \\ \left. \right\rangle \\ \left$ 

 $\mathcal{E}_{\text{I}} = \mathcal{E}_{\text{I}} =$ 

 $\mathcal{L}^{\dagger} \\ | \mathcal{R} \\ ] \\ | \mathcal{P} \\ \nabla \mathcal{P} \\ | \\ \\ \mathcal{P} \\ | \\ \mathcal{P}$ 

 $\mathcal{B} = \mathcal{C} =$ 

 $\mathcal{E}_{\mathsf{T}}^{\mathsf{T}} = \mathcal{R}_{\mathsf{T}} \mathcal{E}_{\mathsf{T}}^{\mathsf{T}} = \mathcal{R}_{\mathsf{T}}^{\mathsf{T}} = \mathcal{R}_{\mathsf{T}}^{\mathsf{$ 

 $\underbrace{\mathcal{E}}_{\text{II}} \times \mathcal{Q}_{\text{II}} \times \mathcal{Q} \times \mathcal{Q}_{\text{II}} \times \mathcal{Q}_{\text{I$ 

 $\mathcal{O} ] \sqcup_{\swarrow} \in \mathcal{W} \otimes_{\swarrow} \mathcal{W} ] \lfloor_{\swarrow} \infty \infty \ \mathcal{O} ] \sqcup_{\swarrow} \in \mathcal{V} \otimes \infty_{\checkmark}$ 

 $\texttt{K}\texttt{K}\texttt{K}\texttt{L} + \texttt{L} + \texttt{$ 

 $\mathcal{M} = \mathcal{N} =$ 

 $\mathcal{G} \land \ddagger \hat{a} \ \exists \mathcal{P} \nabla \dashv [\dashv \Leftrightarrow \mathcal{M} \dashv \square ] \ \mathcal{E} \ \mathcal{E} \ \exists \mathcal{D} \land \hat{b} \ ] \ \exists \mathcal{D} \land \hat{b} \ ] \ \exists \mathcal{D} \land \mathcal{E} \ [] \ \mathcal{D} \land \hat{b} \ ] \ [] \ \mathcal{D} \ [] \ \mathcal{D}$ 

 $\mathcal{A} \sqcap \mathsf{fu} \land \lnot \mathcal{U} \land \mathsf{fu} \land \mathsf{fu$ 

 $\operatorname{Mieq}(\mathcal{M}) = \operatorname{Mieq}(\mathcal{M})$ 

 $\mathcal{G}^{\uparrow}_{\mathcal{I}}^{\uparrow}_$ 

 $\mathcal{T} \exists \forall \mathcal{I} \land \mathcal{I}$ 

 $\Leftarrow \infty \exists \exists \Rightarrow \neg \exists \forall \infty \land \bigtriangleup \mathcal{P} \nabla \rangle \backslash \sqcup \swarrow$ 

$$\begin{split} \mathcal{U}_{\text{i}} &= \left[ \nabla f \right]_{\text{i}} \left[ \neg \mathcal{M}_{\text{i}} \uparrow \nabla \Gamma \right] \qquad \mathcal{S}_{\text{i}} &= \left[ \nabla \mathcal{M}_{\text{i}} \nabla \mathcal{I}_{\text{i}} \uparrow \mathcal{D}_{\text{i}} \right]_{\text{i}} \left[ \neg \mathcal{M}_{\text{i}} \neg \nabla \mathcal{I}_{\text{i}} \uparrow \mathcal{D}_{\text{i}} \right]_{\text{i}} \\ \mathcal{G}_{\text{i}} &= \left[ \mathcal{G}_{\text{i}} \cap \mathcal{H}_{\text{i}} \uparrow \mathcal{D}_{\text{i}} \right]_{\text{i}} \left[ \neg \mathcal{D}_{\text{i}} \cap \mathcal{I}_{\text{i}} \uparrow \mathcal{D}_{\text{i}} \cap \mathcal{I}_{\text{i}} \uparrow \mathcal{D}_{\text{i}} \right]_{\text{i}} \left[ \neg \mathcal{D}_{\text{i}} \cap \mathcal{I}_{\text{i}} \cap \mathcal{I$$

 $\mathcal{G} \dashv \nabla \rfloor \rangle \ddagger \dashv \mathcal{V} \rceil \dashv \mathcal{V} \rceil \dashv \Leftrightarrow \mathcal{I} \backslash \rfloor \dashv \swarrow \mathcal{I} \land \mathcal{I} \land$ 

 $\infty \forall \forall \forall \swarrow \uparrow \underline{\mathcal{M}} \exists \forall \uparrow$  $\mathcal{M} \\ [\uparrow] \mathcal{P} \\ \neg \mathcal{F} \\ \nabla \\ \neg \mathcal{F} \\ \neg \mathcal$  $\mathcal{E}[\swarrow \mathcal{E} = \mathcal{C} =$  $\mathcal{B} = \mathcal{U} =$ 

 $\mathcal{M} \dashv \nabla \texttt{ij} \texttt{if} \texttt{i}$  $\underline{\exists} \exists \forall \forall \forall \in \mathcal{W} \in \mathcal{W} \in \mathcal{W} \in \mathcal{W} \in \mathcal{W} = \mathcal{W} \in \mathcal{W}$  $\mathcal{H}(\texttt{M}) \nabla \mathcal{H}_{\mathcal{L}} \mathcal{D} \sqcap [ \mathcal{H}(\mathcal{R}(\texttt{M}) \cup \mathcal{S}_{\mathcal{L}} \mathcal{S}) \sqcup (\mathcal{L}^{\uparrow} \mathcal{C}(\texttt{M})] ) \setminus \mathcal{M} ]$  $\underbrace{\mathcal{L}}_{\text{II}} \nabla \setminus \underbrace{\mathcal{Q}}_{\text{II}} \nabla \cup \overline{\nabla}_{\text{II}} \otimes \swarrow \Delta \leftarrow \mathcal{A}}_{\text{II}} \nabla \cup \overline{\Delta} \leftarrow \mathcal{A}}_{\text{II}} \otimes \infty \exists \Delta \in \exists \neg \infty \forall \exists \swarrow$ 

 $\mathcal{P}\nabla \rangle \sqcup \mathcal{L}$ 

 $\mathcal{B}_{\text{CD}}(\text{CD},\mathcal{M}) \\ \text{CD}(\text{CD},\mathcal{M}) \\ \text{CD}(\mathcal{M}) \\ \text{CD}(\mathcal{M}) \\ \text{CD}(\mathcal{M}) \\ \text{CD}(\mathcal{M}) \\ \text$ 

 $\mathcal{G} \nabla \dashv \text{Im} \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup$ {Im} \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup {Im} \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup {Im} \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup {Im} \mathcal{A} \sqcup \mathcal{A} \sqcup \\ \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup \\ \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup \\ \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal{A} \sqcup \\ \mathcal{A} \sqcup \mathcal{A} \sqcup \mathcal

 $\mathcal{P}\nabla \rangle \backslash \sqcup_{\swarrow}$ 

 $\underbrace{\mathcal{M}}_{\mathcal{A}} \underbrace{\mathcal{M}}_{\mathcal{A}} \underbrace{\mathcal{M}}_{\mathcal{M}} \underbrace{\mathcal{M}} \underbrace{\mathcal{M}}_{\mathcal{M}} \underbrace{\mathcal{M}} \underbrace{\mathcal$ 

 $\mathcal{P}(\mathbf{u})_{\mathrm{i}}$ 

 $\mathcal{I}_{\exists} \exists \forall \mathcal{I}_{\forall} \mathcal{C} \exists \forall \mathcal{C} \forall \mathcal{C}$ 

 $\mathcal{L} \ \mathcal{L} \$ 

 $\mathcal{H} \sqcap \sqcup \exists \langle \exists \wr \Diamond \mathcal{L} \rangle \backslash [\exists \checkmark \mathcal{AP} \wr \exists \sqcup \rangle ] f \wr \{ \mathcal{P} \wr f \sqcup \mathfrak{f} \wr [\exists \nabla \backslash \rangle f \mathfrak{f}_{\checkmark} \mathcal{H} \rangle f \sqcup \wr \nabla \dagger \Leftrightarrow \mathcal{T} \langle \exists \wr \nabla \dagger \Leftrightarrow \mathcal{F} \rangle ] \sqcup \rangle \wr \backslash_{\checkmark}$ 

 $\underline{\mathcal{C}(\mathbf{i})} = \underline{\mathcal{C}(\mathbf{i})} = \underline{\mathcal{C}(\mathbf{i})$ 

 $\mathrm{Jid} \nabla \mathrm{id} \{$ 

$$\begin{split} & \mathcal{S} \setminus \{ \mathcal{L} \mid \mathcal{A} \mid \mathcal$$

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 $\underline{\mathcal{C}} ( \exists \mathrm{Min}) \neg$  $\underline{\mathcal{R}} = \underline{\mathcal{L}} = \underline{\mathcal{$  $\mathcal{P}\nabla \setminus \sqcup_{\swarrow}$  $\mathcal{K} \nabla \sqcap \sqcup \ddagger \Leftrightarrow \mathcal{G} \wr \nabla \lceil \wr \setminus \mathcal{V}_{\mathcal{L}} \uparrow \mathcal{C} \langle \rangle \backslash \rceil f \rceil \mathcal{L} \dashv \lfloor \wr \nabla \Leftrightarrow \mathcal{E} \rfloor \wr \setminus \wr \Uparrow \rangle ] \mathcal{D} \rceil \sqsubseteq \rceil \uparrow \downarrow \mathcal{V}_{\mathcal{L}} \uparrow \uparrow \downarrow \mathcal{C} \langle \rangle \land | f \rceil \mathcal{L} \dashv \lfloor \wr \nabla \Leftrightarrow \mathcal{E} \rfloor \wr \land \downarrow \rangle \land \downarrow \mathcal{L} \uparrow \downarrow \mathcal{L} \land \downarrow$  $\mathcal{E} \sqcup \langle \mathsf{i} \langle \mathsf{i} \rangle \mathsf{f} \sqcup \mathsf{i} \nabla \mathsf{f} \infty \forall_{\mathscr{L}} \bigtriangleup \Leftarrow \mathcal{A} \sqcap \sqcup \sqcap \mathbb{Q} \setminus \infty \exists \infty \Rightarrow \neg \ni \in \infty^{\overset{\frown}{\leftarrow}} \ni \exists_{\mathscr{L}} \mathcal{P} \nabla \mathsf{i} \setminus \sqcup_{\mathscr{L}} \mathcal{P} \lor \mathsf{i} \sqcup_{\mathscr{L}} \mathcal{P}$  $\mathcal{K} \sqcap \dashv \backslash \mathcal{V} \rceil \backslash \} \Leftrightarrow \mathcal{A}_{\mathcal{L}} \underbrace{\mathcal{M}} \dagger \mathcal{S} \langle \sqcap \sqcup \Leftrightarrow \underbrace{\wr ? \Downarrow \dashv f \rceil}_{\sqrt{\sqrt{1}}} \underbrace{\nabla \wr f \dashv}_{\mathcal{L}} \mathcal{L} \rangle \textcircled{\uparrow} \dashv \neg \mathcal{L} \sqcap \S \Leftrightarrow \infty \exists \in \bigtriangleup_{\mathcal{L}} \mathcal{P} \nabla \rangle \backslash \sqcup_{\mathcal{L}} \mathcal{V}$  $\mathcal{L} \rightarrow \mathcal{L} \rightarrow$  $\mathcal{P}(\acute{e}\sqcup) \\ \exists \mathcal{H} \\ \int_{\mathcal{A}} \exists \mathcal{A} \\ \mathcal{P} \\ \nabla \\ \mathsf{P} \\ \mathsf{V} \\ \mathsf{P} \\ \mathsf{V} \\ \mathsf{V}$  $\mathcal{L} \dashv \sqcap f \rceil \setminus \sqcup^{\mathcal{K}} \mathcal{H} \rceil \nabla \nabla \rceil \nabla \dashv \Leftrightarrow \mathcal{I} f \dashv \lfloor \rceil \updownarrow^{\uparrow} \mathcal{L} \rceil f \mathcal{A} f \rangle \dashv \sqcup \rangle \amalg \sqcap \mathcal{P} e \nabla \wr \sqcap_{\mathcal{L}} \uparrow \underbrace{\mathcal{E}}_{\mathcal{L}} \dashv \sqcup \rangle \wr f$  $\underbrace{\mathcal{L}}_{\text{HU}} \\ \texttt{I}_{\text{HU}} \\ \texttt$ 

