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### **Practice of Epidemiology**

### **Immortal Time Bias With Time-Varying Exposures in Environmental Epidemiology: A Case Study in Lung Cancer Survival**

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Immortal time bias is a well-recognized bias in clinical epidemiology but is rarely discussed in environmental epidemiology. Under the target trial framework, this bias is formally conceptualized as a misalignment between the start of study follow-up (time 0) and treatment assignment. This misalignment can occur when attained duration of follow-up is encoded into treatment assignment using minimums, maximums, or averages. The bias can be exacerbated in the presence of time trends commonly found in environmental exposures. Using lung cancer cases from the California Cancer Registry (2000–2010) linked with estimated concentrations of particulate matter less than or equal to 2.5  $\mu$ m in aerodynamic diameter (PM<sub>2.5</sub>), we replicated previous studies that averaged PM<sub>2.5</sub> exposure over follow-up in a time-to-event model. We compared this approach with one that ensures alignment between time 0 and treatment assignment, a discrete-time approach.In the former approach, the estimated overall hazard ratio for a 5- $\mu$ g/m<sup>3</sup> increase in PM<sub>2.5</sub> was 1.38 (95% confidence interval: 1.36, 1.40). Under the discretetime approach, the estimated pooled odds ratio was 0.99 (95% confidence interval: 0.98, 1.00). We conclude that the strong estimated effect in the former approach was likely driven by immortal time bias, due to misalignment at time 0. Our findings highlight the importance of appropriately conceptualizing a time-varying environmental exposure under the target trial framework to avoid introducing preventable systematic errors.

cancer; causal inference; environmental epidemiology; immortal time bias; observational studies; target trials

Abbreviations: CCR, California Cancer Registry; CI, confidence interval; HR, hazard ratio; ICDO-3, International Classification of Diseases for Oncology, Third Edition; ITB, immortal time bias; PM<sub>2.5</sub>, particulate matter less than or equal to 2.5  $\mu$ m in aerodynamic diameter.

Epidemiologic studies often seek to measure the impact of time-varying environmental exposures on time-to-event outcomes. In this setting, it is necessary to appropriately consider the time-varying nature of the exposure. However, researchers often overlook this requirement and attempt to simplify the analysis by treating the exposure as time-fixed to avoid the added complexity of accounting for a timevarying exposure. For instance, some investigators choose to average exposure over follow-up for each individual  $(1–5)$  $(1–5)$  $(1–5)$ . While this may initially appear to be an appropriate simplification, assigning baseline exposure using an averaged exposure can introduce immortal time bias (ITB) into the study. Described generally, ITB occurs when there is a misalignment between time 0 and treatment assignment. In this paper, we will use the target trial framework to identify how

averaging a time-varying environmental exposure in a timeto-event analysis can introduce ITB into an observational study. We then illustrate an approachable analytical solution that prevents ITB and appropriately considers the timevarying nature of these exposures. The terms "exposure" and "treatment" will be used synonymously throughout this paper.

<span id="page-1-3"></span><span id="page-1-2"></span><span id="page-1-1"></span><span id="page-1-0"></span>The target trial framework views an observational study through the lens of a hypothetical randomized trial (target trial) to avoid fundamental flaws in the analysis that can result in biases, including ITB ([6\)](#page-9-2). This framework specifies that the fundamental principles that guide the design and analysis of randomized trials must be applied in observational studies to avoid systematic errors. One of these central principles is the alignment of start of follow-up (time 0), eligibility criteria, and treatment assignment. This alignment at time 0 occurs by design in a randomized trial (at the time of randomization), so when this principle is ignored in an observational study, systematic errors can be introduced. One of the errors that can occur if this principle of alignment is violated is "classical" ITB. Here, ITB occurs when the start of follow-up and eligibility criteria are aligned but treatment assignment is made using information that occurs after baseline (i.e., "future" looking) ([7\)](#page-9-3), which creates a misalignment between treatment assignment and time 0 (see Web Figure 1, available at [https://doi.org/10.1093/aje/](https://doi.org/10.1093/aje/kwad135) [kwad135\)](https://doi.org/10.1093/aje/kwad135). For the purposes of this discussion, we will refer to the "principle of alignment at time 0" to describe the alignment between time 0 and treatment assignment (assuming alignment of eligibility criteria).

