

Lawrence Berkeley National Laboratory

Recent Work

Title

Nonlinear Dynamics of Additive Pulse Modelocked Lasers

Permalink

<https://escholarship.org/uc/item/8s97x4h4>

Authors

Sucha, G.

Bolton, S.R.

Chemla, D.S.

Publication Date

1995-04-01



Lawrence Berkeley Laboratory

UNIVERSITY OF CALIFORNIA

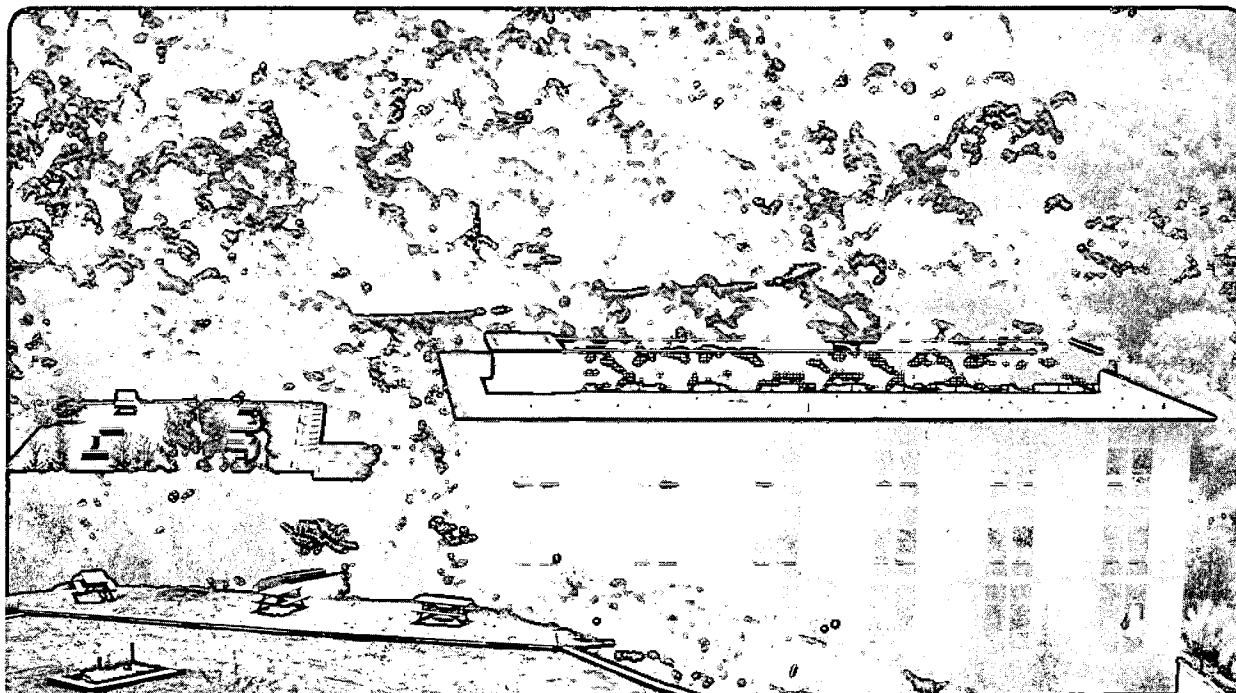
Materials Sciences Division

Presented at Nonlinear Dynamics in Optical Systems,
Rochester, NY, June 7-10, 1995, and to be published
in the Proceedings

Nonlinear Dynamics of Additive Pulse Modelocked Lasers

G. Sucha, S.R. Bolton, and D.S. Chemla

April 1995



REFERENCE COPY |
Does Not |
Circulate |

Bldg. 50 Library.

LBL-37249

DISCLAIMER

This document was prepared as an account of work sponsored by the United States Government. While this document is believed to contain correct information, neither the United States Government nor any agency thereof, nor the Regents of the University of California, nor any of their employees, makes any warranty, express or implied, or assumes any legal responsibility for the accuracy, completeness, or usefulness of any information, apparatus, product, or process disclosed, or represents that its use would not infringe privately owned rights. Reference herein to any specific commercial product, process, or service by its trade name, trademark, manufacturer, or otherwise, does not necessarily constitute or imply its endorsement, recommendation, or favoring by the United States Government or any agency thereof, or the Regents of the University of California. The views and opinions of authors expressed herein do not necessarily state or reflect those of the United States Government or any agency thereof or the Regents of the University of California.