 $\mathcal{J} \oplus [f \setminus \Leftrightarrow \mathcal{F} \nabla ] [\nabla \rangle] \swarrow \underline{\mathcal{T}} [\mathcal{P} \downarrow \downarrow \rangle \sqcup ] \oplus \mathcal{P} \downarrow \langle \downarrow \downarrow \rangle ] \oplus \mathcal{P} \nabla \oplus \nabla \nabla \oplus \nabla \nabla \oplus \nabla \nabla \oplus \mathcal{P} \nabla ] = \mathcal{F} \oplus \mathcal{F}$ 

 $][\Box] \dashv ]\rangle \acute{0} \backslash \Leftrightarrow$ 

 $\mathcal{L} \dashv \ddagger \dashv \nabla \sqcup ] \mathcal{O} \dagger \dashv \rbrace \sqcap ] \Leftrightarrow \mathcal{S} \dashv \lfloor \dagger \mathcal{E} \sqsubseteq ] \ddagger \dagger \backslash \swarrow \uparrow \mathcal{E} \ddagger \swarrow ] \land J \dashv \ddagger \rangle ] \land \sqcup \wr \lbrace \rangle \ddagger \wr f \circ \lbrace \rangle \rfloor \wr [] \mathcal{P} ] [ \nabla \wr \mathcal{Z} \sqcap \ddagger ] \land \neg$ 

 $\mathcal{B} \nabla \rangle \ddagger \mathcal{N} \mathcal{V} \Leftrightarrow \in \mathcal{I} \otimes \mathcal{I} \swarrow \otimes \Delta \ni \land \forall \exists \checkmark \mathcal{P} \nabla \rangle \backslash \sqcup \checkmark$ 

 $\underline{\mathcal{A}}_{\text{III}} = \underline{\mathcal{A}}_{\text{III}}$ 

 $\in \mathcal{W}_{\swarrow}\mathcal{P}\nabla \rangle \backslash \sqcup_{\swarrow}$ 

 $[] \ \ \, \downarrow \mathcal{P} ] \nabla \acute{u} \Leftrightarrow$ 

 $\mathcal{P}\nabla\rangle\backslash\sqcup_{\swarrow}$ 

 $\Leftarrow \infty \exists \exists \not \Rightarrow \neg \infty \in \overleftarrow{\nabla} \ni \swarrow$ 

 $\texttt{K}\texttt{K}\texttt{L} \cong \texttt{I} = \texttt{I} =$ 

 $\Leftarrow \infty \exists \exists \in \Rightarrow \neg \exists \land \infty \prime \prime \checkmark \mathcal{P} \nabla \rangle \backslash \sqcup \swarrow$ 

 $\mathcal{J} \exists \exists \Rightarrow \mathcal{W} [ (\mathcal{I} \otimes \infty \mathcal{J} ) ] \in \mathcal{I} \otimes \infty \mathcal{I}$ 

 $\underbrace{\mathcal{E}}_{\mathcal{L}} = \underbrace{\mathcal{E}}_{\mathcal{L}} = \underbrace{\mathcal{$ 

 $\mathcal{M} \dashv \nabla \rangle \acute{a} \sqcup \rceil \} \sqcap \rangle \swarrow \uparrow$ 

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 $\nabla \neg | \rangle | \neg \downarrow \checkmark \uparrow$   $\frac{\mathcal{R} ] \sqsubseteq \int \Box \neg \mathcal{E} \Box \nabla \lor ] \neg | \Box \mathcal{E} \int \Box \Box [ \rangle \wr \int \mathcal{L} \neg \Box \rangle \lor \neg \downarrow ] \neg \langle \neg \downarrow \Box \Box \nabla \lor \downarrow ] \neg \langle \neg \downarrow \Box \Box \nabla \lor \downarrow ] \neg \langle \neg \downarrow \Box \Box \nabla \lor \downarrow ] \neg \langle \neg \downarrow \Box \Box \nabla \lor \downarrow ] \neg \langle \neg \downarrow \Box \Box \nabla \lor \downarrow ] \neg \langle \neg \downarrow \Box \Box \nabla \lor \downarrow \Box \Box \Box \nabla \lor \downarrow ] \neg \langle \neg \downarrow \Box \Box \Box \Box \neg \downarrow ] \downarrow \Rightarrow \Leftrightarrow \neg \in \exists \checkmark \land \downarrow \checkmark$   $\frac{\mathcal{R} ] \sqsubseteq \rangle ] \supseteq \wr \{ \qquad \mathcal{L} \neg \Box \land \land \downarrow \Box \Box \neg \land \downarrow \Box \Box \Box \Box \Box \Box \Box \neg \downarrow ] \downarrow \Rightarrow \Leftrightarrow \neg \in \exists \checkmark \land \downarrow \checkmark$ 

 $\frac{\mathcal{M}(\nabla)}{\mathcal{M}} = \mathcal{J}(fe)$ 

 $\langle i \uparrow [\nabla] \uparrow \{ \rangle \uparrow i \land f \to \mathcal{B} \dashv ] \langle ] \uparrow i \nabla \simeq f [] \} \nabla ] ] \sqcup \langle ] f \rangle f \swarrow \in \mathcal{W} \swarrow \mathcal{W} ] \lfloor \swarrow \bigtriangledown \mathcal{J} \sqcap \backslash ] \in \mathcal{I} \infty \infty \swarrow \mathcal{U}$ 

 $\mathcal{C} \dashv \nabla \rangle [ [ ] \dashv \backslash \swarrow \mathcal{E} [ \checkmark \quad \mathcal{L} \wr \wr \| \mathcal{L} \dashv \rangle \Leftrightarrow \mathcal{W} \dashv \downarrow \sqcup \wr \land \dashv \backslash [\mathcal{T} \dashv \backslash \mathcal{C} \langle ] ] \land \mathcal{B} \rangle \downarrow \checkmark \mathcal{B} \land \exists \land \neg \mathcal{B} \nabla \rangle \downarrow \downarrow \Leftrightarrow$  $\in I \infty I / \infty$ 

 $\mathcal{L} \wr || \mathcal{L} \dashv \rangle \Leftrightarrow \mathcal{W} \dashv \downarrow \sqcup \wr \backslash \swarrow \uparrow \mathcal{I} \backslash \sqcup \nabla \wr [\sqcap ] \sqcup \rangle \wr \backslash \swarrow \uparrow \mathcal{T} \langle ] \mathcal{C} \langle \rangle \backslash ] f ] \rangle \backslash \mathcal{L} \dashv \sqcup \rangle \backslash \mathcal{A} ( ) | \nabla \rangle ] \dashv \dashv \backslash [\sqcup \langle ]$ 

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 $\mathcal{L}(\mathsf{A})^{\dagger} \mathsf{A} \mathcal{H}(\mathsf{A})^{\dagger} \mathsf{A} \mathcal{H}$ 

 $\mathcal{Y} = \mathcal{T} = \mathcal{I} =$ 

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 $\mathcal{W}$ 

 $\texttt{KK} (\mathcal{L}(\nabla \mathcal{D}(\mathcal{V}))) (\mathcal{V}(\mathcal{V})) (\mathcal{V})) (\mathcal{V}(\mathcal{V})) (\mathcal{V}(\mathcal{V})) (\mathcal{V}(\mathcal{V})) (\mathcal{V}(\mathcal{V})) (\mathcal{V}(\mathcal{V})) (\mathcal{V}(\mathcal{V})) (\mathcal{V}(\mathcal{V})) (\mathcal{V})) (\mathcal{V}(\mathcal{V})) (\mathcal{V}(\mathcal{V})) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}(\mathcal{V})) (\mathcal{V}(\mathcal{V})) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}(\mathcal{V})) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}) (\mathcal{V}) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}) (\mathcal{V}) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}) (\mathcal{V}) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}) (\mathcal{V}) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}) (\mathcal{V}) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}) (\mathcal{V}) (\mathcal{V}) (\mathcal{V}) (\mathcal{V})) (\mathcal{V}) (\mathcal{V}$ 

 $\mathcal{H}_{\mathcal{I}} = \mathcal{H}_{\mathcal{I}} =$ 

 $\mathcal{L}] \diamond \langle \Leftrightarrow \mathcal{J} \Box \rangle \rangle \swarrow \land \mathcal{F} \nabla \dashv \rbrace \Downarrow ] \langle \sqcup \wr \{ \mathcal{M} ] \Downarrow \wr \nabla \rangle \dashv [] \updownarrow \dashv \rangle \nabla \dashv \swarrow \land \mathcal{F} \mathcal{H} \wr f \sqcup \wr f \mathcal{R} ] \sqsubseteq \rangle ] \sqsupseteq \swarrow \mathcal{R} ] \sqsubseteq \rangle f \sqcup \dashv \mathcal{I} \land \mathcal{$ 

 $\nabla ] \setminus [ ] \nabla \rangle \setminus \} \wr \{ f ] \ddagger \{ \swarrow \$ 

 $\mathcal{L}_{0} = \mathcal{L}_{0} = \mathcal{L}_{0}$  $\underline{\mathcal{C}}_{\text{add}} \underline{\mathcal{C}}_{\text{add}} \underline{\mathcal{$ A = $\mathcal{T} = \mathcal{T} =$  $\mathcal{P}\nabla$ ]// $\Leftrightarrow \in I \infty \ni I \land I \land \in \Delta I$ 

 $\infty \exists \exists \triangle_{\swarrow} \ominus^{\swarrow} \forall_{\checkmark} \mathcal{P} \nabla \rangle \backslash \sqcup_{\checkmark}$ 