<span id="page-2-2"></span><span id="page-2-1"></span>While ITB is most often identified when there is a welldefined period of "immortal time," as first described by Gail [\(8](#page-9-4)) in the context of heart transplantation studies in 1972 (see details in the Web Appendix), there are other subtle ways postbaseline information may be used to assign treatment status. One example of this occurs when treatment assignment is dependent on an individual's attained duration of follow-up ([9\)](#page-9-5). This appears in studies that use maximums, minimums, or averages of exposure during follow-up as the exposure of interest [\(7](#page-9-3)). This has been described in studies of "long-term" and "short-term" drug use, where a participant must have had a longer duration of follow-up to be classified as a long-term user  $(10, 11)$  $(10, 11)$  $(10, 11)$  $(10, 11)$ . For example, in an observational study that demonstrated a protective effect of statin use on lung cancer risk when comparing long-term statin users with nonusers [\(12](#page-9-8)), individuals were classified using their attained duration of statin therapy *during* follow-up. While there is no obvious period of "immortal time" here, we can identify that the principle of alignment at time 0 is violated as a result of assigning treatment using attained duration of follow-up, resulting in ITB.

<span id="page-2-5"></span><span id="page-2-4"></span><span id="page-2-3"></span>Because ITB has most commonly been addressed in clinical epidemiology and pharmacoepidemiology [\(13](#page-9-9)[–15](#page-9-10)), its occurrence in environmental epidemiology has been largely overlooked. However, using the target trial framework, we can identify that ITB can be introduced when time-varying environmental exposures are averaged over follow-up. Averaging an exposure over the course of follow-up defines the exposure value based on an individual's attained length of follow-up, creating misalignment of treatment and time 0 (as described above). This results in a study sample in which individuals with longer follow-up times will have more exposure observations included in their average than individuals with shorter follow-up times (see Web Figure 2). These averaged exposures (between individuals with different follow-up times) are no longer inherently comparable as a result of the different number of values included in the calculation. Conceptually, another way in which this error in exposure assignment can be understood is that using an average exposure over follow-up as a baseline exposure inappropriately attributes exposure to a time period where that exposure has not yet accrued.

While we can identify that using a postbaseline averaged exposure can introduce ITB under the target trial framework, the induced systematic error can be even greater when the

<span id="page-2-10"></span><span id="page-2-9"></span>exposure has a strong temporal trend, as with air pollution [\(16](#page-9-11), [17](#page-9-12)). When this is the case, the averaged exposure level is associated not only with length of follow-up but also with the temporal trend. For example, if an exposure is decreasing over calendar time, participants with longer follow-up times will have lower averages than those with shorter followup times, due to the temporal trend in the exposure. This results in an even greater discrepancy in assigned exposure values between those with longer and shorter follow-up times, which amplifies the magnitude of such bias.

<span id="page-2-0"></span>To date, no studies (to our knowledge) have described how averaging time-varying environmental exposures over follow-up time in a time-to-event analysis can introduce ITB. In this paper, we present a case study examining the impact of air pollution on 5-year survival after a lung cancer diagnosis. We use 2 approaches to estimate this association. First, we define air pollution exposure using the average exposure over follow-up (we refer to this as the naive approach). We then use an alternate method, a discrete-time approach, that appropriately assigns air pollution exposure at the time it has been accrued, and in turn upholds the principle of alignment at time 0. We then compare effect estimates between the naive and discrete-time approaches to illustrate how ITB can impact effect estimates.

#### **CASE STUDY**

<span id="page-2-8"></span><span id="page-2-7"></span><span id="page-2-6"></span>Several studies have examined the impact of air pollution exposure after a cancer diagnosis on cancer survival in a time-to-event analysis [\(1](#page-9-0)[–5](#page-9-1)). These authors treated air pollution exposure as time-fixed by averaging air pollution exposure from the date of diagnosis to the date of last followup and used Cox proportional hazards models to estimate hazard ratios (HRs) for the association between average air pollution level and survival. Those studies all found strong associations between higher average air pollution levels during follow-up and decreased survival after a cancer diagnosis. In this case study, we will first use the approach from this previous work that creates a misalignment of the assigned exposure at time 0, where air pollution is averaged across follow-up and treated as time-fixed in a Cox model (naive approach). We then estimate this same association using the proposed discrete-time hazards approach (discretetime approach). This is an established method for estimating the causal effect of a time-varying exposure in a time-toevent framework that upholds the principle of alignment at time 0 outlined by the target trial framework [\(18](#page-9-13)).

