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Squeezing Marsquakes Out of Groundwater

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Abstract

Pore pressure in aquifers confined below a cryosphere will increase as Mars cools and the cryosphere thickens. Increased pore pressure decreases the effective stress and hence promotes seismicity. We calculate the rate of pore pressure change from cooling of Mars's interior and the modulation of pore pressure from solar and Phobos tides and barometric loading. Using the time-varying pressure and tidal stresses, we compute Coulomb stress changes and the expected seismicity rate from a rate-and-state friction model. Seismicity rate will vary by several tens of percent to 2 orders of magnitude if the mean pore pressure is within 0.2 and 0.01 MPa of lithostatic, respectively. Seismic events promoted by high pore pressure may be tremor-like. Documenting (or not) tidally modulated shallow seismicity would provide evidence for (or against) water-filled confined aquifers, that pore pressure is high, and that the state of stress is close to failure—with implications for processes that can deliver water to the Martian surface.

1 Introduction

Seismic signals on Mars are expected from meteorite impacts (e.g., Teanby, 2015) or may have a geodynamic origin from lithospheric stresses and ongoing mantle convection (e.g., Golombek et al., 1992; Knapmeyer et al., 2006; Panning et al., 2017; Phillips, 1991). Here we propose another internal mechanism to create marsquakes that is analogous to induced seismicity on Earth and may be modulated by tides.

Mars may host aquifers containing liquid water confined below a cryosphere (e.g., Clifford & Parker, 2001). As Mars cools, this cryosphere will thicken. If the pore space beneath the cryosphere is saturated with liquid water, the volume expansion from freezing will pressurize the remaining liquid in global or regional aquifers (e.g., Gaidos, 2001; Wang et al., 2006). As pore pressure increases, critically stressed faults are prone to slip and will thus generate marsquakes. On Earth, if the pore pressure changes are anthropogenic, the earthquakes are termed “induced”—induced seismicity is widespread where fluids are injected into the crust (Ellsworth, 2013; Zoback & Gorelick, 2012), especially from large volume injection of wastewater in Texas (e.g., Frohlich, 2012; Shirzaei et al., 2016), Oklahoma (e.g., Keranen et al., 2014), and Kansas (e.g., Schoenball & Ellsworth, 2017).
Pore pressures and crustal stresses are further modulated by solar, satellite, and barometric tides. If faults are critically stressed and close to failure, we might expect a temporal modulation of seismicity. Tides trigger deep moonquakes (e.g., Lammlein, 1977; Lognonne & Johnson, 2015). Tidal modulation of seismicity has also been documented on Earth at all types of plate boundaries, including mid-ocean ridges (e.g., Tolstoy et al., 2002), along transform boundaries (e.g., van der Elst et al., 2016), and in the form of nonvolcanic tremor in subduction zones (Rubinstein et al., 2008). Quakes caused by tides have been predicted for Europa (e.g., Hurford et al., 2018). Thus, it is not unreasonable to expect that marsquakes might also be influenced by tides, though tidal stresses will be smaller on Mars than on these other solar system bodies.

Here we compute the rate of pressure change in freezing aquifers and the modulation of that pressure from solar and Phobos tides and diurnal variations in barometric pressure. We can then compute Coulomb stress changes from tides. Using a rate-and-state friction model (Dieterich, 1994; Segall & Lu, 2015) we can predict the temporal modulation of seismicity induced in confined aquifers. We show that if background pore pressures are close to lithostatic—and hence also close to those needed to expel groundwater to the Martian surface —then there should be a tidal modulation of seismicity.

2 Pressurizing the Cryosphere

Let \( b \) be the thickness of the frozen subsurface, with surface temperature \( T_0 \) and melting temperature \( T_m \) being the temperatures and the top and bottom of this layer, respectively (Figure 1). Thermal conductivity is \( k \). A decreasing heat flow over time \( t \), will increase \( b \).
To compute $\frac{db}{dt}$ we rely on the decrease of heat flow obtained from numerical simulations of thermal evolution that include cooling, declining radiogenic heat production, and mantle convection. For a range of interior models and properties, present-day heat flow $Q_0$ is about 0.025 W/m$^2$ and is currently decreasing by about 0.0046 W/m$^2$ per Ga (Plesa et al., 2015). Parro et al. (2017) favor heat flows that are a bit lower, 0.014 to 0.025 W/m$^2$, with an average of 0.019 W/m$^2$. Uncertainties in these values are small (factor of 2) compared to uncertainties in other parameters that influence seismicity rate changes.