 $\infty \swarrow \mathcal{L} \texttt{ACACCONSTRACT}$ 

 $\underbrace{\operatorname{div}}_{\mathcal{A}} \underbrace{\operatorname{div}}_{\mathcal{A}} \underbrace{\operatorname{div}}_{\mathcal{A}} \underbrace{\mathcal{A}}_{\mathcal{A}} \underbrace{\mathcal{A}} \underbrace{\mathcal{A}}$ 

 $\frac{[] \int \Box d \nabla d T }{\sqrt{2} + [\nabla T] }$ 

 $\mathcal{M} \dashv \langle \nabla \rangle \amalg \sqcap ] \Leftrightarrow \mathcal{J} \wr \nabla \} \urcorner \swarrow \uparrow \mathcal{C} \land \uparrow \downarrow \dashv \int \checkmark \nabla \uparrow \dashv \Downarrow \sqcap \urcorner \nabla \sqcup ] [ ] \mathit{f} \sqcap \checkmark \dashv [ \nabla ] \checkmark \uparrow \mathcal{C} \land \checkmark \dashv \mathit{f} \dashv \updownarrow \dashv \land \dashv \land \dashv \land \dashv \land \lor \sqcap \urcorner \nabla \sqcup ]$ 

 $\underline{\mathcal{J}} \overline{\mathcal{V}} \overline{\mathcal{J}} \overline{\mathcal{V}} \overline{\mathcal{J}} \overline{\mathcal{V}} \overline{\mathcal{J}} \overline{\mathcal{V}} \overline{\mathcal{$ 

 $\underline{\mathcal{C}} = \underline{\mathcal{C}} = \overline{\mathcal{C}} = \overline{\mathcal{$ 

 $\mathcal{L} \sqcap \texttt{L} \upharpoonright \texttt{L} \land \texttt{L} \land$ 

 $\mathcal{P}\nabla$ 

 $\mathcal{L}_{0} = \mathcal{L}_{0} = \mathcal{L}_{0}$ 

 $\label{eq:constraint} \ensuremath{\square\mathcal{H}} \ensuremath{\square\mathcal{K}} \ensurem$ 

 $riangle \forall \prime$ 

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 $\mathcal{V}(\mathcal{V}_{\mathcal{V}} \otimes_{\mathcal{V}} \mathcal{L})$ 

KK/L + L

 $\exists \in \forall \land \exists \prime \swarrow \mathcal{P} \nabla \rangle \backslash \sqcup \swarrow$ 

 $\mathcal{A} \text{Imp} \rightarrow \infty \exists \exists \Delta \swarrow \infty \text{Imp} \in \exists \checkmark \mathcal{P} \nabla \text{Imp}$ 

 $\mathcal{P}\nabla \rangle \backslash \sqcup_{\swarrow}$ 

 $\mathcal{A} \text{Imp} \text{Amp} Amp Amp Amp Amp Amp Amp Amp Am$ 

 $\mathcal{A} \text{Imp} \text{Amp} Amp Amp Amp Amp Amp Amp Amp Am$ 

 $\mathcal{L} \ \texttt{Ind} \ \mathcal{A} \ \texttt{Ind} \ \texttt{Ind$ 

 $\mathcal{M} \dashv \nabla \rangle \acute{a} \sqcup \rceil \} \sqcap \rangle \sqcup \wr \sqcup \dashv \ddagger \swarrow \mathcal{V} \wr \ddagger \swarrow \infty \checkmark$ 

 $\mathcal{U} \ \forall \exists \nabla f \ \exists \forall \mathcal{T} \ \mathcal{T}$ 

 $\mathcal{M} \dashv \nabla | \wr \nabla \dagger \mathcal{U} \nabla \amalg \sqcap \rangle \lceil \backslash \swarrow \mathcal{A} \sqcap \mathcal{J} \sqcup \rangle \backslash \neg$ 

 $\mathcal{A} \text{Imposed} \mathcal{A} \text{Imposed} \text{Impo$ 

 $\texttt{K}\texttt{K}/\texttt{L}\mathsf{H}\mathsf{D}\texttt{L}\mathsf{H}\mathsf{D}\texttt{L}\mathsf{H}\mathsf{D}\mathsf{L}\mathsf{H}\mathsf{D}\mathsf{A}\mathsf{H}\mathsf{D}\mathsf{D}\mathsf{A}\mathsf{H}\mathsf{D}\mathsf{H}\mathsf{D}\mathsf{A}\mathsf{H}\mathsf{D}\mathsf{A}\mathsf{H}\mathsf{D}\mathsf{H}\mathsf{D}\mathsf{A}\mathsf{H}\mathsf{D}\mathsf{D}\mathsf{A}\mathsf{H$ 

 $\exists \exists \mathbb{K} \Delta \infty \swarrow \mathcal{P} \nabla \rangle \backslash \sqcup \swarrow$ 

 $\mathcal{A} \text{minimum} \\ \mathcal{A} \text{min$ 

 $\texttt{K}\texttt{K}/\texttt{L} = \texttt{V}(\texttt{L}) \\ \texttt{L} = \texttt{V}(\texttt{L}) \\ \texttt{L} = \texttt{L} \\ \texttt{L} = \texttt{L} \\ \texttt{L} = \texttt{L} \\ \texttt{L} = \texttt{L} \\ \texttt{L} \\ \texttt{L} = \texttt{L} \\ \texttt{L} \\$ 

 $\mathcal{P}\nabla$ 

 $\mathcal{A} \text{minimum} = \mathbb{A} \text{minimum}$ 

## $\mathcal{C}\langle\rangle \rfloor \dashv \} \wr \Leftrightarrow$

 $\mathcal{G} \exists \nabla \exists \texttt{Constraint} \forall \texttt$ 

 $\mathcal{L} \rangle {\rm med}$ 

 $\in \mathcal{U} \in \mathcal{K} \in \mathcal{U} \setminus \mathcal{W} | \lfloor \swarrow \infty \triangle \mathcal{J} \sqcap \backslash ] \in \mathcal{U} \infty \times \checkmark$ 

 $\underline{\Box} = \underline{\Box} =$ 

 $\mathcal{A} \text{Imud} \approx \infty \text{IIA} \text{Imud} \approx \infty \text{IIA} \text{Imud} \approx 0 \text{Imud} \text{Imud} \text{Imud} \approx 0 \text{Imud} \text{Imud} \approx 0 \text{Imud} \text{Imud} \text{Imud} \approx 0 \text{Imud} \text{Imud} \text{Imud} \approx 0 \text{Imud} \text$ 

 $\mathrm{int}(\mathcal{A}) = \mathrm{int}(\mathcal{A}) = \mathrm{in$ 

 $\mathcal{S} = \mathsf{I} = \mathcal{C} = \mathcal{C} = \mathsf{I} = \mathcal{C} = \mathsf{I} =$ 

 $\sqrt{e^{i}}$ 

 $\underbrace{\mathcal{P}]\nabla \acute{u}_{\checkmark}\mathcal{L}}{\text{Her}} \mathcal{Y} = \frac{1}{2} \left( \frac{1}{2} \right) \left( \frac{1}{2} \left( \frac{1}{2} \right) \right) \left( \frac{1}{2} \left( \frac{1}{2} \right) \right) \left( \frac{1}{2} \right) \left( \frac{1}{2}$ 

 $\mathcal{XV} \land \mathcal{XX} / \mathcal{VI} / \mathcal{VI} / \mathcal{L} \land \mathfrak{U} \dashv \neg \mathcal{E} [ \ \cup \ \lor \nabla \rangle \dashv \mathcal{M} \land \mathfrak{U} \dashv \mathcal{B} \dashv \sqcup \nabla ] \land \Leftrightarrow \infty \exists \forall \mathscr{U} \ni \bigtriangleup \mathcal{U} \land \mathcal{U}$ 

 $\mathcal{M} = \mathcal{B} = \mathcal{D} =$ 

 $\underbrace{\mathcal{O}_{\checkmark}}_{\checkmark} \underbrace{\mathcal{O}_{\land}}_{\checkmark} \underbrace{\mathcal{O}_{\sqcap}}_{\checkmark} \underbrace{\mathcal{O}_{\sqcap}}_{\checkmark} \underbrace{\mathcal{O}_{\upharpoonright}}_{\checkmark} \underbrace{\mathcal{O}_{\sqcap}}_{\land} \underbrace{\mathcal{O}_{\upharpoonright}}_{\checkmark} \underbrace{\mathcal{O}_{\sqcap}}_{\checkmark} \underbrace{\mathcal{O}_{\sqcap}}_{\checkmark} \underbrace{\mathcal{O}_{\sqcap}}_{\checkmark} \underbrace{\mathcal{O}_{\sqcap}}_{\checkmark} \underbrace{\mathcal{O}_{\sqcap}}_{\checkmark} \underbrace{\mathcal{O}_{\sqcap}}_{\checkmark} \underbrace{\mathcal{O}_{\sqcap}}_{\checkmark} \underbrace{\mathcal{O}_{\sqcap}}_{\mathstrut} \underbrace{\mathcal{O}_{\sqcup}}_{\mathstrut} \underbrace{\mathcal{O}_{\sqcap}}_{\mathstrut} \underbrace{\mathcal{O}_{\sqcup}}_{\mathstrut} \underbrace{\mathcalO}_{\sqcup}}_{\mathstrut} \underbrace{$ 

 $\mathcal{F} = \mathcal{P} =$ 

 $\underline{\mathcal{A}} \underline{\mathcal{A}} \underline{\mathcal{$ 

 $\mathcal{P}\nabla \rangle \backslash \sqcup_{\swarrow}$ 

 $\underbrace{\mathcal{H}}_{\text{III}} = \mathcal{H}_{\text{III}} \otimes \mathbb{E}_{\mathcal{H}} \otimes \mathbb{E}_{\mathcal$ 

# 

 $\mathcal{S} \sqcup \exists \{ \forall \nabla [ \neg \mathcal{S} \sqcup \exists \langle \forall \nabla [ \mathcal{U} \rangle \sqsubseteq ] \nabla f \rangle \sqcup \dagger \mathcal{P} \nabla ] f \Leftrightarrow \in \mathcal{U} \land \swarrow \mathcal{P} \nabla \rangle \setminus \sqcup \swarrow$ 

 $\mathcal{T} \nabla \exists \forall \mathcal{T} \forall \forall \mathcal{T} \forall \mathcal$ 