#### <span id="page-2-11"></span>**Study population**

A retrospectively compiled, population-based cohort of lung cancer patients in California was created by linking data from the California Cancer Registry (CCR) with estimates of fine particulate matter air pollution (particulate matter less than or equal to 2.5 μm in aerodynamic diameter  $(PM<sub>2.5</sub>)$ ) using patient zip code at diagnosis. The CCR is a statewide population-based cancer surveillance system that collects information on all cancers (except nonmelanoma skin cancer) diagnosed in California. Lung cancer cases

diagnosed between 2000 and 2010 and registered by the CCR were identified with *International Classification of Diseases for Oncology, Third Edition* (ICDO-3) site codes (ICDO-3 codes C34.0–C34.3, C34.8, and C34.9). Cases were included in the study if the patient had a primary, histologically confirmed cancer of the lung or bronchus and had an address in California at the time of cancer diagnosis on record with the CCR  $(n = 123,706)$ . Patients with in situ cancer  $(n = 48)$ , with cancer diagnosed at autopsy  $(n = 355)$ , or with an invalid date of diagnosis or follow-up (*n* = 2,035) were excluded from the analysis. For the purposes of this analysis, all cancer cases who survived for less than 30 days from the date of diagnosis were excluded  $(n = 15,625)$ . The initial study population included 105,643 patients. This study was reviewed and approved by institutional review boards at San Diego State University and the University of California, San Diego, and by the California Department of Public Health Committee for the Protection of Human Subjects.

#### **Exposure**

Daily zip-code–specific concentrations of PM<sub>2.5</sub> ( $\mu$ g/m<sup>3</sup>) were estimated from 24-hour daily mean values sampled and reported by the Environmental Protection Agency's Air Quality System in California. Measurements from the 3 nearest stations within 25 km of each population-weighted zip code centroid were assigned to each zip code week using inverse distance weighting as applied previously [\(19](#page-9-14)). The measured  $PM<sub>2.5</sub>$  concentration was weighted by the squared inverse distance to each zip code centroid, giving more weight to values at stations closer to the centroid. In this analysis, these estimated daily values were averaged as monthly zip code PM<sub>2.5</sub> values for each lung cancer patient. Patients with fewer than 2 daily values in all months of follow-up were excluded from the analysis  $(n = 16,605)$ . In the discrete-time approach, which uses time-varying air pollution levels, patients are censored at their first month of follow-up with sparse air pollution data (less than 2 daily values). In a sensitivity analysis, the naive approach was replicated, additionally excluding individuals with any sparse air pollution months during follow-up (*n* = 4,099).

#### **Outcome**

Survival time was calculated from the date of lung cancer diagnosis to the date of death from any cause. All patients were censored 5 years after the date of diagnosis to avoid heterogeneity of effects associated with long-term survivorship [\(20](#page-9-15)).

#### <span id="page-3-1"></span>**Covariates**

The following covariates were considered as potential confounders of the association between air pollution and lung cancer survival: age at diagnosis (years), sex (male/female), relationship status (single, partnered), race/ethnicity (non-Hispanic White, non-Hispanic Black, Hispanic, Asian American, Native Hawaiian/Pacific Islander, other/unknown), treatment received during the first 6 months after

diagnosis (surgery, radiation, chemotherapy), histological type, month of diagnosis, year of diagnosis, and socioeconomic status quintile. Socioeconomic status was measured using a composite residential neighborhood-level index that combined US Census measures of education, income, occupation, and cost of living at the census block group level, treated as quintiles [\(21](#page-9-16)). Standard histological groupings were created using ICDO-3 morphology codes for carcinoma, squamous cell carcinoma, adenocarcinoma, small cell carcinoma, large cell carcinoma, and other carcinomas.

#### <span id="page-3-2"></span>**Statistical analysis**

Descriptive statistics were calculated for survival,  $PM_{2.5}$ exposure, and other covariates. Two approaches were used to estimate the impact of air pollution on survival after a lung cancer diagnosis. The first approach (naive approach) emulates previous literature wherein  $PM<sub>2.5</sub>$  exposure is averaged over follow-up to create a single value that represents all exposure during the follow-up period. This average exposure is then treated as time-fixed in a Cox proportional hazards model to estimate a single HR for the effect of  $PM_2$ , on survival over the entire follow-up period.

