Title
Neural Architecture Search for Biological Sequences

Permalink
https://escholarship.org/uc/item/6dr8f6kj

Author
Zhang, Zijun

Publication Date
2019

Peer reviewed|Thesis/dissertation
Neural Architecture Search for Biological Sequences

A thesis submitted in partial satisfaction
of the requirements for the degree
Master of Science in Statistics

by

Zijun Zhang

2019
ABSTRACT OF THE THESIS

Neural Architecture Search for Biological Sequences

by

Zijun Zhang

Master of Science in Statistics

University of California, Los Angeles, 2019

Professor Ying Nian Wu, Chair

We report a neural architecture search framework, BioNAS, that is tailored for biomedical researchers to easily build, evaluate, and uncover novel knowledge from interpretable convolutional neural network models using biological sequences. BioNAS introduces knowledge dissimilarity functions to enable the joint optimization of predictive power and biological knowledge when searching architectures. By optimizing the consistency with existing knowledge, we demonstrated that BioNAS optimal models revealed novel knowledge in both simulated data and in real data of functional genomics. In a simulated multitask learning framework, BioNAS robustly uncovered the masked knowledge by generating child networks with high knowledge consistency of existing unmasked knowledge. Furthermore, we applied BioNAS to the task of predicting the protein-RNA binding sites using the real data of ENCODE eCLIP. BioNAS augmented eCLIP model training with information from RNAcompete, and facilitated the annotation of convolutional feature maps with biological semantics. In sum, BioNAS provides a useful tool for domain experts to incorporate their prior belief into an automated machine learning framework. BioNAS is available at https://github.com/zj-zhang/BioNAS-pub
The thesis of Zijun Zhang is approved.

Qing Zhou

Jingyi Li

Ying Nian Wu, Committee Chair

University of California, Los Angeles

2019
To my mother and father

and Liangke
TABLE OF CONTENTS

1 Introduction ................................................................. 1
   1.1 Motivation ............................................................... 1
   1.2 Related Work .......................................................... 3

2 Methods .............................................................................. 5
   2.1 Knowledge dissimilarity function design ......................... 5
   2.2 Architecture search for joint optimization of loss and knowledge 7
   2.3 Simulated data ............................................................. 9
   2.4 ENCODE eCLIP multitask protein binding prediction ............ 10

3 Experiments and Results .................................................... 12
   3.1 BioNAS framework for joint optimization of accuracy and knowledge consistency 12
   3.2 Uncovering novel knowledge in multitask learning ................ 15
   3.3 Multitask architecture search for protein-RNA binding site prediction using ENCODE eCLIP 19

4 Conclusion ........................................................................... 25

References ............................................................................ 27
LIST OF FIGURES

1.1 An overview of the BioNAS framework. (a) The generic neural architecture framework for joint optimization of predictive power on empirical data and knowledge consistency with existing biological knowledge. (b) General workflow for applying convolutional neural networks to genomic sequence tasks. Sequences are one-hot encoded, then fed into convolution, pooling and fully-connected layers, to perform a variety of predictive tasks. First-layer convolutional feature maps are often enriched in biological motifs. (c) A hypothetical example of two architectures with similar predictive power. After consideration of knowledge consistency, one architecture compares favorably to the other. 3

2.1 The process of controller network sampling convolutional neural network for a target task. The controller network predicts convolutional layer, feature pooling, channel pooling and dense layer sequentially, where each prediction by a softmax classifier is based on the previous prediction as input. 8

3.1 Benchmarking BioNAS with a bootstrapping procedure. (a) Gold standard values of loss- and knowledge-dissimilarity functions for converged architecture on varying knowledge weights. (b) The rank order of loss- and knowledge-dissimilarity for converged architectures. The total number of architectures is 216; smaller rank is better. (c) The average of $n = 100$ loss- and knowledge-dissimilarity function values are plotted at each training step of the controller network for knowledge weight $\lambda = 0.0001$, and for (d) $\lambda = 1000$. The values are smoothed by simple moving average; shaded area is the 95% confidence interval for the plotted average values. 13

3.2 Layers consistently selected by BioNAS on different knowledge weight values. (a) Max pooling is consistently selected on Layer 2 and (b) Dense unit 10 layer is selected on Layer 4. 16
3.3 Uncovering novel knowledge by improving model consistency with existing knowledge in multitask learning. A set of background models \((n = 100)\) were selected to match (a) the validation loss distribution of the BioNAS converged optimal models \((n = 100)\), while (b) consistency with the unmasked knowledge (i.e. prior knowledge) was improved in BioNAS optimal models. (c) Testing loss distributions and (d) Knowledge-dissimilarity distribution for the masked knowledge of BioNAS optimal models and background models. (e) Examples of the masked knowledge detection by three models of similar loss but different knowledge-dissimilarity. Top row is the ground truth embedded in the simulation data.

3.4 An overview of the multi-task TF prediction. Two TFs, CTCF and IRF, are unmasked knowledge to optimize the target network architecture. The third TF MYC is masked for evaluation purpose.

3.5 BioNAS application in ENCODE eCLIP multitask learning. The (a) loss and (b) knowledge dissimilarity function values were optimized as the controller network generated model architectures for eCLIP binding prediction. (c) Existing prior knowledge from orthogonal experiments and (d) the model decoded motifs were visualized.

3.6 BioNAS performance when masking CTCF and IRF in the knowledge function. The loss and knowledge distributions were analyzed and plotted following the identical steps as in Figure 3.5.
LIST OF TABLES

3.1 Model space for a simple 1D-convolutional model. . . . . . . . . . . . . . . . . . 14

3.2 Model space for searching ENCODE eCLIP multi-tasking model architectures. . 22

3.3 Detailed information for three representative models on multitasking TF prediction 23
ACKNOWLEDGMENTS

I would like to thank Linqi Zhou, Dr. Liangke Gou, and Prof. Yingnian Wu for their help during the development of this project.
CHAPTER 1

Introduction

1.1 Motivation

Deep learning has been successfully applied to many genomics and biomedicine problems [7]. The modern genomic studies employ deep learning to build predictive models based on large scale data, such as high-throughput sequencing of DNA [27][11] or RNA [21][24]. Deep learning has also been adopted to biomedical image analysis for diagnostics [8].

