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Fluid migration in low-permeability faults driven by decoupling of fault slip and opening

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1 Decoupling between slip and opening drives high-pressure fluid migration in 2 shale faults

3

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14 **High-fluid pressures can penetrate faults and diffuse through channels while activating
15 slip. Here, we use observations from a cross-borehole fluid injection experiment in a low
16 permeability shale-bearing fault to show that the fault slips and opens prior to fluid
17 pressure build-up. Reproducing the data with numerical models, we find that the fluid
18 migrates in the fault only after the fault fails and primarily slips beyond the pressurized
19 area. This is creating potential hydraulic pathways that are then widely opened by a large
20 effective normal stress decrease that overtakes the shear-induced dilation. These results
21 provide new *in situ* constraints on mixed rupture processes which drive the fluid
22 migration in low permeability faults.**

23

24 Fluids can reactivate tectonic faults and have the potential to cause earthquakes, as
25 observed in both natural seismic swarms^{1,2} and energy production activities^{3,4}. Increase in fluid
26 pressure can also trigger aseismic slip on faults^{5,6}. At the same time, hydraulic fault properties
27 are an important factor as the evolution of permeability and porosity is coupled with slip, and
28 a consequence of this interaction is the variation of fluid pressure^{7,8}.

29 Recent works have shown that even low permeability faults can serve as a conduit for
30 transmission and increase of fluid pressure because the fault permeability can transiently
31 increase during slip^{9,10}. However, in the absence of *in situ* continuous measurements of fluid
32 pressure and deformation in faults, important questions remain, such as how fluid pressure
33 migrates along faults, and how the fault responds.

34 Here, using an *in situ* cross-borehole experiment with controlled fluid injection into a
35 low permeability shale fault zone ($k_0 \sim 10^{-17} \text{ m}^2$,¹¹), we directly measured the evolution of fluid
36 pressure and fault displacements (Fig. 1) at two vertical boreholes, spaced about 3 m
37 horizontally. This meter-scale experiment was developed at a depth of 340 m in the Mont Terri
38 Underground Research Laboratory, Switzerland¹² (Supplementary Fig. S1). Reproducing the
39 observations with hydromechanical models, we track the fluid migration in association with
40 fault deformation. Results give insights into how the decoupling between slip and opening, as
41 well as the shear stress perturbation occurring outside the pressurized zone, control the fluid
42 migration over the fault.

43

44 Controlled-injection fault activation

45 The experiment was conducted in a 1.5–3 m thick seismically-inactive thrust fault zone
 46 with a mean orientation of N^o045 in dip direction, a dip of 45°, and a slip offset of a few meters¹¹
 47 (Fig. 1a, and Supplementary Figs. S1 and S2). During the experiment, pressurized water was
 48 injected for 645 s with step-increasing rates into a 2.4-m-long packer-isolated borehole interval
 49 spanning the main slip plane of the fault zone. The fluid pressure, the fault-normal (opening)
 50 and the fault-parallel (slip) displacements were recorded at both the injection and monitoring
 51 points with a specially designed borehole (SIMFIP) probe¹³ (see Methods) (Fig. 1a and
 52 Supplementary Fig. S2), while the flowrate was only monitored at the injection point. The
 53 experiment was conducted in a pressure-controlled mode to maintain a quasi-constant pressure
 54 value during each step. Thus, the injection flowrate corresponds to the rate of fluid flow into
 55 the fault required to achieve and maintain the target pressure. Prior to the experiment, the state
 56 of stress was estimated at $\sigma_1 = 6\text{-to-7 MPa}$ (subvertical), $\sigma_2 = 4\text{-to-5 MPa}$ and $\sigma_3 = 0.6\text{-to-2.9}$
 57 MPa (subhorizontal), using a combination of geological data, borehole hydromechanical
 58 measurements, and modeling¹⁴⁻¹⁶. The initial fluid pressure in the packed-off interval before
 59 injection was measured at 0.5 MPa. The temperature is constant (15.6°C) in the boreholes
 60 during the experiment.