Neglecting any heat production within the frozen cryosphere,

$$b = k \frac{(T_m - T_0)}{Q_0} \quad (1)$$

and hence

$$\frac{db}{dt} = -k \frac{(T_m - T_0)}{Q_0^2} \frac{dQ_0}{dt} \quad (2)$$

Assuming a constant $k=1.5$ W/mK (Hartlieb et al., 2016), $T_0=220$ K, and $T_m=273$ K, then $b=3,180$ m and $\frac{db}{dt}=1.85 \times 10^{-14}$ m/s (equivalent to 585 m/Ga). The exact depth of the cryosphere at a given location depends on several unknowns, including the local heat flow, thermal conductivity of the crust, the salinity (composition) of the pore water (Clifford et al., 2010; Sori & Bramson, 2019), and whether or not the addition of ice to the base of the cryosphere is supply- or heat-limited (e.g., Weiss & Head, 2017). $T_m$ could be several degrees lower than the assumed value if freezing leaves behind

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**Figure 1.** As Mars cools, the boundary between frozen ground and liquid water in aquifers moves downward. The volume expansion upon freezing will compress the remaining liquid water and increase pore pressure in aquifers.
sufficient salt in the aquifer (Mikucki et al., 2015). The thermal conductivity of dry, shallow regolith may be much lower and is very sensitive to the fraction of pore space filled with ice (e.g., Siegler et al., 2012).

To compute the change in pore pressure we first need to compute the change in the amount of fluid/unit volume $df$ that arises from the 9% expansion of liquid water as it freezes. We assume that porosity $\phi$ decreases exponentially with depth with scale length $\delta$,

$$\phi(z) = \phi_0 e^{-z/\delta} \quad (3)$$

The total volume of liquid water/unit area $V$ below the cryosphere is thus

$$V = \phi_0 \int_b^\infty e^{-z/\delta} dz = \phi_0 \delta e^{-b/\delta} \quad (4)$$

The rate that liquid water is added to $V$ from the 9% expansion of liquid water as it freezes is $0.09\phi_0 e^{-b/\delta} db/dt$. The increment of fluid content $f$ thus varies over time

$$\frac{df}{dt} = \frac{0.09\phi_0 e^{-b/\delta}}{V} \frac{db}{dt} \quad (5)$$

Choosing $\delta=3$ km (e.g., Clifford, 1993; Hanna & Phillips, 2005) and $\phi_0=0.4$ (Lewis et al., 2019), we obtain $df/dt=5.6 \times 10^{-19}$ s$^{-1}$.

The corresponding change in pore pressure $p$ is computed using a linear poroelastic model (e.g., Wang, 2000)

$$\frac{dp}{dt} = \frac{K_u B \alpha}{\alpha} \frac{df}{dt} \quad (6)$$

where $K_u$ is the undrained bulk modulus, $\alpha$ is the Biot-Willis coefficient, $B$ is Skempton’s coefficient, $df$ originates from the freezing of the aquifer, and we assume this freezing is sufficiently slow that hydraulic head is uniform in the aquifer. There is much uncertainty in the relevant poroelastic properties. Here we adopt those summarized by Wang (2000) for Hanford basalt: $K_u=45.4$ GPa, $\alpha=0.23$, and $B=0.12$. This leads to $dp/dt=1.33 \times 10^{-8}$ Pa/s.

There are currently considerable uncertainties in $Q_0$, $T_m$, $k$, poroelastic constants, and likely lateral heterogeneities in the region (Golombek et al., 2018), which cumulatively might lead to more than an order of magnitude uncertainty in the secular stressing rate $dp/dt$. As we will compute, uncertainties of this magnitude in $dp/dt$ have a small effect on the tidal modulation of seismicity compared to other parameters. But $b$ will affect the depth at which the seismicity would occur, and hence documenting the depth of any tidally induced seismicity should better constrain some of the poorly constrained properties of crust such as $Q_0$, $T_m$, and $k$. InSight measurements might also better constrain the other variables that control $dp/dt$. 
3 Tidal Stresses and Pressure Modulation

We consider three sources of periodic deformation: changes in the gravitational potential from the Sun and Phobos, and diurnal barometric loading from atmospheric thermal tides. The geometry and equations for the time-varying strain tensor are given in the supporting information. We use degree 2 Love numbers $h_2=0.29$ (Genova et al., 2016; Konopliv et al., 2016) and $l_2=0.038$ (Sohl & Spohn, 1997), and a shear modulus of 20 GPa. We assume pure elastic deformation and neglect the lag in tidal deformation, about $0.3^\circ$ for Phobos tides (e.g., Bills et al., 2005; Jacobson & Rainey, 2014).

The induced pore pressure $p$ is

$$p = -K_u B \varepsilon + B \bar{\sigma} \quad (7)$$

where $\varepsilon$ is the volumetric strain from tides (positive for expansion) and $\bar{\sigma}$ is the volumetric stress responding to the diurnal barometric loading (positive for compression). In the supporting information we describe the procedures for computing stresses and strains.