Despite many successful implementations, an Achilles heel for deep learning in bioinformatics applications has been its black-box nature [4]. When and how the practitioners could trust (and not trust) a model’s prediction is vital, as the prediction tasks are directly or indirectly linked to medicine or patient treatments. Hence, building interpretable deep learning models and understanding the decision logics in highly predictive models is an urgent call in biomedicine [22].

With the continued cost reduction in high-throughput sequencing, the genomics field is arguably one of the largest contributors for today’s big data era [7]. Predictive deep learning models based on genomic DNA and RNA sequences have shed new lights on discovering the molecular regulatory patterns as well as the therapeutics potentials in various human diseases [27][21][26]. However, harnessing deep learning requires non-trivial amount of parameter tuning and code development, hence it imposes a computational barrier for life science domain experts. Building an automated machine learning framework that meets the specific needs of domain researchers can democratize big data science, and potentially speed up the feedback loop of data generation.

In this work, we propose a neural architecture search framework, BioNAS, that is tailored
for life science researchers in genomic sequence analysis using deep learning (Figure 1.1a). BioNAS incorporates biological knowledge through a generic family of knowledge dissimilarity functions, to balance the interpretability and predictive power in architecture searching.

We used BioNAS to search convolutional neural network architectures with genomic sequences as inputs. The generic tasks using genomic sequences as inputs for convolutional neural networks are illustrated in Figure 1.1b. With the fast development of high-throughput sequencing machines, genomic sequences have become an important source of information for elucidating the regulatory patterns in computational biology and functional genomics. The genomic sequences are first encoded as one-hot matrices in general. Then the convolutional neural networks take the one-hot encoded genomic sequences as inputs and provides an 'end-to-end' computational framework for a wide variety of predictive tasks, including DNA/RNA sequence properties such as protein-DNA/RNA interaction sites and methylation levels, and gene activities such as expression and splicing levels. In particular, the first layer of convolutional filters are feature extractors and are often enriched in biological motifs [27, 11].

Matching motifs to the convolutional filters have greatly improved the interpretability of the CNNs and advanced the understanding of regulatory patterns in many biological sequence applications [27, 11], while also provided useful approaches for transfer learning to related tasks [26]. However, the influence of different neural network architectures on the interpretability of the first-layer convolutional filters remains elusive. Methods for robustly improving the model interpretability while maintaining prediction accuracy are lacking.

We demonstrate the necessity of considering knowledge dissimilarity for searching interpretable models, and the efficiency of finding both predictive and interpretable models by BioNAS. Finally, novel knowledge discovery from trained deep learning models is facilitated by optimizing uncovered prior knowledge, as we show in both simulated data and in real data of functional genomics.
Figure 1.1: An overview of the BioNAS framework. (a) The generic neural architecture framework for joint optimization of predictive power on empirical data and knowledge consistency with existing biological knowledge. (b) General workflow for applying convolutional neural networks to genomic sequence tasks. Sequences are one-hot encoded, then fed into convolution, pooling and fully-connected layers, to perform a variety of predictive tasks. First-layer convolutional feature maps are often enriched in biological motifs. (c) A hypothetical example of two architectures with similar predictive power. After consideration of knowledge consistency, one architecture compares favorably to the other.

1.2 Related Work

Deep learning using genomic sequences: The application of deep learning to solve biological questions was pioneered by three methods: DeepBind [2], DeepSEA [27] and Basset [11]. DeepBind trained multiple single-task models, while DeepSEA and Basset employed a multitask learning framework. All three methods used raw genomic DNA sequence data as inputs to predict specific DNA properties. With the rapid accumulation of sequencing data, there have been numerous efforts utilizing convolutional neural networks to predict various DNA, RNA and gene-level molecular phenotypes [7].

Decoding deep learning for biomedicine: Recent efforts of opening the black-box of deep learning in biomedicine can be cataloged in two types. First, methods are developed to understand the decision rules after models are trained. This includes the back propagation-based methods [19], and permutation-based methods [27]. More broadly, ideas
and implementations for interpreting generic deep learning models, e.g. approximating the non-linear decision boundaries locally with linear classifiers [17], are in principle applicable to genomics models as well. In essence, these methods are "model decoders" in the BioNAS framework that decode trained model to a human-understandable space (Figure 1.1 also see Methods). These methods can be readily supplemented to the naive model decoder discussed in this paper, depending on particular applications.

A second class of methods aim to obtain interpretable models through customized tensor operations during training. This includes separable fully-connected layer (SFC) [1] and de novo layer [15]. While outperforming built-in layers in the reported tasks [15, 1], these layers might not be suitable for all data types and tasks, hence posing a challenge for domain experts to fully utilize their advantages. Depending on different data and contexts, these customized layers can be incorporated in the target model space and subsequently evaluated by BioNAS in a data-driven manner.

**Hyperparameter optimization:** Various methods have been developed for hyperparameter optimization. A popular class of methods are based on Bayesian Optimization, which has been shown to outperform random search or grid search through the consideration of the past history of target function evaluations [10, 13]. A sub-domain for hyperparameter optimization that is more specialized for deep learning is called Neural Architecture Search (NAS). NAS was first proposed and implemented through reinforcement learning [29]. While reinforcement learning and Bayesian optimization aim to optimize an unknown black-box function, another method that directly parameterized the architecture and used gradients to search layer connectivity was recently proposed and discussed [14]. BioNAS can employ any optimizer for searching the neural architecture so long as the optimizer works with the loss function and the knowledge dissimilarity function.
CHAPTER 2

Methods

2.1 Knowledge dissimilarity function design

We propose a family of generic functions, i.e. knowledge dissimilarity function $K(\cdot, \cdot)$, to measure the distances between a set trained model parameters denoted as $W$, and some existing knowledge $A$. The knowledge $A$ can be information from orthogonal experiments conducted on the same experimental materials, similar experiments conducted in another relevant biological system, or through textbooks and previous research articles. Because of the diverse forms of $A$ and its inherent incompleteness and uncertainties, we introduce another encoder function $h(A)$ to transform abstract knowledge into a probabilistic representation. On the other hand, extracting relationships from trained model weights is non-trivial, a model decoder function $f(W)$ is designated to distill the model decision rules. Collectively, the knowledge dissimilarity function is dissected into two components, which transform abstract knowledge and model weights into the same space to be compared.