61 At the injection point, the fluid pressure was increased step-by-step from the initial value
 62 of 0.5 MPa to a maximum value of 5.4 MPa (Fig. 1b). This maximum value represents an
 63 extreme fluid pressurization relative to the local stress conditions. As the pressure increased in
 64 the injection borehole, no change was detected until a complex evolution of fault deformation
 65 and fluid pressure response started at the injection point and then at the monitoring point (Figs.
 66 1b and 1c), about 555 s into the experiment. The fault is reactivated, implying a sudden
 67 enhancement of the fault's permeability and fluid flow. No seismic event was observed, the
 68 fault displacements thus appear aseismic. We examine here in detail the temporal sequence of
 69 processes at the two measuring points (Supplementary Fig. S3). At the injection, first, the fault
 70 slip initiates at 555 s, followed by rapid fault opening at 568 s, and flowrate increase (0 to 33.8
 71 l/min) at 572 s (Fig. 1d). Then, the fluid pressure decreases from the peak to a steady-state value
 72 of 4.2 MPa. Fault slip accelerates with fluid flow, and then decelerates when flowrate and
 73 pressure become constant and fault opening stabilizes. The slip increased to about 18.7 μm , and
 74 the opening up to 19.7 μm . A secondary phase of fault closing followed by opening is observed
 75 from 628 to 632 s. At the monitoring point, first, the fault slip initiates at 574 s after the
 76 beginning of injection, followed by fault opening at 587 s (Fig. 1e). No fluid pressure change
 77 was detected until 31 μm of fault slip, 5 μm of fault opening, about 597 s into the experiment.
 78 Thus, at the monitoring point, the fluid pressure starts to increase 23 s after the fault starts to
 79 slip. The fluid pressure reaches a maximum value of 4.17 MPa at 623 s. The fluid pressurization
 80 occurs at a rate of 0.16 MPa/s. This phase of pressurization is associated with fault closing (10.7
 81 μm from 597 to 618 s) and slip at a slower rate toward the peak value (58.5 μm at 622 s). After
 82 the peak of pressurization at the monitoring point, the fluid pressure slightly decreases and
 83 stabilizes at a value of 3.85 MPa. This phase is associated with a fault opening of 24 μm from
 84 618 to 645 s. Meanwhile, there is a decrease of fault slip of 20 μm , from 58.5 μm at 622 s to
 85 38.5 μm at 645 s.

86 From the evolution of flowrate, fluid pressure and slip between the two measuring
 87 points, we estimate a pressure migration speed at 0.174 m/s, and a rupture propagation at a
 88 speed of 0.228 m/s. These observations demonstrate that the fault initially failed in shear with
 89 slip preceding the fluid migration, which is slower (~24%) than the rupture velocity. Then, a
 90 large fault opening, that is poorly coupled to slip, occurred and resulted in sufficient
 91 permeability enhancement ($\Delta k \sim 2.78 \times 10^5 \text{ m}^2$ from its initial pre-slip value of $\sim 10^{-17} \text{ m}^2$) over
 92 a large enough patch of the fault to generate connectivity between the two boreholes. The
 93 increase in fluid pressure came after this sequence of fault slip and opening.

94

95 **Coupled modeling of fault deformation and fluid flow**

96 To investigate the process responsible for the dynamic evolution of the hydraulic
97 connection between the two boreholes and the sudden increase in fluid pressure measured at
98 the monitoring point, we developed a three-dimensional hydromechanical model of this *in situ*
99 experiment (see Methods). The model simulates the fluid flow, slip and opening along a planar
100 fault with a dip of 45° in an elastic and impervious medium (Fig. 1a). The initial
101 hydromechanical properties, measured in the laboratory and *in situ*^{15,17}, are uniform over the
102 fault (Supplementary Table S1). Before injection, the *in situ* stresses and fluid pressure are
103 initialized over the fault. We used the gradual step-by-step pressurization measured at injection
104 as loading path (Fig. 1b). During injection, fluid pressure (p) and effective normal stress ($\sigma_n - p$)
105 evolve over the fault, and modify the fault strength $\tau = c + \mu \cdot (\sigma_n - p)$. Once a fault rupture
106 initiates, the friction coefficient (μ) is governed by a linear slip-weakening law¹⁸, while the fault
107 cohesion (c) instantaneously falls to zero (see Methods). Fluid flow is governed by the modified
108 cubic law¹⁹, with effective stress- and shear dilation-induced permeability change on the fault
109 (see Methods). We compare three permeability evolution (Fig. 2a), including (1) a model with
110 constant permeability, (2) a model with a variable permeability activated from the start of
111 injection, and (3) a model with a variable permeability activated only in the ruptured part of the
112 fault (see more details in the Methods section).