The Coulomb stress $\sigma_c$ is computed from the tide-induced shear stress $\tau$ and normal stress $\sigma_n$ (positive for clamping) by

$$\sigma_c = \tau - \mu(\sigma_n - \alpha p) \quad (8)$$

The friction coefficient is $\mu=0.6$ (Byerlee, 1978).

Figure 2 shows the evolution of pore pressure and Coulomb stress at the Mars InSight lander location (4.5°N 135.9°E) for a vertical fault with a range of strikes.

![Figure 2.](image-url)
The magnitudes of the tidal stresses and pore pressure changes are small (of order $10^2$ Pa). However, the tidal stressing rate is several orders of magnitude larger than the secular rate of pressurization from freezing aquifers. If the shallow crust is critically stressed by the long-term thermal contraction (e.g., Knapmeyer et al., 2006), mantle convection (Plesa et al., 2016), or freezing of aquifers (section 2), then faults near failure may be ubiquitous and the tidal stresses and pore pressures may trigger earthquakes on critically stressed faults. The relatively large magnitude of tidal forcing may control the timing of seismicity.

4 Predicting Seismicity Rate on Mars

To predict seismic activity on Mars, we use a laboratory-derived rate-and-state earthquake nucleation model (Dieterich, 1994). This model simulates the temporal evolution of seismicity rate due to a change of Coulomb failure stress and assumes that fault systems are critically stressed. A simplified version of the nucleation model (Segall & Lu, 2015) relates the history of relative seismicity rate $R$ (seismicity rate relative to background seismicity rate) to the history of Coulomb stressing rate

\[
\frac{dR}{dt} = \frac{R}{t_a} \left( \frac{\sigma_c}{\sigma_0} - R \right)
\]

where $t_a$ is the background stressing rate from Mars's secular cryosphere cooling, which is the lower bound and may be as much as 2 orders of magnitudes larger, as summarized in Panning et al. (2017); $t_a = A\sigma_0/t_0$ is the characteristic relaxation time; $A$ is a constitutive parameter in the rate-and-state friction law (Dieterich, 1994); $\sigma_0$ is the background effective normal stress that depends on the absolute pore fluid pressure in the aquifers. The Coulomb stressing rate $\sigma_c$ is calculated from equation 8 by superimposing the tidal and barometric loading induced pore pressure history $p$ and the Coulomb stress without pore pressure (Figure 2). We use the value of $A=0.003$ from Segall and Lu (2015) and highlight that its value and uncertainty are unknown for Mars. Values and uncertainties in $A$, $\sigma_0$, and $t_0$ affect $t_a$; hence, we explore a range of $t_a$.

Using the stressing history (Figure 2), we can predict the temporal evolution of seismicity rate on Mars by integrating equation 9. Figure 3 shows that background effective normal stress $\sigma_0$ dominates the predicted seismicity rate changes from tidal and barometric effects. Parameters that affect $b$ and $db/dt$ and hence the background stressing rates have a relatively small effect because they are always much smaller than those produced by tides unless the effective normal stress is low. If the background normal stress is high, the fault system would be relatively stable to small stress fluctuations, making marsquakes difficult to nucleate (Figure 3, top row). However, if the pore fluid pressure is close to lithostatic pressure such that the effective normal stress would be small, the fault system is sensitive to small stress fluctuations and the relative seismicity rate can approach $10^3$ (Figure 3,
The nonlinearity of rate-and-state friction further influences the seismicity rate as the effective normal stress becomes small. The increase in the number of marsquakes can also elevate marsquake magnitude by more than 2 orders following the Gutenberg-Richter earthquake magnitude-frequency relationship.

**Figure 3.** The simulated time series of relative seismicity rate $R$ due to imparted stresses and pore pressure changes assuming $A = 0.003$ (Segall and Lu, 2015) for different scenarios of background effective normal stress $\sigma_0$ and background stressing rate $\dot{\sigma}_0$ (lower limit (left column) is the stressing rate from freezing the cryosphere and the larger value (right column) is 100 times larger). We consider $\sigma_0$ as large as 2 MPa (top row). We consider a lower value of $\sigma_0$ (bottom row) by choosing a lower bound of 0.5% of the largest $\sigma_0$. Dates are Earth dates in 2019.

Figure 3 shows how the seismicity rate $R$ is expected to vary. We do not, at the present time, convert the seismicity rate to a prediction of Mars's total marsquake magnitude-time distribution, which could be compared with data from InSight. To do so requires three additional steps, in addition to knowing the background seismicity rate: (1) integrating $R$ over the surface of Mars, (2) accounting for attenuation and scattering in the shallow crust, and (3) modeling the noise environment produced from thermal effects and wind which will vary throughout the Martian day and over seasons. InSight should provide much of the data needed to do this calculation.

