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## **Title**

Rotation of Polarization Vector and Depolarization in P-P Scattering

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## **Publication Date**

1955-02-14

UNIVERSITY OF CALIFORNIA

Radiation Laboratory

Berkeley, California

Contract No. W-7405-eng-48

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IN P-P SCATTERING

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Printed for the U.S. Atomic Energy Commission

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It has been pointed out by Wolfenstein<sup>1</sup> that triple scattering experiments can give information beyond that obtainable with simple double scattering polarization measurements. The difference between these varieties of experiments can be stated as follows: in a typical double scattering experiment a polarized beam is incident on a hydrogen target and the intensities of the scattered protons in various directions are measured, whereas in a triple scattering experiment the change in the state of polarization caused by the scattering on hydrogen is measured.

The two simplest independent cases are those in which the triple scattering experiments are performed as indicated schematically in Figs. 1 and 2. In the configuration represented by Fig. 1 all the scattering processes occur in the same plane and, in an oversimplified schematization, one measures the probability of flipping the spin in the collision occurring at target 2. Targets 1 and 3 act as a polarizer and analyzer, respectively. The asymmetry  $\epsilon_{3n}$  observed after the scattering on target 3 is connected with a coefficient D (for depolarization) defined by Wolfenstein as

$$\epsilon_{3n} = P_3 |P_2 + DP_1| / (1 + P_1 P_2), \quad (1)$$

where  $P_i$  is the polarization generated by scattering an unpolarized beam on target i.

Figure 2 represents the triple scattering experiment in which the second scattering plane is perpendicular to the first. The scattering on target 2 rotates the spin in a complicated way and by analyzing the polarization by scattering on target 3 we find the component of the spin  $P_z$  in the direction  $n_3$  perpendicular to the plane  $w'$ . The asymmetry after the scattering on target 3 is given by

$$\epsilon_{3s} = P_1 P_3 R \quad (2)$$

which defines R (for Rotation).

\* The contents of this letter were presented at the 1954 Winter Meeting of the Am. Phys. Soc. (Berkeley December, 1954)

<sup>1</sup> L. Wolfenstein, Phys. Rev. 96, 1654 (1954)

The work was performed under the auspices of the Atomic Energy Commission.  
polarization.

A known reason the relative orientation of the directions of the beam and of the scattering experiments would involve similarly magnetic fields that would allow in polarization is perpendicular to the scattering direction. Other independent triple polarization (a) dependent on the second target is polarized perpendicular to the direction of incidence, and (b) the direction of analysis of the common property that, (a) the beam incident on the second target is polarized common to the two varieties of triple scattering experiments discussed here is

The two varieties of triple scattering experiments discussed here is  
computing machine has been initiated.  
calculated by Mr. Henry P. Stapp<sup>2</sup>, and the numerical calculation with an electronic  
machine the phase shifts of the various partial waves up to  $F$  waves inclusive. The  
expressions for the observable quantities in terms of the phase shifts have been ob-  
tained by Mr. Henry P. Stapp<sup>2</sup>, and the numerical calculation with an electronic  
machine the information obtained from our investigation should be sufficient to deter-  
(Fig. 3, 5.)

with the elements of the p-p scattering matrix as indicated by Woldenash, loc. cit.  
The differential cross section  $I^0$ , the polarization  $P$ ,  $A$ , and  $D$  are connected  
by figures 3 and 4 give graphs of  $D$  and  $R$  as obtained in our measurement.  
ratio was 0.74.

Breit-Wheeler theory and will be described in a later paper. The average energy of the  
photons incident on target 2 was 310 Mev in the laboratory system and their polariza-  
tion was 0.74.

## LEGENDS

Fig. 1 Scale drawing of targets and counters for measurement of the depolarization parameter  $D$ . Target 1, a beryllium target inside the cyclotron, is not shown in this figure.

