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Title

Multihop Sensing and Communication Networks (SEN 5)

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Multihop Sensing and Communication

Networks

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Introduction: Communicate and estimate variables intrinsic to given network

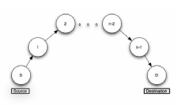
Standard Sensor Networks

- · Detect and estimate variables extrinsic to given network
- Communication and estimation are not coupled An optimal communication scheme can be used with an optimal estimation scheme to yield best results

Proposed Sensor Network System Model

- Variables of interest are intrinsic to the given network
 Example: Channel impulse responses between nodes
- Communication and estimation are coupled One needs poor communication schemes to generate good estimates and vice versa

Problem Description: Minimize sum distortion of channel estimates at the destination



An n-hop Linear Topology

Measure the fidelity of the estimate by : $D_i = \mathbb{E}[|\hat{h}_{i,d} - h_i|^2]$

Also define the distortion diversity by : $d: \lim_{\forall j \text{ SNR}_i \to \infty} D_i = \Theta\left(\text{SNR}_i^{-d}\right)$

Assumptions

- Time orthogonal communication one one node "Talks" at each point in time
- Block Fading channels with independent, Gaussian channel coefficients and noise

Problem Statement Minimize $D = \sum_{i=1}^{n} D_i$ given a fixed total time T

Proposed Solution: Employ either Estimate-and-Forward or Amplify-and-Forward

Overview of Results

Estimate and Forward

Final Result: The achievable distortion diversity for hop *i* given the Estimate and Forward scheme is upper bounded by

$$r_i = \min_{j>i} \frac{T_j}{T}$$

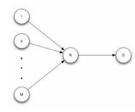
Amplify and Forward

$$\begin{array}{ccc} X_j & Y_j & X_j^i = \sqrt{P_j}\beta_j^i m_{j,i}, \ t \in I_j^i \\ & & Y_j = h_j X_j + Z_{j+1}, \ t \in I_j^i \\ & & & \\ & &$$

Final Result: The achievable diversity for the Amplify and Forward scheme is upper bounded by $\ensuremath{\mathbf{1}}$

Building Towards Arbitrary Topologies





Figures