Since Mars's orbit has large eccentricity that causes the gravitational attraction of the Sun to change by a factor of 1.74 per orbit, we expect a further modulation of marsquakes throughout the year (supporting information Figure S3). Identifying variations in seismicity from semidiurnal to annual timescales may help distinguish the origin of the stress connected
to marsquakes and hence provide an opportunity to identify groundwater-induced seismicity.

5 Discussion

The physics used to compute whether tidal stresses and freezing aquifers influence seismicity are similar to those used to forecast induced seismicity on Earth (e.g., Goebel & Brodsky, 2018; Zhai & Shirzaei, 2018). There are, however, many poroelastic and aquifer properties ($K_u, B, \alpha, \phi_0, \delta$) that are not observationally constrained on Mars, and statistical properties of seismicity that enter the rate-and-state friction model ($A, \tau_0$) are not known. As a consequence, there are corresponding uncertainties in the mean seismicity rate and its modulation. The parameter, however, that is most uncertain and has the largest effect on the magnitude of $R$ is $\sigma_0$, the background effective normal stress (that depends on the mean pore fluid pressure in the aquifers) as it leads to a rapid change in seismicity rate as pore pressure approaches lithostatic. Uncertainties in the parameters that control $b$ primarily affect the depth at which any tidally modulated seismicity would occur. Thus, the general conclusion that tidal modulation is expected if pore pressure is close to lithostatic should be a robust conclusion.

Identifying any tidal modulation of shallow seismicity could then be used to better constrain properties of the Martian crust and any aquifers it hosts, at least in the vicinity of the InSight landing site (Golombek et al., 2018)—seismicity enabled by high pore pressure is expected to occur near the base of the cryosphere. Tidally induced seismicity might also be tremor-like, similar to nonvolcanic tremor on Earth that is often attributed to high pore pressures (e.g., Beroza & Ide, 2011). The first reported marsquake on sol 128 (reported by the InSight team on 23 April 2019) does in fact look tremor-like, but this type of waveform could also be the result of multiple scattering in the crust.

We have drawn an analogy of the hypothesized tidally-modulated seismicity to induced seismicity on Earth because high fluid pressures promote slip and pressure variations modify the timing of seismic events. There is, however, a quantitative difference because the pore pressure changes from tidally induced strains are relatively small compared to the shear stresses—the relative magnitude of pressure and shear stress changes from tides are small compared to the equivalent from fluid injection. Tidal modulation of seismicity does not necessitate high fluid pressure change—deep moonquakes provide a counter example—but does require small effective normal stresses.

The outflow channels on Mars are usually attributed to the catastrophic release of groundwater from the Martian subsurface (e.g., Carr, 1979). Discharge from present-day aquifers has also been suggested as a mechanism to form smaller features such as gullies and recurring slope lineae (e.g., Heldmann et al., 2005; Malin & Edgett, 2000; Mellon & Phillips, 2001; Stillman et al., 2014), possibly enabled because high salinity can decrease
the depth at which aquifers remain stable (Ojha et al., 2015; Stillman et al., 2016). Yet the source of the water and the mechanism by which the water is released remain uncertain (e.g., Clifford & Parker, 2001; Grimm et al., 2017; Hanna & Phillips, 2005, 2006; Wang et al., 2005). Freezing of aquifers may allow pore pressure to approach lithostatic pressure at the base of the cryosphere and hence to rupture the cryosphere, leading to groundwater discharge on the Martian surface (e.g., Gaidos, 2001; Wang et al., 2006). It remains uncertain, however, whether pressurization of Martian aquifers by gradual freezing can create sufficiently high pore pressure to rupture the cryosphere (Hanna & Phillips, 2005), though water loss has been low enough that groundwater should at least persist globally (Grimm et al., 2017). Pressure in aquifers confined by a cryosphere may also be elevated if they are recharged at higher elevation (e.g., Andrews-Hanna & Lewis, 2011; Harrison & Grimm, 2004).

The ideas and processes considered here for Mars may not be confined to rocky planets with groundwater systems (Earth and Mars). Fracturing by overpressure that develops in water confined by a freezing ice shell has also been invoked for icy satellites, for water confined both in a global ocean (e.g., Manga & Wang, 2007) and possibly in isolated pockets of water (e.g., Fagents, 2003; Manga & Michaut, 2017).

6 Summary

Shallow, tidally modulated seismicity, if documented by InSight or the accelerometer on Curiosity (Lewis et al., 2019), would provide evidence of liquid-filled confined aquifers with near-lithostatic pore pressure and a state of stress close to that required for failure. Conversely, an absence of tidal modulation of seismicity implies low pore pressure, with implications for the properties of Martian groundwater systems and the processes that allow liquid water to be delivered to the Martian surface. Constraining the depth of Mars's cryosphere and whether it is underlain by liquid water are critical to understanding Mars's past and present near-surface water budget (Carr & Head, 2015). The presence or absence of induced seismicity provides an opportunity to better constrain the state and amount of subsurface water.

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