In this work we aim to design knowledge dissimilarity functions for Convolutional Neural Network (CNN) models with genomic sequences as inputs. The input genomic sequences of $N$ nucleotides are one-hot encoded into a $N \times 4$ matrix (Figure 1.1b). Genomic sequences have short and conserved patterns, namely motifs [6]. Motifs scatter sparsely and are presume with biological functions in the genome. Previous experimental and statistical approaches have established the probabilistic representations of these motifs, called positional weight matrices [6].

Specifically, the knowledge $A$ is a set of foreground DNA sequences generated by biological experiments that are presumably enriched in functional motifs. By contrasting the foreground
sequences to a set of random background DNA sequences, statistical methods based on
mixture modeling [3, 28] can effectively detect the motif positional weight matrices. These
motif-learning methods are the knowledge encoder function $h(A)$ in this application. The
output of $h(A)$ is a $n \times 4$ matrix, with the motif length being $n$, and each row following
a multinomial distribution with respect to four DNA letters. We start with the simplest
case where a single motif is encoded as knowledge. Let $\tilde{W} \in \mathbb{R}^{n\times4}$ denote the $h(A)$ encoded
knowledge for a given motif.

To understand the learned patterns in the CNN weights, we look at the first convolutional
layer with $J$ filters, with the $j$-th filter denoted as $W^j, \forall j \in \{1, 2, .., J\}$. Each filter weight
$W^j$ is a $m \times 4$ matrix, i.e. $W^j \in \mathbb{R}^{m\times4}$, where $m$ denotes the filter width, and 4 columns
 correspond to four DNA letters. Let $w^j_{ik}, \forall i \in \{1, 2, .., m\}, \forall k \in \{1, 2, 3, 4\}$ be the element of
$i$-th row and $k$-th column in the $j$-th convolutional filter.

In order to compare a convolutional filter $W^j$ to the encoded knowledge $\tilde{W}$, we apply a
softmax function $f(W^j)$ on each row $W^j_i = [w^j_{i1}, w^j_{i2}, w^j_{i3}, w^j_{i4}]$ by

$$
\hat{W}^j_i = f(W^j) = \frac{\exp(\beta w^j_{ik})}{\sum_k \exp(\beta w^j_{ik})} \tag{2.1}
$$

where $\beta$ is a pre-defined positive value representing temperature. In this paper we set $\beta = 0.1$.

The output of $f(W^j)$ is still a $m \times 4$ matrix with each row following a multinomial
distribution; we let $\hat{W} := f(W) = \{f(W^j) \in \mathbb{R}^{m\times4}, \forall j\}$ be the decoded model weights.

Now with the encoded knowledge $\tilde{W} := h(A)$ and the decoded model weights $\hat{W} := f(W)$, it’s straight-forward to measure the dissimilarity function $K(\cdot, \cdot)$ between these two
multinomial distributions, as described below. To account for length differences of $\tilde{W}$ and $\hat{W}$,
$\hat{W}$ is first padded by uniform distributions of length $\frac{n}{2}$ on both sides. Then $\hat{W}$ is slided on
positions from leftmost $i = 0$ to rightmost $i = m$ on each of the $j$-th filter $\hat{W}^j$, to compute
the average distance $d$ over $n$ columns, as measured by Kullback–Leibler divergence. We
let the distance between knowledge $\tilde{W}$ and the $j$-th filter $\hat{W}^j$, denoted as $d(\tilde{W}, \hat{W}^j)$, be the
minimum distance among all possible positions $i$; and let knowledge dissimilarity function $K$
be the distance of $\tilde{W}$ to the best matched filter $\hat{W}^j$: 6
\[d(\hat{W}, \hat{W}^j) = \min\{D_{KL}(\hat{W}, \hat{W}^j_i), \forall i\}\] (2.2)

\[K(W, A) = \min\{d(\hat{W}, \hat{W}^j), \forall j\}\] (2.3)

When more than one motif is encoded in knowledge, i.e. \(\hat{W} = \{\hat{W}^b, b = 1, 2, ..., B\}, B > 1\), we treat each \(\hat{W}^b\) independently and compute the arithmetic mean as the final knowledge dissimilarity:

\[K(W, A) = \frac{1}{B} \sum_{b=1}^{B} \min\{d(\hat{W}^b, \hat{W}^j), \forall j\}\] (2.4)

### 2.2 Architecture search for joint optimization of loss and knowledge

We use reinforcement learning controller network [29] as the black-box optimizer in this paper to search neural architectures. The objective function to be optimized is a weighted sum of model loss and model knowledge.

Specifically, we first define a model space of \(L\) layers as \(\Omega = \{\Omega_1, \Omega_2, ..., \Omega_L\}\), an ordered collection of different layers. For each layer \(\Omega_l, \forall l \in \{1, 2, ..., L\}\), there are \(|\Omega_l|\) number of choices for candidate layer operations and/or hyperparameters, hence the total number of child models in the model space \(\Omega\) is \(|\Omega| = \prod_{l=1}^{L} |\Omega_l|\). Let \(a_t = \{a_{t1}, a_{t2}, ..., a_{tL}\}\) be the child model architecture indexed by \(t\), where each element \(a_{tl} \in \Omega_l\). \(a_t\) is a list of one-hot encoded selections for each layer in \(\Omega\), hence fully specifying a child model.