113 The measured fluid pressure evolution is reproduced by the numerical solution when
114 the fault first fails and slips while activating permeability change (Figs. 2a and 2b), whereas
115 models with a constant or variable permeability from the start of injection do not capture the
116 data. The injection of fluid increases the pressure, which weakens the fault and initiates failure.
117 Once the fault fails and starts slipping, the fluid enters the ruptured parts and induces a decrease
118 of effective normal stress, causing an intense fault opening and slip acceleration, consistently
119 with field data (Fig. 2b). The model fits well the last phases of rapid increase of fluid pressure
120 and stabilization at a maximum value (~4 MPa). Model results (Fig. 3, and Supplementary Fig.
121 S4) also show that the fluid pressure front follows the migration of peak shear stress where
122 rupture occurs. Shear stress increases within a highly localized zone at the rim of the region of
123 fluid pressurization. In this high stressed zone, the stored energy is released when the shear
124 stress exceeds strength and the fault fails, resulting in slip propagation and creation of hydraulic
125 pathways. The shear stress perturbation arising from fault slip develops beyond the pressure
126 front (Fig. 3a), and gradually drops from the peak to background value (Figs. 3b-f). At the end
127 of injection, the fault area where the stress perturbation occurs is about 6 times the size of the
128 pressurized area (Fig. 3f). This result is consistent with previous modeling studies, suggesting
129 that increased shear stress and friction weakening drive slip beyond the pressure front^{20,21}
130 (Supplementary Figs. S5 and S6). By varying the model parameters (Supplementary Fig. S7),
131 we also show that the initiation time of fluid pressurization at the monitoring point is strongly
132 influenced by the amount of frictional weakening (Supplementary Fig. S7B). To match the fluid
133 pressure observed at the monitoring point, the fault weakens significantly with frictional
134 strength drop of 83.3 %.

135 Comparison of the data with the model solutions shows that the data fit is good for the
136 fluid pressure, except the displacements (Figs. 2a and 2b). Although modelled displacements
137 capture the main features of the observed signals, some differences in shape and amplitude arise
138 because of simplified model assumptions used to represent the natural fault zone such as a
139 single planar fault geometry and uniform hydromechanical parameters, and because we did not
140 account for the off-fault deformation on surrounding fractures. In addition, the exact process
141 responsible for the observed rapid changes in acceleration or deceleration of fault displacements
142 remains elusive. They could reflect interactions between the fault weakening induced by fluid

143 pressurization, frictional stability of shales at low effective stress, and variable material
144 properties^{22,23}. The time lag observed between the change in fluid pressure and fault opening is
145 reproduced slightly differently by the model that does not consider the storage effect associated
146 with the monitoring interval. Indeed, in the field, the pressure front propagating along the fault
147 enters the larger monitoring interval of the borehole, which induces a delayed pressurization at
148 the pressure sensor. Despite the model simplifications, our numerical results show two
149 phenomena that can be compared to observations: (1) a decoupling between fault slip and
150 opening, and (2) a rapid fluid pressurization rate initiating at failure. Importantly, shear stress
151 increase at the rupture front and frictional weakening with increasing slip offer an efficient
152 mechanism for rupture propagation, permeability enhancement and the rapid transmission of
153 high-fluid pressures within low permeability faults.

154

155 **Implications for fluid pressure migration along faults**

156 This study demonstrates that fluid pressure migration along low permeability faults is
157 driven by rupture growth through stress perturbation ahead of the pressurized zone. This
158 behavior is different from the fluid diffusion in permeable and porous media²⁴. The most
159 pronounced change in behavior occurs when the fault rupture increases permeability and fluid
160 flows in the preferential direction of fault slip. Our results are consistent with previous
161 laboratory-sized experiments on sawcut rock surfaces, which showed that rupture is a necessary
162 condition to allow fluid flow in low permeability faults²⁵.

163 Our observations also provide clear *in situ* constraints on the physics underlying fault
164 permeability enhancement in shales. Once failure occurs, a large increase in permeability and
165 significant fluid migration can occur in the fault, now mainly driven by fault opening as a result
166 of a strong decrease in effective normal stress. At this point, the fault is at rupture but the
167 contribution of dilation induced by slip to permeability enhancement is minor. This fault
168 response demonstrates that a mixed-mode rupture mechanism favored by a combination of slip
169 propagation and opening explains such rapid fluid migration at high pressure and the apparent
170 decoupling between fault slip and opening in low permeability shale formations⁹.