Fig. 2 Perspective drawing showing the orientations of the successive scattering planes in the triple scattering experiment to measure the rotation parameter  $R$ . The positions of targets 1, 2, and 3 are indicated by spheres 1, 2, and 3. The plane of scattering at target 2 (indicated  $\pi'$ ) is perpendicular to the plane of scattering at target 1 ( $\pi$ ). The plane of scattering at target 3 ( $\pi''$ ) is perpendicular to the plane  $\pi'$ . The figure is not to scale.

Fig. 3 Depolarization factor  $D$  plotted against center-of-mass scattering angle  $\theta$  for proton-proton scattering at 310 Mev.

Fig. 4 Rotation factor  $R$  plotted against center-of-mass scattering angle  $\theta$  for proton-proton scattering at 310 Mev.

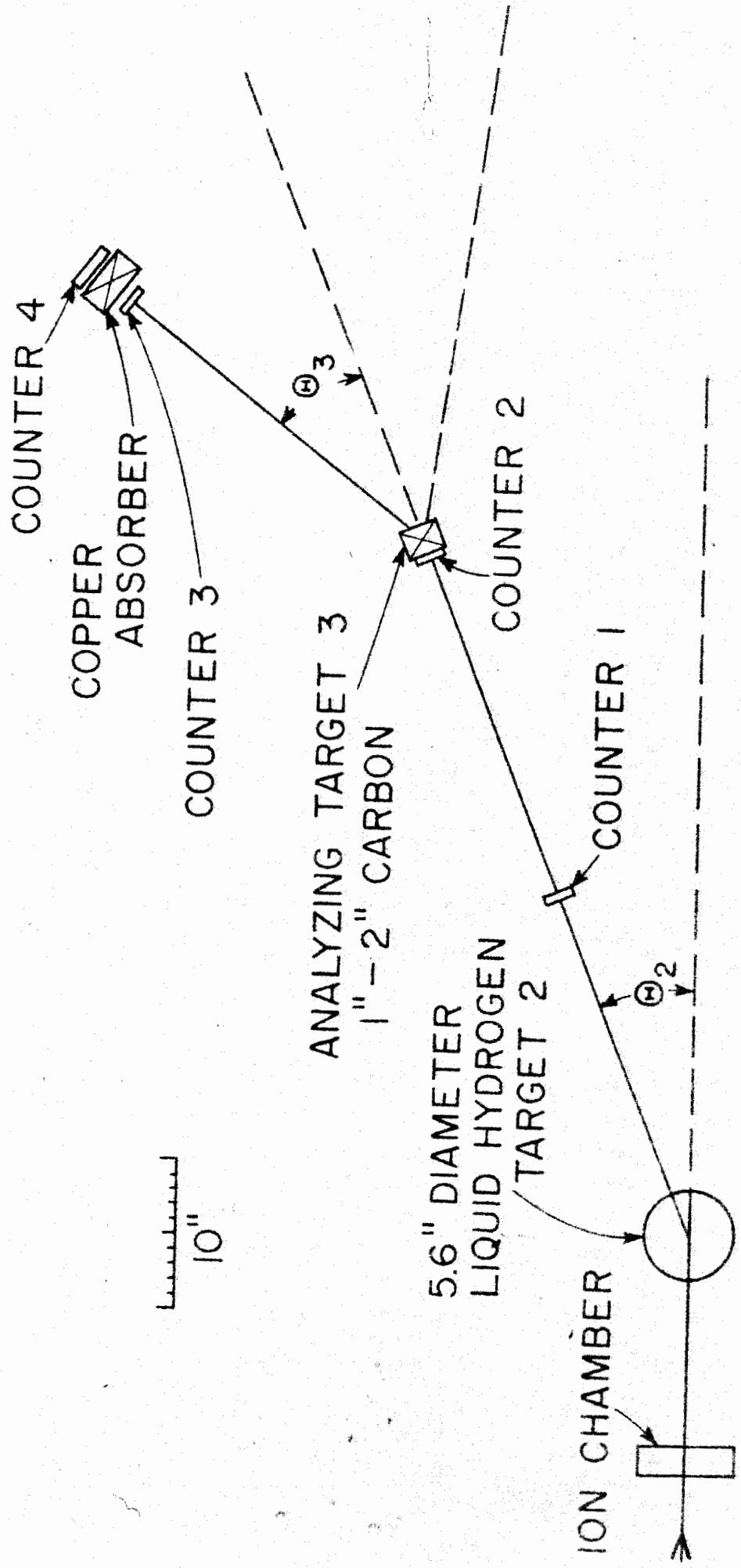
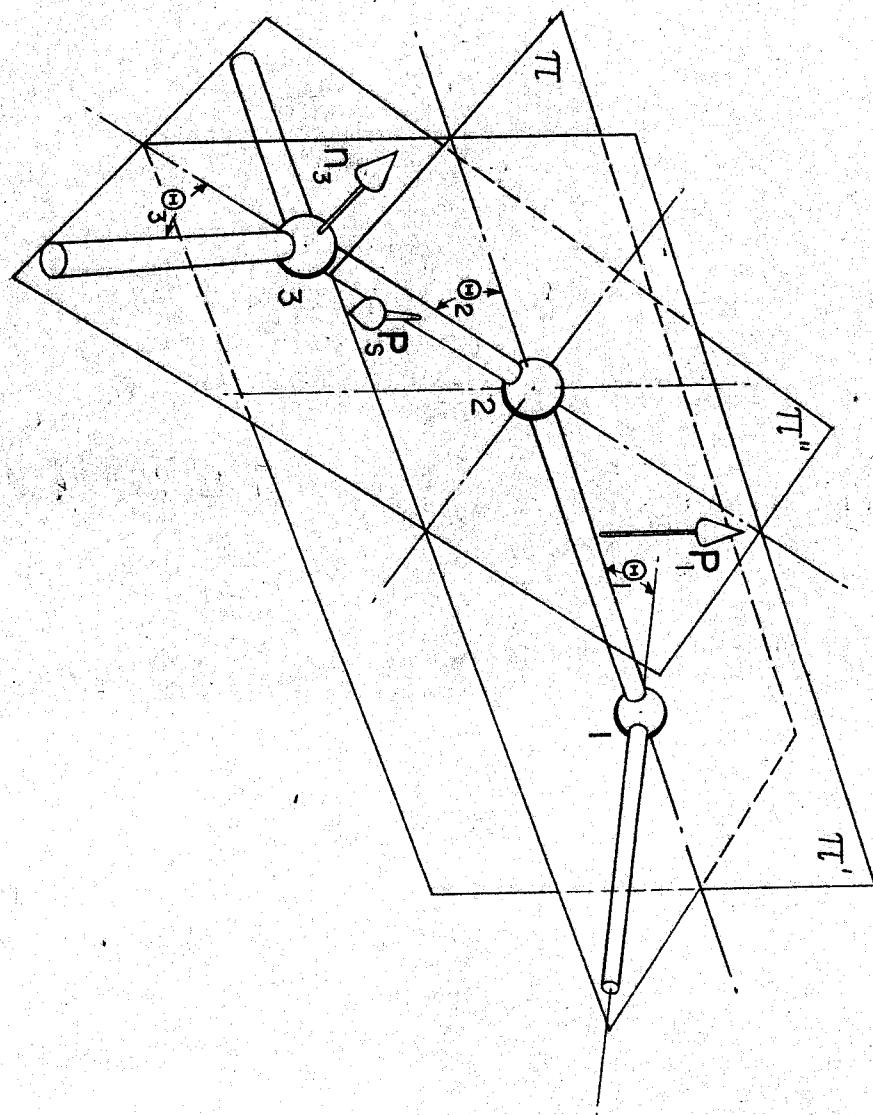
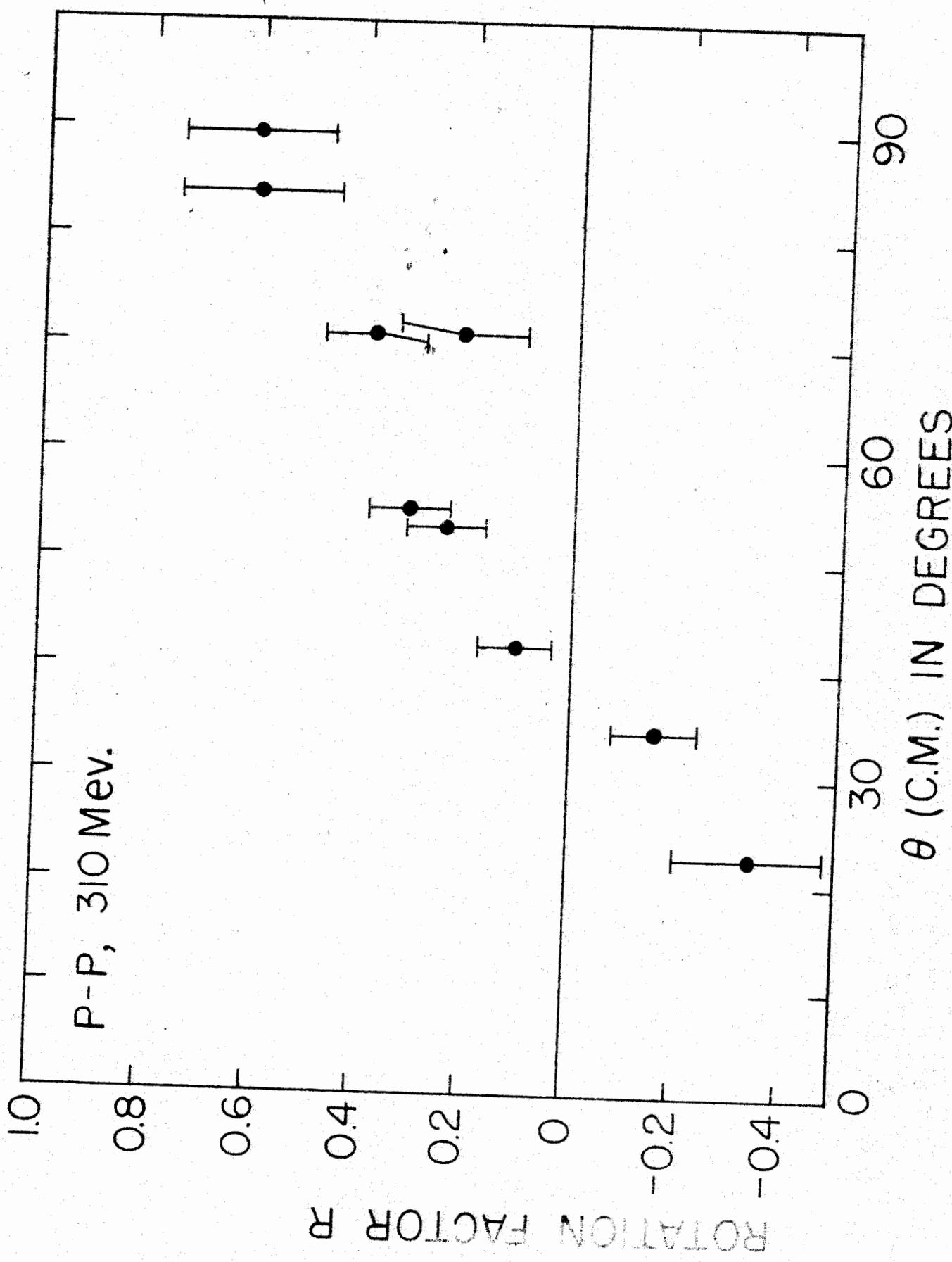


Fig 1





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