In the given model space \(\Omega\), we seek to find a set of child network architectures \(a_t\) that maximizes the reward \(R\) on a fixed set of inputs \(X\), labels \(y\), and knowledge \(A\):

\[R(a_t) = -(L(W; a_t, X, y) + \lambda \cdot K(W, A; a_t))\] (2.5)

where \(L\) is the loss function for the child neural network evaluated on a held-out validation data, \(K\) is the knowledge dissimilarity function, \(\lambda\) is a non-negative weight for knowledge in optimization, and \(W\) is the child model parameters after training.

Since the reward \(R\) is non-differentiable, we employ a Recurrent Neural Network, called
Figure 2.1: The process of controller network sampling convolutional neural network for a target task. The controller network predicts convolutional layer, feature pooling, channel pooling and dense layer sequentially, where each prediction by a softmax classifier is based on the previous prediction as input.

controller network, parameterized by $\theta$. The controller network generates a child network by sequentially sampling a probability for each layer (Figure 2.1). For example, in a simple convolutional model space of 4 layers, the controller network predicts convolutional layer, feature pooling, channel pooling and dense layer one by one, where each prediction by a softmax classifier is based on the previous prediction as input. Let $\pi_\theta(a_t)$ be the log-likelihood of selecting $a_t$ under the controller with parameters $\theta$; i.e.

$$
\pi_\theta(a_t) = \sum_{l=1}^{L} \log(P(a_{tl}|a_{(l-1):1}; \theta)) \quad (2.6)
$$

Intuitively, we would like to update the controller network parameters $\theta$ such that the likelihood $\pi_\theta(a_t)$ is increased for generating child networks $a_t$ with high reward, and decreased the likelihood for $a_t$ with low reward. In the original NAS paper [29], the authors followed REINFORCE algorithm to obtain the gradients for updating $\theta$. Let $D$ be a batch of architectures and reward signals, the empirical REINFORCE gradients are computed as

$$
\frac{1}{|D|} \sum_{t \in D} \nabla_\theta \pi_\theta(a_t)(R_t - b) \quad (2.7)
$$

where the baseline function $b$ is an exponential moving average of the previous architecture rewards. In this work, $R_t - b$ is equivalent to the advantage $A_t$, as described below.

The REINFORCE algorithm is easy to implement and understand in that it scales the gradients with advantages, which gives larger magnitude of gradient updates for larger $R_t$ and
eventually encourages $\theta$ to move towards higher reward. However, the REINFORCE gradient updates have high variances. Empirically, performing multiple updates of optimization using REINFORCE gradients often leads to destructively large policy updates \[18\].

As an alternative, we implemented proximal policy optimization (PPO) \[18\] to train the controller. The PPO policy gradients for controller parameters $\theta$ was empirically obtained through minimizing a surrogate controller loss function $L_C$ on the batch data $D$ of architectures and reward signals:

$$L_C(\theta) = \frac{1}{|D|} \sum_{t \in D} \min(r_t(\theta|\theta_{old}) \cdot A_t, \text{clip}(r_t(\theta|\theta_{old}), 1 - \epsilon, 1 + \epsilon) \cdot A_t)$$  \hspace{1cm} (2.8)

where $\epsilon$ is a hyperparameter for clipping the controller loss function. We followed the previous report \[18\] and set $\epsilon = 0.2$. By clipping the surrogate function, PPO prevents destructive policy updates in REINFORCE, and enables multiple epochs of mini-batch updates.

The ratio function $r_t(\theta|\theta_{old})$ is the likelihood ratio for selecting $a_t$ under the updated parameters $\theta$ with respect to the old parameters $\theta_{old}$, i.e.

$$r_t(\theta|\theta_{old}) = \exp(\pi_\theta(a_t) - \pi_{\theta_{old}}(a_t))$$  \hspace{1cm} (2.9)

The advantage $A_t$ is determined by the current reward $R_t$ subtracting an exponential moving average of previous rewards, $A_t = R_t - EWA(R_{t-1})$. The exponential weight of previous weights is set to 0.8.

### 2.3 Simulated data

We generated simulated genomic sequence data to benchmark the performance of BioNAS. Using a genomic sequence simulator \[12\], we first simulated a set of positive DNA sequences ($n = 10000$) with a single DNA binding event based on the Transcription Factor (TF) protein motif MYC. Each DNA sequence was set to be 200bp in length. We embedded exactly one motif in each of the positive DNA sequence. Then the negative set ($n = 10000$) without any binding event was simulated by random DNA sequences.

Next we simulated DNA sequences with a mixture of three binding events for transcription factors CTCF, IRF and MYC in $n = 100000$ DNA sequences. We set the minimum binding
motif occurrence 0, maximum 3, with a mean at 1. Then we also simulated an equal sized set of \( n = 100000 \) negative background sequences without any binding events.

In benchmarking the BioNAS optimization, we defined a bootstrapping procedure to return reward signals from a fixed set of training history of loss and knowledge values. Specifically, for each possible child network architecture \( a \) in a model space \( \Omega \), we trained 20 independent models for each architecture \( a \in \Omega \) and recorded its loss and knowledge values. The bootstrap function \( F_\Omega(a_t) \) randomly returns one loss/knowledge pair out of 20 runs given any \( a_t \). In training BioNAS for benchmarking purposes, instead of generating and training the child network independently each time for a new sampled \( a_t \), we called the bootstrap function instantly to return the reward signals.

### 2.4 ENCODE eCLIP multitask protein binding prediction

Using the publicly-available eCLIP experiments in ENCODE, we aimed to predict the protein-RNA interaction sites for given RNA sequences. More concretely, for any given RNA sequence, we predict a list of multi-class binary label of whether there are protein binding sites corresponding to a list of proteins of interests.