171 Beyond improving our fundamental knowledge about the relationship between fault
172 slip, opening and fluid migration in a shale fault, the mechanisms observed in this experiment
173 could also be beneficial to understand how induced seismicity, and in a broader context, natural
174 earthquakes are triggered by fluid perturbations operating in the Earth's crust, since there
175 appears to be a clear link between permeability increase from slip and reduction in effective
176 normal stress. This process is efficient for the transmission of high-fluid pressures at fast rates
177 over sufficiently large sections of a fault that can potentially transition from aseismic creep to
178 seismic slip. Fluid pressurization in low permeable faults can also increase shear stress at the
179 periphery of the dilatant slip zone and promotes earthquake nucleation in the neighboring
180 asperities or segments.

181

182 **Methods**

183 Methods and any associated references are available in the online version of the paper.

184

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246

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252 **Authors contributions**

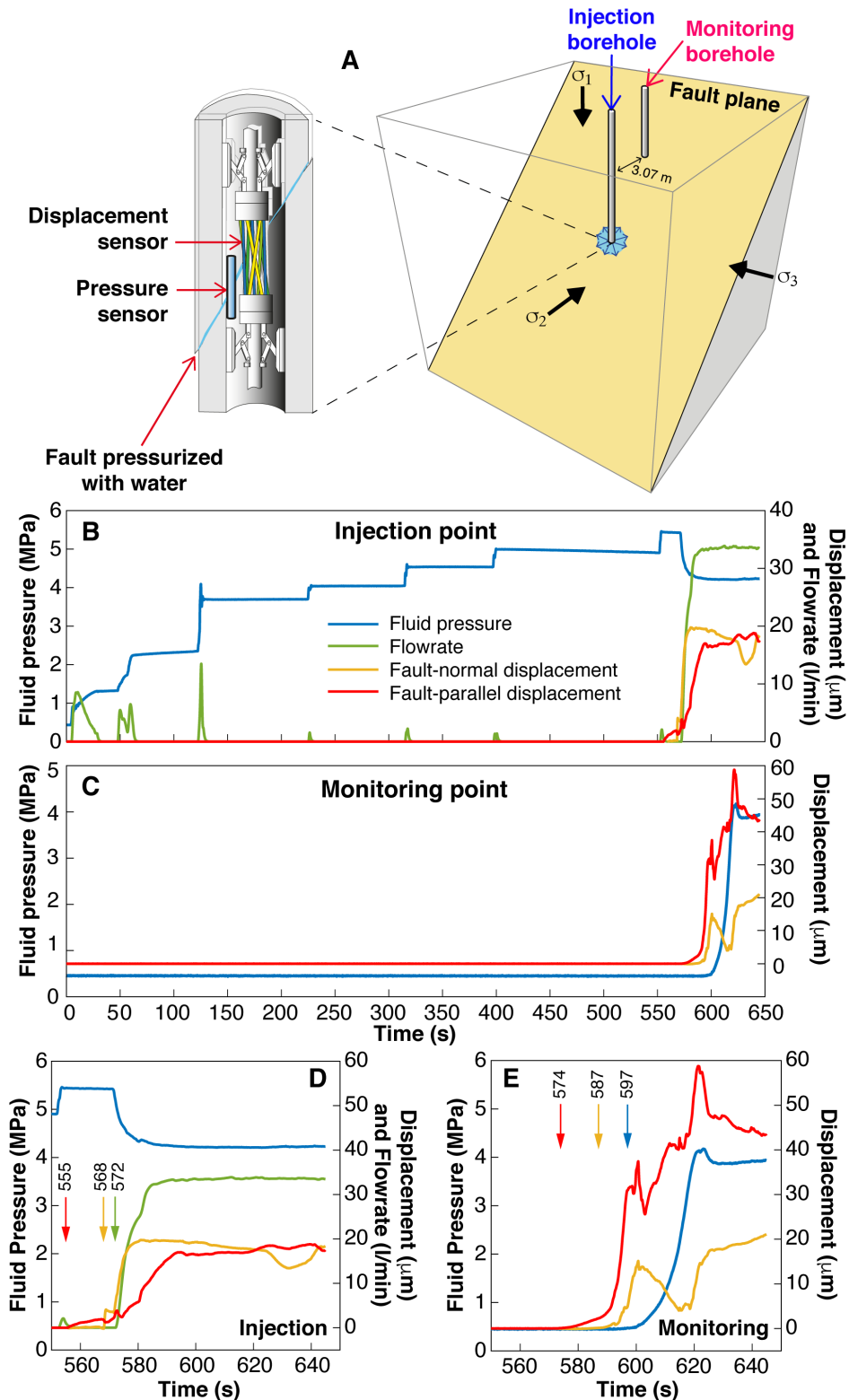
253 F.C. and Y.G. designed the study. Y.G. and C.N. performed the experiment. F.C. performed
254 the numerical simulations. All authors contributed to the analysis of the data and simulations,
255 and preparation of the manuscript.