 $\mathcal{P} = \mathcal{P} =$ 

 $\mathcal{P} = \texttt{P} =$ 

 $\mathcal{L} \ (\ \mathcal{D} \ ) \ \mathcal{D} \ \mathcal{D} \ ) \ \mathcal{D$ 

 $\mathcal{D} \sqcap \nabla \langle \exists m \forall \exists i \in \mathcal{N}$ 

 $\forall\forall \swarrow \mathcal{P} \nabla \rangle \backslash \sqcup \swarrow$ 

 $\mathcal{Z} \sqcap \texttt{I} \land \mathcal{T} : \texttt{I} \land$ 

 $\mathcal{P}]\lceil\nabla\wr$ 

 $\mathcal{F}\wr\backslash\lceil\wr$ 

$$\begin{split} &\mathcal{R}\wr[\acute{\diamond} \mathcal{J}\wr f\acute{e} \mathcal{E}\backslash \nabla\rangle\amalg\sqcap]\checkmark \underline{\mathcal{A}} \nabla\rangle] \dot{\downarrow} \swarrow \mathcal{M}\wr\backslash\sqcup] \sqsubseteq\rangle[\wr\neg\mathcal{I} \Downarrow \sqrt{\nabla}]\backslash\sqcup\dashv[]\mathcal{D}\wr \nabla\backslash\dashv\downarrow] \langle\uparrow \mathcal{R} \uparrow\uparrow] f\Leftrightarrow \\ & \infty\exists \mathcal{U}_{\checkmark} \mathcal{P} \nabla\rangle\backslash\sqcup_{\checkmark} \\ & \mathcal{R}\wr[\nabla i\}\sqcap] \ddagger\mathcal{L}\rangle \tilde{n}\acute{a}\backslash\Leftrightarrow\mathcal{M}\rangle\}\sqcap] \ddag\mathcal{E} \ddag\mathcal{T} f\sqcup\dashv\Downarrow] \backslash\sqcup\wr[] \ddag\dashv\sqcup\wr \nabla \ddag] \backslash\sqcup\dashv\Leftrightarrow\backslash\wr\sqsubseteq] \ddag\dashv[] \lrcorner\wr\Downarrow_{\checkmark} \uparrow\uparrow] \dashv \end{split}$$

 $\gg \downarrow$ 

 $\mathcal{P}\nabla \rangle \backslash \sqcup_{\swarrow}$ 

### $\mathcal{S} \texttt{Signature} \mathcal{S} \texttt{Signature} \texttt{Sign$

 $\in \mathcal{U} \in \mathcal{I} \setminus \mathcal{W} \mid \mathcal{W} \mid \mathcal{U} \otimes \Delta \mathcal{J} \sqcap \mathsf{I} \in \mathcal{I} \otimes \infty \mathcal{U}$ 

 $\underline{\exists } | \underline{\exists } | \underline{a } | \underline{a$ 

 $\mathcal{L} = \mathcal{E}$ 

 $\frac{|H_{\rm int}|}{\sqrt{2}}$ 

 $\in \prime \infty \in \swarrow$ 

 $\mathcal{W} ] [ \mathcal{A} \in \triangle \mathcal{M} \dashv \nabla ] \langle$ 

 $\mathcal{R} \text{interms} \mathcal{R} \text{inter$ 

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 $\sum \left( \frac{\mathcal{H}}{\mathcal{H}} \right) = \left( \frac{\mathcal{H}} \right) = \left( \frac{\mathcal{H}}{\mathcal{H}} \right) = \left( \frac{\mathcal{H}}{\mathcal{H}} \right) = \left($ 

 $\mathcal{C} = \mathcal{C} =$ 

 $\sum \left( \frac{\mathcal{L}}{\sqrt{\mathcal{D}}} \right) \left( \frac{\mathcal{L}}{\sqrt{\mathcal{D}}$ 

 $\mathcal{W}[\mathcal{V} \in \mathcal{S}] \ \mathcal{U} \subset \mathcal{S}$ 

 $[\texttt{i}] \Rightarrow \texttt{int} \mathcal{D} ] \texttt{int} \in \texttt{int} \texttt{int}$ 

 $\texttt{KKK} + \texttt{LH} = \texttt{KH} + \texttt{I} + \texttt{I$ 

 $\mathcal{P} \text{diaminanteq} \in \mathcal{U} \forall_{\mathcal{L}} \mathcal{P} \nabla \rangle \backslash \textbf{d}_{\mathcal{L}}$ 

 $\in \mathcal{U} \bigtriangleup_{\mathcal{L}} \mathcal{P} \nabla \backslash \sqcup_{\mathcal{L}}$   $\land \land \land \checkmark_{\mathcal{L}} \mathcal{E} \ \{ \Box \nabla \wr \nabla [] \ ( \lor \nabla ] \ ( \lor \nabla ) \ ( \lor ) \ ( \lor$ 

 $\in \mathcal{U} \land \mathcal{P} \nabla \land \sqcup \mathcal{L}$ 

 $\mathcal{S} \models \mathcal{K} = \mathcal{K} =$ 

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 $\mathcal{T}_{\text{C}} \mathcal{S}_{\text{C}} = \mathcal{S}_{\text{C}} = \mathcal{S}_{\text{C}} \mathcal{S}_{\text{C}} = \mathcal{S}_{\text{C}} \mathcal{S}_{\text{C}} = \mathcal{S}_{\text{C}} \mathcal{S}_{\text{C}} = \mathcal{S}_{\text{C}} =$ 

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 $\underline{\mathcal{C}}_{\mathsf{T}}}_{\mathsf{T}}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}_{\mathsf{T}}}_{\mathsf{T}}}_{\mathsf{T}}$ 

 $\begin{array}{c} \mathcal{B} \\ \square \\ \square \\ \square \\ \square \\ \square \\ \square \\ \mathcal{K} \\ \square \\ \mathcal{K}$ 

 $\mathcal{P} \nabla ] \text{is a space of } \mathcal{P} \nabla \rangle \text{is a spa$ 

 $\mathcal{S} \sqcup \exists \exists \exists \forall \cup \Leftrightarrow \mathcal{W} \dashv \sqcup \sqcup_{\swarrow} \mathcal{C} \langle \rangle \backslash \exists f | \mathcal{B} \wr \backslash \exists f \rangle \rangle \mathcal{P} \exists \nabla \Box_{\swarrow} \mathcal{D} \Box \nabla \langle \exists \ddagger \neg \mathcal{D} \Box \| \exists \mathcal{U} \rangle \sqsubseteq \exists \nabla f \rangle \sqcup \ddagger$ 

 $\infty \exists \exists \Delta \swarrow$ 

 $\mathcal{S}_{\text{int}} = \mathcal{O}_{\text{int}} = \mathcal{O}_{\text{int}$ 

 $\mathcal{P} \text{diaminant} \in \mathcal{H} \text{diaminant} \mathcal{P} \text{diaminant}$ 

 $\mathcal{P}\nabla \rangle \sqcup \mathcal{L}$ 

 $\in \mathcal{U} \exists \swarrow \mathcal{P} \nabla \rangle \backslash \sqcup \swarrow$ 

KK/E = C

 $\mathcal{C} = \texttt{C} =$ 

 $\texttt{K} \texttt{K} (\mathcal{I} \cup \mathcal{I} \cup \cup \mathcal{I} \cup \mathcal$ 

 $\mathcal{L}$ 

 $\mathcal{V} \dashv \nabla \} \dashv \mathcal{I} \mathcal{L} \uparrow \mathcal{I} \dashv \Leftrightarrow \mathcal{M} \dashv \nabla \rangle \mathcal{I}_{\mathcal{L}} \underbrace{\mathcal{C} \land \sqsubseteq} \nabla \mathcal{I} \dashv j \rangle \delta \land ] \land \mathcal{L} \dashv \mathcal{C} \dashv \sqcup ] [ \nabla \dashv \uparrow_{\mathcal{L}} \mathcal{M} \dashv [ \nabla \rangle [ \neg \mathcal{P} \sqcap \backslash \sqcup \wr [ ] ]$ 

 $\infty \bigtriangleup \mathcal{S}_{\text{int}} = \mathcal{S}_{\text{$ 

 $\in 1000$ 

 $\mathcal{V} = \texttt{V} =$ 

 $\in \mathcal{I} \infty \mathcal{I} \mathcal{I} \mathcal{W} | \mathcal{I} \mathcal{I} \in \infty \mathcal{N} i \sqsubseteq \qquad \in \mathcal{I} \infty \in \mathcal{I}$ 

 $\label{eq:constraint} $$ $ \int d \left( \int U \right) \left( \nabla \right) \left( \int U \right) \left( \nabla \right) \left$ 

 $\mathcal{S} = \texttt{I} = \mathcal{I} =$ 

 $\in \mathcal{W}_{\mathcal{I}}\mathcal{P}\nabla \rangle \backslash \sqcup_{\mathcal{I}}\mathcal{I}$ 

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 $\texttt{K}\texttt{K}/\texttt{Sit}(\mathsf{A}) = \texttt{Sit}(\mathsf{A}) = \texttt{Sit}(\mathsf{A$ 

 $\texttt{K}\texttt{K}/\texttt{R} (\texttt{A} (\texttt{A} ) \texttt{H} (\texttt{A} ) \texttt$ 

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 $\mathcal{V}[\nabla af \sqcup]] \Box \Leftrightarrow \mathcal{E} \setminus \nabla \rangle \amalg \Box \Box ] \swarrow \underbrace{\mathcal{A}} ] \ddagger \Box f \mathcal{N} \wr \sqsubseteq \Box f \nleftrightarrow \mathcal{L} \land \exists \mathcal{L} \land \exists \mathcal{L} \land \exists \mathcal{A} \setminus \exists \mathcal{A} \land \exists \mathcal{A} \land \exists \mathcal{A} \land \exists \mathcal{A} \land \mathcal{A} \land \exists \mathcal{A} \land \exists \mathcal{A} \land \mathcal{A} \land \exists \mathcal{A} \land$ 

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$$\begin{split} & \langle \langle \langle \mathcal{H} \rangle \underline{f} \sqcup \wr \nabla \rangle \dashv [] \Box \backslash \dashv \rbrace \wr \nabla [\dashv \swarrow \mathcal{T} \nabla \Box ] \rangle \ddagger \wr \Leftrightarrow \mathcal{P} ] \nabla \Box \neg \mathcal{L} \rangle [] \nabla \sqcup \dashv [ \Leftrightarrow \infty \exists \exists \Delta \swarrow \mathcal{P} \nabla \rangle \backslash \sqcup \checkmark \mathcal{P} \nabla \rangle \land \sqcup \checkmark \mathcal{P} \nabla \rangle \land \sqcup \checkmark \mathcal{P} \nabla \rangle \land \sqcup \checkmark \mathcal{P} \nabla \rangle \sqcup \checkmark \mathcal{P} \nabla \nabla \rangle \sqcup \checkmark \mathcal{P} \nabla \rangle \sqcup \checkmark \mathcal{P} \nabla \rangle \sqcup \checkmark \mathcal{P} \nabla Z = \mathcal{P} \nabla Z =$$

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 $\underbrace{\mathcal{V} \dashv \nabla} [ \dashv [ ] ] \mathcal{I} \mathcal{V} \swarrow \infty \bigtriangledown \Leftarrow \mathcal{J} \sqcap \backslash ] \infty \exists \textit{I} \forall \Rightarrow \neg$ 

 $\in \mathcal{U} \in \mathcal{V} \setminus \mathcal{W} \mid \mathcal{V} \supset \mathcal{J} \cap \mathcal{I} \in \mathcal{V} \times \mathcal{V}$ 