All publicly available ENCODE eCLIP peak files were downloaded from the online data portal [5]. Each gene in the hg19 human genome assembly was divided into 100bp bins, then converted into a vector of binary indicators depending on whether the target bin overlapped with a particular set of peaks. In total, the ENCODE consortium provided \( n = 333 \) datasets, rendering 333 binary labels for each genomic bin. As a result of non-uniform distributed experimental data in the human transcriptome, a negative label in this set might be underpowered for positive signal detection, instead of no true binding sites. To account for this bias, we filtered out bins with less than or equal to 2 peaks across 333 datasets. Then each labeled data was extended symmetrically by 450bp in both directions to consider the genomic context to make each input 1000bp. Finally, all labeled data and inputs from human chromosome 8 were held out for independent testing, while the remaining data were further randomized and split into training and validation with ratio 9:1.
Motif positional weight matrices were compiled from RNAcompete experiments [16]. All motifs with the corresponding protein data in eCLIP were used as prior knowledge in knowledge dissimilarity function.
CHAPTER 3

Experiments and Results

3.1 BioNAS framework for joint optimization of accuracy and knowledge consistency

We developed BioNAS as an automated machine learning framework for employing neural network models. In searching the model architectures for a given task, we augmented the loss function with an additional knowledge (dis)similarity function as the optimization objective (Figure 1.1a). The knowledge function allows flexible incorporation of domain knowledge in searching for neural network architectures. It is defined by transforming and subsequently comparing the existing knowledge and the trained target network parameters in the same space (Methods). In the hypothetical example shown in Figure 1.1c, two distinct model architectures have comparable predictive powers when optimizing for accuracy (i.e. loss). Using the empirical data alone cannot distinguish the two architectures. Now suppose we have a knowledge function that scores the architectures and trained weights. After considering the knowledge, one architecture compares favorably to the other and hence becomes discriminated by the optimizer. As a proof-of-principle application, we used BioNAS to search convolutional neural network architectures for predicting sequence molecular properties using one-hot encoded genomic sequences as inputs (Figure 1.1b), augmented with motif-encoding knowledge functions. We applied BioNAS for simulated genomic sequences of single-task and multi-task learning, as well as real functional genomics data from ENCODE eCLIP experiments, as detailed in the following sections.

To demonstrate the validity of BioNAS, we first studied a simple 1D-convolutional model for predicting binding sites (bound or not bound) of one transcription factor. Input sequence
Figure 3.1: Benchmarking BioNAS with a bootstrapping procedure. (a) Gold standard values of loss- and knowledge-dissimilarity functions for converged architecture on varying knowledge weights. (b) The rank order of loss- and knowledge-dissimilarity for converged architectures. The total number of architectures is 216; smaller rank is better. (c) The average of \( n = 100 \) loss- and knowledge-dissimilarity function values are plotted at each training step of the controller network for knowledge weight \( \lambda = 0.0001 \), and for (d) \( \lambda = 1000 \). The values are smoothed by simple moving average; shaded area is the 95% confidence interval for the plotted average values.

Data was simulated for \( n = 10000 \) positive and negative DNA sequences (Methods). For this simple task, we assumed the underlying true motif was known and subsequently was considered in the knowledge dissimilarity function. We defined a model space of 216 different architectures, each with 4 layers, including convolution, feature-level pooling, channel-level pooling, and dense. Two customized layers that were reported to increase sequence model interpretability were also implemented and/or included [15][1]. The detailed model space configuration is shown in Table 3.1.

For a given architecture, the loss and knowledge values are not deterministic, but rather subject to initial weights and stochastic gradient updates. To account for the randomness in parameter initialization and stochastic optimization, we trained 20 models for each
Table 3.1: Model space for a simple 1D-convolutional model.

<table>
<thead>
<tr>
<th>Candidate Layers</th>
<th>No. of Choices</th>
</tr>
</thead>
<tbody>
<tr>
<td>Layer 1</td>
<td>6</td>
</tr>
<tr>
<td>conv1d_f3_k8, conv1d_f3_k14, conv1d_f3_k20,</td>
<td></td>
</tr>
<tr>
<td>regconv2d_f3_k8, regconv2d_f3_k14, regconv2d_f3_k20</td>
<td></td>
</tr>
<tr>
<td>Layer 2</td>
<td>3</td>
</tr>
<tr>
<td>identity, maxpool1d, avgpool1d</td>
<td></td>
</tr>
<tr>
<td>Layer 3</td>
<td>4</td>
</tr>
<tr>
<td>flatten, globalmaxpool1d, globalavgpool1d, sfc</td>
<td></td>
</tr>
<tr>
<td>Layer 4</td>
<td>3</td>
</tr>
<tr>
<td>dense_u3, dense_u10, identity</td>
<td></td>
</tr>
<tr>
<td>Total</td>
<td>216</td>
</tr>
</tbody>
</table>

architecture with independent initialization and training process, then evaluated its loss and knowledge dissimilarity values. Using these pre-computed loss and knowledge values, BioNAS was trained independently 100 times to find the optimal architecture on each of the varying knowledge weights \( \lambda = \{0.001, 0.01, 0.1, 1, 10, 100, 1000\} \) through bootstrapping the pre-computed values (Methods).

We first show the necessity of incorporating knowledge in neural architecture search. For each architecture, we considered the median value of 20 pre-computed loss and knowledge dissimilarity values as its summary statistic. We compared and ranked the summary statistics of loss and knowledge across all 216 architectures, with smaller ranks representing better architectures. The average of converged architecture summary statistics using different knowledge weights were plotted in Figure 3.1. A proper knowledge weight had little or no impact on the predictive power, but dramatically increased the interpretability of the converged models \( (\lambda \in [0.001, 1]) \). However, when the knowledge weight \( \lambda \) is too small (i.e. \( \lambda \in 0.001, 0.01 \)), BioNAS converges to highly predictive models (i.e. low loss), but less interpretable models (i.e. high knowledge dissimilarity), especially when the knowledge weight becomes smaller (e.g. \( \lambda = 0.001 \)) (Figure 3.1a,b). Similarly, when the knowledge weight is too large (i.e. \( \lambda \in 10, 100, 1000 \)), the converged architectures were more interpretable but less predictive. Overall, models that are both predictive and interpretable can be achieved by BioNAS with a mild knowledge weight (e.g. when \( \lambda \in \{0.1, 1\} \) in Figure 3.1b).