256 **Competing interests**

257 The authors declare no competing interests.

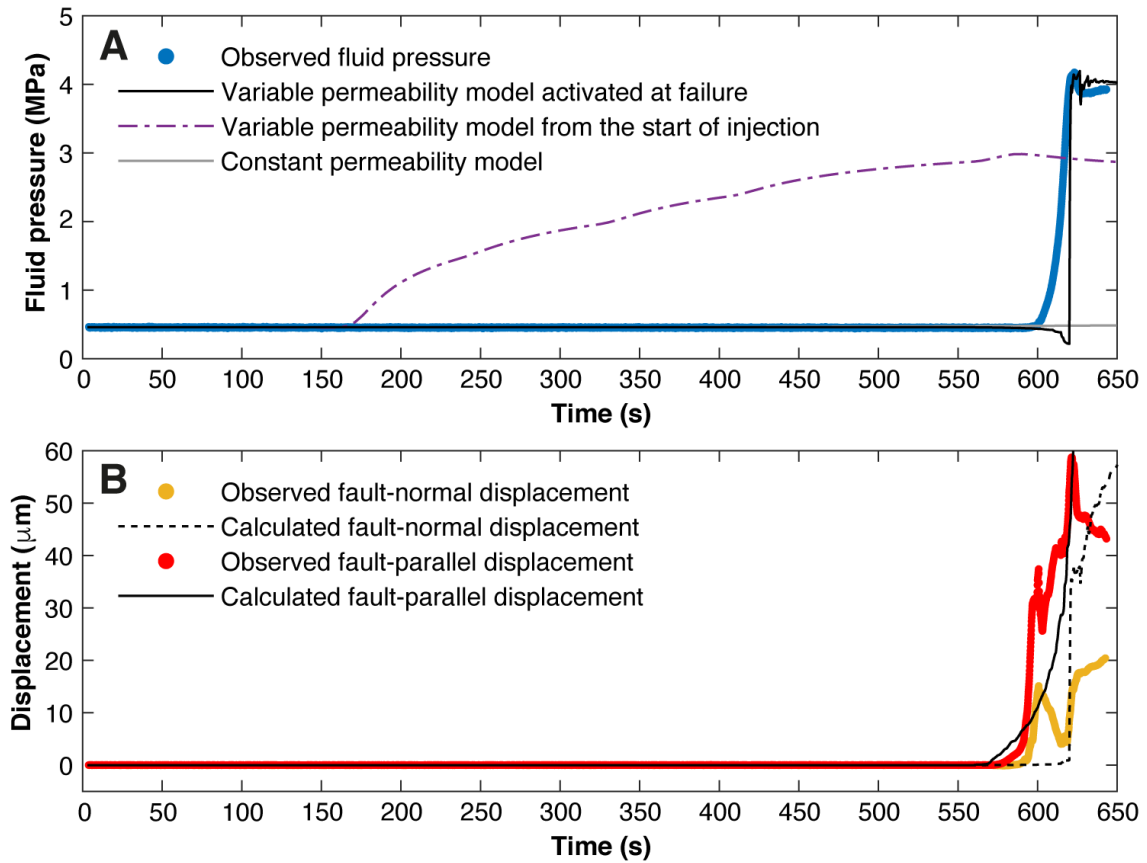
258 **Additional information**

259 Supplementary information is available in the online version of this paper. All experimental
260 data used in producing the figures 1b and 1c of this manuscript are available in the
261 supplementary information.