<span id="page-3-3"></span><span id="page-3-0"></span>The second approach (discrete-time approach) treats  $PM_{2.5}$ as time-varying by using cumulative monthly averages. These monthly averages are then included in a discretetime hazards model (i.e., a pooled logistic model with relatively short periods) where outcomes are assessed at each month of follow-up [\(22](#page-9-17)). This model estimates, in each month for each person, the conditional probability of remaining free of the outcome given cumulative average air pollution exposure, baseline covariates, and time of follow-up. In this approach, the discrete-time hazard during each month *t* is defined as the risk of the outcome during month *t* among participants who reached month *t* free of the outcome. Said differently, the analysis is stratified at each month during the follow-up period, and then month-specific effect estimates are pooled. This ensures that exposure is assigned at each outcome-time (month), which guarantees comparable exposure-time lengths for persons with and without the outcome at each month. This approach ensures alignment between treatment assignment and time 0 (for each case month distinct time 0 in the context of this timevarying discrete-time approach). Time-varying hazards were accounted for by modeling follow-up time using cubic splines. Bootstrap confidence intervals (CIs) were used to account for correlated observations.

All models for both approaches included potentially confounding variables that were associated with both  $PM_{2.5}$ exposure and lung cancer survival, as described above, and included a random intercept on zip code at diagnosis to account for heterogeneity in survival across space. Models were stratified by disease stage at diagnosis (local, regional, or distant) due to established differences in etiology, treatment, and survival. Overall models included patients with an unknown stage of disease.

To illustrate the difference in effect estimates over followup between both methods, we estimated adjusted survival curves using terciles of  $PM_{2.5}$  exposure. For the naive approach, we used the R software package "*survminer*"



<span id="page-4-2"></span>**Table 1.** Baseline Characteristics of Lung Cancer Patients in the California Cancer Registry, by Disease Stage, 2000–2010

Abbreviations; PM<sub>2.5</sub>, particulate matter less than or equal to 2.5  $\mu$ m in aerodynamic diameter; SES, socioeconomic status. a Values are expressed as mean (standard deviation).

<span id="page-4-0"></span>

<span id="page-4-1"></span>b Excludes persons with missing/unknown data.

(R Foundation for Statistical Computing, Vienna, Austria). In this package, a survival curve is plotted for each level of the grouping variable ( $PM_{2.5}$  tercile) and the distribution is adjusted to the reference population using inverse probability weighting as described in the package documentation. For the discrete-time approach, we used the method described by Hernán [\(18](#page-9-13)). In this procedure, conditional survival is calculated by multiplying the model's predicted values through time *t* to estimate conditional survival at *t* for all subjects. Survival is then predicted at time *t* for each subject and conditional survival under each exposure is averaged for all subjects. This results in survival curves for each exposure level that are standardized to the distribution of the covariates in the study. All analyses were performed using R Studio, version 4.0.2.

#### **RESULTS**

The final study population included 89,038 lung cancer cases diagnosed in California between 2000 and 2010. Baseline characteristics of the study population are presented in [Table 1.](#page-4-2) Lung cancer patients were, on average, 70.4 (standard deviation, 11.4) years of age at diagnosis and predominantly non-Hispanic White (68%). More than half of the lung cancers (55.6%) were diagnosed at a late disease stage.

During the 5-year study period, 82% of the population died, with the majority (53%) dying in the first year. Median durations of survival for localized, regional, and distant stage at diagnosis were 4.92, 1.69, and 0.53 years, respectively. Average PM<sub>2.5</sub> exposure was 12.4  $\mu$ g/m<sup>3</sup> across all lung



<span id="page-5-2"></span>**Table 2.** Estimated Hazard Ratios and Odds Ratios for 5-Year Cancer-Free Survival per 5-Unit (5-μg/m3) Increase in PM2.5 Exposure Over the Follow-Up Period, California Cancer Registry, 2000–2010

Abbreviations: CI, confidence interval; HR, hazard ratio; OR, odds ratio; PM<sub>2.5</sub>, particulate matter less than or equal to 2.5  $\mu$ m in aerodynamic diameter.