Next we examined what types of architectures/layers are contributing to predictive and
interpretable models, respectively. We plotted the changes of average weights in the 100 BioNAS runs for each candidate layer type as a function of training steps. As shown in Figure 3.1b, convolutional layer with kernel size 14 is preferably selected for better predictive power (i.e. $\lambda = 0.001$), while convolutional layer with kernel size 20 is selected for better interpretability (i.e. $\lambda = 1000$). For $\lambda = 1$, a mixture between these two types of layers is observed. The different preference in convolutional filter size is potentially due to the fact that knowledge function encourages decoding motifs from individual filters, hence a larger filter size is more likely to decode a complete motif. Similarly, separable fully-connected layer works comparably well with global max pooling layer when not considering knowledge dissimilarity, but is more useful for building interpretable models (Figure 3.1b), a scenario similar to the hypothetical example illustrated in Figure 1.1b. In the meanwhile, we also observe layers that are consistently essential for both predictive and interpretable models. For example, BioNAS selects dense layer with 10 units over dense 3 units or identity layer (Figure 3.2). Together, we show that a balanced predictive and interpretable model can be achieved by tuning the $\lambda$ parameter and thereby sampling differential target network architectures.

### 3.2 Uncovering novel knowledge in multitask learning

Having demonstrated the optimization behavior on detecting predictive and interpretable architectures, we ask whether we can explicitly learn and extract knowledge from neural network models with BioNAS optimized knowledge consistency. Our hypothesis is that by searching neural network architectures that are in consistency with the existing knowledge, we can more reliably decode the trained neural networks and uncover novel knowledge. A distinctive feature in biological and biomedical studies is that the domain researchers have massive prior beliefs and/or knowledge. These knowledge are either derived in the same experimental materials through complementary or orthogonal approaches, or accumulated from external data and information through years of practices and experiences, which provide invaluable guidance in designing the neural network architectures as well as interpreting and understanding the trained model decision logics. BioNAS is designed for flexible incorporation
of such domain knowledge (Figure 1.1).

A popular neural network framework for genomic sequence has been multitask learning, where multiple relevant sequence properties are jointly learned and predicted with sharing predictive features [27]. To emulate a practical multitask learning scenario, we generated a multitask simulation dataset with three TFs (CTCF, IRF, MYC). Suppose two of the three TF binding events (CTCF and IRF) are well-studied, and are therefore considered in the knowledge dissimilarity function as the reward to optimize the neural architecture (i.e. unmasked knowledge). Meanwhile we know nothing about the third TF (MYC), which remains masked. A graphical illustration for this multitask learning and the corresponding biological knowledge is in Figure 3.4.

Our goal was to evaluate how well the trained models could recapitulate unmasked knowledge, and more importantly, uncover the masked knowledge. We used \( \lambda = 1 \) to train BioNAS and sample child networks for \( n = 4 \) times independently, in order to account for the randomness in BioNAS training. We defined BioNAS optimal models as a set of models with
Figure 3.3: Uncovering novel knowledge by improving model consistency with existing knowledge in multitask learning. A set of background models \( n = 100 \) were selected to match (a) the validation loss distribution of the BioNAS converged optimal models \( n = 100 \), while (b) consistency with the unmasked knowledge (i.e. prior knowledge) was improved in BioNAS optimal models. (c) Testing loss distributions and (d) Knowledge-dissimilarity distribution for the masked knowledge of BioNAS optimal models and background models. (e) Examples of the masked knowledge detection by three models of similar loss but different knowledge-dissimilarity. Top row is the ground truth embedded in the simulation data.

any one of the four BioNAS-converged target architectures that were sampled during training BioNAS. Given the BioNAS-optimal models, we also compiled a set of background models that were not BioNAS-optimal by matching the validation loss distribution \( n = 100 \); Figure 3.3a), in order to ensure a fair comparison of knowledge dissimilarities (Methods). We further downsampled the BioNAS optimal models to \( n = 100 \) such that both BioNAS-optimal and background groups have the same number of models. For models in both BioNAS-optimal and background sets, they were independently initialized and trained during the training of BioNAS. Indeed, BioNAS-optimal architecture in general has significantly lower knowledge
Figure 3.4: An overview of the multi-task TF prediction. Two TFs, CTCF and IRF, are unmasked knowledge to optimize the target network architecture. The third TF MYC is masked for evaluation purpose.

dissimilarity compared to background models (Figure 3.3b), despite the identical distribution on validation loss.

We next sought to benchmark the model performance on the masked knowledge. As an independent testing set, we simulated $n = 1000$ positive sequences by embedding only MYC binding site in the motif, in addition to the training and validation sequences. As expected, the BioNAS-optimal and background models have comparable testing loss distributions on the testing set (Figure 3.3c), indicating both BioNAS-optimal and background models are comparable in predictive powers. When we evaluated the unmasked knowledge dissimilarity, BioNAS-optimal again outperformed the background models (Figure 3.3d). This shows that we can more robustly obtain interpretable models to uncover masked/new knowledge, through the optimization of the knowledge dissimilarity on the unmasked/existing knowledge.

As specific examples, we show the sequence logos of masked knowledge decoded from three different trained models (Figure 3.3e). On the top is the ground-truth motif. This motif is not embedded in the knowledge dissimilarity function, and therefore is the knowledge we wish to uncover from the trained models. Notably, these three models are very close in
testing loss and hence predictive powers. However, the motif decoded from these models are dramatically different. The high knowledge model was one of the BioNAS-converged optimal architectures. It learned a motif highly similar to the ground truth embedded in the training data. By contrast, the medium knowledge model decodes a more divergent motif which misses the flanking patterns; while the low knowledge model cannot decode meaningful motifs. The detailed architecture and benchmark metrics is in Table 3.3.