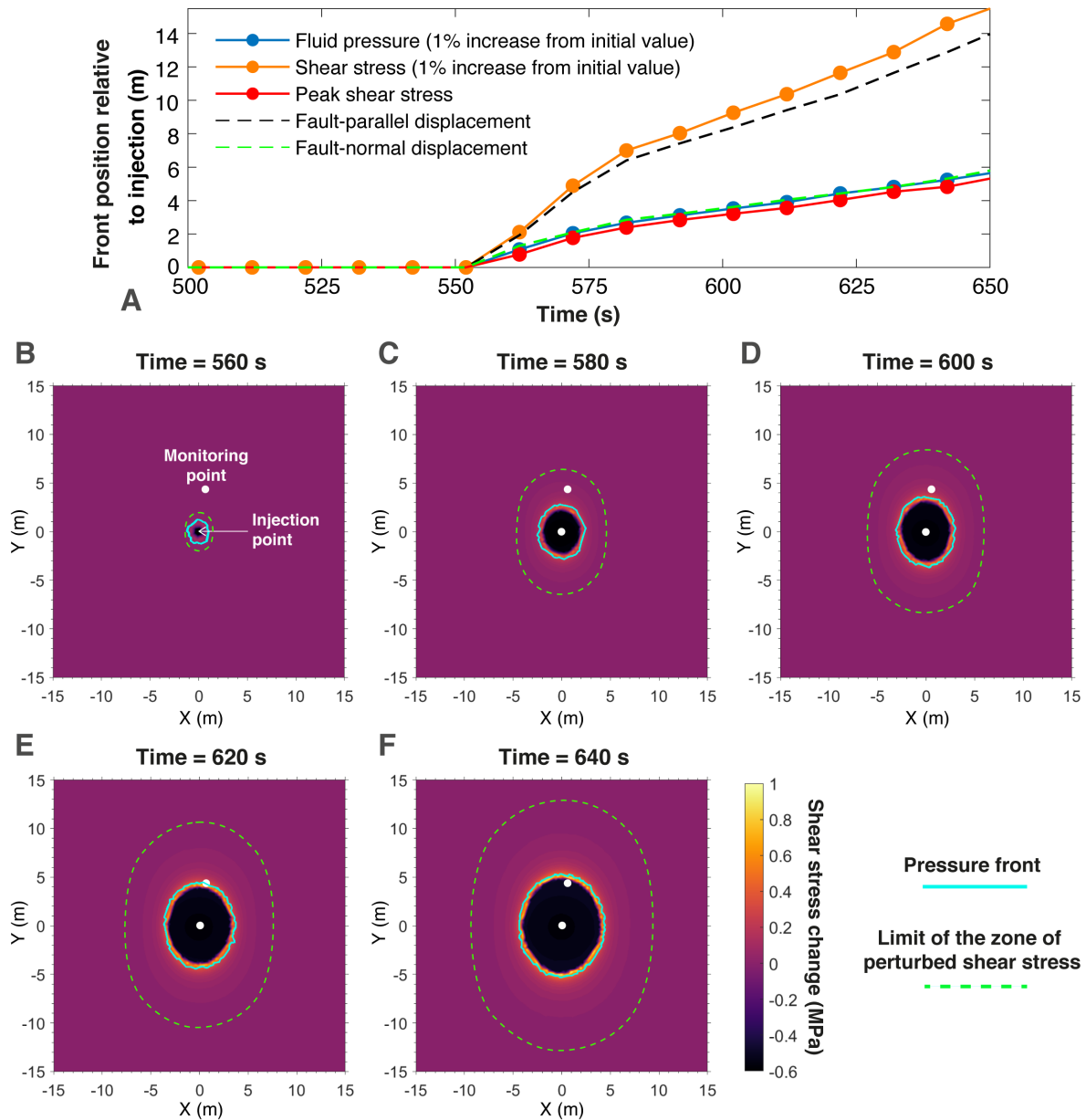
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Figure 1. Experiment setting and in situ data. **a**, Geometry of the experimental zone at a depth of 340 m below the Earth's surface in the Mont Terri Underground Research Laboratory in Switzerland, and numerical model schematic. Fluid is injected through the open section of the injection borehole into the fault. A borehole probe (SIMFIP) was used to simultaneously measure the fault displacement (fault-parallel ("slip") in red, and fault-normal ("opening") in gold) and fluid pressure (blue) at the **b**, injection and **c**, monitoring points. Flowrate (green) is measured at injection. **d** and **e**, Close-up view of the time window 550 to 645 s.



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Figure 2. Comparison of observed and modeled fluid pressure and fault displacements at the monitoring point in response to fluid injection. a, Best-fit numerical solution for fluid pressure calculated with a variable permeability model activated at failure (black). For comparison, the fluid pressure calculated with a variable permeability model from the start of injection (purple) and a constant permeability (grey) is presented. **b,** Model-predicted fault displacements for the variable permeability model activated at failure.



