

UCLA

Posters

Title

Informative Sensing Using Mobile Robots for Environmental Applications

Permalink

<https://escholarship.org/uc/item/4nc8j5bw>

Authors

Singh, Amarjeet
Batalin, Maxim
Kaiser, William J

Publication Date

2007-10-10

Peer reviewed

Informative sensing using multiple robots for environmental applications

Amarjeet Singh*, Andreas Krause+, Maxim Batalin*, Carlos Guestrin+, Gaurav Sukhatme#, William J. Kaiser*

*ASCENT Lab – <http://ascent.cens.ucla.edu> #RESL – <http://robotics.usc.edu/resl/>

+SELECT Lab – <http://www.cs.cmu.edu/~select/>

Introduction:

Challenges in environmental sensing

- Large spatial coverage and dynamic temporal variation
- Prohibitively expensive to use static sensing
- Motivates the use of actuated sensors – mobile robots carrying environmental sensors
- **Constraint:** Limited fuel capacity of mobile robots
- **Fundamental Problem:** Where should we sample a phenomenon to maximize the collected information?
- **Example:** Growth pattern of phytoplankton in a lake

How to quantify collected information?

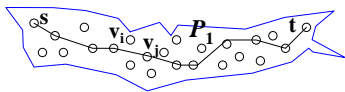
- Model the phenomenon as Gaussian Process (GP)
- Use Mutual Information (MI) as the objective function
 - Measures the reduction in uncertainty (entropy) at unobserved locations

$$MI(\mathcal{P}) = H(\mathcal{X}_{\mathcal{V}}) - H(\mathcal{X}_{\mathcal{V}|\mathcal{P}})$$

$H(\mathcal{X}_{\mathcal{V}})$: Entropy of unobserved locations

$H(\mathcal{X}_{\mathcal{V}|\mathcal{P}})$: Conditional entropy after sensing at \mathcal{P} (chosen path)

Multi-robot Informative Path Planning(MIPP) problem



Sensing cost $C(v) > 0$; Traveling cost $C(v_i, v_j)$
 $C(\mathcal{P}_1) = \sum_i C(v_i) + \sum_{i,j} C(v_i, v_j) \forall v_i, v_j \in \mathcal{P}_1, C(\mathcal{P}_1) \leq B$

- Formally, MIPP can be defined as:

$$\max_{\mathcal{P}} \sum_{\mathcal{P}} MI(\mathcal{P})$$

subject to $C(\mathcal{P}_i) \leq B, \forall i \leq k$

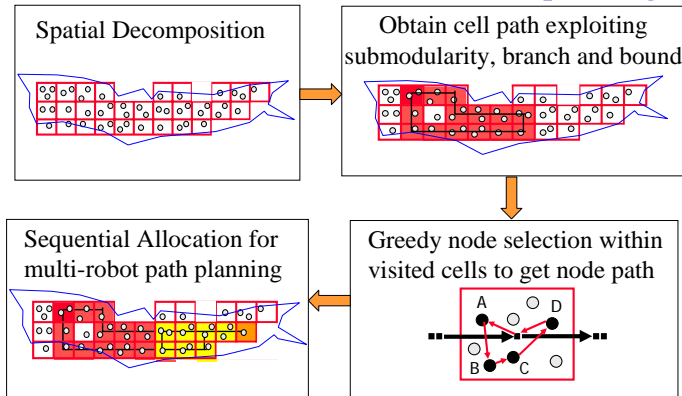
- We propose *sequential-allocation* algorithm that provides strong approximation guarantee for MIPP

- $(1 + \eta)$ with η being the approximation guarantee of any single robot instance of informative path planning
- Example: $\eta = \log(OPT)$ with OPT = number of nodes in optimal path as proposed in Chekuri et. al, FOCS'05.

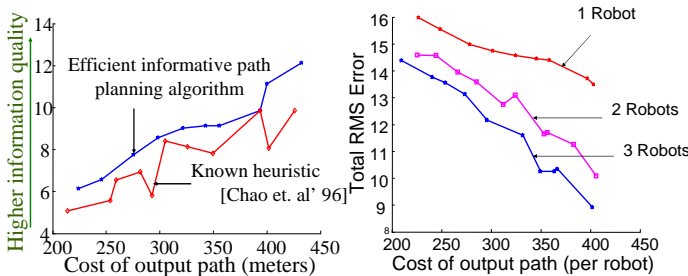
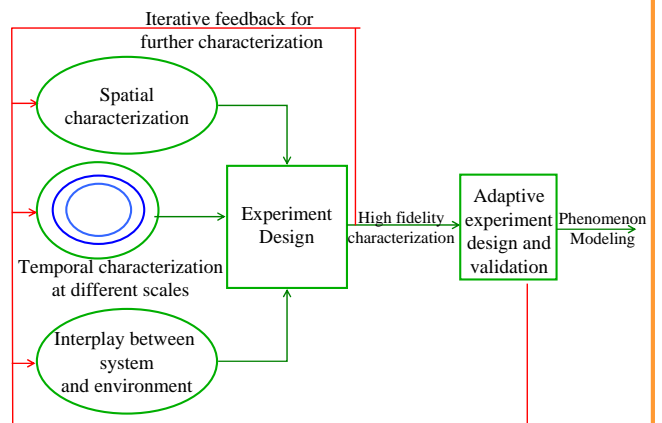
- For a collection of k paths, $\mathcal{P} = \mathcal{P}_1 \cup \mathcal{P}_2 \cup \dots \cup \mathcal{P}_k$, let $MI(\mathcal{P})$ be the mutual information collected by all the paths

Efficient characterization of environmental applications

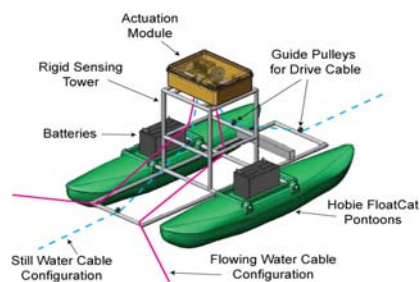
Efficient Multi-robot Informative Path planning



Iterative experiment Design for Environmental Applications (IDEA) methodology



Performance comparison using temperature data collected using robotic boat



Aquatic based Networked InfoMechanical System (NIMS-AQ): An autonomous system used for implementing IDEA and MIPP