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 $|\langle\rangle | | | | | | | \rangle | \mathcal{M} | | \rangle | \mathcal{C} | | + \mathcal{H} | | | \nabla \infty \forall \exists \Rightarrow \checkmark$  $\exists \exists \forall \mathcal{D} \rangle \\ \forall \mathcal{D} \forall \mathcal{D} \rangle \\ \forall \mathcal{D} \rangle \\ \forall \mathcal{D} \forall \mathcal{D}$  $^{\bigtriangledown}\mathcal{S}||_{U} \otimes \mathcal{J}_{U} = \mathcal{I}_{U} \otimes \mathcal{I$  $+ \Box \Box \langle \mathcal{N} + \Box \rangle \langle \mathcal{N} + \Box \rangle \rangle \langle \mathcal{N} + \mathcal{N} \rangle \langle \mathcal{N} + \nabla ] \langle \mathcal{N} + \nabla ] \langle \mathcal{N} + \nabla ] \langle \mathcal{N} + \Box \rangle \langle \mathcal{N$  $] (\Pi ) = (\Pi )$  $\uparrow \ I = \mathcal{I} =$  $\texttt{if} \mathsf{A}_{\mathsf{A}} = \mathsf{A}_{\mathsf{$  $\mathcal{P}[\nabla \mathcal{S}_{\mathcal{A}}\mathcal{Z} \cap \uparrow] \setminus \exists \mathcal{S}_{\mathcal{A}}\mathcal{I} \cap \mathcal{S}_{\mathcal{A}}\mathcal{I$ 

$$\begin{split} & \mathcal{S}_{\sqrt{-1}} \\ &$$

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 $^{\infty} ^{2} \mathcal{E} \left( \frac{1}{1} \mathbb{I}^{1} \right) \left( \frac{1}{1} + \frac{1}{1} + \frac{1}{1} - \frac{1}{1} \mathbb{I}^{1} \right) \left( \frac{1}{1} + \frac{1}{1} +$ 

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$$\begin{split} & \wr \{\{1, f\} \equiv ]\uparrow \Leftarrow \uparrow \mathcal{T} \sqcap f \dashv f \uparrow \infty \bigtriangleup \neq \swarrow \end{split}$$

$$\begin{split} & \{\{\int_{V}\nabla\rangle\rangle\}\}\{\mathcal{C}\langle\rangle\rangle|f| \Leftarrow \partial \nabla \mathcal{J}_{+} \downarrow^{+}\rangle|f| \Rightarrow \exists \langle \mathcal{P} \rangle \nabla \Box \Box\rangle \exists \langle d \rangle f^{+}\rangle\rangle|f| \nabla \Box \partial f^{+} \leftarrow \Box \nabla \exists \langle f \downarrow_{+} \downarrow_$$

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 $\int \left[ \int \left( \frac{1}{2} \right)^{-1} \left($  $\sqrt{-i} = \forall \Rightarrow \swarrow$  $\label{eq:constraint} []] \label{eq:constraint} []] \label{eq:constr$  $\underset{i}{\wr} \nabla \sqcup \Box \setminus [\neg [\neg ] \{ \Box \} \dashv \dagger [\neg (\dashv ] ] \nabla f ] | \Box f \sqcup \rangle ] \rangle \dashv \uparrow \Leftarrow \underbrace{\mathcal{S}_i ] \rangle ] [\dashv [\neg f \infty \infty \ni \Rightarrow \swarrow$ 

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 $\overset{\in \bigtriangleup}{\longrightarrow} \mathcal{T}(\mathbb{P}^{\mathbb{Q}}) = \mathbb{Q}^{\mathbb{Q}} = \mathbb{Q}^{\mathbb{Q}}$ 

 $\in \mathcal{H} \forall \Rightarrow \swarrow$ 

 $\lim_{l \to l} \hat{\mathbf{f}}_{l} = \frac{\mathcal{H}_{l}}{\mathcal{H}_{l}} = \mathcal{H}_{l} = \mathcal{H}$ 

$$\begin{split} & \leftarrow \Delta \ni \Rightarrow \swarrow \\ \\ \stackrel{\Rightarrow\Rightarrow}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \left[ \left[ \frac{1}{1} \cup \left( 1 \right] \right] \right] \int_{\mathcal{N}} \nabla \left[ -1 \left[ \prod \right] \left\{ \left\{ i \right\} \right] - \left[ \frac{1}{2} \cup \left( 1 \right] \left\{ i \right\} \right] \right] \right] \\ \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \left[ \left[ \frac{1}{1} \cup \left( 1 \right] \right] \right] \right] \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \left[ \frac{1}{1} \cup \left( 1 \right] \right] \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \setminus \int_{\mathcal{N}} \nabla \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\Rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup \left( 1 \right] \right] \\ \stackrel{\rightarrow>}{} \mathcal{I} \cap \left[ \frac{1}{1} \cup$$

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 $\mathcal{E} \sqcap \nabla \wr_{\swarrow} \dashv \Leftrightarrow \langle \dashv \rfloor \rangle \dashv ] \updownarrow \langle \wr \Uparrow \lfloor \nabla \rceil [ ] \updownarrow \mathcal{P} ] \nabla \acute{u} \uparrow \Leftarrow \infty \triangle \Rightarrow \swarrow$ 

 $\langle | \nabla [ i ( + \nabla ) i ( - 1 ) ( + - 1 ) ( + - 1 ) ( + - 1 ) ] \nabla \Box + [ + - 1 ] \nabla \Box + [ + - 1 ] \langle i ( + - 1 ) ( + - 1$ 

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 $\langle l = \nabla \nabla d \rangle \\ | l = \nabla d \langle l = 0 \rangle \\ | l = 0 \rangle \\ |$  $\exists \mathbf{v} = \mathbf{v}$  $\label{eq:constraint} $$ $ \left[ \nabla_{\mathcal{T}} \right] = \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \right] = \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \right] \right] \right] \\ $ \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \right] \right] = \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \right] \right] \\ $ \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \right] \\ $ \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \right] \right] \\ $ \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \right] \\ $ \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \right] \\ $ \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \right] \\ $ \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \left[ \nabla_{\mathcal{T}} \right] \\ $ \left[ \nabla_{\mathcal{T}} \left[ \nabla_$  $\sqrt{\nabla} \left[ \sqrt{2} \left[ \left( \frac{1}{2} \right) \right] \right] = \left[ \frac{1}{2} \right] \left[ \frac{1}{2} \left[ \frac{1}{2} \right] \right] \left[ \frac{1}{2} \left[ \frac{1}{2} \right] \left[ \frac{1}{2} \right] \left[ \frac{1}{2} \left[ \frac{1}{2} \right] \left[ \frac{1}{2} \left[ \frac{1}{2} \right] \left[ \frac{1}{2} \left[ \frac{1}{2} \left[ \frac{1}{2} \left[ \frac{1}{2} \left[ \frac{1}{2} \left[ \frac{1}{2} \left[$ 

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 $\forall^{\infty}\uparrow\mathcal{N}\wr\sqsubseteq\rangle\uparrow\iota(\mathsf{I}) \neg \mathsf{I}) \neg \mathsf{I}$  $\mathsf{A} = \mathsf{A} =$  $\Leftarrow \mathcal{R} \wr [\nabla i] \exists \mathcal{P} \dashv j \sqcup \wr \nabla \Leftrightarrow \underline{\mathcal{H}} \exists \nabla i ] [\exists \nabla \wr j \exists \nabla' \Rightarrow \swarrow'$  $\label{eq:starseq} \end{target} \end{targ$  $\forall \triangle \uparrow \mathcal{Y} \dashv f | \langle \neg f \rangle | \langle \mathcal{U} \Box \neg \uparrow \mathcal{I} f [ ] \mathcal{S} \rangle || \acute{e}_{\sqrt{\neg}} \neg \nabla ] | i \dashv \langle \rangle | \mathcal{I} f [ \rangle \nabla ] | \sqcup \mathcal{I} f [ ] \mathcal{C} \langle \Box \setminus \overleftarrow{\sim} \mathcal{C} \langle \Box \setminus \Leftrightarrow ] \updownarrow f [ \rangle \mathcal{I} f [ ] \updownarrow \mathcal{S} ] \nabla \sqsubseteq \rangle \oiint f \| \acute{e}_{\sqrt{\sqrt{\checkmark}}} \Rightarrow \checkmark$  $[] f \square \sqsubseteq \rangle [ \neg 4 ] \backslash \sqcup \neg 4 \downarrow \checkmark - \mathcal{L} \neg \nabla \neg 4 \ddagger \neg \downarrow \langle \rangle \backslash \neg \langle \nabla \rceil \swarrow \neg f ] \backslash \sqcup \neg \langle \neg [ \neg 1 ] \land \uparrow \neg \langle \rangle f \sqcup \wr \nabla \rangle \neg 4 \checkmark - \mathcal{I} \backslash 2 \downarrow \rangle [ \neg [ \neg 1 ] f \neg \nabla \neg 4 \ddagger \neg \checkmark \neg \mathcal{V} \neg \langle \imath f \rangle ]$  $|f\{\Box \ \nabla \ddagger i f[] \ddagger i f[] \exists i f[] \Box i f[] \Box i f[] \Box i f[] \Box i f[] \exists i f[] i$  $\label{eq:constraint} [] f = \label{eq:constraint} [] f = \label{eq:cons$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $\label{eq:constraint} $$ \Pi_{1}= \frac{1}{2} + \frac{$ 

 $\mathsf{I}_{\mathsf{A}} = \mathsf{A}_{\mathsf{A}} =$ 

 $\nabla ] \dashv \ddagger \land \Leftarrow \Delta \land \forall \Rightarrow \swarrow$ 

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 $\texttt{M}(\mathcal{A}) = \mathsf{M}(\mathcal{A}) = \mathsf{M$  $\underbrace{\texttt{finite}}_{\texttt{finite}} \underbrace{\texttt{finite}}_{\texttt{finite}} \underbrace{\texttt{finite}} \underbrace{\texttt{finite}} \underbrace{\texttt{finite}} \underbrace{finite}} \underbrace{\texttt{finite}} \underbrace{\texttt{fi$  $\underbrace{\mathcal{D}(\mathcal{M} \dashv \nabla](\mathcal{A} \sqcap \nabla))}_{\mathcal{M} \dashv \nabla} \Leftrightarrow \underbrace{\mathcal{D}(\mathcal{N})}_{\mathcal{N}} \mapsto \underbrace{\mathcalD}(\mathcal{D}(\mathcal{N})}_{\mathcal{N}} \mapsto \underbrace{\mathcalD}(\mathcal{D}(\mathcal{N})}_{\mathcal{N}} \mapsto \underbrace{\mathcalD}(\mathcal{D}(\mathcal{N})$  $\underline{(f)} = \underbrace{\mathcal{E}}[\Box \to \mathcal{E}}[\Box \to \mathcal{E$  $\exists^{\forall}\mathcal{S}\rangle \sqcap \mathcal{K} \dashv \mathcal{W} \rceil \land \dashv \mathcal{I} \land \mathcal{I}$ 

 $| \nabla U | \sqrt{\nabla t} | \int t | - \int U | \nabla t | - \int U | \nabla t |$ 