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Figure 3. Spatio-temporal evolution of fault behavior. a, Time evolution of the fronts of fluid pressure, fault displacements, and shear stress. b-f, Spatial distributions of the change in shear stress relative to the initial value at the indicated times (560, 580, 600, 620 and 640 s) for the best-fit numerical solution. On each snapshot, the cyan contour represents the locations of the fluid pressure front (1% increase from initial value) and the dashed green contour marks the limit of the zone of perturbed shear stress.

284 **Methods**285 **Monitoring fault movements with a SIMFIP borehole probe during the fluid injection**
286 **field experiment**

287 In the Mont Terri experiment (Supplementary Fig. S1), two SIMFIP borehole probes allow the
288 simultaneous monitoring of fluid pressure in the fault and three-dimensional displacements of
289 the fault¹³. A 2.4 m-long sealed interval is isolated in an open hole using two inflatable rubber
290 packers (Supplementary Figs. S2a and S2b). A 0.49 m long and 0.1 m diameter pre-calibrated
291 aluminum cage located between the two packers is clamped on the borehole wall on both sides
292 of the existing fault plane. When clamped, the cage is disconnected from the straddle packer
293 system. When the fault is moving as a result of the fluid injection into the interval, the cage
294 monitors the three-dimensional displacement tensor and the three rotations of the upper anchor
295 of the cage relatively to the lower anchor. The maximum displacement range of the deformation
296 cage is 0.7 and 3.5 mm in the axial and radial directions of the borehole, respectively, and the
297 accuracy is $\pm 5 \times 10^{-6}$ m. A compass set on the probe provides the orientation of measurements
298 with 0.1° accuracy. In this paper, the displacements are rotated into tangential (i.e., parallel)
299 and normal (i.e., perpendicular) displacements of the fault. The displacement data are
300 continuously logged together with pump parameters (pressure and flowrate), as well as
301 temperature and pressure in the borehole above, between and below the packers. The pressure
302 sensors allow for measurements over a pressure range from 0 to 10 MPa, with a 0.001 MPa
303 accuracy. The accuracy of the temperature sensors is 0.1°C .

304 During the hydraulic injection test, the injection pressure is controlled by an engine pump while
305 flowrate, pressure, temperature and displacement variations from the two SIMFIP probes,
306 respectively installed in the injection borehole and in the monitoring borehole, are monitored
307 with the same acquisition station. The sampling frequency is 500 Hz.

308 **Numerical modelling: assumptions and parameters**

309 To investigate the origin of the rapid increase in fluid pressure measured at the monitoring point
310 and the hydraulic connection between the two boreholes, we have used a three-dimensional
311 distinct element code²⁶. This numerical code was successfully used to model fluid injections in
312 faults and fractured rocks^{9,20,27}. The model simulates the fluid flow and the evolution of the
313 mechanical displacements along a single fault plane to the step-by-step pressurization boundary
314 condition imposed at the injection point (Fig. 1b and Supplementary Fig. S4a). A sensitivity
315 analysis was also conducted to address the influence of the faults' hydromechanical properties
316 (mainly frictional and hydraulic parameters; Supplementary Fig. S7) on its rupture and
317 hydraulic behavior. In this modeling, we focus on reproducing the hydromechanical response
318 of the fault at the monitoring point.

319 Details about the numerical code are provided in Cappa et al. (2018)²⁰ and Wynants-Morel et
320 al. (2020)²⁷. The model employs the modified cubic law¹⁹ (eq. 1) for fluid flow along a smooth
321 deformable fault (i.e., no roughness), and fault slip is initiated based on the Mohr-Coulomb
322 failure criterion ($\tau = c + \mu \cdot \sigma_n'$, where τ is the shear stress at which slip initiates; c is the
323 cohesion, σ_n' is the effective normal stress, i.e., total normal stress, σ_n , minus fluid pressure, p ;
324 and μ is the friction coefficient)²⁸. When the fault slips, a linear slip-weakening friction law (eq.
325 5) is used¹⁸. A frictional stress-dependent permeability is applied to calculate the fluid pressure
326 diffusion in the slipping patches of the fault. In this model, fluid flow is thus activated at failure
327 and occurs only in the ruptured part of the fault (i.e., no fluid flow in the unruptured parts).