<span id="page-5-0"></span>a Adjusted for age at diagnosis (years), sex (male/female), relationship status (single, partnered), race/ethnicity (non-Hispanic White, non-Hispanic Black, Hispanic, Asian American, Native Hawaiian or Pacific Islander, other/unknown), treatment received during the first 6 months after diagnosis (surgery, radiation, chemotherapy), histological type, month of diagnosis, year of diagnosis, and socioeconomic status quintile. Overall estimates (all stages) additionally adjusted for disease stage at diagnosis (localized, regional, distant, unknown).

<span id="page-5-1"></span><sup>b</sup> ORs are for a 5-μg/m<sup>3</sup> increase in monthly PM<sub>2.5</sub> concentration over the course of follow-up. The 95% CIs were obtained via bootstrap estimation with 1,000 replications using the percentile method.

cancer cases. Over the study period, there were long-term downward trends in  $PM_{2.5}$  concentration (Web Figure 3).

[Table 2](#page-5-2)shows the estimated HRs for 5-year survival for both the naive approach and the discrete-time approach. In the naive approach, the HRs for all-cause mortality associated with a  $5-\mu g/m^3$  increase in average PM<sub>2.5</sub> exposure were 1.37 (95% CI: 1.31, 1.43), 1.32 (95% CI: 1.28, 1.36), and 1.18 (95% CI: 1.16, 1.20) for localized, regional, and distant disease stage, respectively. In the discrete-time approach, the odds ratios for all-cause mortality associated with a  $5-\mu g/m^3$  increase in time-varying PM<sub>2.5</sub> exposure were 0.99 (95% CI: 0.96, 1.02), 0.98 (95% CI: 0.96, 1.00), and 0.99 (95% CI: 0.98, 1.01) for localized, regional, and distant disease stage, respectively. Adjusted survival curves for both the naive and discrete-time approaches are shown in [Figures 1](#page-6-0) and [2](#page-7-0). While there is substantial heterogeneity in the probability of survival by air pollution tercile in the naive curves, the discrete-time curves show relatively consistent survival probability by air pollution tercile.

Hazard ratios did not change substantially in a sensitivity analysis of the naive approach in which individuals with sparse air pollution months were excluded (Web Table 1).

#### **DISCUSSION**

While ITB is most often addressed in clinical epidemiology and pharmacoepidemiology, the errors that introduce systematic bias as a result of failure to correctly emulate a target trial can occur in environmental epidemiology as well. In this case study, we used the target trial framework to identify that averaging an environmental exposure over follow-up can introduce ITB into the study population and lead to substantial differences in the estimated effects and conclusions in the inference of interest. When an exposure is averaged over the course of follow-up, treatment assignment is made using postbaseline information, which unhitches treatment assignment from time  $0(7, 9)$  $0(7, 9)$  $0(7, 9)$  $0(7, 9)$ . We illustrate that when ITB is introduced into a study in this way, the use of a time-to-event model does not adequately control for differences in follow-up lengths (a well-known function of these models). Instead, it is necessary to use alternative approaches that ensure alignment at time 0.

<span id="page-5-3"></span>In this paper, we proposed an analytical solution using a discrete-time hazards approach. This method ensures alignment between time-varying treatment and time 0 at each outcome time because the hazard is reassessed in each follow-up period, including updating information on any time-varying covariates or exposures. This guarantees that only exposure periods that are comparable (with respect to time) are being used to assess the hazard at each outcome time. In a recent paper that outlined the use of causal diagrams for ITB, Mansournia et al. [\(23](#page-9-18)) highlighted how ITB can be considered either misclassification or selection bias and then proposed strategies for avoiding ITB, including the discrete-time approach we used here. They made the useful comparison of the discrete-time approach with a series of mini–randomized trials at monthly intervals [\(23](#page-9-18)). In this comparison, individuals have their exposure value reassigned in each mini–randomized trial (at each month), which prevents ITB.



<span id="page-6-0"></span>**Figure 1.** Adjusted survival curves from a naive analysis of the impact of air pollution on 5-year lung cancer survival, by disease stage, California Cancer Registry, 2000–2010. The analysis used average PM<sub>2.5</sub> exposure over the course of follow-up for localized (A), regional (B), and distant (C) stage of disease. Models were adjusted for age at diagnosis, sex, relationship status, race/ethnicity, treatment received during the first 6 months after diagnosis, histological type, month of diagnosis, year of diagnosis, and socioeconomic status quintile. Adjustment was done using inverse probability weighting in the "survminer" R software package. PM<sub>2.5</sub>, particulate matter less than or equal to 2.5  $\mu$ m in aerodynamic diameter.