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\label{eq:constraint} \left| \Box \nabla i_{\mathcal{A}} \right| \rightarrow \\ \left| A \otimes \uparrow f \left[ \nabla \right] \cup \left[ A \otimes \uparrow \Box \right] \left( \neg \nabla \uparrow \neg \nabla \right] \right] \left( A \otimes \uparrow \Box \right) \left( A \otimes \downarrow \Box \right) \left( A \otimes \Box \right) \left( A 
\label{eq:constraint} \\ \lab
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    ^{\infty\prime \in} \texttt{AV-II-II} = \texttt{AV-II} = \texttt{AV-II-II} = \texttt{AV-II} = \texttt{A
\overset{\otimes \prime \bigtriangleup}{\uparrow} \overset{\uparrow}{\downarrow} \overset{\downarrow}{\downarrow} \overset{\downarrow}{\downarrow} \overset{\downarrow}{\downarrow} \overset{\downarrow}{\downarrow} \overset{\downarrow}{\downarrow} \overset{\uparrow}{\downarrow} \overset{\downarrow}{\downarrow} \dot{\downarrow} \dot{\downarrow}
    \label{eq:constraint} $ [t^T_{A}]_{A} = [t^T
         {}^{\sim\prime}\uparrow \mathcal{P} ]\amalg \sqcap ] \| \dashv f \uparrow \swarrow \lfloor \nabla ] f \uparrow [ ] f \rangle \} \sqcap \dashv \uparrow ] \int \checkmark \hat{a} \} \backslash \dashv f \uparrow \Leftarrow \exists \Rightarrow \swarrow
         \label{eq:constraint} \end{tabular} \end{t
              [\texttt{i}] = \texttt{i} = \texttt{i}
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 $\overset{\sim}{\longrightarrow} (1) = \frac{1}{2} =$ 

 ${\rm Lin}\{\acute{e}\rangle \backslash {\rm IIn}[\nabla \dashv \backslash {\rm Lin}[\uparrow] \uparrow \Leftarrow \in \exists \Rightarrow \swarrow$  $\overset{\text{answer}}{=} \mathcal{E}_{1} = \mathcal{E$  $\sum_{i=1}^{i=1} \nabla_{i+1} \nabla_{i+1$ 

 $\sqrt{\frac{1}{\sqrt{1}}} \frac{1}{\sqrt{1}} \frac{1}{\sqrt$ 

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 $\overset{\sim \in \infty}{\to} (1) = (1)$  ${\rm Altimult} = {\rm A$  $\overset{\infty \in \bigtriangleup}{\longrightarrow} \overset{1}{\longrightarrow} \overset{1}{\longrightarrow}$  $\nabla \text{int} \nabla \text{int} \text{$  $\overset{_{127}}{\uparrow}\overset{_{127}}{\uparrow}\overset{_{127}}{\downarrow}\overset{_{$  $^{128} \uparrow \mathcal{E} \setminus \partial \nabla \rangle ] \setminus \sqcup \dashv \downarrow [ ] \rfloor \rangle \nabla \Downarrow ] [ \rangle ] \setminus \uparrow \Leftarrow \in \Rightarrow \swarrow$ 

 $\label{eq:constraint} \sqrt{\nabla} \\ \label{eq:constraint} \sqrt{\int} f_{\{J\}} \\ \label{eq:constra$  $\hspace{1.5cm} \hspace{1.5cm} \hspace{1 mm} \hspace{1.5cm} \hspace{11cm} \hspace{11cm$  $+ f\langle ] f \rangle \\ + f \langle ] f \rangle \\ + f \langle \rangle \\ + f \langle$ 
$$\label{eq:constraint} \begin{split} ||\nabla_{\mathbf{A}}^{\dagger}| & ||\nabla_{\mathbf{A}}^{\dagger}| \\ ||\nabla_{\mathbf{A}}^{\dagger}| & ||\nabla_{\mathbf{A}}^{\dagger}| & ||\nabla_{\mathbf{A}}^{\dagger}| \\ ||\nabla_{\mathbf{A}}^{\dagger}| & ||\nabla_$$
 $+ \lfloor 2 \Box \sqcup \mathcal{F}_{+} \oplus \mathbb{F}_{+} \oplus$  $\mathcal{J} \cap \uparrow \infty \otimes \infty \exists \forall \Leftrightarrow \uparrow \mathcal{T} \wr i \{ i \rightarrow j \} \ j \neq \mathcal{T} \circ i \{ i \rightarrow j \} \$ 

 $\sqrt{\nabla} + \left\{ \left\{ \left\{ -\frac{1}{2} \left\{ -\frac{1}{2} \left\{ -\frac{1}{2} \left\{ -\frac{1}{2} \right\} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right\} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} \right] + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left\{ -\frac{1}{2} \right\} + \left[ \left( -\frac{1}{2} \right\} + \left[ \left( -\frac{1}{2} \right] + \left( -\frac{1}{2} \right] + \left[ \left( -\frac{1}{2} \right] + \left( -\frac{1}{2} \right] + \left[ \left( -\frac{1}{2} \right] + \left( -\frac{1}{2} \right]$ 

 $\nabla ] = \langle \uparrow \downarrow \rangle [ \neg [ \neg \downarrow ] \rangle [ \neg ] \rangle [ \neg ] ] \rangle [ \neg ]$ 

 $^{\text{off}}\mathcal{B} = \mathcal{B} = \mathcal{B}$ 

 $\exists \mathbf{v} = \mathbf{v}$  $^{144} \mathcal{E}_{\mathbf{T}}$  $^{\infty \bigtriangleup} f \mathcal{E}_{\mathcal{I}} [\mathcal{P}] \to \mathcal{I} = \mathcal{I}$  $\label{eq:constraint} \\ \label{eq:constraint} \\ \lab$  $|f \setminus \{ f \in \mathcal{F} \mid f \in \mathcal{F} \setminus \{ f \in \mathcal{F} \mid f \in \mathcal{F} \setminus \{ f \in \mathcal{F} \mid f \in \mathcal{F} \setminus \{ f \in \mathcal{F} \mid f \in \mathcal{F} \setminus \{ f \in \mathcal{F} \mid f \in \mathcal{F} \setminus \{ f \in \mathcal{F} \mid f \in \mathcal{F} \setminus \{ f \in \mathcal{F} \mid f \in \mathcal{F} \mid f \in \mathcal{F} \mid f \in \mathcal{F} \setminus \{ f \in \mathcal{F} \mid f \in \mathcal{F} \mid f \in \mathcal{F} \mid f \in \mathcal{F} \setminus \{ f \in \mathcal{F} \mid f \in \mathcal{F} \mid f \in \mathcal{F} \mid f \in \mathcal{F} \mid f \in \mathcal{F} \setminus \{ f \in \mathcal{F} \mid f \in \mathcal{F} \setminus \{ f \in \mathcal{F} \mid f \in$  $\mathbb{I}^{47} \uparrow \mathcal{A}$  $\nabla \uparrow \exists \exists f \in \mathcal{S} \\ \forall f \in \mathcal{S$  $\mathcal{I}_{i}^{i} = \mathcal{I}_{i}^{i} = \mathcal{I}$ 
$$\label{eq:constraint} \begin{split} & (\) $ (\$$

 $^{\infty \bigtriangledown'} \uparrow \mathcal{C} \nabla ] \iota \Pi \cap ] \downarrow \simeq \Box \cap ] \downarrow \iota \simeq \langle \dashv \rangle \dashv \downarrow \dashv ] \cap ] \iota \cup \delta \land \rangle \backslash [ i \} ] \backslash \dashv \sqcup \rangle ] \backslash ] \Pi \cap ] \Box ] \nabla \Leftrightarrow \sqcup \dashv \downarrow [ \rangle \& \langle \leftrightarrow ] \iota \land \square \land ] \cap ] \sqcup \nabla \iota ] \iota \land \nabla \iota ] \iota \land \nabla \iota ] \iota \land \nabla \iota ] \iota \cap \Box$  $\mathcal{Z} \sqcap \uparrow ] \setminus \mathcal{L} \setminus \mathcal{L} \setminus \mathcal{M} \dashv \nabla \rangle \\ i \sqcup ] \} \sqcap \rangle f |_{\mathcal{V}} \nabla ] f |_{\mathcal{U}} \circ ] \land f |_{\mathcal{V}} \vee f |_{\mathcal{U}} \circ ] \land f |_{\mathcal{V}} \cap f |_{\mathcal{U}} \circ f |_{\mathcal$  $\mathcal{T}_{\mathsf{T}}^{\mathsf{T}}}_{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}}_{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}}_{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}}_{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}}_{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}_{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T}}^{\mathsf{T$  $\text{Im} \nabla S \text{Im} \mathcal{T} = \mathcal{T}$  $H = \sum_{i=1}^{2} \sum_{i=1}^{2}$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constrai$ 

 $\simeq \mathcal{L} \simeq \mathcal{A} \text{ for all } \mathcal{L} = \mathcal$ 

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 $\label{eq:constraint} \end{tabular} \\ \end{tabular} \\ \end{tabular} \end{tabular} \\ \end{ta$  $\mathcal{C} \text{Him}(\mathbb{A}) \text{Him}(\mathbb{A}$  $^{\circ\circ}\uparrow\mathcal{N}(1)_{\mathcal{V}}(1)_$  $\infty \forall \Rightarrow \swarrow$  $^{\otimes \bigtriangledown} (\Box ) = (\Box ) =$  $^{\infty\prime}\!\!\uparrow\!\mathcal{P}\wr\nabla[]\{\rangle\backslash\rangle]\rangle\delta\backslash\Leftrightarrow\!\!\uparrow\!\!\mathcal{A}f\wr]\rangle\dashv]\rangle\delta\backslash\mathcal{P}\nabla\wr^{\kappa}\!\!\langle\mathcal{I}\backslash[i\}]\backslash\dashv]\nabla\dashv\sqcap\backslash\dashv\wr\nabla\}\dashv\backslash\rangle\ddagger\dashv\rangle\delta\backslash_{\checkmark}\dashv\sqcup]\nabla\backslash\dashv\uparrow\ranglef\sqcup\dashv[]]\dashv\nabla\acute{a}]\sqcup]\nabla\sqcup\sqcap\sqcup]\uparrow\!\!\uparrow\!\nabla_{\checkmark}$  $\mathcal{N}_{i} (\mathsf{i} + f) \nabla [\mathsf{i} + d \mathsf{i} + \mathsf{i$ Minimum
$$\label{eq:constraint} \begin{split} |\nabla \neg \uparrow \neg \langle \nabla \wr \uparrow \rangle |\rangle \delta \langle \uparrow \uparrow \uparrow J \rangle \rangle |\rangle |\rangle \neg J i \sqsubseteq \rangle J \neg \langle \uparrow f \} | \langle \neg \uparrow \Leftarrow \langle \swarrow \checkmark \checkmark \Rightarrow \checkmark \checkmark$$

 $^{\infty} \not \{ \mathcal{E} \uparrow [i + [] \uparrow = \rangle ] \sqcup \wr \nabla \rangle + (\wr ] \int \sqcup a \uparrow ] + (\wr \swarrow S) \langle \wr \dagger \uparrow = \{ \nabla + f] \simeq (\lor (+\dagger | \Box f \sqcup)) \rangle + \simeq + J \Box [] \Leftrightarrow + J + [+) \langle f \sqcup + U ] \Leftrightarrow + \Box \Box ] f \sqcup \nabla \wr f$ 