Nonlinear Dynamics of Additive Pulse Modelocked Lasers

Gregg Sucha, Sarah R. Bolton, and Daniel S. Chemla

Materials Sciences Division
Lawrence Berkeley Laboratory
University of California
Berkeley, California 94720

April 1995

Nonlinear Dynamics of Additive Pulse Modelocked Lasers

Gregg Sucha
IMRA America

Sarah R. Bolton, and Daniel S. Chemla
Materials Science Division,
Lawrence Berkeley Laboratory

Nonlinear dynamics have been studied in a number of modelocked laser systems, primarily in actively modelocked systems. However, less attention has been paid to the dynamics of passively modelocked laser systems. With the recent revolutionary advances in femtosecond modelocked laser technology, the understanding of instabilities and dynamics in passively modelocked lasers is an important issue. Here, we present experimental and numerical studies of the dynamics of an additive-pulse modelocked (APM) color-center laser. However, it is important to note that our discussions are more general, and apply to other types of passively modelocked lasers, because we have also observed these dynamics in a self-modelocked Ti:sapphire laser, and in a modelocked Er: fiber laser as well. The APM laser and the other above mentioned lasers are all examples of lasers using a fast saturable absorber (FSA).

We have studied two types of APM lasers; the Fabry-Perot APM^{1,2} and the Michelson APM.³ Both were based on a color-center laser which used NaCl as the gain medium. The Fabry-Perot APM laser consists of a main cavity (containing the NaCl gain crystal) and a control cavity which contains a single-mode fiber to provide the Kerr nonlinearity. These two cavities are coupled end-to-end in the Fabry-Perot configuration. When passively modelocked at a power of $P=200$ mW, the laser produces pulses of less than 150 fsec duration, at a repetition rate of 76 Mhz, corresponding to a pulse spacing of 13 nsec. At a slightly higher power, ($P=240$ mW), a period-doubled pulse train is produced (Figure 1[a]), and at even higher power ($P>280$ mW), a quasiperiodic pulse train is generated (Figure 1[b]). Yet the measured pulse intensity autocorrelations still indicate relatively short pulses ($\tau \sim 150$ fsec).

Numerical simulations of the Fabry-Perot APM laser show that this period-doubling is expected

as the nonlinearity is increased. The bifurcation diagram in Figure 2 shows how the laser pulse energy varies as the control cavity nonlinearity is increased. First, the laser goes from CW to modelocking (the "second-threshold"). As the nonlinearity is increased, the pulses get shorter and shorter until the laser goes to period-doubled modelocking. With further increases in n_2 the

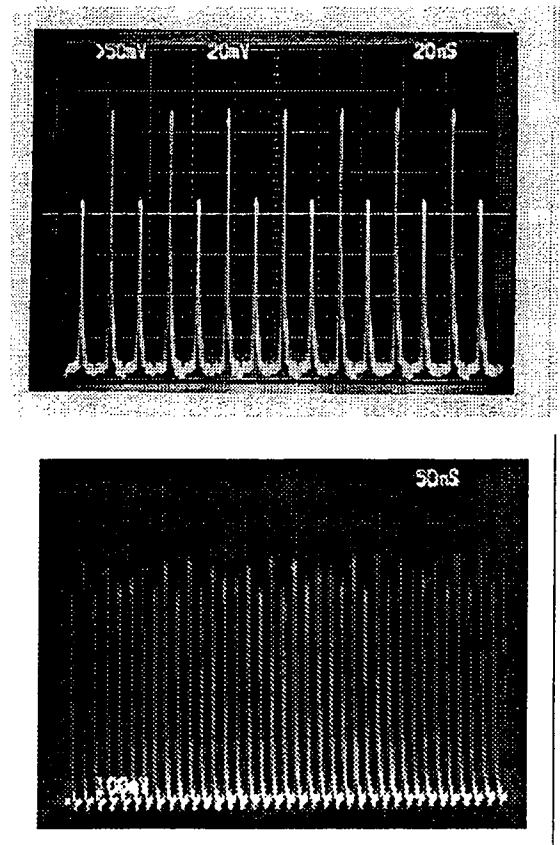


Figure 1. Period-doubled pulse train (a) and quasiperiodic pulse train (b) from APM laser. Note that pulse spacing is 13 nsec in both traces.

laser makes a switching transition to another period-doubled mode, and then a sudden transition to apparent chaos, indicating a crisis.