Because discrete-time models allow for time-varying hazards and HRs, their use can also help investigators avoid common pitfalls in reporting causal effects using an average HR to represent risk over entire follow-up periods. Using an average HR can be uninformative because of time-varying HRs, which can occur as a result of built-in selection bias. The average HR ignores the distribution of events over follow-up, which guarantees that the magnitude of the HR will depend on the length of follow-up when the HR is time-varying. Hernán [\(18](#page-9-13)) recommends using discretetime hazards models to obtain adjusted survival curves in order to present HRs over time, to overcome the misleading representation of a single HR that depends on length of follow-up. Furthermore, the discrete-time approach can be easily integrated into more advanced methods, including g-computation or inverse probability weighting methods

<span id="page-6-7"></span><span id="page-6-6"></span><span id="page-6-5"></span><span id="page-6-4"></span><span id="page-6-3"></span><span id="page-6-2"></span><span id="page-6-1"></span>[\(24](#page-9-19), [25](#page-9-20)). These approaches could be particularly helpful when dealing with complex time-varying exposure and confounding settings that may cause exposure-confounding feedback (i.e., collider stratification bias) as described elsewhere ([26,](#page-9-21) [27](#page-9-22)). While we chose to illustrate an analytical solution using discrete-time models for the aforementioned reasons, an alternative approach to avoiding ITB with environmental exposures has been demonstrated in previous studies, using standardized exposure windows (i.e., weeks, years) for all individuals, regardless of duration of followup ([28,](#page-9-23) [29](#page-9-24)). Note that alternative analytical strategies could have been used to flexibly handle time-varying exposures and confounders in a discrete-time setting, such as doubly robust approaches including augmented inverse probability of treatment weighting or doubly matched estimators [\(30](#page-9-25)).



<span id="page-7-0"></span>**Figure 2.** Adjusted survival curves from a discrete-time analysis of the impact of air pollution on 5-year lung cancer survival, by disease stage, California Cancer Registry, 2000–2010. The analysis used monthly PM<sub>2.5</sub> exposure over the course of follow-up for localized (A), regional (B), and distant (C) stage of disease. Models were adjusted for age at diagnosis, sex, relationship status, race/ethnicity, treatment received during the first 6 months after diagnosis, histological type, month of diagnosis, year of diagnosis, and socioeconomic status quintile. Adjustment was done using the approach described by Hernán ([18](#page-9-13)). PM<sub>2.5</sub>, particulate matter less than or equal to 2.5  $\mu$ m in aerodynamic diameter.

After applying this discrete-time approach to our case study with lung cancer cases in California, we found little evidence that  $PM<sub>2.5</sub>$  exposure after a cancer diagnosis affects survival. By contrast, with the naive approach, which uses average exposure over follow-up, we found estimates that were similar in magnitude to results from the emulated studies ([2,](#page-9-26) [4](#page-9-27)). The presence of ITB in the naive approach can be easily visualized by comparing the survival curves from the naive and discrete-time approaches. In a recent study examining the impacts of average air pollution exposure over follow-up on survival in California [\(5\)](#page-9-1), investigators found that the HRs for all-cause mortality associated with a 1–standard-deviation increase in average  $PM<sub>2.5</sub>$  level were 1.38 (95% CI: 1.35, 1.41), 1.26 (95% CI: 1.24, 1.28), and 1.10 (95% CI: 1.09, 1.11) for localized, regional, and distant disease stage, respectively. We propose that these effect estimates are probably driven by ITB. Notably, the apparent

effect modification by stage at diagnosis seen here and in other previous studies that used the naive approach [\(5](#page-9-1)) is no longer apparent after using the discrete-time approach. We hypothesize that this effect heterogeneity is likely to be driven by the larger differences in survival time among persons with a localized stage of disease, relative to those with a distant disease stage. These comparatively larger differences in follow-up time then exacerbate the impact of ITB.

