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## Posters

### Title

Two Major Themes in the Design of Sensor Networks: Data Integrity and Sampling.

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# Two Major Themes in The Design of Sensor Networks: data integrity and sampling

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## Introduction

- Sensor networks are useful for **learning** about natural phenomena.
- Learning consists of extracting information from data to understand the underlying phenomenon.
- Two major concerns: **data integrity** and **sampling**.
- The widespread of use of sensor networks is limited by the **poor quality** of sensor data, which are often compromised by various **faults**.
- Adaptive sampling algorithms are more efficient than passive sampling algorithms. They are derived by **optimizing** a certain criterion:
  - For mobile sensors, sample **paths** can be selected to decrease a model's uncertainty, in the shortest amount of time.
  - Jointly** optimize **model selection** and sampling strategy

## Data Integrity

### Signature-based fault detection

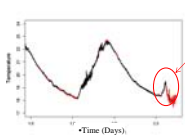
Determine **major types of sensor faults**, such as bias, drift, noise, clipping, stuck-at, outliers, etc. (following sensor fault taxonomy in Ni et. al)

Identify **features** that are effective in detecting these faults by examining their performance under various scenarios (including **temporal and spatial structures**)

Combine the effective features into **"signatures"** to model the common sensor faults

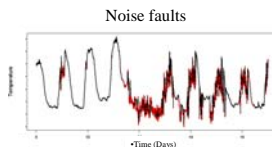
Signature-based fault detection evaluated on **real data** from three deployments

- Injected faults into clean sensor data and real faults flagged visually
- Algorithm able to detect real faults consistently and quickly while maintaining low (<6%) false alarm rate

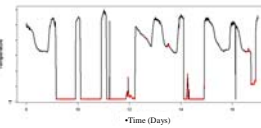


Battery failure causes drift fault in node 112

Error rate	$D_{re}$	$D_j(112)$		$e_j(112)$	
		<i>near</i>	<i>far</i>	<i>near</i>	<i>far</i>
type I	0.046	0.055	0.066	0.056	0.065
type II	0.036	0.096	0.101	0.069	0.170



Stuck-At faults



### On-line estimation and fault detection

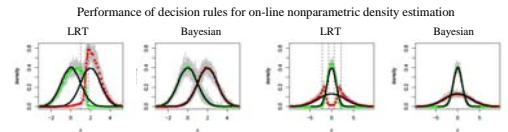
On-line updating of estimates in the presence of fault detection algorithms often lead to **biased estimates**

The problem is more difficult when the null distributions are themselves **changing over time**.

For parametric cases, the biases can be addressed in two ways: a) analytically compute the bias and adjust; or b) treat the flagged observation as missing and impute it from the conditional distribution.

For nonparametric estimation, the **Bayesian classification rule** does well in addressing the problem.

**Frequency** with which parameters estimates are updated is important. If updates are done too quickly, faults may be "learned" before they are detected

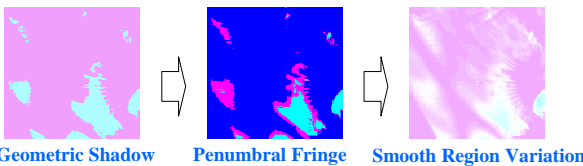


## Sampling and Estimation of Latent Geometric Structures

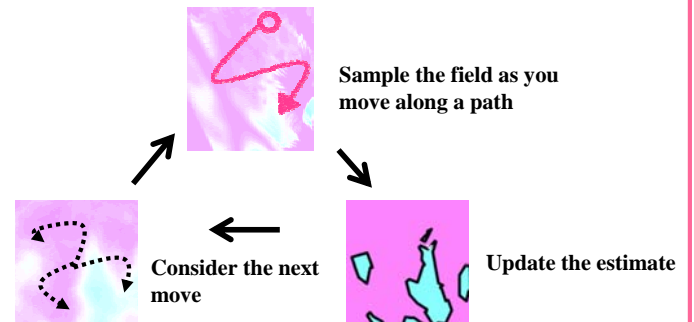
### Many Environmental Phenomena have Latent Geometric Structure

- Sunflecks in the Forest
- Soil surface temperature
- Marine coastal nutrient and contaminant concentration

### The Geometric Structure is often part of a Hierarchical Model: A Sunfleck Model Shown Below



### Polygonal Random Fields ⇔ Continuous Path Samples



## Adaptive Sampling for Model Selection

### Algorithm

- Adaptive sampling algorithm to distinguish between  $n$  models.
- Idea:** Find the points that result in the minimum probability of error.

Example: A set of 2 regression models

$$H_1: y_i = h_1(x_i, a) + e_i, \quad i = 1, \dots, n$$

$$H_2: y_i = h_2(x_i, b) + e_i, \quad i = 1, \dots, n$$

1. Given a design  $w_N$ , where  $N$  is the number of observations, find

$$\hat{a}_N = \arg \min_a \sum_{i=1}^N (y_i - h_1(x_i, a))^2$$

$$\hat{b}_N = \arg \min_b \sum_{i=1}^N (y_i - h_2(x_i, b))^2$$

2. Add to the design a point  $x_{N+1}$  such that:

$$x_{j+1} = \arg \max_{x \in \mathcal{X}} (h_1(x; \hat{a}) - h_2(x; \hat{b}))^2 - c(x - x_j)^2$$

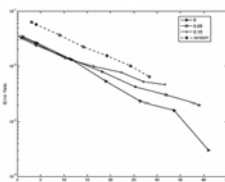
3. The  $(N + 1)$ th observation is taken at  $x_{N+1}$   
Update  $w: w_{N+1} = (1 - \alpha) * w_N + \alpha * \delta(x_{N+1})$

4. Go back to 1

### Performance

$$h_1(x; a) = a_0 + a_1 x_i \quad i = 1, \dots, m$$

$$h_2(x; b) = b_0 + b_1 e^{x_i} + b_2 e^{-x_i} \quad i = 1, \dots, m$$

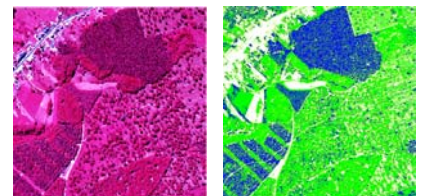


- Static sensors are used to find an initial estimate of the models.
- Adaptive sampling using a mobile sensor: **Joint** minimization of the probability of error and the mobility cost.
- This can be easily extended to multiple hypotheses

### Preliminary Work

(Joint work with the ARIANA group at INRIA Sophia-Antipolis, And IFN)

- Non-parametric models: SVM using Gaussian kernel.
- Example: Tree type classification
- Training set selection is **crucial**. How can we design optimal training set selection algorithms?



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