 $\overset{\sim \not \ni}{\leftarrow} \mathcal{L} \neg \mathcal{$ 

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$$\begin{split} + \nabla \sqcup \rangle ] \ddagger ] \rangle \langle \underline{\mathcal{E}} ] \underbrace{\mathcal{I}} ] \underbrace{\mathcal{$$

 $+f] f \rangle + f[ if ] \nabla f] \\ + f[ if ] \nabla$  $\mathcal{M} \dashv \nabla \rangle \\ \texttt{\acute{a}u} \\ \texttt{I} \\ \texttt{i}$  $\label{eq:constraint} [] \label{eq:constraint} [] \label{eq:constrain$  $\amalg \Box \Box \uparrow f \rangle \uparrow f \downarrow \land f \downarrow \uparrow \Box \downarrow \dashv \Leftrightarrow \dagger \dashv \land \downarrow \downarrow [\nabla a \land \sqsubseteq \rangle \sqsubseteq \rangle \nabla \dashv \uparrow \S \downarrow \uparrow \Box \uparrow \S \downarrow \land \sqcup \dashv \downarrow \rangle \delta \land \uparrow \Leftarrow \ni \Rightarrow \swarrow$  $\sqrt{\nabla} + \frac{1}{1} + \frac{1}{1} + \frac{1}{3} + \frac{1}{3}$ 

 $\frac{\sqrt{(1+2+1)}}{\sqrt{(1+2+1)}} = \frac{\sqrt{(1+2+1)}}{\sqrt{(1+2+1)}} =$ 

 $^{\otimes^{\forall}\uparrow}\mathcal{N}\left[\sqcap\left[\dashv_{\mathbb{T}}^{1}\mathcal{M}\right] \\ \left[ \neg_{\mathbb{T}}^{1}\mathcal{N}\right] \\ \left[ \neg_{\mathbb{T}}^{$  $] f [ \nabla \dashv ] t \dot{u} \leftrightarrow ] f [ \nabla \dashv [ ] \sqcup t [ t \leftrightarrow [ ] \amalg \sqcap ) ] ] f \dot{\downarrow} \dashv \dot{\downarrow} \dashv [ ] \amalg \sqcap ) ] ] f \dot{\downarrow} \dashv \Box \sqcup \dot{\downarrow} \dot{\downarrow} \dot{\downarrow} \dashv ( \uparrow \leftarrow \uparrow \mathcal{C} \dashv \nabla \sqcup \dashv \dashv [ \rangle ] \nabla \sqcup \dashv \uparrow \backslash \swarrow \checkmark \dot{\downarrow} \rightarrow \downarrow \dot{\downarrow} \rightarrow \dot{\downarrow$  $\texttt{PTVif} \forall \mathcal{P} \forall \mathcal{I} \in \mathcal{I} \\$  $\label{eq:constraint} \label{eq:constraint} \label{eq:constrain$  $\overset{\otimes \exists \infty}{\uparrow} \mathcal{S} \neg f \dashv \mathfrak{f} \wedge \mathfrak{$  $\Leftarrow II \sqcup \lceil \swarrow \lfloor \dagger \mathcal{H} \rceil \backslash \nabla i II \sqcap \rceil \ddagger \mathcal{A} \dagger i \backslash \backslash \swarrow \checkmark \checkmark \checkmark \checkmark \checkmark$ 

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 $\simeq \big| \langle \rangle \backslash \wr \simeq \updownarrow \rangle \big| \| \rangle \uparrow \Leftarrow \uparrow \mathcal{P} | [\nabla \wr \mathcal{Z} \sqcap \updownarrow \acute{e} \land \uparrow \bigtriangleup \ni \Rightarrow_{\checkmark} \checkmark$ 

 $^{\otimes\exists}\uparrow \mathcal{E}\nabla\sqcap \ulcorner\rangle \sqcup \wr \Leftrightarrow \lrcorner \wr \backslash \urcorner \nabla\sqcap \ulcorner\rangle \lrcorner \rangle \diamond \land \ulcorner \urcorner \Uparrow \dashv \lor \land \land \uparrow \Leftarrow \backslash \checkmark \checkmark \Rightarrow \checkmark$  $^{\infty\exists\forall}\uparrow\uparrow=\dot{u}\rangle]=\nabla[\{\uparrow]\\]\otimes\langle\downarrow|\nabla_{1}\sqcup\rangle]=U[]\{\uparrow\uparrow\downarrow\sqcup=]\\[\uparrow\uparrow]\cup=[]\langle\uparrow\downarrow\sqcup=]\\[\uparrow\uparrow]\cup=[]\langle\uparrow\downarrow\cup=[]\langle\uparrow\downarrow\cup=]\rangle\rangle$ 

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 $\left[ \left[ \int \left( \frac{1}{2} - \frac{1}{2} \right) \right] \left[ \int \left[ \int \left[ \frac{1}{2} - \frac{1}{2} \right] \right] \left[ \int \left[ \frac{1}{2} - \frac{1}{2} \right] \left[ \int \left[ \frac{1}{2} - \frac{1}{2} \right] \right] \left[ \int \left[ \frac{1}{2} - \frac{1}{2} \right] \left[ \int \left[ \frac{1}{2} - \frac{1}{2} \right] \right] \left[ \int \left[ \frac{1}{2} - \frac{1}{2} \right] \left[ \int \left[ \frac{1}{2} - \frac{1}{2} \right] \right] \left[ \int \left[ \frac{1}{2} - \frac{1}{2} \right] \left[ \int \left[ \frac{1}{2} - \frac{1}{2} \right] \right] \left[ \int \left[ \frac{1}{2} - \frac{1}{2} \right] \right] \left[ \int \left[ \frac{1}{2} - \frac{1}{2} \right] \left[ \frac{1}{2} \right] \left[ \int \left[ \frac{1}{2} - \frac{1}{2} \right] \left[$ 

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 $\overset{\in\wedge\vee}{\uparrow}\mathcal{L}\dashv\sqsubseteq\rangle[\dashv[]\uparrow\downarrow\downarrow]\sqcup][]\nabla\wr\not\leftrightarrow\downarrow\forall\uparrow\Box, \Box][]\Box\downarrow\Diamond\leftrightarrow]]\square\dashv\uparrow\amalg\Box\rangle]\nabla]\wrf\dashv\Downarrow[]\backslash\downarrow\Box\sqcup\land\uparrow\downarrow\Box\land\uparrow\leftarrow\ni\in\neq\swarrow$ 

 $\sqcup \acute{\text{M}} \rangle \\ \exists \texttt{M} = \texttt{S} \\ \exists \texttt{M} \\ \forall \texttt{M} \\ \texttt{M}$ 

 $\Box \left[ \left[ \nabla \left\{ i + i \right] \left[ \Box \right] \nabla \left\{ i + i \right] \left[ \Box \right] \nabla \left\{ i + i \right] \left[ i + i \right$ 

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 $|2\Pi \setminus \Box \nabla_{\dagger} \sqcup \nabla_{\dagger} \vee \langle \neg f \rangle + f | \neg f \rangle + | \downarrow |$ 

 $\Box \Box \uparrow \uparrow \rangle [ \wr \uparrow \Leftarrow \infty \infty \Rightarrow \swarrow$  $+ \text{Im} \mathcal{I}_{\mathcal{I}} + \text{Im} \mathcal{I} + \text{Im} \mathcal{I}_{\mathcal{I}} + \text{Im} \mathcal{I}_{\mathcal{I}} + \text{Im} \mathcal{I$  $\int |\langle u(H) \rangle \langle v(H) \rangle \langle v(H)$  $\overset{ \in \ni \bigtriangledown}{\uparrow} \mathcal{R}i (1) \\ \overset{ (1)}{\downarrow} \\ \overset{(1)}{\downarrow} \overset{ (1)}{\downarrow} \\ \overset{ (1)}{\downarrow} \\ \overset{ (1)}{\downarrow} \\ \overset{ (1)}{\downarrow} \\ \overset{ (1)$  $\sqrt{\nabla} \wr \sqrt{2} \operatorname{Cert}(\nabla) = \operatorname{Ce$ 

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 $\mathrm{II}_{\mathrm{II}} = \mathrm{II}_{\mathrm{II}} = \mathrm{II}_{\mathrm{II}$  $\overset{\in \ni \exists}{\longrightarrow} \mathcal{N}_{U} \rightarrow \mathcal{N}_{U$  $\label{eq:constraint} \label{eq:constraint} \labe$  $^{241}\mathcal{U} \\ [\label{eq:constraint}] \\ \label{eq:constraint} \mathcal{U} \\ [\label{eq:constraint}] \\ \label{eq:constraint} \mathcal{U} \\ \label{$  $\leftarrow \mathcal{Y}_{l} \sqcap \mathcal{D}_{l} \mathcal{T}_{l} \sqcap \nabla \setminus \Rightarrow \Leftrightarrow \mathcal{T}_{l} \mathcal{T}_{l} \land \mathcal{$  $\nabla ] (f \to \nabla ] ] \\ \label{eq:constraint} \nabla [f \to \nabla ] ] \\ \label{eq:constraint} \nabla [f \to \nabla ] ] \\ \label{eq:constraint} \nabla [f \to \nabla ] \\ \label[f \to \nabla ] \\ \label{eq:constraint} \nabla [f \to \nabla ] \\ \label{eq:c$  $+ \underline{\nabla} = \frac{1}{2} + \frac{1}{$  $\label{eq:main_series} \\ \label{eq:main_series} \\ \label{eq:main_ser$  $| | \rangle | | \langle t + 1 \rangle f + 1 | - 1 | \Leftrightarrow \propto \langle -1 | \rangle | | \langle t = \rangle | \langle t + 1 \rangle | \langle t = \rangle | \langle t + 1 \rangle | \langle t$  $\label{eq:constraint} []^+_{\rm M} = \left[ -\frac{1}{2} \left[ -\frac$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$ 

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 $\overset{ \earrow \$  $\mathcal{P}\dashv \mathsf{j}\{\mathsf{i}\} \land \mathsf{i} \land \mathsf{j} \land \mathsf{i} \land \mathsf{$  $\overset{\in\bigtriangleup\exists}{\uparrow}\infty\forall\forall\infty\swarrow\infty[]]]]\nabla\wr\swarrow\mathcal{S}\mathcal{H}\Pi][]\mathcal{L}]$  $\sqrt{(1+1)} + \sqrt{(1+1)} + \sqrt{(1+1)}$  $\Box \rangle ] \langle [\neg f [\neg f ] \rangle \langle \rangle \langle f \Leftrightarrow ] \langle \Xi ] \rangle ] \langle + \langle \gamma \nabla f \neg f \rangle \langle T | \rangle \langle \nabla f \neg f \rangle \langle T | \rangle \langle$  $\int \exists \Pi \Box [\mathcal{V} \otimes \forall \forall \infty \swarrow \mathcal{F}] [\nabla] \nabla \mathcal{V} \swarrow \mathcal{S} \exists \Pi \Box [\mathcal{I} \uparrow \updownarrow \exists \exists \neg f] \land \mathcal{C} \exists \tilde{n} ] \sqcup [\mathcal{V} \mathcal{C} \land \mathcal{L} \land \updownarrow \exists \neg \neg \exists \neg f] \land [\exists f] \land [a f] \land [a$  $\label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \label{eq:constraint} \\ \label{eq:constraint} \label{constraint} \label{eq:constraint} \label{eq:constra$  $\mathcal{E}_{\sqrt{\nabla}}^{\mathsf{D}} = \mathcal{E}_{\mathcal{E}}^{\mathsf{D}} = \mathcal{E}_{\mathcal$ 