In this case study, we demonstrated that ITB in this particular setting was substantial and was at least partially attributable to the strong downward trend in  $PM<sub>2.5</sub>$  over the study period [\(16](#page-9-11), [17](#page-9-12)). Because of this temporal trend, the averaged exposure level was informed not only by the number of observations available (length of follow-up) but also by the decreasing trend itself. This means that individuals with longer follow-up times had systematically lower averages than those with shorter follow-up times, creating an obvious difference in average exposure. Researchers in environmental epidemiology are aware of the strong temporal trends in most environmental exposures and often control for season and year in the analysis to adjust for this trend [\(2](#page-9-26)). Unfortunately, controlling for year of diagnosis using any strategy (stratification, indicator variable) will not control for temporal trends in the exposure or prevent ITB in the presence of an averaged exposure over follow-up. In this case study, the bias was particularly large because of the strong temporal trend in  $PM<sub>2.5</sub>$  concentration over the study period and the large differences between follow-up in lung cancer cases. While this bias may be minimized in other settings where the temporal trend is not as strong, it is still necessary to use approaches that ensure alignment at time 0 under the target trial framework to avoid systematic errors.

<span id="page-8-0"></span>While we focused on a specific example in  $PM<sub>2.5</sub>$  exposure and lung cancer survival, ITB can occur in any observational setting. For example, in a recent paper that examined the impact of air pollution on mortality in a Medicare population, Di et al. ([31\)](#page-9-28) used yearly average air pollution exposure from the date of Medicare enrollment to the date of death or last follow-up in Cox proportional hazards models. Most recently, Tian et al. [\(32](#page-9-29)) examined the impact of air pollution and temperature on coronavirus disease 2019 (COVID-19) case fatality. The used average exposure from the date of diagnosis through the date of death or recovery. In both of these examples, air pollution exposure was assigned using attained length of follow-up. Because of this, these analyses may be vulnerable to ITB through the same mechanism as described in this case study. Because treatment assignment is not defined at time 0 inherently in observational studies, as it is in randomized trials, epidemiologists need to ensure this alignment explicitly to avoid these systematic errors.

There were several limitations in this work worth considering. First, we did not evaluate the conditions under which ITB would be introduced in environmental epidemiologic studies. ITB in environmental epidemiology may be subject to different considerations than its "classical" counterpart. Notably, ITB is most often identified in studies with a discrete exposure value, where subjects are considered either unexposed or exposed (targeting a traditional randomized trial with 2 arms and 1 single randomization at baseline). In air pollution and other environmental exposures, exposure is often measured continuously and is ubiquitous, which means no one is truly unexposed. In such settings, the target trial corresponds to multiple randomizations at different times, as in crossover or stepped wedge designs. There were additionally limitations in the case study itself. Air pollution exposure was assigned using interpolated estimates from ground-level fixed-site monitors, which are not evenly spaced across the state of California. This may have resulted in differential precision of exposure measurement by region, specifically in rural areas where there are fewer monitors. Because air pollution was assigned using residential zip code at diagnosis, we did not have information on individual variability in air pollution exposure from the participant's workplace or other factors that might influence daily exposure. The CCR does not include information on potentially important confounding variables, including smoking, alcohol use, access to health care (although insurance status can be an appropriate proxy), or treatment received more than 6 months after diagnosis.

In conclusion, in this study we identified that averaging a time-varying environmental exposure over follow-up in a time-to-event analysis creates misalignment between treatment assignment and the start of study follow-up, which can introduce ITB into the study. The bias resulting from this misalignment can be further exacerbated in the presence of time trends commonly found in environmental exposures such as air pollution. In this context, we recommend treating air pollution as time-varying in a model that ensures alignment between the start of study follow-up and treatment assignment. In future studies, researchers should evaluate under what conditions ITB in this setting is minimized or exacerbated.

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Information about the California Cancer Registry can be found at [https://www.ccrcal.org/retrieve-data/data-for](https://www.ccrcal.org/retrieve-data/data-for-researchers/)[researchers/.](https://www.ccrcal.org/retrieve-data/data-for-researchers/) The California Cancer Registry shares data with researchers securely and confidentially for approved studies. Individual-patient–level data may be used to study cancer causes, prevention, treatment, and survival for research studies. Requests should be made by the principal investigator on behalf of the institution with which the investigator is affiliated. Environmental Protection Agency air quality data collected from ground site monitors can be found at [https://www.epa.gov/outdoor-air-quality-data.](https://www.epa.gov/outdoor-air-quality-data)

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