328 The fluid flow over the fault is computed as follows:

329

$$330 \quad q = -\frac{b_h^3 \cdot w}{12\mu_f} \nabla p \quad (1)$$

331

332 where q is the volumetric flow rate (m^3/s), w denotes the fault width (m), μ_f is the fluid dynamic
333 viscosity (Pa.s), ∇p is the fluid pressure gradient (Pa/m). The fault hydraulic aperture (b_h in m)
334 varies with the effective normal stress and shear-induced dilation:

335

$$336 \quad b_h = b_{ho} - \frac{\Delta\sigma_n'}{k_n} + \Delta u_s \cdot \tan \psi \quad (2)$$

337

338 where b_{ho} (m) is the initial hydraulic aperture at failure initiation, $\Delta\sigma_n'$ is the increment in
339 effective normal stress ($\sigma_n - p$) (Pa), k_n is the fault normal stiffness (Pa/m), Δu_s (m) is the slip
340 increment, and ψ is the dilation angle ($^\circ$). Dilation occurs only as the fault slips. Assuming
341 smooth fault surfaces, the hydraulic aperture is linked to the permeability, k , (m^2) as follows¹⁹:

342

$$343 \quad k = \frac{b_h^2}{12} \quad (3)$$

344

345 The fluid pressure in the deformable fault follows a diffusion equation:

346

$$347 \quad \frac{\delta p}{\delta t} = \frac{b_h^2 K_f}{12\mu_f} \nabla^2 p - \frac{K_f}{b_h} \frac{\delta b_h}{\delta t} \quad (4)$$

348

349 where K_f is the fluid bulk modulus (Pa) and t is the time. Thus, the change in pressure is a result
350 of fluid flow (the first term in equation 4) and mechanical deformation (the second term in
351 equation 4).

352 The distinct element method^{29,30} is used to calculate displacements along the fault and rotations
353 of rock blocks that surrounds it. On the fault, linear stress-displacement relations govern the
354 elastic motions, in both the parallel and perpendicular directions.

355 The model is discretized with tetrahedral zones. The finite volume method is used to calculate
356 stresses and strains in the rock blocks. The code uses an explicit time-marching procedure²⁶.
357 Within each time step, the two-way coupling calculation is sequentially iterative, and proceeds
358 by performing a fluid calculation step and then some mechanical calculation steps to achieve a
359 hydromechanical equilibrium. Thus, the permeability of the fault is affected by the mechanical
360 deformation, and the fluid pressure affects the mechanical computation at each time step.

361 We built a model ($60 \text{ m} \times 60 \text{ m} \times 60 \text{ m}$) which considers fluid injection into a single fault plane
362 with a dip angle of 45° in a homogeneous elastic and impervious medium (Fig. 1a). The fault
363 zone geometry is inferred from previous geological studies³¹. To calibrate the model, we used
364 the injection pressure measured from the experiment as the input data (Fig. 1b), and compared
365 the monitoring pressure obtained from the numerical solution and experimental data (Figs. 1c,
366 2a, and Supplementary Figs. S4 and S5).

367 The fault hydromechanical properties and the rock elastic properties were taken from previous
368 studies¹⁶ (Supplementary Table S1). Before injection, the initial properties are uniform over the

369 fault. For the slip-weakening friction law¹⁸, we use the following frictional parameters, $\mu_s =$
 370 0.6, $\mu_d = 0.1$, and $d_c = 150$ microns to model the evolution of the friction coefficient (μ) as a
 371 function of the amount of slip (D):

$$372 \mu = \begin{cases} \mu_s - (\mu_s - \mu_d) \frac{D}{\delta_c} & D < \delta_c \\ \mu_d & D > \delta_c \end{cases} \quad (5)$$

373 These values fall within the range of frictional parameters measured in laboratory tests at low
 374 stress conditions and slow slip rates on the fault samples collected in deep boreholes used for
 375 the present injection experiment¹⁷. It is important to note that a very low dynamic friction
 376 coefficient (μ_d) is required in the model to reproduce the rapid pressure build-up and the mixed-
 377 mode deformation mechanism with fault slip and opening observed at the monitoring point

378 The first modelling stage consists of a comparison of different fluid flow modes to evaluate
 379 capabilities of each mode to reproduce the fluid pressure evolution observed at the monitoring
 380 point (Fig. 2a, and Supplementary Fig. S4). In this application, we tested three models:

- 381 (1) A constant permeability model (i.e., constant hydraulic aperture, $b_h = b_{ho}$);
- 382 (2) A variable permeability model (i.e., hydraulic aperture changes according to Equation 1)
 383 activated from the start of injection;
- 384 (3) A variable permeability model activated at failure (i.e., Equation 1 and frictional stress-
 385 dependent permeability model activated at failure as described above, when $\Delta u_s > 0$).

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