To extend our observations that BioNAS promotes robust discovery of novel knowledge, we repeated the same analysis protocol of MYC, but with masked CTCF and IRF as the knowledge to be uncovered, respectively. Notably, these three motifs were dramatically different (Figure 3.6), hence the uncovered knowledge was not an artifact of overfitting. In both CTCF and IRF analysis, novel knowledge discovery was facilitated if the trained model was more consistent with the existing knowledge. Since the validation loss distributions were matched between BioNAS-optimal and background models, this further demonstrates that knowledge discovery cannot be surrogated by only optimizing for predictive power (left column in Figure 3.6), reinforcing the importance of considering knowledge in searching for neural architectures.

3.3 Multitask architecture search for protein-RNA binding site prediction using ENCODE eCLIP

Finally, we applied BioNAS to study the protein-RNA binding sites using the ENCODE eCLIP data [20]. Briefly, for any given RNA sequence, the task is to predict a multi-class binary outcome (bound or not bound) corresponding to a set of proteins binding to the RNA molecule with that sequence. CLIP is an immunoprecipitation-based experimental approach to identify the binding events of a target RNA-binding protein (RBP) across the transcriptome [20]. Existing computational methods find putative protein binding sites across the transcriptome by a statistical procedure called peak-calling [25]. The CLIP technology provides a global landscape of the protein-RNA binding events in living tissue or cells. Therefore, the readout of CLIP experiments reflect not only the comprehensive binding
Figure 3.5: BioNAS application in ENCODE eCLIP multitask learning. The (a) loss and (b) knowledge dissimilarity function values were optimized as the controller network generated model architectures for eCLIP binding prediction. (c) Existing prior knowledge from orthogonal experiments and (d) the model decoded motifs were visualized.

patterns for the protein of interest, but also the potential combinatorial interactions and tissue-specific regulation with other genes.

Meanwhile, a complementary experimental approach to study the RBP binding patterns has been RNAcompete [16], which is directly enriching short synthesized RNA oligo-nucleotides bound by the RBP of interest in order to determine its sequence preferences, and is more easily interpretable compared to eCLIP. The shortcoming of RNAcompete experiment is that it loses any potential context information (e.g. flanking motifs of interacting protein partners) because of being conducted outside living cells. The knowledge provided from RNAcompete experiments is explicit but potentially incomplete.

Using BioNAS, our aim is to generate more interpretable models for predicting eCLIP binding sites by leveraging the explicit prior knowledge in the orthogonal RNAcompete experiments. More concretely, the RNAcompete information provides guidance to decode and...
annotate the convolutional feature maps in the multitask learning eCLIP model. In return, the interpretable eCLIP model can uncover novel knowledge in living cells to supplement the incomplete RNAcompete knowledge outside living cells.

We first compiled the training labels and genomic sequences from ENCODE eCLIP data (Methods). In total we had \( n = 538955 \) sequences for training and \( n = 59883 \) for validation (Methods). Then a large model space with 9 layers and in total 1,166,400 possible architectures was compiled for BioNAS to search for target model architectures (Table 3.2). As the training of controller progressed and the number of generated models increased, the loss and knowledge dissimilarity values decreased (Figure 3.5a,b), indicating the controller was generating better child models for both predictive power and interpretability over time. Using the orthogonal RNAcompete experiment knowledge, we decoded the BioNAS-optimal model trained using eCLIP into corresponding motifs that had small knowledge dissimilarities to existing RNAcompete motifs. Four of the top model decoded motifs and their matching RNAcompete motifs were visualized in Figure 3.5c,d. The feature maps of these convolutional filters trained from eCLIP data were highly similar to RNAcompete motifs of known RBP genes, therefore could be interpreted and annotated to specific genes, facilitating downstream analyses and interpretation of the decision logics in the trained eCLIP model [23].

Of particular interest, the decoded model weights of U2AF2 not only matched the known motif, but also captured the 3′-splice site pattern AG (top row; Figure 3.5c,d). The AG splice site is a well-established pattern for RNA splicing, and the binding of U2AF2 upstream to 3′-splice sites is essential for splicing to take place [9]. Biologically, U2AF2 is part of the core spliceosome constituted of several subunit genes in living cells; in particular, its interacting partner U2AF1 recognizes and binds to the 3′-splice sites. Together with other RBPs, U2AF1/2 maintains the fidelity of RNA splicing. This splice site pattern was not present in the prior RNAcompete knowledge due to the \textit{in vitro} nature of the RNAcompete experiment - the lack of U2AF2’s interacting partners outside living cells. Within living cells, despite the fact that there are many sequence instances across the genome that satisfy this \textit{in vitro} motif, only a small fraction of them near the 3′-splice site are \textit{bona fide} binding sites of U2AF2. Utilizing the existing partial knowledge, the BioNAS-optimal model uncovered
Table 3.2: Model space for searching ENCODE eCLIP multi-tasking model architectures.