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 $^{259}\uparrow \mathcal{C}\sqcap\dashv \\ [\wr] \forall \ddagger \dashv ] i \vdash ] i \dashv ] i \vdash ] i \dashv ] i \vdash ] i \dashv ] i \dashv ] i \vdash ] i \dashv ] i \vdash ]$ 

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eff = V $\overset{\in \mathbb{Z}}{\to} \mathcal{E}[\sqrt{\nabla}] \\ f(f) \\ \tilde{n} \\ + (+\nabla \Pi \square) \\ + (+J) \\ f(1) \\$  $\label{eq:constraint} \label{eq:constraint} \label{constraint} \label{eq:constraint} \$  $\operatorname{int}(A) = \operatorname{int}(A) = \operatorname{in$ 

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 $e^{3}f - \mathcal{T}_{\mathbf{u}} - \mathcal{T}$ 

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<sup>∈∃Δ</sup>↑]∇⊣↓µ↓U]}∇⊣\[]†‡⊣∫]□‡⟩\⊣<sub>√</sub>⊣∇⊣∫]∇⊓\⊣‡⊓]]∇[]∫]\[)]\]\2,5√*E*‡<sub>√</sub>á‡)[2]2‡∇∏<sub>√</sub>)‡‡⊣ []‡⊣⊔⊣↓⊣]2‡2⊓\⊣[]⊣Ш□]‡‡⊣∫}∇⊣\[]∫[])[⊣[]∫[]‡2∫]⟨⟩\2*∫*H⊣\⇔]2‡2]⊣[⊣]\□\⊔]‡<sub>√</sub>‡2⊔∇⟩∫⊔][]⊣‡}∩\⊣]⊣‡‡]|□]‡⊣

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 $\overset{\textrm{int}}{=} \mathcal{T}_{\textrm{int}} = \mathcal{T}_{\textrm{int}} =$  $\overset{\exists \in \forall}{\uparrow} \mathcal{E}_{f_{1}} \overset{\exists f_{1}}{\checkmark} \overset{\forall f_{1}}{\checkmark} \overset{\forall f_{1}}{\land} \overset{$  $\overset{\texttt{i}}{=} \overset{\texttt{i}}{\to} \mathcal{M} ] \\ \\ \overset{\texttt{i}}{\to} \overset{\texttt{i}}{\to} \overset{\texttt{i}}{\to} \mathcal{I} \\ \\ \overset{\texttt{i}}{$  $|\langle\rangle \setminus \neg f_{\mathcal{A}} \land f_{\mathcal{A}} \land$  $|\langle\rangle | = \infty$  $\overset{\ni \ni \infty}{\mathcal{P}} \mathcal{P} \mathcal{V} \amalg \Box \Box ] \langle \exists \exists \Box ] \langle \sqcup ] \langle \Box \rangle \langle \diamond \Leftrightarrow \propto \sqrt{\exists \nabla \dashv f \dashv [ ] \nabla \sqrt{\mathcal{V}} \amalg \Box e^{\uparrow \dashv f \dashv f \square \uparrow \sqcup \downarrow} } \nabla \exists \alpha ] f \sqcup a \langle \sqrt{\mathcal{V}} \sqcup \dashv [ \dashv f \sqrt{\mathcal{V}} \langle \ell \downarrow [ \nabla ] f \square f \dashv f \neg \mathcal{V} \rangle \langle \ell \downarrow [ \nabla ] f \square f \dashv f \neg \mathcal{V} \rangle \langle \ell \downarrow [ \nabla ] f \square f \dashv f \neg \mathcal{V} \rangle \langle \ell \downarrow [ \nabla ] f \square f \dashv f \neg \mathcal{V} \rangle \langle \ell \downarrow [ \nabla ] f \square f \dashv f \neg \mathcal{V} \rangle \langle \ell \downarrow [ \neg f \neg \mathcal{V} \land f \dashv f \neg \mathcal{V} \rangle \langle \ell \downarrow [ \neg f \neg \mathcal{V} \land f \dashv f \neg \mathcal{V} \rangle \langle \ell \downarrow [ \neg f \neg \mathcal{V} \land f \dashv f \neg \mathcal{V} \rangle \langle \ell \downarrow [ \neg f \neg \mathcal{V} \land f \neg \mathcal{V} \land f \neg \mathcal{V} \rangle \langle \ell \downarrow [ \neg f \neg \mathcal{V} \land f \neg \mathcal{V} \land f \neg \mathcal{V} \rangle \langle \ell \downarrow [ \neg f \neg \mathcal{V} \land f \neg \mathcal{V} \land \mathcal{V} \rangle \langle \ell \downarrow [ \neg f \neg \mathcal{V} \land f \neg \mathcal{V} \land \mathcal{V} \land f \neg \mathcal{V} \rangle \langle \ell \downarrow [ \neg f \neg \mathcal{V} \land \mathcal{V} \land f \neg \mathcal{V} \land \mathcal{V} \land \mathcal{V} \rangle \langle \ell \downarrow [ \neg f \neg \mathcal{V} \land \mathcal{V} \land$  $\nabla \texttt{integral} = \texttt{integral}$  $\in \Delta \Rightarrow \swarrow$  $\overset{\circ \in \mathcal{A}}{\searrow} \overset{\circ \in \mathcal{A}}{\Longrightarrow} \overset{\circ \in \mathcal{A}}{$ 

 $\overset{\flat\in \{\mathcal{M}_{\mathcal{N}}\}}{\longrightarrow} \Pi \Pi ] \tilde{\mathbf{n}} \dashv \underline{\Box} \wr \ddagger \dashv \mathbb{V} \land \mathbb{V} \dashv \infty ] I \Pi \backslash \dashv \langle ] \nabla \nabla \dashv \Downarrow \rangle ] \backslash \Box \dashv \sqrt{ \langle ] \nabla \mathcal{V} \dashv \uparrow \leftarrow \bigtriangledown^{\mathcal{K}} \not\Rightarrow \swarrow$ 

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 $| \mathsf{A} = \mathsf{A}$  $\mathsf{E}^{\mathsf{R}} \mathsf{A}^{\mathsf{R}} \mathsf{A}$  ${}^{\ni\exists\exists} \mathcal{R} := \mathcal{R$  $\overset{\Rightarrow \triangle \infty}{\uparrow} \mathcal{L}_{\mathcal{I}}(\mathcal{I}_{\mathcal{I}} \mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I}}(\mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I}}(\mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I}}(\mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I}}(\mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I}}) \mathcal{I}_{\mathcal{I$  $\overset{\texttt{i}}{=} (\texttt{i}) \\ \overset{\texttt{i}}{=} (\texttt{i}) \\ \overset{i$  $\Leftarrow \triangle \ni \Rightarrow \checkmark$  $\uparrow \mathcal{S} = [-] + [$  $\Leftarrow \mathcal{Y} \exists \forall \mathcal{V} \in \mathcal{V} \in \mathcal{V}$  $\overset{\text{interm}}{\rightarrow} \overset{\text{interm}}{\rightarrow} \overset{\text{interm}$ 

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 $\overset{\mathfrak{s}=e}{1} \mathcal{T} \to \mathcal{T} \to$  $\ll \bigvee_{\sqrt{k}} \Rightarrow_{\sqrt{k}}$  $\label{eq:constraint} $$ \D = \frac{1}{2} \int U = \frac{1}{2} \int U$  $\texttt{P}^{\texttt{H}} \mathcal{M} \cap \texttt{H} \cap \texttt{H} \cap \texttt{H} \setminus \texttt{H} \cap \texttt{$  $\mathcal{A} \sqsubseteq \exists \forall \nabla \lceil \mathcal{A} \mathcal{F} \nabla \rceil \setminus \exists \langle \sqcup \nabla \exists \langle \uparrow \downarrow \exists \sqcup \rangle i \rangle i \langle \sqcup \langle \rangle f ] i \uparrow \downarrow \downarrow \rceil \sqcup \rangle i \rangle \lfloor \dagger \mathcal{M} \exists \nabla \exists \uparrow \mathcal{H} \rceil \setminus \exists \nabla \sqcup \exists \exists f \mathcal{M} \exists \mathcal{L} \exists f \mathcal{C} \exists \langle \rangle \rceil \nabla f [ \Box \mathcal{D} ] f ] \nabla \sqcup \mathcal{L}$  $\mathcal{H} = \mathcal{I} =$  $\texttt{SHAP}^{\text{SHAP}} (\mathbf{L}) = \mathbf{L}^{\text{SHAP}} (\mathbf{L}^{\text{SHAP}} + \mathbf{L}^{\text{SHAP}} + \mathbf{L}^{\text{SHAP$  $\label{eq:linear} \int | | \int | \langle X | T | \rangle \rangle \\ \leq | | | \langle X | T | X | T | \langle X | T | X | T | X | T | \rangle \\ \leq | | | \langle X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T | X | T |$  $\texttt{Areal} (\texttt{Areal}) = \mathcal{C}(\texttt{Areal}) = \texttt{Areal}(\texttt{Areal}) = \texttt{Areal}(\texttt$  $\mathbf{A}_{\mathbf{A}}^{\mathbf{A}} = \mathbf{B}_{\mathbf{A}}^{\mathbf{A}} = \mathbf{B}_{\mathbf$ 

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ij(u,u) = i(u,u) = i(u $\texttt{Min}(\mathcal{M}) = \texttt{Min}(\mathcal{M}) = \texttt{Mi$  $^{\Delta\prime} \uparrow |\rangle \] \sqcup \acute{e} \dashv \ragged ] \propto [] \] \acute{a} \ragged \ddagger \exists \Rightarrow \swarrow$  $+ \frac{1}{2} \int \left( \frac{1}{2} - \frac{1}{2} \right) \\ + \frac{1}{2} \int \left( \frac{1}{2} - \frac{1}$  $\texttt{Add} \mathcal{A} = \texttt{Add} = \texttt{Add$  $\mathrm{And}(\mathrm{And})(\mathrm{And}(\mathrm{And}(\mathrm{And}(\mathrm{And})(\mathrm{And$ And And(I + I) = O(f) = O(f $\label{eq:constraint} $ [22V^{\dagger}]^{]} = (1 + 1)^{2} + (1$  $| (] ( + \nabla ) [] ( + \nabla ) ] = | (-1) \nabla \rangle ) ] = 0 + | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) | (+) |$ 

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