The figure also shows the pulse solutions at two values of nonlinearity. Note that the pulse solutions for the upper and lower branches have very different intensity profiles.

We have also studied and numerically simulated

of behavior; however, we have not considered this case yet.

In conclusion, we have studied the nonlinear dynamics of pulse train instabilities and pulse reshaping in APM lasers using two different cavity configurations. These results are important for understanding the general behavior of various types of self-modelocked lasers which

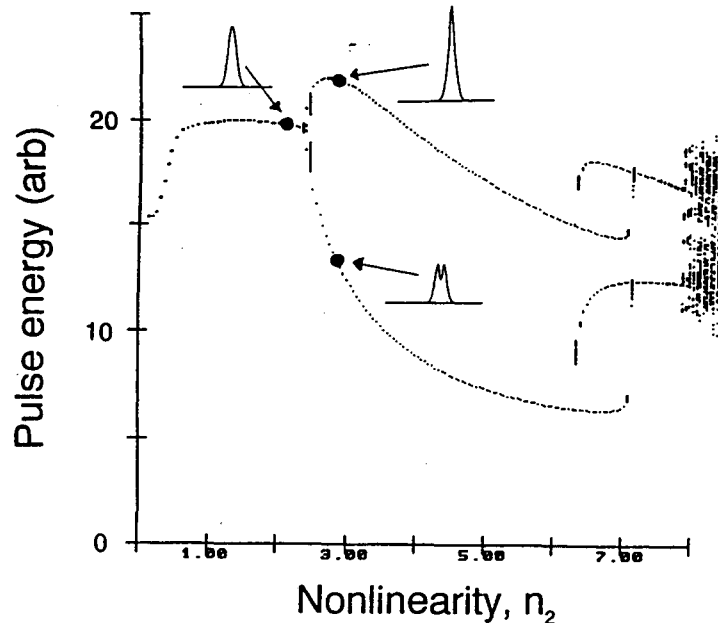


Figure 2. Bifurcation diagram of (simulated) laser pulse energy versus nonlinearity for a Fabry-Perot APM laser. Pulse solutions are shown for two values of nonlinearity: one for normal modelocking ($n_2 = 2.3$) and two for period-doubled modelocking ($n_2 = 2.8$).

the Michelson APM laser and have found that it exhibits none of these effects, no matter how large the nonlinearity is made, or how hard the laser is driven. The only instabilities encountered in reality were relaxation oscillations. This agrees with previous observations by Grant⁴ who did an experimental comparison between the F-P and Michelson configurations. In the simulations of the Michelson APM, as the nonlinearity is increased beyond the normal bounds, the modelocked pulse becomes distorted, broadened, and develops multi-peaked structure, but no pulse train instabilities were generated. This also agrees with the predictions of Cormier & Piché.⁵ Another type of APM laser cavity is the "figure-8" configuration, which has been used for modelocked Er: fiber lasers. We might expect this to be similar to the Michelson cavity in terms

use fast-saturable absorber effects.

This work was supported by the Director, Office of Energy Research, Office of Basic Energy Sciences, Materials Science Division, of the U.S. Department of Energy under Contract No. DE-AC03-76SF00098

References:

1. J. Mark, L. Y. Liu, K. L. Hall, H. A. Haus, and E. P. Ippen, *Opt. Lett.* **14**, 48 (1989).
2. P. N. Kean, X. Zhu, D. W. Crust, R. S. Grant, N. Langford, and W. Sibbett, *Opt. Lett.* **14**, 39 (1989).
3. F. Ouellette and M. Piché, *Opt. Comm.* **60**, 99 (1986).
4. R. S. Grant, *et. al.* *Opt. Comm.* (1991).
5. J. F. Cormier, and M. Piché, in "Nonlinear Dynamics in Optical Systems," OSA Tech. Digest **16**, (1992).

LAWRENCE BERKELEY LABORATORY
UNIVERSITY OF CALIFORNIA
TECHNICAL INFORMATION DEPARTMENT
BERKELEY, CALIFORNIA 94720