<table>
<thead>
<tr>
<th>Layer Type</th>
<th>Candidate Layers</th>
<th>No. of choices</th>
</tr>
</thead>
<tbody>
<tr>
<td>Layer 1</td>
<td>conv1d filters={100,300,500};size={20,14,8}</td>
<td>9</td>
</tr>
<tr>
<td>Layer 2</td>
<td>feature-pooling identity; maxpool1d; avgpool1d</td>
<td>3</td>
</tr>
<tr>
<td>Layer 3</td>
<td>conv1d/identity identity</td>
<td>filters={100,300,500};size={20,14,8}</td>
</tr>
<tr>
<td>Layer 4</td>
<td>feature-pooling identity; maxpool1d; avgpool1d</td>
<td>3</td>
</tr>
<tr>
<td>Layer 5</td>
<td>conv1d/identity identity</td>
<td>filters={100,300,500};size={20,14,8}</td>
</tr>
<tr>
<td>Layer 6</td>
<td>feature-pooling identity; maxpool1d; avgpool1d</td>
<td>3</td>
</tr>
<tr>
<td>Layer 7</td>
<td>channel-pooling flatten; globalmaxpool; globalavgpool; sfc</td>
<td>4</td>
</tr>
<tr>
<td>Layer 8</td>
<td>regularization identity; sparsek; dropout</td>
<td>3</td>
</tr>
<tr>
<td>Layer 9</td>
<td>dense/identity identity</td>
<td>units={100,300,500}</td>
</tr>
<tr>
<td><strong>Total</strong></td>
<td></td>
<td><strong>1,166,400</strong></td>
</tr>
</tbody>
</table>

this full motif plus splice-site pattern from the eCLIP data, which otherwise will not be annotated without RNAcompete data nor discovered without eCLIP data. Similarly, for proteins QKI, RBFOX2 and RBM5, the model decoded motif matched the partial knowledge, while also uncovered additional flanking patterns from eCLIP (Figure 3.5c,d). These patterns potentially represent additional sequence preferences of the specific RBP genes and/or their interacting partner genes; however, the detailed experimental and functional validations for the flanking motif patterns were beyond the scope of this work.

Collectively, we demonstrated how BioNAS optimized the knowledge consistency to existing RNAcompete knowledge and led to the discovery of novel knowledge in the eCLIP models. By augmenting eCLIP CNN model training with information from RNAcompete, we annotated the feature maps of the convolutional filters with biological semantics. These interpretable feature maps potentially shed new lights on the regulatory patterns of RBP genes in living cells.
<table>
<thead>
<tr>
<th>Name</th>
<th>Layer1</th>
<th>Layer2</th>
<th>Layer3</th>
<th>Layer4</th>
<th>Acc</th>
<th>Unmasked K</th>
<th>Val L</th>
<th>Masked K</th>
<th>Test L</th>
</tr>
</thead>
<tbody>
<tr>
<td>High</td>
<td>conv1d_f10_k20</td>
<td>maxpool1d</td>
<td>globalmaxpool1d</td>
<td>dense_u10</td>
<td>0.983</td>
<td>0.173</td>
<td>0.061</td>
<td>0.117</td>
<td>0.163</td>
</tr>
<tr>
<td>Medium</td>
<td>regconv2d_f10_k14</td>
<td>maxpool1d</td>
<td>globalmaxpool1d</td>
<td>dense_u30</td>
<td>0.987</td>
<td>0.426</td>
<td>0.050</td>
<td>0.359</td>
<td>0.162</td>
</tr>
<tr>
<td>Low</td>
<td>conv1d_f10_k20</td>
<td>avgpool1d</td>
<td>globalavgpool1d</td>
<td>dense_u30</td>
<td>0.984</td>
<td>0.731</td>
<td>0.0569</td>
<td>0.687</td>
<td>0.164</td>
</tr>
</tbody>
</table>
Figure 3.6: BioNAS performance when masking CTCF and IRF in the knowledge function. The loss and knowledge distributions were analyzed and plotted following the identical steps as in Figure 3.5.
CHAPTER 4

Conclusion

An urgent need to open the "black-box" of deep learning applications currently exists in biomedicine and genomics. We propose to resolve this challenge by searching the model architecture space for joint optimization of predictive power and biological knowledge. The introduction of knowledge functions that measure the dissimilarity between existing knowledge with the decoded trained model knowledge is powered by ongoing efforts in two fields: in life sciences, knowledge encoders are developed for encoding experimental results; in machine learning, model decoders are developed for understanding the trained model decision rules.

Understanding the decision logics in a deep learning model for biomedicine application is not only vital for practitioners to trust the model’s predictions, but also serves as a potentially powerful tool to uncover novel biological knowledge. In biomedicine studies, domain experts usually have strong prior information about how the biological systems tend to work. If an in silico system functions largely in concordance with the existing knowledge, deciphering its decision rules is more likely to shed new lights in the unknown realm.

Using the proposed framework BioNAS, domain experts can automatically deploy deep learning for biological applications, and easily find deep learning model architectures that are both high predictive and interpretable for their specific data and questions. Furthermore, BioNAS uncovers novel knowledge by optimizing the model consistency to the existing knowledge, as demonstrated in both simulated and real data of functional genomics.

Thanks to the development of next-generation sequencing machines, genomic sequences have become the standard practice to elucidate the molecular regulatory patterns. Convolutional neural networks provide an end-to-end framework from genomic sequences to predicting diverse sequence and molecular properties. In this work, we focused on applying BioNAS to
analyze genomic sequences and interpret the first-layer convolutional feature maps. When altering the model architectures conditioned on the same predictive powers, the likelihood of obtaining interpretable feature maps still varies. Hence, it’s necessary to consider the knowledge consistency/dissimilarity jointly with the predictive power when searching for neural architectures of a given target task.

The interpretability brought by knowledge function should not be confused with that from a vanilla regularization (e.g. regularization of model complexity). The underlying idea of BioNAS is illustrated in Figure 1.1c. Neural networks are perhaps "too powerful" in learning patterns that there are many different local modes with comparable predictive powers. While vanilla regularizations encourages simple model with fewer parameters and complexities, the knowledge function seeks for model parameters that are more consistent with existing knowledge representations, in which case a simple model may not be the most expressive for knowledge representation.

With the continuing accumulation of genomics and biomedical data, deep learning-based methods provide an essential workhorse for various tasks. We anticipate BioNAS will be a valuable contribution in adopting deep learning to the life science research communities.
REFERENCES


[21] Hui Y Xiong, Babak Alipanahi, Leo J Lee, Hannes Bretschneider, Daniele Merico, Ryan K C Yuen, Yimim Hua, Serge Gueroussov, Hamed S Najafabadi, Timothy R Hughes,


